

# Deformable Convolutional Networks

Jifeng Dai\* Haozhi Qi\* Yuwen Xiong\* Yi Li\* Guodong Zhang\* Han Hu Yichen Wei

Microsoft Research Asia

{jifdai,v-haoq,v-yuxio,v-yii,v-guodzh,hanhu,yichenw}@microsoft.com

## Abstract

*Convolutional neural networks (CNNs) are inherently limited to model geometric transformations due to the fixed geometric structures in its building modules. In this work, we introduce two new modules to enhance the transformation modeling capacity of CNNs, namely, deformable convolution and deformable RoI pooling. Both are based on the idea of augmenting the spatial sampling locations in the modules with additional offsets and learning the offsets from target tasks, without additional supervision. The new modules can readily replace their plain counterparts in existing CNNs and can be easily trained end-to-end by standard back-propagation, giving rise to deformable convolutional networks. Extensive experiments validate the effectiveness of our approach on sophisticated vision tasks of object detection and semantic segmentation. The code would be released.*

## 1. Introduction

A key challenge in visual recognition is how to model geometric variations or transformations in objects' scale, pose, viewpoint, and part deformations. In general, there are two ways. First is to build the training datasets with sufficient desired variations. This is usually realized by augmenting the existing data samples, *e.g.*, by affine transformation. Robust representations can be learned from the data, but usually at the cost of expensive training and complex model parameters. Second is to use transformation-invariant features and algorithms. This category subsumes many well known techniques, such as SIFT (scale invariant feature transform) [40] and sliding window based object detection paradigm.

There are two drawbacks with existing methods. First, the geometric transformations are assumed fixed and known. Such prior knowledge is used to augment the data and design the features and algorithms. This assumption

prevents generalization to new tasks possessing unknown geometric transformations, which are not properly modeled. Second, hand-crafted design of invariant features and algorithms may be difficult or infeasible for overly complex transformations, even when they are known.

Recently, convolutional neural networks (CNNs) [33] have achieved significant success for visual recognition tasks, such as image classification [29], semantic segmentation [39], and object detection [16]. Yet, they still share the above two drawbacks. Their capability of modeling geometric transformations mostly comes from the extensive data augmentation, the large model capacity, and simple hand-crafted modules (*e.g.*, max-pooling [1] for small translation-invariance).

In short, CNNs are inherently limited to model large, unknown transformations. The limitations originate from the fixed geometric structures of CNN modules: a convolution unit samples the input feature map at fixed locations; a pooling layer reduces the spatial resolution at a fixed ratio; a RoI (region-of-interest) pooling layer separates a RoI into fixed spatial bins, etc. There lacks internal mechanisms to handle the geometric variations. This causes noticeable problems. *For an example*, the receptive field sizes of all activation units in the same CNN layer are the same. This is undesirable for high level layers that encode the semantics over spatial locations. Because different locations correspond to objects with probably different scales, adaptive determination of scales or receptive field sizes is needed for visual recognition with fine localization, *e.g.*, semantic segmentation using fully convolutional networks [39]. *For another example*, while object detection has seen significant and rapid progress [16, 15, 44, 7, 38], all approaches still rely on the bounding box based feature extraction, which is primitive and sub-optimal for non-rigid objects.

In this work, we introduce new modules that greatly enhance CNNs' capacity of modeling geometric transformations. First is *deformable convolution*. It adds 2D offsets to the regular sampling grid in the standard convolution. It allows free form deformation of the sampling grid, as illustrated in Figure 1. The offsets are learned from the preceding feature maps, via additional convolutional layers. Thus,

\*Equal contribution. This work is done when Haozhi Qi, Yuwen Xiong, Yi Li and Guodong Zhang are interns at Microsoft Research Asia

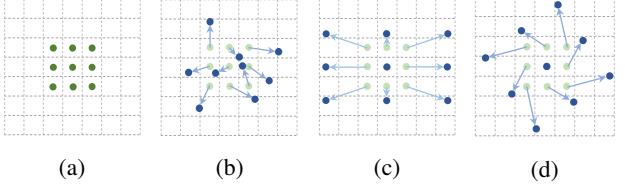


Figure 1: Illustration of sampling grids in  $3 \times 3$  regular and deformable convolutions. (a) regular sampling grid (green points) of standard convolution. (b) deformed sampling grid with augmented offsets (blue arrows) in deformable convolution. (c)(d) are special cases of (b), showing that the deformable convolution generalizes scale, aspect ratio and rotation transformations.

the deformation is conditioned over the input features, and learned in a local, dense, and adaptive manner.

Second is *deformable ROI pooling*. It adds an offset to each bin position in the regular bin partition in previous ROI pooling [15, 7]. Similarly, the offsets are learned from the preceding feature maps and the ROI, enabling an adaptive part localization for objects with different shapes.

Both modules are light weight. They add small amount of parameters and computation for the offset learning. They can be easily integrated in deep CNN architectures and trained end-to-end with backpropagation. The resulting CNNs are called *deformable convolutional networks*, or *deformable ConvNets*.

Our methods share similar spirits with spatial transform networks [25] and deformable part models [11]. They all have internal transformation parameters and learn such parameters purely from data. Yet, a key difference in deformable ConvNets is that they deal with dense spatial transformations in a simple, efficient, deep and end-to-end manner. In Section 3.1, we discuss in details the relation of our work to previous works and analyze the superiority of deformable ConvNets.

