

PLANS FOR IMPROVING HPGTPC TRACKING: REVISITING LAR-TO-GAR MUON MOMENTUM RECONSTRUCTION



UNIVERSITY OF
OXFORD

*Presents:
Federico Battisti*



IMMEDIATE AND FUTURE GOALS

- The **ND-GAr tracking capabilities** need to be carefully studied and benchmarked
- Specifically the **momentum reconstruction algorithms**, involving **Kalman filter**, need to be evaluated in their efficacy and potentially improved
 - Tracking in ND GAr will have to take into account **dEdx , multiple scattering and field inhomogeneity** in high pressure gasses if performances at the levels of ALICE or better want to be achieved
- An important role of **ND-GAr** will be to function as a **muon spectrometer of ND-LAr**: to evaluate its capabilities in that sense the LAr → GAr propagation of tracks needs to be understood



- Easiest sample to study consists of **muons produced in $\nu_\mu(CC)$ interactions in the ArgonCube that reach the Gas Argon TPC**
 - Learn how these samples are produced by the experts and be able to reproduce them

THE SIMULATION EXERCISE

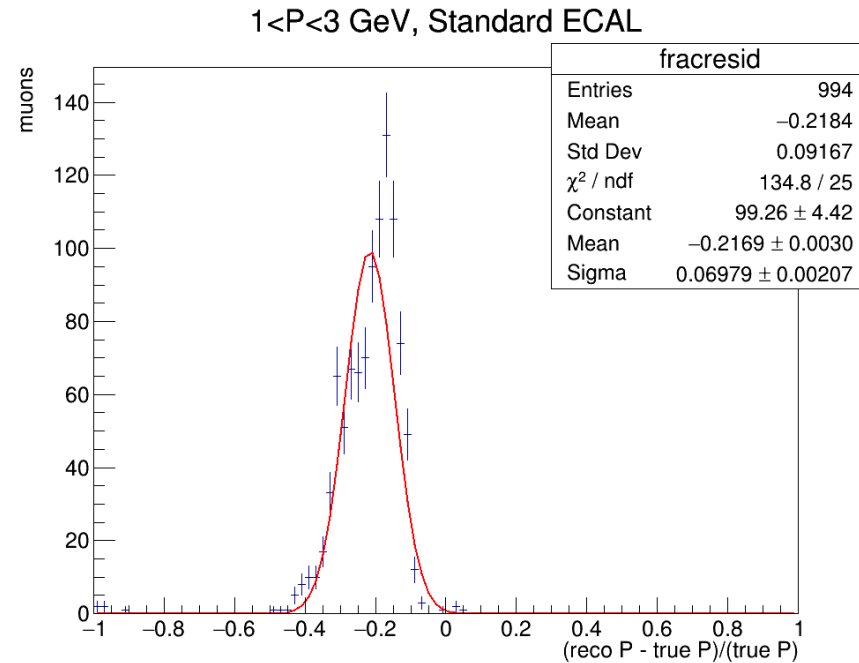


- Started working on previously existing Garsoft simulation to familiarise with the software:
 - Produce **low energy ($1\text{GeV} < p < 3\text{GeV}$) and high energy ($3\text{GeV} < p < 5\text{GeV}$) upstream muon samples from a randomly generated text file**, all muons starting outside the Gas Argon detector at $z = -500\text{cm}$, and having x and y coordinate that vary between -200 and 200 cm and -200 and 0 cm respectively
 - Execute **readout simulation, reconstruction and convert into analysis tree**
 - Produce resolution plot: $(p_{\text{reco}} - p_{\text{true}})/p_{\text{true}}$

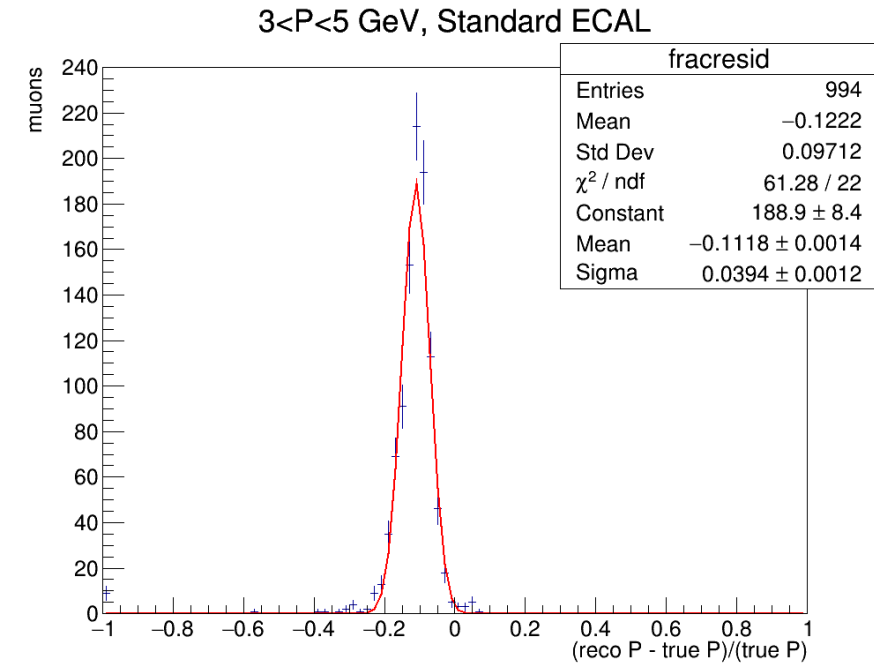
Graphical representation of one of the muons, produced with evl.fcl

RESOLUTION (MUONS FROM OUTSIDE THE DETECTOR)

- The resolution plots show a degradation probably due to energy loss in ECAL: **the momentum reconstruction bias needs to be corrected**



