

# 模式识别第一次编程作业 简单的感知机模型训练

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## 实验分析总结 ¶

本次实验是一个小的感知机实现, 通过这次代码实现, 我对感知机算法, 和这种梯度下降的模型自学习思想理解更深了

下面是具体的代码和实验结果:

```
In [1]: # 模式识别第一次编程作业 简单的感知机模型训练
import numpy as np
from matplotlib.lines import Line2D
import matplotlib.pyplot as plt
```

```
In [2]: # 输入初始化数据
print("=" * 64)
print("开始初始化数据:")
data1 = [[0, 0], [0, 1]]
data2 = [[1, 0], [1, 1]]
print("初始化输入的w1 类的数据有:")
print(data1)
print("初始化输入的w2 类的数据有:")
print(data1)
data1 = np.array(data1)
data2 = np.array(data2)
step = 0 # 迭代步数
c = 1 # 固定比例因子为1
Nc = 0 # 正确分类计数器
w = [1, 1]
print("初始化的权向量为:")
print(w)
w = np.array(w)
```

```
=====
=====
开始初始化数据:
初始化输入的w1 类的数据有:
[[0, 0], [0, 1]]
初始化输入的w2 类的数据有:
[[0, 0], [0, 1]]
初始化的权向量为:
[1, 1]
```

```

In [3]: # 对数据和权向量进行增广
print("=" * 64)
print("对权向量和数据进行增广处理")

w = np.pad(w, (0, 1), 'constant', constant_values=1)
print("w:")
print(w)

data1 = np.pad(data1, ((0, 0), (0, 1)), 'constant', constant_values=1)
print("data1:")
print(data1)

data2 = np.pad(data2, ((0, 0), (0, 1)), 'constant', constant_values=1)
print("data2:")
print(data2)

```

```

=====
=====
对权向量和数据进行增广处理
w:
[1 1 1]
data1:
[[0 0 1]
 [0 1 1]]
data2:
[[1 0 1]
 [1 1 1]]

```

```

In [4]: # 归一化处理数据
print("=" * 64)
print("归一化处理数据:")
print("data = append(data1, data2* -1)")
data = np.append(data1, -1*data2, axis=0)
print("data:")
print(data)

```

```

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=====
归一化处理数据:
data = append(data1, data2* -1)
data:
[[ 0  0  1]
 [ 0  1  1]
 [-1  0 -1]
 [-1 -1 -1]]

```

```

In [5]: # 感知机算法迭代
print("=" * 64)
print("开始算法迭代:")
s = "|| {:^8} || {:^8} || {:^16} ||"
w_sum = []
print(s.format("step", "result", "w"))
while Nc < 4:
    point = step % 4
    test = data[point]
    result = test.dot(w.transpose())
    if result <= 0:
        w += test*c
        Nc = 1 # 对Nc进行刷新
    else:
        Nc += 1
    step += 1
    print(s.format(step, result, np.array2string(w)))
    w_sum.append(w.copy())

```

```

=====
=====
开始算法迭代:
|| step || result ||      w      ||
||  1  ||   1  || [1 1 1] ||
||  2  ||   2  || [1 1 1] ||
||  3  ||  -2  || [0 1 0] ||
||  4  ||  -1  || [-1 0 -1] ||
||  5  ||  -1  || [-1 0 0] ||
||  6  ||   0  || [-1 1 1] ||
||  7  ||   0  || [-2 1 0] ||
||  8  ||   1  || [-2 1 0] ||
||  9  ||   0  || [-2 1 1] ||
|| 10  ||   2  || [-2 1 1] ||
|| 11  ||   1  || [-2 1 1] ||
|| 12  ||   0  || [-3 0 0] ||
|| 13  ||   0  || [-3 0 1] ||
|| 14  ||   1  || [-3 0 1] ||
|| 15  ||   2  || [-3 0 1] ||
|| 16  ||   2  || [-3 0 1] ||

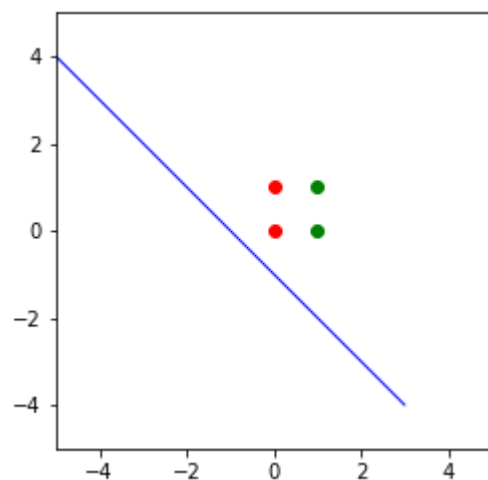
```

```
In [6]: # 可视化结果
print("=" * 64)
for i in range(len(w_sum)):
    w = w_sum[i]
    print(i + 1)
    print(w)
    figure, ax = plt.subplots()
    ax.set_aspect("equal")
    ax.scatter(data[0][0], data[0][1], c='r') # 绘制数据点
    ax.scatter(data[1][0], data[1][1], c='r')
    ax.scatter(-data[2][0], -data[2][1], c='g')
    ax.scatter(-data[3][0], -data[3][1], c='g')
    u = w[0]
    v = w[1]
    z = w[2]
    # 方程是  $ux + vy + z = 0$ , 即  $y = -u/v * x - z/v$ ,  $x = -v/u * y - z/u$ 
    # 下面绘制直线
    if (u != 0):
        point1 = [-v/u * (-4) - z/u, -4]
        point2 = [-v/u * 4 - z/u, 4]
    elif (v != 0):
        point1 = [-4, -u/v * (-4) - z/v]
        point2 = [4, -u/v * 4 - z/v]
    else:
        point1 = [0, z]
        point2 = [0, z]
    points = (point1, point2)
    (line1_xs, line1_ys) = zip(*points)
    ax.add_line(Line2D(line1_xs, line1_ys, linewidth=1, color='blue'))
    ax.set_xlim([-5, 5])
    ax.set_ylim([-5, 5])
    plt.show()
```

