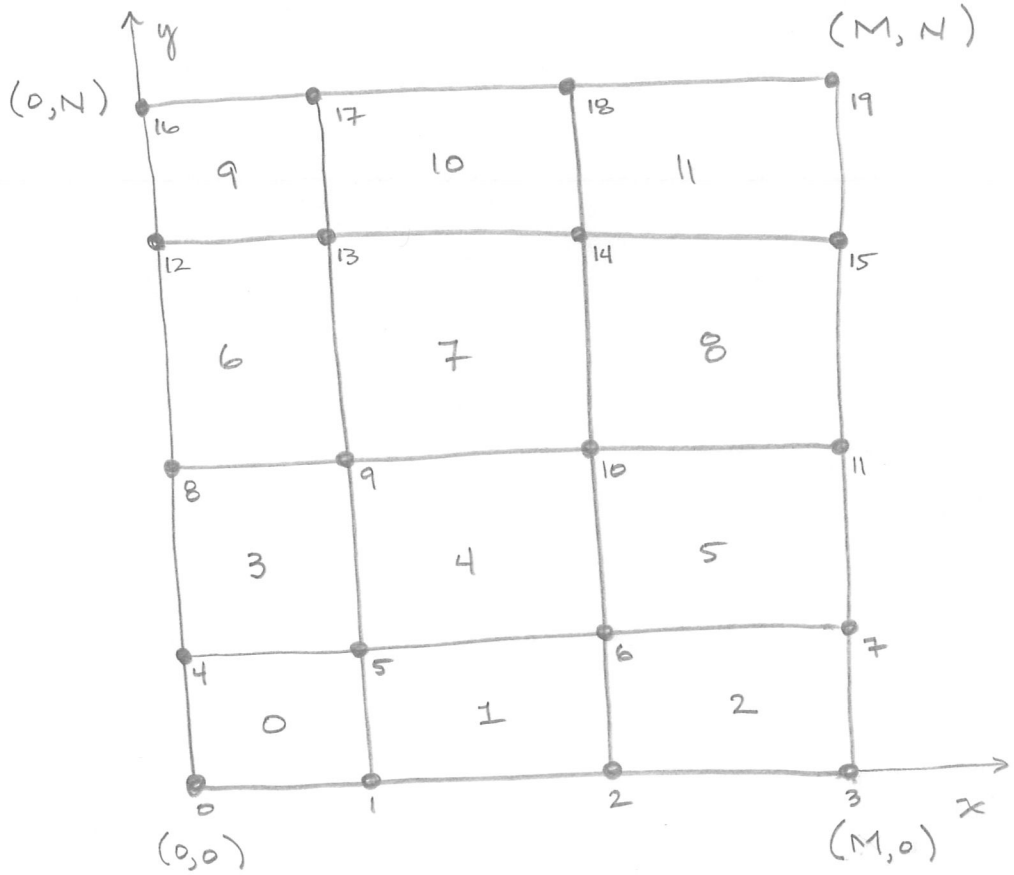
Pre-processing

The process of preparing all required input for a finite element program. This usually consists of building a mesh, assigning loads and boundary conditions, building connectivity arrays, etc.

Tensor product linear meshes

Consider the following mesh



M - width in x direction

N - height in y direction

m - number of elements in x direction

n - number of elements in y direction

In this case, $m = 3$, $n = 5$

We now want to devise algorithms to construct algorithms to build the nodes and IEN connectivity array.

Constructing nodal positions

The input are the 4 parameters (M, N, m, n) needed to specify a tensor product mesh and the output will be an array of nodal positions.

2d algorithm

$x_i = 0$

$y_j = 0$

$\text{step}_i = M/m$

$\text{step}_j = N/n$

for $j = 0$; $j < n+1$; $++j$

$y_j = j * \text{step}_j$

for $i = 0$; $i < m+1$; $++i$

$x_i = i * \text{step}_i$

$\text{Node}(j*(m+1)+i) = \{x_i, y_j\}$

Constructing element connectivity array IEN

The input is the element index e and the number of elements m in the x direction. The output is the nodal connectivity array for that element.

2d algorithm

$i_{ee} = e \,\%\, m$

$j_{ee} = e / m$

$n_{en} = 4$

$size = \sqrt{n_{en}}$

```
for j=0; j < size; ++j
    j_c = j_ee + j
    for i=0; i < size; ++ i
```

$i_c = i_{ee} + i$

$A = j_c * (m+1) + i_c$

$a = j * size + i$

$IEN(e, a) = A$

Note that this algorithm can be wrapped up in a loop over elements to populate the IEN array for every element in the mesh.