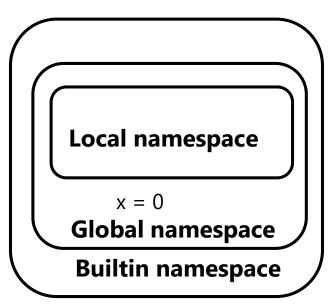


# IT5001 Software Development Fundamentals

4. Functions, Scope, and Recursion Sirigina Rajendra Prasad

## Scope

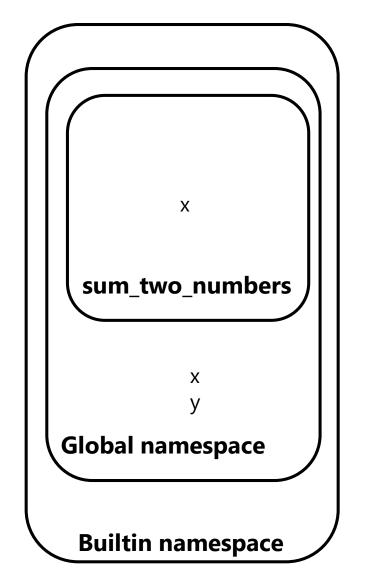
- A variable which is defined in the main body of a file is called a <u>global</u> variable. It will be visible throughout the file, and also inside any file which imports that file. EXCEPT...
- A variable which is defined inside a function is <u>local</u> to that function. It is accessible from the point at which it is defined until the end of the function, and exists for as long as the function is executing.
- The parameter names in the function definition behave like local variables, but they contain the values that we pass into the function when we call it.



#### Example

```
access global variable y
x = 2
y = 4
def sum_two_numbers(x):
    return x+y

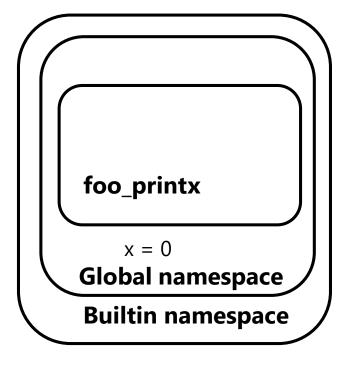
z = sum_two_numbers(3)
print(z)
```



#### Global Variable

```
Refers to
def foo_printx():
    print(x)
foo printx()
print(x)
```

This code will print00



```
x = 0
def foo_printx():
    x = 999
    print(x)
foo_printx(
print(x)
Because, a new 'x'
```

 This code will print 999

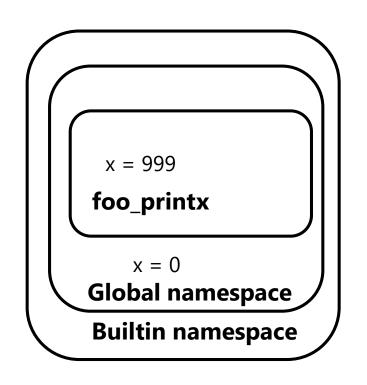
- The first '999' makes sense
- But why the second one is '0'?

is born here!

exits

#### A Global 'x' This code will print X = 0999 0 def foo\_printx(): Scope of the local 'x' x = 999print(x) Scope of the global 'x' foo printx() print(x) A local 'x' that is created within the function foo\_printx() and will 'die' after the function

```
x = 0
def foo_printx():
    x = 999
    print(x)
foo printx()
print(x)
```



#### **Crossing Boundary**

- What if we really want x = 0 to modify a global variable from inside a function?
- Use the "global" keyword
- (No local variable x is created)

```
x = 0

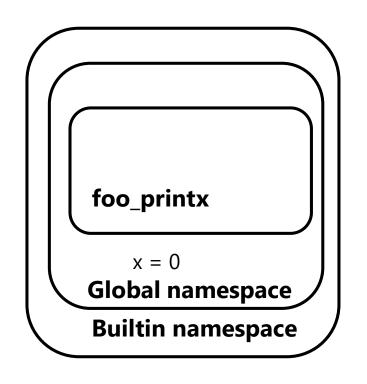
def foo_printx():
    global x
    x = 999
    print(x)
```

```
foo_printx()
print(x)
```

Output: 999 999

#### **Crossing Boundary**

```
x = 0
def foo printx():
    global x
    x = 999
    print(x)
foo_printx()
print(x)
```



Output: 999

#### How about... this?

```
x = 0
def foo_printx():
    print(x)
    x = 999
    print(x)
foo printx()
```

- Local or global?
- Error!
- Because the line "x=999" creates a local version of 'x'
- Then the first print(x)
   will reference a local x
   that is not assigned
   with a value
- The line that causes an error

#### Parameters are LOCAL variables

```
def p1(x):
                      print('Entering function p1')
                      output = p2(x)
Scope of x in
                      print('Line before return in p1')
p1
                      return output
                  def p2(x):
                      print (Entering function p2')
Scope of x in
                      output = p3(x)
                                       re return in p2')
                      print('Line D
p2
                      return output
                                             Does not refer to
                  def p3(x):
                      print('Entering function p3')
                      output = x * x
Scope of x in
                      print('Line before return in p3')
p3
                      return output
```

print(p1(3))

#### Practices (Convention)

- Global variables are VERY bad, especially if modification is allowed
- 99% of time, global variables are used as CONSTANTS
  - ➤ Variables that every function could access
  - But not expected to be modified

```
Convention: Usually in all CAPs
```

```
PQUNDS_IN_ONE_KG = 2.20462

def kg2pound(w):
    return w * POUNDS_IN_ONE_KG

def pound2kg(w):
    return w / POUNDS_IN_ONE_KG
```

### Generator Functions

#### **Generator Functions**

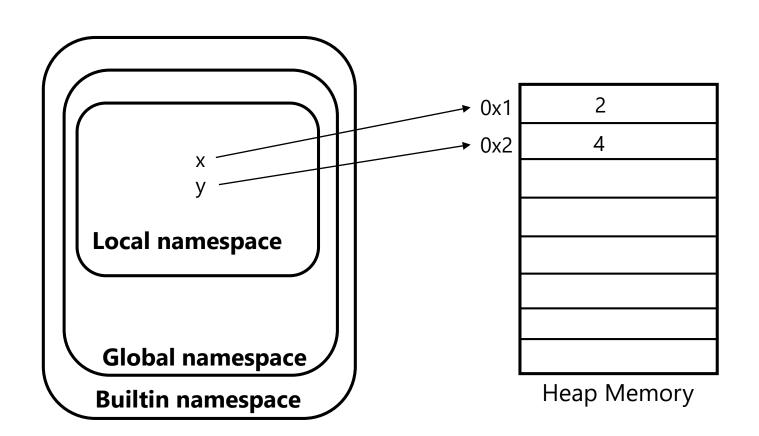
#### Return vs Yield

- With return statement:
  - State is not retained after the function returns the value

