Scaling Up Clustered Network Appliances with ScaleBricks

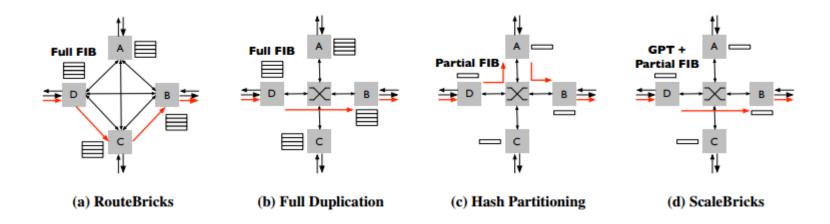
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Focus

- ☐ Throughput Scaling scale with number of servers
- FIB Scaling total size of forwarding table(the number of supported keys)
- Update Scalingupdate rate of the FIB

FIB (comprised Entries for Forwarding or Processing)

Cluster Architecture



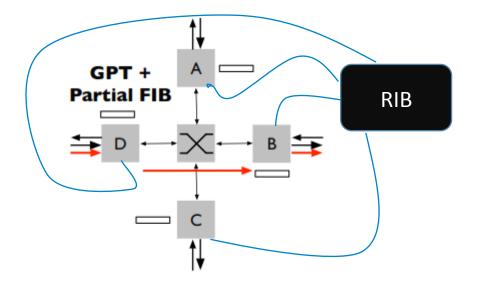
- ☐ FIB size (full or slice)
- ☐ Intermidate (Server or Switch)
- ☐ Internal Bindwidth

ScaleBricks' Design

Maintian entire routing information in **RIB**

Distribute RIB across the cluster

Generate FIB & GPT



Partial FIB

Each handling node stores FIB entries that point to it Based on prior work (leveraging CuckHashing)

☐ Global Partition Table(GPT)

Used for forward packet to handling node Replicated to every ingress node

Must be compact

□ RIB partition and updates

Attributes of switch-based "middle box" cluster

- ☐ Total number of nodes is typically modest
- ☐ They can handle one-side error

Key Question: How to map millions of input key to nodes?

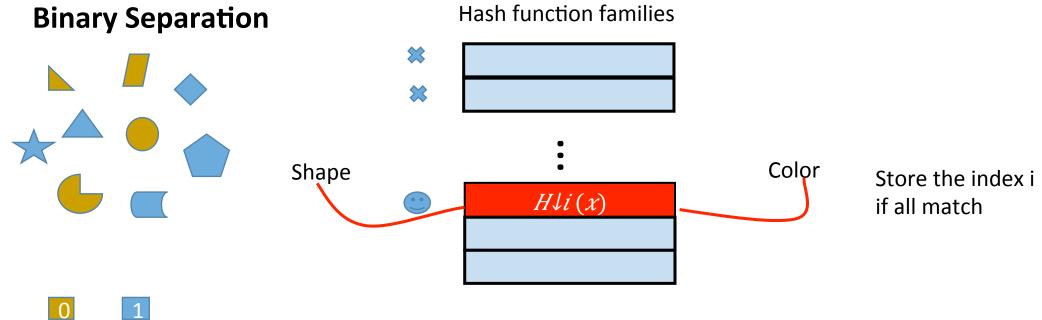
correct

Basic idea in high level:

- Maintain a Hash function families
- ☐ Use **brute force** to find the suitable hash function
- ☐ Store the **indices** rather than key/value

Group & Set Separation(SetSep)

How to divide a group of n keys into two disjoint subsets when n is small?



If no function succeeds for i<I, a fallback mechanism is triggered.

Why SetSep Save Space?

