

# Spatial Alarms In The Obstructed Space\*

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## ABSTRACT

Spatial Alarms are personalized LBS, that are triggered by a specific location of a moving user, irrespective of time. In this paper, we introduce spatial alarm queries in obstructed space. Existing work in this area has focused mainly on Euclidean distance and road network models. The key idea of our approach is to calculate dynamically changing *safe region*, *reliable region* and *known regions* depending on the user's current position. We opt to provide both high accuracy and high efficiency by providing a spatial alarm processing system that can work in two modes. Our approach aims to reduce redundant computations in client side, while using low communication bandwidth between user and client.

## Categories and Subject Descriptors

H.4 [Information Systems Applications]: Miscellaneous;  
D.2.8 [Software Engineering]: Metrics—*complexity measures, performance measures*

## General Terms

Theory

## Keywords

Spatial Alarm, Obstructed Space

## 1. INTRODUCTION

The widespread use of smart phones has led to the proliferation of location based services. Starting from static LBS (Location Based Service) such as finding the nearest pharmacy for a user's location, now-a-days LBSs are tailored for moving users. Spatial Alarms are an important class of LBS, that are triggered by a specific location of a moving user, irrespective of time. For example, "Remind me if I'm

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WOODSTOCK '97 El Paso, Texas USA

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within 100 meters of a pharmacy" is a possible example of a spatial alarm.

Existing work in this area has focused mainly on Euclidean distance and Road Network models [1],[4],[2]. However, Spatial alarm evaluation in the obstructed space is different than road network or Euclidean space as it considers the obstacles in the path to the location of alarm. It is better approximated by a pedestrian scenario while road networks are approximated by vehicle scenarios. A pedestrian's path is not limited by roads. However, a pedestrian is obstructed by various obstacles such as buildings or trees. Thus while calculating the distance from alarms, we have to consider the obstructed distance.[6] In this paper we propose a unique approach to evaluate spatial alarms in obstructed space. To the best of our knowledge this query has not been addressed in any existing research work.

Spatial alarms are based on a fixed location thus applying the techniques that are used in answering spatial range queries is both inefficient and wasteful as, in spatial range query continuous re-evaluation of user's location is needed in case of a mobile user. However, in spatial alarm, the main point of interest is a static location. Thus the user's location is not relevant at all times. Another challenge in spatial alarm processing is the communication cost between the server and the client. The key idea of our approach is to calculate a dynamic *safe region*, within which no computation has to be done to provide an accurate alarm trigger. We will use an R-tree structure to index both obstacles and POI's in our approach. Our spatial alarm processing system has two different modes for efficient and effective processing of spatial alarms, namely, Bandwidth saving mode and Computational Cost Saving mode. Our approach accounts for both accuracy and efficiency by focusing on (1) No alarms being missed in user's proximity (2) Avoiding wasteful computation in client side (3) minimizing data transfer between server and client. In summary the our main contributions are:

- We introduce spatial alarm queries in obstructed space
- We provide a spatial alarm evaluation system for mobile user.
- Our approach deals with varying types of POIs such as private, public and shared.
- We provide dynamically changing regions to accurately evaluate spatial alarm queries.
- We provide an extensive experimental analysis to compare the accuracy of our approach with other naive approaches based on different parameters.

## 2. PRELIMINARIES

Spatial alarms are location-based, user-defined triggers which will possibly shape the future mobile application computations. They are distinct from spatial range query and do not need immediate evaluation after the user has activated them. The spatial alarm evaluation strategies are judged based on two features, correctness and scalability. Correctness refers to the quality that guarantees no alarms are missed. And scalability is the feature that measures the number of POI's the system can adapt to. In this paper, We propose a novel approach to evaluate spatial alarms in obstructed space which ensures both high accuracy and high scalability.

We define three different type of regions: *Known Region*, *Reliable Region* and *Safe Region*

**DEFINITION 2.1. *Known Region:*** We define two different known regions for the POIs and the obstacles. The region containing at least 1 POI is the known region for POI. The region circulating the POIs known region containing none or single colliding obstacles is the known region for the obstacles. The set of obstacles and POIs within this region is known to the client. We will denote the radius of the known region of the POIs as  $r_{kp}$  and that of the obstacles as  $r_{ko}$ .