- With yield statement:
  - State of the function is retained between the calls
  - Can have many yield statements in sequence

#### What is the state of a function?

Namespace and the objects that are referred by names



#### Generator Functions: Examples

```
def my_range(start = 0, stop = None, step = 1):
    element = start
    while element <= stop:
        yield element
        element = element + step</pre>

from math import inf
for item in my_range(0, stop = inf):
    print(item)
```

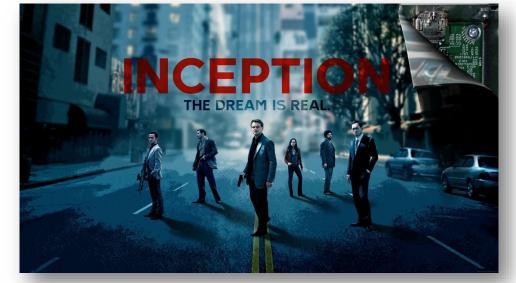
#### Generator Functions: Examples

```
def even_range(start = 0, stop = None, step = 1):
    element = start
    while element <= stop:
        if element%2 == 0:
            yield element
        element = element + step</pre>
```

# Calling Other Functions

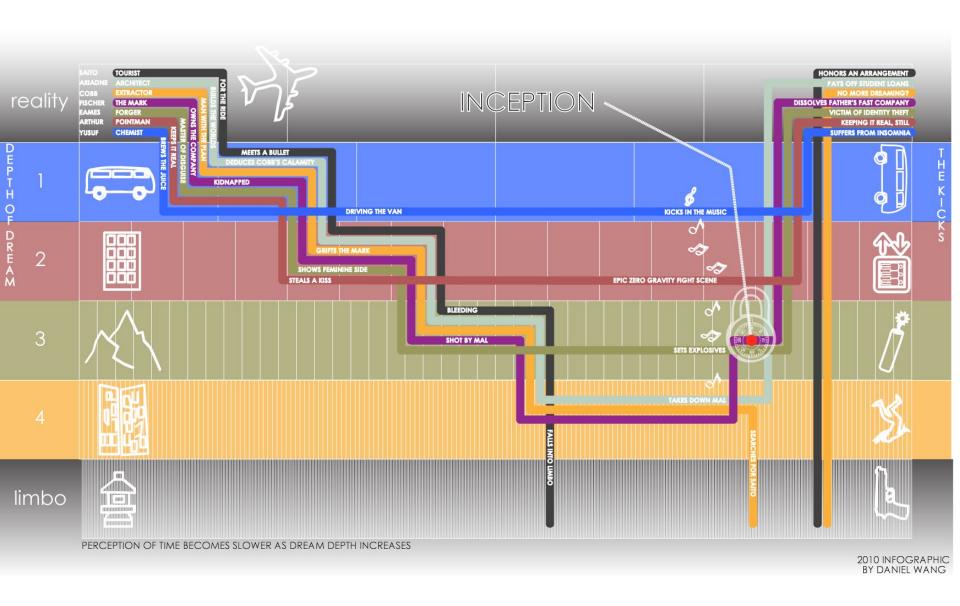
```
Compare:
```

```
def hypotenuse(a, b):
     return sqrt(sum_of_squares(a, b))
 def sum of squares(x, y):
     return square(x) + square(y)
 def square(x):
     return x * x
Versus:
                                    b
 def hypotenuse(a, b):
     return sqrt((a*a) + (b*b))
```



## The Call Stack



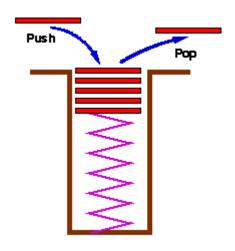


Michael Caine Just Ended An Eight Year Long Debate Over The Ending Of "Inception

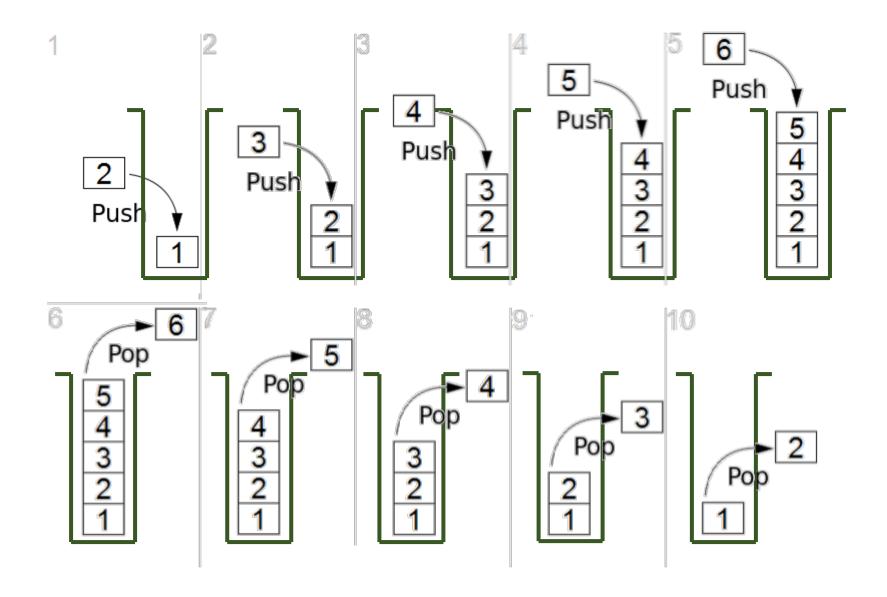
#### Stack

• First in last out order





#### First in Last Out



#### The Stack (or the Call Stack)

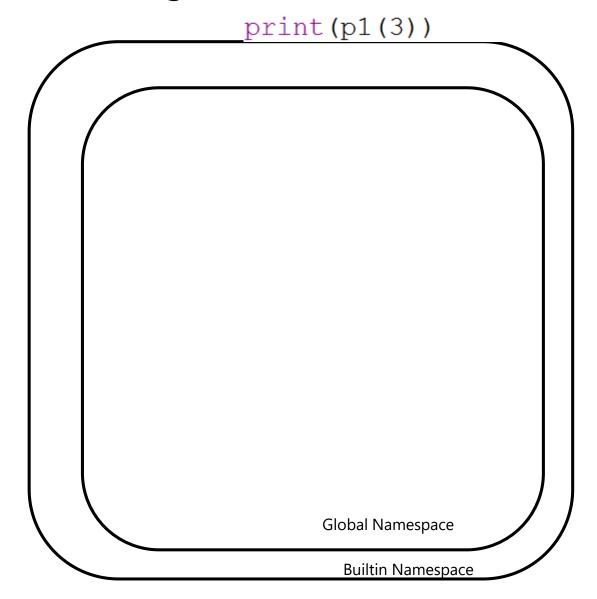
```
def p1(x):
    print('Entering function p1')
    output = p2(x)
    print('Line before return in p1')
    return output
def p2(x):
    print('Entering function p2')
    output = p3(x)
    print('Line before return in p2')
    return output
def p3(x):
    print('Entering function p3')
    output = x * x
    print('Line before return in p3')
    return output
print(p1(3))
```

