Work in Lri

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19 juillet 2019

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$1 \quad 25/06/2019:$

1.1 DQN batch

Coder DQN With Batch

I created a new version of DQN which trains the network with batch, rather than train the network with each simulation.

```
What it was: Loop: 
— simulate one time and get tuple \langle s_t, r_t, s_{t+1} \rangle 
— set y_t = r_t + \beta \min_a Q_t(s_{t+1}, a; w_t) 
— train the network by minimizing the loss with the input = X = (F(s_t), G(a)), Y = y_t 
What I modified: Loop: 
— there is memory D and I simulate n = (20) times, save the each tuple \langle s_t, r_t, s_{t+1} \rangle in D 
— sample a batch(=10) from D and calculate y for each tuple in the batch — train the network by minimizing the loss of the batch
```

Comparison. With Time=2000(each time correspond to one simulation), K=5, and the cost of arm a is calculated by formula : c(a) = 10 * (a + 1) + 55 * theta true[a] where theta true = [0.9, 0.64013, 0.50242, 0.37156, 0.26535].

The regret/time of DQN without batch and UCB is 1.988 and 3.617 respectively.

Unfortunately, the DQN training with batch, it doesn't work. The problem is that when I trained the network, after several epochs, the output of network will be -inf. I have tried to use *Keras* to build the network and use *mean square error* as loss function, it doesn't work, the problem is when I trained the network, after several epochs, the output of network will be the same for any input.

2 Before 02/07/2019:

2.1 DQN with(out) batch and Experimentation

Before 01/07

Before today, I have implemented Deep Q-Learning algorithm training with (out) batch, simple UCB. And I have gotten the results of executing UCB for 20 epochs, 30000 iterations, 100 resources. I have given a presentation of my work in Nokia.

01/07 - 02/07

- Rebuilt the code to separate the part of data and algorithm
- Added comments for every variable and function
- Wrote the manual for others can use my programme easily.

$3 \quad 03/07/2019:$

3.1 DQN batch

Results of Experimentation for Ext with T=6000

The calculate of executing algorithm extension with T=6000, epochs=20, 100 resource has been finished, But the result of regret per T Figure 1 is very strange, I am executing on epoch more to find whether the result of regret is always strange or not.

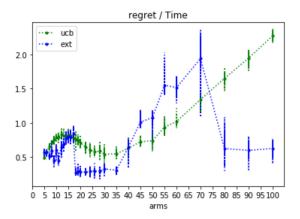


FIGURE 1 - Comparison of Ext and UCB with T=6000 epochs=20

Modified the Code and Re-execute the Program

I modified the number of T of every test (extract 10 resources) when I execute algorithm, and it is calculating.

Understand the Program of Stephan

I have understand the code of algorithms of LSE, LSE-BACKTRACK and how to execute the algorithms.

$4 \quad 04/07/2019:$

4.1 Meeting in LINCS

Work in Nokia

Today, I have a meeting with Lorenzo and Johanne in LINCS, and we have discussed the graphs I should do:

- For artificial data, modify the 4 functions of simulation for the optimal x isn't always the same(0.5) and make it as a parameter.
- Execute the algorithms for artificial data and design graphs of regret and approximation.

$5 \quad 05/07/2019:$

5.1 Experimental Work

Execute Algorithm and Draw Graphs

I have executed algorithms: ['lse', 'lse-backtrack', 'lse-weighted', 'without gradient', 'sgd'] using 3 sampling functions (Figure 2): ['quadra', 'triangle', 'shark'] with $X_{opt}=0.5$, Time=10000.

When I executed sgd, there was a problem and I implemented a classic sgd by sampling n times x-d and get the mean reward r_{x-d} and sampling n times x+d and get the mean reward r_{x+d} , then get $x_{new} = x + lr * \frac{r_{x+d} - r_{x-d}}{2*d}$.

— Sampling Functions.

X-axis represents the arms which are continuous from 0 to 1 and Y-axis represents the reward corresponding to each arm. The reward of X_{opt} is 1.

