

PRINT NAME Tim Lee

PERM NUMBER

6679708

No calculators

Put your answer in the box provided.TA: ☒ Trevor ☐ Sam
☐ GaroTime: ☐ 8am ☐ 6pm
☒ 5pm ☐ 7pm

1. Andi is out for a run. The rate at which Andi burns calories depends on the pace of her run – a faster pace burns calories quicker. Let x be her pace, in minutes per mile, and $f(x)$ be the rate at which she burns calories (in calories per hour) at pace x .

(a) What are the units of $f'(x)$?

cal per hour
minutes per mile

miles per minute
 $f(x) = \frac{\text{calories per hour}}{\text{minutes per mile}}$

$f'(x) \div \text{slope}$
 rate of change
 $f(x) = 140$

for every increase miles per minute increase cal/hr

(b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?2

$$10 - 15 = 5$$

$$300/x$$

$$300/10 = 30$$

$$300/15 = 20$$

$$\frac{30 - 20}{10 - 15}$$

$$\frac{10}{5} = 2$$

Jnllana Marie de Lem
PRINT NAME

PERM NUMBER

8989048

No calculators

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☐ Garo

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☐ 5pm ☐ 7pm

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(a) What are the units of $f'(x)$?

$$f(x) = \frac{\text{calories burned}}{\text{min/mile}}$$
$$f'(x)$$

calories/minute

- (b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?

-2

$$f(10) = 300/10 = 30$$

$$f(15) = 300/15 = 20$$

$$\frac{30 - 20}{10 - 15} = -\frac{10}{5} = -2$$

Math 34A Winter 2020

Quiz #5b

Elizabeth Salcido
PRINT NAME

PERM NUMBER

8302028

No calculators

Put your answer in the box provided.

TA: ☒ Trevor ☐ Sam
☐ Garo

Time: ☒ 8am ☐ 6pm
☐ 5pm ☐ 7pm

1. Andi is out for a run. The rate at which Andi burns calories depends on the pace of her run – a faster pace burns calories quicker. Let x be her pace, in minutes per mile, and $f(x)$ be the rate at which she burns calories (in calories per hour) at pace x .

(a) What are the units of $f'(x)$?

calories per hour
minutes per mile

$$\frac{df}{dx} = \frac{\text{calories per hour}}{\text{minutes per mile}}$$

- (b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?

-2 cal/mile

$$f(15) = \frac{300}{15} = 20 \quad f(10) = \frac{300}{10} = 30$$

$$\frac{df}{dx} = \frac{20 - 30}{15 - 10} = \frac{-10}{5} = -2$$

Math 34A Winter 2020

Quiz #5b

PRINT NAME Jillian Ayvola

PERM NUMBER

3229598

No calculators

Put your answer in the box provided.

TA: ☒ Trevor ☐ Sam
☐ Garo

Time: ☒ 8am ☐ 6pm
☐ 5pm ☐ 7pm

1. Andi is out for a run. The rate at which Andi burns calories depends on the pace of her run – a faster pace burns calories quicker. Let x be her pace, in minutes per mile, and $f(x)$ be the rate at which she burns calories (in calories per hour) at pace x .

(a) What are the units of $f'(x)$?

calories / miles

$$\frac{dx}{df(x)} = \frac{\text{min/mile}}{\text{cal/hr}}$$

- (b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?

$$\frac{-300}{x^2}$$

$$f'(x) = 300x^{-1}$$

$$f'(x) = \frac{-300}{x^2}$$

Yujany Sarabia
PRINT NAME

PERM NUMBER

9412354

No calculators

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TA: ☒ Trevor ☐ Sam
☐ Garo

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☐ 5pm ☐ 7pm

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(a) What are the units of $f'(x)$?

miles per hr

$x = \text{min per mile}$

$f(x) = \text{cal per hr}$
at pace x

$f'(x) = \text{miles per hr}$

- (b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?

$-\frac{5}{1}$

$$f(a) - f(b)$$

$$(a) - (b) \quad 20 \quad 30$$

$$\left(\frac{300}{15} \right) - \left(\frac{300}{10} \right)$$

$$15 - 10$$

$$15 \overline{) 300} \begin{array}{r} 20 \\ 300 \\ \underline{300} \\ 0 \end{array}$$

$$10 \overline{) 300} \begin{array}{r} 30 \\ 300 \\ \underline{300} \\ 0 \end{array}$$

$$= \frac{-10}{5} \div 2 = \left(\frac{-5}{1} \right) = \text{average rate of change}$$

Sarahi Perez-Aguilar
PRINT NAME

PERM NUMBER

969464-7

No calculators

Put your answer in the

box

provided.

TA: ☒ Trevor ☐ Sam
☐ Garo

Time: ☒ 8am ☐ 6pm
☐ 5pm ☐ 7pm

1. Andi is out for a run. The rate at which Andi burns calories depends on the pace of her run – a faster pace burns calories quicker. Let x be her pace, in minutes per mile, and $f(x)$ be the rate at which she burns calories (in calories per hour) at pace x .

- (a) What are the units of $f'(x)$?

x : minutes per mile

$f(x)$: calories per hour

calories per mile

- (b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?

25

$$f(x) = \frac{300}{x}$$

↓

$$\frac{300}{10} = 30$$

$$\frac{300}{15} = 20$$

$$50/2$$

$$= 25$$

$$x=10 \quad x=15$$

$$\frac{d}{dx} \frac{300}{x} = -\frac{300}{x^2} = -\frac{300}{10^2} = -30$$

Aubree Kayl
PRINT NAME

PERM NUMBER

7964547

No calculators

Put your answer in the box provided.

