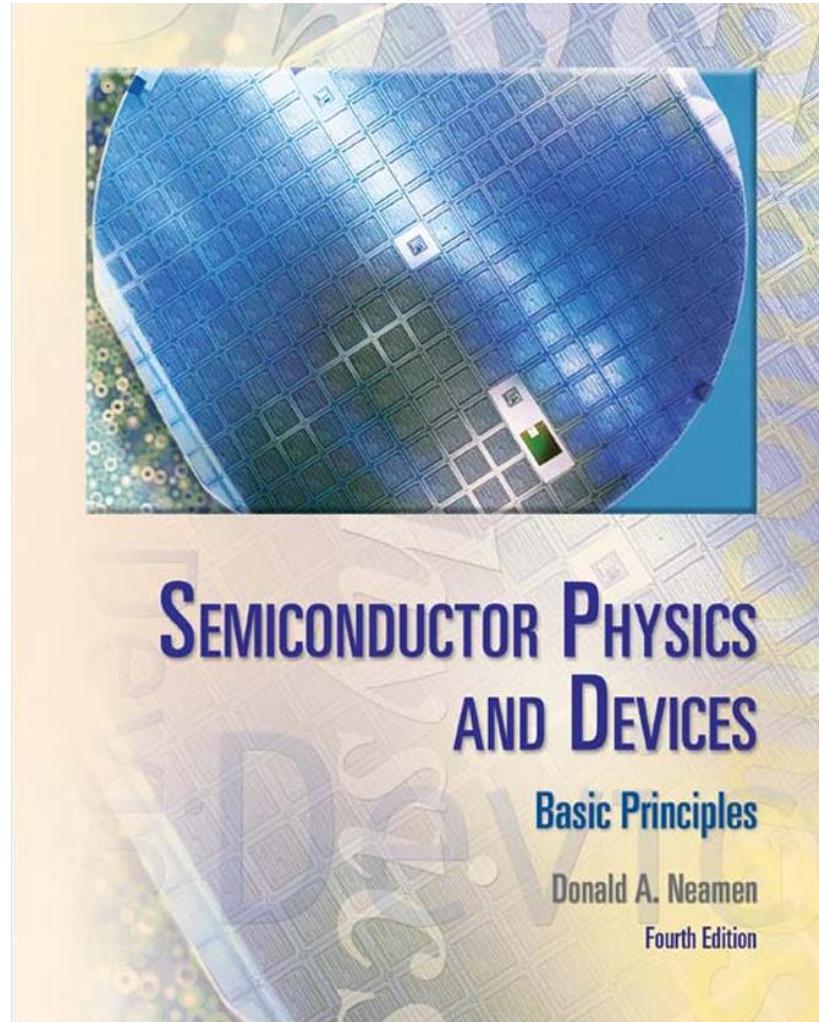


Conference

- Modern Semiconductor Devices for Integrated Circuits, by Chenming Calvin Hu
- Semiconductor Physics and Devices Basic Principles, by Donald A. Neamen



第一章

1.1 Semiconductor Materials

1.2 Types of Solids

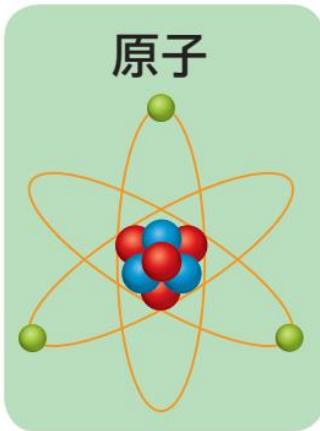
1.3 Space Lattices

1.4 The Diamond Structure

1.5 Atomic Bonding

1.6 Imperfections & Impurities In Solids

原子結構



原子核

- 直徑約 $10^{-14} \sim 10^{-15}$ m

核外：電子

- 帶 1.602×10^{-19} 庫侖的**負電**
- 質量約 9.11×10^{-31} kg

中子

- 不帶電
- 質量為 1.675×10^{-27} kg
約和質子相同
- 決定同位素之存在

質子

- 帶 1.602×10^{-19} 庫侖的**正電**
- 平均質量約 1.673×10^{-27} kg，
約電子的 1836 倍
- 決定元素之種類與在週期表
的位置

氫原子模型

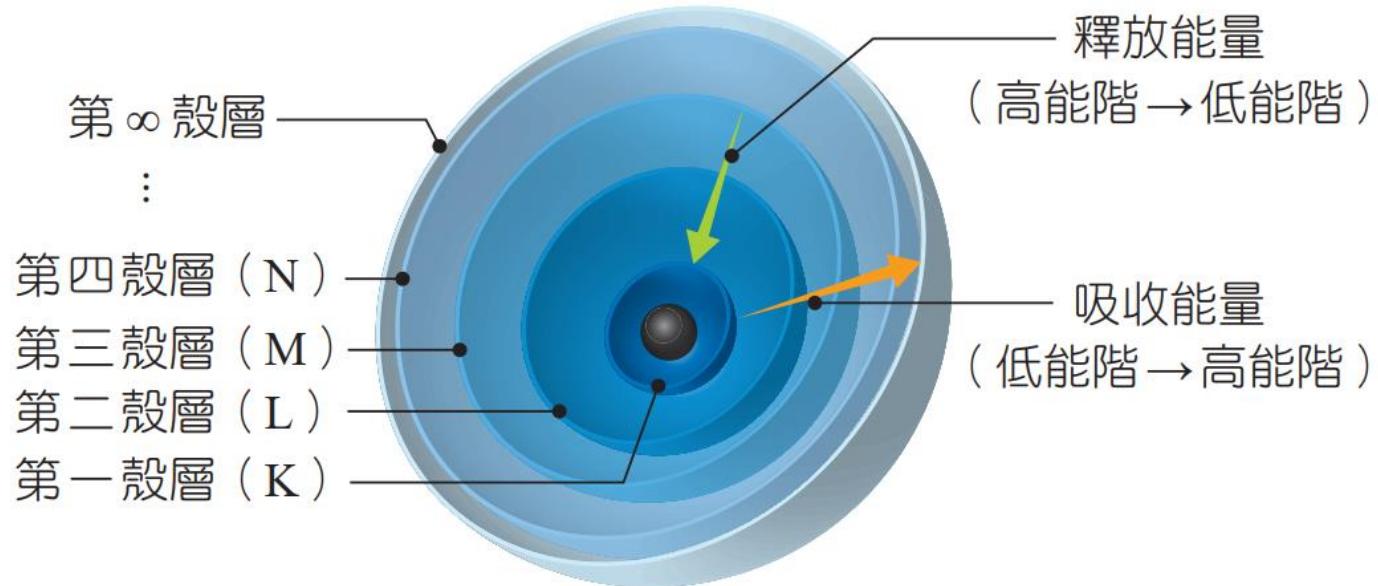


圖 1-32 原子中同心球切面，電子在不同能階間的躍遷示意圖

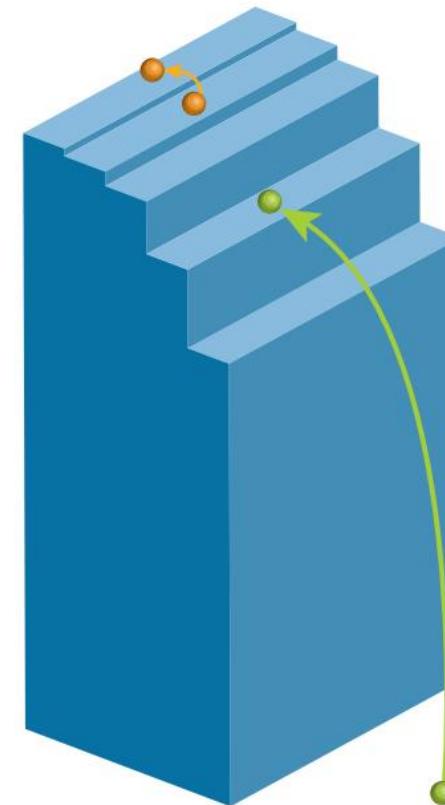
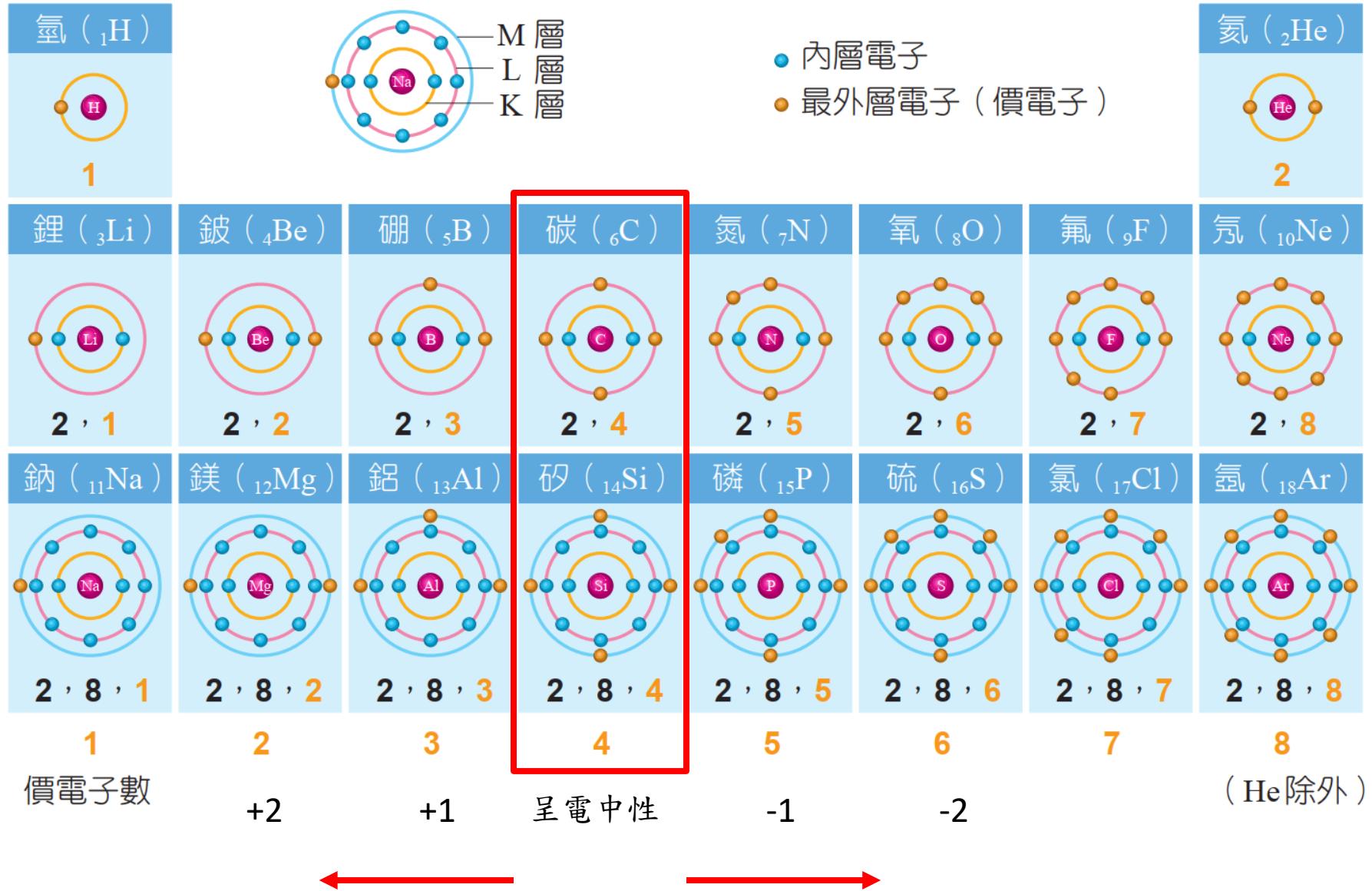