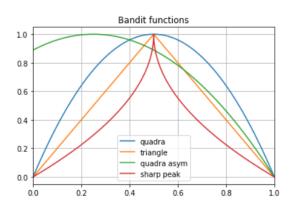


Figure 2-4 Sampling Functions

— Regret.

I have just executed the algorithms 1 time while X-axis represents time (each time sample 1 arm) and Y-axis represents cumulative regret.

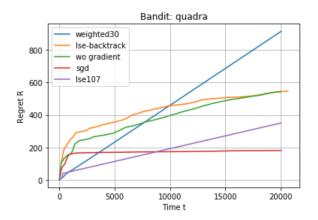


Figure 3-4 Sampling Functions

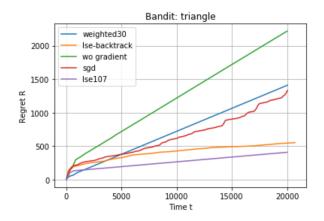


Figure 4-4 Sampling Functions

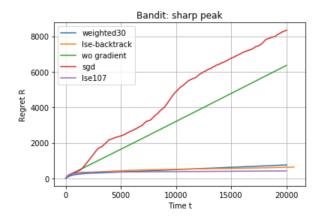


Figure 5-4 Sampling Functions

— Approximation.

I have just executed the algorithms 1 time while X-axis represents time (each time sample 1 arm) and Y-axis represents $abs(x - X_{opt})$ where x is the arm sampled.

Problems

We can see the graphs to get that 'lse-backtrack' is worse than 'lse' which is unreasonable.

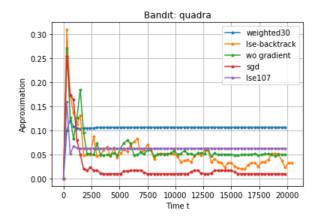


Figure 6 – 4 Sampling Functions

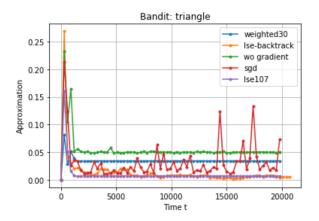


FIGURE 7 – 4 Sampling Functions

$6 \quad 08/07/2019:$

6.1 Experimental Work(mean)

Solve Problems

- le 05/07 I encountered a problem which is that 'lse' is better than 'lse-backtrack', the reason is that the number of sampling isn't the same for the two algorithms, and for 'lse-backtrack' there are 6 points which needs more sampling for identify which point get max value.
 - So I tried the different number of sample for 'lse' and 'lse-backtrack'.
- For each algorithm, I execute N(=30) times and calculate the mean to increase accuracy of results.

Results

I executed algorithms for T=20000, $x_{opt}=0.5$ and N = 30.

