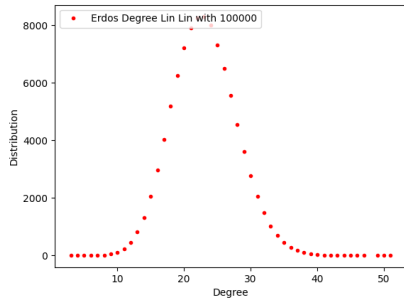
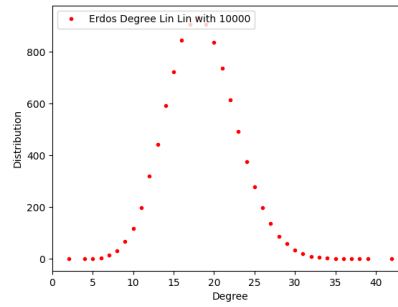
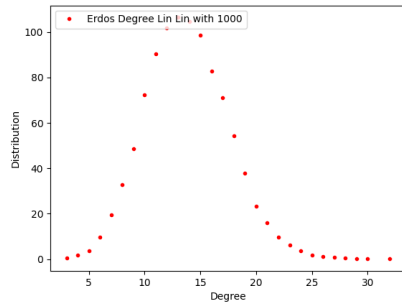


# Algorithmic Experiments of Real-World Phenomena

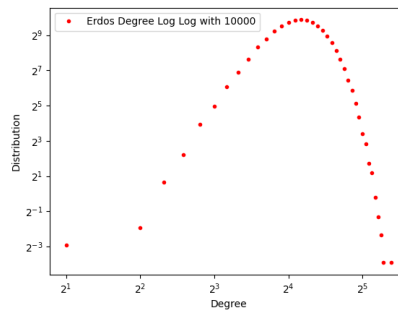
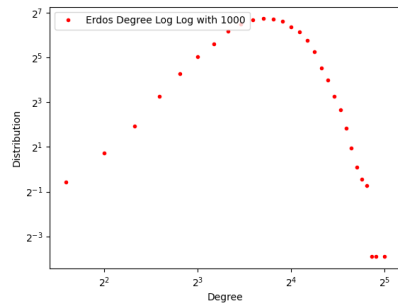
## Andy Tran

### Erdos-Renyi Random Graphs

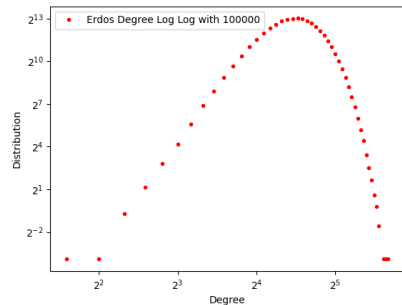
#### Degree Distribution



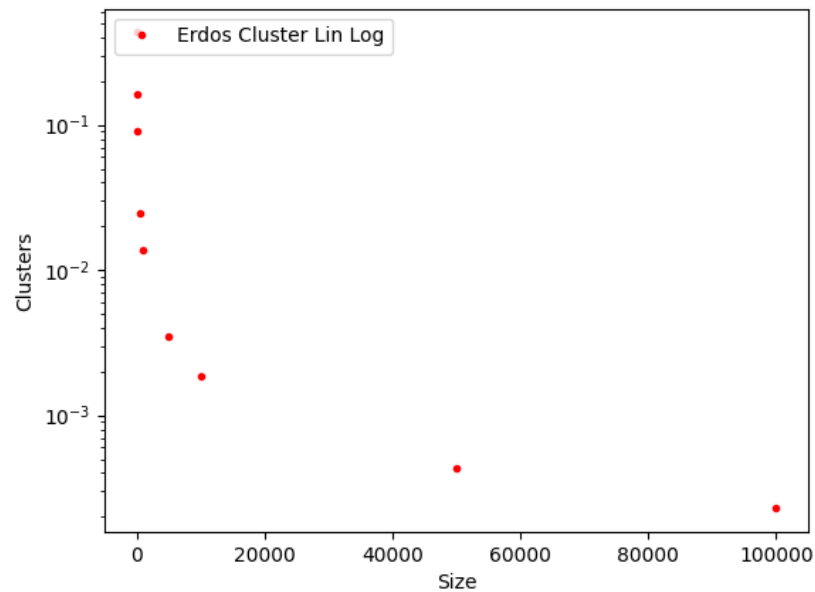
**When observing the degree distribution Lin-Lin graphs for Erdos-Renyi random graphs, the distributions do not follow a power law, but instead have a Poissonian distribution.**