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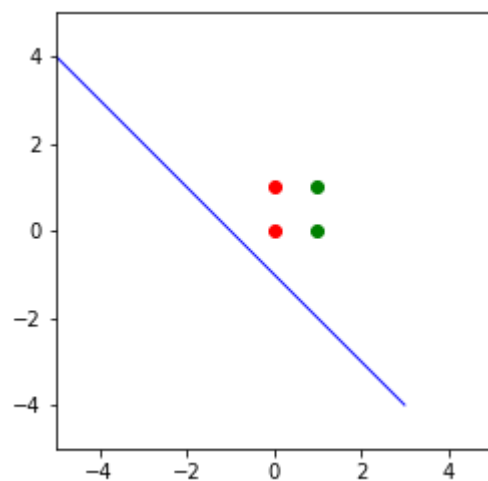
1

[1 1 1]



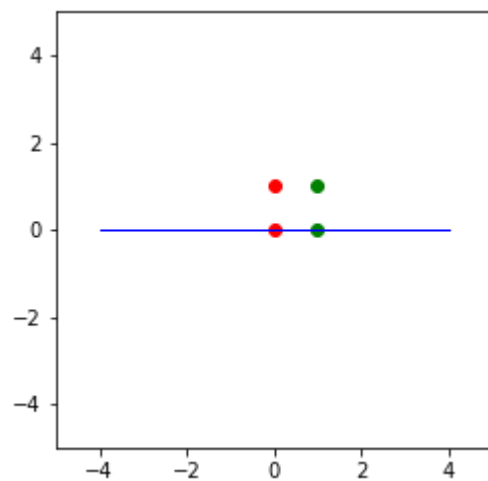
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[1 1 1]

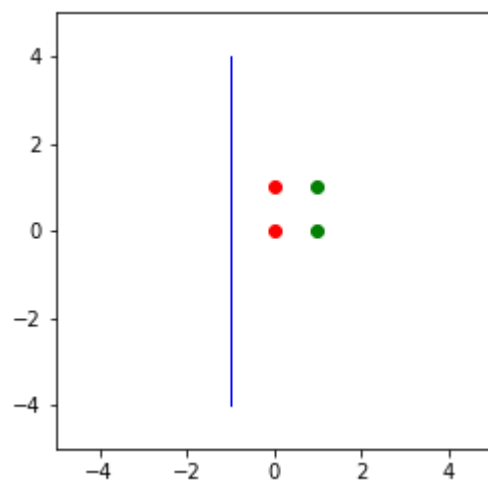


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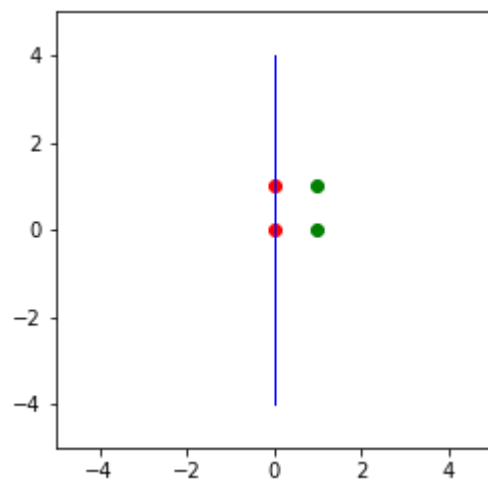
[0 1 0]