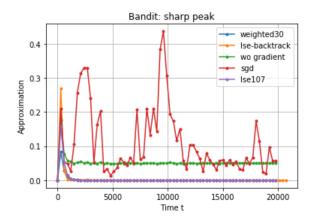


Figure 8-4 Sampling Functions

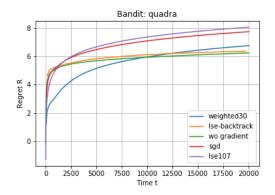


Figure 9-4 Sampling Functions

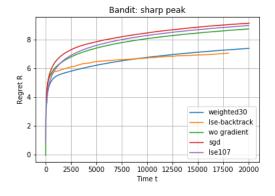


Figure 10-4 Sampling Functions

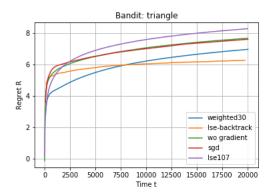


Figure 11-4 Sampling Functions

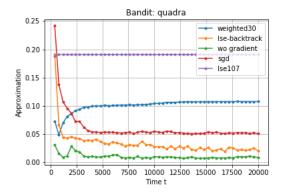


Figure 12-4 Sampling Functions

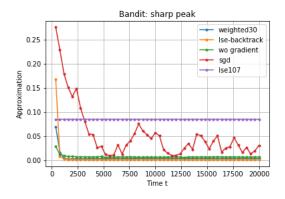


Figure 13-4 Sampling Functions

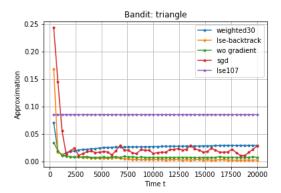


Figure 14 - 4 Sampling Functions

$7 \quad 15/07/2019:$

7.1 Start Semi-reel Data

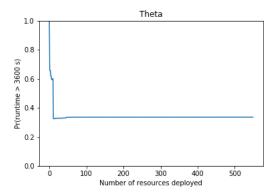
Study on Semi-real Data

There are 5 types of semi-real data proposed by Stephan, but it is necessary to find what represents arm x and what represents QoS.

5 types:

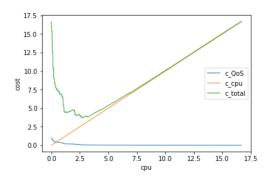
— Parallel Workloads Archive

However, the data isn't suitable for us??



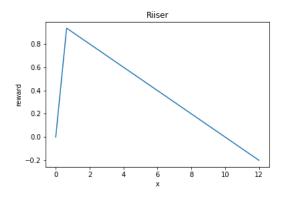
— Google Cluster Data

This one is suitable for us Figure 15



 ${\tt Figure~15-Cost~Google~Cluster~Data}$

- Riiser: mobile http streaming scenarios
 This one is suitable for us Figure 16
- Call tests measurements
- Makram



 ${\tt Figure~16-Cost~Google~Cluster~Data}$

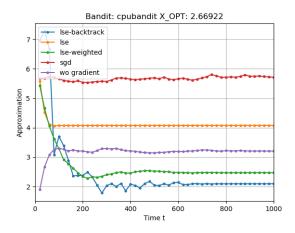
$8 \quad 16/07/2019:$

8.1 Curves Semi-reel Data

Semi-real Data

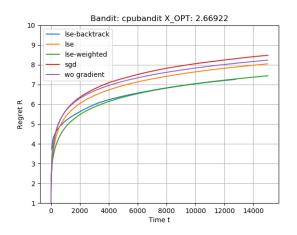
I executed the algorithms on semi-real data for T = 15000, rounds = 15, number of sampling = 9 :

— Approximation :



We can get that LSE-backtrack and LSE-weighted are much better than LSE, but they converge more slowlyl.

— Regret :



9 17/07/2019:

9.1 X optimal outside Interval initial

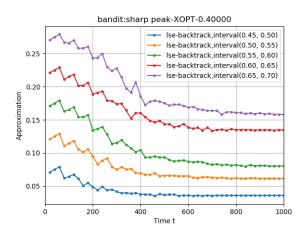
Execute LSE-BACKTRACK with different intervals

I executed algorithm 'LSE-BACKTRACK' with parameters :

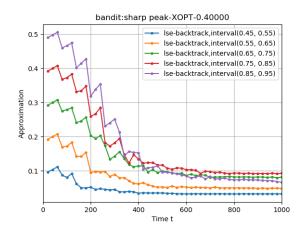
- curve 'Sharp Peak'
- $--X_{opt}=0.4$
- T = 10000
- epochs = 80 (execute algo 80 times and then calculate mean value)
- number of sampling = 10

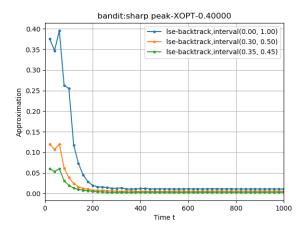
For intervals initial:

— intervals = [(0.45,0.5), (0.5,0.55), (0.55,0.60), (0.6,0.65), (0.65,0.7)] : Figure ??



