



AMERICAN INTERNATIONAL UNIVERSITY-BANGLADESH (AIUB)

Where leaders are created

Lecture # 4 (Final)

Processor Logic Design (2nd Part)

Status Register and Shifter Design

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Design of Status Register

- It is sometimes convenient to supplement the ALU with a status register where the **status bit** (**overflow, zero indication, sign**) conditions are stored for further analysis.
- **Status-bit conditions** are sometimes called **condition-code bits** or **flag bits**.

Setting Bits in a Status Register

8-bit ALU with a 4-bit status register

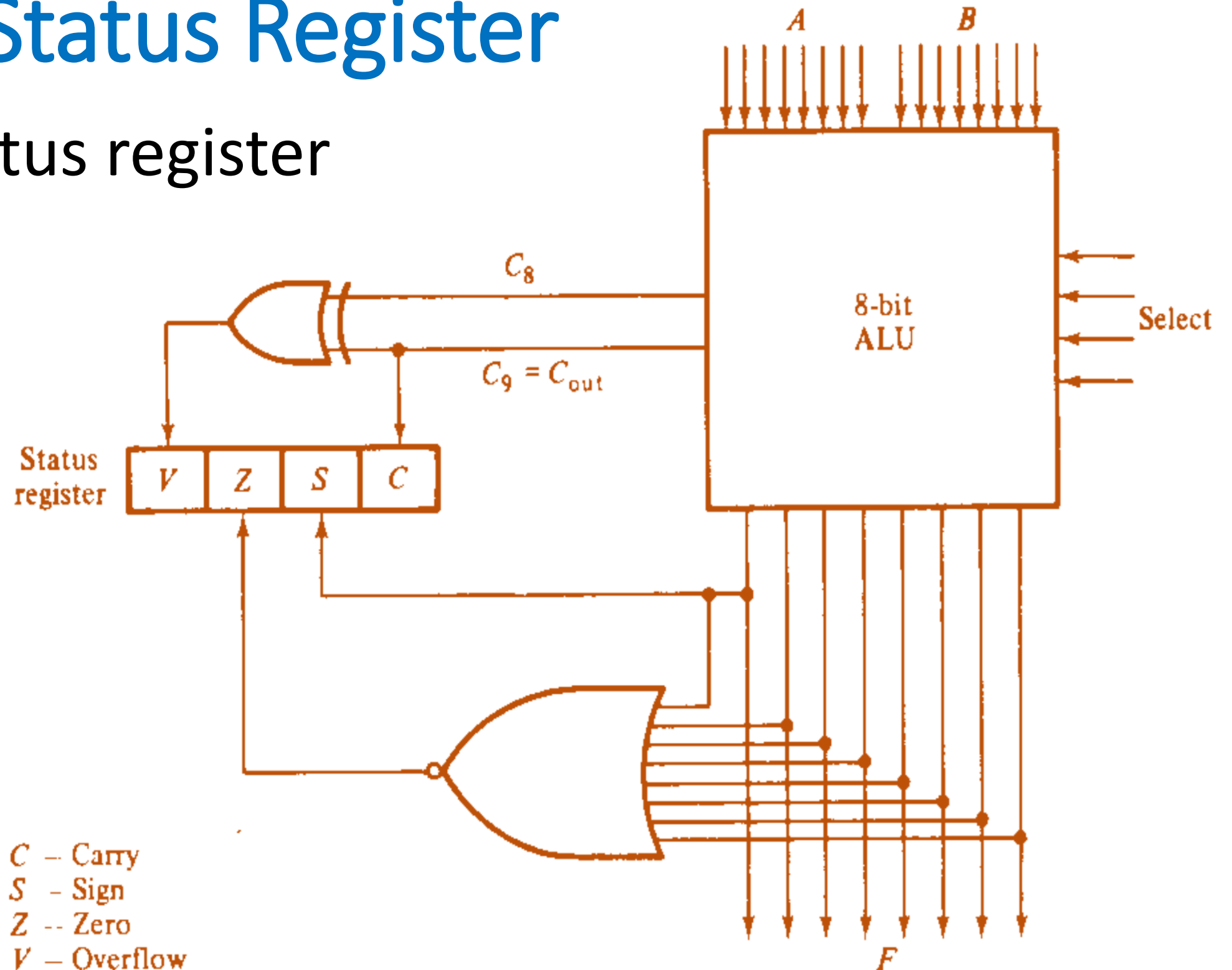


Fig. 9-14

Setting Bits in a Status Register

Figure 9.14. shows the block diagram of an 8-bit ALU with a 4-bit status register. The four status bits for **carry**, **sign**, **zero**, and **overflow** bits are symbolized by **C**, **S**, **Z**, and **V** respectively. The bits are **set** (**HIGH**) or **cleared** (**LOW**) as a result of an operation performed in the ALU.

1. Bit **C** is set if the output carry of the ALU is 1. It is cleared if the output carry is 0.
2. Bit **S** is set if the highest-order bit of the result (i.e., the sign bit) in the output of the ALU is 1. It is cleared if the highest-order bit of the result is 0.
