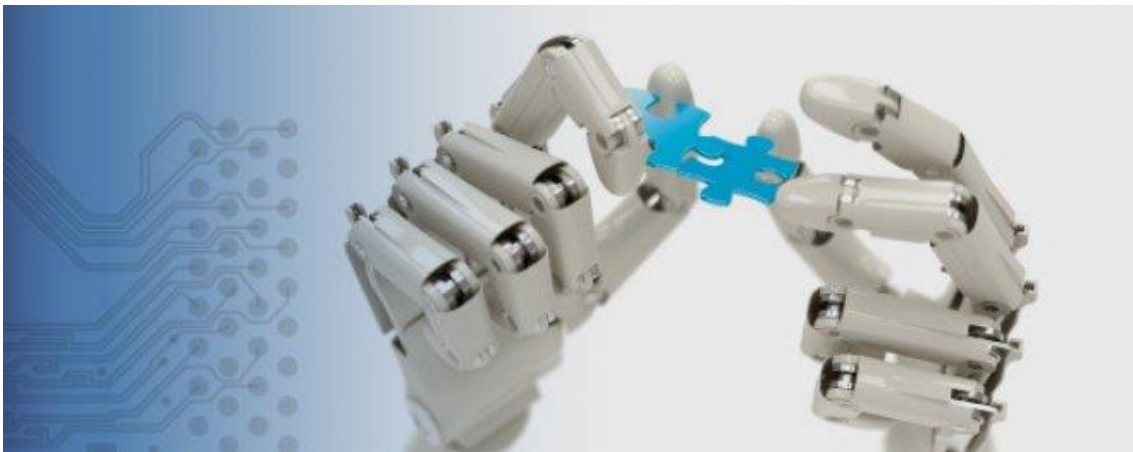


ROBOTICS MASTER

Universitat de Vic



Subject: Perception Systems

Session1: Sensors and Measurements

Exercixse 1.2: Lidar Scanner – Laser hits

Author: Toni Guasch Serra

Date: 2015-10-29

Robotics Master – Perception Systems: Exercise 1.2: Lidar Scanner – Laser Hits

Exercise 1.2.

Go to the link: http://www.hokuyo-aut.jp/02sensor/07scanner/utm_30ln.html, which is a widely used lidar scanner in robotics.

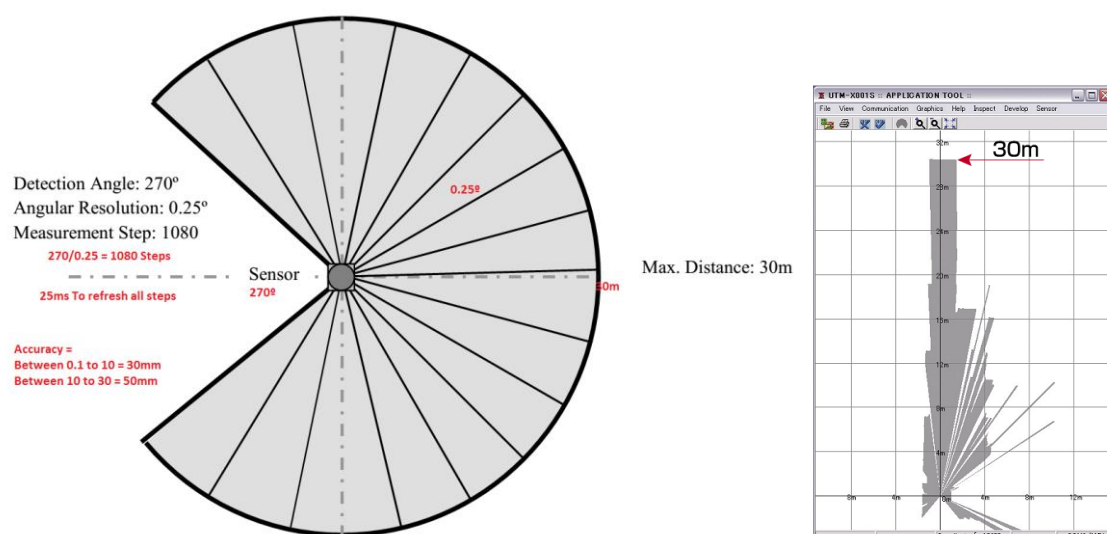
- Try to understand the specs by drawing them in a XY frame similar to the one of slide 11.
- which is the scan rate ?
- How many "laser hits" will get a pedestrian leg situated at 1m? and 3m? and 5m?. Draw a plot distance-hits. (make your own assumption about pedestrian leg size)

Exercise 1.2.

