# Dimensionality\_Reduction

November 15, 2021

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ECGR 5090 - C01

https://github.com/thachkse/Intro-to-ML/tree/main/HW\_3

# 1 Problem 1 - Logistic Regression

In this homework, we will use the cancer dataset. (Note: You can use the built-in function from ML libraries for gradient descent, training, and validation.) Also, sample code for accessing and cleaning up the dataset provided in Canvas. For the evaluation of this homework across all problems, use 80%, 20% split.

Use the cancer dataset to build a logistic regression model & classify the type of cancer (Malignant vs. benign).

- First, create a logistic regression that takes all 30 input features for classification.
- Can you train a logistic regression over these number of features maps?
- Draw your training results, including loss and classification accuracy over iterations.

# 1.1 Import Libraries

Import our common libraries, such as numpy, pandas and matplotlib. The dataset used in this HW comes from an sklearn library and will be imported also.

```
[1]: import numpy as np
  import matplotlib.pyplot as plt
  import pandas as pd
  from sklearn.datasets import load_breast_cancer
```

```
[2]: df = load_breast_cancer()
  datab = df.data
  datab.shape
```

[2]: (569, 30)

```
[3]: data_in = pd.DataFrame(datab)
data_in.head()
```

```
[3]:
           0
                   1
                           2
                                    3
                                                       5
                                                               6
                                                                         7
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                                             4
        17.99
               10.38
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                                                 0.27760
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        20.57
               17.77
                       132.90
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                                        0.08474
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        0.07871
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                                                     0.1622
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     4 0.05883
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                0.08902
     2 0.3613
                0.08758
     3 0.6638
                0.17300
     4 0.2364
               0.07678
```

[5 rows x 30 columns]

## 1.2 Clean Data

It's important to clean/structure the data needed throughout this evaluation. The first step is so define your dataframe. Then extract the neccessary features, and outputs from the dataset.

'mean concave points', 'mean symmetry', 'mean fractal dimension', 'radius error', 'texture error', 'perimeter error', 'area error',

'smoothness error', 'compactness error', 'concavity error',

```
'fractal dimension error', 'worst radius', 'worst texture',
            'worst perimeter', 'worst area', 'worst smoothness',
            'worst compactness', 'worst concavity', 'worst concave points',
            'worst symmetry', 'worst fractal dimension'], dtype='<U23')
[7]: features labels = np.append(features, 'label')
     b_dataset.columns = features_labels
     b_dataset.head()
[7]:
        mean radius mean texture mean perimeter mean area mean smoothness \
              17.99
                             10.38
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                                                                    worst area
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                0.6638
                                         0.17300
                0.2364
                                         0.07678
                                                     0.0
```

'concave points error', 'symmetry error',

[5 rows x 31 columns]

```
[8]: b_dataset['label'].replace(0, 'Benign', inplace=True)
     b_dataset['label'].replace(1, 'Malignant', inplace=True)
     b_dataset.tail()
     data = pd.DataFrame.copy(b_dataset)
     data.head()
[8]:
                                    mean perimeter mean area mean smoothness
        mean radius
                     mean texture
     0
              17.99
                             10.38
                                                         1001.0
                                             122.80
                                                                         0.11840
     1
              20.57
                             17.77
                                             132.90
                                                         1326.0
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     3
              11.42
                             20.38
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                                                          386.1
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                             14.34
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                                                         1297.0
                                                                         0.10030
                           mean concavity mean concave points
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        mean compactness
     0
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     1
                 0.07864
                                   0.0869
                                                        0.07017
                                                                         0.1812
                 0.15990
                                   0.1974
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     3
                  0.28390
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     4
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                                   0.1980
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        mean fractal dimension
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                                                        0.4504
                                                                                0.2430
                                       0.8663
     3
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                                                                                0.2575
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                                       0.2050
                                                         0.4000
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        worst symmetry worst fractal dimension
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                0.4601
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     1
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     2
                0.3613
                                          0.08758
                                                   Benign
     3
                0.6638
                                          0.17300
                                                   Benign
                0.2364
                                          0.07678
                                                   Benign
     [5 rows x 31 columns]
[9]: b_dataset.head()
[9]:
        mean radius
                     mean texture
                                    mean perimeter
                                                     mean area
                                                                 mean smoothness
              17.99
     0
                             10.38
                                             122.80
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```

```
3
               11.42
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                                                        0.12790
      3
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         mean fractal dimension ... worst texture worst perimeter worst area \
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                                            23.41
                                                             158.80
                                                                         1956.0
      2
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      3
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         worst symmetry worst fractal dimension
      0
                 0.4601
                                         0.11890 Benign
                 0.2750
      1
                                         0.08902 Benign
      2
                 0.3613
                                         0.08758 Benign
      3
                 0.6638
                                         0.17300 Benign
      4
                 0.2364
                                         0.07678 Benign
      [5 rows x 31 columns]
[10]: # Define input and output variables
      # Not sure why label went from binary to text earlier.
      Y = b dataset['label']
      YBin = data['label']
      YBin.replace('Benign',0,inplace=True)
      YBin.replace('Malignant',1,inplace=True)
      print(Y)
      print(YBin)
      X = b_dataset[features]
      XBin = data[features]
```

132.90

130.00

1326.0

1203.0

0.08474

0.10960

1

2

20.57

19.69

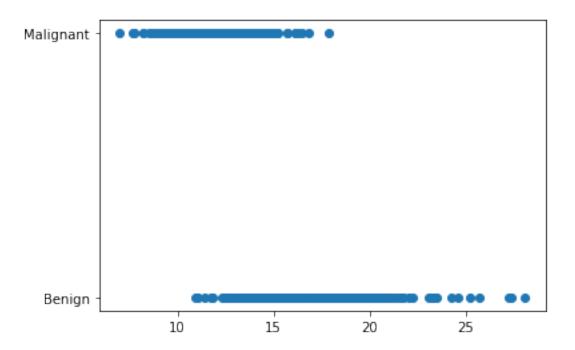
17.77

21.25

# Binary seems to be neccessary for the sklearn.metrics library to compute  $\_$   $\rightarrow$  recall and precision. So the another DF called YBin is defined by copying  $\_$   $\rightarrow$  the original  $b\_$  dataset.