圖 1-31 電子能階示意圖

電子排列示意圖



電子排列示意圖



半導體材料

半導體，也就是導電性質介於金屬與絕緣體中間

- 元素半導體 elemental semiconductor，如 Si, Ge
- 化合物半導體 compound semiconductor，如 35族 (GaAs, InP...)、新興材料等

Table 1.1 | A portion of the periodic table

III	IV	V
5 B Boron	6 C Carbon	
13 Al Aluminum	14 Si Silicon	15 P Phosphorus
31 Ga Gallium	32 Ge Germanium	33 As Arsenic
49 In Indium		51 Sb Antimony

Table 1.2 | A list of some semiconductor materials

Elemental semiconductors	
Si	Silicon
Ge	Germanium
Compound semiconductors	
AlP	Aluminum phosphide
AlAs	Aluminum arsenide
GaP	Gallium phosphide
GaAs	Gallium arsenide
InP	Indium phosphide

週期表

IA		Transition Metals																		VIIIA					
1 1.008 H Hydrogen																				2 4.0026 He Helium					
3 6.939 Li Lithium	4 9.012 Be Beryllium																			5 10.811 B Boron	6 12.011 C Carbon	7 14.007 N Nitrogen	8 15.999 O Oxygen	9 18.998 F Florine	10 20.183 Ne Neon
11 22.989 Na Sodium	12 24.312 Mg Magnesium	13 26.981 Al Aluminum	14 28.086 Si Silicon	15 30.974 P Phosphorus	16 32.064 S Sulfur	17 35.453 Cl Chlorine	18 39.948 Ar Argon																		
19 39.102 K Potassium	20 40.08 Ca Calcium	21 44.956 Sc Scandium	22 47.90 Ti Titanium	23 50.942 V Vanadium	24 51.996 Cr Chromium	25 54.938 Mn Manganese	26 55.847 Fe Iron	27 58.933 Co Cobalt	28 58.71 Ni Nickel	29 63.54 Cu Copper	30 65.37 Zn Zinc	31 69.72 Ga Gallium	32 72.59 Ge Germanium	33 74.922 As Arsenic	34 78.96 Se Selenium	35 79.909 Br Bromine	36 83.80 Kr Krypton								
37 85.47 Rb Rubidium	38 87.62 Sr Strontium	39 88.905 Y Yttrium	40 91.22 Zr Zirconium	41 92.906 Nb Niobium	42 95.94 Mo Molybdenum	43 99 Tc Technetium	44 101.07 Ru Ruthenium	45 102.91 Rh Rhodium	46 106.4 Pd Palladium	47 107.87 Ag Silver	48 112.40 Cd Cadmium	49 114.82 In Indium	50 118.69 Sn Tin	51 121.75 Sb Antimony	52 127.60 Te Tellurium	53 126.904 I Iodine	54 131.30 Xe Xenon								
55 132.90 Cs Cesium	56 137.34 Ba Barium	57 138.91 La Lanthanum	58 178.49 Hf Hafnium	59 180.95 Ta Tantalum	60 183.85 W Tungsten	61 186.2 Re Rhenium	62 190.2 Os Osmium	63 192.2 Ir Iridium	64 195.09 Pt Platinum	65 196.967 Au Gold	66 200.59 Hg Mercury	67 196.967 Tl Thallium	68 204.37 Pb Lead	69 207.19 Bi Bismuth	70 208.98 Po Polonium	71 210 At Astatine	72 210 Rn Radon								
87 223 Fr Francium	88 226 Ra Radium	89 227 Ac Actinium	104 Rf Rutherfordium	105 Ha Hahnium	106 Sg Seaborgium	107 Uns Unstable	108 Uno Unknown	109 Une Unknown	110 Uun Unknown																



Nonmetals

Metalloids
(semimetals)

Lanthanides		58 140.12 Ce Cerium	59 140.91 Pr Praseodymium	60 144.24 Nd Neodymium	61 147 Pm Promethium	62 150.35 Sm Samarium	63 151.96 Eu Europium	64 157.25 Gd Gadolinium	65 158.92 Tb Terbium	66 162.50 Dy Dysprosium	67 164.93 Ho Holmium	68 167.26 Er Erbium	69 168.93 Tm Thulium	70 173.04 Yb Ytterbium	71 174.97 Lu Lutetium
		90 232.04 Th Thorium	91 231 Pa Protactinium	92 238.03 U Uranium	93 237 Np Neptunium	94 242 Pu Plutonium	95 243 Am Americium	96 247 Cm Curium	97 247 Bk Berkelium	98 249 Cf Californium	99 254 Es Einsteinium	100 253 Fm Fermium	101 256 Md Mendelevium	102 253 No Nobelium	103 257 Lr Lawrencium
Actinides															

固態物質種類

非晶 Amorphous

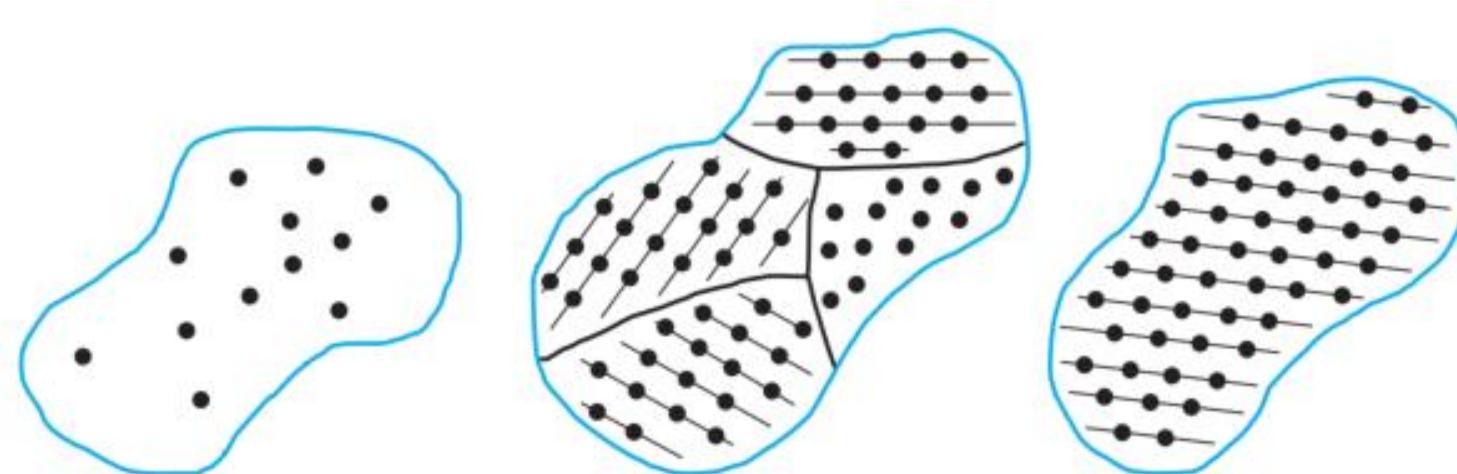
有序程度非常低 (degree of order) , 原子排列雜亂無章 ($< 10 \text{ nm}$)

多晶 Poly-crystalline

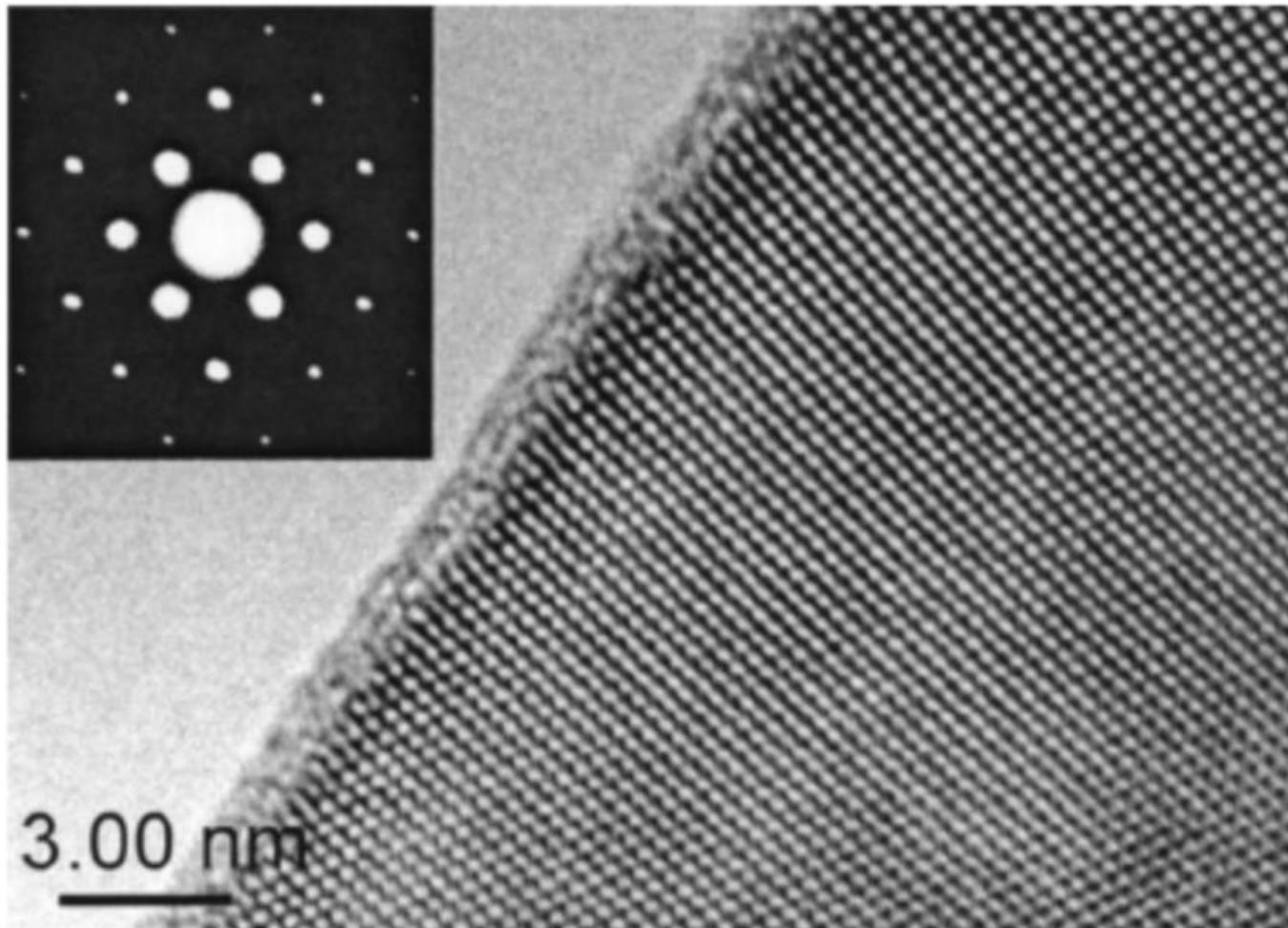
有序程度中等 ($100 \text{ nm} - 10 \mu\text{m}$) , 每個有序排列的區域稱為晶粒 (grains) ,
每個晶粒之間的大小與排列方向不盡相同。

