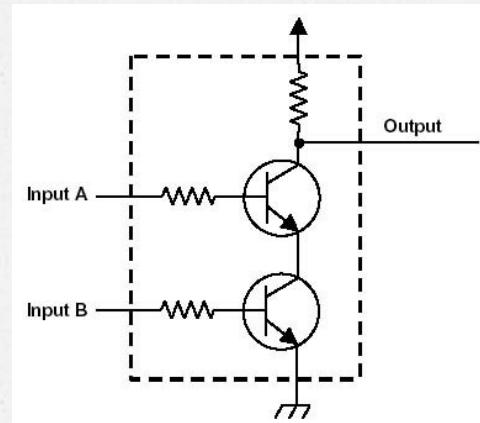


# COMP1003 Computer Organization

## Lecture 4 From Transistors to Gates



United International College

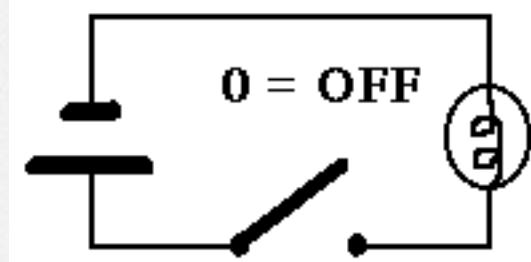
# Claude Shannon



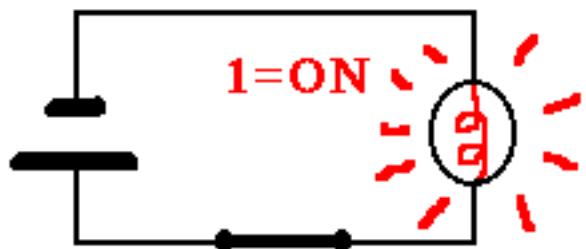
- His master's thesis in 1937, *A Symbolic Analysis of Relay and Switching Circuits*, is considered as "possibly the most important, and also the most famous, master's thesis of the century."
- He came up with the idea that **electrical switches can be used to do Boolean logic**