```
0
          Benign
1
          Benign
2
          Benign
3
          Benign
4
          Benign
564
          Benign
          Benign
565
566
          Benign
567
          Benign
568
       Malignant
Name: label, Length: 569, dtype: object
0
1
       0
2
       0
3
       0
       0
564
       0
565
       0
566
       0
567
       0
568
Name: label, Length: 569, dtype: int64
```

# 1.3 Explore Data



# 1.4 Train & Test

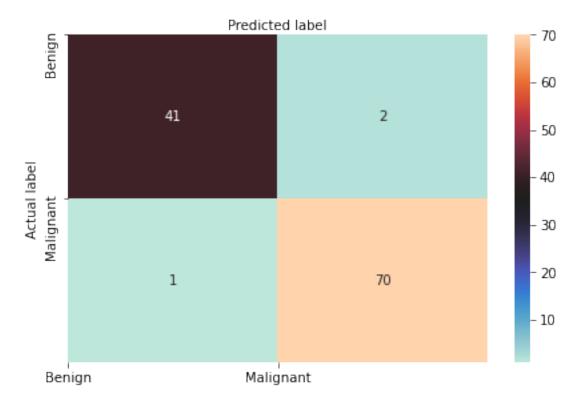
```
[12]: # Split dataset
      from sklearn.model_selection import train_test_split
      x_train, x_test, y_train, y_test = train_test_split(X,Y, test_size=0.20,_
      →random_state=42)
      x_trainbin, x_testbin, y_trainbin, y_testbin = train_test_split(XBin,YBin,_
       →test size=0.20, random state=42)
[13]: # Scale our data
      from sklearn.preprocessing import StandardScaler
      stdsc = StandardScaler()
      X_train = stdsc.fit_transform(x_train)
      X_test = stdsc.transform(x_test)
      X_TRbin = stdsc.fit_transform(x_trainbin)
      X_TSTbin = stdsc.transform(x_testbin)
      # Y is binary, so no need to edit.
[14]: # Import LogisticRegression
      # Fit and train model on training data
      from sklearn.linear_model import LogisticRegression
      classifier = LogisticRegression(random_state=0)
      #classifier.fit(X_train, y_train)
      classifier.fit(X_TRbin, y_trainbin)
```

```
[14]: LogisticRegression(random_state=0)
[15]: Y_pred = classifier.predict(X_TSTbin)
    print(Y_pred)
    print(y_testbin)
    1 0 0]
    204
          1
    70
          0
    131
    431
         1
    540
         1
    486
         1
    75
    249
    238
    265
    Name: label, Length: 114, dtype: int64
[16]: # Create a confusion matrix
    from sklearn.metrics import confusion_matrix
    cnf_matrix = confusion_matrix(y_testbin, Y_pred)
    cnf_matrix
[16]: array([[41, 2],
          [ 1, 70]])
[17]: from sklearn import metrics
    print("Accuracy:", metrics.accuracy_score(y_testbin,Y_pred))
    print("Precision:",metrics.precision_score(y_testbin,Y_pred))
    print("Recall:",metrics.recall_score(y_testbin,Y_pred))
    Accuracy: 0.9736842105263158
    Precision: 0.97222222222222
    Recall: 0.9859154929577465
[18]: #Visualize
    import seaborn as sns
    class_names=['Benign','Malignant']
    fig, ax = plt.subplots()
    sns.heatmap(pd.DataFrame(cnf_matrix),annot=True,cmap="icefire",fmt='g')
```

```
ax.xaxis.set_label_position("top")
plt.tight_layout()
plt.title('Confusion matrix', y=1.1)
tick_marks = np.arange(len(class_names))
plt.xticks(tick_marks,class_names)
plt.yticks(tick_marks,class_names)
plt.ylabel('Actual label')
plt.xlabel('Predicted label')
```

[18]: Text(0.5, 257.44, 'Predicted label')

# Confusion matrix



```
[19]: from sklearn.linear_model import LogisticRegression

# This plot on extracts 2 features and then runs it through the classifier.

xdot, ydot = X_TSTbin[:,0:2], y_testbin

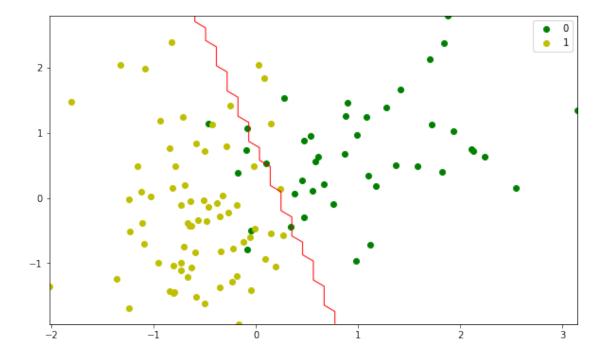
classifierx = LogisticRegression(random_state=0)

classifierx.fit(X_TRbin[:,0:2], y_trainbin)

plt.figure(figsize = (10, 6))
```

```
plt.scatter(xdot[ydot == 0][:, 0], xdot[ydot == 0][:, 1], color = 'g', label =_u
plt.scatter(xdot[ydot == 1][:, 0], xdot[ydot == 1][:, 1], color = 'y', label =_
'1')
plt.legend()
x1_min, x1_max = xdot[:,0].min(), xdot[:,0].max(),
x2_{min}, x2_{max} = xdot[:,1].min(), xdot[:,1].max(),
xx1, xx2 = np.meshgrid(np.linspace(x1_min, x1_max), np.linspace(x2_min, x2_max))
grid = np.array([xx1.ravel(), xx2.ravel()]).T
#print(grid.shape)
probs = classifierx.predict(grid).reshape(xx1.shape)
#print(probs)
#print(probs.shape)
#print(xx1.shape)
#plt.plot(xx1, xx2, [0.5], linewidths=1, colors='red');
plt.contour(xx1, xx2, probs,[0.5], linewidths=1, colors='red')
```

#### [19]: <matplotlib.contour.QuadContourSet at 0x7f8d81771dc0>