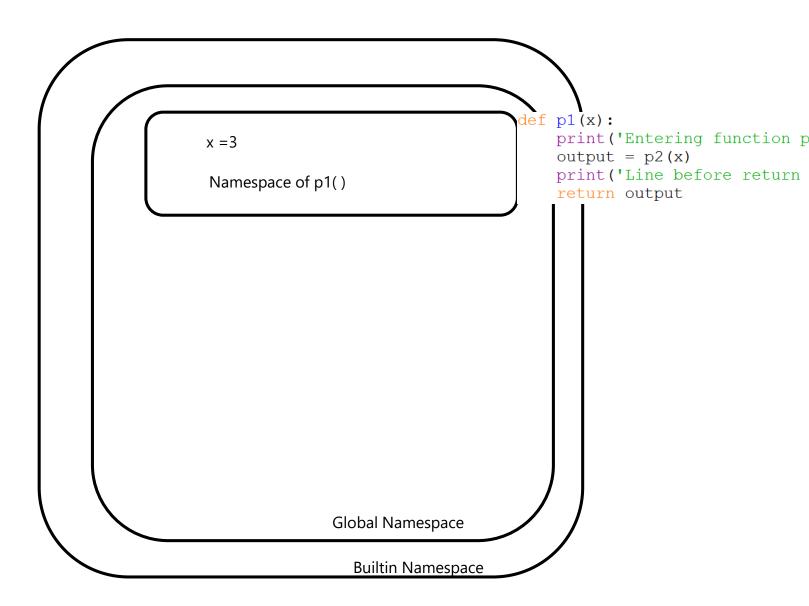
#### The Stack (or the Call Stack)

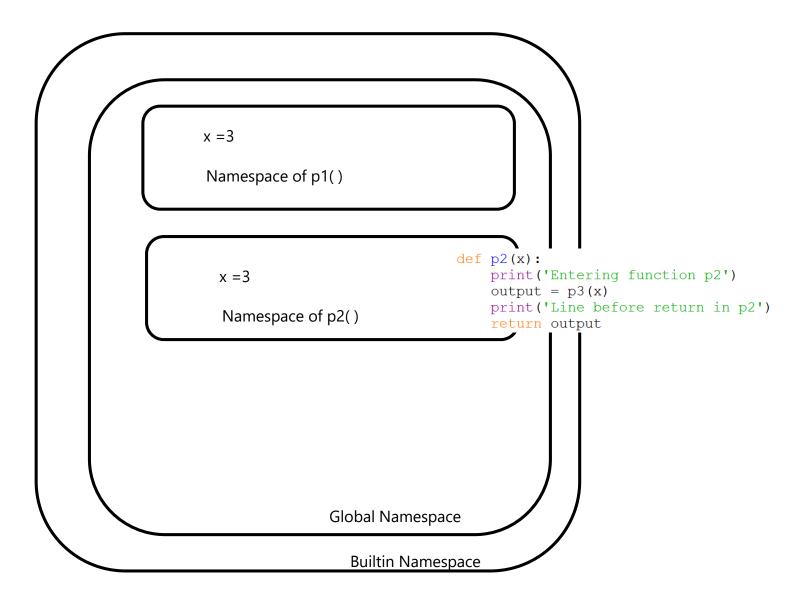
```
>>> p1(3)
Entering function p1
Entering function p2
Entering function p3
Line before return in p3
Line before return in p2
Line before return in p1
```

