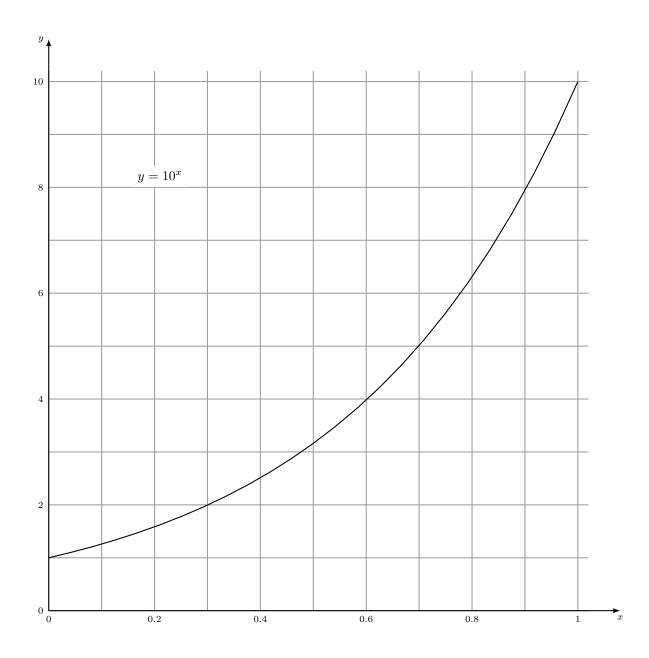
Math 34A Winter 2020 Final Exam	PRINT NAME		
No calculators			
	SIGN HERE		PERM NUMBER
Put answers in the boxes provided.	Show high quality w	ork for all answers. Po	ints may be awarded for this.
TA: Garo Sam	Trevor		8am
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- 1. [/6] Use the graph given to find the following as decimal numbers.
 - (a) If $\log(2x) = 33$, then x =
 - (b) Find $5.5^{100} =$
 - (c) Find a value of c so that the average rate of change between x=0 and x=c is 6.





2. [
$$f(x) = 4x^6 + 3x^2 - 5x$$
. Find

(a)
$$\frac{df}{dx} =$$

(b)
$$f''(x) =$$

(c)
$$2f''(1) - f'(0) =$$

3. [/6] In this question k is a constant. Calculate

(a)
$$\frac{d}{dx}\left(4e^{3kx} - 2x^k\right) =$$

(b)
$$\frac{d}{dx}\left((3x+k)^2\right) =$$

(c)
$$\frac{d}{dx}\left((3x^2+5)/x^k\right) =$$

4.	[,	/6]	Let	u =	$2x^2$	_	9r	+	5
-1 .	l /	U	LCU	g -	$\Delta \omega$		σ	- 1	v

(a) What is the value of x for which the slope of the graph is 1?



(b) What value of x produces the minimum of this function?

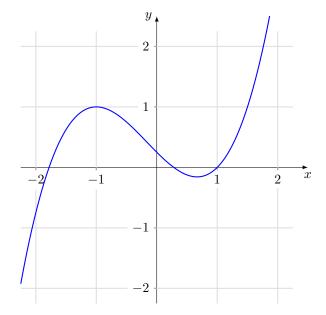


(c) Write the equation y = mx + b of the tangent line to the graph at x = 1.

5.	. [/8] Peter has built a small tower on top of Buchanan Hall. He stands on top of the tower and throws a ball into the air. After t seconds the height of ball above the tower in meters is $30t - 5t^2$.				
	The ball lands on the ground after 8 seconds.				
	(a) How high is the tower above the ground?	meters			
	(b) What was the speed of the ball after 5 seconds?	m/s			
	(c) How high did the ball go above the tower?	meters			
	(d) When was the ball going down at a speed of 5 m/s?	At $t = \boxed{\hspace{1cm}}$ seconds			