Deformable ConvNets are applied in state-of-the-art architectures for semantic segmentation [5] and object detection [44, 7]. Extensive ablation study and comparison to previous works verify the extraordinary performance of our approach. *For the first time, we show that learning dense spatial transformations in deep CNNs is feasible and effective for sophisticated vision tasks such as object detection and segmentation.*

## 2. Deformable Convolutional Networks

While the feature maps and convolution in CNNs are 3D, both deformable convolution and ROI pooling operate on the 2D spatial domain and remain the same across the channel dimension. Without loss of generality, they are explained in 2D here. Extending the equations in this section

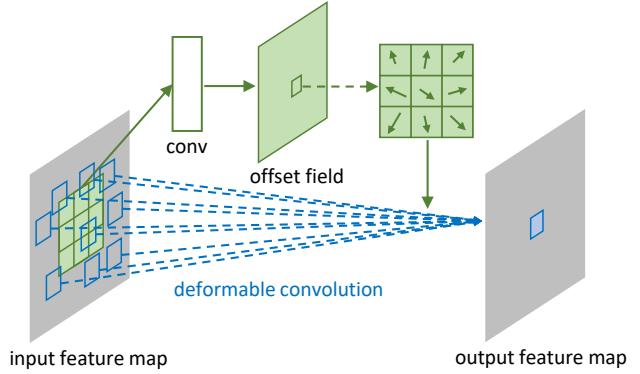


Figure 2: Illustration of  $3 \times 3$  deformable convolution.

to 3D is straightforward and omitted for notation clarity.

### 2.1. Deformable Convolution

A 2D convolution consists of two steps: 1) sampling using a regular grid  $\mathcal{R}$  over the input feature map  $\mathbf{x}$ ; 2) summation of sampled values weighted by  $\mathbf{w}$ . The grid  $\mathcal{R}$  defines the receptive field size and dilation. For example,

$$\mathcal{R} = \{(-1, -1), (-1, 0), \dots, (0, 1), (1, 1)\}$$

defines a  $3 \times 3$  kernel with dilation 1.

For each location  $\mathbf{p}_0$  on the output feature map  $\mathbf{y}$ , we have

$$\mathbf{y}(\mathbf{p}_0) = \sum_{\mathbf{p}_n \in \mathcal{R}} \mathbf{w}(\mathbf{p}_n) \cdot \mathbf{x}(\mathbf{p}_0 + \mathbf{p}_n). \quad (1)$$

Deformable convolution augments the regular grid  $\mathcal{R}$  with offsets  $\{\Delta\mathbf{p}_n | n = 1, \dots, N\}$ , where  $N = |\mathcal{R}|$ . Eq. (1) becomes

$$\mathbf{y}(\mathbf{p}_0) = \sum_{\mathbf{p}_n \in \mathcal{R}} \mathbf{w}(\mathbf{p}_n) \cdot \mathbf{x}(\mathbf{p}_0 + \mathbf{p}_n + \Delta\mathbf{p}_n). \quad (2)$$

Now, the sampling is over the irregular and offsetted locations  $\mathbf{p}_0 + \Delta\mathbf{p}_n$ . As the offset  $\Delta\mathbf{p}_n$  is typically fractional, Eq. (2) is implemented via bilinear interpolation as

$$\mathbf{x}(\mathbf{p}) = \sum_{\mathbf{q}} G(\mathbf{q}, \mathbf{p}) \cdot \mathbf{x}(\mathbf{q}), \quad (3)$$

where  $\mathbf{p}$  denotes an arbitrary (fractional) location ( $\mathbf{p} = \mathbf{p}_0 + \mathbf{p}_n + \Delta\mathbf{p}_n$  for Eq. (2)),  $\mathbf{q}$  enumerates all integral spatial locations in the feature map  $\mathbf{x}$ , and  $G(\cdot, \cdot)$  is the bilinear interpolation kernel. Note that  $G$  is two dimensional. It is separated into two one dimensional kernels as

$$G(\mathbf{q}, \mathbf{p}) = g(q_x, p_x) \cdot g(q_y, p_y), \quad (4)$$

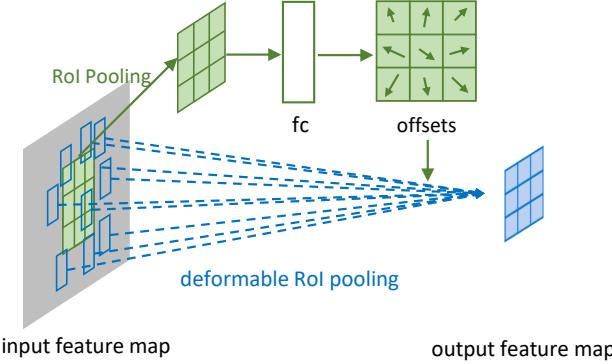


Figure 3: Illustration of  $3 \times 3$  deformable RoI pooling.

where  $g(a, b) = \max(0, 1 - |a - b|)$ . Eq. (3) is fast to compute as  $G(\mathbf{q}, \mathbf{p})$  is non-zero only for a few  $\mathbf{q}$ s.

**Learning the offsets** As illustrated in Figure 2, the offsets are obtained by applying a convolutional layer over the same input feature map. The convolution kernel is of the same spatial resolution as the current convolutional layer (e.g., also  $3 \times 3$  in Figure 2). The output offset fields have the same spatial resolution with the input feature map. The channel dimension is  $2N$ , encoding  $N$  2D offset vectors. During training, both the convolutional kernels for producing the output features and for generating offsets can be learned. The gradients enforced on the deformable convolution module can be back-propagated through the bilinear operations in Eq. (3) and Eq. (4).

## 2.2. Deformable ROI Pooling

The RoI pooling module converts an input rectangle region of arbitrary size into fixed size features. It is used in all region proposal based object detection methods [16, 15, 44, 7].