**DEFINITION 2.2. *Reliable Region:*** Within which region, no further query to the server has to be done to compute a consistent set of answers, that is termed as a reliable region. Given the radius of the reliable region as  $r_{rel}$ , the user's previous location as  $P_1$  and the current location as  $P_2$ , if  $(P_1 - P_2) < r_{rel}$ , then by this definition no further queries to the server has to be done to compute a consistent set of answers.

**DEFINITION 2.3. *Safe Region:*** A safe region is the region located inside reliable region within which the answer set of POIs remains unchanged for a moving client. We will denote the radius of the safe region as  $r_{safe}$ . Given the user's previous location  $P_1$  and the current location  $P_2$ , if  $(P_1 - P_2) < r_{safe}$ , then no recalculation is needed to compute the answer.

## 3. PROBLEM SETUP

Existing research has categorized spatial alarms into three types: public, shared and private. Public alarms are alarms which are active for every user within the system, such as an alarm must be sent to everyone within 100 meters of a building on fire. Private alarms are user defined alarms which can be viewed by the user, such as a user might set an alarm to alert her if she is within 100 meters of her favorite coffee shop. Shared alarms are shared between specific groups of people. In the previous example if a user chooses to share the alarm for the coffee shop with some of her friends it becomes a shared spatial alarm. *Obstructed Space Route Problem* denotes the problem of finding the shortest route between two query-points in Obstructed Space where non-intersecting 2D polygons represent *obstacles* and where the route does not traverse through any obstacles. The length of the Obstructed route between points a and b is called the *Obstructed Distance* between a and b, denoted by  $D_{obs,a,b}$ . A **Spatial Alarm Query in Obstructed Space** is formally defined as follows: Given the user's current location p, and an alarming distance  $U_d$  for an alarm, spatial alarm

query returns the set of alarms A, where for each  $a \in A, D_{obs,p,a} < U_d$ .

Table 1: Symbol Table

Symbols	Meaning
$P$	Set of POIs
$O$	Set of Obstacles
$dist_E(p, q)$	Euclidean distance between point p and q
$dist_O(p, q)$	Obstructed Distance between point p and q
$r_{safe}$	radius of safe region
$r_{rel}$	radius of reliable region
$r_{kp}$	radius of known region for POIs
$r_{ko}$	radius of known region for obstacles

## 4. RELATED WORK

As our considered problem consists of two already researched topics as spatial-alarm and obstructed-space, there are numerous related-works on these two topics. However, to the best of our knowledge no research work has yet been published on the topic of spatial alarms in obstructed space.

### 4.1 Spatial Alarms

Extensive research has been performed and various effective algorithms have been proposed [4],[5],[1] to process spatial alarms in Euclidean space and road network in recent years. Euclidean space considers the straight line distance between two points irrespective of obstacles on the other hand in road networks navigation is limited along predefined roads. [4] proposes a solution to the spatial alarm problem for moving users on road network. They introduce road network-based spatial alarms using segment length-based and travel time-based road network distances. Our approach aims to provide a solution to the same problem, depicted in an obstructed space [?] scenario. Again, Their solution incorporates the concept of hibernation time, a time during which no processing takes place in the mobile client or the processing engine comprehensive research, where in our approach we propose the novel concept of safe region. Comprehensive research has been conducted in [2] to make spatial alarm evaluation energy-efficient and effective in road networks. Though to the best of our knowledge, no efficient algorithm has yet been devised to process spatial alarms in obstructed space. [?] provides an efficient indexing structure for the processing of spatial alarms called the Mondrian tree. However, in our approach we have used the conventional R-tree structure.

### 4.2 Obstructed Space

Obstructed space considers the shortest distance between two points in the presence of obstacles. Various spatial range query algorithms have been presented in recent times [7], [3], [6] such as nearest neighbor and group nearest neighbor in obstructed space. [6] provides an efficient approach to find the aggregate obstructed distance along with processing the group nearest neighbor query in obstructed space. [7] provides efficient algorithms for range search, nearest neighbors, e-distance joins and closest pairs, in obstructed space, considering that both data objects and obstacles are indexed by R-trees. Again, in [3] efficient algorithms have been computed for the reverse nearest neighbor query.