- intervals = [(0.45,0.55), (0.55,0.65), (0.65,0.75), (0.75,0.85), (0.85,0.95)]: Figure ??
- intervals = [(0,1),(0.3,0.5),(0.35,0.45)] Figure : ??





9.2 For Article

Sub Conclusion

For Artificial Data

- There are 3 types of functions for representing theta: 'quadra', 'sharp peak', 'triangle': Figure 17.
- When algo samples arm x, we use Normal distribution to add noise in the reward return to algo: Norm(mean: theta(x), standard deviation: 0.2 + theta(x)/1.2) where theta(x) is calculated by function in Figure 17.
- For LSE, LSE-backtrack, LSE-weighted, we should define number of sampling(NS). We have executed algorithms by setting NS from 8 to 20.
- To avoid contingency, we have use rounds from 10 to 80(ex. execute 80 times for each algorithm and calculate the mean value).
- For function 'Sharp Peak', $X_opt = 0.4$, T = 15000, rounds = 80, number of sampling = 10, the curves of approximation and regret :Figure 20 21
- Intervals. To test the performance of LSE-backtrack, it is necessary to set the interval initial (x_i, x_j) where $x_i < x_j \land x_{opt} \notin [x_i, x_j]$

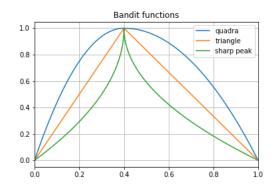


Figure 17 - Bandit functions XOPT = 0.4

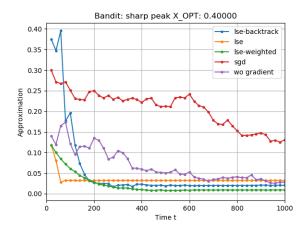


Figure $18 - Approximation \ XOPT = 0.4$

$10 \quad 18/07/2019$:

10.1 Work on Paper

Modify LSE-weighted in Paper

Execute for Google cluster data

I have executed algorithms for Google cluster data for more rounds to achieve that the

$11 \quad 19/07/2019$:

11.1 Work in LINCS

- Meeting with Lorenzo.
- Try more different intervals for LSE-backtrack. I have tried :

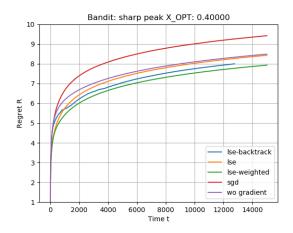


FIGURE 19 - Regret XOPT=0.4

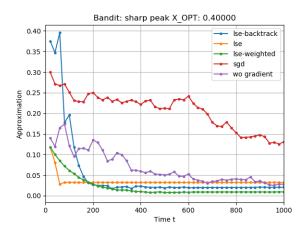


Figure 20 – Approximation XOPT = 0.4

```
\begin{array}{l} \mathrm{intervals1} = [(0.4, 0.45), (0.45, 0.5), (0.5, 0.55), (0.55, 0.6), (0.6, 0.65)] \\ \mathrm{intervals2} = [(0.45, 0.55), \ (0.55, 0.65), \ (0.65, 0.75), \ (0.75, 0.85), (0.85, 0.95)] \\ \mathrm{intervals3} = [(0.45, 0.65), (0.55, 0.75), (0.65, 0.85), (0.75, 0.95)] \\ \mathrm{intervals4} = [(0.45, 0.75), (0.5, 0.8), (0.55, 0.85), (0.6, 0.9), (0.65, 0.95)] \\ \mathrm{intervals5} = [(0.45, 0.85), (0.5, 0.9), (0.55, 0.95)] \end{array}
```

— For a interval, try different number of simple for LSE-backtrack. I have tried number of simple: $10, 20, \ldots, 100$

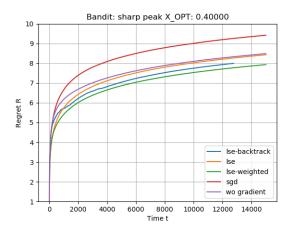


FIGURE 21 - Regret XOPT=0.4