Welcome to the tutorial on 2D-Transformations

In this document, we'll talk about the following:

- Scaling (Resizing)
- Rotating
- Fliping
- · Affine transformation
- Perspective Transformation

We can perform various transformations on a 2D image. OpenCV has plenty of functions to help us realize the transformations. Let's go through them, but first we have to import our beloved packages. We will also include the math package to perform some mathematical operations.

```
In [1]: import cv2
import numpy as np
from matplotlib import pyplot as plt
import math
```

For this excercise, we'll be using a **Sudoku** but you are free to use any image you wish. Let's import the image and view it using Matplotlib's plt module.

```
In [2]: img = cv2.imread('./Assets/sudoku.jpg')

plt.imshow(img)
plt.axis("off")
plt.title("Sudoku")
plt.show()
```

Sudoku Puzzle Difficult 2 3 2 4 8 1 3 5 6 2 6 7 8 6 9 4 2 9 7 9 2 8 9 2 8 1 4

Let's view the shape of the original image.

```
In [3]: img.shape
Out[3]: (800, 600, 3)
```

Let's create a function which will help us easily display the images.

```
In [4]: def plotter(org_img, new_img, axis='off'):
    fig=plt.figure(figsize=(7,4))
    rows = 1
    columns = 2

    fig.add_subplot(rows, columns, 1)
    plt.imshow(org_img); plt.axis(axis); plt.title("Original")

    fig.add_subplot(rows, columns, 2)
    plt.imshow(new_img); plt.axis(axis); plt.title("After Operation")
```

Scaling (Resizing)

Let's try resizing this image to a rectangle of **Height 150 and Width 100**.

Using OpenCV

We'll be using the following function:

cv2.resize(src, dsize [, fx, fy, interpolation = INTER_LINEAR])

Parameters

src: Source image, a numpy array

dsize: Output image size

fx(optional): scale factor along the horizontal axis **fy(optional)**: scale factor along the vertical axis

interpolation(optional): interpolation method. There are various Interpolation method available in OpenCV

Flag	Description
INTER_NEAREST	nearest neighbor interpolation
INTER_LINEAR	bilinear interpolation
INTER_CUBIC	bicubic interpolation
INTER_AREA	resampling using pixel area relation.
INTER_LINEAR_EXACT	bit exact bilinear interpolation
WARP INVERSE MAP	inverse transformation

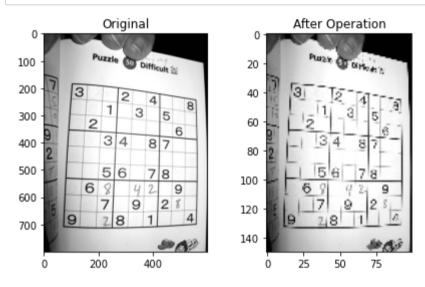
All possible Interpolation methods can be found here

(https://docs.opencv.org/trunk/da/d54/group imgproc transform.html#ga5bb5a1fea74ea38e1a5445ca803ff121).

Returns

This method returns the resized image.

```
In [5]: rect_img = cv2.resize(img, (100, 150))
    plotter(img, rect_img, axis='on')
```



Let's see the new shape of the resized image.

```
In [6]: rect_img.shape
Out[6]: (150, 100, 3)
```

Using NumPy

We'll be making a function which takes an image and a transformation matrix T that performs operations on it.

```
In [7]: def transformer(img, T, transformed_img):
    row, col, channels = img.shape

    for i, row in enumerate(img):
        for j, col in enumerate(row):
            pixel_data = img[i, j, :]
            input_coords = np.array([i, j, 1])

        i_out, j_out, _ = T @ input_coords
        i_out = int(i_out)
        j_out = int(j_out)

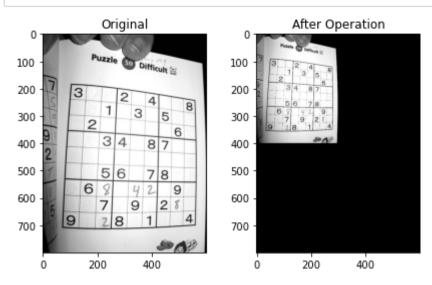
        transformed_img[i_out, j_out, :] = pixel_data

    return transformed_img
```

```
In [8]: cx = 0.5
    cy = 0.5
    scaling_mat = np.array([ [cx ,0, 0] ,[0 ,cy, 0] ,[0 ,0, 1] ])

row, col, channels = img.shape
    img_scaled = np.zeros((row, col, channels), dtype=np.uint8)

transformer(img, scaling_mat, img_scaled)
    plotter(img, img_scaled, axis='on')
```