## 5. NAIVE APPROACHES

To compare the efficiency of our approach, we are about to present two straightforward solutions for processing spatial-alarms in an obstructed space - sequential POI processing on regular basis and region-divided alarm (POI) processing. Both of these approaches are explained in the following sub-sections.

### 5.1 Sequential Processing on Regular Basis

The POIs are saved in an R-tree indexed by own distance from the query point. In this naive approach, a maximum number of nearest POIs are retrieved from the server to populate the answer set  $A$  with the set of POIs ( $p$ ), set of obstacles ( $O$ ) and the visibility-graph  $V_G$ .

In the following algorithms, the  $\text{GETALLPOI}(q, R_{max}, P_{max})$  function populates the set  $P$  of POIs within maximum of  $R_{max}$  radius centering the query point (client's current location)  $q$  and with a maximum count of  $P_{max}$ . Similarly,  $\text{GETOBSTACLESET}(q, R_{max}, O)$  function returns the set of all obstacles within maximum of  $R_{max}$  radius centring  $q$ , but except those in a previous obstacle set  $O$  given as the third parameter.

$\text{MAKEVISGRAPH}(P, O)$  function returns the *visibility graph*  $V_G$  with the set of POIs  $P$  and obstacles  $O$ .

Here, a **Visibility Graph** is a graph  $V_G(V, E)$  where each  $v \in V$  is either a POI or a data-point and for each  $(u, v) \in E$ , there is an edge  $e$  between  $u$  and  $v$  if and only if it does not intersect with any obstacles *i.e.*  $u$  and  $v$  are *visible* to each other along the edge  $e$ .

$\text{MAKEANSWERSET}(q, k_{min}, P, O, V_G)$  function returns a heterogeneous data-model consisting of its all parameters to be used by the caller program.

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#### Algorithm 1: INITBYSERVER( $q, r_{max}, p_{max}$ )

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**Input** : Query point  $q$ , Max search radius  $r_{max}$ , max no. of POIs  $p_{max}$

**Output**: Answer set  $A$

```

1  $P \leftarrow \text{GETALLPOI}(q, r_{max}, p_{max})$ 
2  $O \leftarrow \text{GETOBSTACLESET}(q, r_{max}, \emptyset)$ 
3  $V_G \leftarrow \text{MAKEVISGRAPH}(P, O)$ 
4  $u_{min} \leftarrow \infty$ 
5 for  $i \leftarrow 1$  to  $|P|$  do
6    $u_{min} \leftarrow \min(u_{min}, u_i)$ 
7  $k_{min} \leftarrow (r_{max} - u_{min})$ 
8 return  $A \leftarrow \text{MAKEANSWERSET}(q, k_{min}, P, O, V_G)$ 
```

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The following method is triggered on a minimum change of the user's location by the system checking whether to give any alarm to the client or not along with the check of necessity to fetch more POI and obstacle when the client goes outside of the farthest POI's alarming zone. Here, the function  $\text{ALARMUSER}(p_i)$  triggers an alarm to the user since the respective POI  $p_i$  is reached and also marks  $p_i$  to be reached in the set of POIs  $P$ .

The inputs to this algorithm are the changed client-location  $q'$  and the answer set  $A$  consisting of the regions center  $q$ , minimum distance to be covered by the client to trigger this update procedure  $k_{min}$ , POI set  $P$ , obstacle set  $O$ , and the visibility graph  $V_G$ .

In this naive-approach, the visibility-graph is constructed more times than necessary to hold accuracy, each of which

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#### Algorithm 2: UPDATECLIENT( $q', A$ )