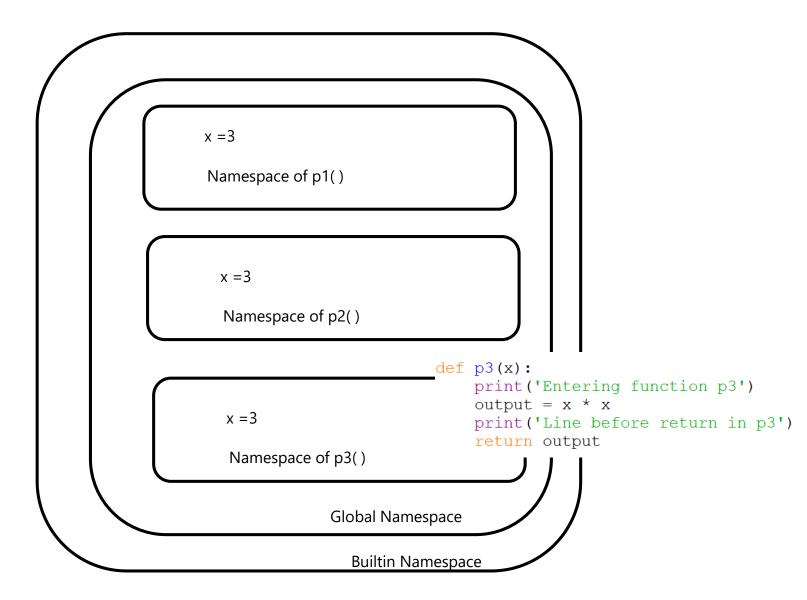


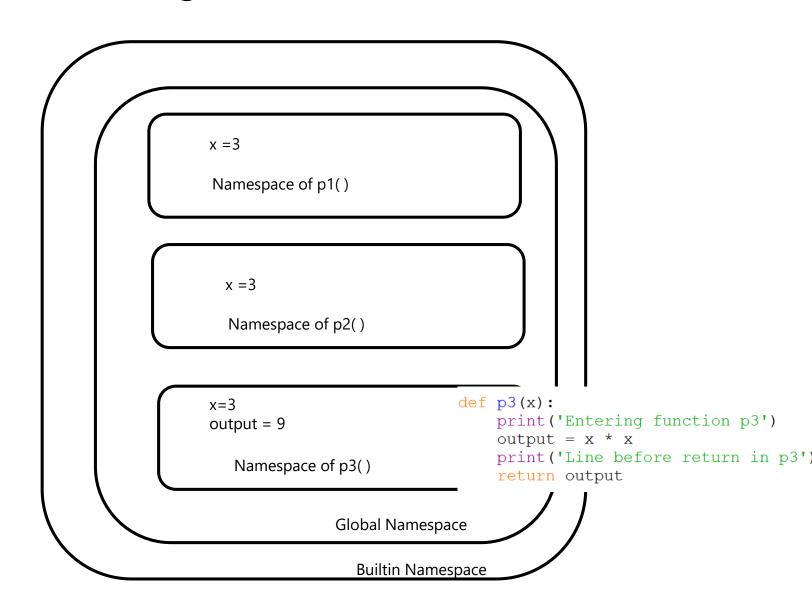
```
print(p1(3))
                                                \longrightarrow Going in
                                               → Exiting a
 def p1(x):
                                                   function
      print('Entering function p1')
    \rightarrow output = p2(x)-
      print('Line before return in p1')
    ∟return output
            \rightarrowdef p2(x):
                  print('Entering function p2')
                → output = p3(x)-
                  print('Line before return in p2')
                 return output
                       \rightarrow def p3(x):
                              print('Entering function p3')
                              output = x * x
                              print('Line before return in p3')
                              return output
```

