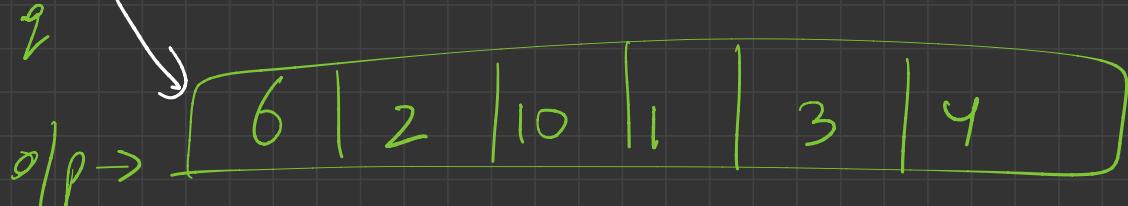



Queue

⇒ Queue Reversal

if

q



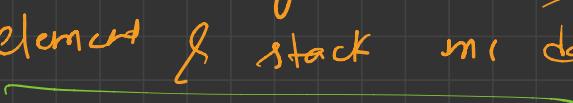
o/p

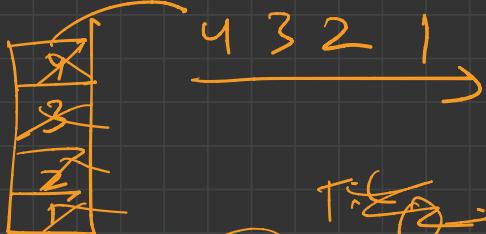
reverse

Approach: —  Use stack  queue



Algo:-

queue \rightarrow 1 by 1
element  & stack \rightarrow in deals

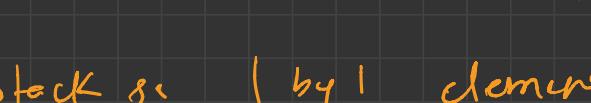


T.C. :-

T.C. $\rightarrow O(n)$

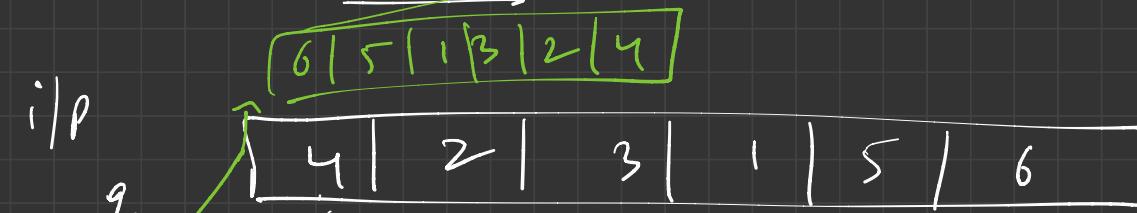
done

S.C. $\rightarrow O(n)$

stack \rightarrow 1 by 1 element  & queue \rightarrow in deals

IInd

Recursion:-

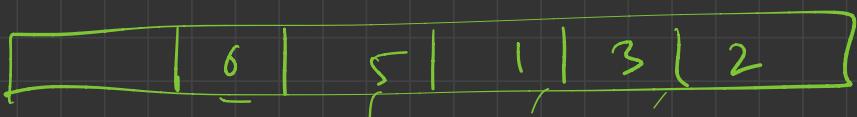
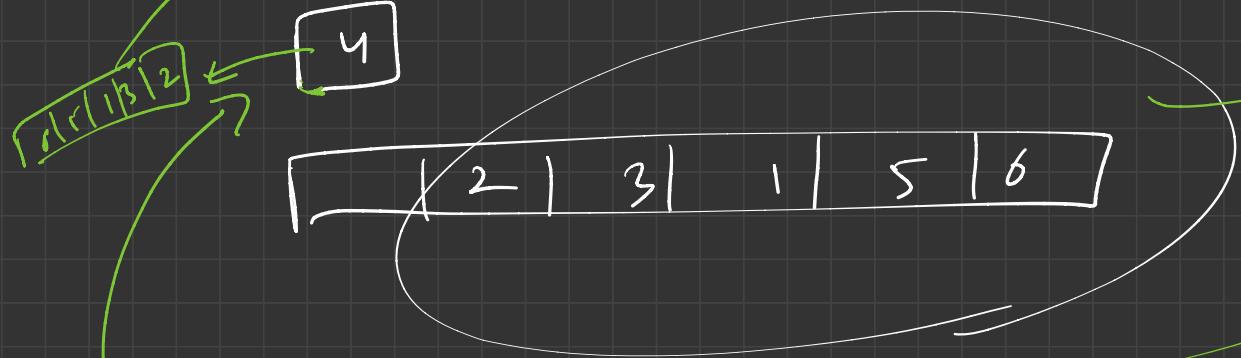


$O(n)$

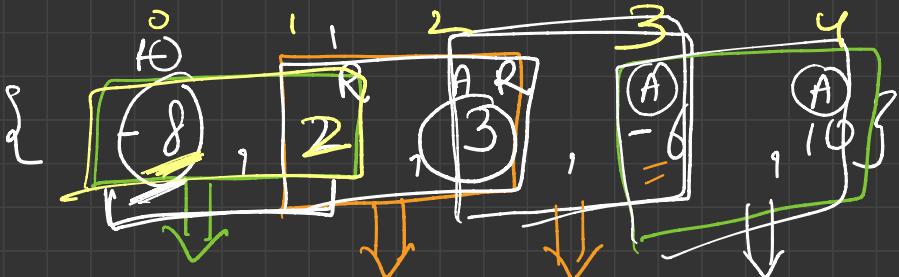
T.C

S.C

Recursion
stack



II

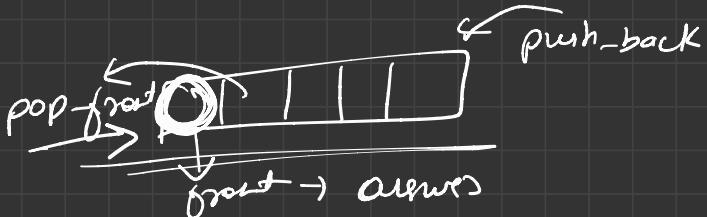


$$K = 2$$

ans $\Rightarrow \{ \underline{-8}, \underline{0}, \underline{-6}, \underline{-6} \}$

approach:-

deque <int> dg;



1

first K element

(first window)

answer \Rightarrow

2

Loop

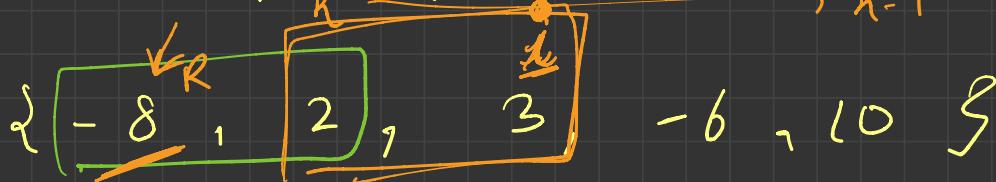
answer

I → first k -size window

II → 
 $\text{dq} \cdot \text{front}()$ or 0

$$\text{dq size} = 20$$

II Now processing remaining window $n-1$



// Removal
for ($k \rightarrow n$)
{

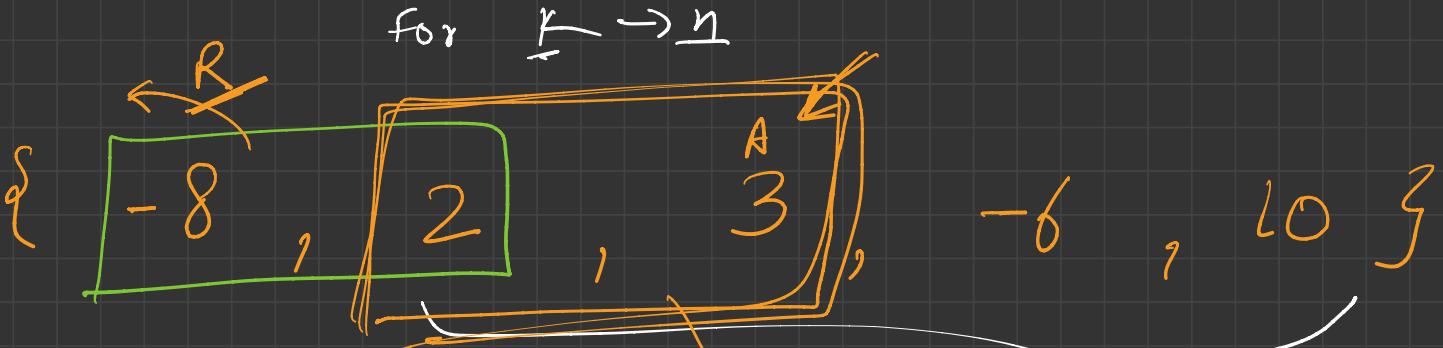
// Removal
if ($dq.front() - i \geq k$)
 $dq.pop-front();$

}

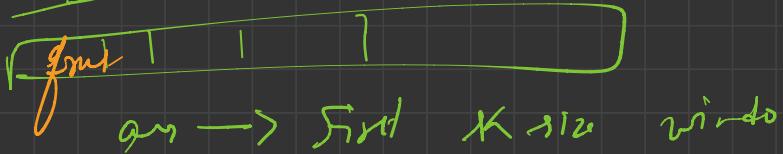
// addition
if ($arr[i] < 0$)
 $dq.push-back(i);$