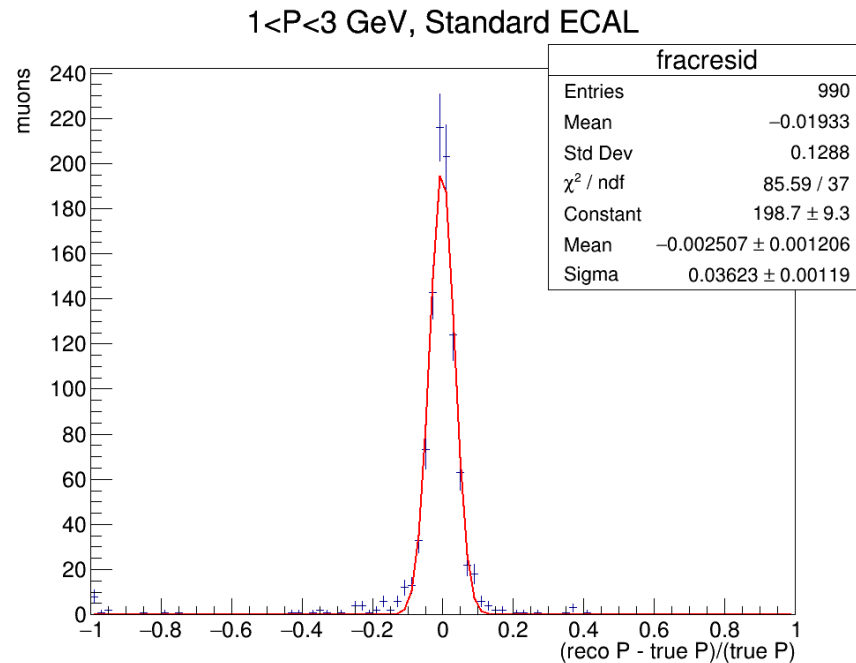
Resolution plot for **low momentum**
($1 < p < 3$) GeV/c muon sample
generated upstream **outside the**
detector ($z = -500\text{cm}$)



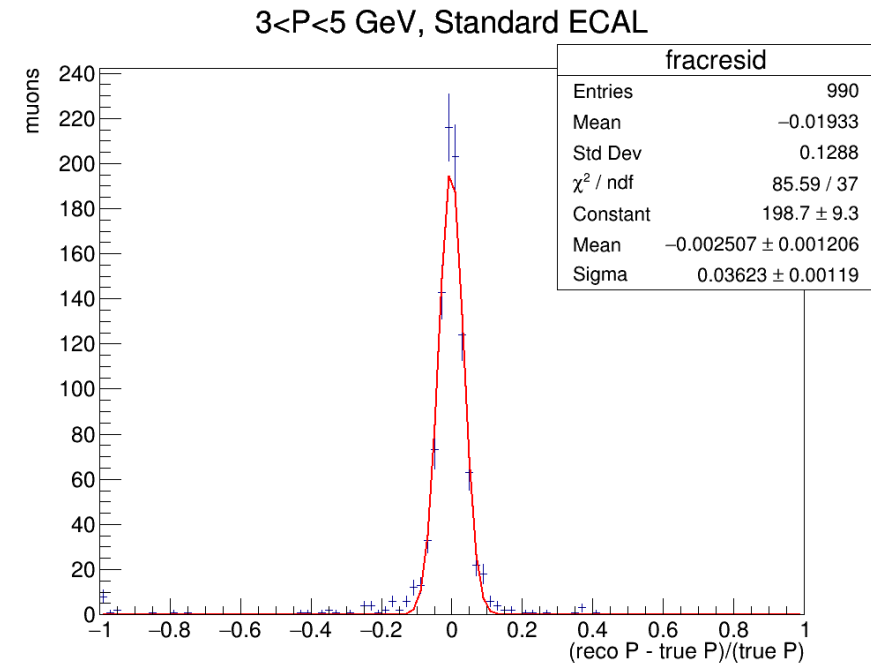
Resolution plot for **high momentum**
($3 < p < 5$) GeV/c muon sample
generated upstream **outside the**
detector ($z = -500\text{cm}$)

RESOLUTION (MUONS FROM INSIDE THE DETECTOR)

- To verify resolution degradation is due to the muon transversing the calorimeter, redid the simulation with a new **muon sample generated inside the gas detector**



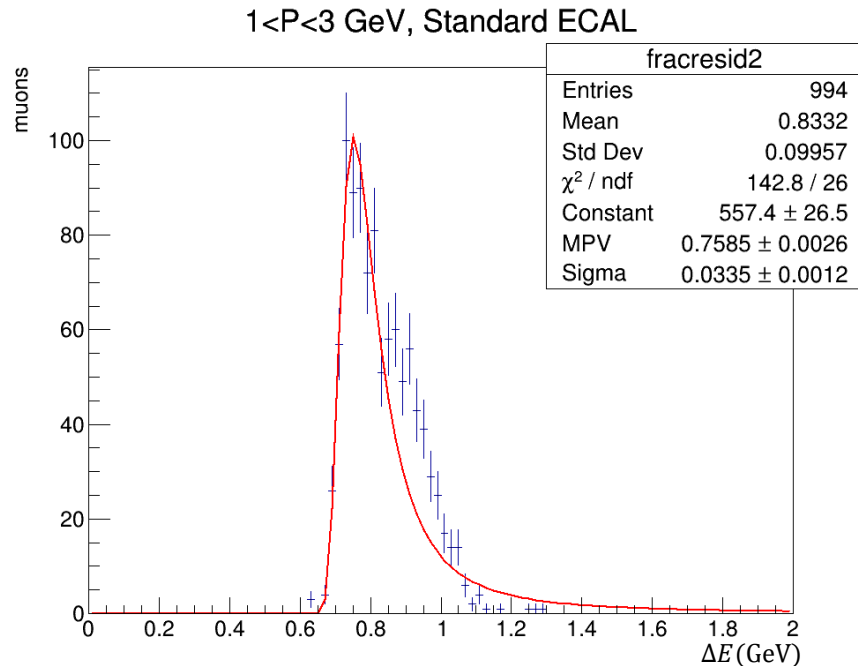
Resolution plot for **low momentum**
(1 < p < 3) GeV/ c muon sample
generated upstream **inside the**
detector ($z = -190\text{cm}$)



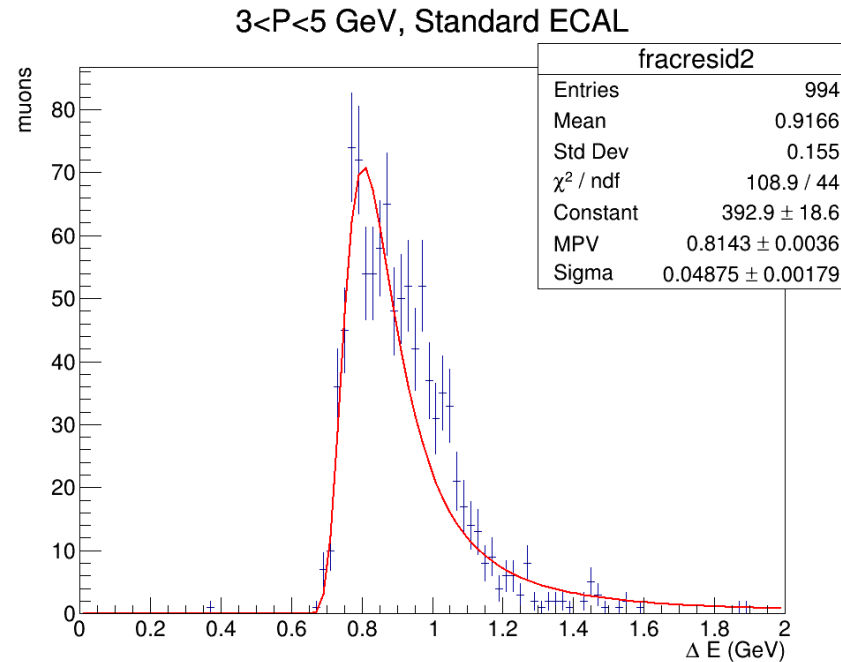
Resolution plot for **high momentum**
(3 < p < 5) GeV/ c muon sample
generated upstream **inside the**
detector ($z = -190\text{cm}$)