單晶 Single-crystalline

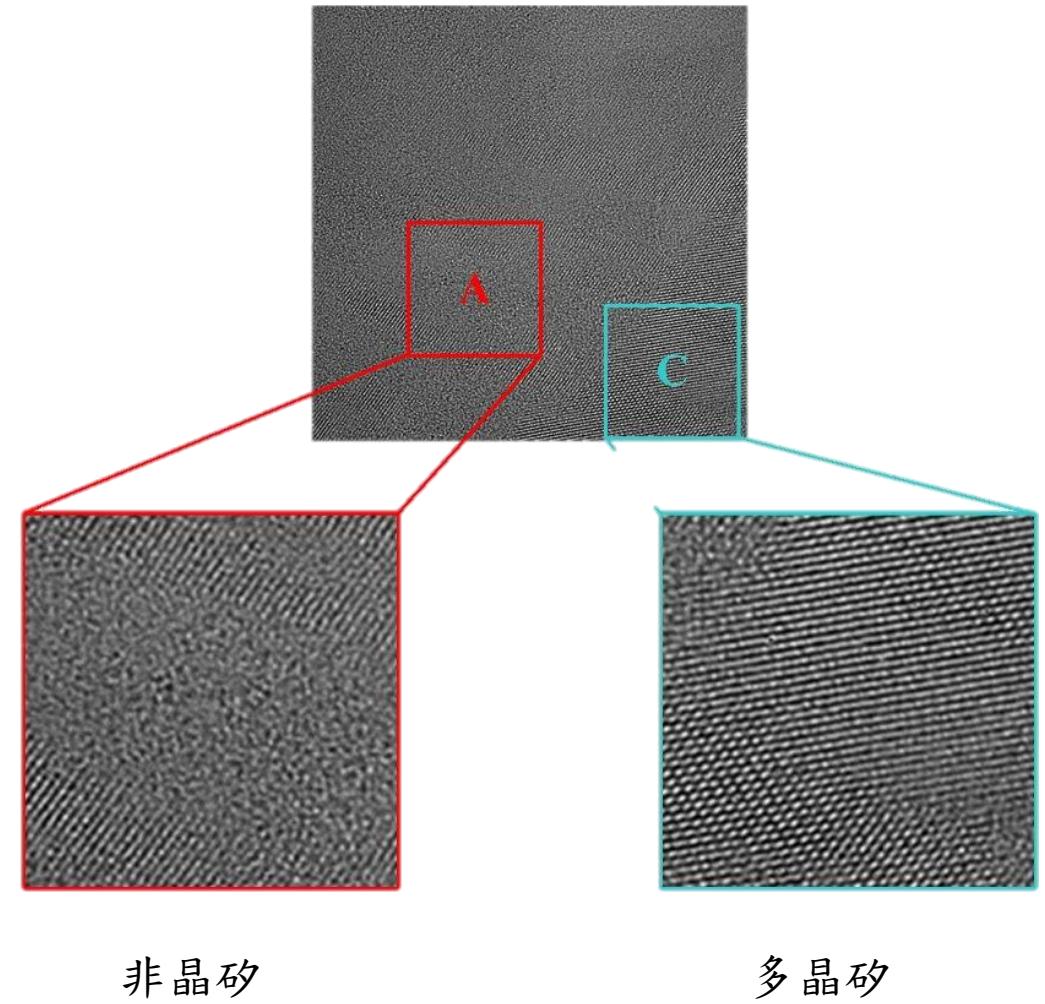
材料內原子的排序程度非常高，方向一致，幾乎呈現完美狀態



矽



單晶矽



非晶矽

多晶矽

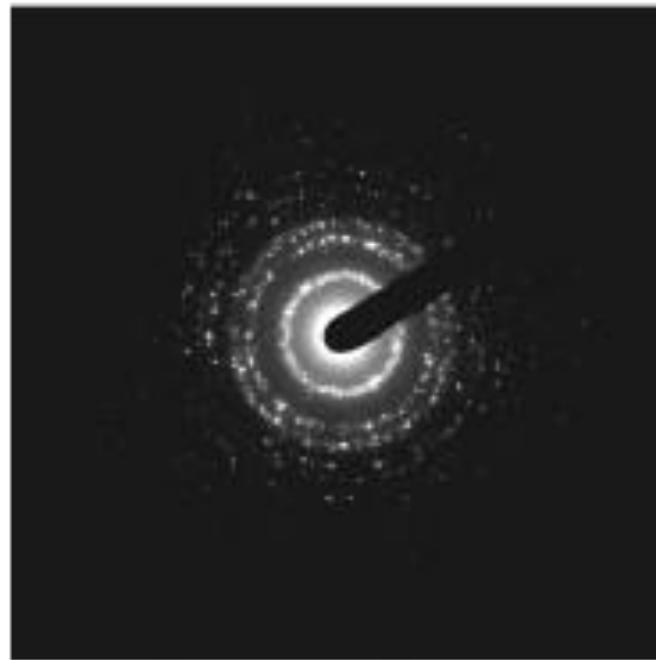


Fig. 4. Example of diffraction patterns: Crystalline Si (left), polycrystalline Si (centre), and quartz glass (right)

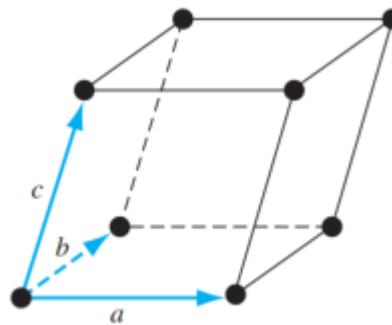
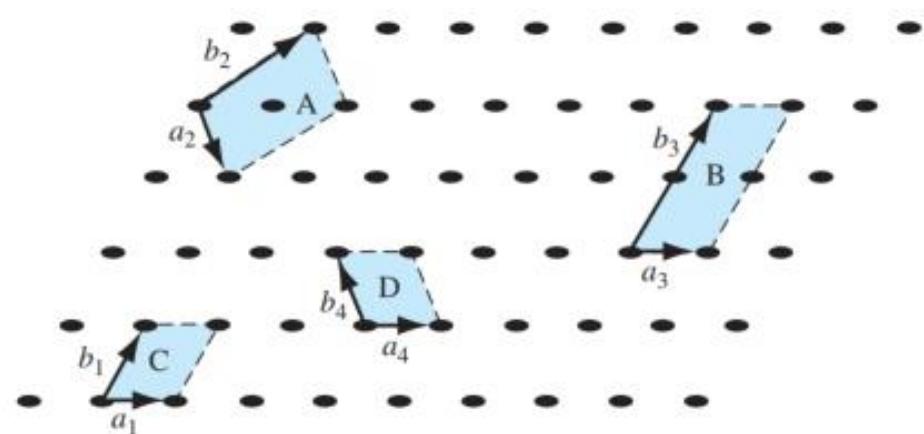
Space Lattices

晶格 (Lattice)：一個區域或空間中，具有規則幾何排列的點或物體

單位晶胞 (Unit cell)：具對稱性的原子排列，可在空間上重複構建整個晶格

晶格常數 (Lattice constant)：單位晶胞的物理尺寸，通常以向量描述

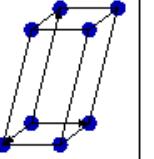
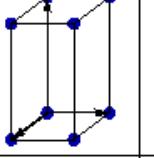
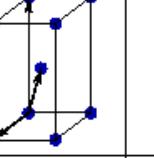
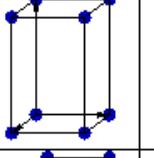
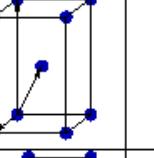
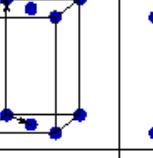
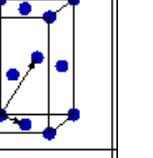
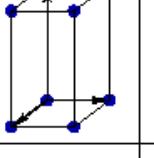
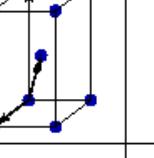
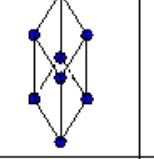
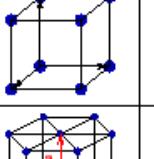
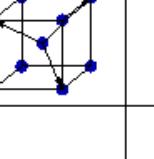
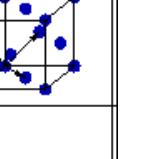
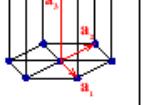
原胞 (Primitive cell)：無法再被切割的單位晶格



$$\vec{r} = p\vec{a} + q\vec{b} + s\vec{c}$$

Primitive vector
 p, q, s : integer

Crystal System

Bravais lattice	Parameters	Simple (P)	Volume centered (I)	Base centered (C)	Face centered (F)
Triclinic	$a_1 \neq a_2 \neq a_3$ $\alpha_{12} \neq \alpha_{23} \neq \alpha_{31}$				
Monoclinic	$a_1 \neq a_2 \neq a_3$ $\alpha_{23} = \alpha_{31} = 90^\circ$ $\alpha_{12} \neq 90^\circ$				
Orthorhombic	$a_1 \neq a_2 \neq a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} = 90^\circ$				
Tetragonal	$a_1 = a_2 \neq a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} = 90^\circ$				
Trigonal	$a_1 = a_2 = a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} < 120^\circ$				
Cubic	$a_1 = a_2 = a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} = 90^\circ$				
Hexagonal	$a_1 = a_2 \neq a_3$ $\alpha_{12} = 120^\circ$ $\alpha_{23} = \alpha_{31} = 90^\circ$				

Cubic crystal system

Simple cubic
(SC)