6.	[$/8$] A tank initally cont blue paint enters the tank a	ains 10 liters of blue paint. The t a rate of 2 listers/hour.	en red paint enters t	the tank at a rate of 3 liters/hou	r while
	(a) How many liters of real	$m{d}$ paint are in the tank after t	hours?		liters
	(b) How many <i>total</i> liters	of paint are in the tank after	t hours?		liters
	(c) What is the percentage	e of red paint in the tank after	t hours?		%
	(d) How many hours until	25% of the paint in the tank i	s red?		hours

7. [/6] Here is the graph of y = f(x):



(a) For what value(s) of x is f'(x) = 1?

$$x =$$

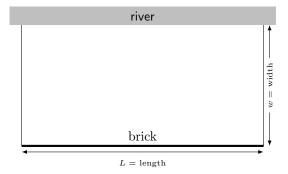
(b) For which values of x is f''(x) < 0?

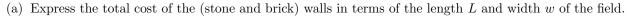


(c) What is the slope of the graph at x = 0?

• [$f(x) = x - e^{-x}$.		
(a) Find $f'(0)$.		
	£/(0)	
	f'(0) =	
(b) Find the tangent line approximation to $y = f(x)$ at	x = 0.	
	f(m)	
	$f(x) \approx$	
(c) Use this to find an approximate value of $f(-0.2)$.		
	$f(-0.2) \approx$	
	<i>J</i> (0.2) / 0	
(6) Initially Jason is in Rakarefield and Maria is in	Sagramento. The read from between them	s is 480 km lon
• [/6] Initially Jason is in Bakersfield and Marie is in They both start driving at the same time. Jason drives this hour of rest, he drives at speed J. Marie drives at driving, they are 260 km apart.	at speed $2J$ for the first hour, then stops for	or an hour. Aft
They both start driving at the same time. Jason drives this hour of rest, he drives at speed J . Marie drives at G	at speed $2J$ for the first hour, then stops for	or an hour. After
They both start driving at the same time. Jason drives this hour of rest, he drives at speed J . Marie drives at driving, they are 260 km apart.	at speed $2J$ for the first hour, then stops for constant speed M . They meet after 3 hours	or an hour. Afte
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They both start driving at the same time. Jason drives this hour of rest, he drives at speed J . Marie drives at driving, they are 260 km apart.	at speed $2J$ for the first hour, then stops for constant speed M . They meet after 3 hours Equation #1:	or an hour. Aft
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They both start driving at the same time. Jason drives this hour of rest, he drives at speed J. Marie drives at driving, they are 260 km apart. (a) Write two equations that express these facts.	at speed $2J$ for the first hour, then stops for constant speed M . They meet after 3 hours Equation #1:	or an hour. Aft
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10.	[/8] A	rectangula	r field lie	es along a	river.	It has	a brick	wall	along	the side	opposi	te the	river,	with s	stone	walls
	along	the tw	vo sides rur	ning per	pendicul	ar to th	e river	. Stone	walls	costs \$	3180 per	meter a	and bri	ick cos	sts \$40	per r	neter





$$cost =$$

(b) The area of the field will be 100 m². Express the **total length of brick wall needed** in terms of the width
$$w$$
 of the field.

amount of brick wall
$$=$$
 meters

(c) Use this to express the total cost of the (stone and brick) walls in terms of the width w.

(d) What should the width of the field be so the cost is smallest? (You can leave a fraction or square root in your answer.)



11.	11. [/6] Chris is organizing luxury bus tickets to Coachella from Isla Vista. If the ticket price is sell 80 tickets. For each <i>five dollars</i> Chris increases the price, one fewer ticket is sold.	\$\$200, then Chris can
	(a) If tickets are sold for $(200 + 5x)$ each (that is, if Chris raises the price by x times), ho	w many are sold?
		tickets
	(b) Express the total amount of money Chris gets by selling tickets for $\$(200+5x)$ each. Sim	aplify your answer.
	amount =	
	(c) What <i>price should the ticket</i> be for Chris to get the most money?	
	price =	

