EINFÜHRUNG IN DIE QUANTENRECHNUNG Bits und Qubits

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P&GG Monotechnische Anstalt

2021 März 20 und 2021 April April

- Einfache Computadoras
 - Mathematik
 - Architektur

- Computadora Cuántica: Eine schwarze Kunst
 - Quantenzustände

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$$1572_{10} = 1 \times 10^3 +$$

$$1572_{10} = 1 \times 10^3 + 5 \times 10^2 +$$

$$1572_{10} = 1 \times 10^3 + 5 \times 10^2 + 7 \times 10^1 +$$

$$1572_{10} = 1 \times 10^3 + 5 \times 10^2 + 7 \times 10^1 + 2 \times 10^0$$

In decimal notation,

$$1572_{10} = 1 \times 10^3 + 5 \times 10^2 + 7 \times 10^1 + 2 \times 10^0$$

From binary to decimal,

$$10011012 = 1 \times 26 + 1 \times 23 + 1 \times 22 + 1 \times 20$$

$$= 64 + 8 + 4 + 1$$

$$= 7710$$

In decimal notation,

$$1572_{10} = 1 \times 10^3 + 5 \times 10^2 + 7 \times 10^1 + 2 \times 10^0$$

From binary to decimal,

$$10011012 = 1 \times 26 + 1 \times 23 + 1 \times 22 + 1 \times 20$$

$$= 64 + 8 + 4 + 1$$

$$= 7710$$

Going from decimal to binary notation,

$$\begin{aligned} 27_{10} &= 16 + 8 + 2 + 1 \\ &= 1 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 1 \times 2^0 \\ &= 11011_2 \end{aligned}$$

$$2^{0} = 1$$
 $2^{1} =$
 $2^{2} =$
 $2^{3} =$
 $2^{4} =$
 $2^{5} =$
 $2^{6} =$
 $2^{7} =$
 $2^{8} =$

$$= 00000001_2$$

$$2^{0} = 1$$
 $2^{1} = 2$
 $2^{2} = 2^{3} = 2^{4} = 2^{5} = 2^{6} = 2^{7} = 2^{8} = 2^{8} = 2^{1}$

$$= 00000001_2$$
$$= 000000010_2$$

$$2^{0} = 1$$
 $2^{1} = 2$
 $2^{2} = 4$
 $2^{3} = 2^{4} = 2^{5} = 2^{6} = 2^{7} = 2^{8} = 2^{8} = 2^{1}$

$$= 00000001_{2}$$

$$= 00000010_{2}$$

$$= 000000100_{2}$$

$$2^{0} = 1$$
 $2^{1} = 2$
 $2^{2} = 4$
 $2^{3} = 8$
 $2^{4} = 2^{5} = 2^{6} = 2^{7} = 2^{8} = 2^{8} = 2^{1}$

$$= 00000001_2$$

$$= 00000010_2$$

$$= 00000100_2$$

$$= 000001000_2$$

$$2^{0} = 1$$
 = 000000001₂
 $2^{1} = 2$ = 000000010₂
 $2^{2} = 4$ = 000001000₂
 $2^{3} = 8$ = 000010000₂
 $2^{4} = 16$ = 000010000₂
 $2^{5} = 2^{6} = 2^{7} = 2^{8} = 2^{8} = 2^{10} =$

$$2^{0} = 1$$
 = 000000001₂
 $2^{1} = 2$ = 0000000100₂
 $2^{2} = 4$ = 000001000₂
 $2^{3} = 8$ = 000010000₂
 $2^{4} = 16$ = 0000100000₂
 $2^{5} = 32$ = 0001000000₂
 $2^{6} = 2^{7} = 2^{8} = 2^{8} = 2^{10}$

$$2^{0} = 1$$
 = 000000001₂
 $2^{1} = 2$ = 000000010₂
 $2^{2} = 4$ = 000001000₂
 $2^{3} = 8$ = 000010000₂
 $2^{4} = 16$ = 000100000₂
 $2^{5} = 32$ = 000100000₂
 $2^{6} = 64$ = 001000000₂
 $2^{7} = 2^{8} = 2^{8} = 2^{8}$

$2^0 = 1$	$= 00000001_2$
$2^1 = 2$	$= 00000010_2$
$2^2 = 4$	$= 000000100_2$
$2^3 = 8$	$= 000001000_2$
$2^4 = 16$	$= 000010000_2$
$2^5 = 32$	$= 000100000_2$
$2^6 = 64$	$= 001000000_2$
$2^7 = 128$	$= 010000000_2$
$2^8 =$	

$2^0 = 1$	$= 00000001_2$
$2^1 = 2$	$= 00000010_2$
$2^2 = 4$	$= 000000100_2$
$2^3 = 8$	$= 000001000_2$
$2^4 = 16$	$= 000010000_2$
$2^5 = 32$	$= 000100000_2$
$2^6 = 64$	$= 001000000_2$
$2^7 = 128$	$= 010000000_2$
$2^8 = 256$	$= 100000000_2$

