

More examples on number conversions

Taken from

Digital Electronics: Principles, Devices and Applications Anil K. Maini
© 2007 John Wiley & Sons, Ltd. ISBN: 978-0-470-03214-5

Example 1.3

We will find the binary equivalent of $(13.375)_{10}$.

Solution

- The integer part = 13

Divisor Dividend Remainder

2	13	—
2	6	1
2	3	0
2	1	1
—	0	1

- The binary equivalent of $(13)_{10}$ is therefore $(1101)_2$
- The fractional part = .375
- $0.375 \times 2 = 0.75$ with a carry of 0
- $0.75 \times 2 = 1.5$ with a carry of 1
- $0.5 \times 2 = 1.0$ with a carry of 1
- The binary equivalent of $(0.375)_{10}$
= $(.011)_2$
- Therefore, the binary equivalent of $(13.375)_{10}$
= $(1101.011)_2$

Example 1.4

We will find the octal equivalent of $(73.75)_{10}$.

Solution

- The integer part = 73

Divisor Dividend Remainder

8	73	—
8	9	1
8	1	1
—	0	1

- The octal equivalent of $(73)_{10}$
= $(111)_8$
- The fractional part = 0.75
- $0.75 \times 8 = 6.0$ with a carry of 6
- The octal equivalent of $(0.75)_{10}$
= $(.6)_8$
- Therefore, the octal equivalent of $(73.75)_{10}$
= $(111.6)_8$

Example 1.5

Let us determine the hexadecimal equivalent of $(82.25)_{10}$

Solution

- The integer part = 82

Divisor Dividend Remainder

16	82	—
16	5	2
—	0	5

- The hexadecimal equivalent of $(82)_{10}$
= $(52)_{16}$
- The fractional part = 0.25
- $0.25 \times 16 = 0$ with a carry of 4
- Therefore, the hexadecimal equivalent of $(82.25)_{10}$
= $(52.4)_{16}$

Example 1.6

Let us find the binary equivalent of $(374.26)_8$ and the octal equivalent of $(1110100.0100111)_2$

Solution

- The given octal number = $(374.26)_8$
- The binary equivalent = $(011\ 111\ 100.010\ 110)_2$
= $(011111100.010110)_2$

- Any 0s on the extreme left of the integer part and extreme right of the fractional part of the equivalent

binary number should be omitted. Therefore, $(011111100.010110)_2$

= $(11111100.01011)_2$

- The given binary number = $(1110100.0100111)_2$

= $(1110100.0100111)_2$

= $(1\ 110\ 100.010\ 011\ 1)_2$

= $(001\ 110\ 100.010\ 011\ 100)_2$

= $(164.234)_8$

Example 1.7

Let us find the binary equivalent of $(17E.F6)_{16}$ and the hex equivalent of $(1011001110.011011101)_2$.

Solution

- The given hex number = $(17E.F6)_{16}$
- The binary equivalent = $(0001\ 0111\ 1110.1111\ 0110)_2$
= $(000101111110.11110110)_2$
= $(101111110.1111011)_2$

- The 0s on the extreme left of the integer part and on the extreme right of the fractional part have been omitted.

- The given binary number = $(1011001110.011011101)_2$

$$= (10\ 1100\ 1110.0110\ 1110\ 1)_2$$

- The hex equivalent = $(0010\ 1100\ 1110.0110\ 1110\ 1000)_2$

$$= (2CE.6E8)_{16}$$

Example 1.8

Let us find the octal equivalent of $(2F.C4)_{16}$ and the hex equivalent of $(762.013)_8$

Solution

- The given hex number = $(2F.C4)_{16}$.

- The binary equivalent = $(0010\ 1111.1100\ 0100)_2$

$$= (00101111.11000100)_2$$

$$= (101111.110001)_2$$

$$= (101\ 111.110\ 001)_2$$

$$= (57.61)_8.$$

- The given octal number = $(762.013)_8$.

- The octal number = $(762.013)_8$

$$= (111\ 110\ 010.000\ 001\ 011)_2$$

$$= (111110010.000001011)_2$$

$$= (0001\ 1111\ 0010.0000\ 0101\ 1000)_2$$

$$= (1F2.058)_{16}.$$