# Switch

false



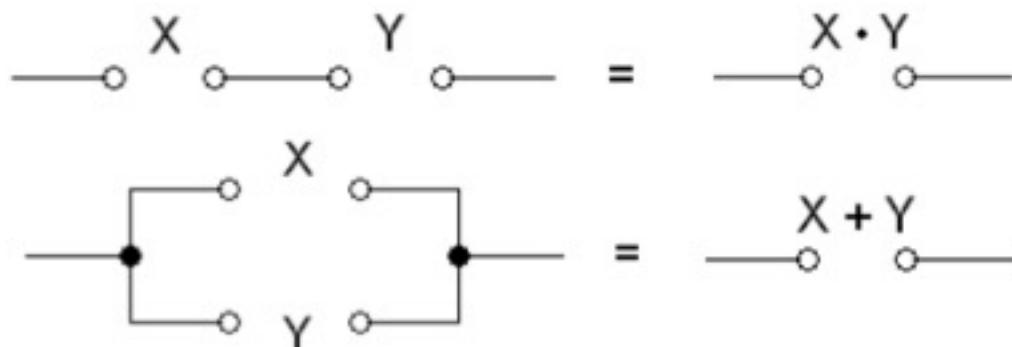
true



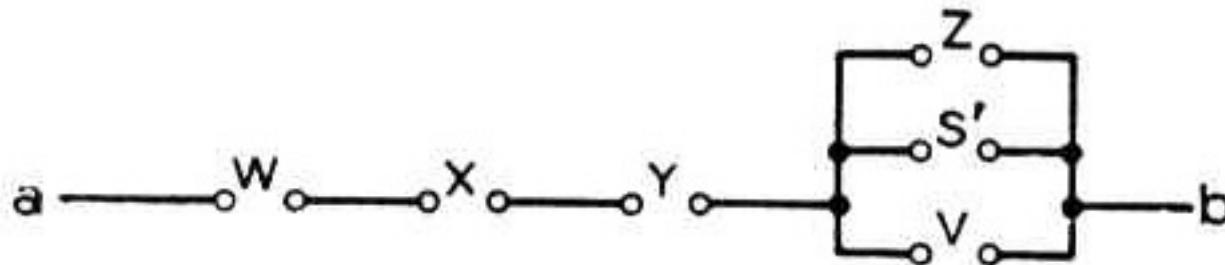
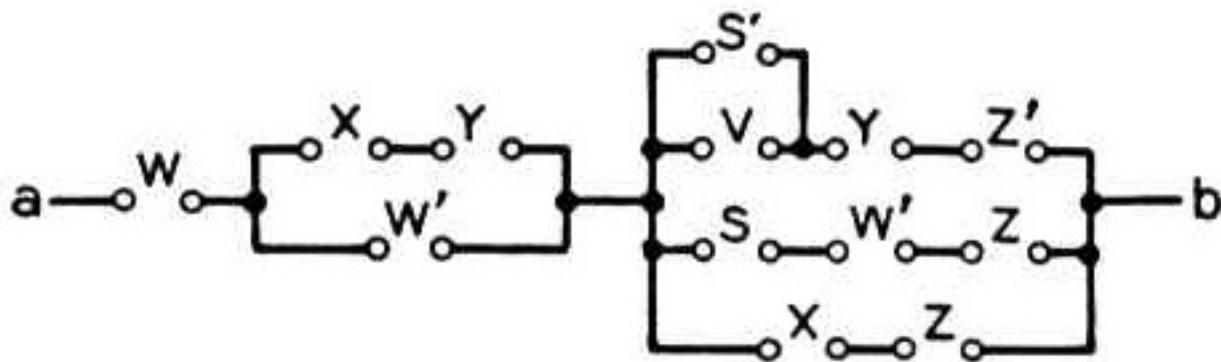
open

close

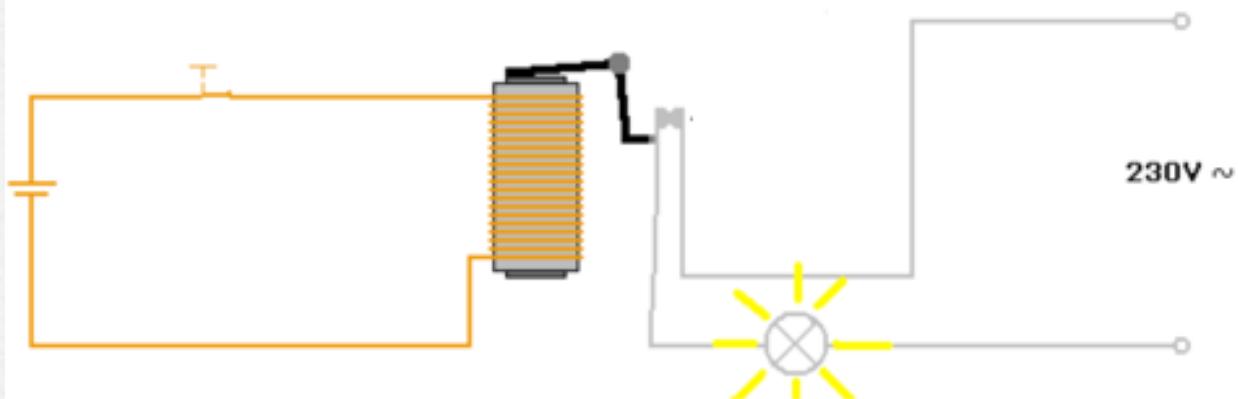
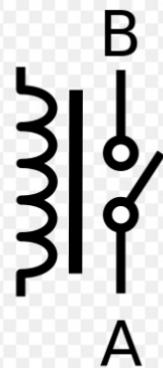
# From Switches to Boolean Expression