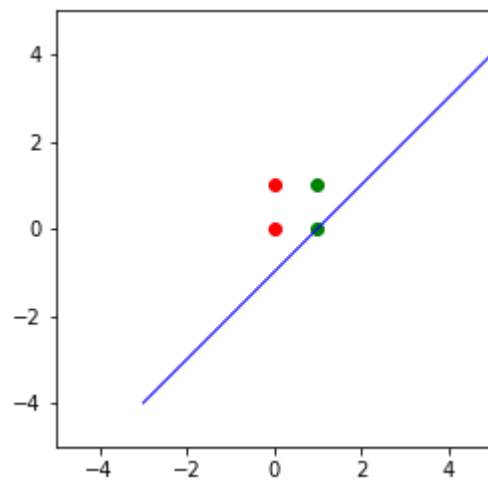
4  
[-1 0 -1]



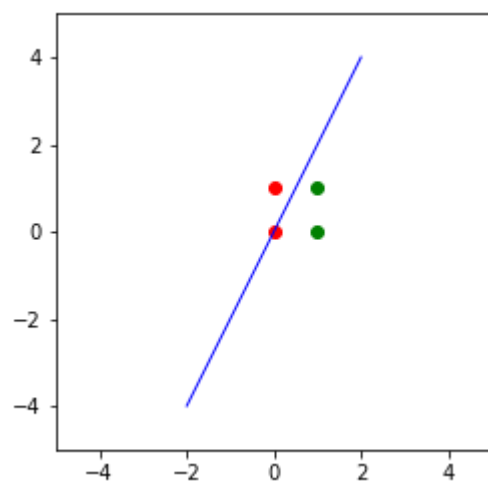
5  
[-1 0 0]



6  
[-1 1 1]

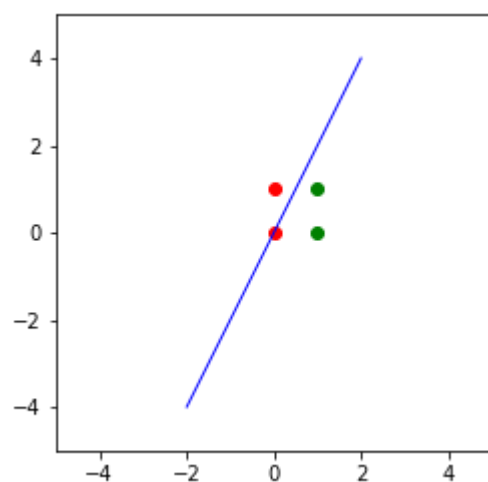


7  
[-2 1 0]



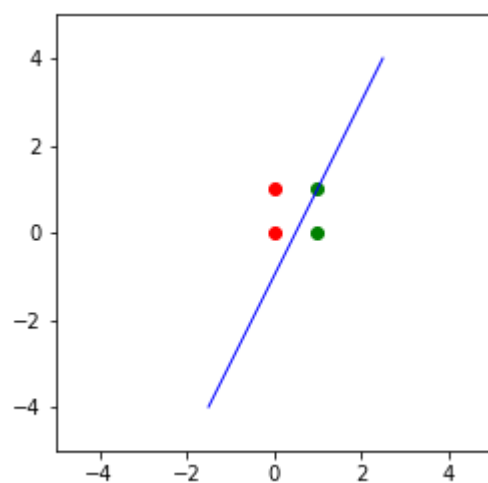
8

[-2 1 0]



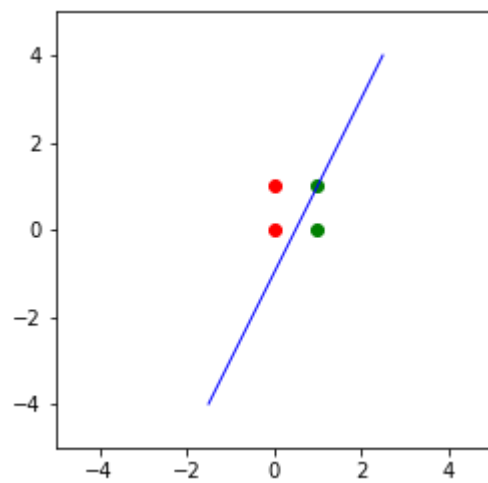
9

[-2 1 1]