Given a RoI of size  $w \times h$ , it is evenly divided into  $k \times k$  ( $k$  is a free parameter) bins. The standard RoI pooling step [15] generates a  $k \times k$  pooled feature map  $\mathbf{y}$  from the input feature map  $\mathbf{x}$ . The pooling operation for  $(i, j)$ -th bin ( $0 \leq i, j < k$ ) is defined as

$$\mathbf{y}(i, j) = \sum_{\mathbf{p} \in \text{bin}(i, j)} \mathbf{x}(\mathbf{p}_0 + \mathbf{p}) / n_{ij}, \quad (5)$$

where  $\mathbf{p}_0$  is the top-left corner of the RoI,  $n_{ij}$  is the number of pixels in the bin. The  $(i, j)$ -th bin spans  $\lfloor i \frac{w}{k} \rfloor \leq p_x < \lceil (i+1) \frac{w}{k} \rceil$  and  $\lfloor j \frac{h}{k} \rfloor \leq p_y < \lceil (j+1) \frac{h}{k} \rceil$ .

Similarly as in Eq. (2), deformable RoI pooling adds offsets  $\{\Delta \mathbf{p}_{ij} | 0 \leq i, j < k\}$  to the spatial binning positions. Eq.(5) becomes

$$\mathbf{y}(i, j) = \sum_{\mathbf{p} \in \text{bin}(i, j)} \mathbf{x}(\mathbf{p}_0 + \mathbf{p} + \Delta \mathbf{p}_{ij}) / n_{ij}. \quad (6)$$

While  $\Delta \mathbf{p}_{ij}$  is fractional, Eq. (6) is implemented by bilinear interpolation via Eq. (3) and (4).

**Learning the offsets** As illustrated in Figure 3, the standard RoI pooling (Eq. (5)) firstly generates the pooled feature maps. From the maps, a fc layer generates the *normalized* offsets  $\Delta \hat{\mathbf{p}}_{ij}$ . The normalized offsets are further transferred to the offsets in Eq. (6) by element-wise product with the RoI's width & height, together with a pre-fixed scalar  $\gamma$ , as  $\Delta \mathbf{p}_{ij} = \gamma \Delta \hat{\mathbf{p}}_{ij} \circ (w, h)$ , where  $\gamma = 0.1$  in paper. We found that using normalized offsets makes the learning invariant to RoI size, and improves the network performance. In the deformable RoI pooling module, the fc layer for offset generation can also be learned by back-propagation.

**Deformable Position-Sensitive RoI Pooling** The *position-sensitive* RoI pooling [7] is a variant of the regular RoI pooling. It operates on position-sensitive score maps specialized for the ultimate tasks (e.g., classification and bounding box regression in object detection), with no learnable weighted layers following.

The position-sensitive RoI pooling can also be extended to its deformable version. In it, the deformable RoI pooling operation in Eq. (6) is applied on the position-sensitive score maps. The difference is the standard RoI pooling (Eq. (5)) for offset modeling should be applied on another set of feature maps, other than the specialized position-sensitive score maps. In this paper, we utilize the feature maps beneath the position-sensitive score maps.

## 2.3. Deformable ConvNets

Both deformable convolution and RoI pooling modules have the same input and output as their plain versions. Hence, they can readily replace their plain counterparts in existing CNNs. In training, the additional conv/fc layers for offset learning are initialized from zero, and their learning rates are of  $\beta$  times that of the existing layers ( $\beta = 1$  by default). They are trained via back propagation through the bilinear interpolation operations in Eq. (3) and Eq. (4). The resulting CNNs are called *deformable ConvNets*.

To integrate deformable ConvNets with the state-of-the-art CNN architectures, we note that these architectures consist of two stages. First, a deep fully convolutional network generates feature maps over the whole input image. Second, a shallow task specific network generates results from the feature maps. We elaborate the two steps below.

**Deformable Convolution for Feature Extraction** We adopt two state-of-the-art architectures for feature extraction: ResNet-101 [21] and a modified version of Inception-ResNet [48]. Both are pre-trained on ImageNet [8] classification dataset. The original Inception-ResNet architecture is designed for image recognition, and has a feature misalignment issue due to valid conv/pooling layers for dense prediction tasks. We modified the network architecture and fixed the alignment problem. The modified architecture is

dubbed as “Aligned-Inception-ResNet”, which is detailed in appendix.

Both models consist of several convolutional blocks, an average pooling and a 1000-way fc layer for ImageNet classification. We remove the average pooling and the fc layers. We add a randomly initialized  $1 \times 1$  convolution at last to reduce the channel dimension to 1024. As in common practice [4, 7], we reduce the effective stride in the last convolutional block from 32 pixels to 16 pixels to increase the feature map resolution. Specifically, at the beginning of the last block, stride is changed from 2 to 1 (“conv5” for both ResNet-101 and Aligned-Inception-ResNet). To compensate, all the convolution filters in this block (with kernel size  $> 1$ ) have the dilation changed from 1 to 2.

Optionally, *deformable convolution* is applied to the last few convolutional layers (with kernel size  $> 1$ ). We experimented with different numbers of such layers and found 3 as a good trade-off for different tasks, as reported in Table 1.

**Segmentation and Detection Networks** A task specific network is built upon the output feature maps from the feature extraction network mentioned above. Let  $C$  denote the number of classes.

*DeepLab* [5] is a state-of-the-art method for semantic segmentation. It adds a  $1 \times 1$  convolutional layer over the feature maps to generates  $(C + 1)$  maps that represent the per-pixel classification scores. A following softmax layer then outputs the per-pixel probabilities.

*Category-Aware RPN* is the same as the region proposal network in [44], except that the 2-class (object or not) convolutional classifier is replaced by a  $(C + 1)$ -class convolutional classifier. It can be considered as a simplified version of SSD [38].