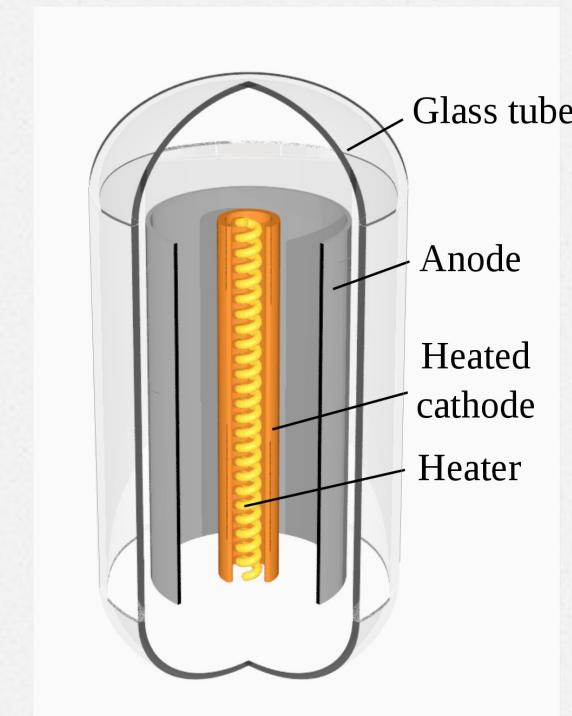
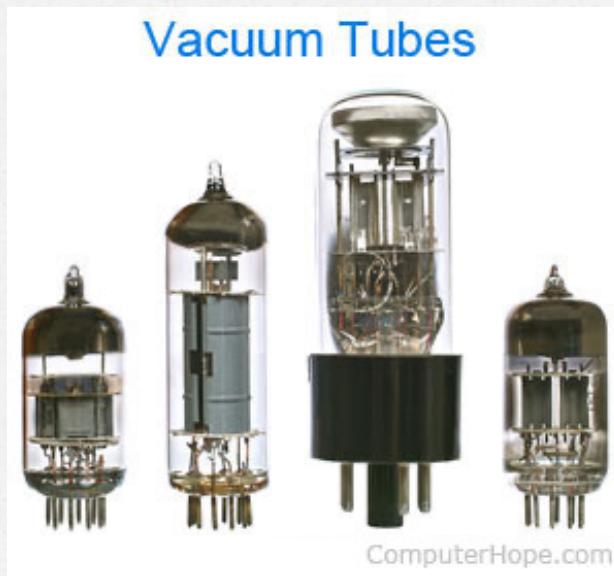
# Simplifying Circuit by Boolean Logic



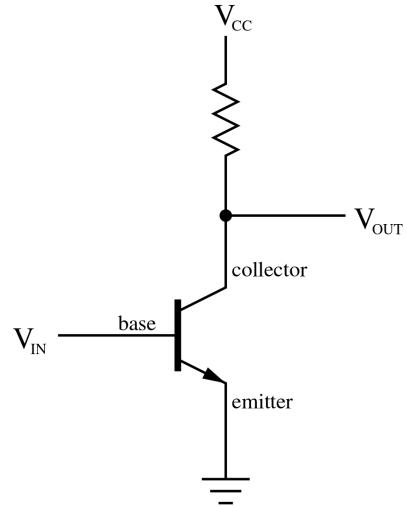
# Relay(继电器)



# Vacuum Tube

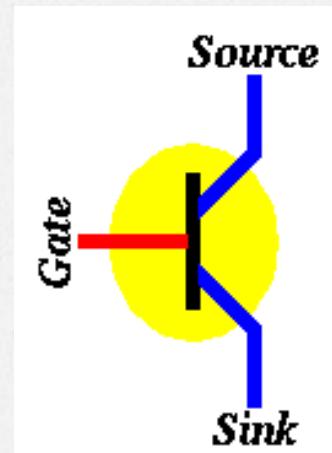
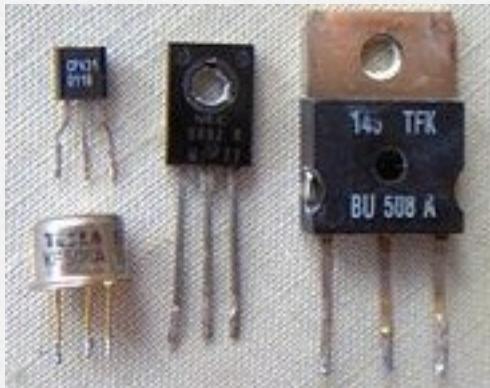