$arr \xrightarrow{size(i) > 0} arr \rightarrow dq.front$
 \searrow
 $size = 0 \rightarrow 0$

$$\underline{k=2}$$

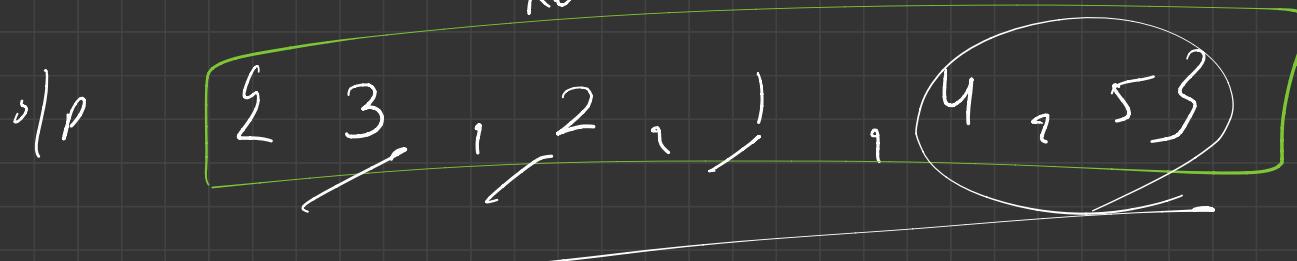
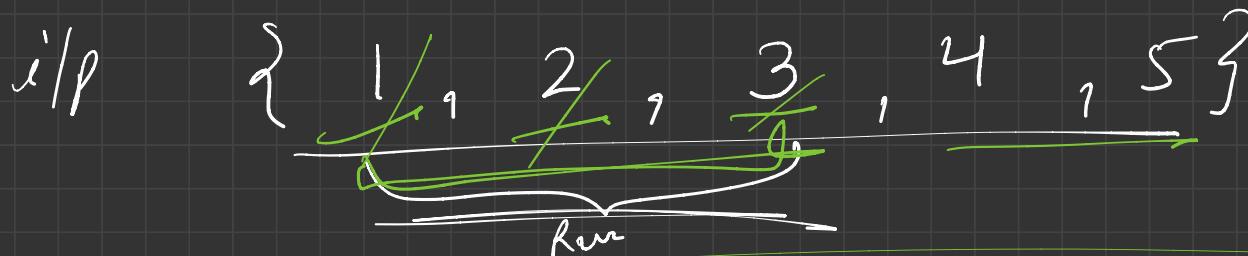


① → first window process
deque <int> dq



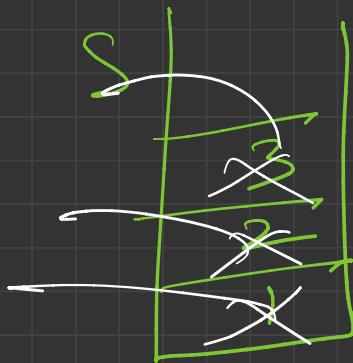
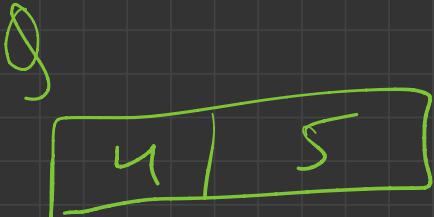
→ Optimal approach → Homework

→ Reverse ^{stack} first K elements of Queue
 $\underline{K = 3}$

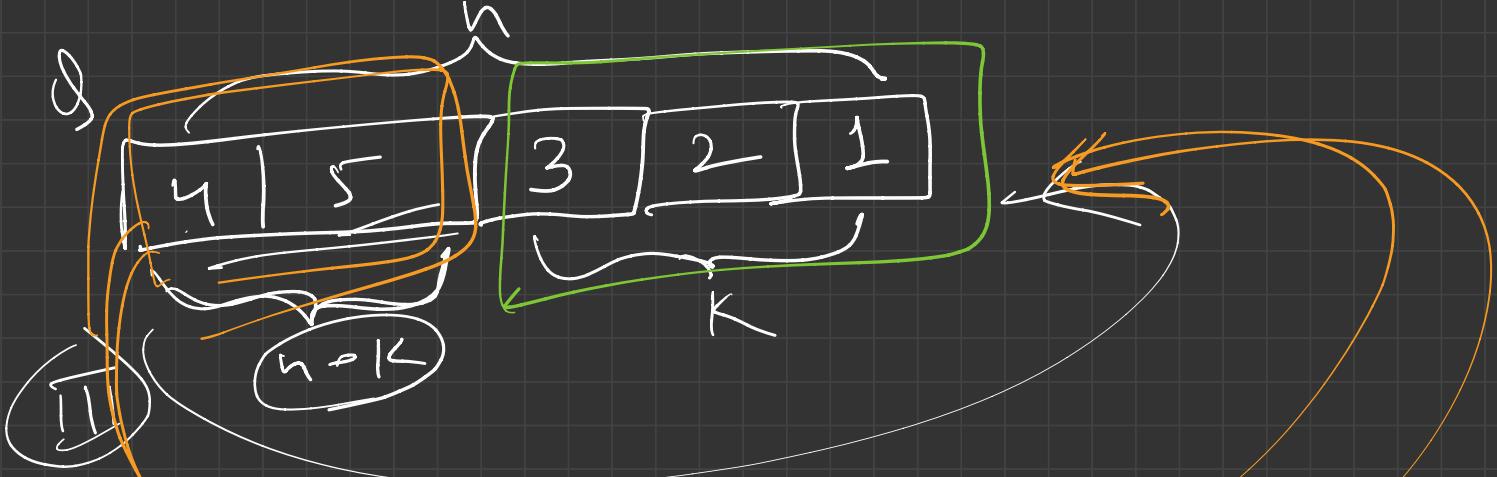


Algo:-

(I) fetch first K element from Q
L put into stack

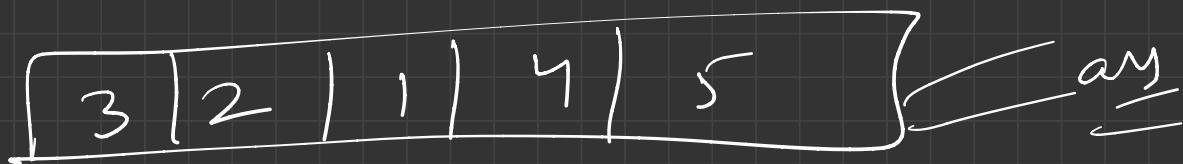


(II) fetch element from stack L
put into Q



fetch \uparrow
 first $(n - K)$ element
 from Q

\swarrow push-back



$$O(k) + O(k) + O(n) + O(n-k) = O(n)$$

$T.C = O(n)$

→ Merge Overlapping Intervals

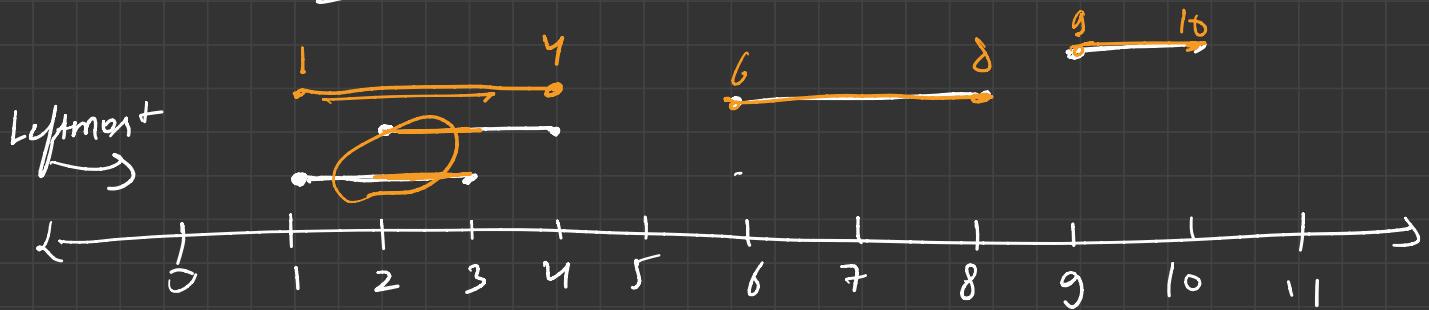
i/p →

[1, 3]

[2, 4]

[6, 8]

[9, 10]



ans

[1, 4]

[6, 8]

[9, 10]

$i/p \rightarrow$

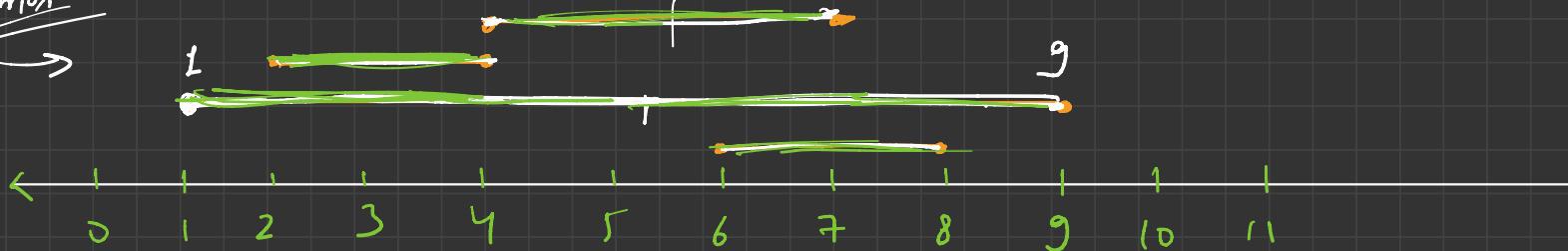
$\{ \underline{6}, \underline{8} \}$

$\{ \underline{1}, \underline{9} \}$

$\{ \underline{2}, \underline{4} \}$

$\{ \underline{4}, \underline{7} \}$

(6 + max²)