ENERGY LOSS PLOTS

- Energy loss $\Delta E = E_{start} - E_{end}$ (E_{start} and E_{end} are muon true energy at the end and start of its trajectory) is a better parameter to understand the momentum reconstruction bias



Energy loss ΔE (GeV) for low momentum ($1 < p < 3$) GeV/c muon sample generated upstream outside the detector ($z = -500\text{cm}$)



Energy loss ΔE (GeV) for high momentum ($3 < p < 5$) GeV/c muon sample generated upstream outside the detector ($z = -500\text{cm}$)

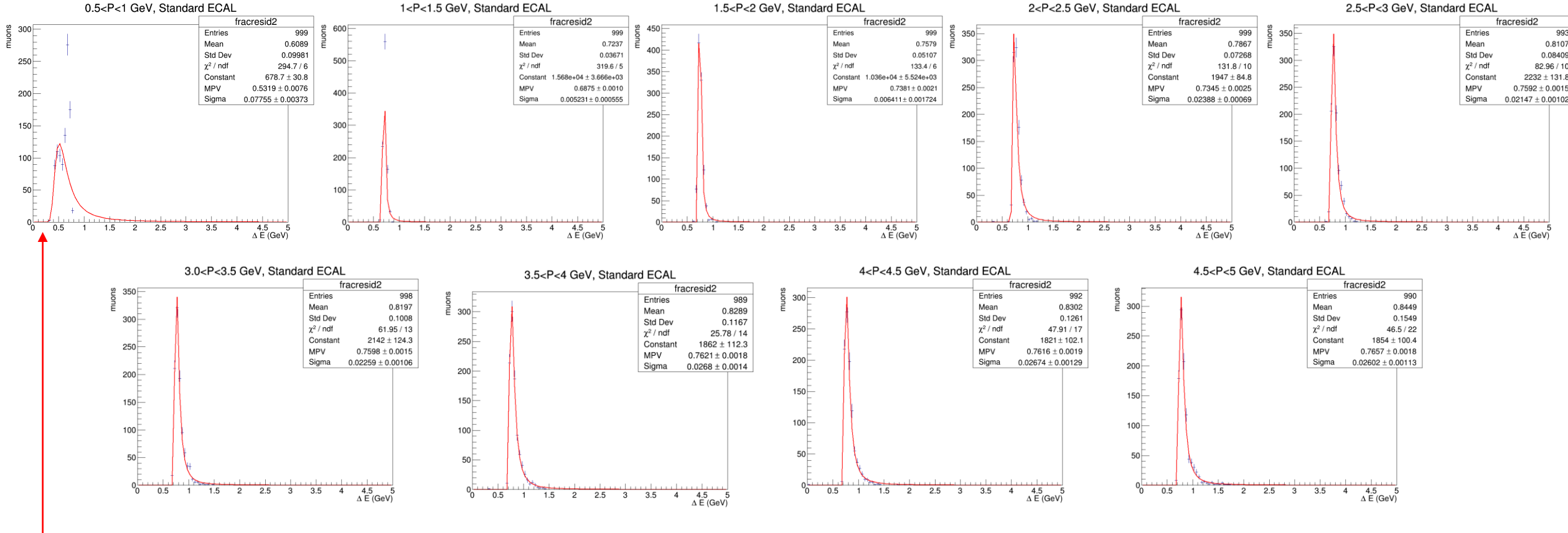
Note: the muons start upstream of the ECAL material and they pass through the entire detector (i.e. they go through the ECAL two times). The muon trajectory ends when it reaches the edge of the geometry world at $z = 20000\text{cm}$

ENERGY LOSS AS A FUNCTION OF INITIAL MOMENTUM

- Previous integrated energy loss is not accurate enough, many effects are convoluted
- We want to study the difference in muon energy loss ΔE (GeV) as a function of their initial momenta
- Muon samples considered: initial coordinates $(x, y, z) = (0, 0, -500)$ cm, null initial p_x and p_y momentum components and p_z uniformly distributed over multiple 0.5 GeV/c momentum spans.
- Simulated 9 samples in total (1000 muons each) with p_z ranging from 0.5 GeV/c to 5 GeV/c

ENERGY LOSS AS A FUNCTION OF INITIAL MOMENTUM

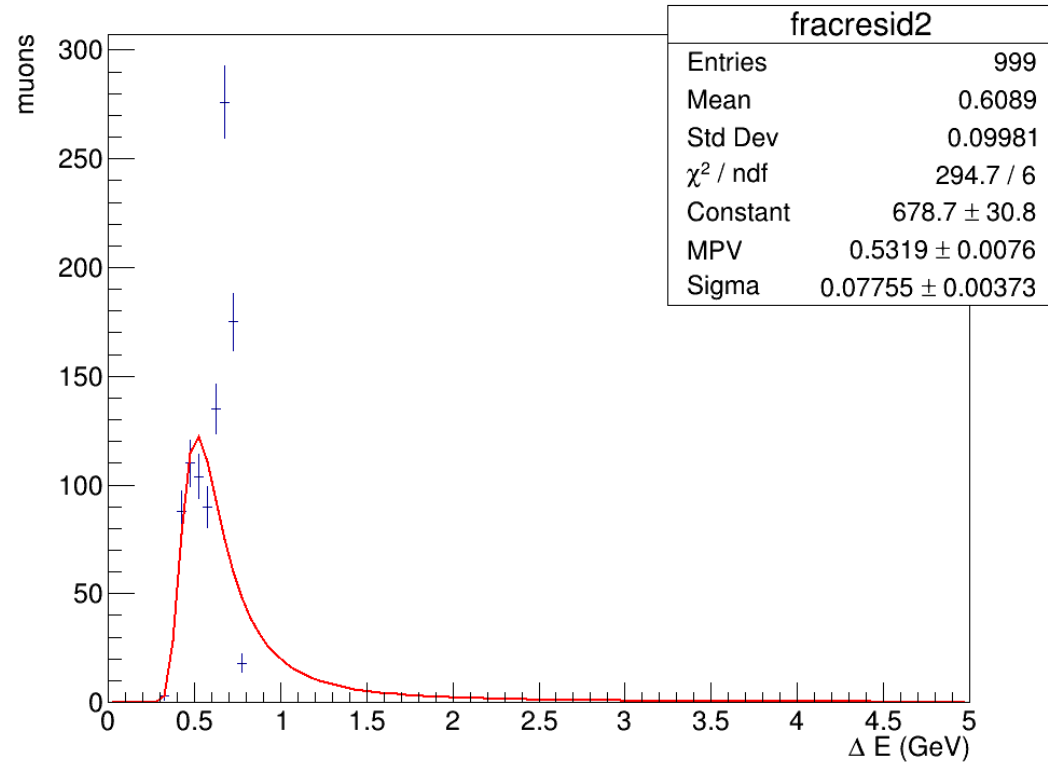
- I then plotted the Energy loss distributions, fitting with a Landau and obtaining the MPV for ΔE (GeV)