3. Bit **Z** is set if the output carry of the ALU contains all 0s, and it is cleared otherwise. That is, $Z = 1$ if the result is 0, and $Z = 0$ if the result is not 0.
4. Bit **V** is set if the exclusive-OR of output carry and MSB of the ALU is 1 (that is, $C_9 \oplus C_8 = 1$), and it is cleared otherwise. This is the condition of overflow when the numbers are in sign 2's complement representation. For an 8-bit ALU, $V = 1$ if the result is greater than 127 or less than -128.

Table 9-5 Status bits after the subtraction operation of two **unsigned** numbers ($A-B$)

Relation	Condition of status bits	Boolean function
$A > B$	$C = 1$ and $Z = 0$	CZ'
$A \geq B$	$C = 1$	C
$A < B$	$C = 0$	C'
$A \leq B$	$C = 0$ or $Z = 1$	$C' + Z$
$A = B$	$Z = 1$	Z
$A \neq B$	$Z = 0$	Z'

Status bits after the subtraction ($A-B$) of two **signed** binary numbers when negative numbers are in 2's complement form

Relation	Condition of status bits	Boolean function
$A > B$	$Z = 0$ and $(S = 0, V = 0 \text{ or } S = 1, V = 1)$	$Z'(S \odot V)$
$A \geq B$	$S = 0, V = 0 \text{ or } S = 1, V = 1$	$S \odot V$
$A < B$	$S = 1, V = 0 \text{ or } S = 0, V = 1$	$S \oplus V$
$A \leq B$	$S = 1, V = 0 \text{ or } S = 0, V = 1 \text{ or } Z = 1$	$(S \oplus V) + Z$
$A = B$	$Z = 1$	Z
$A \neq B$	$Z = 0$	Z'

Status bits after the subtraction ($A-B$) of two **signed** binary numbers when negative numbers are in 2's complement form