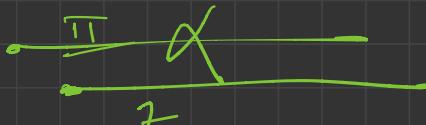
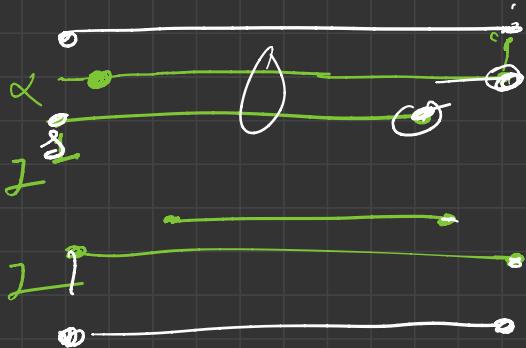
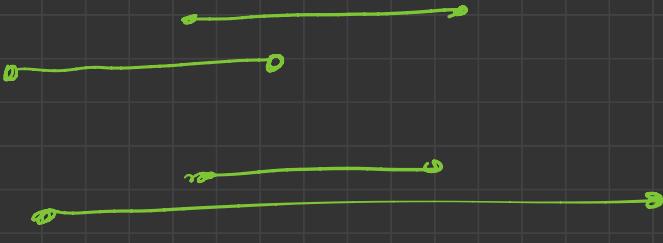
$\rightsquigarrow [1, 9] \equiv$

Algo:- (I) sort interval \rightarrow according to their starting time

(II) iterate over all intervals

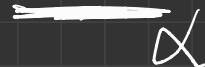
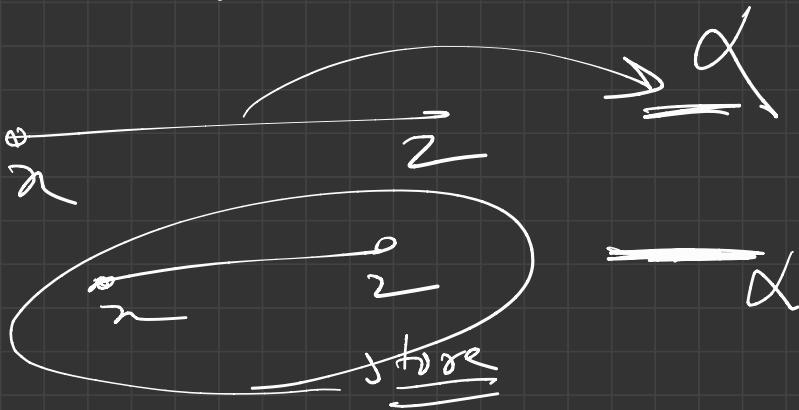
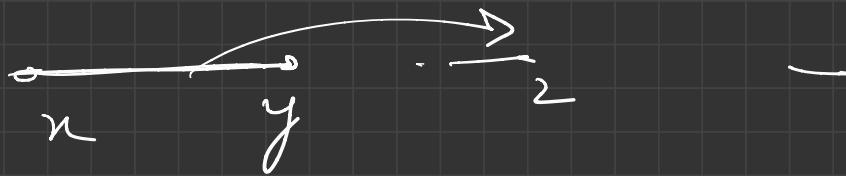
if overlap (match) \rightarrow interval update
else

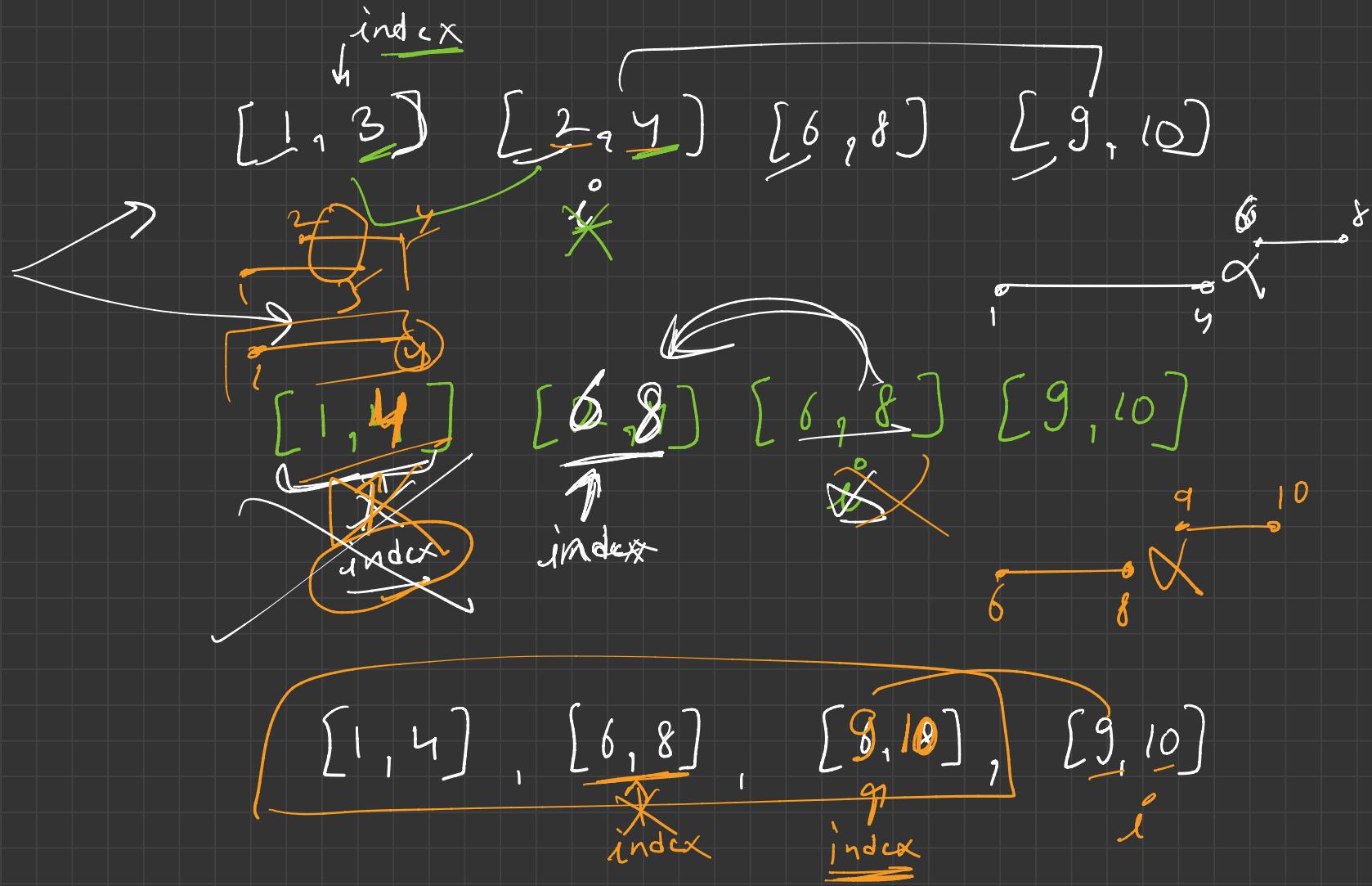
ans & time



vector < vector < int > > v

| | | | | | | | | | | | |
|--------|--|---|---|---|---|---|---|---|----|--|--|
| v[0] → | <table border="1"><tr><td>1</td><td>3</td></tr><tr><td>2</td><td>4</td></tr><tr><td>6</td><td>8</td></tr><tr><td>9</td><td>10</td></tr><tr><td colspan="2"> </td></tr></table> | 1 | 3 | 2 | 4 | 6 | 8 | 9 | 10 | | |
| 1 | 3 | | | | | | | | | | |
| 2 | 4 | | | | | | | | | | |
| 6 | 8 | | | | | | | | | | |
| 9 | 10 | | | | | | | | | | |
| | | | | | | | | | | | |
| v[1] → | | | | | | | | | | | |
| v[2] → | | | | | | | | | | | |
| v[3] → | | | | | | | | | | | |

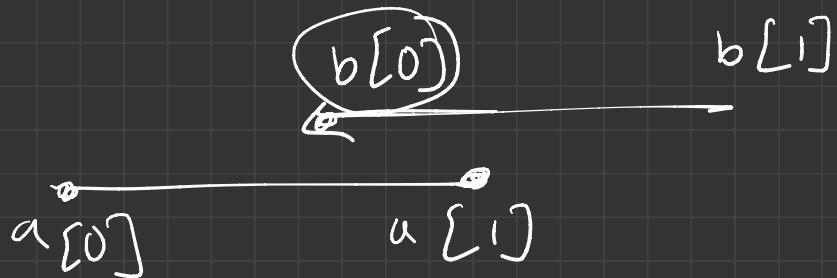




for ($i = 0 \rightarrow i \leq \text{index}$)