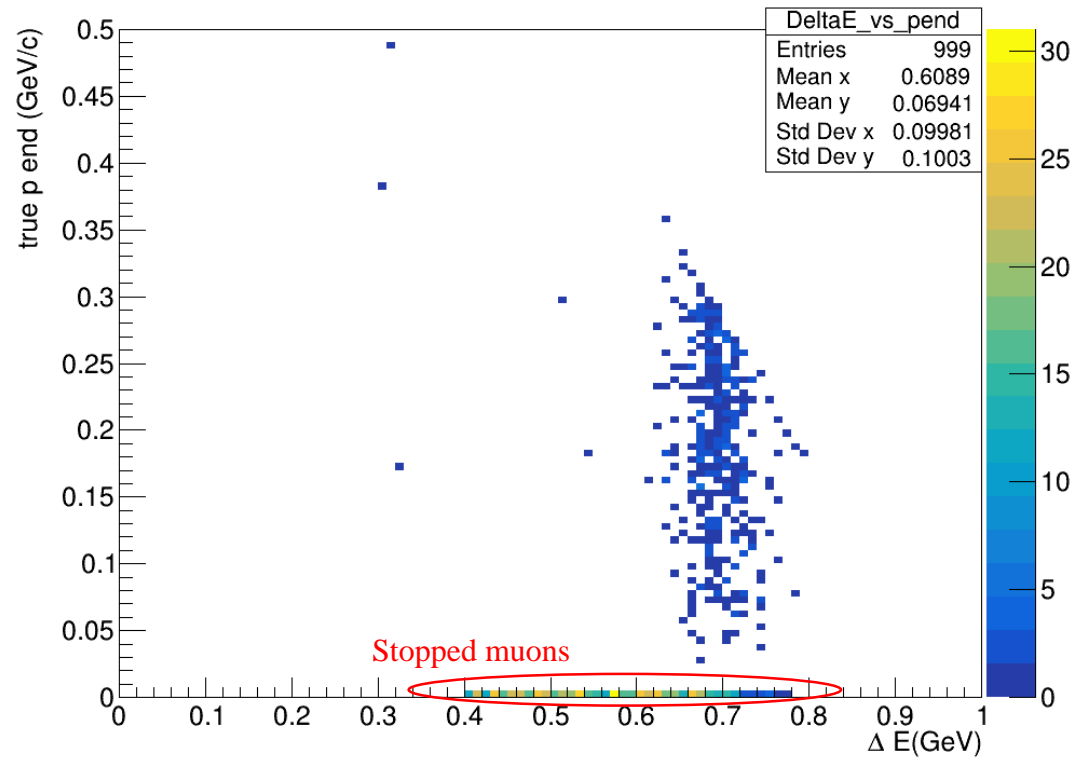
Note anomalous double peak feature in very low momentum sample ($0.5 < p < 1$) GeV/c