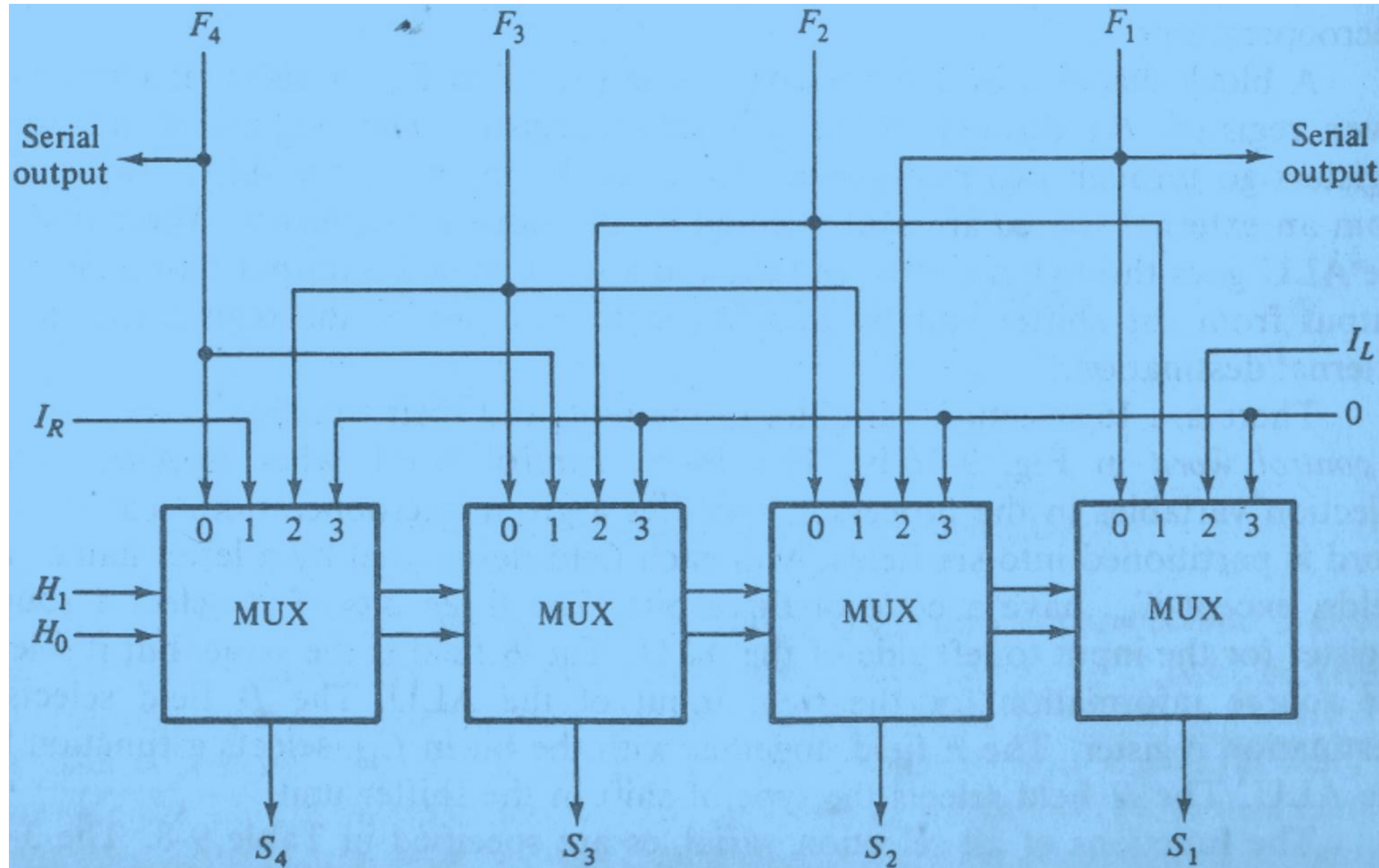
Some computers consider the **C bit to be a borrow bit** after a subtraction operation $A - B$. An end **borrow does not occur if $A \geq B$** , but **an extra bit must be borrowed when $A < B$** .

The **condition for a borrow** is the **complement of the output carry** obtained when the subtraction is done by taking the 2's complement of B . For this reason, a processor that considers the C bit to be a borrow after a subtraction will complement the C bit after a subtraction or compare operation and denote this bit as a borrow.

Design of a Shifter

- The shift unit attached to a processor transfers the output of the ALU onto the output bus.
- The shifter may transfer the information directly without a shift, or it may shift the information to the right or left.
- Provision is sometimes made for no transfer from the ALU to the output bus.
- The shifter provides the shift micro-operations commonly not available in an ALU.

Design of Shifter



Function Table for Shifter

$H_1 H_0$	Operation	Function
0 0	$S \leftarrow F$	Transfer F into the output Bus, S (No Shift)
0 1	$S \leftarrow \text{shr } F$	Shift Right F into the output Bus, S
1 0	$S \leftarrow \text{shl } F$	Shift Left F into the output Bus, S
1 1	$S \leftarrow 0$	Transfer 0's into the output Bus, S

To add more operations in the shifter 8X1 MUX are needed with a third selection variable H_2 . If CLC L or CRC R is used, I_L and I_R must be connected to Carry (C) respectively.