# Transistor



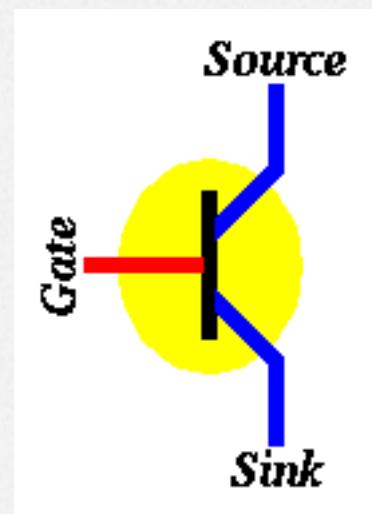
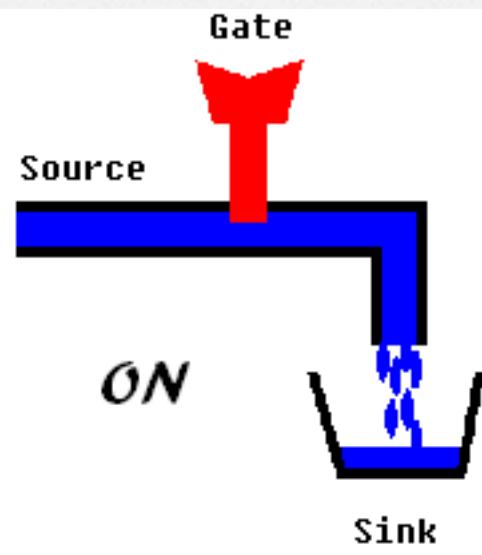
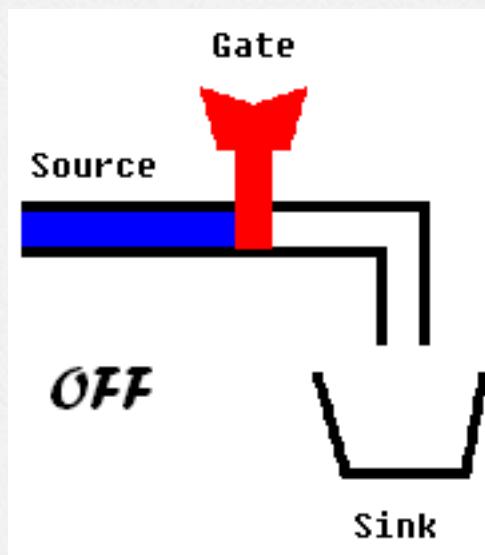
# Transistor

- A transistor is a discrete electronic component that can behave like a **switch**
- Tiny, cheap, flexible and reliable
- The greatest invention of the twentieth century