```
[20]: \# sklearn.metrics.log_loss(y_true, y_pred, *, eps=1e-15, normalize=True, \_ \hookrightarrow sample_weight=None, labels=None)
```

```
from sklearn.metrics import log_loss
logloss = log_loss(y_testbin,Y_pred)
print(logloss)
```

#### 0.9089291963122152

```
[21]: from sklearn.linear_model import SGDClassifier

X = X_TRbin
y = y_trainbin
print(X.shape)
print(y.shape)

iterations = 1000
loglossvec = np.zeros(iterations)

clf = SGDClassifier(loss="log", penalty="12", max_iter=29)
clf.fit(X, y)
#print(y_testbin.shape)
ypred = clf.predict(X_TSTbin)
loglossx = log_loss(y_testbin.ypred)

print(loglossx)
```

(455, 30) (455,) 0.9089221822996695

/opt/anaconda3/lib/python3.8/site-

packages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit.

warnings.warn("Maximum number of iteration reached before "

```
[22]: for i in range(iterations):
    if i != 0:
        clf = SGDClassifier(loss="log", penalty="12", max_iter=i)
        clf.fit(X, y)
        #print(y_testbin.shape)
        ypred = clf.predict(X_TSTbin)
        loglossvec[i] = log_loss(y_testbin,ypred)
```

/opt/anaconda3/lib/python3.8/site-

packages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit.

warnings.warn("Maximum number of iteration reached before "

/opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear model/ stochastic gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear model/ stochastic gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning:

Maximum number of iteration reached before convergence. Consider increasing

max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit. warnings.warn("Maximum number of iteration reached before " /opt/anaconda3/lib/python3.8/sitepackages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing

warnings.warn("Maximum number of iteration reached before "

max\_iter to improve the fit.

/opt/anaconda3/lib/python3.8/site-

```
packages/sklearn/linear_model/_stochastic_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max_iter to improve the fit.
```

warnings.warn("Maximum number of iteration reached before "
/opt/anaconda3/lib/python3.8/site-

packages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max iter to improve the fit.

warnings.warn("Maximum number of iteration reached before "
/opt/anaconda3/lib/python3.8/site-

packages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit.

warnings.warn("Maximum number of iteration reached before "
/opt/anaconda3/lib/python3.8/site-

packages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit.

warnings.warn("Maximum number of iteration reached before "
/opt/anaconda3/lib/python3.8/site-

packages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit.

warnings.warn("Maximum number of iteration reached before "
/opt/anaconda3/lib/python3.8/site-

packages/sklearn/linear\_model/\_stochastic\_gradient.py:574: ConvergenceWarning: Maximum number of iteration reached before convergence. Consider increasing max\_iter to improve the fit.

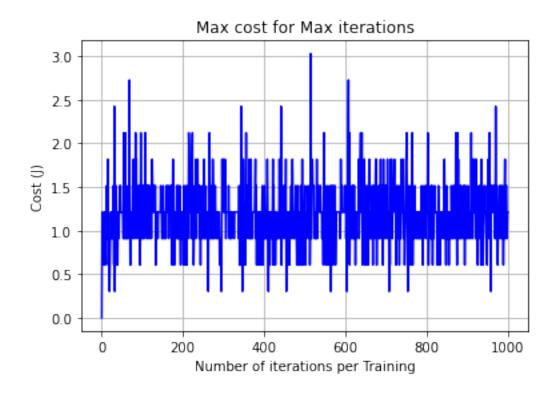
warnings.warn("Maximum number of iteration reached before "

```
[23]: plt.figure()
  plt.plot(range(1,iterations+1),loglossvec,color='blue')
  plt.rcParams["figure.figsize"] = (10,6)
  plt.grid()
  plt.xlabel('Number of iterations per Training')
  plt.ylabel('Cost (J)')
  plt.title('Max cost for Max iterations')

maxloss = max(loglossvec)
  minloss = min(loglossvec)
  print(maxloss)
  print(minloss)
```

#### 3.0297382696613813

0.0



#### 1.5 Conclusion

The logistic regression, achieved a very high accuracy, recall and precision initially. Is this because the dataset only offers 2 separate classes? I'm not quite sure if that's the reason.

Determining loss over iterations via logistic regression is more of an iterative & manual process. In an effort to forego any explicit model building a few different methods/functions were identified and used between ln 26- 27 to determine the possible impact of iteratively trying to minimize loss with the gradient descent algorithm for a logisitic regression classifier.

Using the SDGclassifier the user is able to define the # iterations and the "loss type" in other words the type of classifier to be used. In Ln 26, the max # of iterations was defined from 0 - 1000 in a step of 1. After fitting and predicting the data the log\_loss function was used to determine the general loss from that iteration process (comparing the prediction results with the ytest results). The for loop repeated the process 1000x and stored all log\_loss values from iterations. That data is plotted above in the "Max Cost for Max iterations" plot. No known alpha was identified throughout the process. In the beginning where a lower number of iterations were defined, warnings were given that it did not converge. Through some manual testing it seems that the a good number of iteration for this dataset is about 25.

The confusion matrix shows that overall this methodology used on this dataset does really well. There are very little false identifications.

The 2D classification plot above is simply a representation of a the dataset using the first 2 features. The classification process, is then used again, to appropriately draw the boundaries needed for this classification.

The several features (30) didn't really seem to affect the accuracy of the logisitic regression model.

I believe it would be difficult to minimize the overall loss further.

Accuracy: 0.9736842105263158
Precision: 0.97222222222222
Recall: 0.9859154929577465

# 2 Problem 2 - PCA Feature Extraction

Repeat problem 1, but this time use the PCA feature extraction for your training.

- Perform N number of independent training (N=1, ..., K).
- Identify the optimum number of K, principle components that achieve the highest classification accuracy.
- Plot your classification accuracy, precision, and recall over a different number of Ks.
- Explain and elaborate on your results.

## 2.1 Re-define Data

Simplify the variables to be used, we'll redefine the Dataframe once again, using the original original cleaned dataframe.