VERY LOW MOMENTUM SAMPLE

0.5 < P < 1 GeV, Standard ECAL



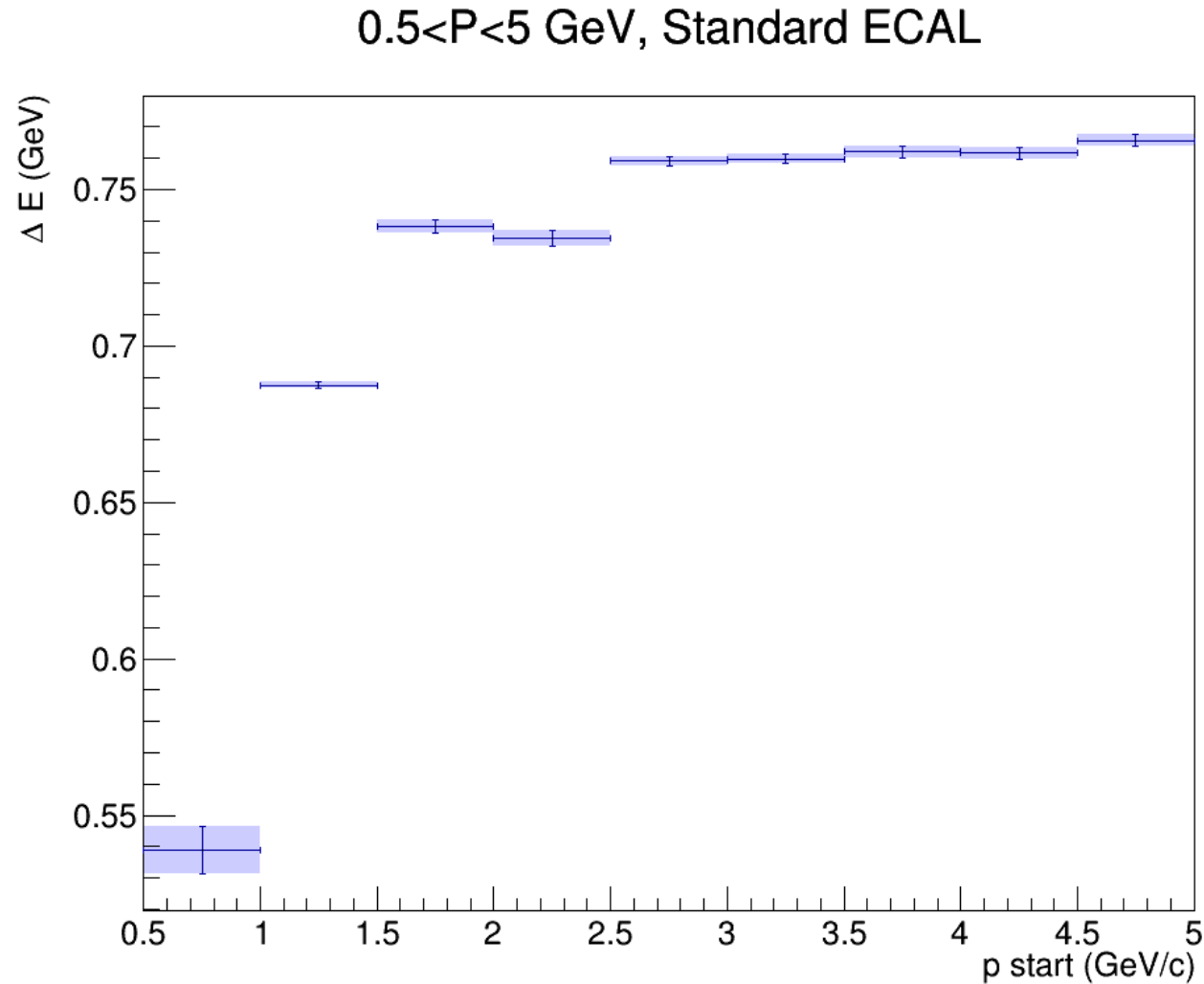
0.5 < P < 1 GeV, Standard ECAL



- A **double peak structure** can be noticed in the **very low momentum sample** ($0 < p_z < 0.5$) GeV/c
- Most muons in the sample traverse the barrel ECAL, are bent by the magnetic field and re-enter the barrel calorimeter.
- Overall **muons that traverse the ECAL two times** are expected to lose about $\Delta E \simeq 0.7$ GeV
- The lower peak probably consists of particles **that have an initial energy lower than 0.7 GeV** and that are expected to be **stopped in the ECAL** ($p_{\text{end}} = 0$ GeV/c) the second time they pass through it

ENERGY LOSS AS A FUNCTION OF INITIAL MOMENTUM

- We then take the MPV for each distribution and plot them as a function of initial momentum

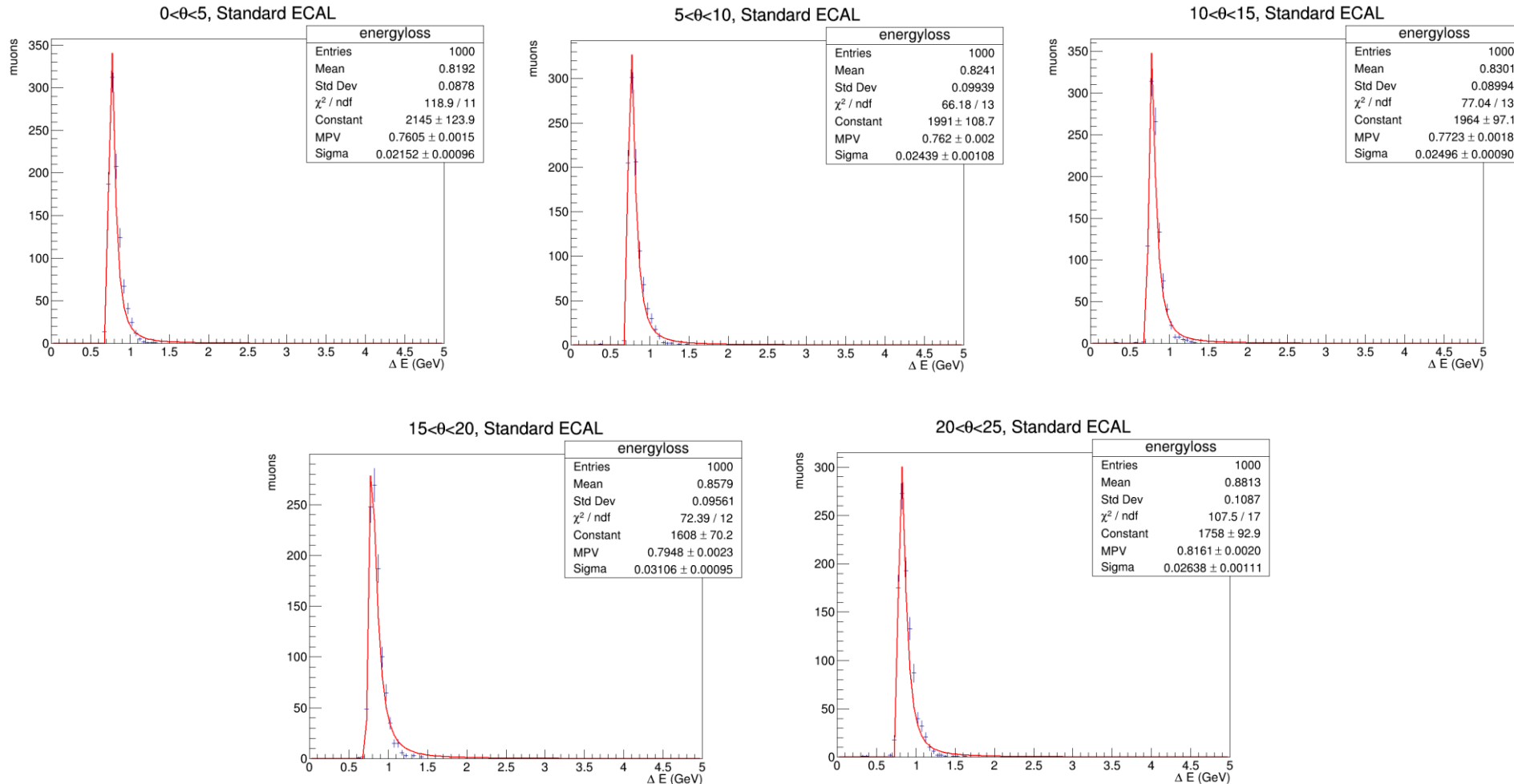


ENERGY LOSS AS A FUNCTION OF TRAVERSED MATERIAL

- We then wanted to study the difference in **muon energy loss ΔE (GeV)** as a function of the **amount of traversed ECAL material**.
- The most immediate way to do it was to produce upstream muon samples ($z=-500\text{cm}$), whose initial momentum formed an **increasingly larger angle with the z axis**.
- Specifically I added a small p_x component, so that the particles formed angles uniformly distributed in **spans of 5° from 0° to 25°**
- Each sample contained 1000 muons having a total initial momentum of 3 GeV

ENERGY LOSS AS A FUNCTION OF TRAVERSED MATERIAL

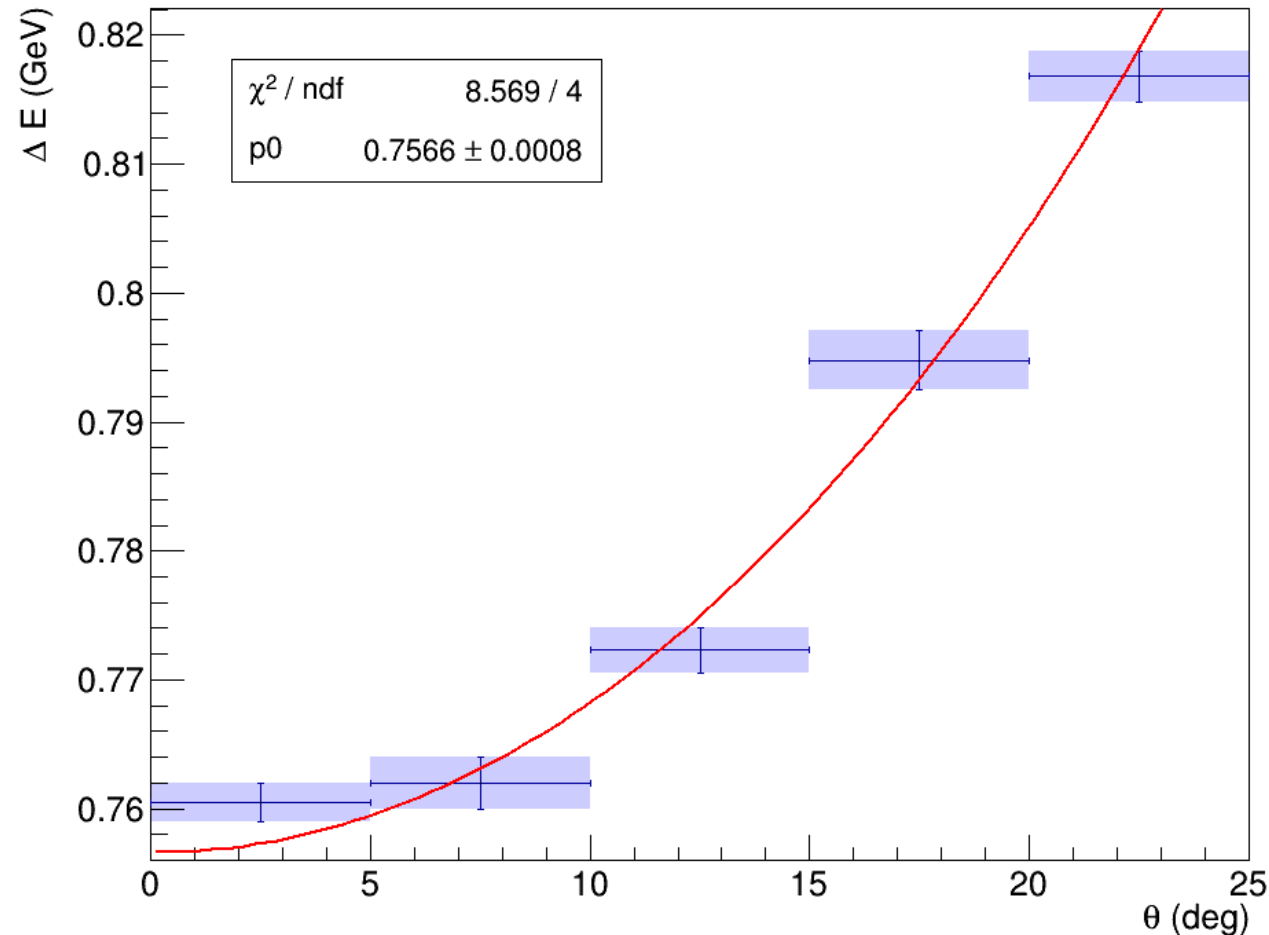
- I then plotted the Energy loss distributions, fitting with a Landau and obtaining the MPV for ΔE (GeV)



ENERGY LOSS AS A FUNCTION OF TRAVERSED MATERIAL

- We then take the MPV for each distribution and plot them as a function of initial momentum

$0 < \theta < 25$, Standard ECAL



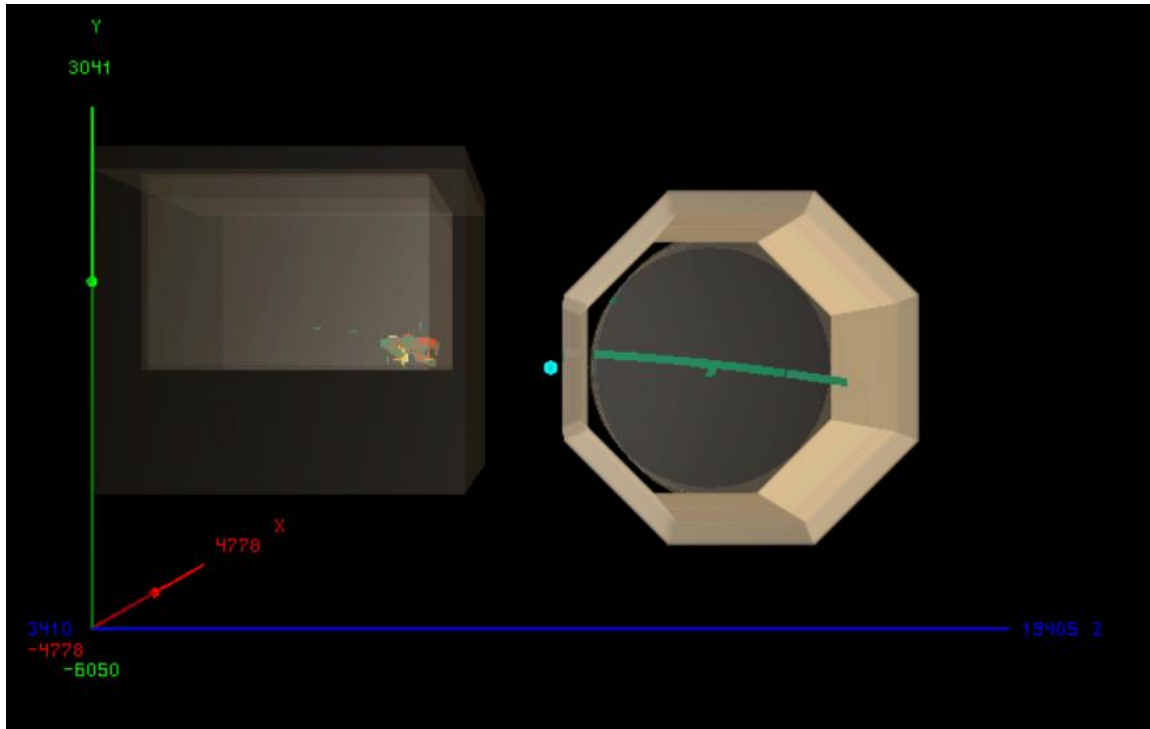
Note: given a constant dE/dx we expect ΔE to be a function of the traversed material so that in this case we have $\Delta E = f(\theta) = \frac{dE}{dx} \left(\frac{\Delta x}{\cos \theta} \right) = \frac{p_0}{\cos \theta}$ where Δx is the ECAL's thickness and $\Delta x / \cos \theta$ is the amount of material traversed by the particle. The red line in the graph is the best fit for $f(\theta)$