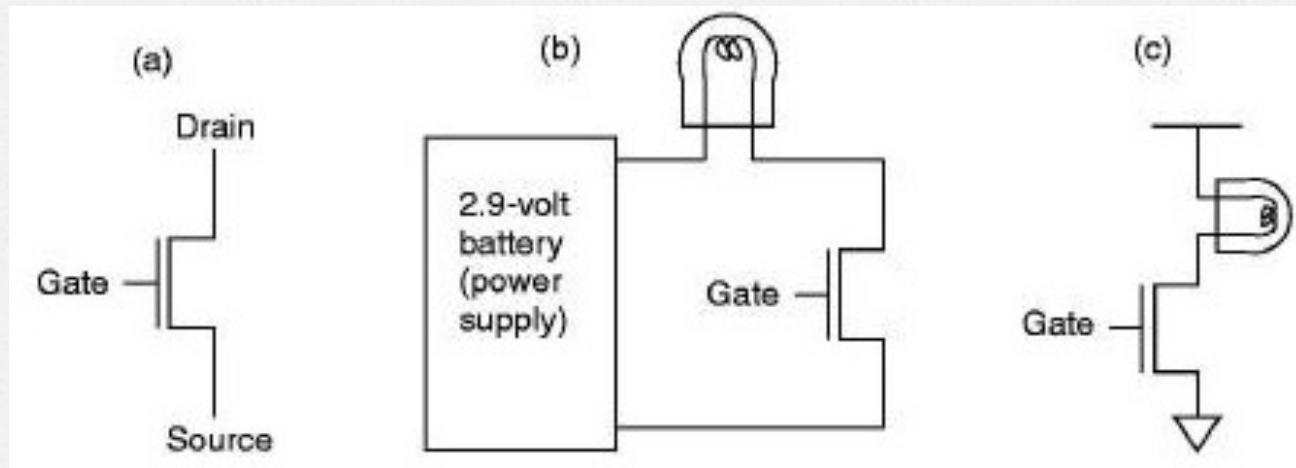
# Water Flow Example

- Gate on, Water flow: 1 (close)
- Gate off, Water not flow: 0 (open)



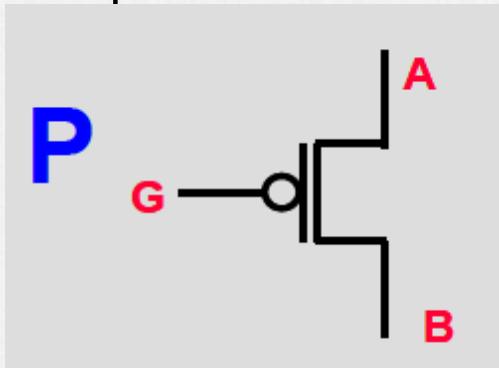
# Transistor: Electricity Flow

- Conducts when  $V_{GS}$  is high (N Type transistor)  
(close)
- Blocks when  $V_{GS}$  is 0 (open)

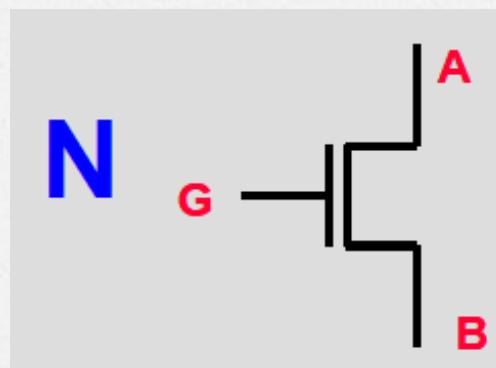


# CMOS Transistors

- Complementary Metal-Oxide Semiconductor
  - Two types: P-type (positive) and N-type (negative)
  - P and N-type transistors operate in inverse



Open (insulating) if gate is “on” = 1  
Closed (conducting) if gate is “off” = 0



Open if gate is “off” = 0  
Closed if gate is “on” = 1

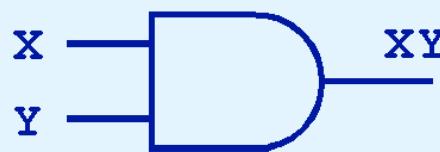
# From Transistors to Logic Gates

- o We can use transistors as building blocks
- o First let's look at how to build logic gates
  - o NOT
  - o OR/NOR
  - o AND/NAND
  - o XOR

# Logic Gates

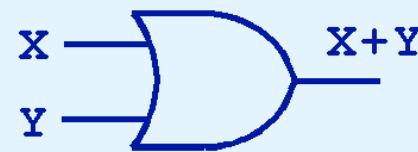
- Boolean functions are implemented in digital computer circuits called **logic gates**.
- A gate is an electronic device that produces a result based on two or more input values.
- In reality, gates consist of **one to six transistors**, but digital designers think of them as a single unit.
- Integrated circuits contain collections of gates suited to a particular purpose.