The @ symbol here is used to perform Matrix multiplication in Python.

NOTE: You can refer this <u>link (https://stackabuse.com/affine-image-transformations-in-python-with-numpy-pillow-and-opency/)</u> for more explanation on the values and formation of Transformation matrix.

Translation

Now let's translate an image. For this we create a translation matrix M first and then apply it on the image.

```
In [9]: tx = 100
    ty = 50
    rows, cols, channels = img.shape
    M = np.float32([[1,0,100],[0,1,50]])
```

Using OpenCV

We'll be using the following function to apply the Translation matrix on the image.

```
cv2.warpAffine(src, M, dsize)
```

Parameters

src: Source image, a numpy arrayM: 2X3 transformation matrixdsize: size of the output image

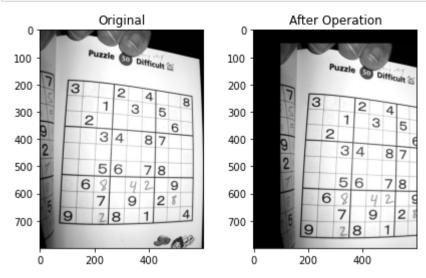
Returns

This method returns the transformed source image using the specified matrix M.

The transformation is done using the following formula:

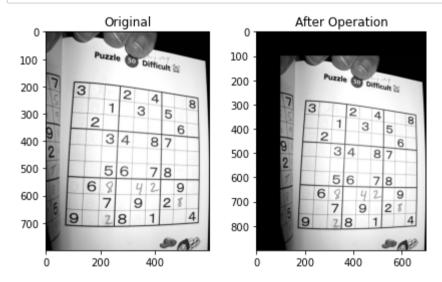
 $\left(\; \mathsf{M}_{11}\mathsf{X} + \mathsf{M}_{12}\mathsf{Y} + \mathsf{M}_{13},\, \mathsf{M}_{21}\mathsf{Y} + \mathsf{M}_{22}\mathsf{Y} + \mathsf{M}_{23} \;\right)$

```
In [10]: translated = cv2.warpAffine(img,M,(cols,rows))
plotter(img, translated, axis='on')
```



Using NumPy

```
In [11]: tx = 100
    ty = 100
    translation_mat = np.array([ [1 ,0, tx] ,[0 ,1, ty] ,[0 ,0, 1] ])
    img_translated = np.zeros((row+tx, col+ty, channels), dtype=np.uint8)
    transformer(img, translation_mat, img_translated)
    plotter(img, img_translated, axis='on')
```



Note the change betweeen OpenCV and NumPy output is axes range and the extra black border on the top and left.

Rotation

Now let's rotate the original image by 90 degrees.

Using OpenCV

We'll be using the following function:

cv2.rotate(src, rotate_code)

Parameters

src: Source image, a numpy array

rotate_code: Code to specify how to rotate the array

Code Description

Code	Description
cv2.ROTATE 90 CLOCKWISE	Rotate 90° Clockwise
CVZ.INGTATE_90_GEOGRAVISE	Notate 90 Clockwise
cv2.ROTATE_90_COUNTERCLOCKWISE	Rotate 90° CounterClockwise
cv2.ROTATE 180	Rotate 180°

Returns

This method returns the rotated image





Using NumPy

Since the loaded image is just a NumPy array the operation can be performed using NumPy functions too. We'll be using the following function:

This functions rotates a numpy array by 90° counter-clockwise

Parameters

src: Source image, a numpy array

k(optional): Number of times the array is rotated by 90° counter-clockwise

axes(optional): The plane of axes in which the array is rotated

Returns

This method returns the rotated image in Anti-Clockwise fashion.