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```

Input :  $q', A$ 
1 for  $i \leftarrow 1$  to  $|P|$  do
2   if  $\text{dist}_O(q', p_i, V_G) > u_i$  then
3      $\text{ALARMUSER}(p_i)$ 
4 if  $\text{dist}_E(q, q') > k_{min}$  then
5    $\text{INITBYSERVER}(q', 100, 100)$ 
```

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constructions requires  $O(n^2)$  [5], where  $n$  = the number of edges of the obstacles. A huge overhead is also sufficed to make  $P$  and  $O$  sets using such procedure. Again, the Algorithm 4 can also be run much less time than in this approach, which is improvised in the later approaches.

### 5.2 Region-based Alarm Processing

This naive approach is a region-based modified straight forward approach which searches for a new POI inside the known region as soon as the client changes its position. This naive algorithm works in three parts - the first one retrieves all POIs and obstacles and then computes the known and reliable regions, the second one calculates the visibility graph and periodically checks the client's status to give alarms for any POI after every hibernation-period expiration and the third procedure checks the region crossings to recompute the answer set on any minimal location-change of the client. The Algorithms 3,4,5 show the respective parts.

Instead of the very naive  $\text{GETALLPOI}(q, R_{max}, P_{max})$  function used in the first naive approach, a modified function  $\text{CHECKNEWPOI}(q, r_k, P)$  is used in our following approaches to retrieve all excluded POIs of the given set  $P$  within the radius  $r_k$  centring the point  $q$ .

The input to the Algorithm 3 is the current location of the user  $q$  and the increment delta, which is the amount by which the regions will be expanded,  $r_d$ . The output of the algorithm is an answer set  $A$  which consists of the set of all obstacles  $O$  and POIs  $P$  along with the respective visibility graph  $V_G$  within the known-region radius  $r_k$  centring  $q$ .

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#### Algorithm 3: INITREGIONSBYSERVER( $q, r_d$ )

---

```

Input : Query point  $q$ , increment delta  $r_d$ 
Output: The answer set,  $A \leftarrow \{r_k, P, O\}$ 
1 while  $|P| < 1$  do
2    $r_k \leftarrow (r_k + r_d)$ 
3    $P \leftarrow \text{CHECKNEWPOI}(q, r_k, P)$ 
4  $O \leftarrow \text{GETOBSTACLESET}(q, r_k, \emptyset)$ 
5  $V_G \leftarrow \text{MAKEVISGRAPH}(P, O)$ 
6 return  $A \leftarrow \text{MAKEANSWERSET}(q, r_k, P, O, V_G)$ 
```

---

In the Algorithm 4, the function  $\text{ISANYPOIUNREACHABLE}(V_G)$  returns true if any POI inside the visibility graph  $V_G$  cannot be reached along any path inside  $V_G$ .

The input to this algorithm is the current location of the client  $q$  and the answer set from the Algorithm 3. This algorithm is also responsible for triggering an alarm to the client, if s/he is within the alarming distance of any POI.

The input to the Algorithm 5 is the current and the previous location of the client ( $q'$  and  $q$ ), the radius of the safe region ( $r_{safe}$ ), the reliable region ( $r_{rel}$ ) and the known region ( $r_k$ ) and finally the already computed answer set  $A$ .

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**Algorithm 4: SAFEREGIONCALC( $q', A$ )**

---

**Input** : Query point  $q'$ , previous answer set  $A$   
**Output**:  $r_{safe}$

```
1 if ISANYPOIUNREACHABLE( $V_G$ ) then
2    $A \leftarrow \text{INITREGIONBASE}(q', 10)$ 
3   return SAFEREGIONCALC( $q', A$ )
4  $u_{min} \leftarrow \infty, u_{max} \leftarrow 0$ 
5 for  $i \leftarrow 1$  to  $|P|$  do
6    $D_i \leftarrow \text{dist}_O(q', p_i, V_G)$ 
7    $D_{min} \leftarrow \min(D_{min}, D_i)$ 
8    $D_{max} \leftarrow \max(D_{max}, D_i)$ 
9  $r_{rel} \leftarrow (r_k - D_{min})$ 
10 foreach  $p_i \in P$  do
11   if  $\text{dist}_O(q', p_i, V_G) < u_i$  then
12     ALARMUSER( $p_i$ )
13 return  $r_{safe} \leftarrow (D_{min} - u_{max})$ 
```

---

The output of the algorithm is the minimum distance  $d_u$  to trigger this algorithm the next time.

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**Algorithm 5: OnLocationChange( $q, q', r_{safe}, r_{rel}, r_k$ )**

---

**Input** :  $q, q', r_{safe}, r_{rel}, r_k, A$   
**Output**:  $d_u$