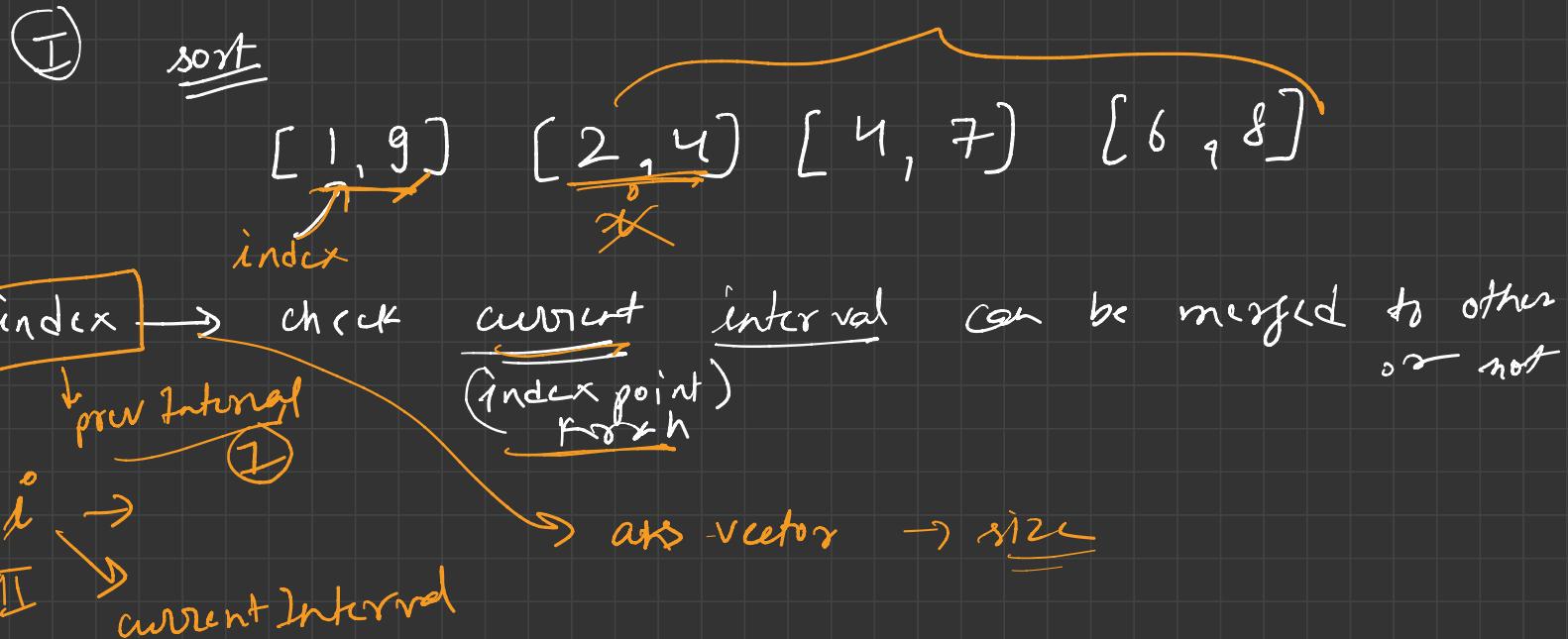
{
 arr.pushback() return)

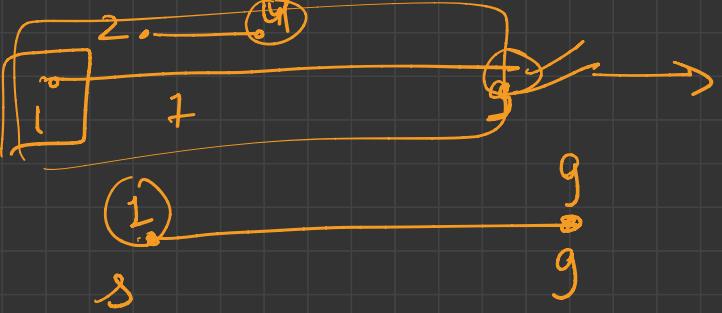
}
return w



Dry Run

[6, 8] [1, 9] [2, 4] [4, 7]



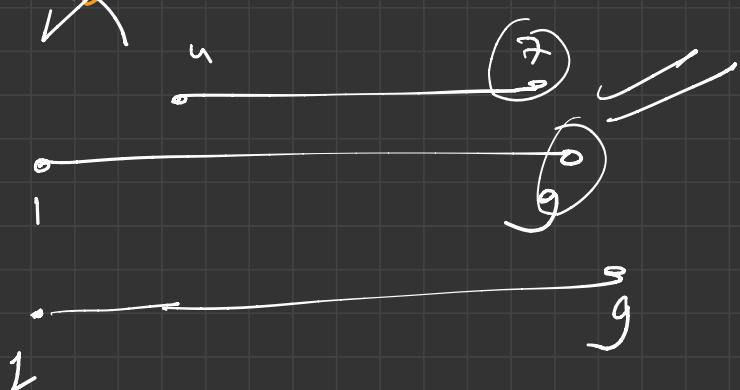


$[1, 3]$
index

$[2, 4]$

$[4, 7]$

$[6, 8]$



$(1, 2)$

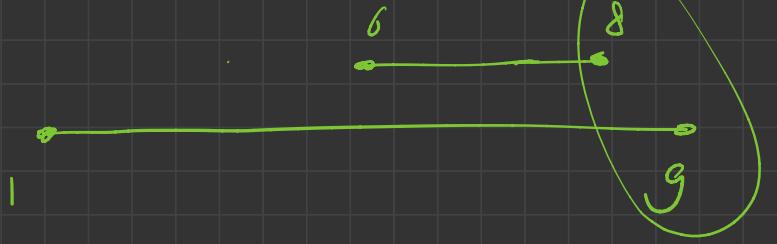
[1, 9]

index

[2, 4]

[4, 7]

[6, 8]



1 [1, 9] 8 9

[1, 9]

index = 0

[2, 4]

[4, 7]

[6, 8]

1
index

i

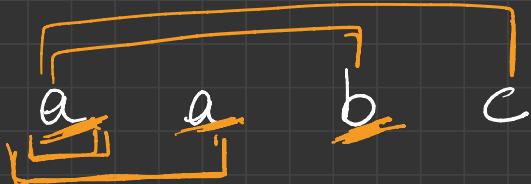
$$\text{ans} = \underline{\underline{[1, 9]}}$$

$$\text{ans} \rightarrow [1, 9] \quad [2, 4] \quad \{7, 7\}$$

$$\begin{aligned} & O(n \log n) \\ & + \\ & O(n) \\ & + \\ & O(n) \\ & \underbrace{\qquad\qquad\qquad}_{T.C \rightarrow O(n \log n)} \end{aligned}$$

→ First non-repeating character in stream

i/p →

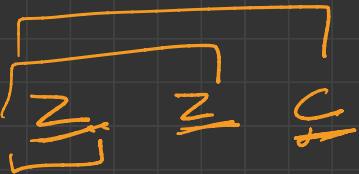


o/p →



i/p

→



o/p →

z # c

Approach:-

D.S



why?



map < char, int > count;



out
↓
NR

option

arr[26]

arr[26] = {0}.