```
[24]: from sklearn.preprocessing import StandardScaler

# Separating out the features
x = b_dataset.loc[:, features].values
# Separating out the target
y = b_dataset['label']

# Standardizing the features
x = StandardScaler().fit_transform(x)
```

#### 2.2 PCA Processing

[27]: print(finalDF)

Here's the first attempt at PCA pre-processing with visualizations.

```
[25]: from sklearn.decomposition import PCA

pca=(PCA(n_components = 2))
principalComponents = pca.fit_transform(x)
principalDF = pd.DataFrame(data=principalComponents, columns = ['principal_\cup component 1', 'principal component 2'])

[26]: finalDF = pd.concat([principalDF, b_dataset[['label']]], axis = 1)
```

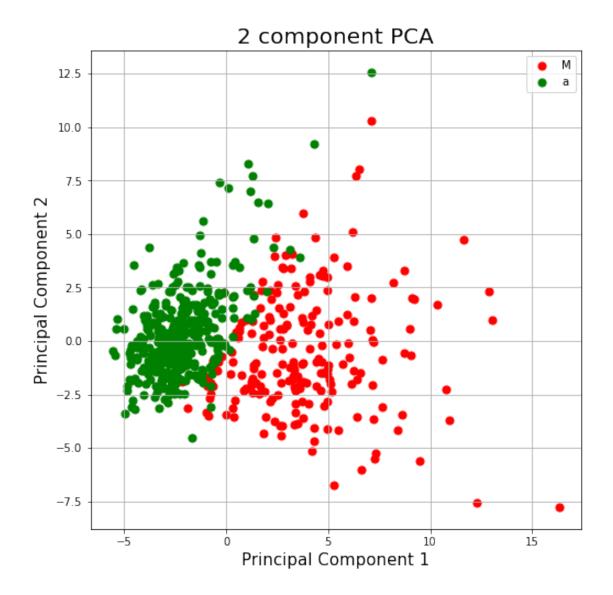
```
principal component 1 principal component 2
                                                         label
0
                  9.192837
                                          1.948583
                                                        Benign
                  2.387802
                                         -3.768172
                                                        Benign
1
2
                  5.733896
                                         -1.075174
                                                        Benign
3
                  7.122953
                                         10.275589
                                                        Benign
4
                  3.935302
                                         -1.948072
                                                        Benign
. .
564
                  6.439315
                                         -3.576817
                                                        Benign
565
                  3.793382
                                         -3.584048
                                                        Benign
566
                  1.256179
                                         -1.902297
                                                        Benign
567
                 10.374794
                                          1.672010
                                                        Benign
                 -5.475243
568
                                         -0.670637 Malignant
```

[569 rows x 3 columns]

```
[29]: fig = plt.figure(figsize = (8,8))

ax = fig.add_subplot(1,1,1)
ax.set_xlabel('Principal Component 1', fontsize = 15)
ax.set_ylabel('Principal Component 2', fontsize = 15)
ax.set_title('2 component PCA', fontsize = 20)
labels = ['Benign', 'Malignant']
colors = ['r', 'g', 'b']

for labels, color in zip(labels,colors):
    indicesToKeep = finalDF['label'] == labels
    ax.scatter(finalDF.loc[indicesToKeep, 'principal component 1']
        , finalDF.loc[indicesToKeep, 'principal component 2']
        , c = color
        , s = 50)
ax.legend(labels)
ax.grid()
```



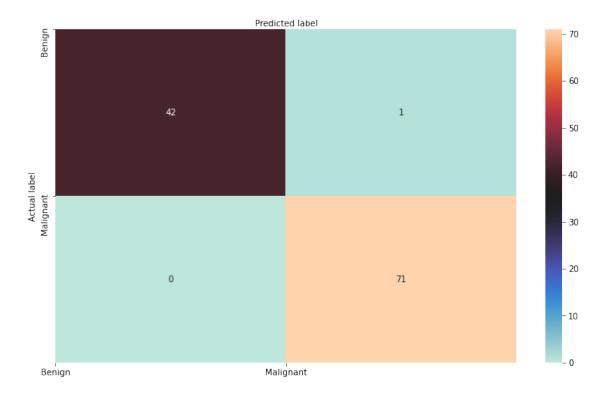
```
[30]: y = finalDF['label']
      y.replace('Benign',0,inplace=True)
      y.replace('Malignant',1,inplace=True)
      fx = ['principal component 1', 'principal component 2']
      x = finalDF[fx]
      print(x)
          principal component 1 principal component 2
     0
                       9.192837
                                               1.948583
     1
                       2.387802
                                              -3.768172
     2
                       5.733896
                                              -1.075174
     3
                       7.122953
                                              10.275589
     4
                       3.935302
                                              -1.948072
```