*Faster R-CNN* [44] is the state-of-the-art detector. In [21, 23], the ROI pooling layer is inserted between the conv4 and the conv5 layer blocks of ResNet-101, leaving 10 layers in the per-ROI computation. This design delivers good accuracy, at the cost of high per-ROI computation. To reduce the computational overhead, we adopt a light-weight variant as in [36]. The ROI pooling layer is added on top of the feature maps from the feature extraction network (the last dimension reduction layer is modified to output 256-D features here for model compactness). Two new fc layers of dimension 1024 are applied on the ROI pooled features, followed by the bounding box regression and the classification branches. Following [44], the RPN branch is added on the top of the conv4 block for both ResNet-101 and Aligned-Inception-ResNet.

Optionally, the ROI pooling layer can be changed to *deformable ROI pooling*. In it, the learning rate of the additional fc layer for offset learning is 0.01 times that of the existing layers.

*R-FCN* [7] is another state-of-the-art detector with negligible per-RoI computation . We follow its implementation.

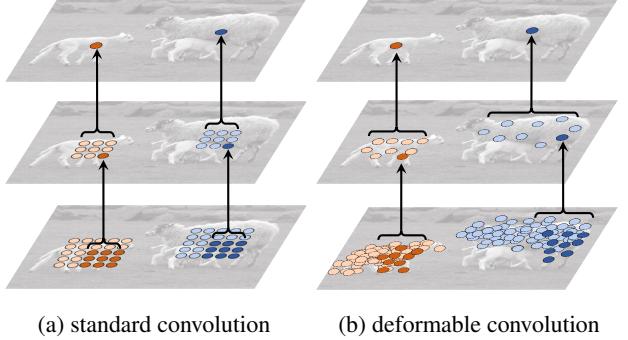


Figure 4: Illustration of fixed receptive field in standard convolution (a) and adaptive receptive field in deformable convolution (b), using two layers. Top: two activation units on the top feature map, on two objects of different scales and shapes. The activation is from a  $3 \times 3$  filter. Middle: the sampling locations of the  $3 \times 3$  filter on the previous feature map. Another two activation units are highlighted. Bottom: the sampling locations of two levels of  $3 \times 3$  filters on the previous feature map. Two sets of locations are highlighted, corresponding to the highlighted units above.

Optionally, its position-sensitive RoI pooling layer can be changed to its deformable version. Thanks to the negligible per-RoI computation,  $(C + 1)$  groups of offsets are learned for the classification of  $(C + 1)$  categories, plus another separate group of offsets for class-agnostic bounding box regression.

### 3. Understanding Deformable ConvNets

This work is built on a simple idea. The spatial sampling locations in convolution and RoI pooling are augmented with additional offsets. Such offsets are learned from data, driven by the target task. When the deformable modules are stacked into multiple layers, the effect of composited deformation is profound.

This is exemplified in Figure 4. The receptive field and the sampling locations in the convolution filters are fixed all over the top feature map (left). They are adaptively adjusted according to the objects’ scale and shape when deformable convolution is used (right). More examples are shown in Figure 5. In Table 2, we provide quantitative analysis.

The effect of deformable RoI pooling is similar, as illustrated in Figure 6. The regularity of the grid structure in standard RoI pooling no longer holds. Instead, parts deviate from the initial RoI and move onto the nearby object regions. The localization capability is enhanced, especially for non-rigid objects.



Figure 5: For each triplet of images, we show the sampling locations ( $9^3 = 729$  red points in each image) in three levels of  $3 \times 3$  deformable filters for three activation units (green points) on the background (left), a small object (middle), and a large object (right), respectively.

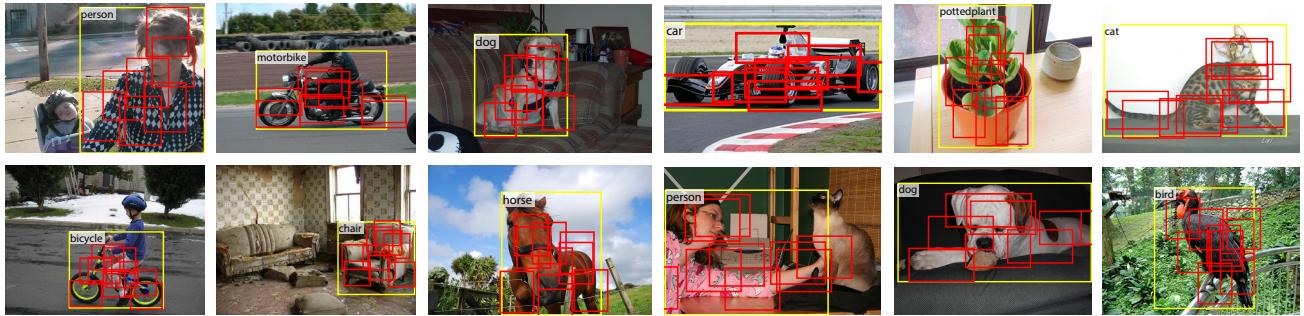


Figure 6: Illustration of offsetted parts in deformable ROI pooling, using R-FCN [7] and  $3 \times 3$  bins (red) for an input ROI (yellow). Note how the parts are offsetted to cover the foreground of the non-rigid objects.

### 3.1. In Context of Related Works

**Spatial Transform Networks (STN)** [25] It is the first to learn spatial transformation from data in a deep learning framework. *It warps the feature map via a global parametric transformation* such as affine transformation. Such warping is expensive and learning the transformation parameters is known difficult. STN has shown successes in small scale image classification problems only. The inverse STN method [35] replaces the expensive feature warping by efficient transformation parameter propagation, but retains other limitations.