```
1  $q_d \leftarrow \text{dist}_E(q, q')$ 
2 if  $q_d > r_{rel}$  then
3    $A \leftarrow \text{INITREGIONBASE}(q, q_d)$ 
4   SAFEREGIONCALC( $q, A$ )
5 else if  $q_d > r_{safe}$  then
6   SAFEREGIONCALC( $q, A$ )
7 return  $d_u \leftarrow r_{safe}$ 
```

---

In this approach, more than one query for the known region computation has to be done frequently to the server after computing the visibility graph and also if any unreachable POI is found out - which seems very much inefficient. Moreover, the safe region is in its minimum size in this approach, which requires more computation in the client side and thus gets the approach less efficient. These problems are solved in the following final approach.

## 6. OUR APPROACH

Our spatial alarm evaluation system is divided into client-server architecture. The server has access to the locations of mobile users, location of alarms and location of obstacles. In this paper we assume that all users have access to some sort of localization service such as GPS or Wi-Fi that allow the server to pinpoint their current location. The client application is a thin-weight application that communicates with the server at regular intervals to retrieve necessary information about alarms and the obstacles. We assume that the user can use any device such as smart-phones or PDA. Spatial alarm evaluation can be optimized using two key features: firstly, reducing the number of device wake-ups and secondly reducing the re-computation of same obstructed distance and reducing the number of duplicate data retrieval from the server. For the first strategy to be successful we propose an algorithm in the section which will compute an

optimal safe-region for our spatial alarm evaluation system. The second optimization technique is related to the safe-region computation technique. To compute the safe region the client application must communicate with the server as it needs the location of obstacles and alarms. In this paper we aim to optimize this communication by ensuring that no redundant data is retrieved from the server. We propose two different type of strategies which highlight exactly one of the aforementioned key features. Our application has two different modes, namely, *Bandwidth Saving Mode* and *Computational Cost Saving Mode*.

### 6.1 Bandwidth Saving Mode

In this mode the main focus is to reduce the bandwidth of communication between the server and the client. This mode is designed to operate in three parts - *client-initialization from server side*, *alarm-configuration* and *update on any minimal amount of location change*. Algorithms 6, 7, 8 show the algorithmic-steps for these three parts respectively.

The input to the client-initialization algorithm (Algorithm 6) is the current location of the client  $q$  and the incremental radius  $r_d$  by which the radius of the searchable region will expand. This algorithm improvises the single known region concept of the second naive approach described above into two different known regions for POIs and obstacles, which makes the frequent queries more efficient and accurate and needs much less server communication. The output of the algorithm is an answer set  $A$  which consists of the radius of the known regions of POIs and obstacles ( $r_{kp}$  and  $r_{ko}$  respectively), the set  $O$  of all obstacles within radius  $r_{ko}$  and the set of all POIs within radius  $r_{kp}$  centring  $q$ . Since it is a bandwidth saving mode, the visibility graph is not sent to the client as long as it can be computed using the existing data in the client side.

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**Algorithm 6: CLIENTINITBYSERVER( $q, r_d$ )**

---

**Input** : Query point  $q$ , increment delta  $r_d$   
**Output**: The answer set,  $A \leftarrow \{r_{kp}, r_{ko}, P, O\}$

