

Not Both

September 20, 2016

2:38 PM

$$X \wedge \sim Y$$

Assuming that they both of have a coffee, not both Rick and Sarah walk to school

P: Rick has a coffee. Q: Sarah has a coffee. X: Rick walks to school. Y: Sarah walks to school.

$$\sim X \wedge Y$$

$$(P \wedge Q) \rightarrow \left(\begin{array}{l} \sim (X \wedge Y) \\ (\sim X \vee \sim Y) \end{array} \right)$$

Although N&S

September 26, 2016 1:53 PM

Although studying is a necessary and sufficient condition for getting an A, neither Jim nor Sara will study unless they both get lots of sleep.

P: One studies. Q: One gets an A. R: Jim studies. S: Sara studies. W: Jim gets lots of sleep. Z: Sara gets lots of sleep.

$$(P \leftrightarrow Q) \wedge (\neg(S \vee R) \text{ unless } (W \wedge Z))$$

$S \vee R \rightarrow W \wedge Z$

Neither Nor

September 20, 2016 2:39 PM

Neither Peter nor Sarah walking to school is a sufficient condition for at least two of Peter, Sarah, and Rick not having their coffee.

P: Peter walks to school. Q: Sarah walks to school. X: Peter has coffee. Y: Sarah has coffee. Z: Rick has coffee.

Only

September 20, 2016

2:40 PM

P
Only on the assumption that Avery goes to school will Stella be
neither sad nor tired. $\sim(Q \vee R)$
 $\sim Q \wedge \sim R$

P: Avery goes to school. Q: Stella will be sad. R: Stella will be
tired.

$P \rightarrow \sim(Q \vee R)$

$\sim(Q \vee R) \rightarrow P$

Only

September 23, 2016 10:32 AM

$$S \rightarrow (X \vee Y) \wedge \sim (X \wedge Y)$$

Provided that Quentin is in a bad mood, Sarah will show up only if she is awake or excited, but not both.

Q: Quentin is in a bad mood. S: Sarah will show up. X: Sarah is awake. Y: Sarah is excited.

$$Q \rightarrow \left(\begin{array}{l} (X \vee Y) \wedge \sim (X \wedge Y) \\ (X \wedge \sim Y) \vee (\sim X \wedge Y) \\ \sim (X \leftrightarrow Y) \end{array} \right)$$

Translation

Translate the following symbolic sentence into IDIOMATIC English using the provided abbreviation scheme.

$$(P \wedge Q) \vee (P \wedge R) \vee (R \wedge Q) \rightarrow \sim (X \wedge Y \wedge Z)$$

P: Adam goes to the party. Q: Betty goes to the party. R: Carl goes to the party.
X: Adam will be happy. Y: Betty will be happy. Z: Carl will be happy.

2016F 7

January 16, 2017

12:45 PM

If either Hillary Clinton is arrested or minorities don't vote, Donald Trump will win. (2)

P: Donald Trump will win. Q: Hillary Clinton is arrested. R: Minorities vote.

$$Q \vee \sim R \rightarrow P$$

$$P \rightarrow \sim(Q \vee R) \quad \sim Q \wedge \sim R$$

Only provided that I eat protein will I be neither hungry nor tired. (3)

P: I eat protein. Q: I will be hungry. R: I will be tired.

$$\sim(Q \vee R) \rightarrow P$$

$$\sim(W \wedge X) \quad \sim W \vee \sim X$$

$$Y \leftrightarrow Z$$

Not both Richard and Monica are happy, unless Serena sleeps when and only when Kiara does too. (3)

W: Richard is happy. X: Monica is happy. Y: Serena sleeps. Z: Kiara sleeps.

$$\begin{aligned} & \sim(W \wedge X) \rightarrow (Y \leftrightarrow Z) \\ & \sim(Y \leftrightarrow Z) \rightarrow \sim(W \wedge X) \\ & \sim(W \wedge X) \vee (Y \leftrightarrow Z) \end{aligned}$$

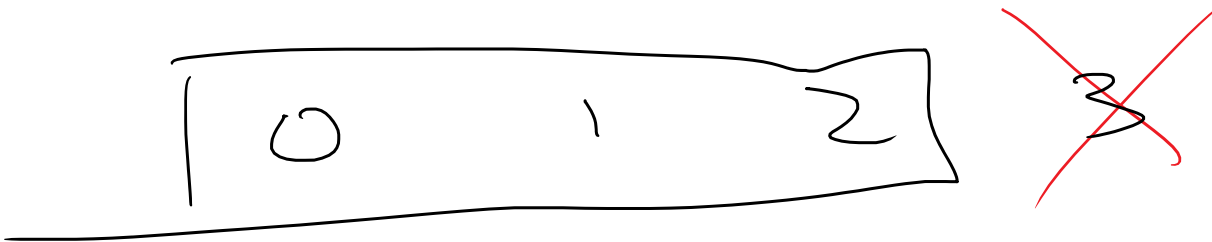
Assuming that none of Tim, Norm, or Agatha have kids, at most two of them will show up. (3)

P: Tim has kids. Q: Norm has kids. R: Agatha has kids.

X: Tim will show up.

Y: Norm will show up. Z: Agatha will show up.

$$\begin{aligned} \sim P \wedge \sim Q \wedge \sim R &\rightarrow \sim (X \wedge Y \wedge Z) \\ \sim (P \vee Q \vee R) &\quad \sim (P \vee Q \vee R) \vee \dots \vee \dots \end{aligned}$$



$\neg P$ R

Only if it doesn't rain, Dan going for a walk is a necessary condition for him to get groceries together with flowers. (4)

 $Q \wedge S$

P: It rains. Q: Dan gets groceries. R: Dan goes for a walk.

S: Dan gets flowers.

$$\left((Q \wedge S) \rightarrow R \right) \rightarrow \neg P$$