```
564
                       6.439315
                                              -3.576817
     565
                       3.793382
                                             -3.584048
                       1.256179
                                             -1.902297
     566
     567
                      10.374794
                                              1.672010
     568
                      -5.475243
                                             -0.670637
     [569 rows x 2 columns]
[31]: from sklearn.model_selection import train_test_split
      x_train, x_test, y_train, y_test = train_test_split(x,y,test_size = 0.20,__
       →random state=42)
      #For some reason text didn't work
[32]: from sklearn.linear_model import LogisticRegression
      classifier = LogisticRegression(random_state=0)
      classifier.fit(x_train,y_train)
[32]: LogisticRegression(random_state=0)
[33]: predy = classifier.predict(x_test)
      predy[0:9]
[33]: array([1, 0, 0, 1, 1, 0, 0, 0, 1])
[34]: cnf_matrix = confusion_matrix(y_test,predy)
      cnf matrix
[34]: array([[42, 1],
             [0, 71]
[35]: print("Accuracy:", metrics.accuracy score(y test, predy))
      print("Precision:",metrics.precision_score(y_test,predy))
      print("Recall:",metrics.recall_score(y_test,predy))
     Accuracy: 0.9912280701754386
     Precision: 0.9861111111111112
     Recall: 1.0
[36]: import seaborn as sns
      class_names=['Benign','Malignant']
      fig, ax = plt.subplots()
      sns.heatmap(pd.DataFrame(cnf matrix),annot=True,cmap="icefire",fmt='g')
      ax.xaxis.set_label_position("top")
      plt.tight_layout()
      plt.title('Confusion matrix', y=1.1)
```

```
tick_marks = np.arange(len(class_names))
plt.xticks(tick_marks,class_names)
plt.yticks(tick_marks,class_names)
plt.ylabel('Actual label')
plt.xlabel('Predicted label')
```

## [36]: Text(0.5, 384.16, 'Predicted label')

#### Confusion matrix



```
plt.legend()
x1_min, x1_max = xdot[:,0].min(), xdot[:,0].max(),
x2_min, x2_max = xdot[:,1].min(), xdot[:,1].max(),

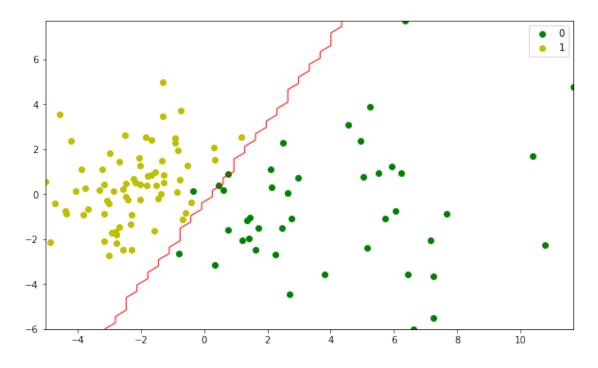
xx1, xx2 = np.meshgrid(np.linspace(x1_min, x1_max), np.linspace(x2_min, x2_max))
grid = np.array([xx1.ravel(), xx2.ravel()]).T

#print(grid.shape)

probs = classifier.predict(grid).reshape(xx1.shape)

#print(probs.shape)
#print(xx1.shape)
#print(xx1.shape)
#print(xx1, xx2, [0.5], linewidths=1, colors='red');
plt.contour(xx1, xx2, probs,[0.5], linewidths=1, colors='red')
```

# [37]: <matplotlib.contour.QuadContourSet at 0x7f8d8167ae20>



```
[38]: from sklearn.metrics import log_loss
logloss = log_loss(y_test,predy)
print(logloss)
```

0.3029787367749209

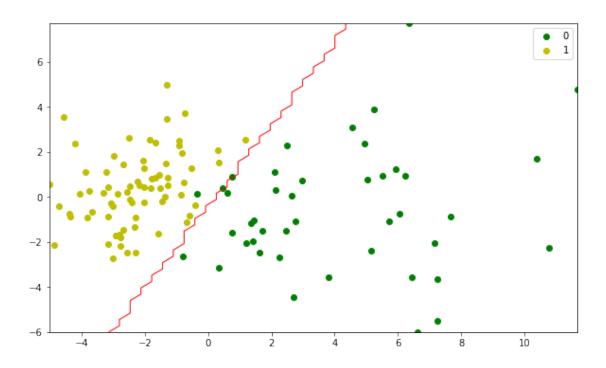
```
[39]: from sklearn.preprocessing import StandardScaler
      # Separating out the features
      x = b_dataset.loc[:, features].values
      # Separating out the target
      y = b_dataset['label']
      print(y)
      # Standardizing the features
      x = StandardScaler().fit_transform(x)
      pca=(PCA(n_components = 3))
      principalComponents = pca.fit_transform(x)
      principalDF = pd.DataFrame(data=principalComponents, columns =__
      \rightarrow ['pc1','pc2','pc3'])
      finalDF = pd.concat([principalDF, b dataset[['label']]], axis = 1)
      y = finalDF['label']
      y.replace('Benign',0,inplace=True)
      y.replace('Malignant',1,inplace=True)
      fx = ['pc1', 'pc2', 'pc3']
      x = finalDF[fx]
     0
               Benign
     1
               Benign
     2
               Benign
     3
               Benign
               Benign
     564
               Benign
               Benign
     565
     566
               Benign
     567
               Benign
            Malignant
     568
     Name: label, Length: 569, dtype: object
[40]: x_train, x_test, y_train, y_test = train_test_split(x,y,test_size = 0.20,__
      →random_state=42)
      classifier = LogisticRegression(random_state=0)
      classifier.fit(x_train,y_train)
      predy = classifier.predict(x_test)
      cnf_matrix = confusion_matrix(y_test,predy)
      print("Accuracy:",metrics.accuracy score(y test,predy))
      print("Precision:",metrics.precision_score(y_test,predy))
      print("Recall:",metrics.recall_score(y_test,predy))
     Accuracy: 0.9824561403508771
     Precision: 0.9726027397260274
```

Recall: 1.0

```
[41]: from sklearn.linear_model import LogisticRegression
      xdot, ydot = x_test.values, y_test.values
      xdot = xdot[:,0:2]
      classifierx = LogisticRegression(random_state=0)
      xs = x_train.values[:,0:2]
      classifierx.fit(xs, y_train.values)
      plt.figure(figsize = (10, 6))
      plt.scatter(xdot[ydot == 0][:, 0], xdot[ydot == 0][:, 1], color = 'g', label =_u