# Logic Gates



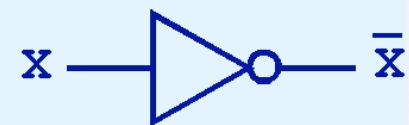
X AND Y

X	Y	XY
0	0	0
0	1	0
1	0	0
1	1	1



X OR Y

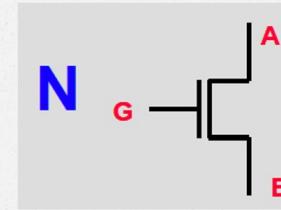
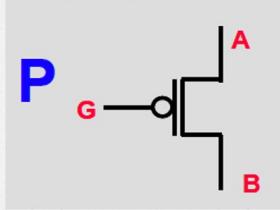
X	Y	X+Y
0	0	0
0	1	1
1	0	1
1	1	1



NOT X

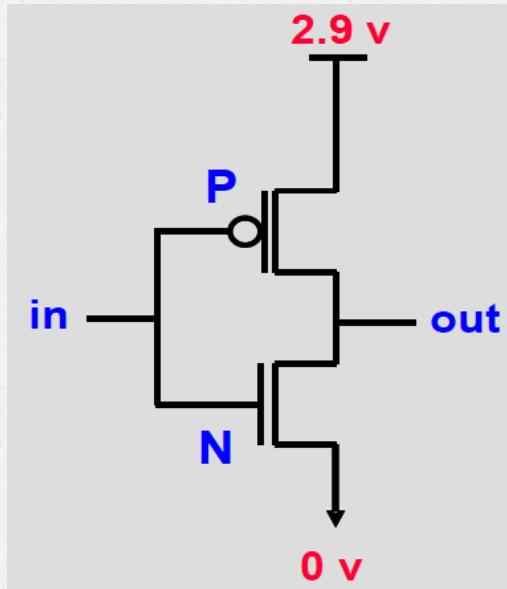
X	$\bar{X}$
0	1
1	0

# Inverter Gate (NOT)

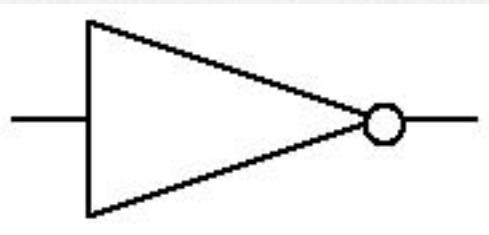


Open (insulating) if gate is "on" = 1  
Closed (conducting) if gate is "off" = 0

Open if gate is "off" = 0  
Closed if gate is "on" = 1

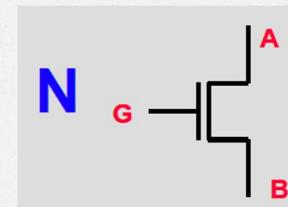
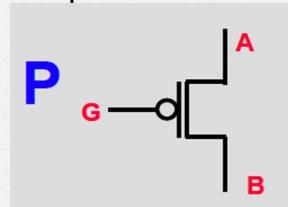


In	Out
0	1
1	0



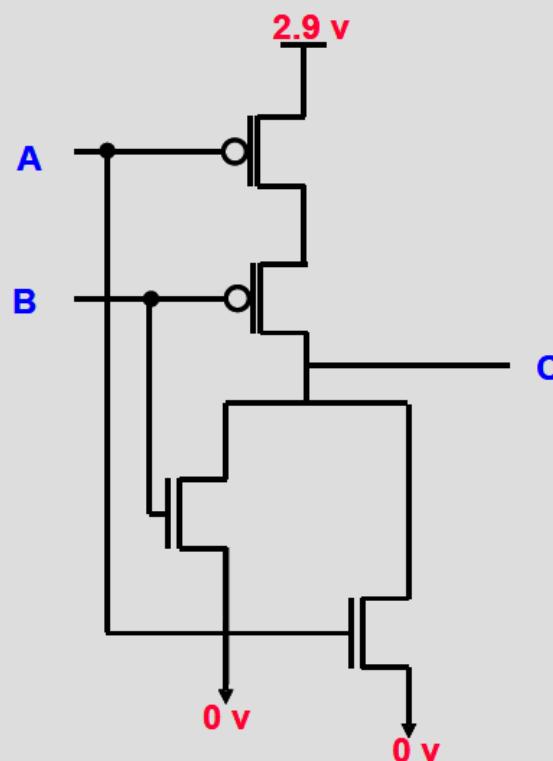
In = 0 (0 v) → N is open, P is closed → Out is 1 (2.9 v)