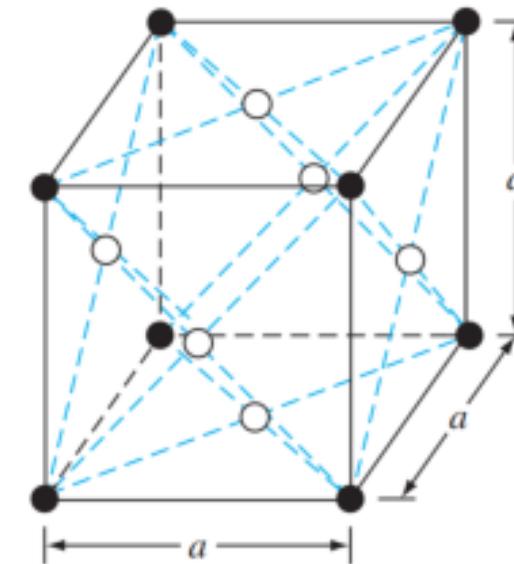
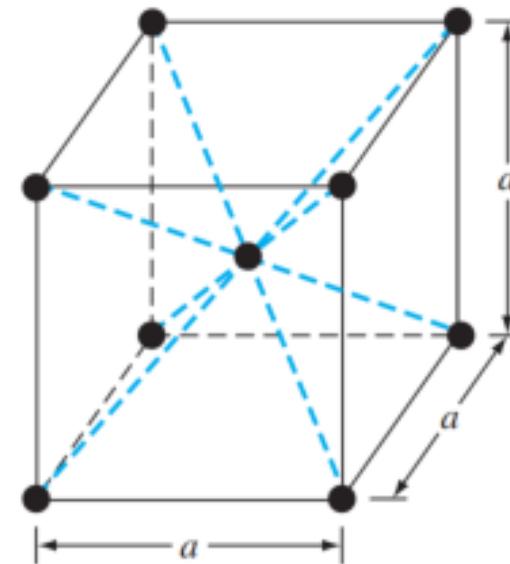
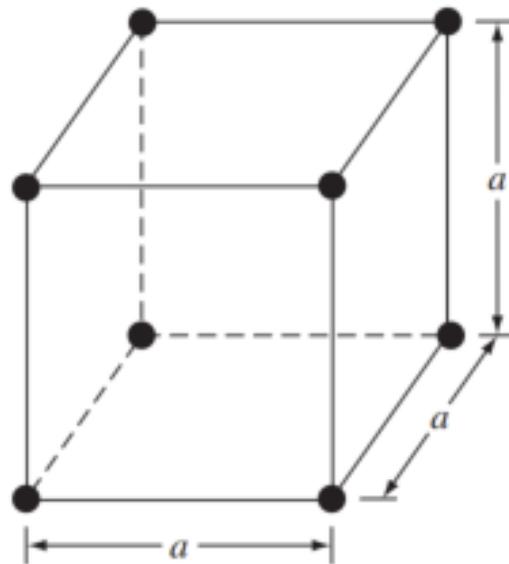
簡單立方

Body-centered cubic
(BCC)

體心立方

Face-centered cubic
(FCC)

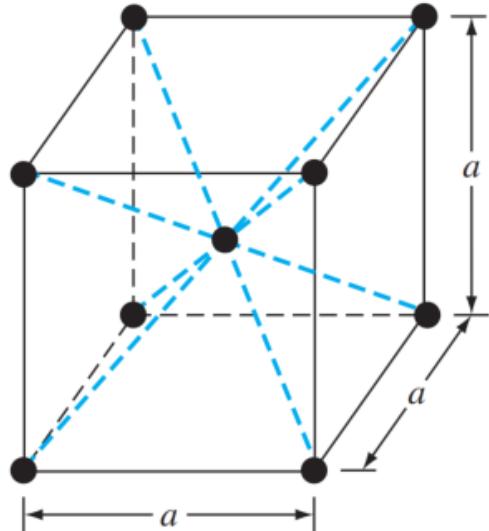
面心立方



Example 1.1 Find the Volume Density

Objective: Find the volume density of atoms in a crystal.

Consider a single-crystal material that is a body-centered cubic, as shown in Figure 1.5b, with a lattice constant $a = 5 \text{ \AA} = 5 \times 10^{-8} \text{ cm}$. A corner atom is shared by eight unit cells that meet at each corner so that each corner atom effectively contributes one-eighth of its volume to each unit cell. The eight corner atoms then contribute an equivalent of one atom to the unit cell. If we add the body-centered atom to the corner atoms, each unit cell contains an equivalent of two atoms.

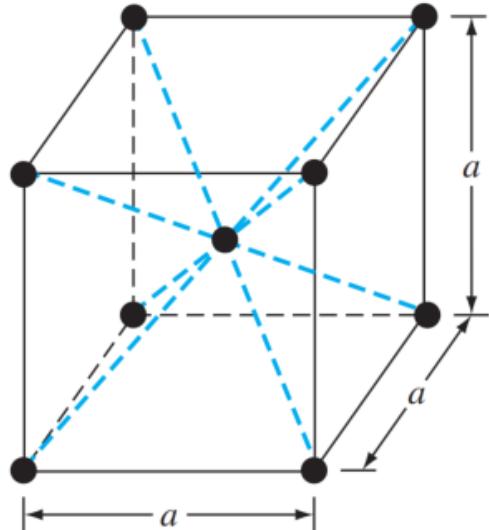


$$\text{Volume Density} = \frac{\# \text{ atoms per unit cell}}{\text{volume of unit cell}}$$

Example 1.1 Find the Volume Density

Objective: Find the volume density of atoms in a crystal.

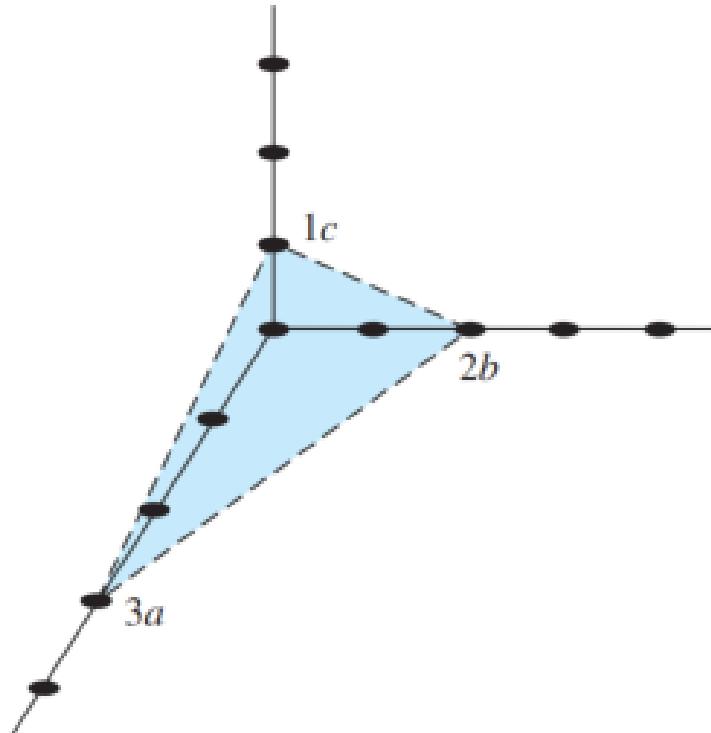
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$$\frac{\left(8 \times \frac{1}{8} + 1\right)}{\left(5 \times 10^{-8}\right)^3} = 1.6 \times 10^{22} \quad \text{Atoms/cm}^3$$

Crystal Planes and Miller Indices

如何描述一個晶面 → Miller indices



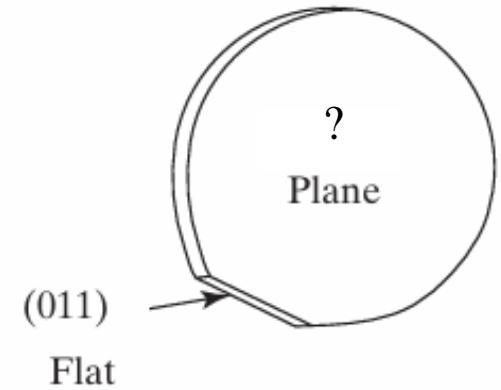
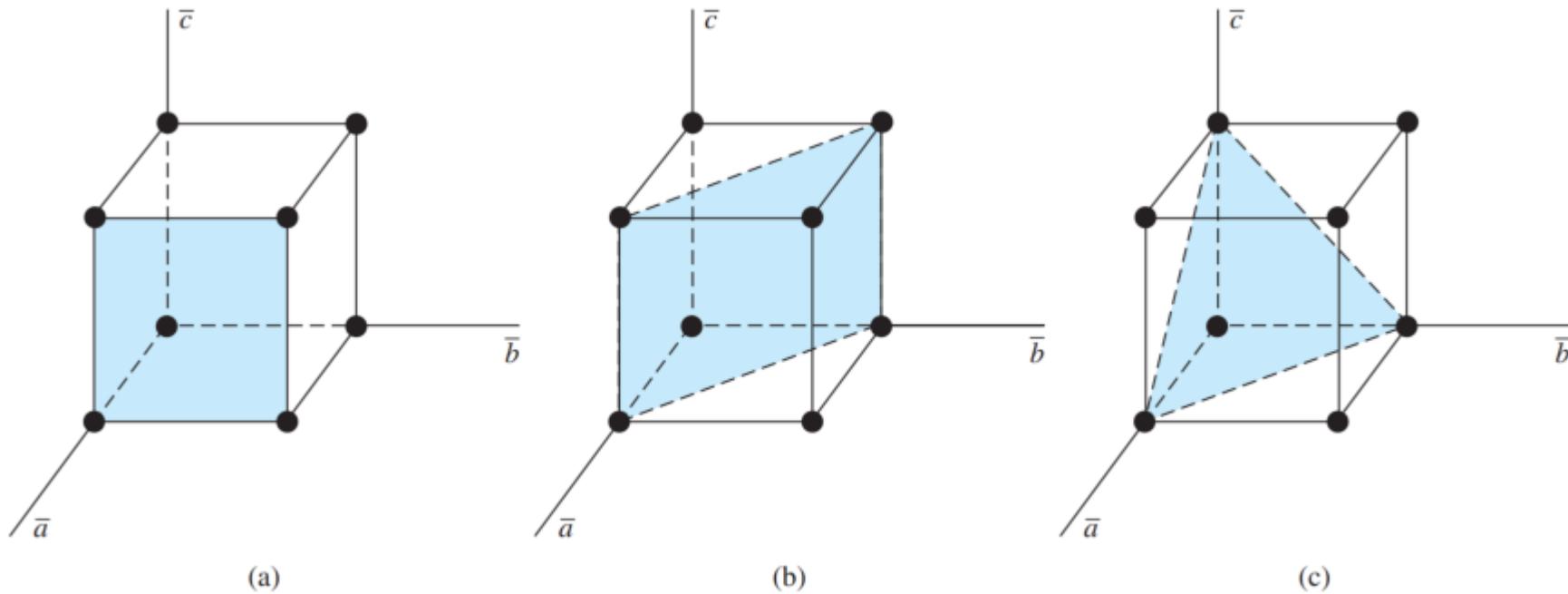
$$\vec{g} = p\vec{a} + q\vec{b} + s\vec{c} = 3\vec{a} + 2\vec{b} + 1\vec{c}$$

$$\left(\frac{1}{p}, \frac{1}{q}, \frac{1}{s} \right) = \left(\frac{1}{3}, \frac{1}{2}, \frac{1}{1} \right) = (2, 3, 6) = (236)$$

