The Original Grammar:

$$\exp \rightarrow \exp || term | term$$

$$comop \rightarrow > | = | <$$

-We notice that there is left recursion needs to be solved in the following:

$$\exp \rightarrow \exp || term | term$$

Like applying the rule to: $A \rightarrow \alpha A \mid \beta$

Solution:

$$A \rightarrow \beta A'$$

$$A' \rightarrow \alpha A' \mid \epsilon$$

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Then:
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 $\exp \rightarrow \text{term exp'}$

 $exp' \rightarrow |\mid term \; exp' \mid \epsilon$

 $\mathsf{term} \to \mathsf{factor}\,\mathsf{term'}$

term' \rightarrow && factor term' | ϵ

factor \rightarrow operand factor'

factor' \rightarrow comp operand factor' | ϵ

$$comp \rightarrow > | = | <$$

operand \rightarrow ! operand | ID

Production	First	Follow		
exp → term exp'	{!,ID}	{\$}		
exp' \rightarrow term exp' ϵ	{ ,ε}	{\$}		
term → factor term'	{!,ID}	{ , \$ }		
term' → && factor term' ε	{ && , ε }	{ , \$ }		
factor → operand factor'	{!,ID}	{ & & , , \$ }		
factor' → comp operand factor' ε	{>,=,<,ε}	{ & & , , \$ }		
comp → > = <	{ > , = , < }	{!,ID}		
operand → ! operand ID	{!,ID}	{>,=,<,&&, ,\$}		

Non Terminal	Input Symbols									
	!	ID	П	&&	>	<	=	\$		
ехр	exp → term exp'	exp → term exp'								
exp'			exp' → term exp'					exp' → ε		
term	term → factor term'	term → factor term'								
term'			term' → ε	term' → && factor term'				term' → ε		
factor	factor → operand factor'	factor → operand factor'								
factor'			factor' → ε	factor' → ε	factor' → comp operand factor'	factor' → comp operand factor'	factor' → comp operand factor'	factor' → ε		
comp					comp → >	comp → <	comp → =			
operand	operand →! operand	operand → ID								