12)

A vector  $\vec{v}$  in three-dimensional space can be represented in either of the following:

$$(x, y, z)$$
 or  $x\hat{i} + y\hat{j} + z\hat{k}$  or  $\begin{pmatrix} x \\ y \\ z \end{pmatrix}$ 

That consists of the x-, y- and z- coordinates with real values. Using this, we can define 3D vector as a class called vector.

Within the class  $\underline{\text{vector}}$ , we can define a double function called  $\underline{\text{magnitude}()}$  that returns the magnitude of the vector by calling  $\underline{\text{v.magnitude}()}$ 

$$\|\vec{v}\| = \sqrt{x^2 + y^2 + z^2}$$

We can also define a double function called  $\underline{\mathtt{dot}(\mathtt{vector})}$  that returns the dot product of the vector v1 with another input vector v2, by calling v1.  $\underline{\mathtt{dot}(\mathtt{v2})}$ 

$$\overrightarrow{v_1} \cdot \overrightarrow{v_2} = x_1 x_2 + y_1 y_2 + z_1 z_2$$

We can also define a void function called  $\underline{printv()}$  that display the vector in the form of (x, y, z) on the screen by calling  $\underline{v.printv()}$ 

Within the class  $\underline{\text{vector}}$ , we define the + operator that perform addition of two vectors by calling v1+v2, the result is also a vector.

$$\overrightarrow{v_1} + \overrightarrow{v_2} = (x_1 + x_2, y_1 + y_2, z_1 + z_2)$$

We can also define the - operator that perform subtraction of two vectors by calling v1-v2, the result is also a vector.

$$\overrightarrow{v_1} - \overrightarrow{v_2} = (x_1 - x_2, y_1 - y_2, z_1 - z_2)$$

Write a class called  $\underline{\text{vector}}$  that contains a constructor and all the above functions and operators. Then write a program making use of  $\underline{\text{vector}}$  to perform the following task in the example (correct to 2d.p.):

Enter the coordinates of vector v1: 2 - 2 1Enter the coordinates of vector v2: -3 1 0The magnitude of v1 is 3.00 The magnitude of v2 is 3.16 v1 + v2 = (-1.00, -1.00, 1.00)v1 - v2 = (5.00, -3.00, 1.00)