→ '0')
      plt.scatter(xdot[ydot == 1][:, 0], xdot[ydot == 1][:, 1], color = 'y', label =__
      plt.legend()
      x1_{\min}, x1_{\max} = xdot[:,0].min(), xdot[:,0].max(),
      x2_{min}, x2_{max} = xdot[:,1].min(), xdot[:,1].max(),
      xx1, xx2 = np.meshgrid(np.linspace(x1_min, x1_max), np.linspace(x2_min, x2_max))
      grid = np.array([xx1.ravel(), xx2.ravel()]).T
      #print(grid.shape)
      probs = classifierx.predict(grid).reshape(xx1.shape)
      #print(probs.shape)
      #print(xx1.shape)
      #plt.plot(xx1, xx2, [0.5], linewidths=1, colors='red');
      plt.contour(xx1, xx2, probs, [0.5], linewidths=1, colors='red')
```

[41]: <matplotlib.contour.QuadContourSet at 0x7f8d84b79430>



```
[42]: from sklearn.metrics import log_loss
    logloss = log_loss(y_test,predy)
    print(logloss)
```

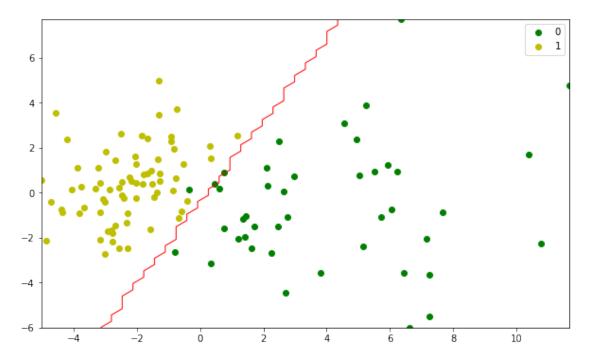
## 0.6059574735498409

```
[43]: # Separating out the features
      x = b_dataset.loc[:, features].values
      # Separating out the target
      y = b_dataset['label']
      # Standardizing the features
      x = StandardScaler().fit_transform(x)
      pca=(PCA(n_components = 4))
      principalComponents = pca.fit_transform(x)
      principalDF = pd.DataFrame(data=principalComponents, columns =__
      →['pc1','pc2','pc3','pc4'])
      finalDF = pd.concat([principalDF, b_dataset[['label']]], axis = 1)
      y = finalDF['label']
      y.replace('Benign',0,inplace=True)
      y.replace('Malignant',1,inplace=True)
      fx = ['pc1','pc2','pc3','pc4']
      x = finalDF[fx]
```

```
x_train, x_test, y_train, y_test = train_test_split(x,y,test_size = 0.20,__
→random_state=42)
classifier = LogisticRegression(random state=0)
classifier.fit(x_train,y_train)
predy = classifier.predict(x test)
cnf_matrix = confusion_matrix(y_test,predy)
print("Accuracy:",metrics.accuracy_score(y_test,predy))
print("Precision:",metrics.precision_score(y_test,predy))
print("Recall:",metrics.recall_score(y_test,predy))
from sklearn.linear_model import LogisticRegression
xdot, ydot = x_test.values, y_test.values
xdot = xdot[:,0:2]
classifierx = LogisticRegression(random_state=0)
xs = x_train.values[:,0:2]
classifierx.fit(xs, y_train.values)
plt.figure(figsize = (10, 6))
plt.scatter(xdot[ydot == 0][:, 0], xdot[ydot == 0][:, 1], color = 'g', label =
'0')
plt.scatter(xdot[ydot == 1][:, 0], xdot[ydot == 1][:, 1], color = 'y', label =__
plt.legend()
x1_{\min}, x1_{\max} = xdot[:,0].min(), xdot[:,0].max(),
x2_min, x2_max = xdot[:,1].min(), xdot[:,1].max(),
xx1, xx2 = np.meshgrid(np.linspace(x1_min, x1_max), np.linspace(x2_min, x2_max))
grid = np.array([xx1.ravel(), xx2.ravel()]).T
#print(grid.shape)
probs = classifierx.predict(grid).reshape(xx1.shape)
#print(probs.shape)
#print(xx1.shape)
#plt.plot(xx1, xx2, [0.5], linewidths=1, colors='red');
plt.contour(xx1, xx2, probs, [0.5], linewidths=1, colors='red')
from sklearn.metrics import log_loss
logloss = log_loss(y_test,predy)
print(logloss)
```

0.9089291963122152

[3.



# 2.3 Number of Princial Components (k)

0.98245

0.972602

A after repeat processing of data using PCA and Logistic regression, an array was manually created below, with the following details

k	Accuracy	Precision	Recall	Loss

k(s) used in this example includes the following: 2, 3, 4. Values are also defined at 0. The data at k=0 is from the original logistic regression training.

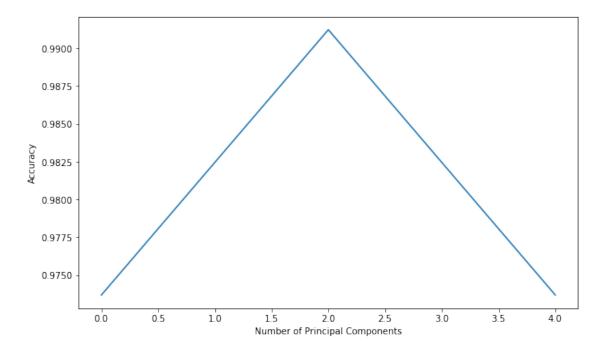
1.

0.6059574]