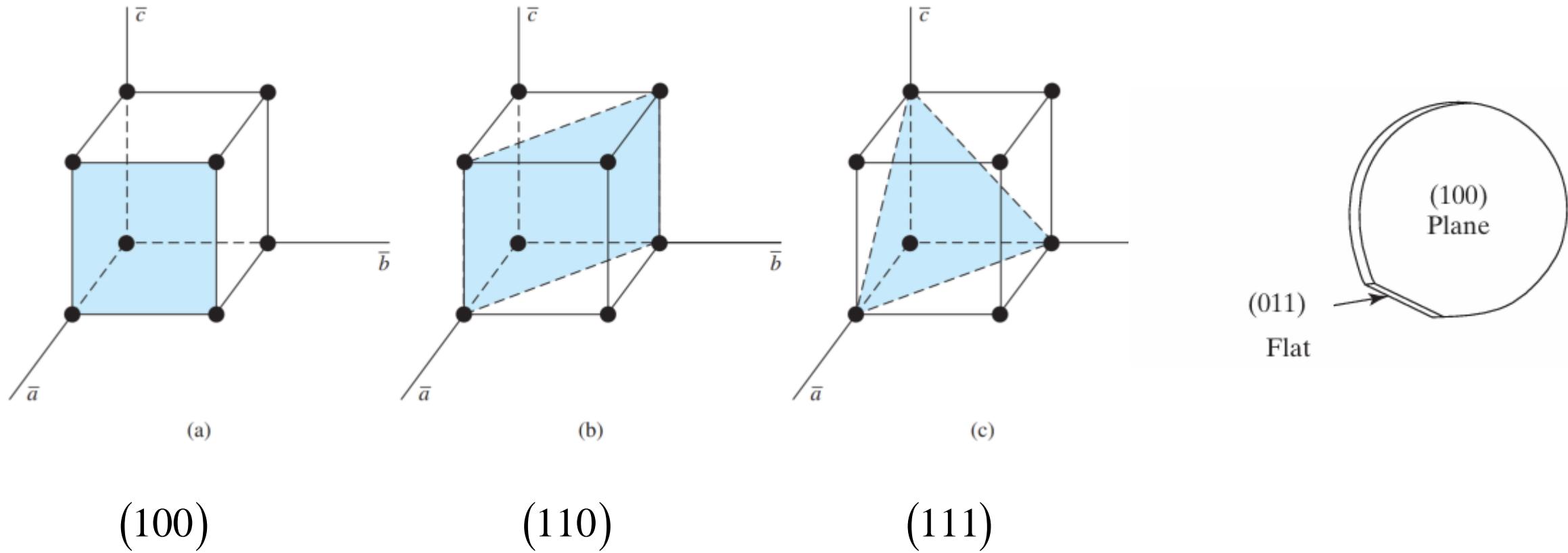


乘上三個分母的最小公倍數 6

Crystal Planes and Miller Indices



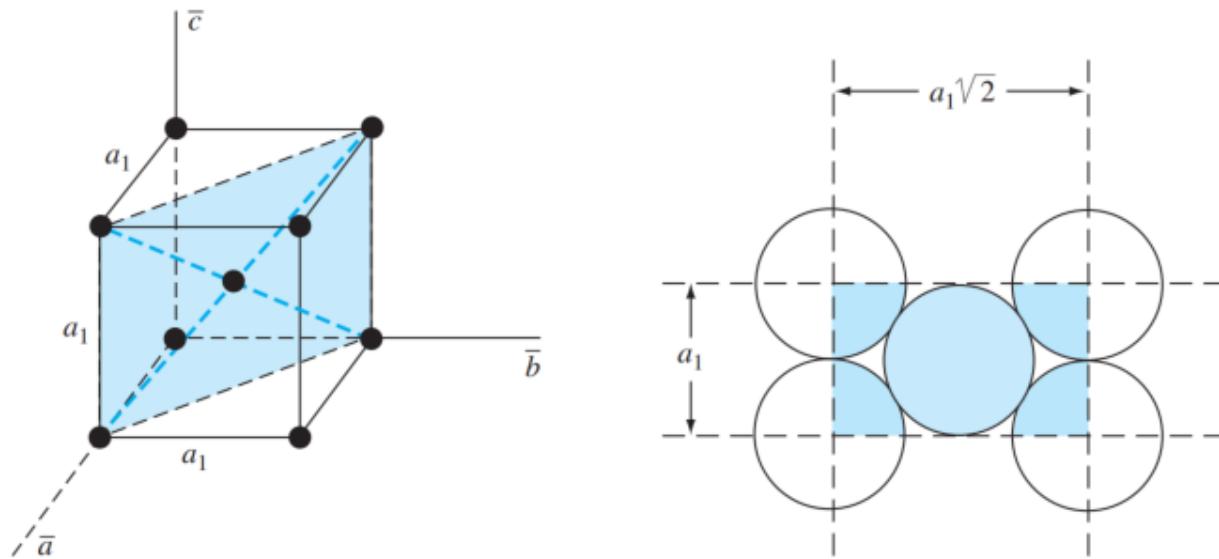
Crystal Planes and Miller Indices



Example 1.3 Calculate the Surface Density

Objective: Calculate the surface density of atoms on a particular plane in a crystal.

Consider the body-centered cubic structure and the (110) plane shown in Figure 1.9a. Assume the atoms can be represented as hard spheres with the closest atoms touching each other. Assume the lattice constant is $a_1 = 5 \text{ \AA}$. Figure 1.9b shows how the atoms are cut by the (110) plane.

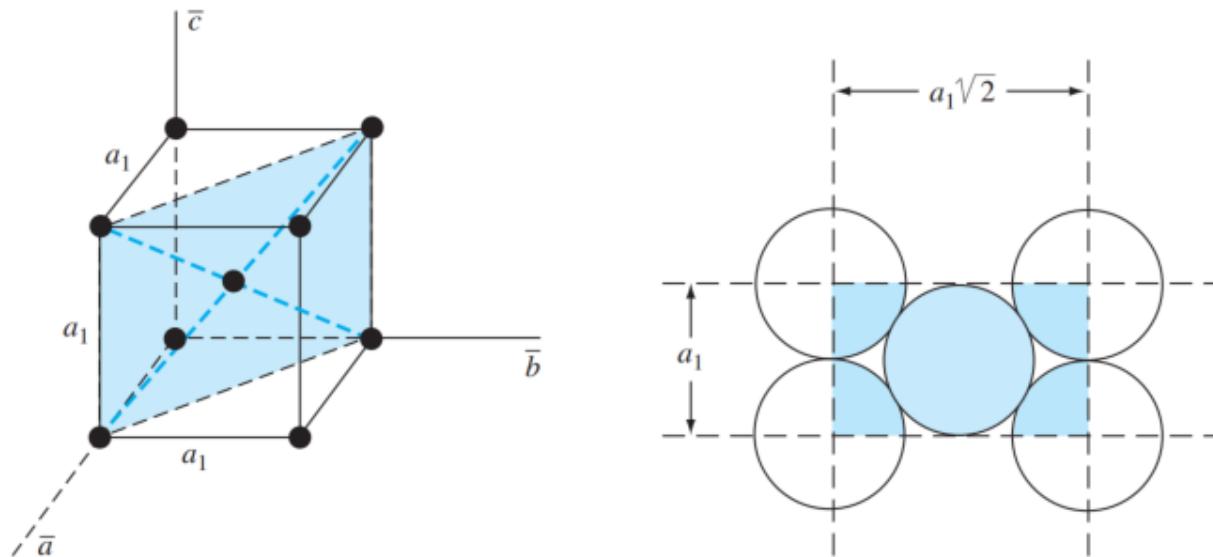


$$\text{Surface Density} = \frac{\# \text{ of atoms per lattice plane}}{\text{area of lattice plane}}$$

Example 1.3 Calculate the Surface Density

Objective: Calculate the surface density of atoms on a particular plane in a crystal.

Consider the body-centered cubic structure and the (110) plane shown in Figure 1.9a. Assume the atoms can be represented as hard spheres with the closest atoms touching each other. Assume the lattice constant is $a_1 = 5 \text{ \AA}$. Figure 1.9b shows how the atoms are cut by the (110) plane.

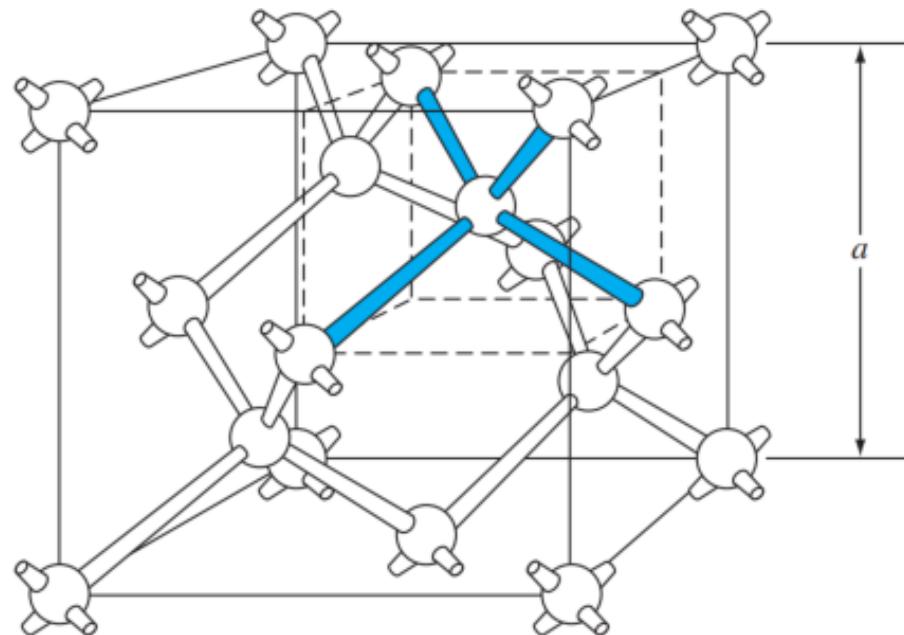


$$\frac{\left(4 \times \frac{1}{4} + 1\right)}{(5 \times 10^{-8})(5 \times 10^{-8} \times \sqrt{2})} = 5.66 \times 10^{14}$$