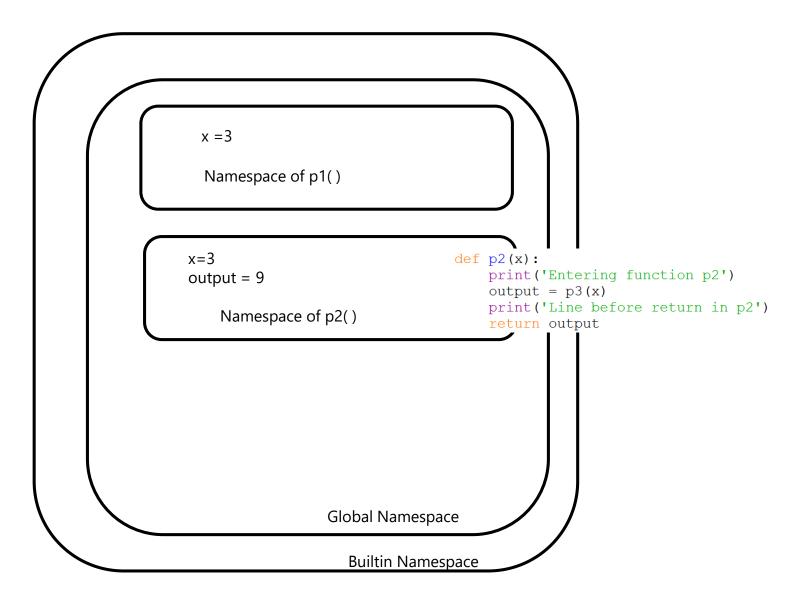


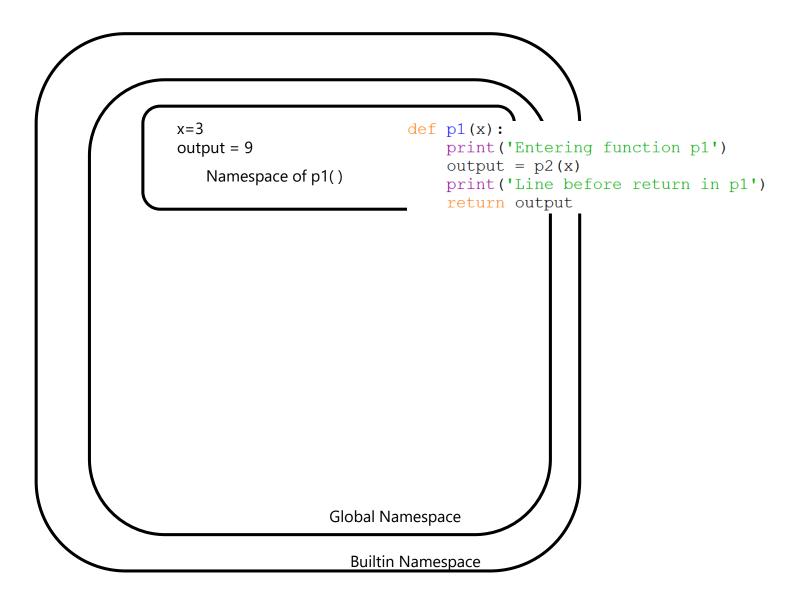


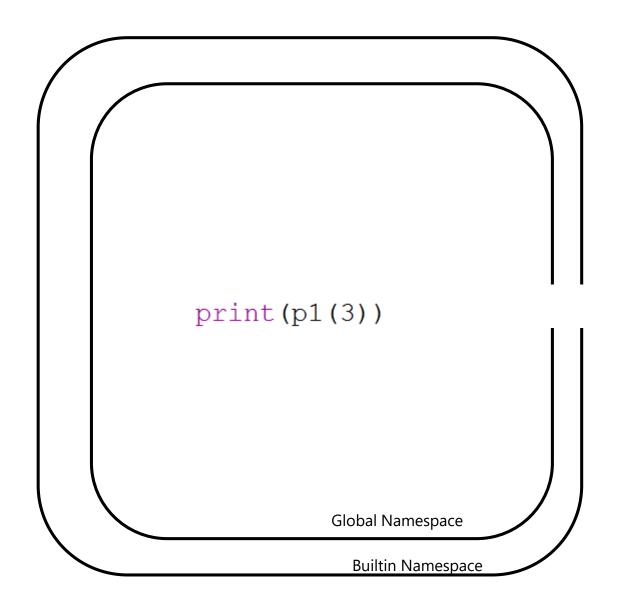


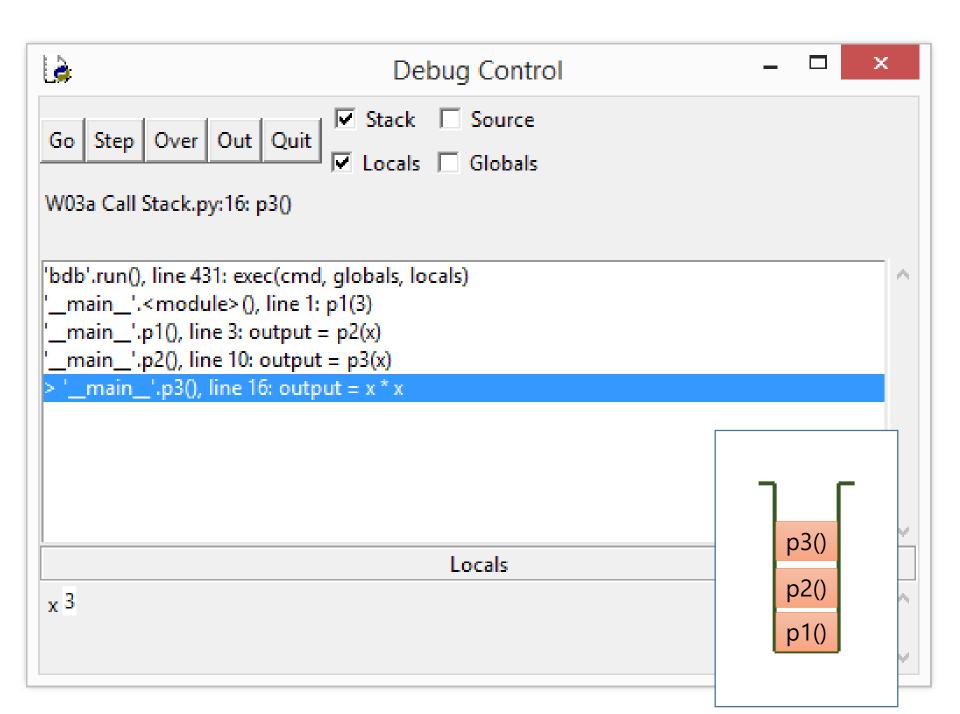






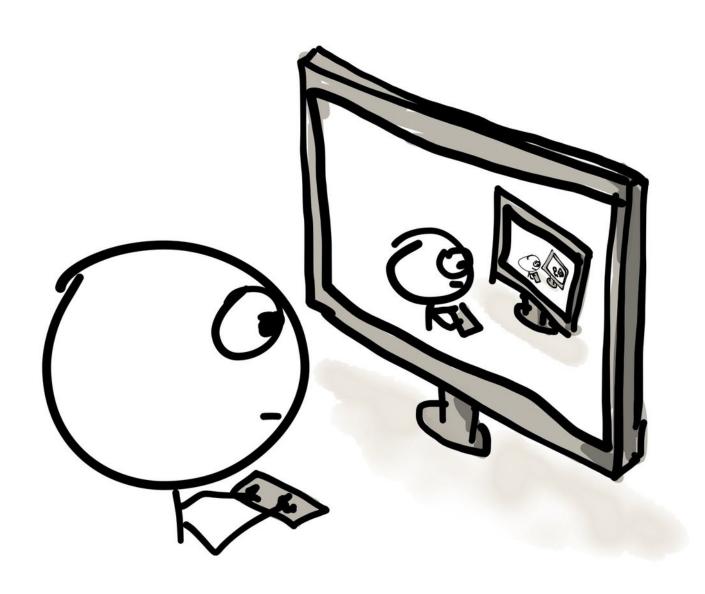






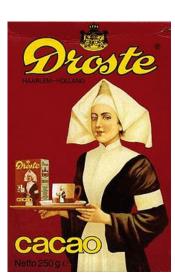
# Recursion

# Recursion

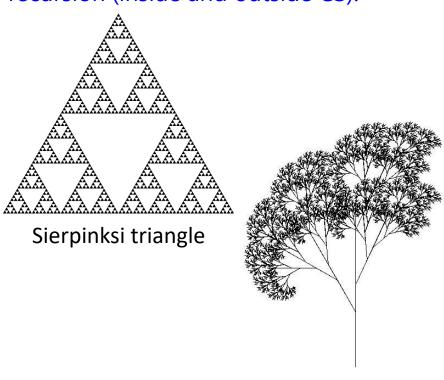


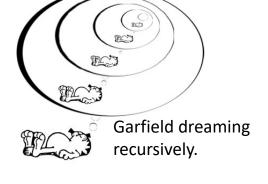
#### A Central Idea of CS

#### Some examples of recursion (inside and outside CS):



Droste effect





Recursive tree

Mandelbrot Fractal Endless Zoom

#### Recursion

- A function that calls itself
- And extremely powerful technique
- Solve a big problem by solving a smaller version of itself
  - ➤ Mini-me