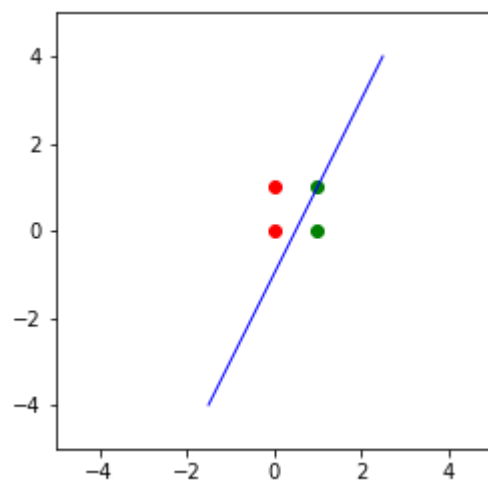


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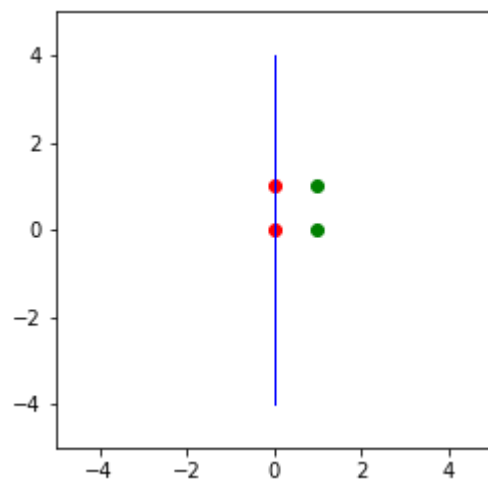
[-2 1 1]



11  
[-2 1 1]

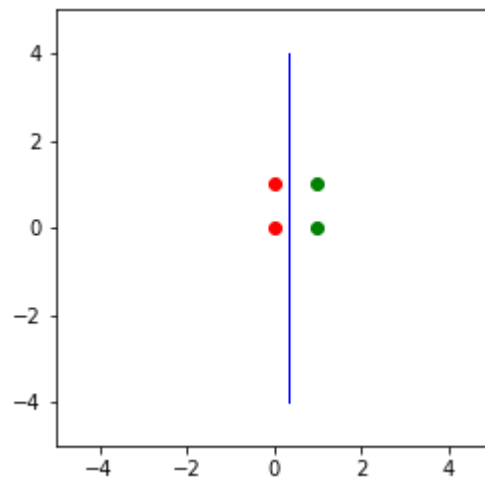


12  
[-3 0 0]

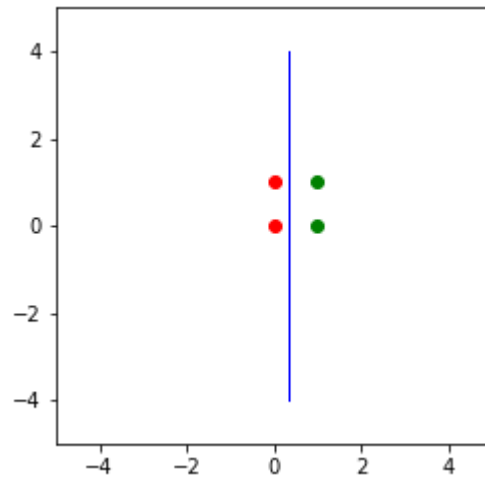


13  
[-3 0 1]

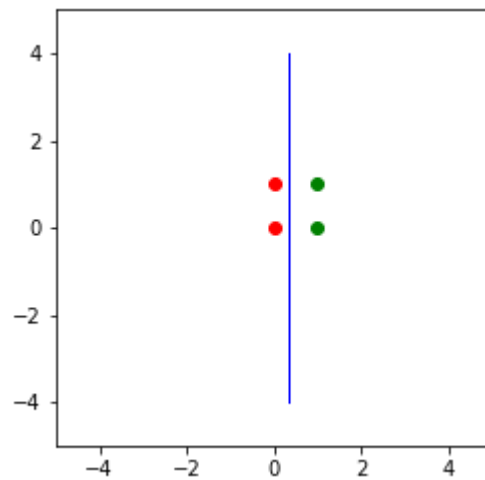




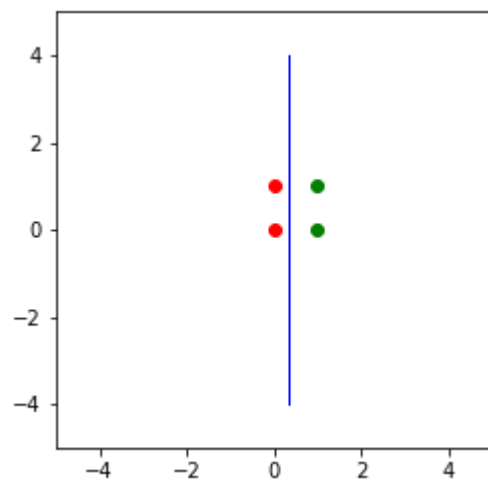
14  
[-3 0 1]



15  
[-3 0 1]



16  
[-3 0 1]



In [ ]: