Error Propagation: given
$$R(x_1, x_2...x_n)$$
, and where W_R is the error in R ,

 $W_R = \sqrt{\sum_{i=1}^n \left(\frac{2R}{3x_i}W_{x_i}\right)^2}$ This is used in the MATLAB code.

Wing Area $(S=cb)$: $S_{err} = \sqrt{(c'berr)^2 + (b'cerr)^2}$

Dynamic Pressure $(q = \frac{1}{2}pv^2)$: $q_{err} = \sqrt{(\frac{1}{4}v^2perr)^2 + (pv \cdot verr)^2}$

List $(L = -F_a \sin \alpha + F_a \cos \alpha)$: $L_{err} = \sqrt{(F_{aerr} \sin \alpha)^2 + (F_{nerr} \cos \alpha)^2 + (F_{nerr} \cos \alpha)^2 + (F_{nerr} \cos \alpha)^2 + (F_{nerr} \sin \alpha)^2 + (F_{nerr} \cos \alpha)^2 + (F_{nerr} \sin \alpha)$

$$\frac{V_{rag}(D = F_{a}cos \lambda + F_{n}sin \lambda)!}{C_{L}(C_{L} = \frac{L}{q.s})!} \frac{1}{C_{lerr}} = \sqrt{\frac{1}{q.s}} \frac{1}{q.s} \frac{1}{q$$

 $C_{D}(C_{D} = \frac{D}{qs}) : C_{Derr} = \sqrt{\frac{D_{err}}{qs}}^{2} + \left(-\frac{D}{q^{2}s} q_{err}\right)^{2} + \left(-\frac{D}{q^{2}s} S_{err}\right)^{2}}$ $Re\left(Re = \frac{pv_{\omega c}}{p}\right) : Re_{err} = \sqrt{\frac{v_{\omega c}}{p} p_{err}}^{2} + \left(\frac{pc}{p} v_{\omega_{err}}\right)^{2} + \left(\frac{pv_{\omega_{err}}}{p} v_{err}\right)^{2} + \left(-\frac{pv_{\omega_{err}}}{p^{2}} v_{err}\right)^{2}}$ $L_{O}\left(L_{O} = L - \chi sin \alpha\right) : L_{Oerr} = \sqrt{\left(-\chi sin \alpha \cdot L_{err}\right)^{2} + \left(\left(L - sin \alpha\right)\chi_{err}\right)^{2} + \left(\left(L - \chi_{ess}\right)\chi_{err}\right)^{2}}$ $L_{O}\left(L_{O} = L - \chi_{err}\right) : len_{-scale_{err}} = \sqrt{\frac{\chi_{Oerr}}{L_{O}^{2}}} + \left(\frac{\chi_{Oerr}}{L_{O}^{2}}\right)^{2} + \left(\frac{\chi_{Oerr}}{L_{O}^{2}}\right)^{2}}$

In Spread sheet King's Law Calibration, RMSE was calculated as such: RMSE = $\sqrt{\frac{1}{N}}\sum_{i=1}^{N} (Predicted_i - Actual_i)^2$

King's Law Las data