CLC L – Circulate Left with Carry

CRC R – Circulate Right with Carry

Design a 3-bit shifter for the shifting operations listed in the following Table:

Binary Code	Function of selection variables					
	B	A	F with $C_{in} = 0$	F with $C_{in} = 1$	D	H
0 0 0	Input Data	Input Data	A	A+1	None	Circulate-Left with Carry
0 0 1	R1	R1	A+B	A+B+1	R1	Circulate-Right with Carry
0 1 0	R2	R2	A+B'	A+B'+1	R2	No shift
0 1 1	R3	R3	A-1	A	R3	0's to the output Bus
1 0 0	R4	R4	A OR B	A OR B	R4	-
1 0 1	R5	R5	A XOR B	A XOR B	R5	Shift Left with $I_L=0$
1 1 0	R6	R6	A AND B	A AND B	R6	Shift Right with $I_R=0$
1 1 1	R7	R7	A'	A'	R7	1's to the output Bus

SHIFTER DESIGN

Left and right serial inputs may or may not be 0 always. The serial inputs may be given as per requirements.

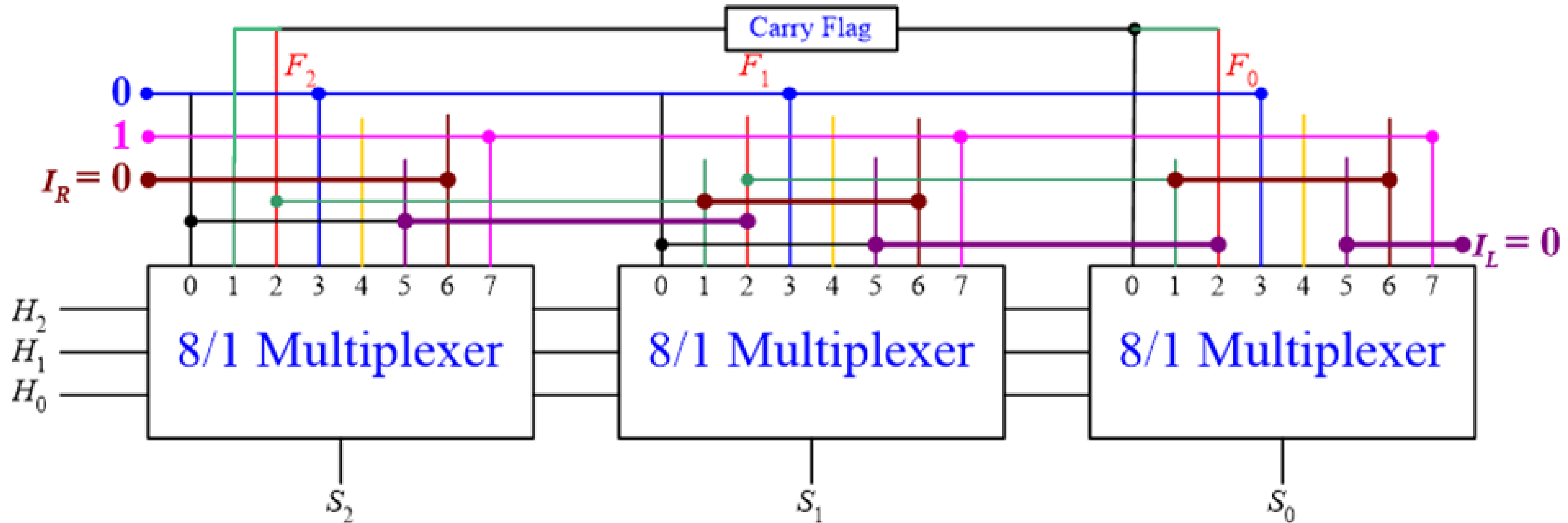


Fig. 3-bit shifter circuit for 7 different operations using three 8:1 multiplexers

Design of a Processor Unit

The **selection variables in a processor unit control the micro-operations** executed within the processor during any given clock pulse. The selection variables control the buses, the ALU, the shifter, and the destination register. We will now demonstrate how the control variables select the micro-operations in a processor unit. The examples define a processor unit together with all selection variables. We will also discuss the choice of control variables for some typical micro-operations.