```
1 while  $|P| < 1$  do
2    $r_{kp} \leftarrow (r_{kp} + r_d)$ 
3    $P \leftarrow \text{CHECKNEWPOI}(q, r_{kp}, P)$ 
4  $r_{ko} \leftarrow r_{kp}$ 
5  $O \leftarrow \text{GETOBSTACLESET}(q, r_{ko}, \emptyset)$ 
6  $V_G \leftarrow \text{MAKEVISGRAPH}(P, O)$ 
7 while ISANYPOIUNREACHABLE( $V_G$ ) do
8    $r_{ko} \leftarrow (r_{ko} + r_d)$ 
9    $O \leftarrow \text{GETOBSTACLESET}(q, r_{kp}, O)$ 
10   $P' \leftarrow \text{CHECKNEWPOI}(q, r_{ko}, P)$ 
11  if  $|P'| > |P|$  then
12     $P \leftarrow P'$ 
13     $r_{kp} \leftarrow r_{ko}$ 
14    goto Step-4
15 return  $A \leftarrow \text{MAKEANSWERSET}(r_{kp}, r_{ko}, P, O)$ 
```

---

In the Algorithm 7,  $\text{ISPATHINSIDE}(q, p_i, r_{safe}, V_G)$  returns true if the POI  $p_i$  is inside the radius  $r_{safe}$  centering  $q$  within the visibility graph  $V_G$  along with all of its connecting edges from the center  $q$ , otherwise returns false. The input to the Algorithm 7 is the current location of the client  $q$  and the answer set got from the Algorithm 6. This algorithm is also responsible for triggering an alarm to the client if s/he is

within the alarming distance of any POI. Recall that, here  $u_i$  is the alarming radius,  $d_i$  is the Euclidean distance from the center of the regions and  $D_i$  is the obstructed distance in the visibility graph  $V_G$  all for the  $i^{th}$  POI.

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**Algorithm 7:** CONFIGALARM( $q, A$ )

---

**Input** : Query point  $q$ , answer set  $A$   
**1**  $V_G \leftarrow \text{MAKEVISGRAPH}(P, O)$   
**2**  $r_{rel} \leftarrow (r_{ko} - u_{max})$   
**3**  $r_{safe} \leftarrow \infty$   
**4** **for**  $i \leftarrow 1$  **to**  $|P|$  **do**  
**5**    $r_{safe} \leftarrow \min(r_{safe}, D_i - u_i)$   
**6** **foreach**  $p_i \in P$  **do**  
**7**   **if**  $D_i \leq u_i$  **then**  
**8**      $\text{ALARMUSER}(p_i)$   
**9**   **else if**  $d_i < r_{safe}$  **and**  $\text{ISPATHINSIDE}(q, p_i, r_{safe}, V_G)$  **then**  
**10**      $r_{safe} \leftarrow \min(r_{safe}, d_i)$

---

In this algorithm, the visibility graph is computed using the answer sets  $P$  and  $O$  got as return of the 6 from the server side. The most critical part of this algorithm is to calculate the safe region. This is explained more with a suitable example depicted in the figure 3 and described later in this section.

The input to the algorithm 8 is the current and the previous location of the client ( $q'$  and  $q$ ), the radius of the safe region ( $r_{safe}$ ) and the reliable region ( $r_{rel}$ ) and finally the already computed answer set  $A$ . The output of the algorithm is the minimum distance  $d_u$  to trigger this algorithm the next time.

---

**Algorithm 8:** UPDATEONLOCCHANGE( $q', r_{safe}, r_{rel}, A$ )

---

**Input** :  $q, q', r_{safe}, r_{rel}, A$   
**Output:**  $d_u$   
**1**  $q_d \leftarrow \text{dist}_E(q, q')$   
**2** **if**  $q_d > r_{rel}$  **then**  
**3**    $A \leftarrow \text{CLIENTINITBYSERVER}(q, q_d)$   
**4**    $\text{CONFIGALARM}(q, A)$   
**5** **if**  $q_d > r_{safe}$  **then**  
**6**    $\text{CONFIGALARM}(q, A)$   
**7** **return**  $d_u \leftarrow r_{safe}$

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## 6.2 Computational Cost Saving Mode

The algorithms run in this mode almost similarly as in the "Bandwidth Saving Mode" with all the 3 described parts - client-initialization from server side, alarm-configuration and update on any minimal amount of location change as demonstrated in the Algorithms 6, 7, 8.

However, the main difference with the previously described mode from this mode is - the Algorithm 6 returning the computed  $V_G$  as another element of the answer set  $A$  from the server side and the algorithm 7 not reconstructing this  $V_G$  in the client side during running the Algorithm 7, whereas the Algorithm 8 remains all the same.

Therefore, an  $O(n^2)$  computation overhead for computing the  $V_G$  is saved in the client-side in cost of a one-time communication overhead in transferring the  $V_G$  in the Algorithm

6.