NEXT STEP IN THE SIMULATION

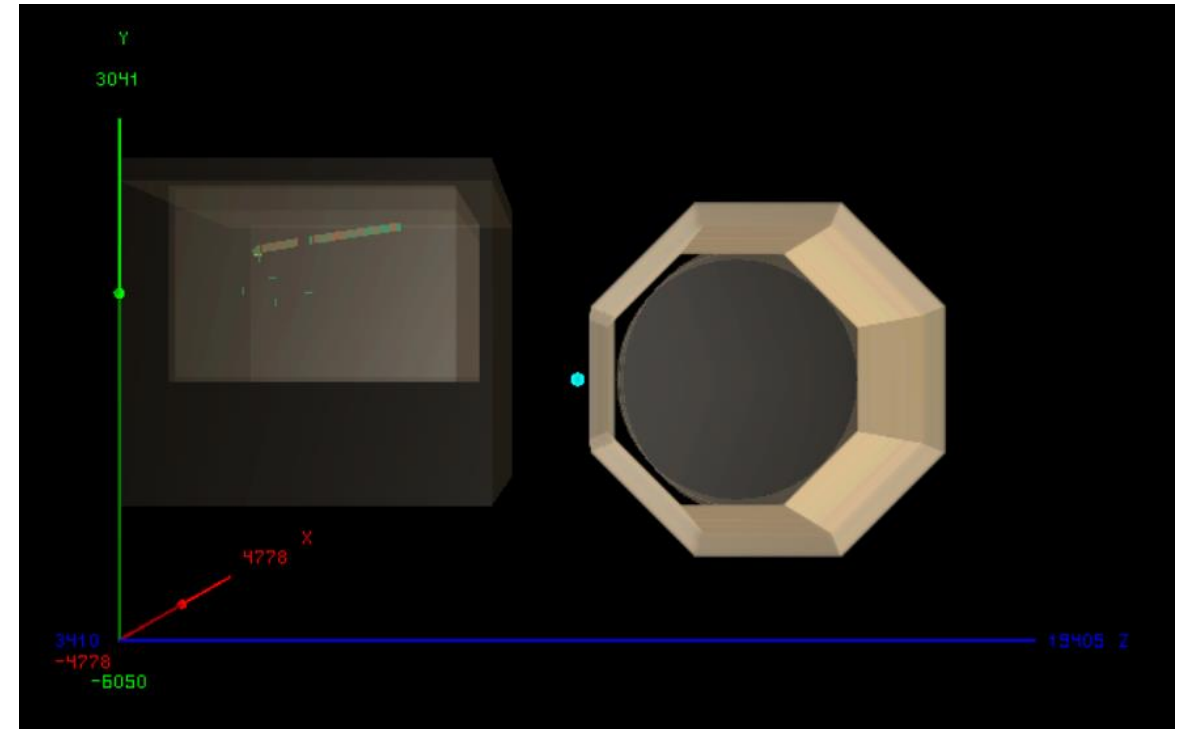
- The next step in the simulation is to produce a sample of muons generated in $\nu_\mu(CC)$ interactions in ArgonCube that have a trajectory such as they enter HPgTPC with a genuine Montecarlo simulation (i.e. not from randomly generated text files)
- ND simulation chain:
 1. Simulate neutrino interactions with **GENIE** in a ND hall geometry file containing only the liquid Argon detector
 2. Propagate particles using **edep-sim** in a ND hall geometry file containing both ArgonCube and HPgTPC
 3. Convert edep-sim file to root file readable by **GarSoft**
 4. Follow the Garsoft reconstruction chain

EDEP-DISPLAY EXAMPLES

- So far, I was able to produce the sample, propagate with edep-sim and convert to GarSoft-readable format
- Here are two graphical representations of $\nu_\mu(CC)$ interactions in ArgonCube made with edep-sim event display. In one the muon enters the gas TPC, in the other it does not



PASSING MUON



NON-PASSING MUON

SUMMARY

- Drew **momentum resolution and energy loss plots** for two Garsoft samples: one with upstream muons starting outside the Gas TPC, and one inside
 - Identified a **bias in momentum reconstruction due to energy loss in ECAL**
- Repurposed the original simulation code to **study energy loss dependency on the muon initial momentum and angle** with respect to the z axis
 - Detailed dependence of the energy loss on track parameters can be tabled in the tracking code to correct the reconstruction bias
- Started simulation chain to generate samples of muons from $\nu_\mu(CC)$ interactions in ND Lar that reach ND GAr

NEXT STEPS

- Revisiting current Kalman filter with focus on point-by-point propagation of track parameters to help improve LAr \rightarrow GAr global tracking
- Integrate LAr + GAr simulation with modularized interface

Thanks for your attention

Many thanks to Thomas Junk, Tanaz Mohayai, Eldwan E. Brianne, Leo Bellantoni and everyone else for their guidance and support