Deformable convolution is related to STN in that the offset learning can be considered as an extremely light-weight spatial transformer, as called in [25]. Yet, *it does not adopt a parametric transformation, does not warp the feature map, but samples the feature map in a local and dense manner*. To generate new feature maps, deformable convolution has a weighted summation step, which is missing in STN.

Deformable convolution is easy to integrate into any CNN architectures and its training is easy. It provides unique value for scenarios that are infeasible for STN [25, 35]. For the first time, we show that deep integration of spatial transformation learning in CNNs is effective for large

scale vision tasks that require dense (e.g., semantic segmentation) or semi-dense (e.g., object detection) predictions.

**Effective Receptive Field** [41] It finds that not all pixels in a receptive field contribute equally to an output unit's response. As pixels near the center have much larger impact, the effective receptive field only occupies a small fraction of the theoretical receptive field and has a Gaussian distribution. While the theoretical receptive field size increases linearly with the number of convolutional layers, a surprising result is that, the effective receptive field size increases linearly with the square root of the number, therefore, *at a much slower rate* than what we would expect.

This finding indicates that even the top layer's unit in modern CNNs may not have large enough receptive field. This partially explains why atrous convolution [22] is widely used in vision tasks (as discussed below). It reveals the needs of adaptive receptive field learning.

Deformable convolution is capable to learn receptive fields adaptively, as shown in Figure 4, 5 and Table 2.

**Atrous convolution** [22] It increases a normal filter's stride to be larger than 1 and keeps the original weights at sparse locations. Effectively, it increases the receptive field size but retains the same complexity in parameters and

computation. It has been widely used for semantic segmentation [39, 5, 50] (also called dilated convolution in [50]), object detection [7], and image classification [51].

Deformable convolution is a strong generalization of atrous convolution, as easily seen in Figure 1 (b). Extensive comparison to atrous convolution is presented in Table 3.

**Deformable Part Models (DPM) [11]** Deformable RoI pooling is similar to DPM in that both methods learn the spatial configuration of object parts to maximize the classification score. Deformable RoI pooling is simpler as no spatial relations between parts are considered.

DPM is a shallow model and has limited capability of modeling deformation. While its inference algorithm can be converted to CNNs [17] by treating the distance transform as a special pooling operation, its training is not end-to-end and involves heuristic choices such as how to select components and part sizes. In contrast, deformable ConvNets are deep and perform end-to-end training. When deformable convolution and RoI pooling layers are stacked, the capacity of modeling deformation becomes stronger.

**DeepID-Net [42]** Similar to DPM [11], it introduces a deformation constrained pooling layer which also considers part deformation for object detection. The layer, however, is much more complex and different from our deformable RoI pooling. This work is highly engineered and based on RCNN [16]. It is incompatible with the recent state-of-the-art object detection methods [44, 7].

**Spatial manipulation in RoI pooling** Spatial pyramid pooling [32] uses hand crafted pooling regions over scales. It is the predominant approach in computer vision and also used in deep learning based object detection [20, 15].

Learning the spatial layout of pooling regions has received little study. The work in [26] learns a sparse subset of pooling regions from a large over-complete set. The large set is hand engineered and the learning is not end-to-end.

Deformable RoI pooling is the first to learn pooling regions end-to-end in CNNs. While the regions are of the same size currently, extension to multiple sizes as in spatial pyramid pooling [32] is straightforward.

**Transformation invariant features and their learning** There have been tremendous efforts on designing transformation invariant features. Notable examples include scale invariant feature transform (SIFT) [40] and ORB [46] (O for orientation). There is a large body of such works in the context of CNNs. The invariance and equivalence of CNN representations to image transformations are studied in [34]. Some works learn invariant CNN representations with respect to different types of transformations such as [47], scattering networks [3], convolutional jungles [30], and TI-pooling [31]. Some works are devoted for specific transformations such as symmetry [13, 9], scale [27], and rotation [49].

As analyzed in Section 1, these works assume the trans-

formations are known a prior. The knowledge (such as parameterization) is used to hand craft the structure of feature extraction algorithm, either fixed in such as SIFT, or with learnable parameters such as those based on CNNs. They cannot handle unknown transformations in new tasks.

In contrast, our deformable modules can be adapted for various transformations (see Figure 1). The transformation invariance is automatically learned from data.

**Dynamic Filter [2]** Similar to deformable convolution, the dynamic filters are also conditioned on the input features and change over samples. Differently, only the filter weights are learnt, not the sampling locations like ours. This work is applied for video and stereo prediction.

**Combination of low level filters** Gaussian filters and its smooth derivatives [28] are widely used to extract low level image structures such as corners, edges, T-junctions, etc. Under certain conditions, such filters form a set of basis and their linear combination forms new filters within the same group of geometric transformations, such as multiple orientations in *Steerable Filters* [12] and multiple scales in [43]. We note that although the term *deformable kernels* is used in [43], its meaning is different from ours in this work.

Most CNNs learn all their filters from scratch. The recent work [24] shows that it could be unnecessary. It replaces the free form filters by weighted combination of low level filters (Gaussian derivatives up to 4-th order) and learns the weight coefficients. The regularization over the filter function space is shown to improve the generalization ability when training data are small.

Above works are related to ours in that, when multiple filters, especially with different scales, are combined, the resulting filter could have complex weights and resemble our deformable convolution filter. However, deformable convolution learns sampling locations instead of filter weights.

## 4. Experiments

### 4.1. Experiment Setup and Implementation

**Semantic Segmentation** We use *PASCAL VOC* [10] and *CityScapes* [6]. For *PASCAL VOC*, there are 20 semantic categories. Following the protocols in [19, 39, 4], we use VOC 2012 dataset and the additional mask annotations in [18]. The training set includes 10,582 images. Evaluation is performed on 1,449 images in the validation set. For *CityScapes*, following the protocols in [5], training and evaluation are performed on 2,975 images in the train set and 500 images in the validation set, respectively. There are 19 semantic categories plus a background category.

For evaluation, we use the mean intersection-over-union (mIoU) metric defined over image pixels, following the standard protocols [10, 6]. We use mIoU@V and mIoU@C for PASCAL VOC and Cityscapes, respectively.

In training and inference, the images are resized to have

usage of deformable convolution (# layers)	DeepLab		class-aware RPN		Faster R-CNN		R-FCN	
	mIoU@V (%)	mIoU@C (%)	mAP@0.5 (%)	mAP@0.7 (%)	mAP@0.5 (%)	mAP@0.7 (%)	mAP@0.5 (%)	mAP@0.7 (%)
none (0, baseline)	69.7	70.4	68.0	44.9	78.1	62.1	80.0	61.8
res5c (1)	73.9	73.5	73.5	54.4	78.6	63.8	80.6	63.0
res5b,c (2)	74.8	74.4	74.3	56.3	78.5	63.3	81.0	63.8
res5a,b,c (3, default)	<b>75.2</b>	<b>75.2</b>	74.5	57.2	78.6	63.3	81.4	64.7
res5 & res4b22,b21,b20 (6)	74.8	75.1	<b>74.6</b>	<b>57.7</b>	<b>78.7</b>	<b>64.0</b>	<b>81.5</b>	<b>65.4</b>

Table 1: Results of using deformable convolution in the last 1, 2, 3, and 6 convolutional layers (of  $3 \times 3$  filter) in ResNet-101 feature extraction network. For *class-aware RPN*, *Faster R-CNN*, and *R-FCN*, we report result on VOC 2007 test.

layer	small	medium	large	background
	mean $\pm$ std			
res5c	$5.3 \pm 3.3$	$5.8 \pm 3.5$	$8.4 \pm 4.5$	$6.2 \pm 3.0$
res5b	$2.5 \pm 1.3$	$3.1 \pm 1.5$	$5.1 \pm 2.5$	$3.2 \pm 1.2$
res5a	$2.2 \pm 1.2$	$2.9 \pm 1.3$	$4.2 \pm 1.6$	$3.1 \pm 1.1$

Table 2: Statistics of effective dilation values of deformable convolutional filters on three layers and four categories. Similar as in COCO [37], we divide the objects into three categories equally according to the bounding box area. Small: area  $< 96^2$  pixels; medium:  $96^2 < \text{area} < 224^2$ ; large: area  $> 224^2$  pixels.

a shorter side of 360 pixels for PASCAL VOC and 1,024 pixels for Cityscapes. In SGD training, one image is randomly sampled in each mini-batch. A total of 30k and 45k iterations are performed for PASCAL VOC and Cityscapes, respectively, with 8 GPUs and one mini-batch on each. The learning rates are  $10^{-3}$  and  $10^{-4}$  in the first  $\frac{2}{3}$  and the last  $\frac{1}{3}$  iterations, respectively.

**Object Detection** We use *PASCAL VOC* and *COCO* [37] datasets. For *PASCAL VOC*, following the protocol in [15], training is performed on the union of VOC 2007 trainval and VOC 2012 trainval. Evaluation is on VOC 2007 test. For *COCO*, following the standard protocol [37], training and evaluation are performed on the 120k images in the trainval and the 20k images in the test-dev, respectively.

For evaluation, we use the standard mean average precision (mAP) scores [10, 37]. For PASCAL VOC, we report mAP scores using IoU thresholds at 0.5 and 0.7. For COCO, we use the standard COCO metric of mAP@[0.5:0.95], as well as mAP@0.5.

In training and inference, the images are resized to have a shorter side of 600 pixels. In SGD training, one image is randomly sampled in each mini-batch. For *class-aware RPN*, 256 RoIs are sampled from the image. For *Faster R-CNN* and *R-FCN*, 256 and 128 RoIs are sampled for the region proposal and the object detection networks, respectively.  $7 \times 7$  bins are adopted in ROI pooling. To facilitate

the ablation experiments on VOC, we follow [36] and utilize pre-trained and fixed RPN proposals for the training of Faster R-CNN and R-FCN, without feature sharing between the region proposal and the object detection networks. The RPN network is trained separately as in the first stage of the procedure in [44]. For COCO, joint training as in [45] is performed and feature sharing is enabled for training. A total of 30k and 240k iterations are performed for PASCAL VOC and COCO, respectively, on 8 GPUs. The learning rates are set as  $10^{-3}$  and  $10^{-4}$  in the first  $\frac{2}{3}$  and the last  $\frac{1}{3}$  iterations, respectively.

## 4.2. Ablation Study

Extensive ablation studies are performed to validate the efficacy and efficiency of our approach.

**Deformable Convolution** Table 1 evaluates the effect of deformable convolution using ResNet-101 feature extraction network. Accuracy steadily improves when more deformable convolution layers are used, especially for *DeepLab* and *class-aware RPN*. The improvement saturates when using 3 deformable layers for *DeepLab*, and 6 for others. In the remaining experiments, we use 3 in the feature extraction networks.

We empirically observed that the learned offsets in the deformable convolution layers are highly adaptive to the image content, as illustrated in Figure 4 and Figure 5. To better understand the mechanism of deformable convolution, we define a metric called *effective dilation* for a deformable convolution filter. It is the mean of the distances between all adjacent pairs of sampling locations in the filter. It is a rough measure of the receptive field size of the filter.

We apply the R-FCN network with 3 deformable layers (as in Table 1) on VOC 2007 test images. We categorize the deformable convolution filters into four classes: small, medium, large, and background, according to the ground truth bounding box annotation and where the filter center is. Table 2 reports the statistics (mean and std) of the effective dilation values. It clearly shows that: 1) *the receptive field sizes of deformable filters are correlated with object sizes, indicating that the deformation is effectively learned from image content*; 2) *the filter sizes on the background region*

deformation modules	DeepLab mIoU@V / @C	class-aware RPN mAP@0.5 / @0.7	Faster R-CNN mAP@0.5 / @0.7	R-FCN mAP@0.5 / @0.7
atrous convolution (2,2,2) (default)	69.7 / 70.4	68.0 / 44.9	78.1 / 62.1	80.0 / 61.8
atrous convolution (4,4,4)	73.1 / 71.9	72.8 / 53.1	78.6 / 63.1	80.5 / 63.0
atrous convolution (6,6,6)	73.6 / 72.7	73.6 / 55.2	78.5 / 62.3	80.2 / 63.5
atrous convolution (8,8,8)	73.2 / 72.4	73.2 / 55.1	77.8 / 61.8	80.3 / 63.2
deformable convolution	<b>75.3 / 75.2</b>	<b>74.5 / 57.2</b>	78.6 / 63.3	81.4 / 64.7
deformable RoI pooling	N.A	N.A	78.3 / 66.6	81.2 / 65.0
deformable convolution & RoI pooling	N.A	N.A	<b>79.3 / 66.9</b>	<b>82.6 / 68.5</b>

Table 3: Evaluation of our deformable modules and atrous convolution, using ResNet-101.

method	# params	net. forward (sec)	runtime (sec)
DeepLab@C	46.0 M	0.610	0.650
<b>Ours</b>	46.1 M	0.656	0.696
DeepLab@V	46.0 M	0.084	0.094
<b>Ours</b>	46.1 M	0.088	0.098
class-aware RPN	46.0 M	0.142	0.323
<b>Ours</b>	46.1 M	0.152	0.334
Faster R-CNN	58.3 M	0.147	0.190
<b>Ours</b>	59.9 M	0.192	0.234
R-FCN	47.1 M	0.143	0.170
<b>Ours</b>	49.5 M	0.169	0.193

Table 4: Model complexity and runtime comparison of deformable ConvNets and the plain counterparts, using ResNet-101. The overall runtime in the last column includes image resizing, network forward, and post-processing (*e.g.*, NMS for object detection). Runtime is counted on a workstation with Intel E5-2650 v2 CPU and Nvidia K40 GPU.

are between those on medium and large objects, indicating that a relatively large receptive field is necessary for recognizing the background regions. These observations are consistent in different layers.

The default ResNet-101 model uses atrous convolution with dilation 2 for the last three  $3 \times 3$  convolutional layers (see Section 2.3). We further tried dilation values 4, 6, and 8 and reported the results in Table 3. It shows that: 1) accuracy increases for all tasks when using larger dilation values, indicating that the default networks have too small receptive fields; 2) the optimal dilation values vary for different tasks, *e.g.*, 6 for DeepLab but 4 for Faster R-CNN; 3) deformable convolution has the best accuracy. These observations verify that adaptive learning of filter deformation is effective and necessary.

**Deformable RoI Pooling** It is applicable to *Faster R-CNN* and *R-FCN*. As shown in Table 3, using it alone al-

ready produces noticeable performance gains, especially at the strict mAP@0.7 metric. When both deformable convolution and RoI Pooling are used, significant accuracy improvements are obtained.

**Model Complexity and Runtime** Table 4 reports the model complexity and runtime of the proposed deformable ConvNets and their plain versions. Deformable ConvNets only add small overhead over model parameters and computation. This indicates that the significant performance improvement is from the capability of modeling geometric transformations, other than increasing model parameters.

### 4.3. Object Detection on COCO

In Table 5, we perform extensive comparison between the deformable ConvNets and the plain ConvNets for object detection on COCO test-dev set. We first experiment using ResNet-101 model. The deformable versions of class-aware RPN, Faster R-CNN and R-FCN achieve mAP@[0.5:0.95] scores of 25.8%, 33.1%, and 34.5% respectively, which are 11%, 13%, and 12% relatively higher than their plain-ConvNets counterparts respectively. By replacing ResNet-101 by Aligned-Inception-ResNet in Faster R-CNN and R-FCN, their plain-ConvNet baselines both improve thanks to the more powerful feature representations. And the effective performance gains brought by deformable ConvNets also hold. By further testing on multiple image scales (the image shorter side is in [480, 576, 688, 864, 1200, 1400]) and performing iterative bounding box average [14], the mAP@[0.5:0.95] scores are increased to 37.5% for the deformable version of R-FCN. Note that the performance gain of deformable ConvNets is complementary to these bells and whistles.

## 5. Conclusion

This paper presents deformable ConvNets, which is a simple, efficient, deep, and end-to-end solution to model dense spatial transformations. For the first time, we show that it is feasible and effective to learn dense spatial transformation in CNNs for sophisticated vision tasks, such as

method	backbone architecture	M	B	mAP@[0.5:0.95]	mAP <sup>r</sup> @0.5	mAP@[0.5:0.95] (small)	mAP@[0.5:0.95] (mid)	mAP@[0.5:0.95] (large)
class-aware RPN	ResNet-101			23.2	42.6	6.9	27.1	35.1
<b>Ours</b>				<b>25.8</b>	<b>45.9</b>	<b>7.2</b>	<b>28.3</b>	<b>40.7</b>
Faster RCNN	ResNet-101			29.4	48.0	9.0	30.5	47.1
<b>Ours</b>				<b>33.1</b>	<b>50.3</b>	<b>11.6</b>	<b>34.9</b>	<b>51.2</b>
R-FCN	ResNet-101			30.8	52.6	11.8	33.9	44.8
<b>Ours</b>				<b>34.5</b>	<b>55.0</b>	<b>14.0</b>	<b>37.7</b>	<b>50.3</b>
Faster RCNN	Aligned-Inception-ResNet			30.8	49.6	9.6	32.5	49.0
<b>Ours</b>				<b>34.1</b>	<b>51.1</b>	<b>12.2</b>	<b>36.5</b>	<b>52.4</b>
R-FCN	Aligned-Inception-ResNet			32.9	54.5	12.5	36.3	48.3
<b>Ours</b>				<b>36.1</b>	<b>56.7</b>	<b>14.8</b>	<b>39.8</b>	<b>52.2</b>
R-FCN		✓		34.5	55.0	16.8	37.3	48.3
<b>Ours</b>		✓		37.1	57.3	18.8	39.7	52.3
R-FCN	Aligned-Inception-ResNet	✓	✓	35.5	55.6	17.8	38.4	49.3
<b>Ours</b>		✓	✓	<b>37.5</b>	<b>58.0</b>	<b>19.4</b>	<b>40.1</b>	<b>52.5</b>

Table 5: Object detection results of deformable ConvNets v.s. plain ConvNets on COCO test-dev set. M denotes multi-scale testing, and B denotes iterative bounding box average in the table.

object detection and semantic segmentation.

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### A. Details of Aligned-Inception-ResNet

In the original Inception-ResNet [48] architecture, multiple layers of valid convolution/pooling are utilized, which brings feature alignment issues for dense prediction tasks. For a cell on the feature maps close to the output, its projected spatial location on the image is not aligned with the location of its receptive field center. Meanwhile, the task specific networks are usually designed under the alignment assumption. For example, in the prevalent FCNs for semantic segmentation, the features from a cell are leveraged to predict the pixels label at the corresponding projected image location.

To remedy this issue, we designed a network architecture called “Aligned-Inception-ResNet”, which is shown in Table 6. When the feature dimension changes, a  $1 \times 1$  convolution layer with stride 2 is utilized. There are two main differences between Aligned-Inception-ResNet and the original Inception-ResNet [48]. Firstly, Aligned-Inception-ResNet does not have the feature alignment problem, by proper padding in convolutional and pooling layers. Secondly, Aligned-Inception-ResNet consists of repetitive modules, whose design is simpler than the original

stage	spatial dim.	Aligned-Inception-ResNet
conv1	112×112	$7 \times 7$ , 64, stride 2
		$3 \times 3$ max pool, stride 2
conv2	56×56	$\begin{bmatrix} 256\text{-d} \\ \text{IRB} \end{bmatrix} \times 3$
conv3	28×28	$\begin{bmatrix} 512\text{-d} \\ \text{IRB} \end{bmatrix} \times 4$
conv4	14×14	$\begin{bmatrix} 1024\text{-d} \\ \text{IRB} \end{bmatrix} \times 23$
conv5	7×7	$\begin{bmatrix} 2048\text{-d} \\ \text{IRB} \end{bmatrix} \times 3$
classifier	1×1	global average pool, 1000-d fc, softmax

Table 6: Network architecture of Aligned-Inception-ResNet. The *Inception Residual Block* (IRB) is detailed in Figure 7.

Inception-ResNet architectures.

The Aligned-Inception-ResNet model is pre-trained on ImageNet-1K classification [8]. The training procedure fol-

Network	# params	top-1 err (%)	top-5 err (%)
ResNet-101	46.0M	23.6	7.1
Inception-ResNet-v2	54.3M	19.6	4.7
Aligned-Inception-ResNet	64.3M	22.1	6.0

Table 7: Comparison of Aligned-Inception-ResNet with ResNet-101 and Inception-ResNet-v2 on ImageNet-1K validation.

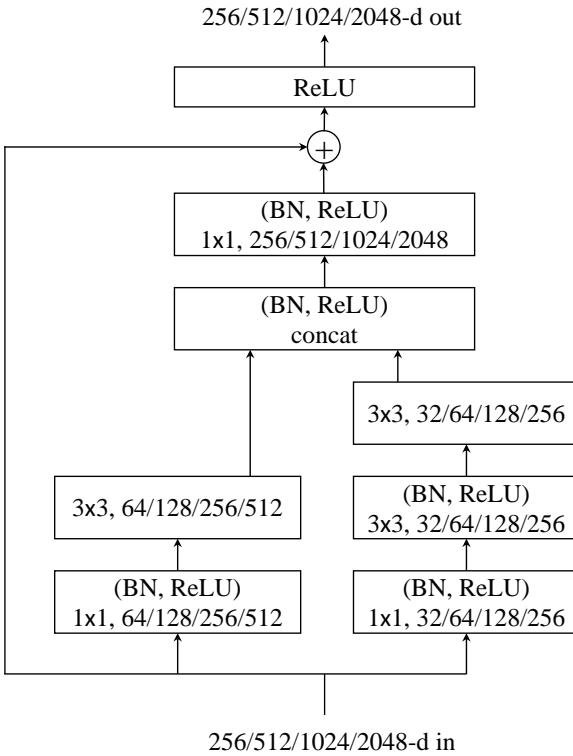


Figure 7: The *Inception Residual Block* (IRB) for different stages of Aligned-Inception-ResNet, where the dimensions of different stages are separated by slash (conv2/conv3/conv4/conv5).

lows [21]. Table 7 reports the model complexity, top-1 and top-5 classification errors.

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