The block of a processor unit is shown in Fig. 9.10 (a). It consists of seven registers (**R1 to R7**) and **a status register**. The outputs of the seven registers go through two multiplexers to select the inputs to the ALU.

Input data from an external source also selected by the same multiplexers.

The output of the ALU goes through a shifter and then to a set of external output terminals. The output from the shifter can be transferred to any one of the registers or to an external destination.

Design of a Processor Unit

There are 16 selection variables in the unit, and their function is specified by a control word in Fig. 9.16 (b). **The 16-bit control word**, when applied to the selection variables in the processor, **specifies a given micro-operation**.

The control word is partitioned into six fields, with each field designated by a letter name. **All fields, except C_{in} , have a code of three bits.**

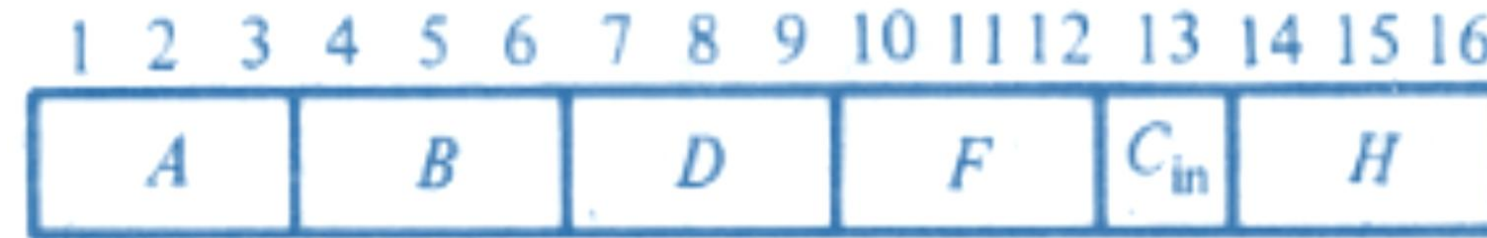


Fig. 9.16 (b) Control Word Format

The three bits of A field select a source register for the input to left side of the ALU.
 The three bits of B field select a source register for the input to right side of the ALU.
 The three bits of D field select a destination register for the output.
 The three bits of F field together with the bit in C_{in} select a function for the ALU.
 The three bits of H field select a type of shift operation for the shifter unit.

Design of a Processor Unit

The functions of all selection variables are specified in Table 9.8. The 3-bit binary code listed in the table specifies the code for each of the five fields A , B , D , F , and H . The register selected by A , B and D is one whose decimal number is equivalent to the binary number in the code.

When A or B field is 000, the corresponding multiplexer selects the input data.

When $D = 000$, no destination register is selected.

The three bits of F field together with the input carry bit C_{in} select one of the 12 functions to be performed by the ALU as specified in Table 9.4.

Note that, there are two possibilities of transfer operation (i.e., $F = A$), in one case the carry bit is cleared and in the other case, the carry bit is set to high.