The above described approach can be depicted with some suitable examples as presented in the Figures 1, 2 and 3.

In figure 1 an example scenario is put as if 3 POIs  $p_1, p_2$ , and  $p_3$  are retrieved and in the figure 2 the same case is shown as if the algorithm 6 has returned the constructed visibility-graph  $V_G$  along with the set of POIs  $P$ , obstacles  $O$  and the radius of the POIs' known region  $r_{kp}$  and that of the obstacles' known region  $r_{ko}$ .

In the Figure 3, a critical case for the Algorithm 7 is demonstrated regarding the calculation of the safe region.

During the for-loop at line no. 4 of the algorithm 7, the safe-region's radius is calculated to be,

$r_{safe} = \min((65+60+70)-27, (110+10+80)-30) = 168m$ , whereas the safe-region is about to include both the POIs along with their whole path in the visibility graph  $V_G$  from the center  $q$  and also without any of them within their alarming zone. In this case as per the definition ??, no calculation would be done to alarm the client even if s/he enters within any of the POI's alarming zone. To narrow down this false safe-region for the sake of accuracy, the condition of line no. 9 inside the foreach-loop gets true and the radius is modified as  $r_{safe} = \min(168, 120-27) = 93m$  for  $p_1$  and in the second and final iteration for  $p_2$ ,  $r_{safe} = \min(93, 100-30) = 70m$ .

## 6.3 Proof of Correctness

The following proved facts bear the proof of accuracy and completeness of our final algorithms 6, 7 and 8.

In the algorithm 6, the fact that the incremental-search will find at least 1 POI and stop the increment to get a fixed  $r_{kp}$  within finite time follows from the incremental search algorithm given the fact that the POI data-set is not empty. One more fact is to be proved to guarantee the accuracy and completeness of the algorithm 6 as - the while loop at line 7 runs for a finite amount of time.

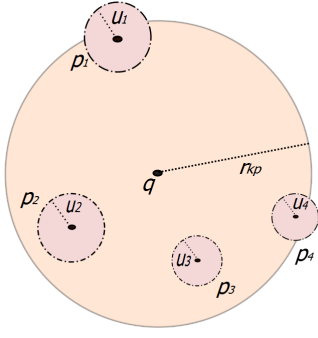
**PROOF.** If there's no unreachable POI or no/single collision between any obstacle and the perimeter of the POIs' known region, then the loop will terminate immediately.

If there is any totally unreachable POI, it must be surrounded by a series of obstacles, which will certainly cause no collision (in case that all obstacles are already inside the known region) or more than one collision (in case that some parts of the series of the obstacles are inside the known region) with the perimeter of the known region. So, the second clause will be false and the loop will terminate.

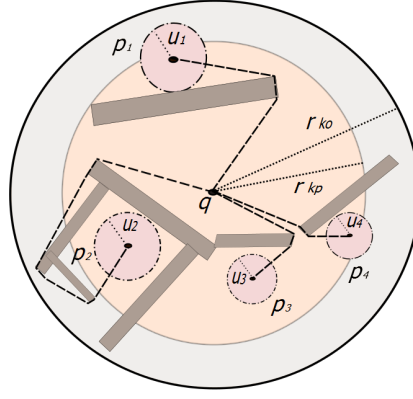
Finally, if there is any unreachable POI which can be reached by retrieving an extended set of obstacles, then it will be done and checked inside the loop and then loop will finish its purpose within finite time.  $\square$

**No computation is needed to accurately give alarm while the user is inside the safe region.**

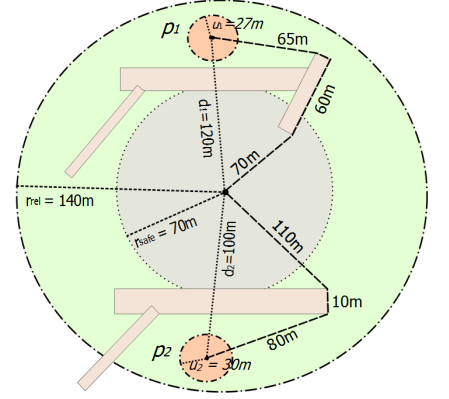
**PROOF.** *Case 1:* When the path to a POI is a straight line: In this case the claim is trivial to prove. We take  $\min(D_i - U_i)$  as the radius of safe region. Suppose there is a POI  $P$  with alarming distance  $U$ . The radius of the safe region is  $r$ . and the users current position is  $p'$ . Suppose for contradiction an alarm should be triggered to the user for  $P$  in his current position  $p'$ . Then,  $|p - p'| > (D - U)$ .



**Figure 1: Retrieved POIs within  $r_{kp}$  centring  $q$**



**Figure 2: Generated  $V_G$**



**Figure 3: Safe Region Calculation**

But as the user is within the safe region,  $|p - p'| < r$ . But that mean,  $r > |D - U|$  which is a contradiction because the algorithm 7 chooses the minimum between all  $(D_i - U_i)$ . *Case 2:* When the path to a POI is not a straight line: In this case there is an obstacle in the path to the POI. There can be two cases, a. the safe region contains the full path to the obstructed POI b. The safe region does not contain the full path to the obstructed POI. In case a, the algorithm 7 computes the minimum among the Euclidean distances of the POIs. As we know from the Euclidean lower bound property that the  $dist_O(a, b) \geq dist_E(a, b)$ , the proof follows from case 1. The safe region's radius will never over-assume the distance to the POI as it is considering the Euclidean distance. In case b, the algorithm 7 chooses the safe-region radius with the assumption that as the POI's full path is not the safe region, even if the user get's close to the POI in Euclidean Distance, Obstructed distance will always be higher.(Euclidean Lower Bound)  $\square$