Optimistically assume hash function produce fully random hash values:

Probability all n keys are properly mapped is $p=(1/2) \uparrow n$

The number of tested functions is a random variable with Geometric distribution with

Entropy: $-(1-p)log \downarrow 2$ $(1-p)-plog \downarrow 2$ $p/p \approx -log \downarrow 2$ p=n

Storing a function for binary set separation requires 1 bit per key

16bits for a group of 16 keys

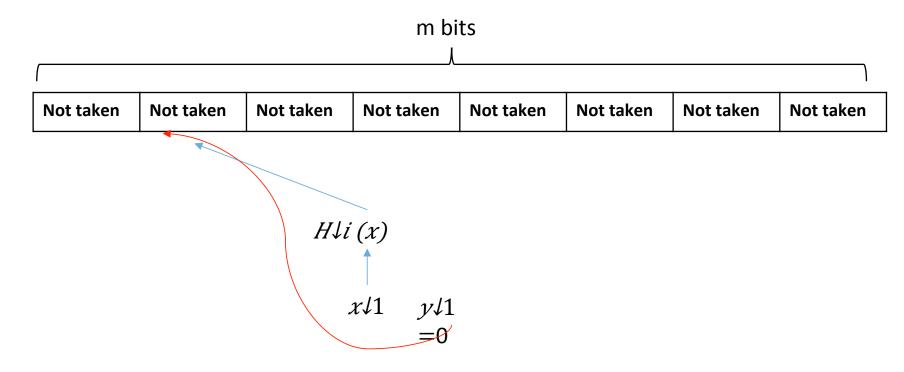
Generate the hash function family

- \square $H \downarrow i(x) = G \downarrow 1(x) + i \cdot G \downarrow 2(x)$
- ☐ In Practice, only the most significant bit are used
- □ Construct fast but theoretically weak(lack sufficient independence) Empirically feasible

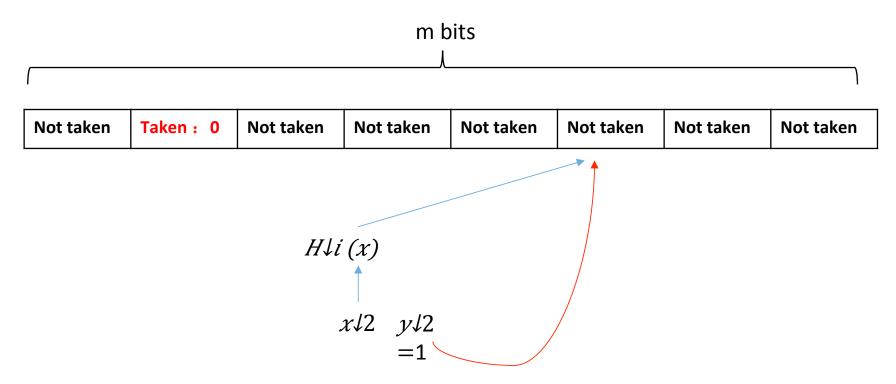
Horrible iterations for finding a hash function $(2 \ln n)$, how to **speed up** construction?

Trading Space for faster Construction

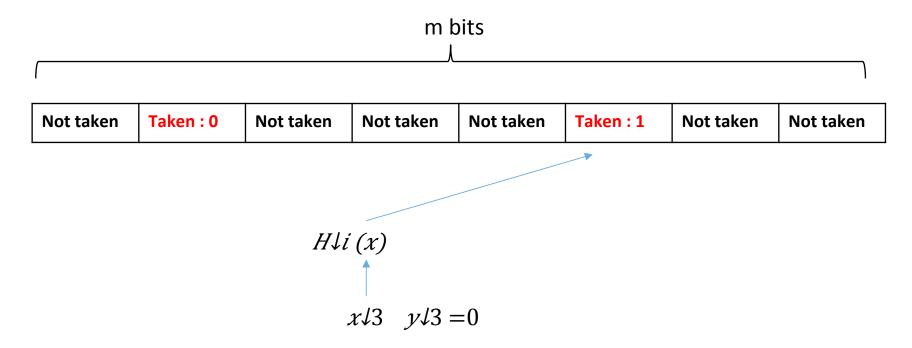
- □ Adds an array of m bits(m>2)
- □ intuitive thinking: more buckets , fewer collisions and increase odds of success.