Processor Unit with Control Variable

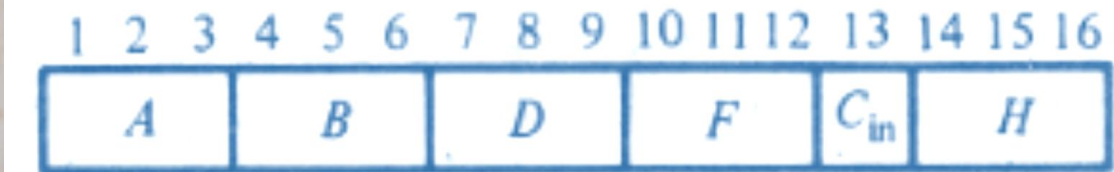
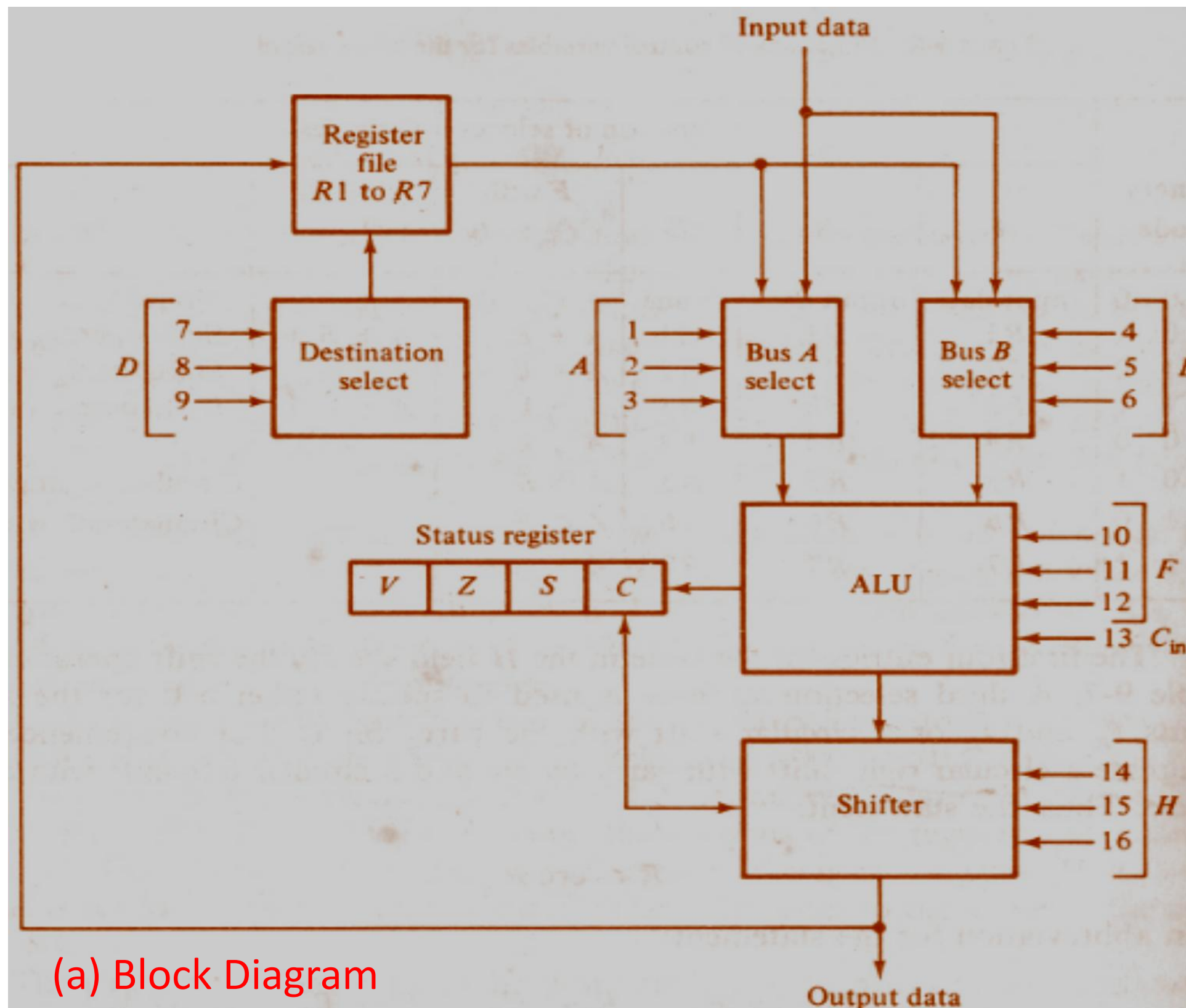
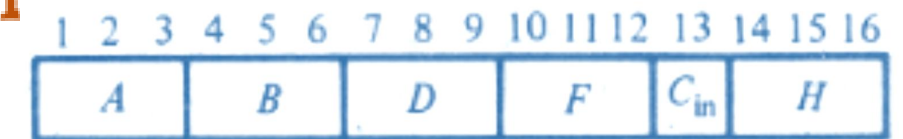