# NOR Gate

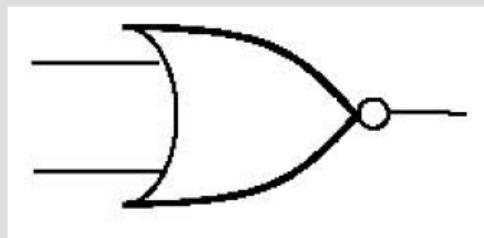


Open (insulating) if gate is “on” = 1  
Closed (conducting) if gate is “off” = 0

Open if gate is “off” = 0  
Closed if gate is “on” = 1

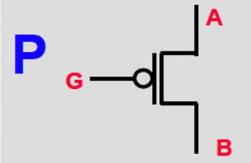


A	B	C
0	0	1
0	1	0
1	0	0
1	1	0

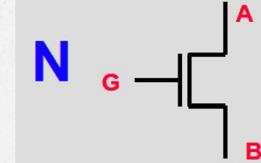


**NOR**

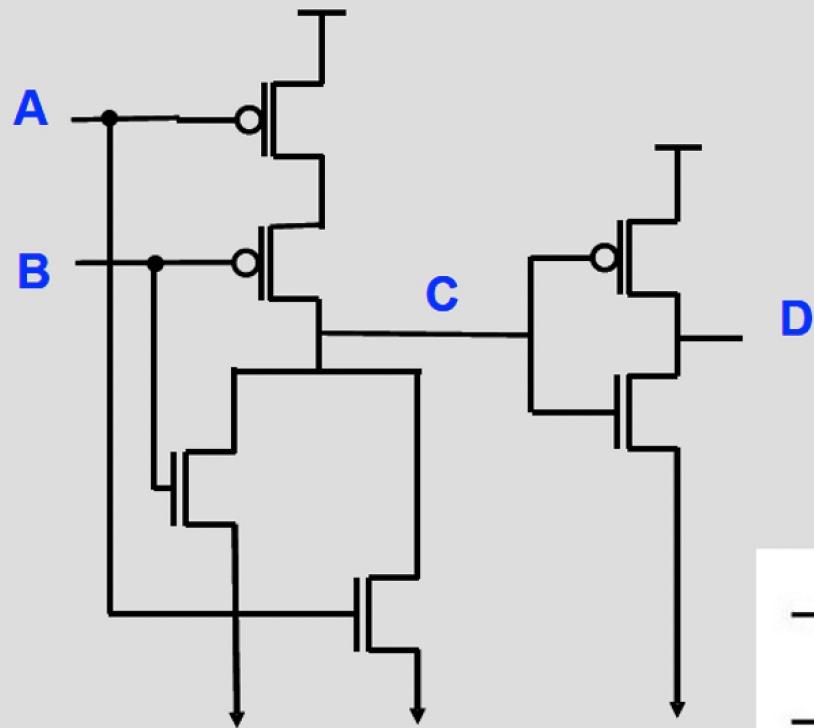
# OR Gate



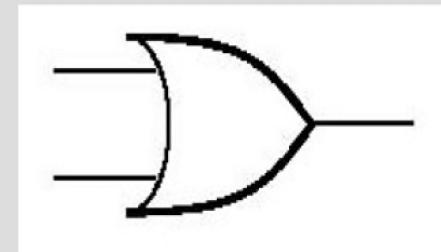
Open (insulating) if gate is "on" = 1  
Closed (conducting) if gate is "off" = 0