**When observing the degree distribution Log-Log graphs for Erdos-Renyi random graphs, the distributions do not follow a power law, but instead have a Poissonian distribution that is left skewed.**

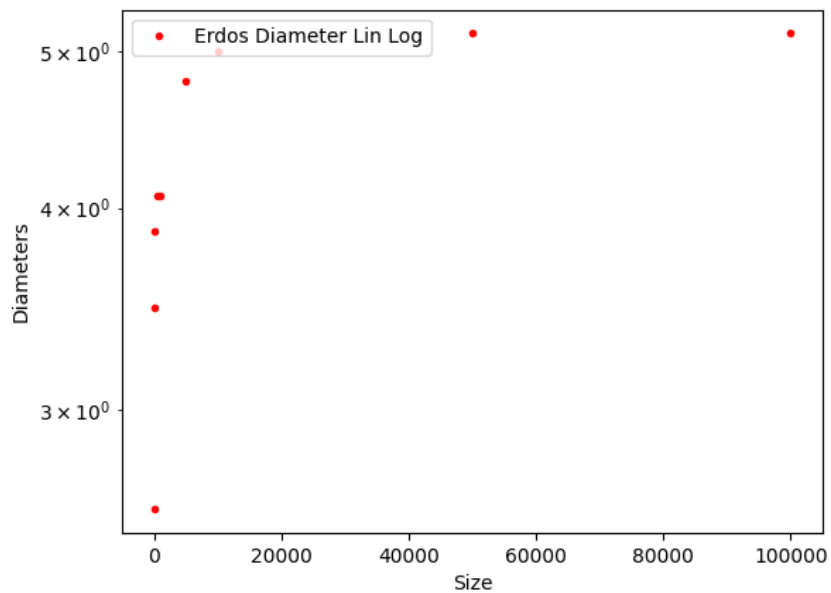


### Clustering Coefficients



The Cluster Coefficient graph for Erdos-Renyi random graphs, does show the amount of clusters changing as a function of  $n$ . As the  $n$  goes towards infinity, the cluster coefficient gets closer to zero because the number of paths of length 2 gets increasingly greater than the number of triangles by a greater margin. This function is similar to the function of  $e$  with the power of negative  $x$ .

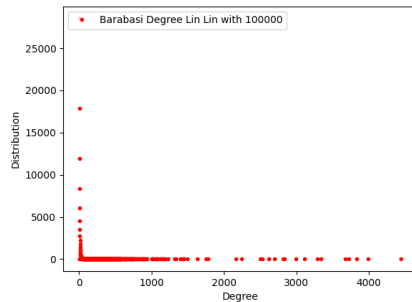
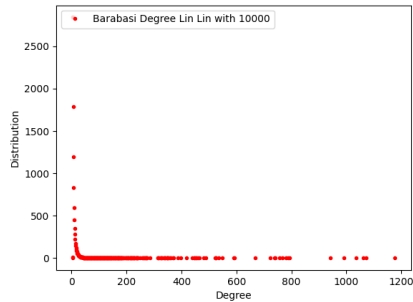
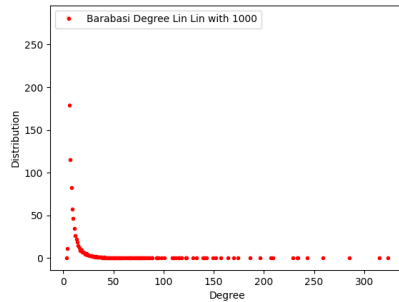
### Diameters



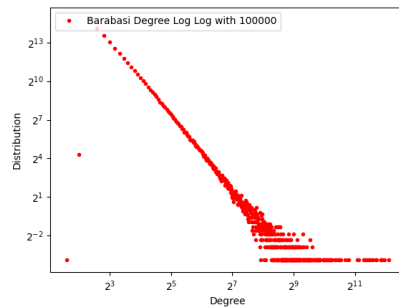
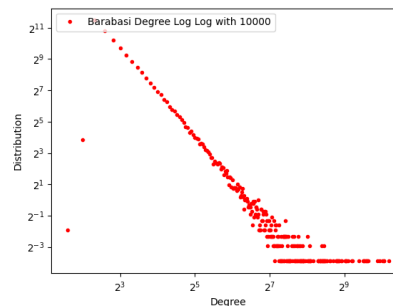
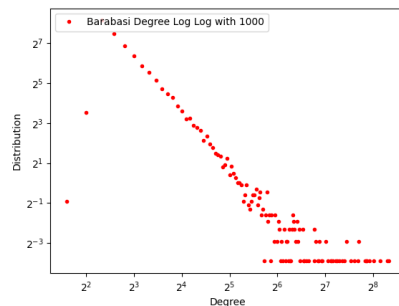
The length of the Diameter for Erdos-Renyi random graphs, does show the diameter changing as a function of  $n$ , but as the  $n$  goes towards infinity, the diameter seems to hit a limit. This function is similar to a logarithmic function.