EXTRA SLIDES

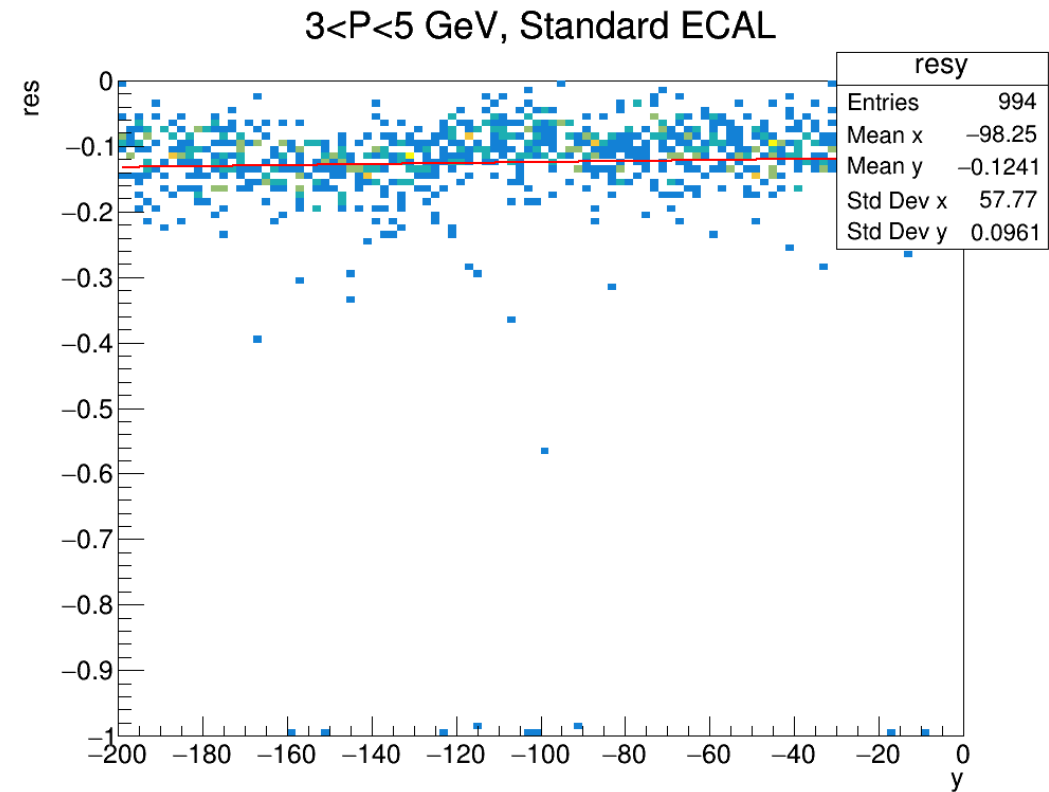
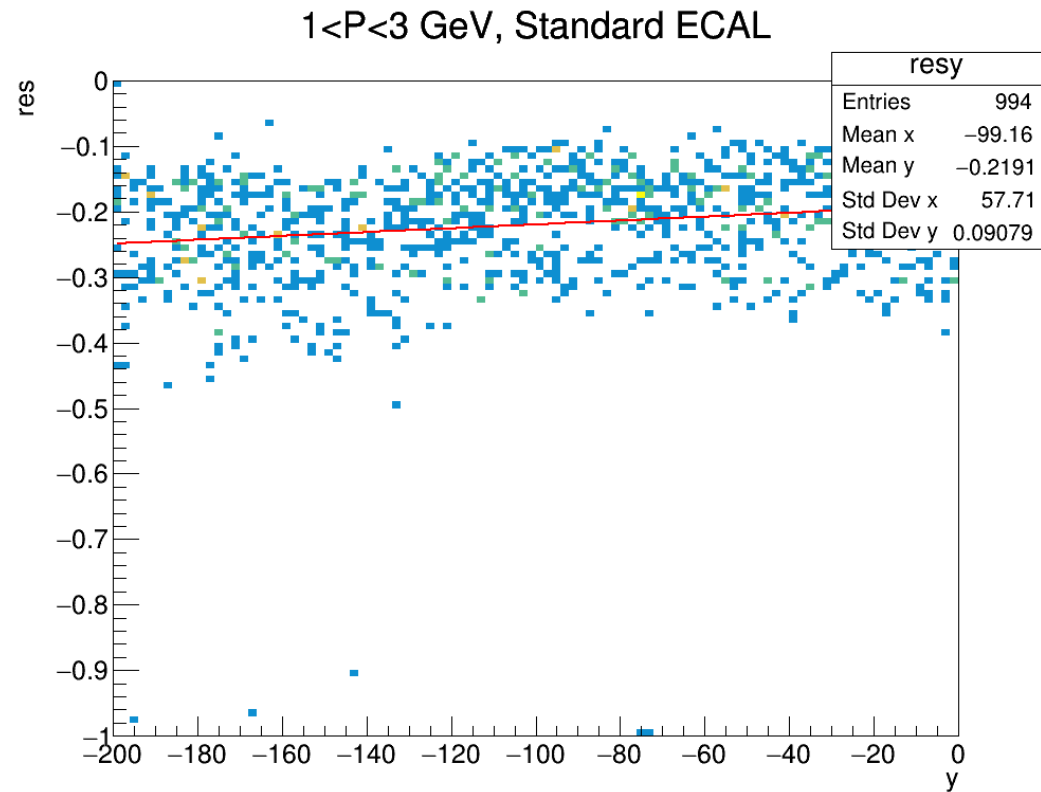
PROBLEMS WITH GARSOFT SIMULATION LINE

- After the edep-sim to GarSoft conversion (which exited with art status 0) I tried to follow the Garsoft simulation chain and to input the resulting file in a read-out simulation job: `art -c readoutsimjob.fcl my_edepsim_converted_out.root`
- Unfortunately, I get the following error as if there were a file format mismatch:

```
%MSG-s ArtException: PostEndJob 17-Sep-2020 09:41:15 CDT ModuleEndJob
---- EventProcessorFailure BEGIN
  EventProcessor: an exception occurred during current event processing
---- ScheduleExecutionFailure BEGIN
  Path: ProcessingStopped.
---- ProductNotFound BEGIN
  getBySelector: Found zero products matching all criteria
  Looking for type: std::vector<gar::sdp::EnergyDeposit>
  The above exception was thrown while processing module IonizationReadout/daq run: 1 subRun: 0 event: 1
---- ProductNotFound END
  Exception going through path simulate
---- ScheduleExecutionFailure END
---- EventProcessorFailure END
---- FatalRootError BEGIN
  Fatal Root Error: TTree::SetEntries
  Tree branches have different numbers of entries, eg gar::raw::CaloRawDigitgar::sdp::CaloDepositvoidart::Assns_daqecal__DetReadout. has 0 entries while EventAuxiliary has 100 entries.
  ROOT severity: 2000
---- FatalRootError END
%MSG
Art has completed and will exit with status 1.
```

RESOLUTION AS A FUNCTION OF Y

- Plots of resolution as a function of the initial y (vertical) position of the muon (random upstream samples outside the detector $-200 \text{ cm} < y < 0 \text{ cm}$)



ENERGY LOSS AS A FUNCTION OF Y

- Plots of energy loss ΔE (GeV) as a function of the initial y (vertical) position of the muon (random upstream samples outside the detector $-200 \text{ cm} < y < 0 \text{ cm}$)