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Logic Gates



AND

A	В	Output
0	0	0
0	1	0
1	0	0
1	1	1



NAND

A	В	Output
0	0	1
0	1	1
1	0	1
1	1	0



OR

A	В	Output
0	0	0
0	1	1
1	0	1
1	1	1



NOR

A	В	Output
0	0	1
0	1	0
1	0	0
1	1	0



XOR

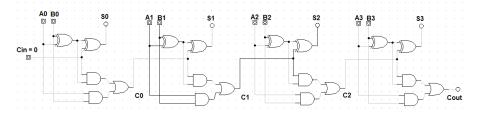
A	В	Output
0	0	0
0	1	1
1	0	1
1	1	0



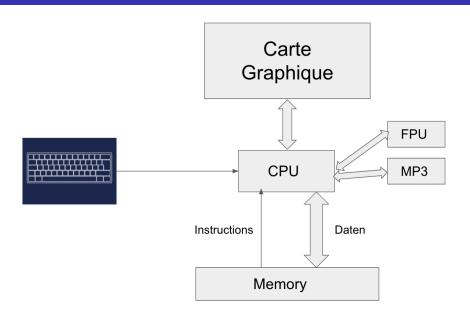
XNOR

A	В	Output
0	0	1
0	1	0
1	0	0
1	1	1

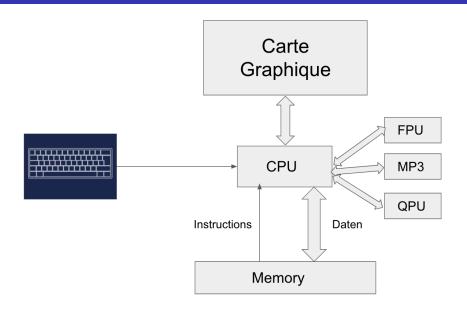
Adder



Computer Architektur



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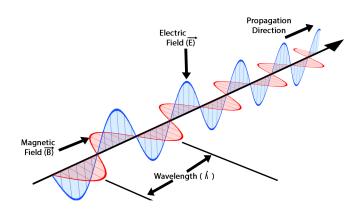
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A QPU operates on Qubits instead of bits

- QPU: Quantum Processing Unit
- Bits: 0, 1
- ullet Qubits: |0
 angle, |1
 angle, and superpositions

Light is a wave



Polarization Experiment

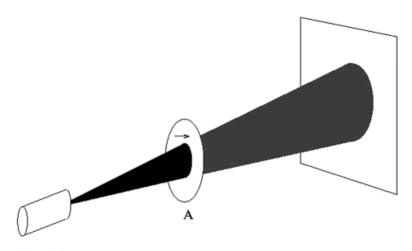


Figure 2.1
Single polaroid attenuates unpolarized light by 50 percent.

Polarization Experiment

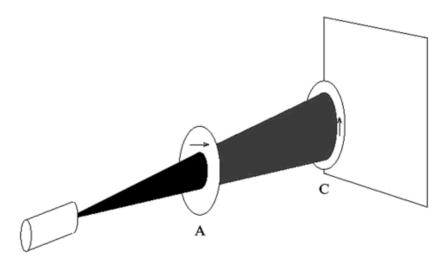


Figure 2.2
Two orthogonal polaroids block all photons.

Polarization Experiment

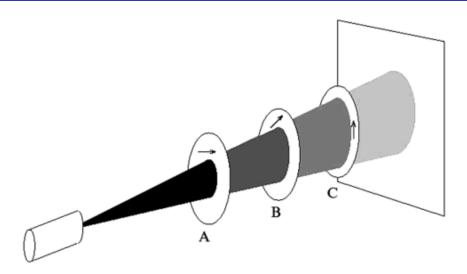


Figure 2.3 Inserting a third polaroid allows photons to pass.

Vektoren

Alle Polarisationsrichtungen können durch zwei Vektoren dargestellt werden:

$$|\psi\rangle = a \left|
ightarrow
ightarrow + b \left|\uparrow
ight>$$

Die Notation wird Bra-ket Notation genannt. Beispiele:

$$|45^{\circ}\rangle = \frac{1}{\sqrt{2}} |\rightarrow\rangle + \frac{1}{\sqrt{2}} |\uparrow\rangle$$

$$|135^{\circ}\rangle = -\frac{1}{\sqrt{2}} |\rightarrow\rangle + \frac{1}{\sqrt{2}} |\uparrow\rangle$$

$$|30^{\circ}\rangle = \frac{1}{2} |\rightarrow\rangle + \frac{\sqrt{3}}{2} |\uparrow\rangle$$

$$|\theta\rangle = \sin\theta |\rightarrow\rangle + \cos\theta |\uparrow\rangle$$

Wahrscheinlichkeiten