**No query to the server has to be done to correctly give any alarm while the user is inside the reliable region**

Recall from algorithms 6 and 7 that the minimum alarming distance among all the available POIs for the user is returned as  $U_{min}$ , which is used to reduce the POIs' known region's radius to the reliable region's radius as  $r_{rel} = r_{ko} - U_{max}$ .

**PROOF.** If the safe region is well inside the safe region, then this proof follows the 1st fact. The 3 procedures run simultaneously to give accurate alarm for the POIs inside the known region and so inside the reliable as well as the safe region. The proof is needed for any POI outside both the known regions.

Let there be a POI outside both the known regions for which no alarm is triggered when the user gets inside its alarming distance  $U_i$ . But meanwhile, the user must cross the reliable region because  $r_{ko} - r_{rel} = U_{max} > U_i$  So according to algorithm 8, algorithm 6 and 7 are re-run and the assumed POI must come inside the newly computed known regions and its alarm will be given accurately. Hence, there is a contradiction. Therefore, there is no POI outside the reliable region which may miss its alarm. So, the statement is proved.  $\square$

**The update procedure is run timely to re-calculate the answer set.**

**PROOF.** This claim follows trivially from the proof of the fact that - no computation is needed to accurately give alarm while the user is inside the safe region.  $\square$

## 7. EXPERIMENTS

## 8. CONCLUSIONS

This paragraph will end the body of this sample document. Remember that you might still have Acknowledgments or Appendices; brief samples of these follow. There is still the Bibliography to deal with; and we will make a disclaimer about that here: with the exception of the reference to the L<sup>A</sup>T<sub>E</sub>X book, the citations in this paper are to articles which have nothing to do with the present subject and are used as examples only.

## 9. ACKNOWLEDGMENTS

This section is optional; it is a location for you to acknowledge grants, funding, editing assistance and what have you. In the present case, for example, the authors would like to thank Gerald Murray of ACM for his help in codifying this *Author's Guide* and the .cls and .tex files that it describes.

## 10. REFERENCES

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## APPENDIX

### A. HEADINGS IN APPENDICES

The rules about hierarchical headings discussed above for the body of the article are different in the appendices. In the **appendix** environment, the command **section** is used to indicate the start of each Appendix, with alphabetic order designation (i.e. the first is A, the second B, etc.) and a title (if you include one). So, if you need hierarchical structure *within* an Appendix, start with **subsection** as the highest level. Here is an outline of the body of this document in Appendix-appropriate form:

#### A.1 Introduction

#### A.2 The Body of the Paper

##### A.2.1 Type Changes and Special Characters

##### A.2.2 Math Equations

*Inline (In-text) Equations.*

*Display Equations.*

##### A.2.3 Citations

##### A.2.4 Tables

##### A.2.5 Figures

##### A.2.6 Theorem-like Constructs

*A Caveat for the T<sub>E</sub>X Expert*

#### A.3 Conclusions

#### A.4 Acknowledgments

### A.5 Additional Authors

This section is inserted by L<sup>A</sup>T<sub>E</sub>X; you do not insert it. You just add the names and information in the `\additionalauthors` command at the start of the document.

### A.6 References

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