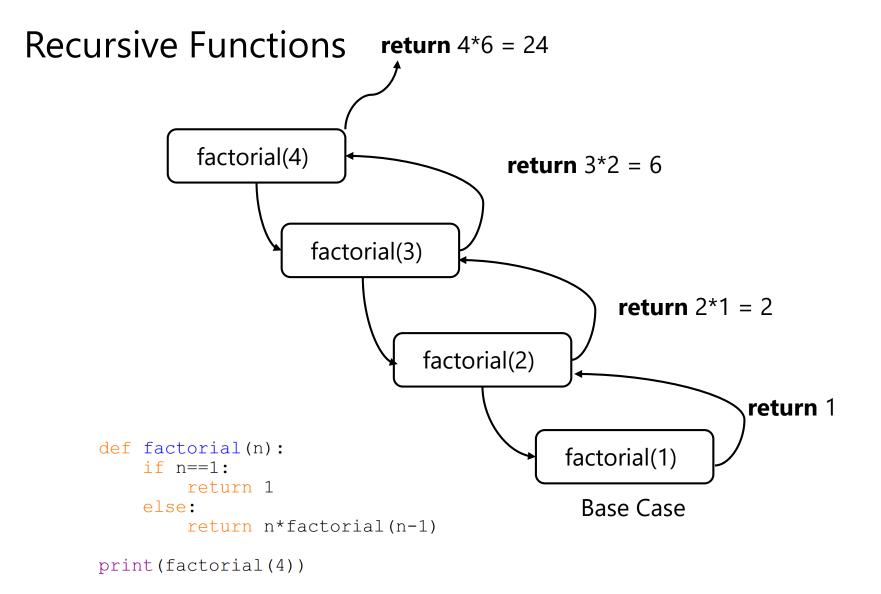




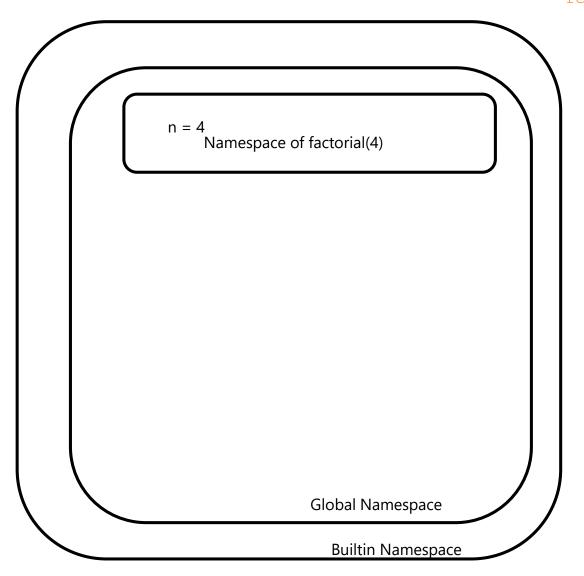
#### **Recursive Functions**

```
    Function calls itself

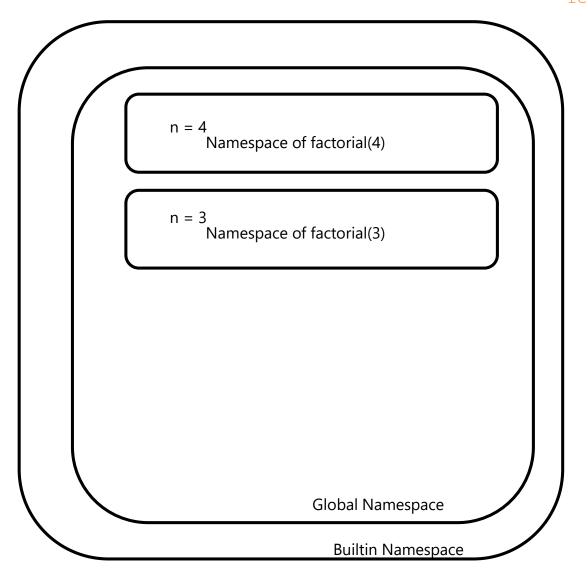
                                     Base Case
      def factorial(n):
                 return 1
            else:
                 return n*factorial(n-1)
      print(factorial(4))
                                            Calling itself
                                            (smaller problem)
```



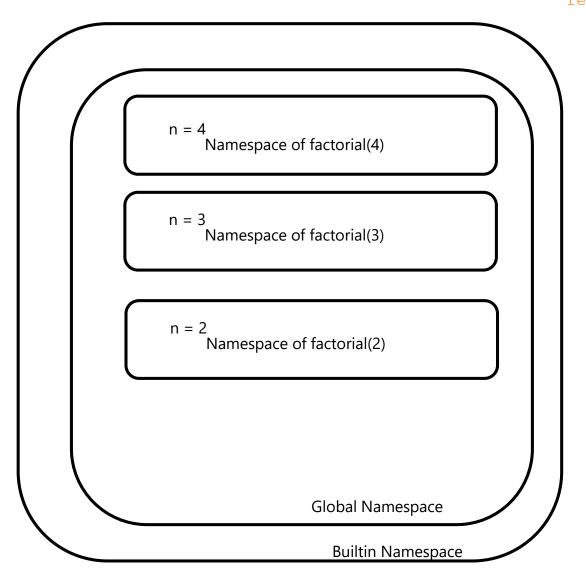
```
def factorial(n):
    if n==1:
        return 1
    else:
        return n*factorial(n-1)
```



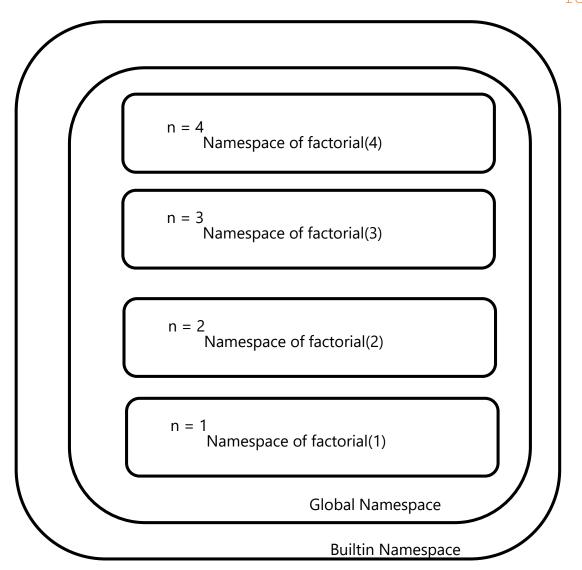
```
def factorial(n):
    if n==1:
        return 1
    else:
        return n*factorial(n-1)
```



```
def factorial(n):
    if n==1:
        return 1
    else:
        return n*factorial(n-1)
```



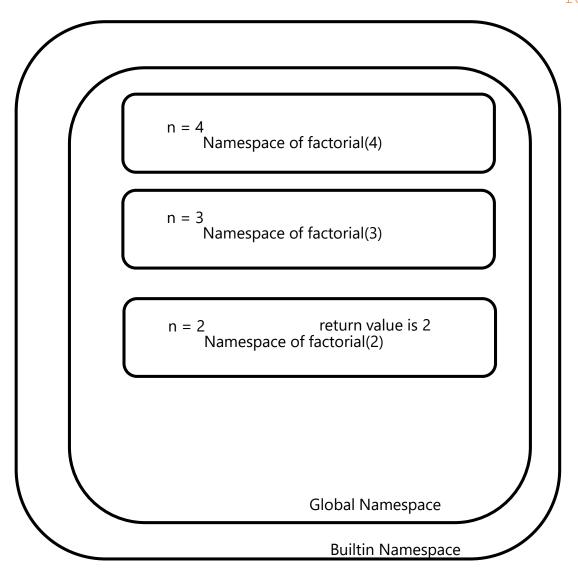
```
def factorial(n):
    if n==1:
        return 1
    else:
        return n*factorial(n-1)
```



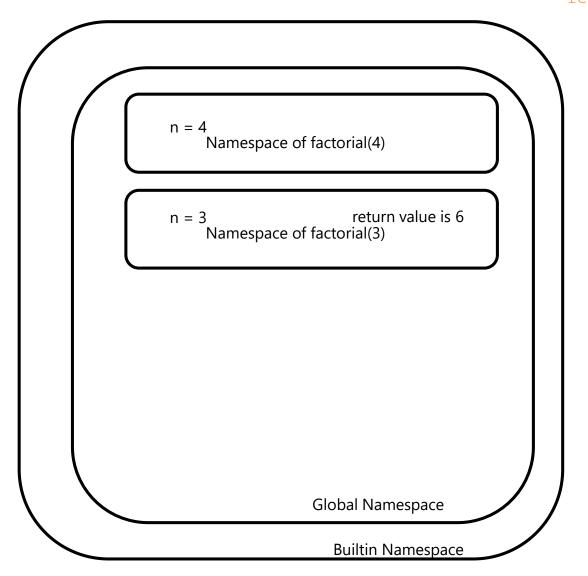
```
def factorial(n):
    if n==1:
        return 1
    else:
        return n*factorial(n-1)
```

```
n = 4
     Namespace of factorial(4)
n = 3
     Namespace of factorial(3)
n = 2
     Namespace of factorial(2)
                     return value is 1
n = 1
     Namespace of factorial(1)
                   Global Namespace
                      Builtin Namespace
```