0 - 'a' → count

1 - b -

2x - 'z' → count

if [> 1] → repeat
else

Non-repeating

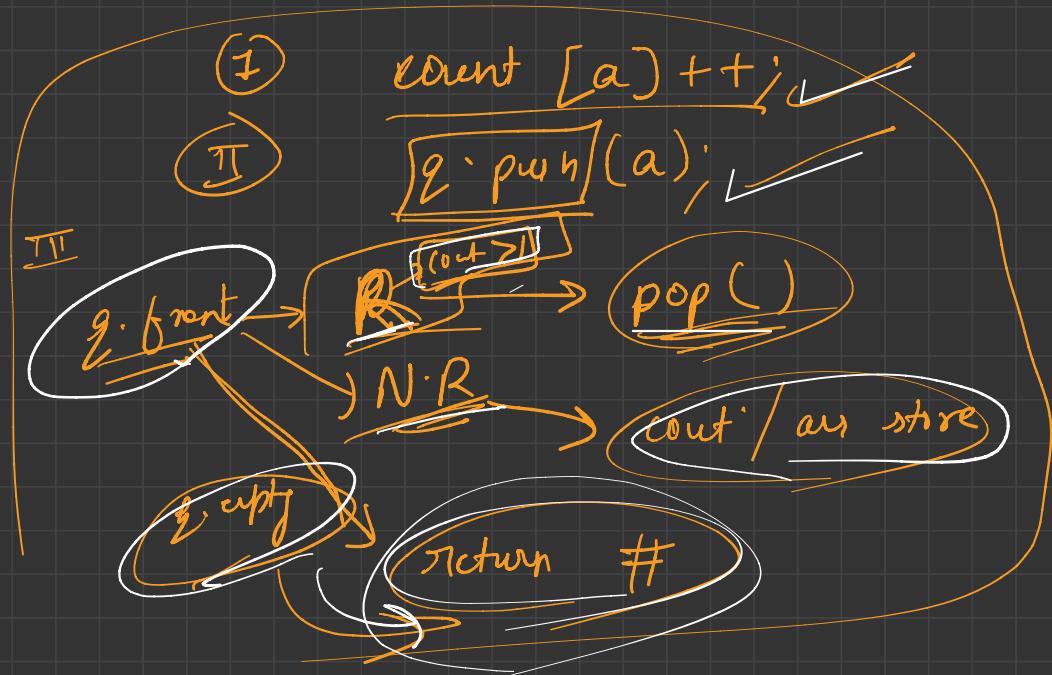
D.S

for

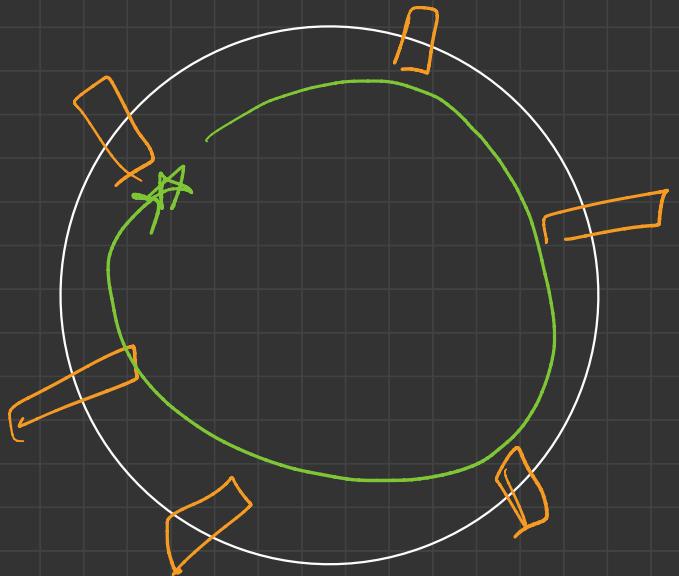


g.front \rightarrow N.R

~~a~~' a b c

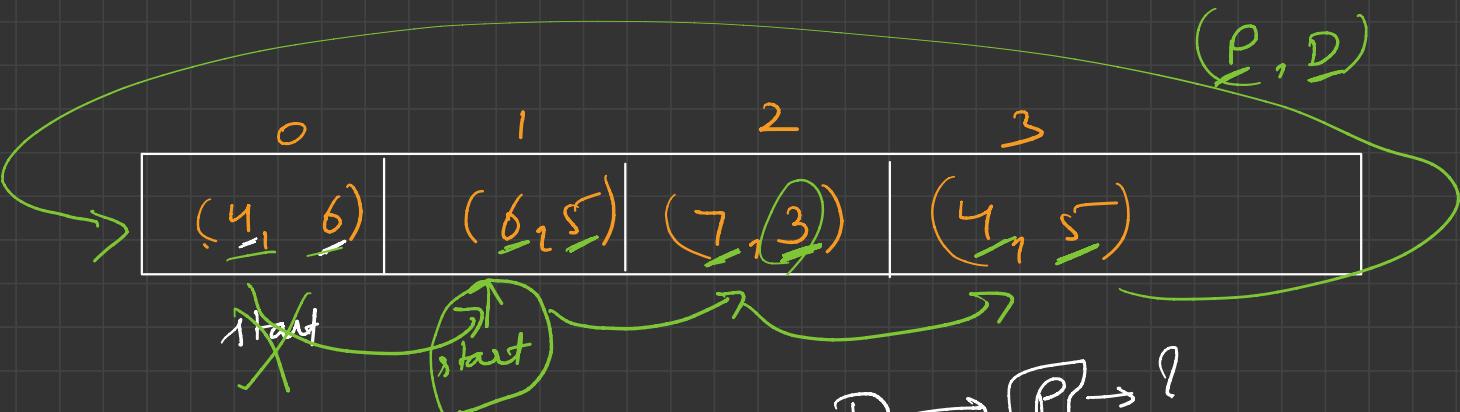


→ Circular tour:



P-P → Petrol data (x liter)

→ Maxt P.P distance (y km)



balance = 4 - 6 = -2

<0 \Rightarrow =0
 Normal sahi logne
 aaye ja sake
 hoga

balance = 6 - 5 = 1 ≥ 0

= 1 + 7 = 8 limit
 $\Rightarrow 8 - 3 \leq 5 \Rightarrow 5 = 0$

$$z = 5 + 4 - \sqrt{g \text{ unit}} \rho$$

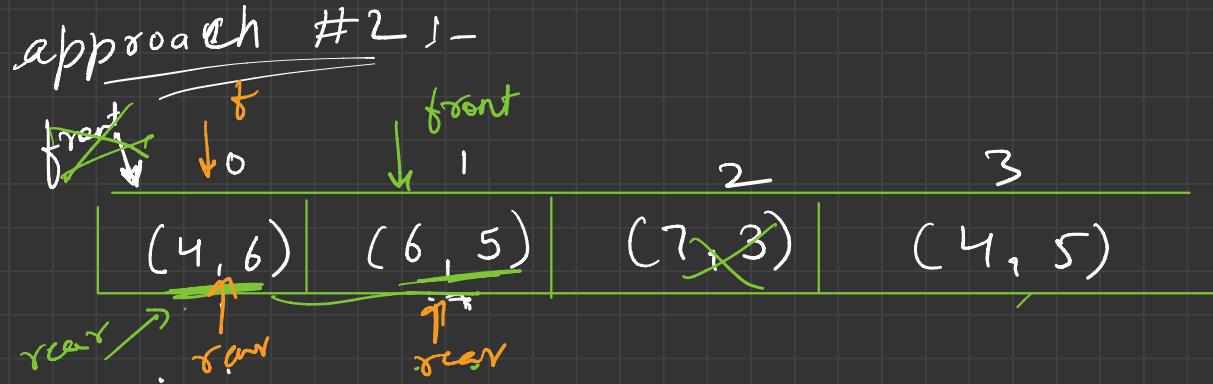
$$= g - 4 \geq 5L$$

$$z = 5 + 4 = 9L$$

$$= g - 6 \geq 0$$

$$\boxed{3 \geq 0}$$

approach #1 - B.F $\rightarrow \underline{\underline{O(n^2)}}$



Algo:-

if

one block to other
travel possible

$$P - D \geq 0$$

$$4 - 6 \geq 0$$

for

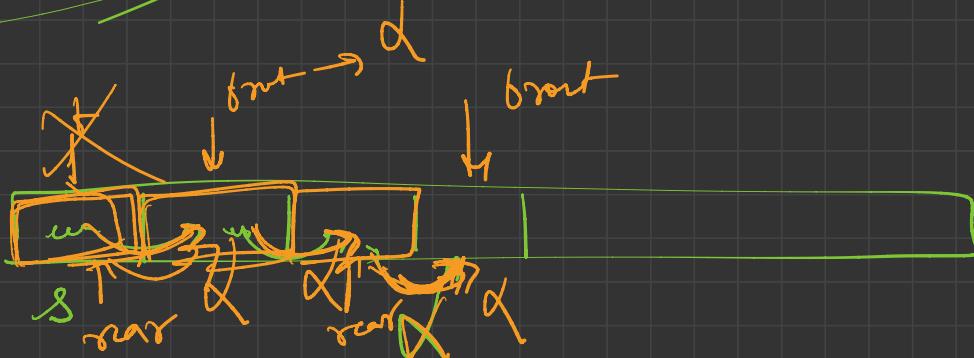
else

$$\begin{cases} front = rear + 1 \\ rear = front \end{cases}$$

$$front++$$

$$\text{if } (front == rear)$$

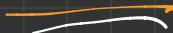
circle complete



$$\underline{\text{balance} \geq 0}$$

Algo:

if (start ~~block~~ to ^{its next} block
travel possible)

rear ++


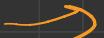
else

front = rear + 1

start = front

rear = front

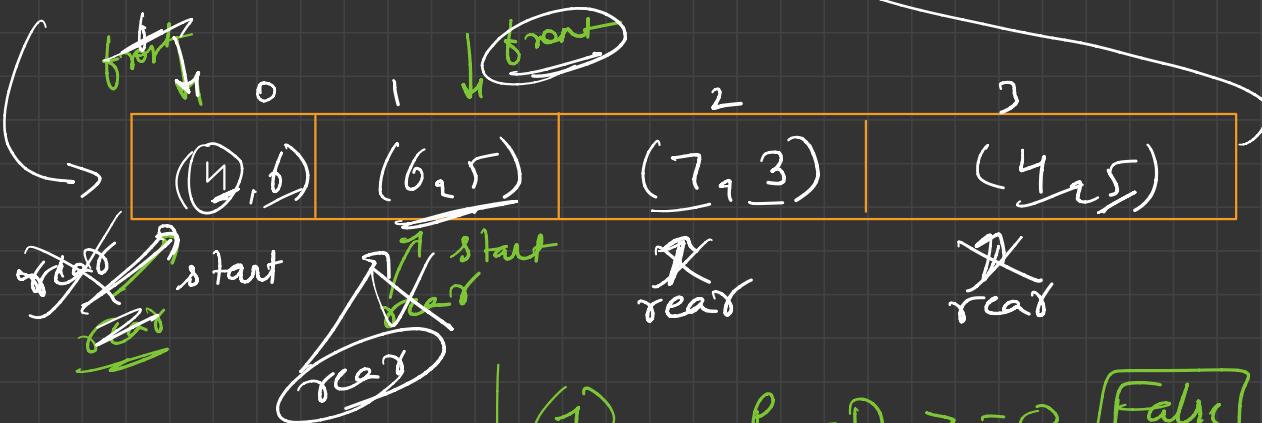
B.C



if (front == rear)



Cycle complete



(1)

$$P - D \geq 0 \quad \boxed{\text{False}}$$

$$4 - 6 = \boxed{-2} < 0$$

front = rear + 1

(2)