Fig. 9-16 Processor Unit with Control Variables

TABLE 9-8 Functions of control variables for the processor of Fig. 9-16



Function of selection variables

(b) Control word

Binary code	<i>A</i>	<i>B</i>	<i>D</i>	<i>F</i> with $C_{in} = 0$	<i>F</i> with $C_{in} = 1$	<i>H</i>
0 0 0	Input data	Input data	None	$A, C \leftarrow 0$	$A + 1$	No shift
0 0 1	<i>R</i> 1	<i>R</i> 1	<i>R</i> 1	$A + B$	$A + B + 1$	Shift-right, $I_R = 0$
0 1 0	<i>R</i> 2	<i>R</i> 2	<i>R</i> 2	$A - B - 1$	$A - B$	Shift-left, $I_L = 0$
0 1 1	<i>R</i> 3	<i>R</i> 3	<i>R</i> 3	$A - 1$	$A, C \leftarrow 1$	0's to output bus
1 0 0	<i>R</i> 4	<i>R</i> 4	<i>R</i> 4	$A \vee B$	—	—
1 0 1	<i>R</i> 5	<i>R</i> 5	<i>R</i> 5	$A \oplus B$	—	Circulate-right with <i>C</i>
1 1 0	<i>R</i> 6	<i>R</i> 6	<i>R</i> 6	$A \wedge B$	—	Circulate-left with <i>C</i>
1 1 1	<i>R</i> 7	<i>R</i> 7	<i>R</i> 7	\bar{A}	—	—

TABLE 9-4 Function table for the ALU of Fig. 9-13

1

2

3

4

5

6

7

8

9

10

11

12

13

14

15

16

A

B

D

F

C_{in}

H

Selection

s₂

s₁

s₀

C_{in}

Output

Function

0

0

0

0

F = A

Transfer A

0

0

0

1

F = A + 1

Increment A

0

0

1

0

F = A + B

Addition

0

0

1

1

F = A + B + 1

Add with carry

0

1

0

0

F = A - B - 1

Subtract with borrow

0

1

0

1

F = A - B

Subtraction

0

1

1

0

F = A - 1

Decrement A

0

1

1

1

F = A

Transfer A

1

0

0

X

F = A ∨ B

OR

1

0

1

X

F = A ⊕ B

XOR

1

1

0

X

F = A ∧ B

AND

1

1

1

X

F = A̅

Complement A

(b) Control word

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
A					B			D		F		C_{in}		H	

(b) Control word

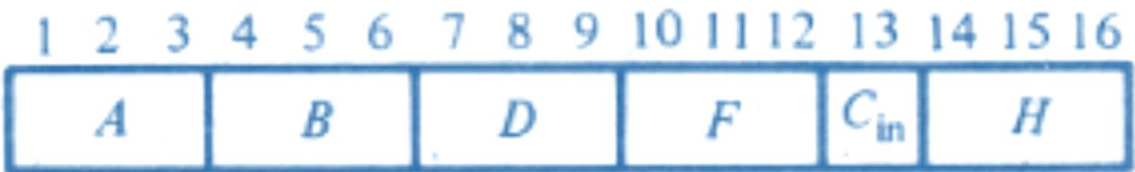
Logic Diagram of an Arithmetic Circuit

Table 9-2 Effect of the output carry in the arithmetic circuit of Fig. 9-8

Function select			Arithmetic function	$C_{out} = 1$ if	Comments
s_1	s_0	C_{in}			
0	0	0	$F = A$		C_{out} is always 0
0	0	1	$F = A + 1$	$A = 2^n - 1$	$C_{out} = 1$ and $F = 0$ if $A = 2^n - 1$
0	1	0	$F = A + B$	$(A + B) > 2^n$	Overflow occurs if $C_{out} = 1$
0	1	1	$F = A + B + 1$	$(A + B) > (2^n - 1)$	Overflow occurs if $C_{out} = 1$
1	0	0	$F = A - B - 1$	$A > B$	If $C_{out} = 0$, then $A < B$ and $F = 1$'s complement of $(B - A)$
1	0	1	$F = A - B$	$A \geq B$	If $C_{out} = 0$, then $A < B$ and $F = 2$'s complement of $(B - A)$
1	1	0	$F = A - 1$	$A \neq 0$	$C_{out} = 1$, except when $A = 0$
1	1	1	$F = A$		C_{out} is always 1

