Contents

1	Examining the code	1
2	Evaluating pretrained models	2
3	Training a model	4
_	Extra: Training a model of our choice	5

Introduction

Speaker recognition is the task of identifying a person from his/her voice. In this lab report, we will examine a speaker recognition system that will use *x-vectors* embeddings to classify the speakers. The system has been developed to solve the VoxCeleb challenge.

The system *extracts* the fixed-size embeddings trying to include in these representations as much discriminative information as possible for the speaker recognition task. A few architectures of neural networks can be used with this purpose, as well as different loss functions.

The code that I used to test the model, which was provided by Alicia Lozano, can be found in this link.

Examining the code

In this section, we will examine the provided code in order to find the most relevant parts of it. Let us begin by examining the trainSpeakerNet.py file, since it is the main script. The code is properly commented so identifying the different parts is quite simple.

Questions.

· Which line of the code trains the model?

```
We found line 169:
    loss, traineer = s.train_network(loader=trainLoader);
```

which trains the code. The variable s was previously initialized as s = SpeakerNet(**vars(args));, creating an instance of the SpeakerNet defined model class. This class has the called train_network function, which performs (vaguely explained) a classic forward pass with loss computation and returns the average loss and the train eer.

• Which command loads a pre-trained model?

Having a look from lines 112-121, we find that in lines 116 and 120, the function s.loadParameters (args) is called. This function loads the pretrained model from a specific file. As we can see in the code, a distinction is made in our case, being able to load the model from the save_path or from the argument args.initial_model.

• Which line evaluates the performance of the neural network?

A few lines below the training line, in line 176 we find:

which evaluates the model in the test_list. In this function, all the features for each of the test file audios (.wav) files are extracted and then the scores are computed using pairwise_distance.

• Which variable contains the scores of the trials list? In which file are those scores saved?

Firstly, we find in line 176 that the scores of the trials are stored in the variable sc. Then, in line 177 we observe that the scores are thresholded and stored in the variable result. Then, they are saved in the scorefile file. This is a variable that, in line 150 opened a file called result_save_path/scores.txt, where result_save_path came as an argument from the execution of the script.

Which variable controls the number of epochs(iterations) that the model is trained?

We find in line 198 and 201 that the variable it is modified and checks the max_epoch indicated as an argument. Then, is the variable max_epoch the one that controls the number of epochs that the model is trained.

• Which parameter determines the loss function?

We find that in line 29 the argument --trainfunc with description 'Loss function' is declared. Then, it is passed to the model class in the creation of the instance of the model (passing all the arguments at the same time).

What is the purpose of the parameter test_interval?

Having a look at the description of the parameters, in line 27 we read that this parameter controls how many train epochs we make before every evaluation. For instance, if $test_interval = 10$, then every 10 training epoch we perform an evaluation on the test_list (line 176) and save the results.

• Which argument has to be modified in order to change the architecture of the model?

The architecture of the model is defined in the argument --model. As we can see, in the folder models, there are a few implementations of ResNet and VGG that could be used to change the architecture of the model.

• What is the purpose of the parameter nClasses? How would you obtain this value from the dataset? Write the command that you would use.

The parameter nClasses controls the number of speakers that are used in the softmax layer. Let us explain how we would obtain this from the dataset. As we are explained in the provided jupyter notebook, the training data is stored in the folder data/voxceleb2. Inside this folder, we find a large number of subfolders, each one containing the audios from a different speaker, which **represents a class** in our problem. So, to obtain the parameter nClasses, we would have to count the number of folders stored in the directory data/voxceleb2. We can do this in linux by using a pipe, listing the folders in the directory and then counting the number of lines (using the linux command wc -1). The execution provides the following result:

```
!ls data/voxceleb2/ | wc -1
```

It has to be remarked that the validation set does not have the same number of unique classes. When we execute this same command in the folder $\mathtt{data/voxceleb1}$, we obtain that there are only 40 classes.

Evaluating pretrained models

We are given two pretrained models using the VoxCeleb2 dataset (the dev partition). In this section, we evaluate the models and compare the results. To evaluate the models, we have to execute the previous

script, using the argument --eval as well as the dataset path, the model type and some extra parameters. We show the execution output (removing the warning lines).

First Model:

```
!python ./trainSpeakerNet.py --eval --model ResNetSE34L --log_input True \
          --trainfunc angleproto --save_path exps/test_lite --eval_frames 400 \
          --test_list lists/veri_test.txt \
          --initial_model pretrained_models/baseline_lite_ap.model
Embedding size is 512, encoder SAP.
Initialised AngleProto
Initialised Adam optimizer
Initialised step LR scheduler
Model has 1437080 parameters
Model pretrained_models/baseline_lite_ap.model loaded!
Reading 4700 of 4715: 28.75 Hz, embedding size 512
Computing 37700 of 37720: 1776.69 Hz
EER 2.1792
Second Model:
!python ./trainSpeakerNet.py --eval --model ResNetSE34V2 --log_input True \
  --encoder_type ASP --n_mels 64 --trainfunc softmaxproto \
  --save_path exps/test_v2 --eval_frames 400 --test_list lists/veri_test.txt \
  --initial_model pretrained_models/baseline_v2_ap.model
```

Embedding size is 512, encoder ASP.