```
[4. 0.973684 0.97222 0.98591549 0.90892919]]
```

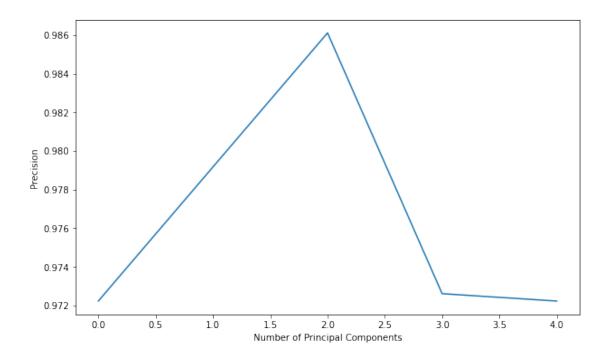
```
[45]: plt.figure(figsize = (10, 6))
   plt.plot(b[:,0],b[:,1])
   plt.xlabel('Number of Principal Components')
   plt.ylabel('Accuracy')
```

[45]: Text(0, 0.5, 'Accuracy')



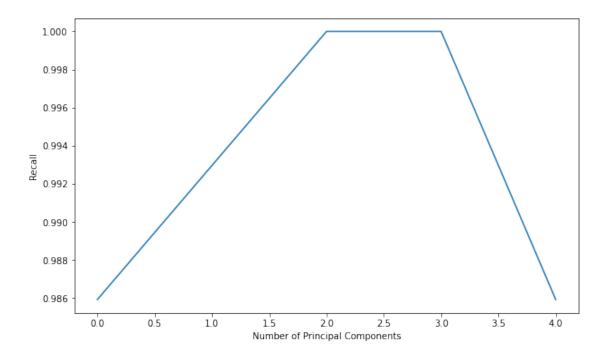
```
[46]: plt.figure(figsize = (10, 6))
   plt.plot(b[:,0],b[:,2])
   plt.xlabel('Number of Principal Components')
   plt.ylabel('Precision')
```

[46]: Text(0, 0.5, 'Precision')



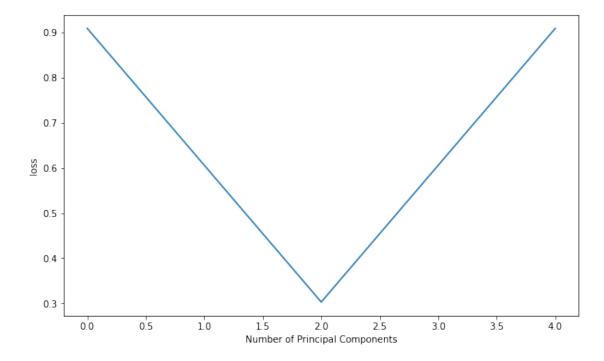
```
[47]: plt.figure(figsize = (10, 6))
   plt.plot(b[:,0],b[:,3])
   plt.xlabel('Number of Principal Components')
   plt.ylabel('Recall')
```

[47]: Text(0, 0.5, 'Recall')



```
[48]: plt.figure(figsize = (10, 6))
   plt.plot(b[:,0],b[:,4])
   plt.xlabel('Number of Principal Components')
   plt.ylabel('loss')
```

[48]: Text(0, 0.5, 'loss')



## 2.4 Conclusion

After reviwing the several plots above (Accuracy/Precision/Recall vs. # of Principal Components.) It seemed it was indeed possible to achieve to achieve an even higher accuracy using PCA. The best accuracy overall which also contained the minimum loss well below all other test/trials was determined with the only 2 principal components. It seems that the 2 principal components(pcs) are more fitting for this dataset and actually helped with providing exceedingly great accuracy results and minimum loss. Using 4 principal components presented the same / similar accuracy to the findings in just using the logistic regression method.

# 3 Problem 3 - LDA & Bayes Gaussian Classifier

Repeat problem 2, but this time use the LDA feature extraction for your training.

• For the classification, use the built-in Bays classifier for the classification.

• Report your classification accuracy, precision, and recall. Explain and elaborate on your results.

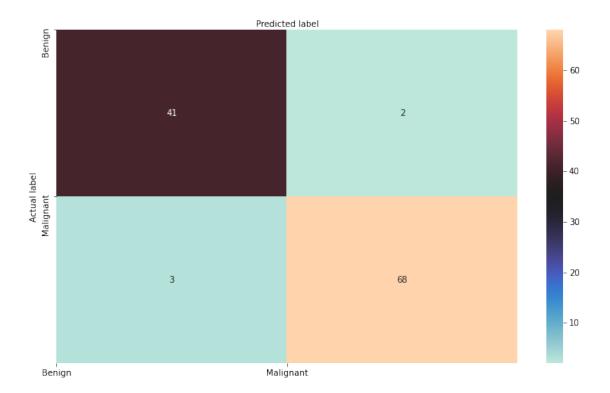
```
[49]: # Separating out the features
      x = b_dataset.loc[:, features].values
      # Separating out the target
      y = b_dataset['label']
      # Standardizing the features
      x = StandardScaler().fit_transform(x)
      y.replace('Benign',0,inplace=True)
      y.replace('Malignant',1,inplace=True)
      x_train, x_test, y_train, y_test = train_test_split(x,y,test_size = 0.20,__
      →random_state=42)
      from sklearn.discriminant_analysis import LinearDiscriminantAnalysis as LDA
      lda = LDA(n_components=1)
      X_train = lda.fit_transform(x_train,y_train)
      X_test = lda.transform(x_test)
[50]: from sklearn.naive_bayes import GaussianNB
      classifier = GaussianNB()
      classifier.fit(X_train,y_train)
```

```
predy = classifier.predict(X_test)
cnf_matrix = confusion_matrix(y_test,predy)
print("Accuracy:",metrics.accuracy_score(y_test,predy))
print("Precision:",metrics.precision_score(y_test,predy))
print("Recall:",metrics.recall_score(y_test,predy))
import seaborn as sns
class names=['Benign','Malignant']
fig, ax = plt.subplots()
sns.heatmap(pd.DataFrame(cnf_matrix),annot=True,cmap="icefire",fmt='g')
ax.xaxis.set_label_position("top")
plt.tight_layout()
plt.title('Confusion matrix', y=1.1)
tick_marks = np.arange(len(class_names))
plt.xticks(tick_marks,class_names)
plt.yticks(tick_marks,class_names)
plt.ylabel('Actual label')
plt.xlabel('Predicted label')
```

Accuracy: 0.956140350877193 Precision: 0.9714285714285714 Recall: 0.9577464788732394

# [50]: Text(0.5, 384.16, 'Predicted label')

#### Confusion matrix