Go to the link: http://www.hokuyo-aut.jp/02sensor/07scanner/utm_30ln.html, which is a widely used lidar scanner in robotics.

- Try to understand the specs by drawing them in a XY frame similar to the one of slide 11.

Will be drawn using an image of the datasheet. With this image will be indicated the main technical specifications



- Which is the scan rate?

Scan Rate is a value not given in the datasheets of this device. The data which can be found in the technical specifications is: "Scan Time = 25ms". Scan time is the time needed to refresh the state of laser hits (1 cycle of scan) of the detection angle (270°). The scan rate can be calculated as follows;

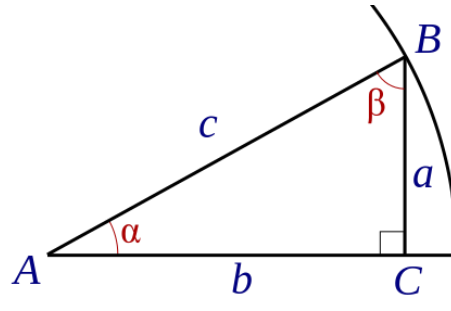
$$f = \frac{1}{T} = \frac{1}{25E-03} = 40Hz$$

- How many "laser hits" will get a pedestrian leg situated at 1m? and 3m? and 5m?. Draw a plot distance-hits. (make your own assumption about pedestrian leg size)

The following data are assumed and extracted from the datasheet

- Foot with = 20cm (Assumed)
- Detection Range = 0.1 to 30m
- Detection Angle = 270°
- Angular resolution = 0.25°

Considering the resultant shape as a right triangle;



We can apply Pythagoras theorem and a basic formula of trigonometry;

$$c^2 = a^2 + b^2 \rightarrow c = \sqrt{a^2 + b^2}$$

$$\tan \alpha = \frac{a}{b} \rightarrow \alpha = \text{Atan}\left(\frac{a}{b}\right)$$

Applying the tangent trigonometric ratio we can obtain α angle:

$$1\text{m}) \alpha = \text{Atan}\left(\frac{a}{b}\right) = \text{Atan}\left(\frac{20}{100}\right) = 11.309^\circ$$

$$3\text{m}) \alpha = \text{Atan}\left(\frac{a}{b}\right) = \text{Atan}\left(\frac{20}{300}\right) = 3.8141^\circ$$

$$5\text{m}) \alpha = \text{Atan}\left(\frac{a}{b}\right) = \text{Atan}\left(\frac{20}{500}\right) = 2.2906^\circ$$

Once α angle is obtained. Can be known the number of hits received by the pedestrian:

$$1\text{m}) \frac{11.309}{0.25} = 45.23 \text{ Hits received at 1m of separation}$$

$$3\text{m}) \frac{3.8141}{0.25} = 15.25 \text{ Hits received at 3m of separation}$$

$$5\text{m}) \frac{2.2906}{0.25} = 9.162 \text{ Hits received at 5m of separation}$$

To obtain a plot representation of this calculation, will be implemented the tangent trigonometric ratio of α angle;

$$\tan \alpha = \frac{a}{b} \rightarrow \alpha = \text{Atan}\left(\frac{a}{b}\right)$$