$$P - D \geq 0 \quad |$$

$$8 - 5 = \boxed{3} \geq 0$$

$$\boxed{\text{balance} = 4}$$

$$\text{balance} = 1 + 7 - 8 - 3 = \boxed{5} \geq 0$$

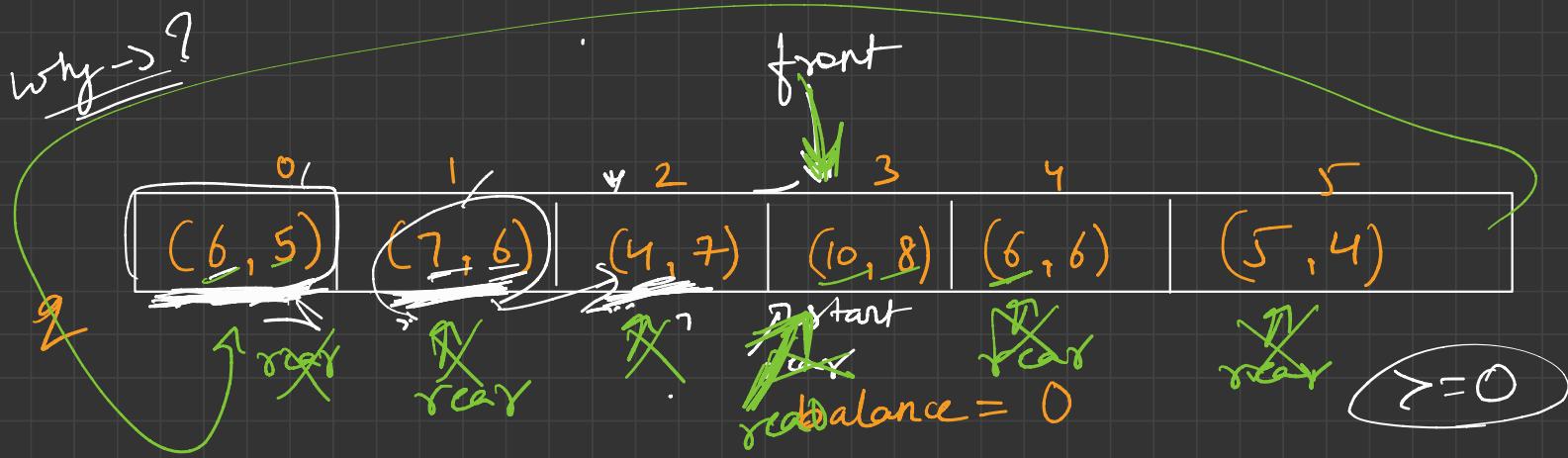
$$\text{balance} = 5 + 4 = 9 - 5$$

$$= \boxed{4 >= 0} - T$$

$$\text{balance} = 4 + 4 - 6$$

$$= 8 - 6$$

$$= \boxed{2 >= 0} - T$$



why \rightarrow front ++ \times

$\boxed{\text{front} = \text{rear} + 1}$

$$\begin{aligned}
 \text{balance} &= (\text{balance}) + P - D \\
 &= 0 + 6 - 5 = 1 \boxed{>= 0} \rightarrow \text{TRUE}
 \end{aligned}$$

$$\begin{aligned}
 \text{balance} &= 1 + 7 - 6 \\
 &= 8 - 6 = \boxed{2 >= 0} \rightarrow \text{TRUE}
 \end{aligned}$$

$$\begin{aligned}
 \text{balance}_2 &= 2 + 4 - 7 \\
 &= 6 - 7 = \boxed{-1 >= 0} \rightarrow \text{False}
 \end{aligned}$$

wont let
Block \rightarrow visit
single visit

$$\text{balance} = 0$$

$$\begin{aligned}\text{balance} &= 0 + 10 - 8 \\ &\geq 2 \geq 0 \quad \text{TRUE}\end{aligned}$$

$$\text{balance} = 2 + 6 \cancel{+ 0}$$

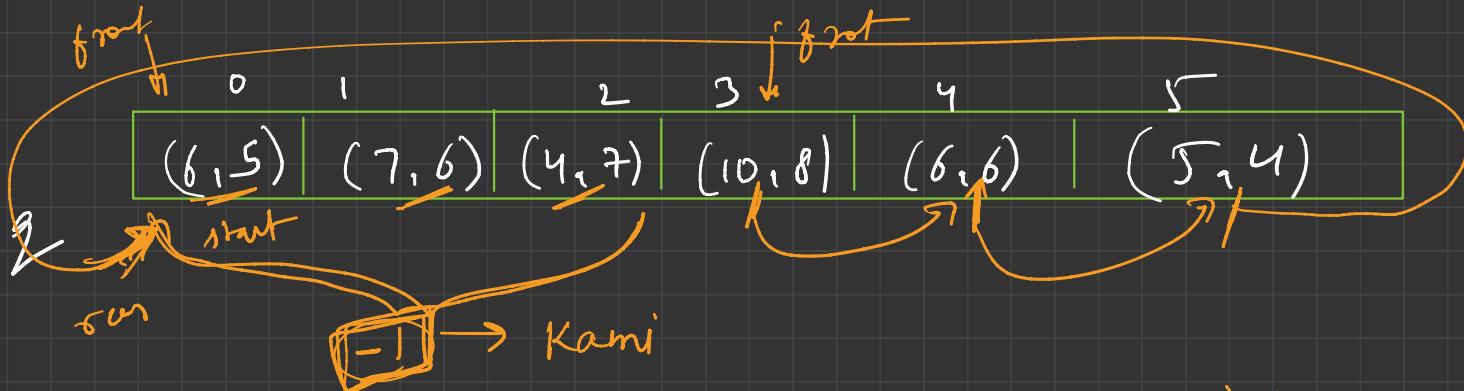
$$2 \cancel{(2)} \geq 0 \quad \text{TRUE}$$

$$= 2 + 5 - 4$$

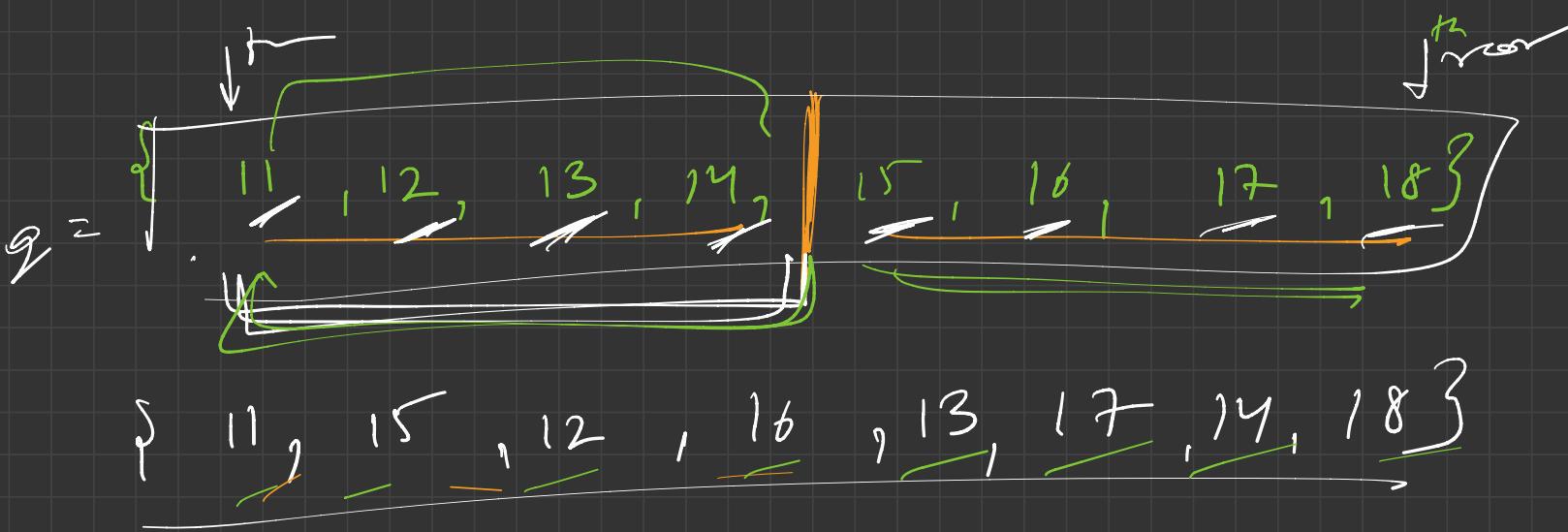
$$= 7 - 4$$

$$= 3 \geq 0 \rightarrow \text{TRUE}$$

$$\begin{aligned}&= 3 + 6 - 5 \\ &= 9 - 5 = 4 \Rightarrow 0 \Rightarrow \text{TRUE}\end{aligned}$$



balance + Kami $\geq 0 \rightarrow$ ans possible

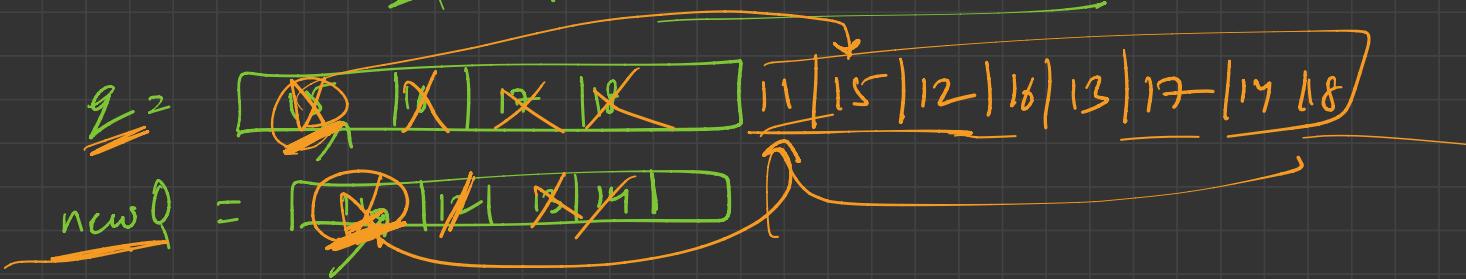


#1

fetch first half element from i/p que

(I)

& push into a new que



(T)

while (~~_newQ::empty()~~)

 2 int val = _newQ.front

 _newQ.pop()

 q.push(val);

 val = q.front();

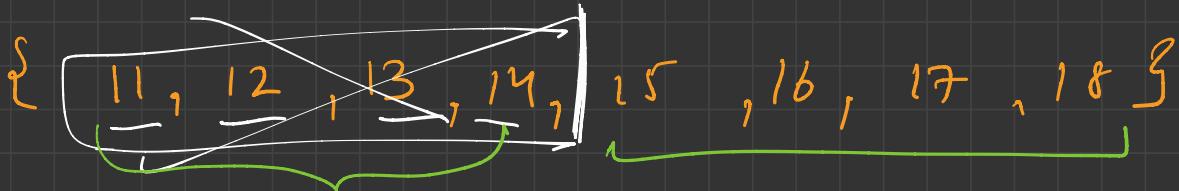
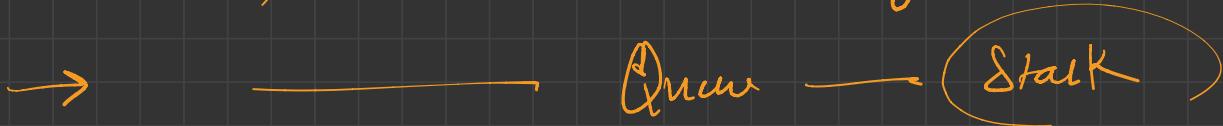
 q.pop();

 q.push(val)