```
from sklearn.naive_bayes import GaussianNB
classifier = GaussianNB()
classifier.fit(X_train,y_train)
predy = classifier.predict(X_test)
cnf_matrix = confusion_matrix(y_test,predy)
print("Accuracy:",metrics.accuracy_score(y_test,predy))
print("Precision:",metrics.precision_score(y_test,predy))
print("Recall:",metrics.recall_score(y_test,predy))
import seaborn as sns
class_names=['Benign','Malignant']
fig, ax = plt.subplots()
sns.heatmap(pd.DataFrame(cnf_matrix),annot=True,cmap="icefire",fmt='g')
ax.xaxis.set_label_position("top")
plt.tight_layout()
plt.title('Confusion matrix', y=1.1)
tick_marks = np.arange(len(class_names))
plt.xticks(tick_marks,class_names)
plt.yticks(tick_marks,class_names)
plt.ylabel('Actual label')
plt.xlabel('Predicted label')
1.93701461]
0.28118999]
[ 1.57988811  0.45618695  1.56650313 ... 1.95500035  1.152255
  0.20139121]
[ 0.70228425  2.0455738
                      0.67267578 ... 0.41406869 -1.10454895
 -0.318409167
2.219635287
-0.75120669]]
ValueError
                                   Traceback (most recent call last)
<ipython-input-51-f6cdbc89371c> in <module>
     15 lda = LDA(n_components=2)
---> 16 X_train = lda.fit_transform(x_train,y_train)
     17 X_test = lda.transform(x_test)
     18
```

```
/opt/anaconda3/lib/python3.8/site-packages/sklearn/base.py in_
 →fit_transform(self, X, y, **fit_params)
    700
                else:
    701
                    # fit method of arity 2 (supervised transformation)
--> 702
                    return self.fit(X, y, **fit_params).transform(X)
    703
    704
/opt/anaconda3/lib/python3.8/site-packages/sklearn/discriminant_analysis.py in_
 \rightarrowfit(self, X, y)
    537
                else:
    538
                     if self.n_components > max_components:
                         raise ValueError(
--> 539
                             "n_components cannot be larger than min(n_features, "
    540
                             "n classes - 1)."
    541
ValueError: n_components cannot be larger than min(n_features, n_classes - 1).
```

#### 3.1 Conclusion

It seems in LDA, that a user a can not define a number of classes that's more than number of classes -1 . In this case we only have 2 classes present in our dataset. Attempting a LDA with 1 defined component + using the Bayes classifier, did not surpass the PCA (#components = 2) + Logistic regression approach performed in Problem 2. This process, did not exceed the performance of just using a logistic regression, neither. It seems in this particular dataset the best classifier to use would be the logisitic regression.

# 4 Problem 4 - LDA & Logistic Regression

Can you repeat problem 3? This time, replace the Bayes classifier with logistic regression.

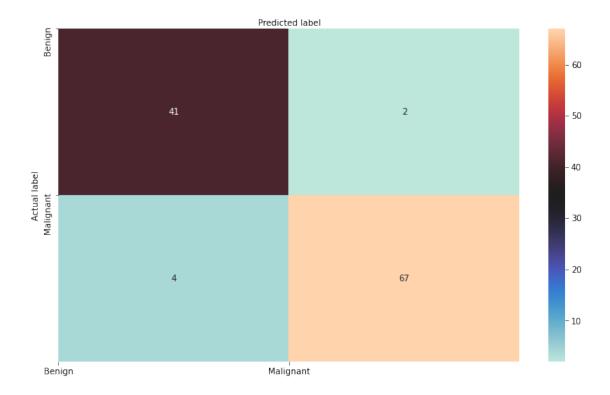
- Report your results (classification accuracy, precision, and recall).
- Compare your results against problem 2 and 3.

```
lda = LDA(n_components=1)
X_train = lda.fit_transform(x_train,y_train)
X_test = lda.transform(x_test)
from sklearn.naive_bayes import GaussianNB
classifier = LogisticRegression(random_state=0)
classifier.fit(X_train,y_train)
predy = classifier.predict(X_test)
cnf_matrix = confusion_matrix(y_test,predy)
print("Accuracy:",metrics.accuracy_score(y_test,predy))
print("Precision:",metrics.precision_score(y_test,predy))
print("Recall:",metrics.recall_score(y_test,predy))
import seaborn as sns
class_names=['Benign','Malignant']
fig, ax = plt.subplots()
sns.heatmap(pd.DataFrame(cnf matrix),annot=True,cmap="icefire",fmt='g')
ax.xaxis.set_label_position("top")
plt.tight_layout()
plt.title('Confusion matrix', y=1.1)
tick_marks = np.arange(len(class_names))
plt.xticks(tick_marks,class_names)
plt.yticks(tick_marks,class_names)
plt.ylabel('Actual label')
plt.xlabel('Predicted label')
Accuracy: 0.9473684210526315
```

Accuracy: 0.9473684210526315 Precision: 0.9710144927536232 Recall: 0.9436619718309859

[52]: Text(0.5, 384.16, 'Predicted label')

#### Confusion matrix



# 4.1 Conclusion

Compared to Problem 2 and 3. It seems this process / approach under-performed the other methodologies used prior. The accuracy and the Recall particularly suffered, which could affect patients adversely. Through this learning process it is evident, dimensionality reduction does help especially on binary classifiers like the logistic regression. Too many features can adversely affect modeling, by over/underfitting data.

 $https://github.com/thachkse/Intro-to-ML/tree/main/HW\_3$