TA: ☒ Trevor ☐ Sam
☐ Garo

Time: ☒ 8am ☐ 6pm
☐ 5pm ☐ 7pm

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- (a) What are the units of $f'(x)$?

$\frac{df}{dx}$ $\frac{\text{calories per hour}}{\text{minutes per mile}}$

$\frac{\text{kcal/hr}}{\text{min/mile}}$

$\frac{f(x)}{x}$

$f(x)/x$

- (b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?

$$\frac{300}{10} = 30$$

$$15 \overline{) 300} \begin{array}{r} 20 \\ 300 \\ \hline 0 \end{array}$$

$$\frac{300}{15} = 20$$

10 kcal/hr

Math 34A Winter 2020
Quiz #5b

Fabiola Ixtan Mateo
PRINT NAME

PERM NUMBER

9491127

No calculators

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TA: ☒ Trevor ☐ Sam
☐ Garo

Time: ☒ 8am ☐ 6pm
☐ 5pm ☐ 7pm

1. Andi is out for a run. The rate at which Andi burns calories depends on the pace of her run – a faster pace burns calories quicker. Let x be her pace, in minutes per mile, and $f(x)$ be the rate at which she burns calories (in calories per hour) at pace x .

- (a) What are the units of $f'(x)$?

Calories she burns per mile

Calories she burns per mile

- (b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?

10

$$\begin{array}{r} 30 \\ 10 \overline{) 300} \\ \underline{-30} \\ 000 \end{array}$$

$$\begin{array}{r} 20 \\ 15 \overline{) 300} \\ \underline{-30} \\ 000 \end{array}$$

$$f(x) = \frac{300}{x}$$

$$f'(x) = 300 \cdot x^{-1}$$

$$= -1x^{-2}$$

$$= -1(10^{-2})$$

$$= -100$$

$$= -1(15^{-2})$$

$$= -225$$

$$\begin{array}{r} 2 \\ 15 \overline{) 30} \\ \underline{-15} \\ 15 \\ \underline{-15} \\ 000 \end{array}$$

Maile Buckman
PRINT NAME

PERM NUMBER

6848311

No calculators

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(a) What are the units of $f'(x)$?

change in calories per hour
minutes per mile

$$f(x) = \frac{\text{change in rate of calorie burn}}{\text{pace}} \Rightarrow \text{derivative of } \frac{\text{calories burned}}{\text{pace}} ?$$

$$f'(x) = \frac{\text{change in rate of calorie burn}}{\text{pace}}$$

$$\frac{\Delta \text{calories}}{\Delta \text{hours}} \cdot \frac{\text{miles}}{\text{minutes}} \quad ?? \quad \frac{\Delta \text{calories}}{\text{hour}} \cdot \frac{\text{minutes}}{\text{miles}}$$

(b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?

Avg. rate of
change = -2

$$f(x) = 300x^{-1}$$

$$f'(x) = (-1)(300)(x^{-2})$$

$$= \frac{-300}{x^2}$$

$$\frac{300}{10} = 30 \quad \frac{300}{15} = 20$$

$$(10, 30) \quad (15, 20) \quad [\text{secant line}]$$

$$y_2 - y_1 = m(x_2 - x_1)$$

$$30 - 20 = m(10 - 15)$$

$$10 = -5m$$

$$-2 = m$$

Alyssah Tolentino
PRINT NAME

PERM NUMBER

9709965

No calculators

Put your answer in the box provided.

TA: ☒ Trevor ☐ Sam
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Time: ☒ 8am ☐ 6pm
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1. Andi is out for a run. The rate at which Andi burns calories depends on the pace of her run – a faster pace burns calories quicker. Let x be her pace, in minutes per mile, and $f(x)$ be the rate at which she burns calories (in calories per hour) at pace x .

(a) What are the units of $f'(x)$?

calories/mile

x : pace (min/mile)

$f(x)$: rate of burning calories (calories/hour)

$\frac{\text{calories}}{\text{hour}}$

$\frac{\text{min}}{\text{mile}}$
calories

$\frac{\text{min}}{\text{mile}}$

- (b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?

- 2

$$f(x) = 300/x$$

$$f(15) = 300/15 = 20$$

$$f(10) = 300/10 = 30$$

$$\frac{f(15) - f(10)}{5} = \frac{20 - 30}{5} = \frac{-10}{5} = -2$$

$$\begin{array}{r} 20 \\ 15 \overline{) 300} \\ \underline{30} \\ 00 \\ \underline{0} \\ 0 \end{array}$$

PRINT NAME Mya Watts

PERM NUMBER

7481401

No calculators

Put your answer in the box provided.

TA: ☒ Trevor ☐ Sam
☐ Garo

Time: ☒ 8am ☐ 6pm
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1. Andi is out for a run. The rate at which Andi burns calories depends on the pace of her run – a faster pace burns calories quicker. Let x be her pace, in minutes per mile, and $f(x)$ be the rate at which she burns calories (in calories per hour) at pace x .

- (a) What are the units of $f'(x)$?

$x = \text{mins per mile}$

$f(x) = \text{calories burned per hr}$

$f'(x) = \text{amount of calories burned per hr each mile at pace } x.$

- (b) If $f(x) = 300/x$, what is the average rate of change between $x = 10$ and $x = 15$?

$$f(x) = \frac{300}{x}$$

-2

$$\frac{300 \div 5}{15 \div 5} = \frac{60 \div 3}{3 \div 3} = 20$$

$$\frac{300 \div 10}{10 \div 10} = \frac{30}{1}$$

$$\frac{300}{15} - \frac{300}{10}$$

$$\frac{\frac{300}{15} - \frac{300}{10}}{15 - 10} \rightarrow \frac{20 - 30}{15 - 10} = \frac{-10}{5} = -2$$