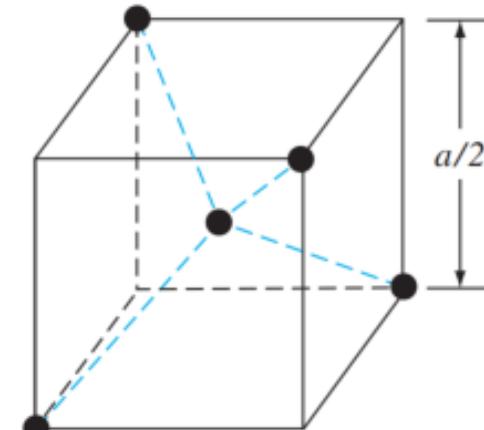
Atoms/cm²

鑽石結構 The Diamond Structure

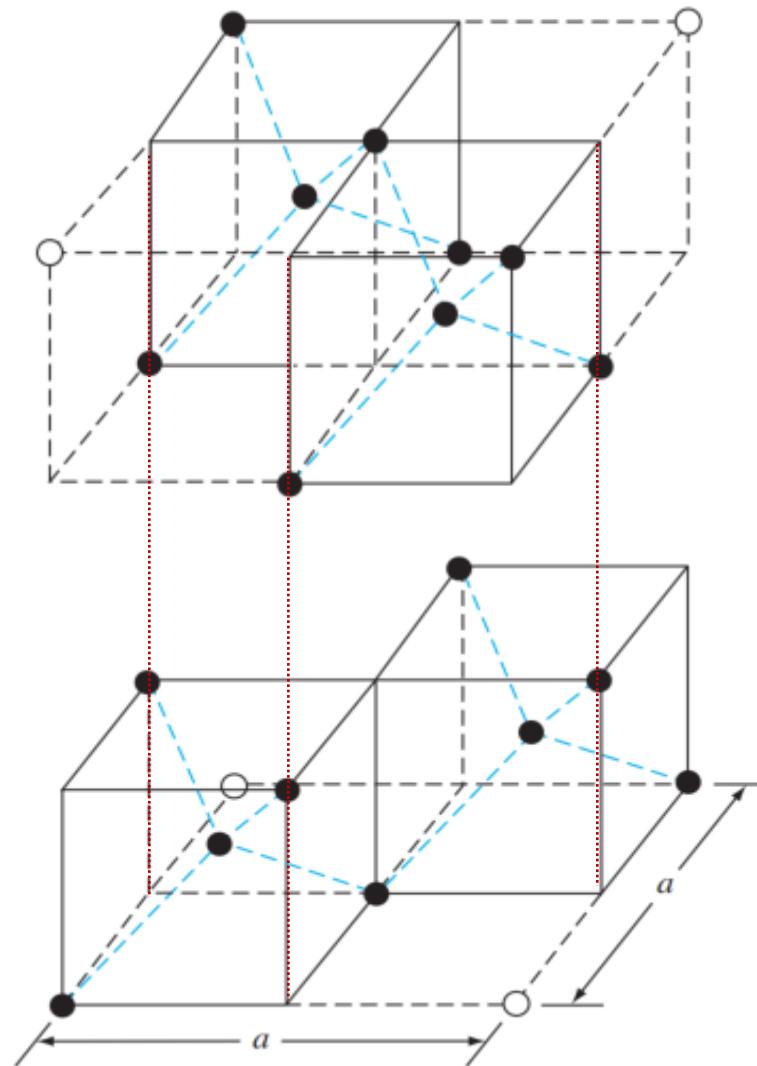
- 四面體 (tetrahedral structure) 是一個體心立方去掉四個角落的原子組成。
- 鑽石結構基本上是由多個四面體 (tetrahedral structure) 組成的。



Tetrahedral structure

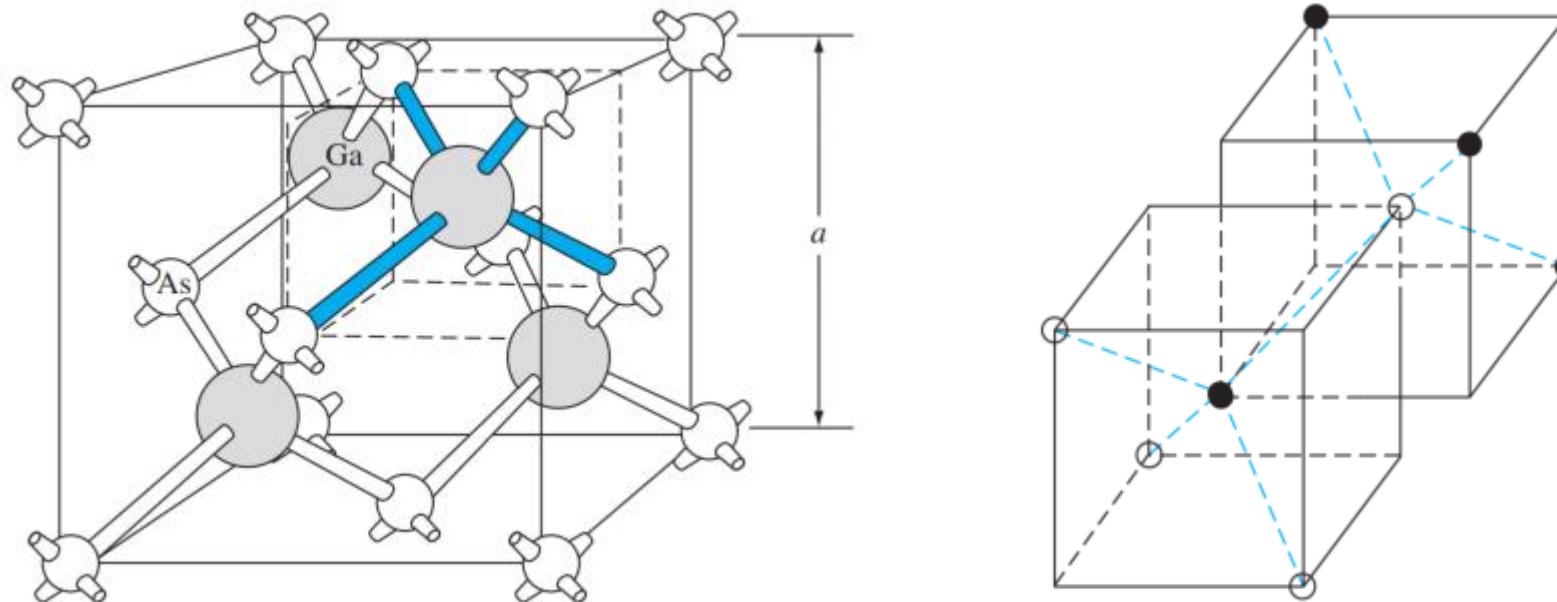


The Diamond Structure

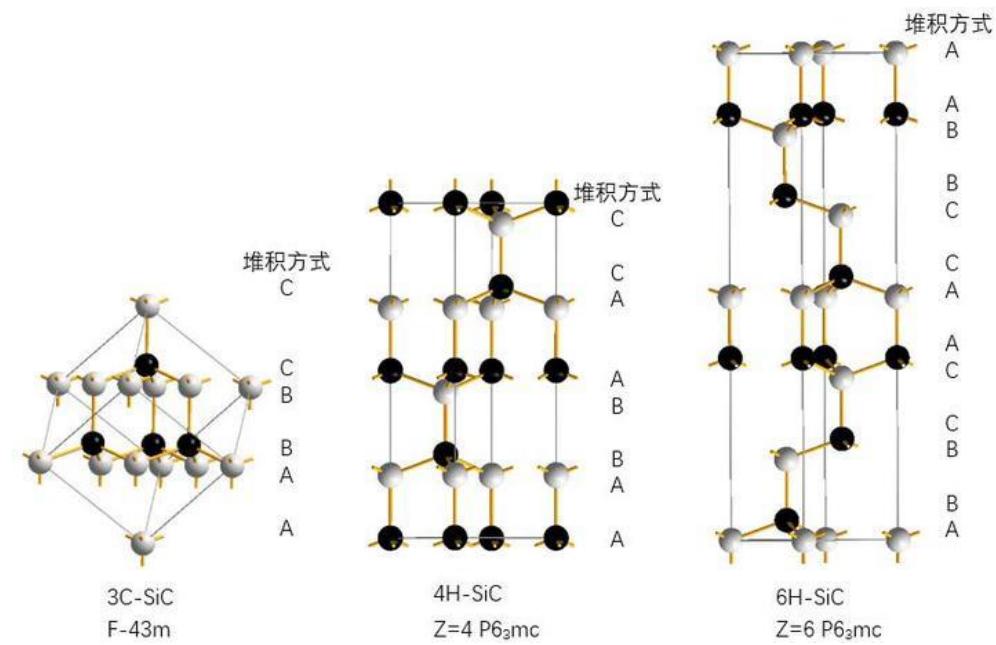
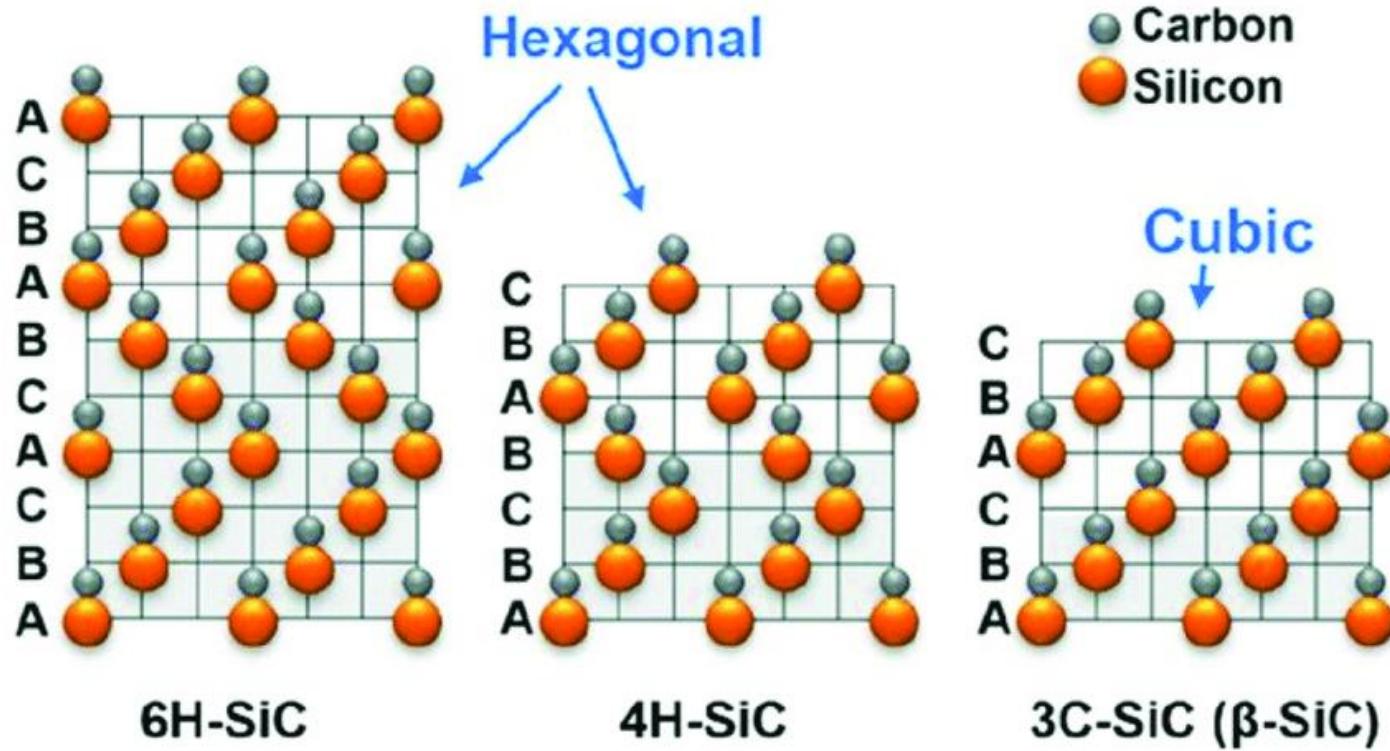