Open if gate is "off" = 0  
Closed if gate is "on" = 1

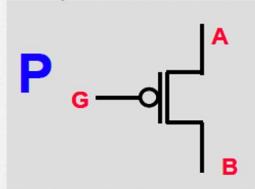
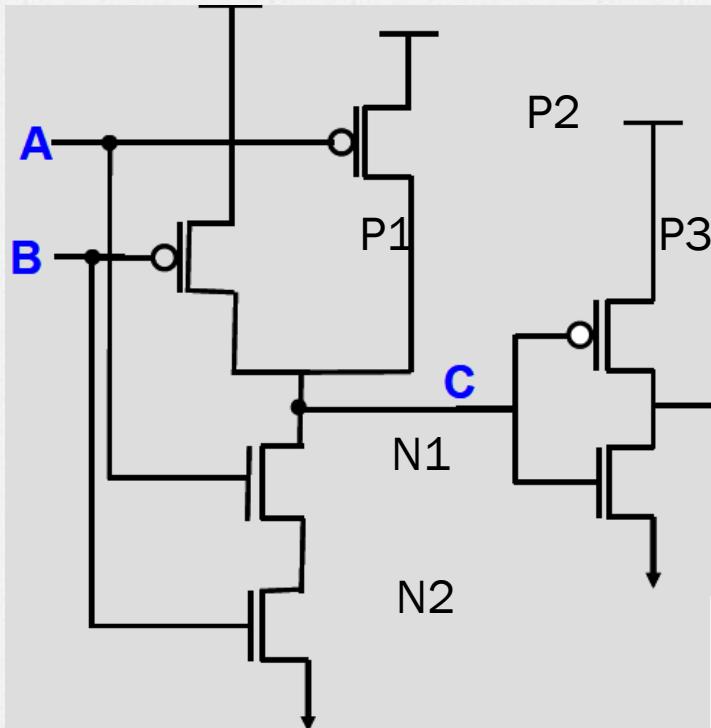


A	B	C	D
0	0	1	0
0	1	0	1
1	0	0	1
1	1	0	1

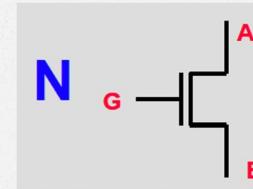


OR

# AND/NAND

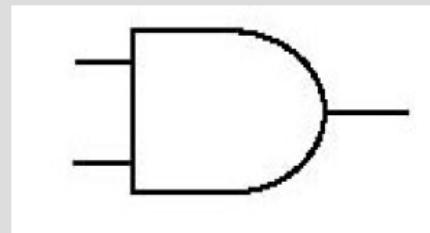


Open (insulating) if gate is "on" = 1  
Closed (conducting) if gate is "off" = 0



Open if gate is "off" = 0  
Closed if gate is "on" = 1

A	B	C	D
0	0	1	0
0	1	1	0
1	0	1	0
1	1	0	1



**AND**

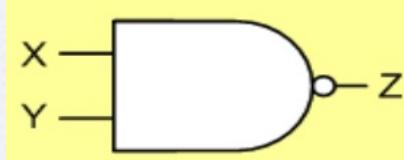
$A = 0, B = 0 \rightarrow N1, N2$  open,  $P1, P2$  close  
 $\rightarrow C = 1 \rightarrow P3$  open,  $N3$  close  $\rightarrow D = 0$

# Universal Logical Gate

- A **universal gate** is a gate which can implement any Boolean function without need to use any other gate type.
- The **NAND** and **NOR** gates are universal gates.
- In practice, this is advantageous since NAND and NOR gates are economical and easier to fabricate and are the basic gates used in all IC digital logic families.

# NAND

- Prove that NAND is a universal gate

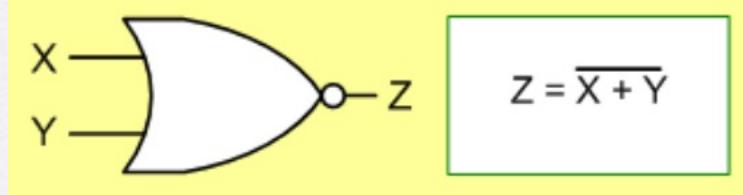


$$Z = \overline{X \cdot Y}$$

X	Y	NAND
0	0	1
0	1	1
1	0	1
1	1	0

# NOR

- o Prove that NOR is a universal gate



X	Y	NOR
0	0	1
0	1	0
1	0	0
1	1	0

# Summary

- Information can be represented by bits
- Binary arithmetic/operations can be done by Boolean algebra
- Electronic signals can represent bits
- Shannon found that Boolean logic can be implemented using electrical switches
- Transistors can switch electronic signals
- NAND and NOR are universal logical gates

# What's Next

- o How to use logic gates to build more complex and more powerful **circuits**