TABLE 9-9 Examples of microoperations for processor

Microoperation	Control word						Function
	<i>A</i>	<i>B</i>	<i>D</i>	<i>F</i>	<i>C_{in}</i>	<i>H</i>	
$R1 \leftarrow R1 - R2$	001	010	001	010	1	000	Subtract <i>R2</i> from <i>R1</i>
$R3 \leftarrow R3 - R4$	011	100	000	010	1	000	Compare <i>R3</i> and <i>R4</i>
$R5 \leftarrow R4$	100	000	101	000	0	000	Transfer <i>R4</i> to <i>R5</i>
$R6 \leftarrow \text{Input}$	000	000	110	000	0	000	Input data to <i>R6</i>
$\text{Output} \leftarrow R7$	111	000	000	000	0	000	Output data from <i>R7</i>
$R1 \leftarrow R1, C \leftarrow 0$	001	000	001	000	0	000	Clear carry bit <i>C</i>
$R3 \leftarrow \text{shl } R3$	011	011	011	100	0	010	Shift-left <i>R3</i> with $I_L = 0$
$R1 \leftarrow \text{crc } R1$	001	001	001	100	0	101	Circulate-right <i>R1</i> with carry
$R2 \leftarrow 0$	000	000	010	000	0	011	Clear <i>R2</i>



(b) Control word

If we want to place the contents of a register into the Shifter without changing the carry bit, we can use OR Logic operations with same register selected for bot ALU input A and B.

Examples of Micro-operations

Write a 16-bit control word for a micro-operation of adding two numbers stored in the registers R1 and R2 with carry and then storing the results in the R5 register after shifting it to the right with no external data.

Answer:

Microoperation:

$R5 \leftarrow R1 + R2 + C_{in}$

Control Word Format:

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 code

001 010 101 001 1 101

In Binary form:

001 010 101 001 1 101b

In Hexadecimal form:

2A9Dh;

TABLE 9-8 Functions of control variables for the processor of Fig. 9-16

Binary	Function of selection variables					
	A	B	D	F with $C_{in} = 0$	F with $C_{in} = 1$	H
0 0	Input data	Input data	None	$A, C \leftarrow 0$	$A + 1$	No shift
0 0 1	R1	R1	R1	$A + B$	$A + B + 1$	Shift-right, $I_R = 0$
0 1 0	R2	R2	R2	$A - B - 1$	$A - B$	Shift-left, $I_L = 0$
0 1 1	R3	R3	R3	$A - 1$	$A, C \leftarrow 1$	0's to output bus
1 0 0	R4	R4	R4	$A \vee B$	—	—
1 0 1	R5	R5	R5	$A \oplus B$	—	Circulate-right with C
1 1 0	R6	R6	R6	$A \wedge B$	—	Circulate-left with C
1 1 1	R7	R7	R7	\bar{A}	—	—

Design a processor unit for the operations listed in the following Table:

Binary Code	Functions of selection variables					
	B	A	F with C _{in} = 0	F with C _{in} = 1	D	H
0 0 0	Input Data	Input Data	A	A+1	None	Circulate-Left with Carry
0 0 1	R1	R1	A+B	A+B+1	R1	Circulate-Right with Carry
0 1 0	R2	R2	A+B'	A+B'+1	R2	No shift
0 1 1	R3	R3	A-1	A	R3	0's to the output Bus
1 0 0	R4	R4	A OR B	A OR B	R4	-
1 0 1	R5	R5	A XOR B	A XOR B	R5	Shift Left with I _L =0
1 1 0	R6	R6	A AND B	A AND B	R6	Shift Right with I _R =0
1 1 1	R7	R7	A'	A'	R7	1's to the output Bus

Next...

- Flowchart and State Diagram
- Microprogrammed Control Unit Design for addition/subtraction of signed numbers.

Thanks for Attending....