T -> O(n)

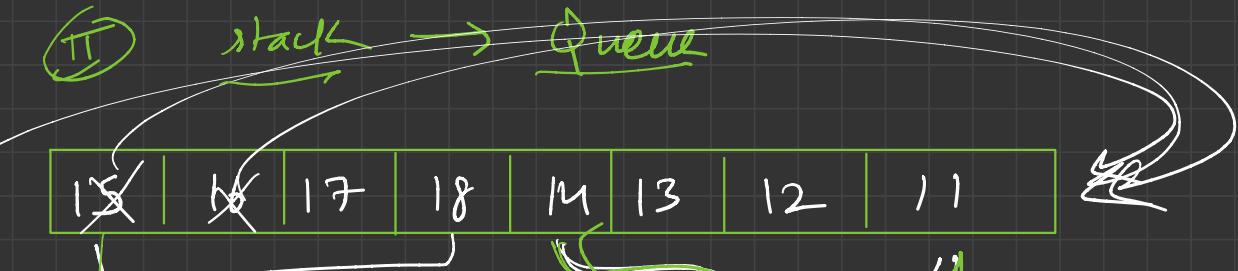
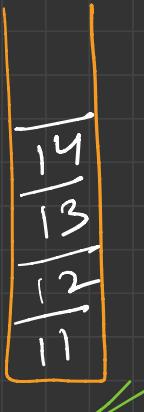
S(-) O(n)

→ implement stack using Queue



① first half of Q → Stack

② Stack → Queue



③ first half of Q pop Lpw

| | | | | | | | |
|----|----|----|----|----|----|----|----|
| 14 | 13 | 12 | 11 | 15 | 16 | 17 | 18 |
| 14 | 13 | 12 | 11 | 15 | 16 | 17 | 18 |

⑩ first half of \vec{q} \rightarrow to s



while ($!s$.empty())

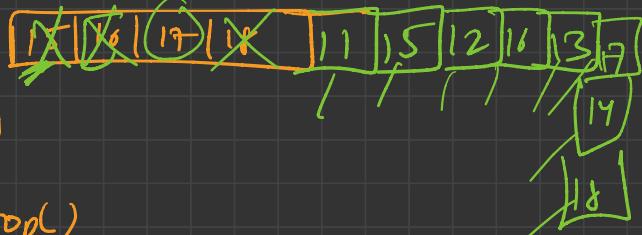
{ int val = s.top()
s.pop()

s.push (val)

val = q.front()

q.pop()

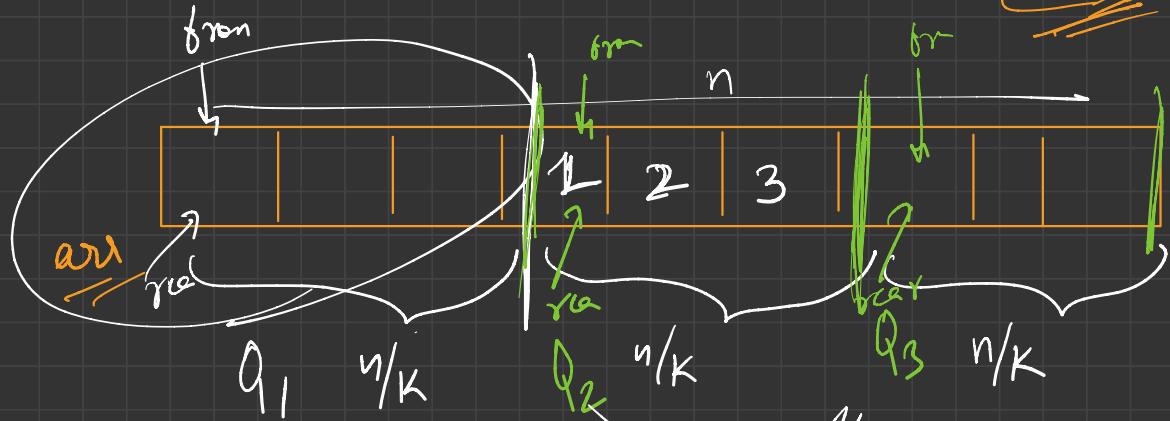
q.push (val)



T-C \rightarrow ?
S-C \rightarrow ?



"K" Queues in an array



approach:-

array \rightarrow K parts

1 part $\rightarrow n/K$

$n \rightarrow \text{arr.size}$

Space optimally utilise

approach #2

~~rear[Q1]~~

~~rear[A1]~~

K-Queue

K=3



arr



- Front [K] →



- Rear [Q] →



next[n] →



freeSpot →



pop (Q2)

from index = 1

from [qn] = next(1)

next[1] = freeSpot

freeSpot = index - 1

5 6 7

5 6 7

5 6 7

push:-

→ Overflow check → $\boxed{\text{free} = -1}$

→ If find index, where we want to insert

int index = freespot

→ //update freespot

freespot = next [index]

\hookrightarrow // if first element

if (front [q_n] == -1)

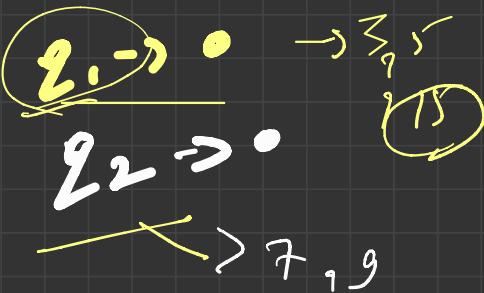
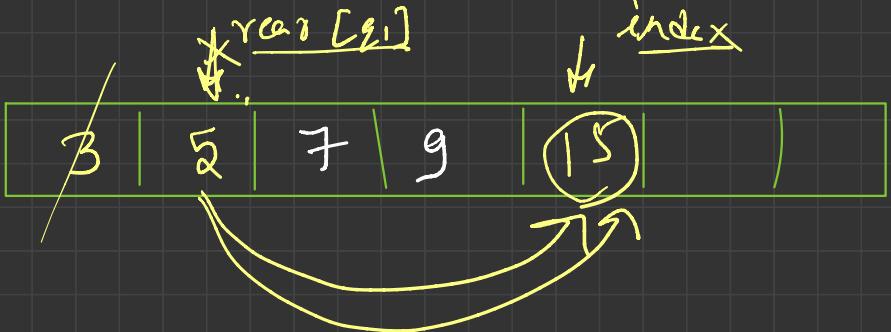
front [q_n] = index;

else

{

next [rear [q_n]] = index ;

}



$\text{next}[\text{rear}[q_1]] = \text{index}$

↳ $\text{next}[\text{index}] = -1 ;$
 $//$ point rear to index

$\text{rear}[q_1] = \text{index};$
 $//$ push element

$\text{arr}[\text{index}] = n;$

pop()

if Empty \rightarrow Underflow

// first index

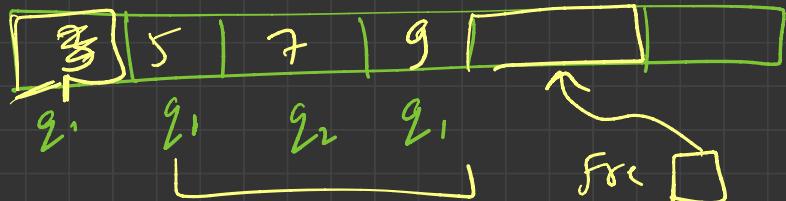
int index = front [q_n]

// front ko agar rastro

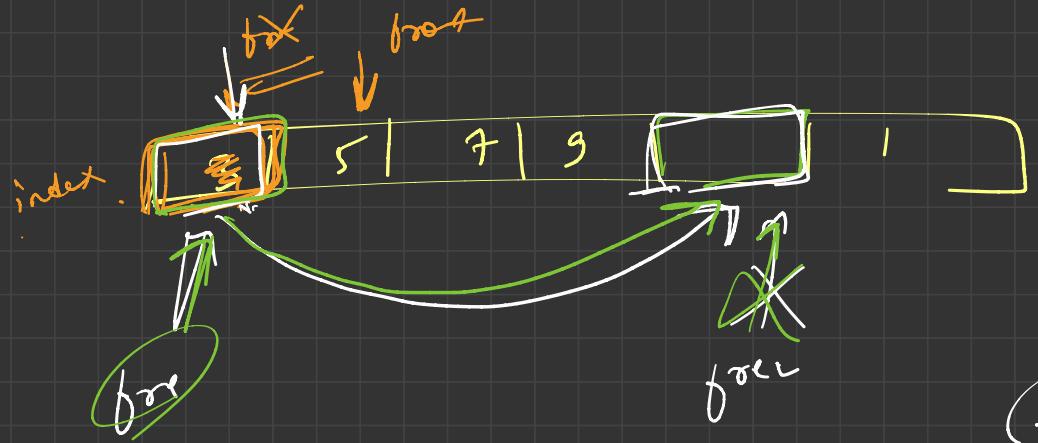
front [q_1] = next [index]