Trading Space for faster Construction

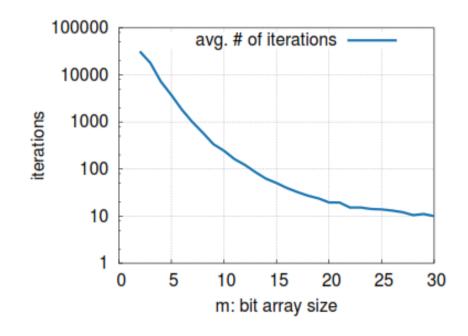


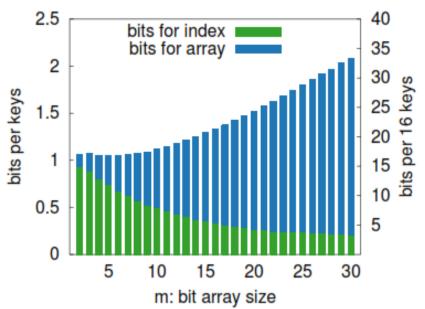
Trading Space for faster Construction Oops! Conflicts.



Representing the **SetSep**

- ☐ Fixed 24-bit representation per group
- □ 16 bits represent hash index and m=8





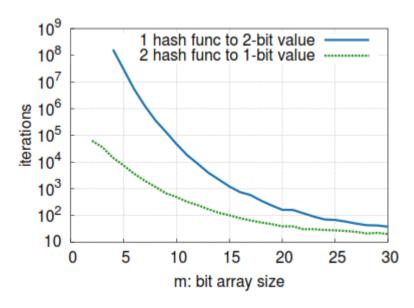
Representing the Non-Boolean values

- □ j-th hash function is responsible for generating j-th bit of final mapping value.
- Mapping value: {0,1,2,3}

"foo" maps to 1, "bar" maps to 2

Then hash function 1 maps "foo", "bar" to 0,1 respectively; hash function 2 maps "foo", "bar" to 1,0

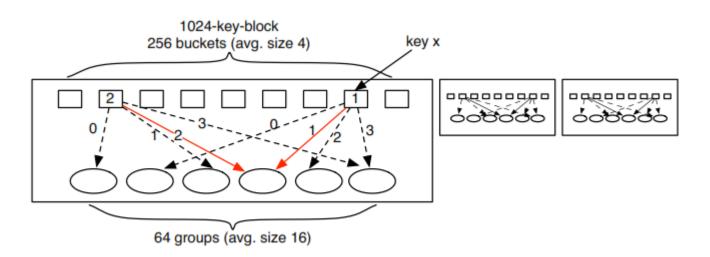
respectively.



Group(how to map a key to a group)

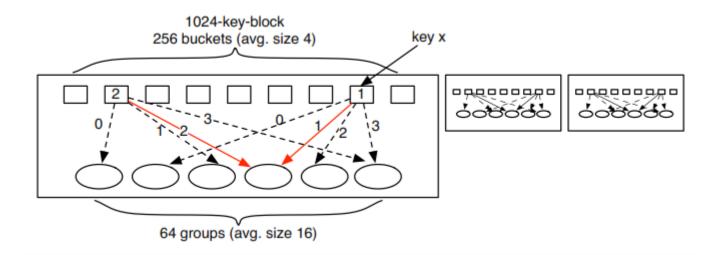
- Low variance in group size(strong hash function/sort and assign both failed)
- Mapping should add little space

Two level hashing



Two level hashing

- ☐ Long range of small buckets shows less variance
- □ Map 1024-key block to 64 groups of average size 16
- ☐ Pre-assigned "Candidate groups" & additional storage for choice
- ☐ Keys assignment is an NP-hard variant of knapsack problem



Imlementation & Optimization

Global Partition Table using Setsep

- ☐ Intel DPDK
- Batched look-ups and prefetch
- Hardware Accelerate Construction
 SIMD or GPU may help

Partial FIB using Cuckoo Hashing

Algorithm 1: Batched SetSep lookup with prefetching

```
BatchedLookup(keys[1..n])

begin

for i \leftarrow 1 to n do

bucketID[i] \leftarrow keys[i]'s bucket ID

prefetch(bucketIDToGroupID[bucketID[i]])

for i \leftarrow 1 to n do

groupID[i] \leftarrow bucketIDToGroupID[bucketID[i]]

prefetch(groupInfoArray[groupID[i]])

for i \leftarrow 1 to n do

groupInfo \leftarrow groupInfoArray[groupID[i]]

values[i] \leftarrow LookupSingleKey(groupInfo, keys[i])

return values[1..n]
```