# Barabasi-Albert Random Graphs

## Degree Distribution

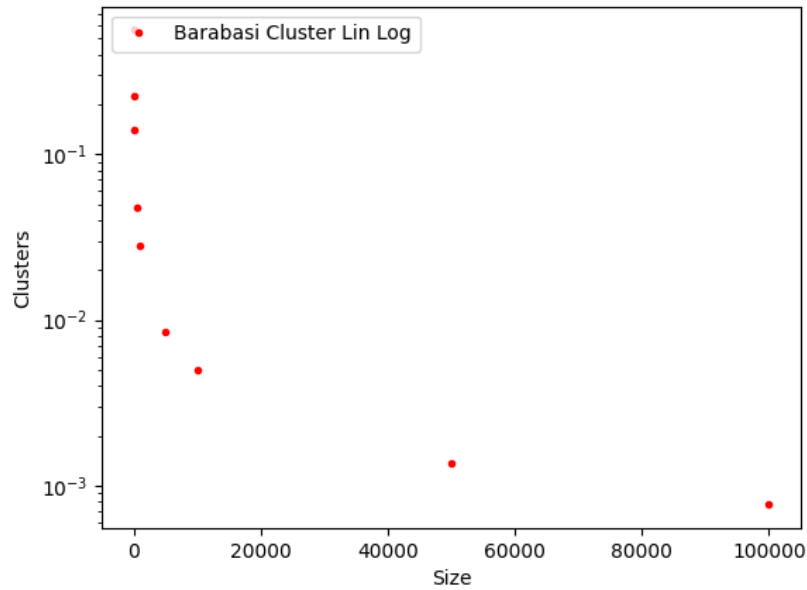


When observing the degree distribution Lin-Lin graphs for Barabasi-Albert random graphs, the distributions does follow a power law.



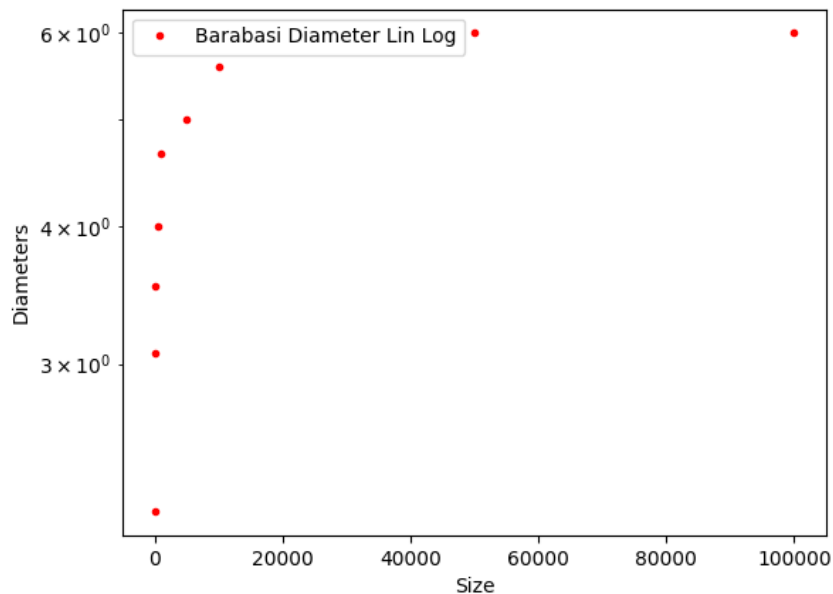
When observing the degree distribution Log-Log graphs for Barabasi-Albert random graphs, the distributions does follow a power law.

## Clustering Coefficients



The Cluster Coefficient graph for Barabasi-Albert random graphs, does show the amount of clusters changing as a function of  $n$ . As the  $n$  goes towards infinity, the cluster coefficient gets closer to zero because the number of paths of length 2 gets increasingly greater than the number of triangles by a greater margin. This function is similar to the function of  $e$  with the power of negative  $x$ .

### Diameters



The length of the Diameter for Barabasi-Albert random graphs, does show the diameter changing as a function of  $n$ , but as the  $n$  goes towards infinity, the diameter seems to hit a limit. This function is similar to a logarithmic function.