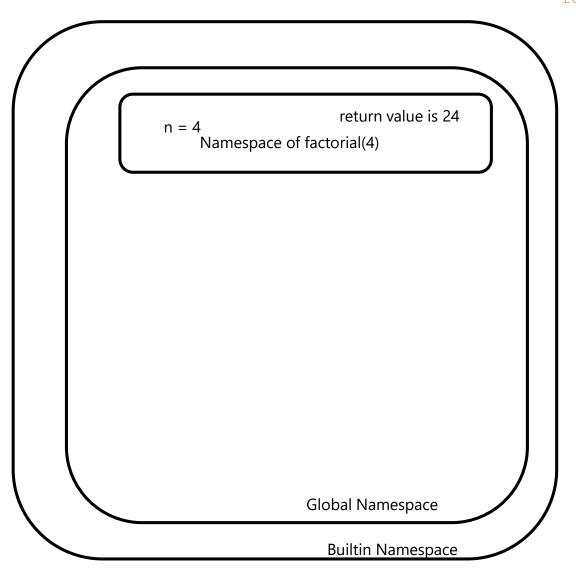
```
def factorial(n):
    if n==1:
        return 1
    else:
        return n*factorial(n-1)
```

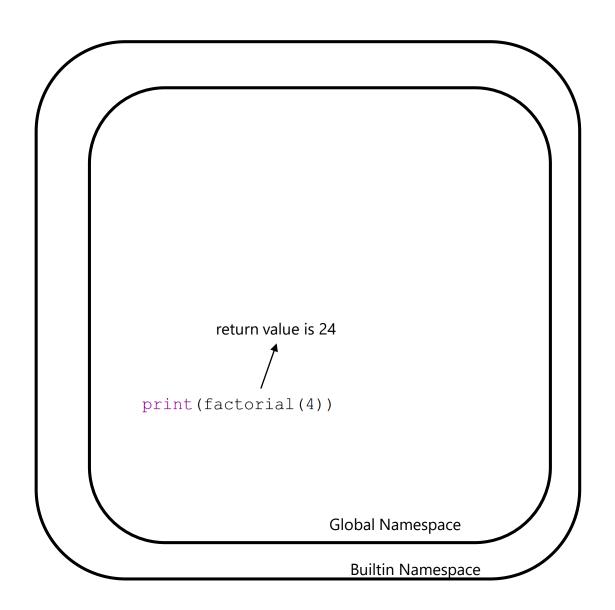


```
def factorial(n):
    if n==1:
        return 1
    else:
        return n*factorial(n-1)
```



```
def factorial(n):
    if n==1:
        return 1
    else:
        return n*factorial(n-1)
```





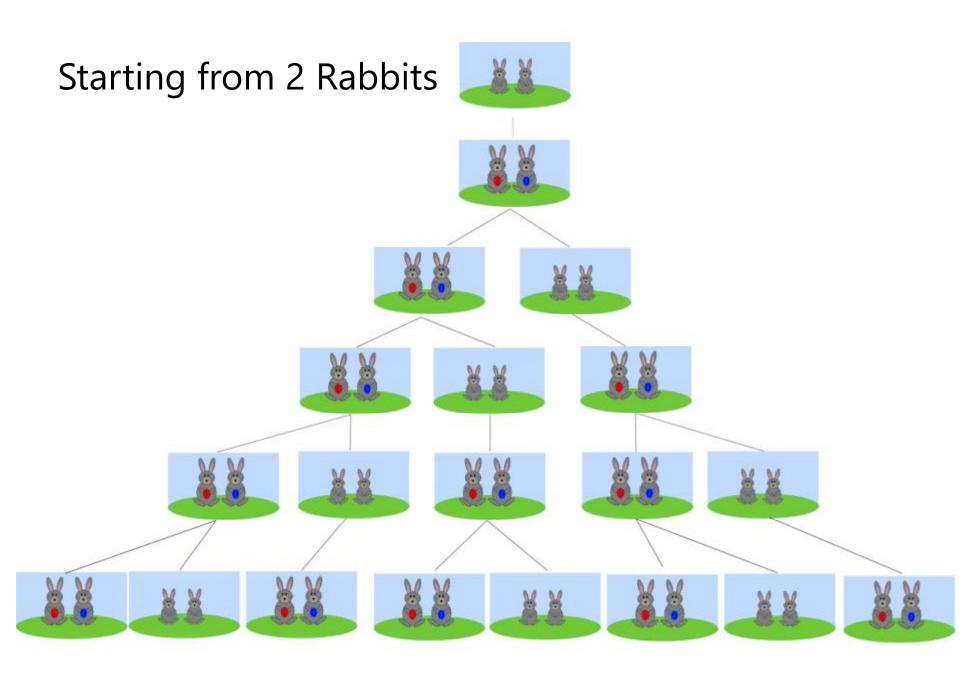
#### Recursive Vs Iteration

```
def factorial(n):
    if n==1:
        return 1
    else:
        return n*factorial(n-1)

def factorial_iter(n):
    fact = 1
    for elem in range(1,n+1):
        fact = fact*elem
    return fact
```

# Fibonacci Number

(Recursion)



Let's say we have two types of vehicles, cars and buses





- And each car can park into one parking space, but a bus needs two consecutive ones
- If we have 1 parking space, I can only park a car



1 way

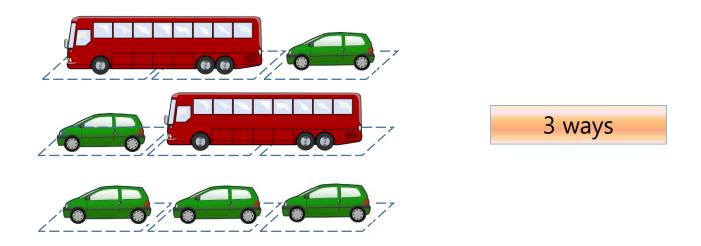
 But if there are 2 parking spaces, we can either park a bus or two cars