We can also do the same operation using the transformation matrix computed manually like we did for Translation.

This will return rotated image just like cv2.rotate function in Clockwise fashion.

```
In [14]: theta = math.radians(90)
    sin_theta = math.sin(theta)
    cos_theta = math.cos(theta)

rotation_mat = np.array([ [cos_theta ,sin_theta, 0] ,[-sin_theta ,cos_theta, 0] ,[0 ,0, 1] ])

img_translated = np.zeros((col, row, channels), dtype=np.uint8)

transformer(img, rotation_mat, img_translated)
plotter(img, img_translated)
```

Original Puzzle Difficult 2 3 2 4 8 1 3 5 6 2 6 7 8 6 9 4 2 9 7 9 2 8 9 2 8 1 4



There is one more way to compute this Transformation matrix, i.e. by using cv2.getRotationMatrix2D function.

You can read more about it from this <u>link (https://opencv-python-tutroals.readthedocs.io/en/latest/py_tutorials/py_imgproc/py_geometric_transformations/py_geometric_transformations.html#rotation).</u>

Flip

Using OpenCV

We can flip the image horizontally or vertically using the following function:

cv2.flip(src, flip_code)

Parameters

src: Source image, a numpy array

flip_code: Code to specify how to flip the array

Code	Description
Negative value (<0) Flip around the both x-axis and y-axis
0	Flip around the x-axis
Positive value (>0) Flip around the y-axis

Returns

This method returns the rotated image

```
In [15]: flip_img = cv2.flip(img, 0)

plt.imshow(flip_img)
plt.axis("off")
plt.title("Flipped vertically")
plt.show()
```

Flipped vertically



Using NumPy

Since the loaded image is just a NumPy array the operation can be performed using NumPy functions too.

We'll be using the following functions:

np.fliplr(src)

This functions flips array around the y-axis

Note: Ir means Left Right

Parameters

src: Source image, a numpy array

Returns

This method returns the flipped image

np.flipud(src)

This functions flips array around the x-axis

Note: ud means Up Down

Parameters

src: Source image, a numpy array

Returns

This method returns the flipped image

```
In [16]: fliplr_np = np.fliplr(img)

plt.imshow(fliplr_np)
plt.axis("off")
plt.title("Flipped Horizontally using Numpy")
plt.show()
```

Flipped Horizontally using Numpy



Note: To best understand the use of the following functions, we'll be trying to select only the sudoku box from the given image.

Affine Transformation

Affine transformation is a linear mapping method that preserves points, straight lines, and planes. Sets of parallel lines remain parallel after an Affine transformation. It is generally used to correct for geometric distortions or deformations that occur with non-ideal camera angles.

We'll be using the following function to plot some points over our image which will help in visualizing them better.

```
cv2.circle(img, center, radius, color[, thickness])
```

Parameters

img: Image where the circle is drawn

center: Center of the circleradius: Radius of the circlecolor: Circle color in BGR format

thickness(optional): Thickness of the circle outlineif positive. Negative thickness means that a filled circle is to be drawn.

Returns

This method plots circles in our given image

Before we start applying the transformation, we'll define some helper functions which will help us visualize the process better.

```
In [17]: def plotPoint(img, x, y, color = (0, 255, 255)):
    return cv2.circle(img, (x,y), radius=20, color=color, thickness=-1)
```

To perform Affine transformation, we first need to choose **three points** from input image and their corresponding locations in output image.

We use np.float32() to create a 2D Matrix where each row contains a X and Y cooridnate.
pts1 holds the three points from the input image
pts2 holds their corresponding locations in output image

```
In [18]: pts1 = np.float32([[110,190], [210,190], [100,290]])
pts2 = np.float32([[15,15], [115,15], [15,115]])
```

Let's plot these points on a copy of our original image.

```
In [20]: plt.imshow(img_aff)
    plt.axis("off")
    plt.title("Cyan in pts1 and Red is pts2")
    plt.show()
```

Cyan in pts1 and Red is pts2



Using these two sets of points we now create a **Transformation matrix** using the cv2.getAffineTransform() We also store the shape value of the original image in corresponding variables.