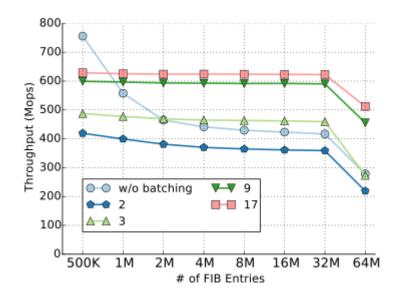
Micro-Benchmark

☐ Construction Throughput

Construction setting			Construction throughput	Fallback ratio	Total size	Bits/ key
x+y bits to store a hash function, x-bit hash function index and y-bit array						
16+8	1-bit value	1 thread	0.54 Mkeys/sec	0.00%	16.00 MB	2.00
8+16	1-bit value	1 thread	2.42 Mkeys/sec	1.15%	16.64 MB	2.08
16+16	1-bit value	1 thread	2.47 Mkeys/sec	0.00%	20.00 MB	2.50
increasing the value size						
16+8	2-bit value	1 thread	0.24 Mkeys/sec	0.00%	28.00 MB	3.50
16+8	3-bit value	1 thread	0.18 Mkeys/sec	0.00%	40.00 MB	5.00
16+8	4-bit value	1 thread	0.14 Mkeys/sec	0.00%	52.00 MB	6.50
using multiple threads to generate						
16+8	1-bit value	2 threads	0.93 Mkeys/sec	0.00%	16.00 MB	2.00
16+8	1-bit value	4 threads	1.56 Mkeys/sec	0.00%	16.00 MB	2.00
16+8	1-bit value	8 threads	2.28 Mkeys/sec	0.00%	16.00 MB	2.00
16+8	1-bit value	16 threads	2.97 Mkeys/sec	0.00%	16.00 MB	2.00

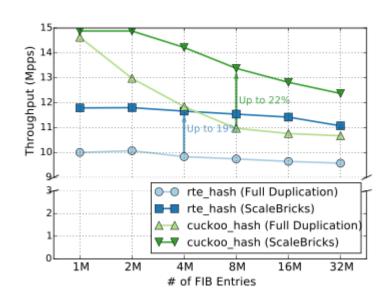
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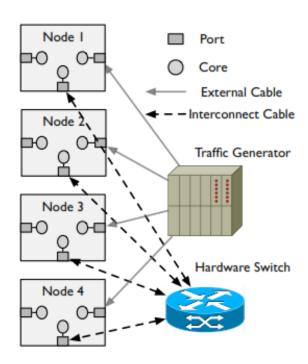
□ Local Lookup Throughput



Macro-Benchmark

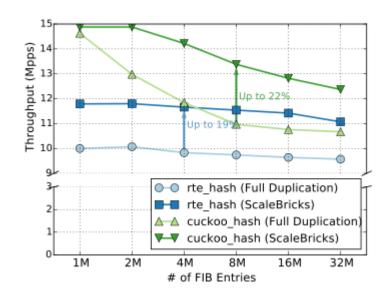
- rte_hash & extended cuckoo hash table
- ☐ Single node throuput /Full duplication & ScaleBricks
- ☐ Improve the through put and core utilization.

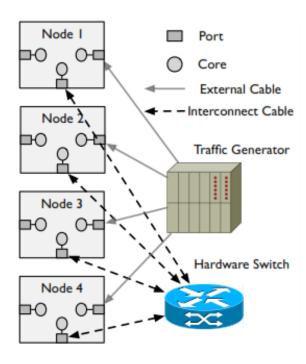




Scalabilityrte_hash & extended cuckoo hash table

- ☐ Single node throuput /Full duplication & ScaleBricks
- ☐ Improve the through put and core utilization.





Macro-Benchmark

- Share the CPU cache with other application/
 launch thread to consume cache
- Latency
- Update rate

Single core handle 60K updates/sec, 4-node cluster for aggregated rate of 240K updates/sec.