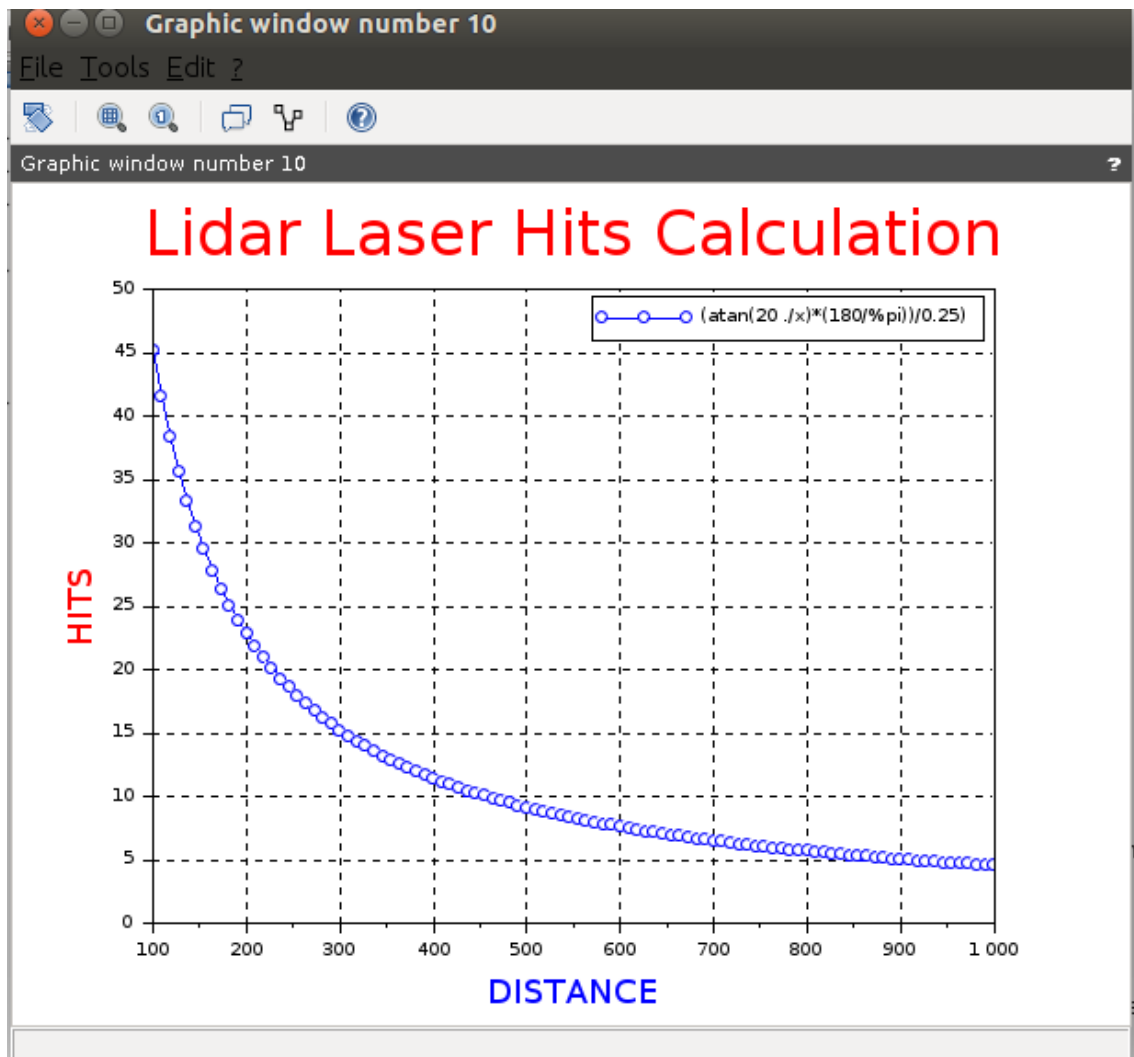
Where;

$a \rightarrow$ Is a constant in this case (Foot with = 20cm)

$b \rightarrow$ is a variable value (distance of separation)

Giving different values to "b" this formula can be represented in SciLab

Scilab Plot:



Executed code in Scilab:

```
-->x=linspace(100,1000,100);
-->y=((atan(20 ./x)*(180/%pi))/0.25);
-->scf(10);
-->clf(10);
-->plot (x,y,'o-b')
-->ylabel("HITS","fontsize",4,"color","red")
-->xlabel("DISTANCE","fontsize",4,"color","blue")
-->title("Lidar Laser Hits Calculation","color","Red","fontsize",6);
-->set(gca(),"grid",[1 1]);
-->legend("(atan(20 ./x)*(180/%pi))/0.25)");
```