閃鋅結構 Zincblende structure

- 閃鋅礦結構與金剛石結構的不同之處僅在於晶格中有兩種不同類型的原子
- 每個 Ga 原子有四個最近的 As 原子，每個 As 有四個最近的 Ga 原子。



SiC

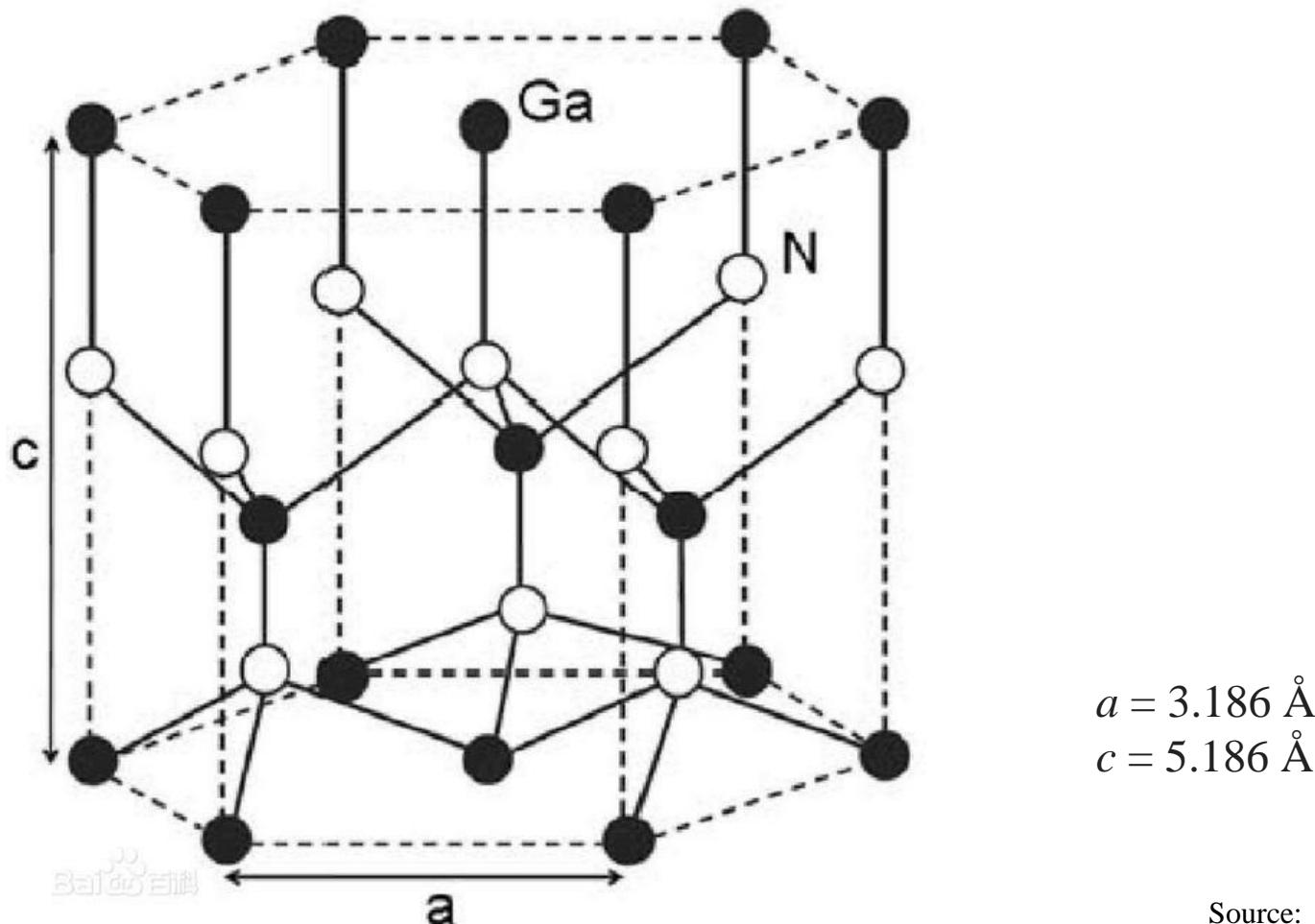


Material Parameters	4H	6H	3C	Si
Energy bandgap at 300 K (eV)	3.26	3.03	2.3	1.12
Lattice constant at 300 K (Å)	3.076	3.081	4.349	3.84
Critical electric field (V/cm)	2.2×10^6	2.5×10^6	2×10^6	2.5×10^5
Saturated electron drift velocity (cm/s)	2×10^7	2×10^7	2.5×10^7	1.0×10^7
Thermal conductivity (W/cm ⁻¹ K ⁻¹)	3.0–3.8	3.0–3.8	3–4	1.5
Intrinsic carrier concentration (cm ⁻³)	10^{-7}	10^{-5}	10	10^{10}
Electron Mobility at N _D = 10 ¹⁶ (cm ² /V-s) (c-axis)	900	60	750	1400

Source: Review of Silicon Carbide Processing for Power MOSFET,
Catherine Langpoklakpam et al, Crystals 2022, 12, 245

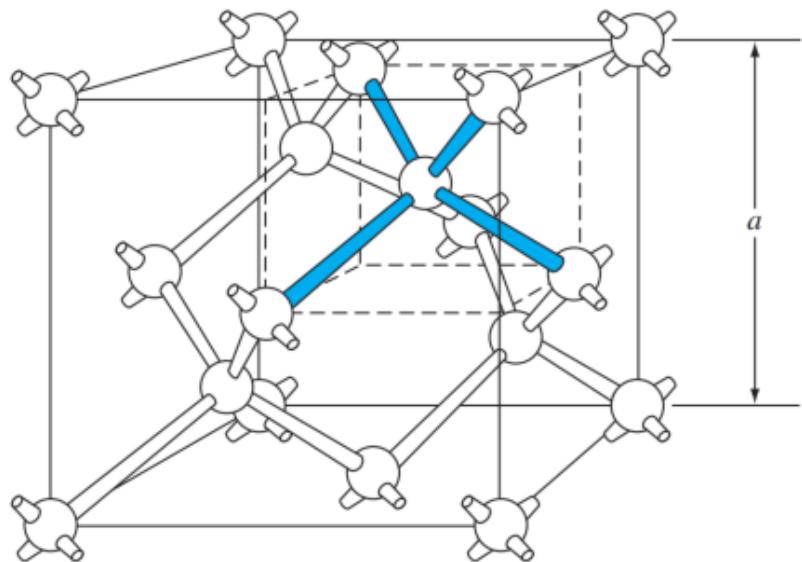
GaN

- 氮化鎗（GaN、Gallium nitride）是氮和鎗的化合物，可以用在高功率、高速的光電元件中。此化合物結構類似纖鋅礦，硬度很高。



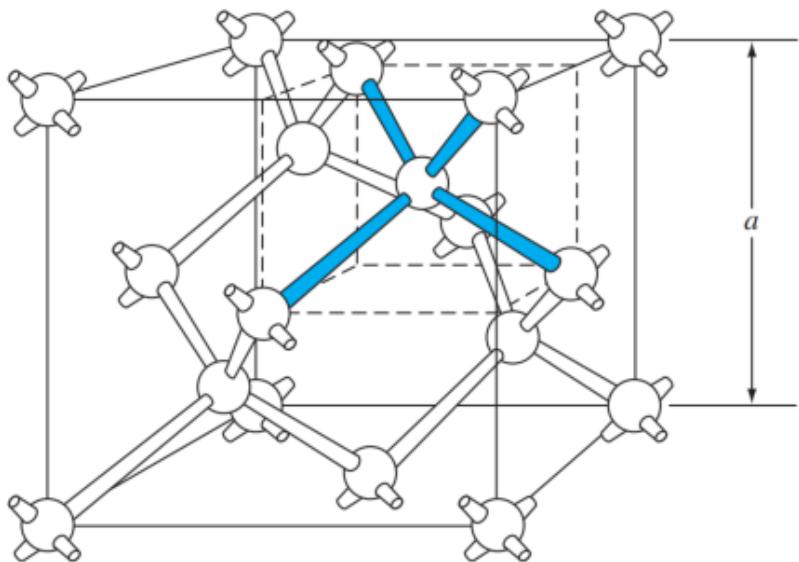
Test Your Understanding

- TYU 1.4** Consider the diamond unit cell shown in Figure 1.11. Determine the (a) number of corner atoms, (b) number of face-centered atoms, and (c) number of atoms totally enclosed in the unit cell. [Ans. (a) 8; (b) 6; (c) 4]
- TYU 1.5** The lattice constant of silicon is 5.43 Å. Calculate the volume density of silicon atoms. (Ans. $5 \times 10^{22} \text{ cm}^{-3}$)



Test Your Understanding

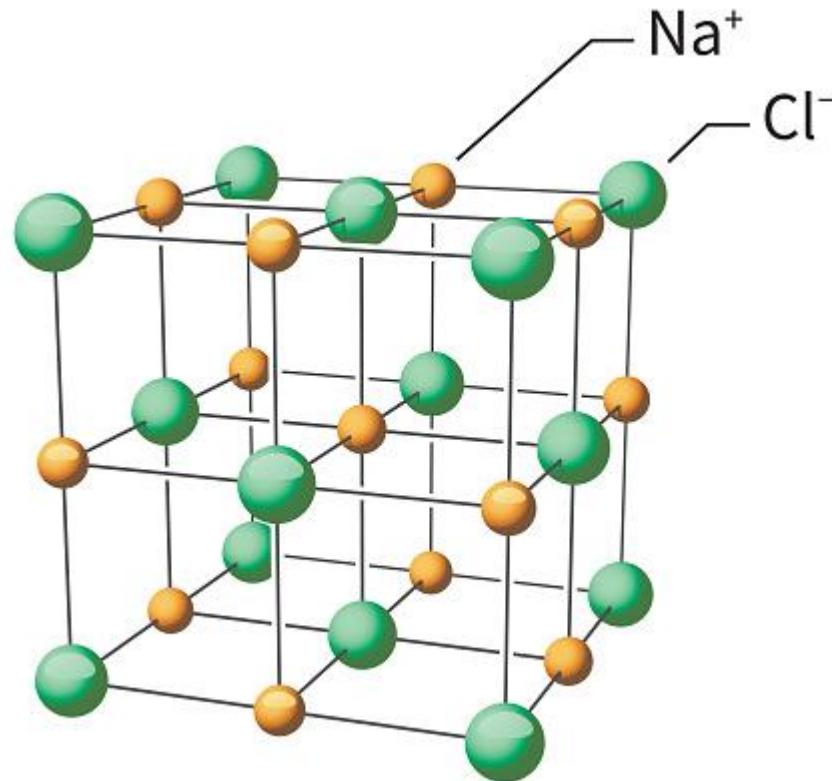
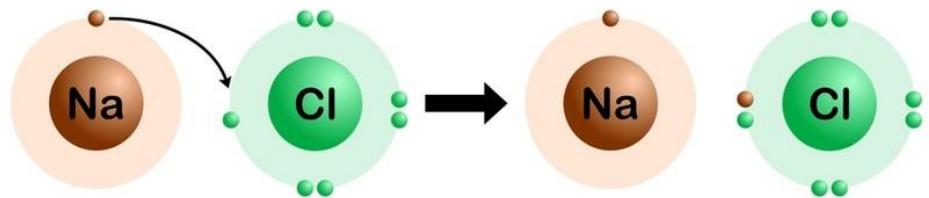
- TYU 1.4** Consider the diamond unit cell shown in Figure 1.11. Determine the (a) number of corner atoms, (b) number of face-centered atoms, and (c) number of atoms totally enclosed in the unit cell. [Ans. (a) 8; (b) 6; (c) 4]
- TYU 1.5** The lattice constant of silicon is 5.43 Å. Calculate the volume density of silicon atoms. (Ans. $5 \times 10^{22} \text{ cm}^{-3}$)



$$\frac{\left(8 \times \frac{1}{8} + 6 \times \frac{1}{2} + 4\right)}{\left(5.43 \times 10^{-8}\right)^3} = 5 \times 10^{22} \quad \text{Atoms/cm}^3$$