front

front

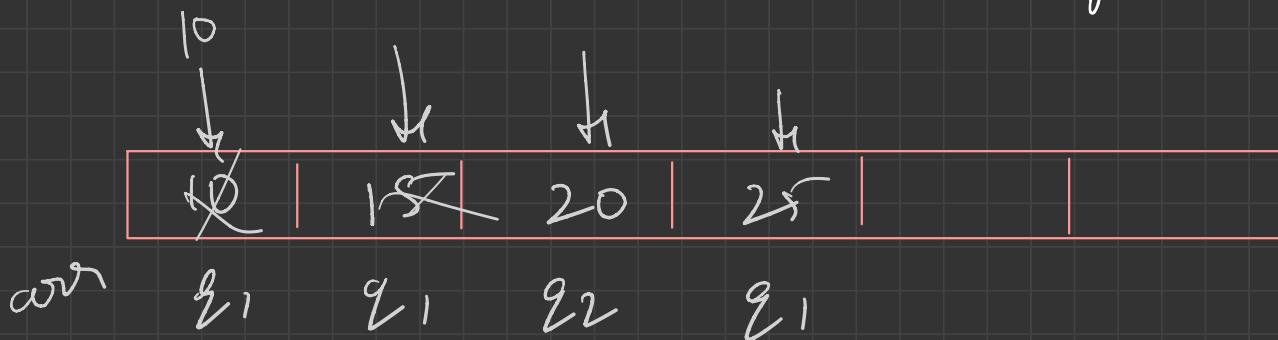


q_1
0 (q_{n-1})



next [index] = free

free = index



$q_1 \rightarrow \text{deg} \rightarrow 10$

$q_2 \rightarrow \text{deg} \rightarrow 20$

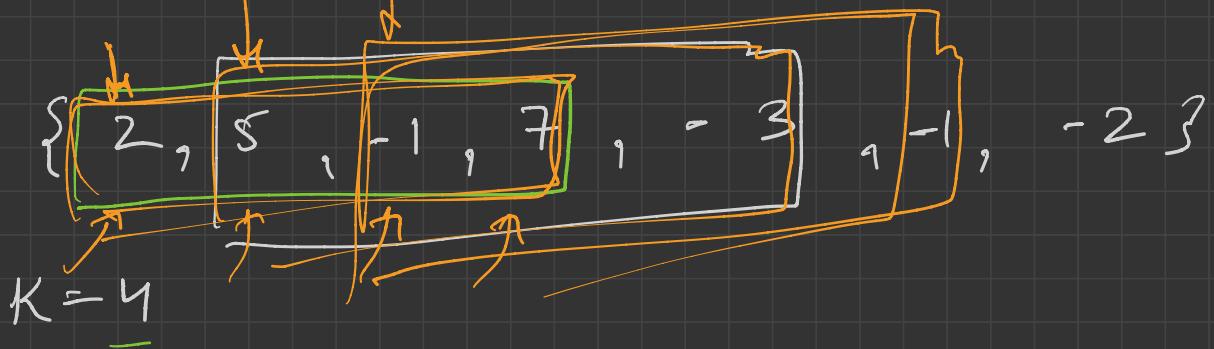
$q_3 \rightarrow \text{deg} \rightarrow 18$

$q_4 \rightarrow \text{deg} \rightarrow 25$

-
L Queue in a
single array

DRIVE
RUN

\Rightarrow



$$\begin{aligned} \max &= 7 \\ \min &= -1 \end{aligned} \rightarrow \textcircled{6}$$

$$\begin{aligned} \max &= 7 \\ \min &= -3 \end{aligned} \rightarrow \textcircled{4}$$

$$\begin{aligned} \max &= 7 \\ \min &= -3 \end{aligned} \rightarrow \textcircled{4}$$

approach

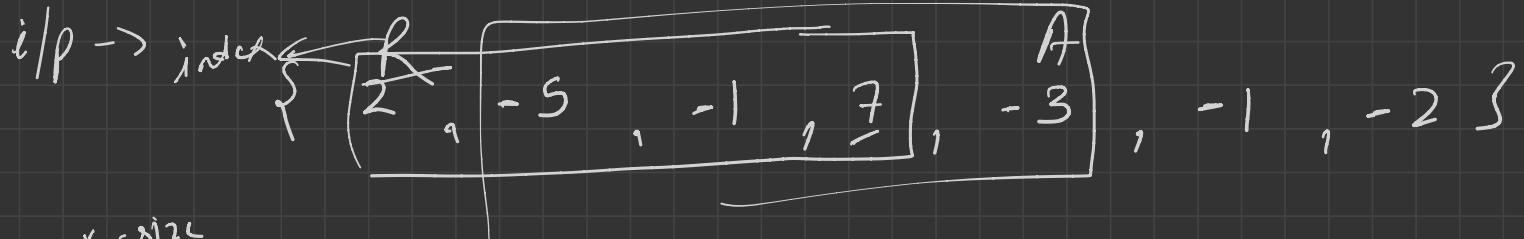
```
for ( 0 → n )
  {
    for ( K times )
      {
```

$\left\{ \begin{array}{l} \max \\ \min \end{array} \right.$

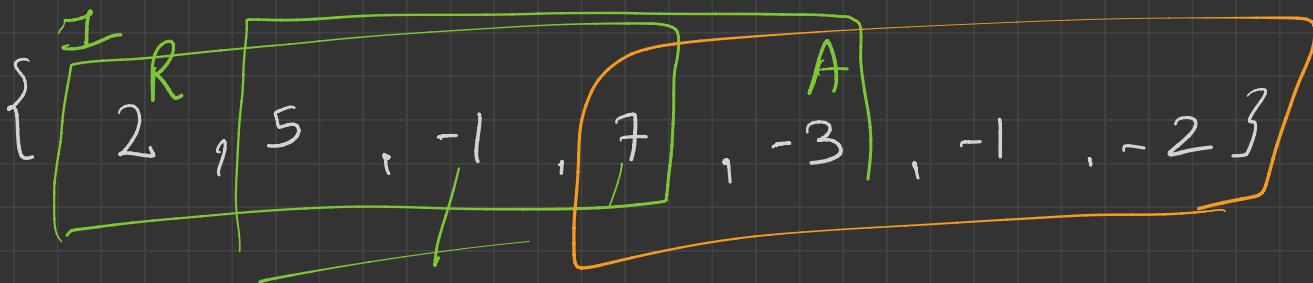
$\text{num} \rightarrow \text{true}$

$O(n * K)$

Approach #2 $\Rightarrow O(n) = \cancel{\cancel{O(n)}}$



- ① deque \rightarrow max: ~~max~~ ~~in~~ \rightarrow decreasing order me element hoge
if ~~max~~ ~~in~~ \rightarrow ~~max~~ front() \rightarrow ~~max~~ element in Ksize window
- ② deque \rightarrow min: \rightarrow increasing order me element hoge
 \rightarrow min. front \rightarrow min^m in Ksized window



for ($i = k$ $\leftarrow n$)
 $\max = \max[\max, front(i)]$, $\min = \min[\min, front]$

$$[sum += max + min] = 6$$

// next window

// Removal

while ($\underline{\max.front() - i} \geq k$)
 $\text{pop}();$

while min
)
 //Addition

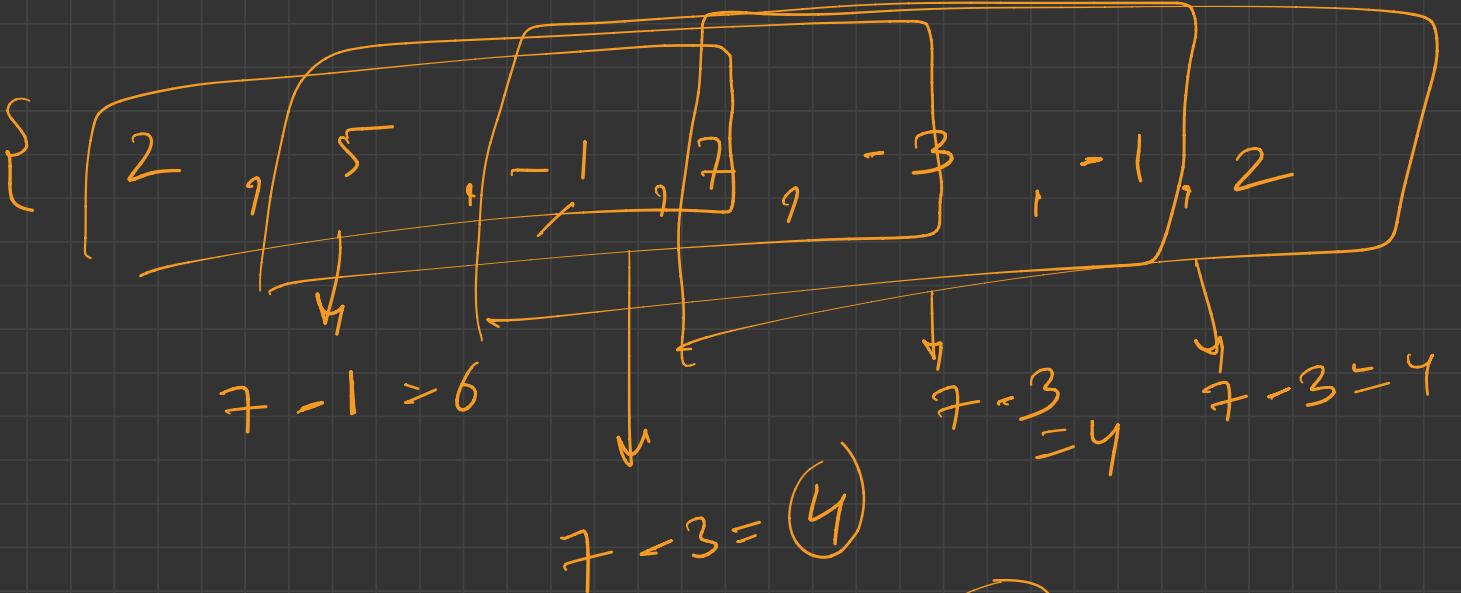
copy part

}

sum + = = +

yctn sum;

}



$$\begin{array}{r}
 6 + 4 + 4 + 4 \\
 \hline
 - 18
 \end{array}$$

$T \cdot C \rightarrow O(n)$

$S \cdot C \rightarrow ? \leftarrow 1/w$

