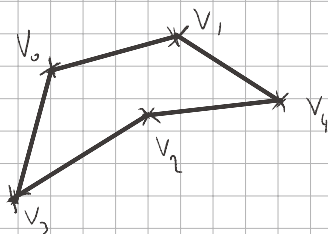




Tb 1 | m z @ labris: p r



P

0	1	4	2	3
---	---	---	---	---

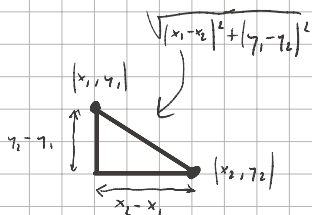
✓ sortie = permutation de
 $(0, 1, \dots, n-1)$

$$n(n-1)(n-2) \dots (1)$$

pour 26 lettres: $26!$ milliards

Question 1

$$\text{dist}(A, B) = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$



```
double dist (point A, point B) {
    return sqrt ((B.x - A.x)**2 + (B.y - A.y)**2);
}
```

Question 2

pour $n \geq 5$:

V ↓			
V[0].x	...	V[4].x	
V[0].y		V[4].y	

P ↓

0	1	2	3	4
---	---	---	---	---

```
value (point *V, int n, int *p) {
    double distance = 0;
    ...
}
```

	0	1	2	3	4	6	2	1	3	4
1	0	1	2	4	3					
1	0	1	3	2	4					
1	0	1	3	4	2					
1	0	1	4	2	3					
1	0	1	4	3	2					

// boucle

distance += dist(V[P[i]], V[P[i+1]]);

Question 3

double tsp_brute_force (point* V , int n , int* Q) {

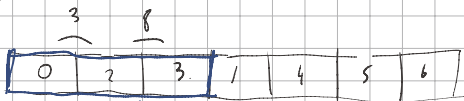
// 1. initialiser $P \leftarrow P[i] = i$

// 2. boucle où on calcule $d = \text{value}(V, n, P)$

// si $d \leq \text{dmin}$, $\text{dmin} = d$

return // récupérer P dans Q

$\text{dmin} = 10$



0 2 3 1 4 5 6
 :
0 2 3 6 5 4 1

$$3 + 8 = 11 > 10$$

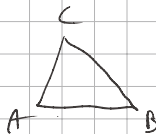
donc on veut tester

toutes les perm

qui commencent par 0, 2, 3

Question 4

inégalité triangulaire :



$$AB \leq AC + CB$$

Question 5

Question 6