Initialised Softmax Loss

Initialised AngleProto

Initialised SoftmaxPrototypical Loss

Initialised Adam optimizer

Initialised step LR scheduler

Model has 11103416 parameters

Model pretrained_models/baseline_v2_ap.model loaded!

Reading 4700 of 4715: 4.19 Hz, embedding size 512

Computing 37700 of 37720: 1766.00 Hz

EER 1.1771

Questions.

· How does each of the previous model perform?

We obtain the following results:

- Model 1 EER: 2.1792.

- Model 2 EER: 1.1771.

Further explanation on these results will be provided in the following questions.

Which one is the best and why?

As we will explain in the following question, the lower the EER is, the better the model is. This implies that, in our case, the second model is better than the first one.

What is the EER and how can we interpret it?

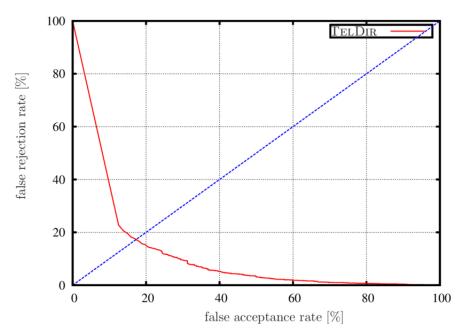


Figure 1: Example of DET curve.

EER stands for **Equal Error Rate**. To understand this concept, we assume that the concepts of *TP, TN, FP, and FN* are known. Using these concepts and considering N as the total number of examples, we can define the **False Rejection Rate (FFR)** and **False Aceptation Rate (FAR)** as the ratios:

$$FFR = \frac{FN}{N}, \quad FAR = \frac{FP}{N}.$$

For each of these two metrics, we have to choose a *threshold* that we would like our model to fulfill, using the number of *allowed False Positives and False Negatives*. The **Dectection Error Tradeoff (DET)** curve represents this tradeoff trying to decrease both FAR and FFR. We can see an example of DET curve in Figure 1.

With all these concept, we can define the EER as the point of the DET curve where FAR = FRR, that is, the point where our model rejects the same amount of positive examples than the number of negative samples that it accepts.

At this point, we get to understand why a lower EER is better, since if the EER is lower it means that both our FAR and FFR (which are *negative* quantities) are low.

· What are the differences between the models?

Training a model

In this section, we are given a few specifications for a model and we are asked to train a model using the provided specifications. In particular, the specifications are:

- The **encoder** must be a ResNetSE34L with SAP (which does not increase the out dimension of the linear layer of the model).
- · Loss function amsoftmax
- Scale = 30
- margin = 0.3
- Number of speaker equal to the number of classes (we found before that the number is 4953).
- Fix a number of epochs. In our case, we tested a few different numbers, fixing the final number to 100 epoch (leading to a training that lasts more than one hour).

Extra: Training a model of our choice

In this last section, we are asked to train a model of our choice, choosing an **encoder** and The choice I made was to select

4.1 Intuitions on triplet losses

x-vectors are representations of the audio signals we are dealing with. Ideally, we would like to obtain intermediate representations in our encoder that, given an input data x, preserve the distance between similar data points close and also makes de distance between different datapoints far on the embedding space [1].

Let us set the notation that we will use first. We will consider sets of triplets (x, x^+, x^-) where:

- The element x is an anchor point,
- The element x^+ is a positive instance,
- The element x^- is a negative instance.

The main idea is to learn a representation of x, say g(x), such that the distance of the representation of the input is closer in distance to the representation of the positive sample x^+ than the representation of the negative sample x^- . Using the norm, we can formally express that as follows:

$$||g(x) - g(x^+)||_2 \le ||g(x) - g(x^-)||_2$$

for each triplet in the set.

The loss function that we will use will use this inequality, adding a last term, which we will motivate now: Support-vector machines (SVMs) are supervised learning models used for classification or regression problems. They are one of the most robust prediction methods. They search for a hyperplane h in high or infinite dimensional space that separates the data as much as possible, making use of *support vectors*, the datapoints that are closest to the hyperplane. If the data is linearly separable, we can select two hyperplanes h_1, h_2 that are parallel to h and making the distance from them to h as large as possible. That region is called the *margin*.

Coming back to our triplets problem, we also want to introduce a margin between the distances of the elements of the triplets, in order to separate positive examples from negative examples as much as possible. This way, we introduce a *margin* term α , rewriting our last equation as follows:

$$||g(x) - g(x^+)||_2 + \alpha < ||g(x) - g(x^-)||_2.$$

Using this inequality, we can define a loss function for each triplet in the set:

$$\ell^{\alpha}(x, x^{+}, x^{-}) = \|g(x) - g(x^{+})\|_{2}^{2} - \|g(x) - g(x^{-})\|_{2}^{2} + \alpha. \tag{1}$$

This loss has been defined for a single triplet. This is the loss function that we have defined in the file loss/triplet.py.

References

[1] Kihyuk Sohn. "Improved Deep Metric Learning with Multi-class N-pair Loss Objective". In: NIPS. 2016.