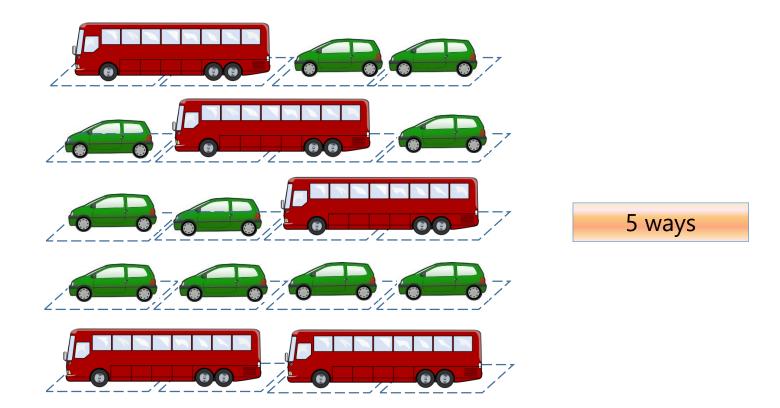
2 ways



• So if we have 3 parking spaces, how many different ways can we park cars and buses?



• So if we have 4 parking spaces, how many different ways can we park cars and buses?



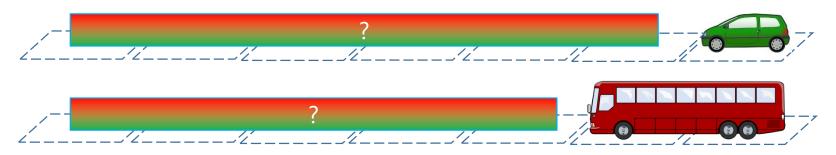
- 5 parking spaces?
- 6 parking spaces?



#parking spaces	#ways
0	1
1	1
2	2
3	3
4	5
5	8
6	13

- Can you figured out THE pattern?
  - **>** 1, 1, 2, 3, 5, 8, 13, ...
  - ➤ What is the next number?

- In general, if we have *n* parking spaces, how many ways can we park the vehicles?
- You can think backward, the last parking space can be either a car or a bus

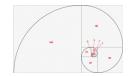


- If it's a car, there are n-1 spaces left, you can have the number of way for n-1 spaces
  - $\triangleright$  Otherwise, it's the number of way for n-2 spaces
- So

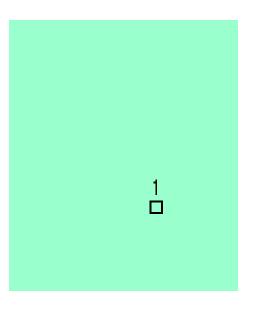
$$f(n) = f(n-1) + f(n-2)$$
 for  $f(0) = f(1) = 1$ 

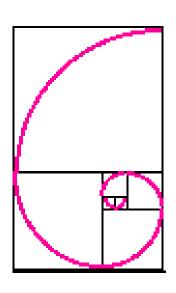
#### Fibonacci Numbers

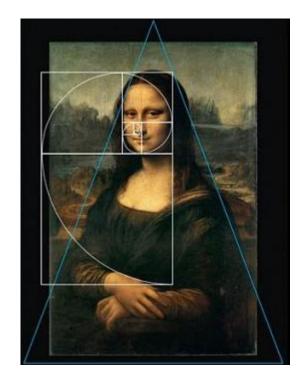




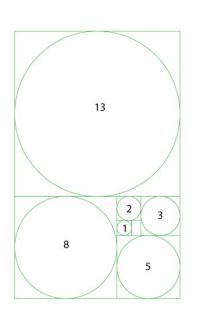
- Fibonacci numbers are found in nature (seashells, sunflowers, etc)
- http://www.maths.surrey.ac.uk/hostedsites/R.Knott/Fibonacci/fibnat.html

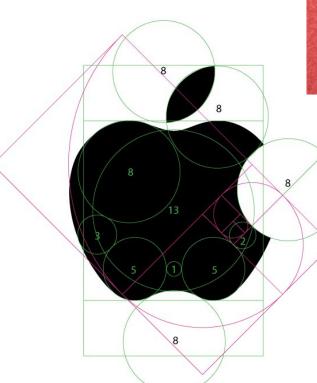














```
def fibonacci(n):
       if n == 1 or n == 0:
                return 1
       else:
                return fibonacci(n-1) + fibonacci(n-2)
>>> fibonacci(10)
89
>>> fibonacci(20)
10946
>>> fibonacci (994)
Traceback (most recent call last):
  File "<pyshell#16>", line 1, in <module>
    fibonacci (994)
  File "<pyshell#5>", line 5, in fibonacci
    return fibonacci(n-1) + fibonacci(n-2)
  File "<pyshell#5>", line 5, in fibonacci
    return fibonacci(n-1) + fibonacci(n-2)
  File "<pyshell#5>", line 5, in fibonacci
    return fibonacci (n-1) + fibonacci (n-2)
  [Previous line repeated 989 more times]
  File "<pyshell#5>", line 2, in fibonacci
    if n == 1 or n == 0:
RecursionError: maximum recursion depth exceeded in comparison
>>> fibonacci(50)
```

#### Challenge

>>> fibonacci (1000)

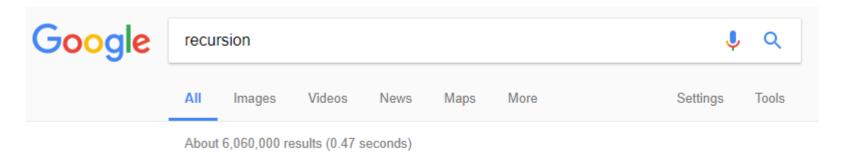
418221496592822626

Write a fibonacci function that can compute f(n) for n > 1000

```
70330367711422815821835254877183549770181269836358732742604905087154537118196933
57974224949456261173348775044924176599108818636326545022364710601205337412127386
7339111198139373125598767690091902245245323403501
>>> fibonacci(2000)
68357022595758066470453965491705801070554080293655245654075533677980824544080540
14954534318953113802726603726769523447478238192192714526677939943338306101405105
41481970566409090181363729645376709552810486826470491443352935557914873104468563
41354877358979546298425169471014942535758696998934009765395457402148198191519520
85089538422954565146720383752121972115725761141759114990448978941370030912401573
```

TAKE THE

### Google about Recursion



- Did you mean: recursion
  - > Do a barrel roll
  - > Askew
  - ➤ Anagram
  - ➤ Google in 1998
  - ➤ Zerg rush
- More in <u>Google Easter Eggs</u>