We'll be using the following functions:

cv2.getAffineTransform(src, dst)

Calculates an Affine transform from three pairs of the corresponding points.

Parameters

src: Coordinates of triangle vertices in the source image

dst: Coordinates of the corresponding triangle vertices in the destination image

Returns

This method returns an 2x3 matrix of an Affine transform.

```
cv2.warpAffine(src, M, dsize)
```

Parameters

src: Source image, a numpy arrayM: 2X3 transformation matrixdsize: size of the output image

Returns

This method returns the transformed source image using the specified matrix M.

The transformation is done using the following formula:

(
$$M_{11}X + M_{12}Y + M_{13}$$
, $M_{21}Y + M_{22}y + M_{23}$)

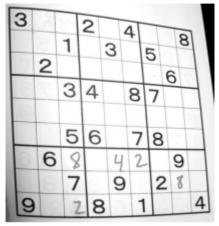
```
In [21]: aff_M = cv2.getAffineTransform(pts1,pts2)
rows,cols,ch = img.shape
```

Let's use the Transformation matrix and the original image to perform the final step for Affine Transformation.

```
In [22]: img = cv2.warpAffine(img,aff_M,(cols-75,rows-250))

plt.imshow(img)
plt.axis("off")
plt.title("Affine transformation")
plt.show()
```

Affine transformation



Perspective Transformation

In Perspective Transformation straight lines will remain straight even after the transformation. It is similar to changing the camera's position. We'll be using the following functions:

cv2.getPerspectiveTransform(src, dst)

Calculates an perspective transform from three pairs of the corresponding points.

Parameters

src: Coordinates of quadrangle vertices in the source image

dst: Coordinates of the corresponding quadrangle vertices in the destination image

Returns

This method returns an 3x3 matrix of an perspective transform.

```
cv2.warpPerspective(src, M, dsize)
```

Parameters

src: Source image, a numpy arrayM: 3X3 transformation matrixdsize: size of the output image

Returns

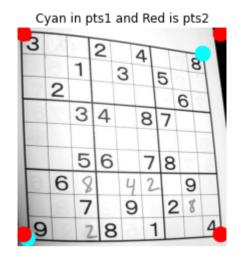
This method returns the transformed source image using the specified matrix M

Similar to Affine transform, we find points and its corresponding locations in the output and find the transformation matrix. Then we apply the transformation

```
In [23]: img.shape
Out[23]: (550, 525, 3)
In [24]: pts1 = np.float32([[15,15], [465,65], [510,520], [25,530]])
    pts2 = np.float32([[15,15], [510,15], [510,520], [15,520]])

In [25]: img_persp = np.copy(img)
    for i in pts1:
        plotPoint(img_persp, int(i[0]), int(i[1]))
        for i in pts2:
             plotPoint(img_persp, int(i[0]), int(i[1]), color = (255, 0, 0))
```

```
In [26]: plt.imshow(img_persp)
    plt.axis("off")
    plt.title("Cyan in pts1 and Red is pts2")
    plt.show()
```



Notice how all the final points (pts2 i.e. red points) form a square. Ideally this is what we want, the final image needs to be a square.

```
In [27]: pers_M = cv2.getPerspectiveTransform(pts1,pts2)
    rows,cols,ch = img.shape
    img = cv2.warpPerspective(img,pers_M,(cols,rows))

    plt.imshow(img)
    plt.axis("off")
    plt.title("Perspective transformation")
    plt.show()
```

Perspective transformation



Now we have a clear top down view of the sudoku box.

References

Figures	Reference	
Sudoko Image	https://www.flickr.com/photos/johnjack/4264107415 (https://www.flickr.com/photos/johnjack/4264107415)	

Links	Reference	
Interpolation Flags		<u>broc_transform.html#ga5bb5a1fea74ea38e1a5445ca803ff121</u> <u>proc_transform.html#ga5bb5a1fea74ea38e1a5445ca803ff121</u>