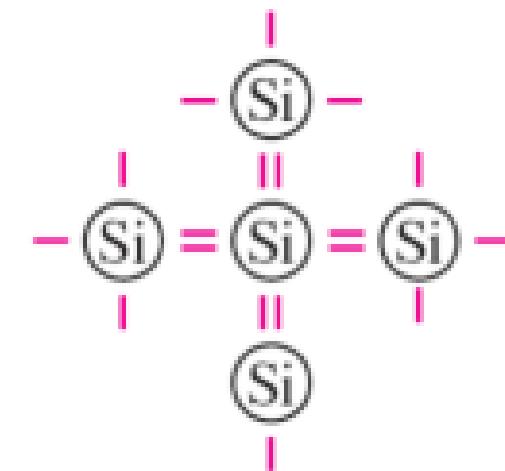
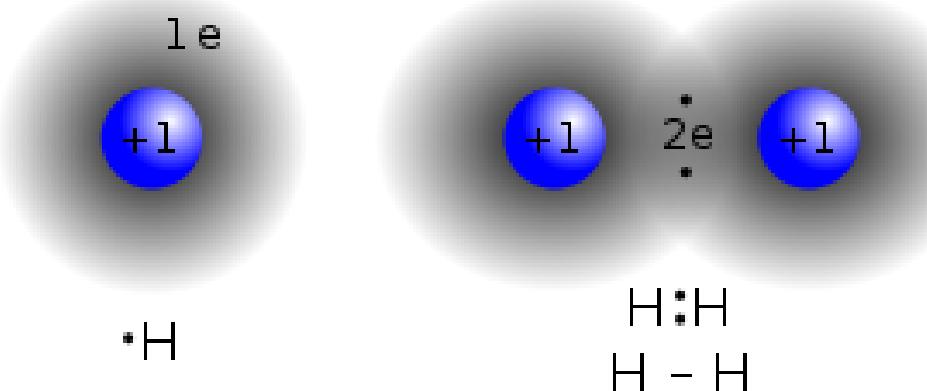
離子鍵 Ionic Bond

- 離子鍵通過兩個或多個原子失去或獲得電子而成為離子後形成。帶相反電荷的離子之間存在靜電吸引力，是離子化合物中主要交互作用。
- 經常是金屬與非金屬間形成，金屬元素失去電子，而非金屬元素得到電子。



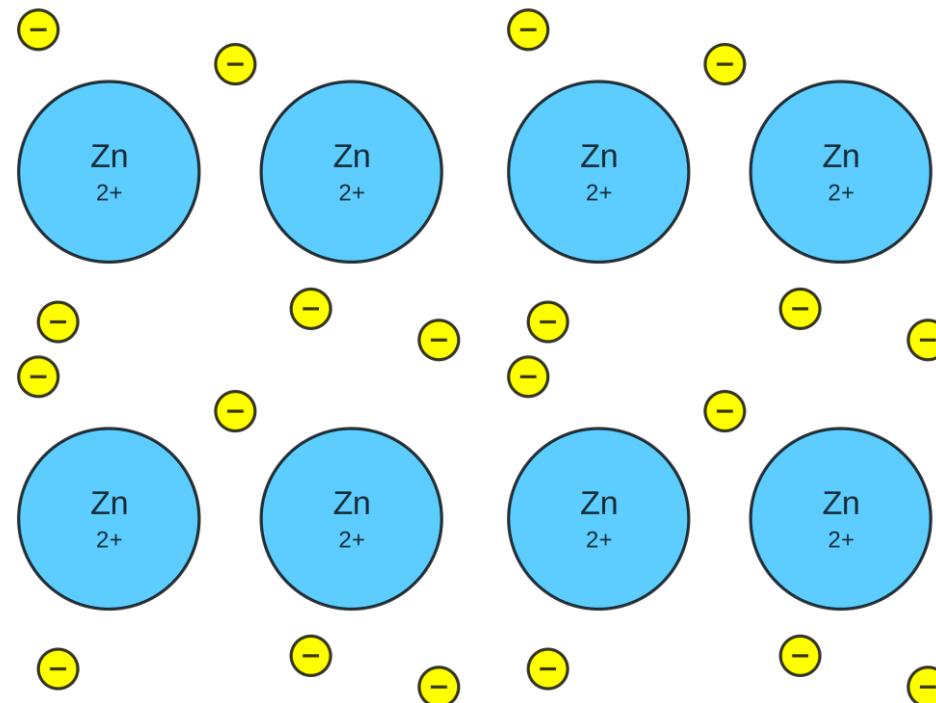
共價鍵 Covalent Bond

- 兩顆或以上非金屬原子共同使用它們的外層電子，在理想情況下達到電子飽和的狀態，由此組成比較穩定和堅固的化學結構。
- 與離子鍵不同，它們並沒有獲得或損失電子。同一種元素的原子或不同元素的原子都可以通過共價鍵結合，一般共價鍵結合的產物是分子或晶體。



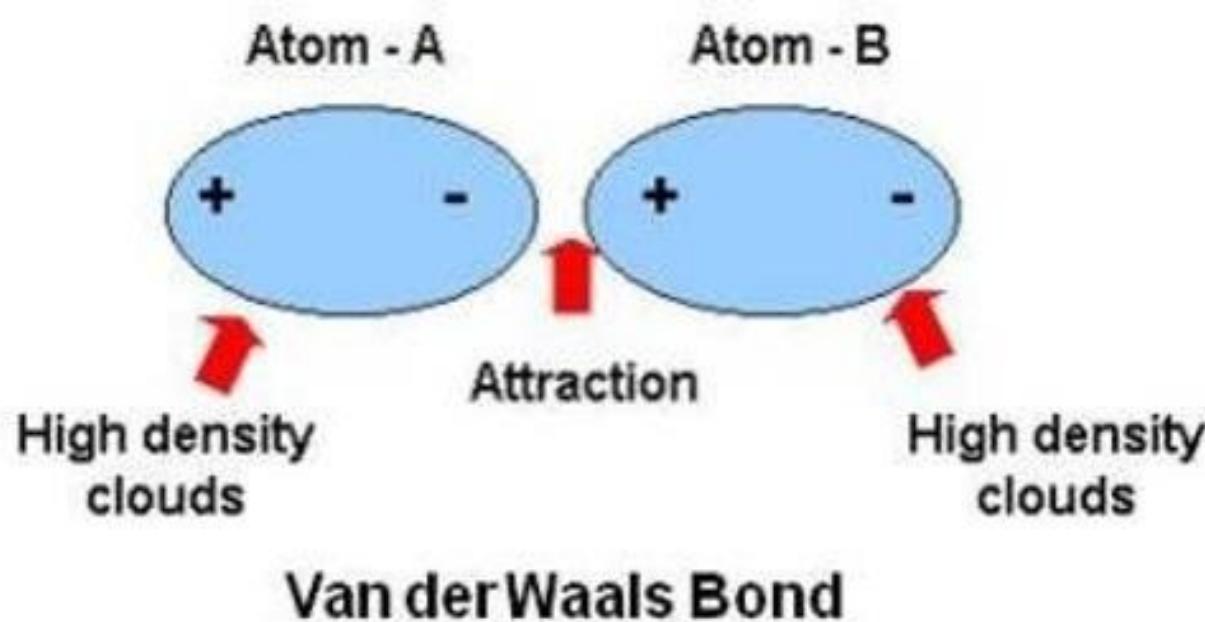
金屬鍵 Metallic bond

- 游離電子與金屬離子之間的靜電吸引力組合而成。
- 由於電子是自由運動，金屬鍵沒有固定的方向，因而是非極性鍵。



Van der Waals bond

- 在化學中指分子或稀有氣體原子之間非定向的、無飽和性的、較弱的交互作用力，根據荷蘭物理學家約翰內斯·范德瓦耳斯命名。
- 凡得瓦力是一種靜電交互作用，但它比化學鍵或共價鍵弱得多。凡得瓦力的大小和分子的大小成正比。

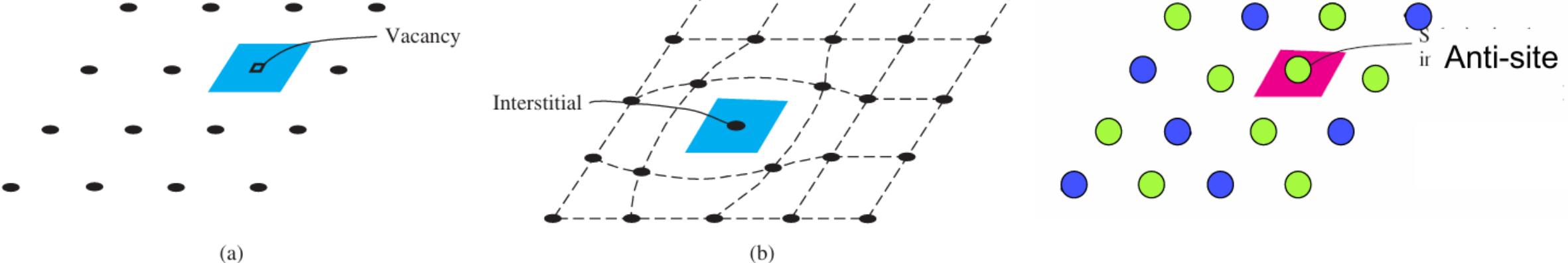


Imperfections in Solids

- Perfect crystal for most of time is less useful
- In a real crystal, the lattice is not perfect, but contains imperfections or defects
- Such imperfections tend to alter the electrical properties of a material , in some cases, electrical parameters can be dominated by these defects or impurities
 - Vacancy
 - Interstitial
 - Anti-site
 - Frenkel defect
 - line dislocation

Native defects (Imperfections)

- Vacancy: missing of atom at a particular lattice site
- Interstitial: an atom located between lattice sites
- Anti-site: an atom occupied a wrong lattice site



Native defects (Imperfections)

- Frenkel defect: vacancy-interstitial defect
- Line dislocation: entire row of atoms is missing from its normal lattice sites

