

# Quantum Information and Computing 2022 - 2023

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#### **Theory**

A Fortran subroutine is a block of code that performs some operation on the input variables, and as a result of calling the subroutine, the input variables are modified.

#### **Code development**

- We create a subroutine called check\_point to perform if DEBUG\_ == TRUE we are in 'debug mode'.
- Print the line and arg.
- We run the program test.
- Assign 2 real values x and y.
- If DEBUG\_ == TRUE, print the value.

```
subroutine check_point(DEBUG, realarg, line)
                         :: DEBUG ! input, if DEBUG == TRUE we are in 'debug mode'
                         :: realarg ! optional generic real argument
          if (DEBUG .eqv. .TRUE.) then
              print *, 'LINE:',line ! print file and line
              print*, 'arg:', realarg
      end subroutine check point
      program test
          logical :: DEBUG = .TRUE.
          real :: x = 3.14159265359, y = 9.53562951413
          call check real (x)
          DEBUG = .FALSE.
          call check_real_(y)
     end program test
      ! Error appears when compiling, in order to compile sucessful, a flag -cpp is used
 PROBLEMS OUTPUT DEBUG CONSOLE TERMINAL
PS D:\Physics-Data-Msc\Quantum-IC\Assignment-2> gfortran -o checkpoint checkpoint.f90 -cpp
PS D:\Physics-Data-Msc\Quantum-IC\Assignment-2> ./checkpoint
```



# Documentation and comments

 For every function and subroutine, we create a documentation and comment in order to understand the function/subroutine better.

#### Result

- We write function to fill the matrix with random variables.
- The matrix dimension stored in a vector of two dimensions: N, M.
- We create a module named debug which contains several subroutines with different functions: print matrix in the terminal, print a matrix and its lines, check for custom implemented matrix multiplication.

```
@param[in] N : integer, number of columns in matrix
 @param[in] M : integer, number of rows in matrix
 @param[in] rand range : integer, range of random numbers
   function fill no matrix(N, M, rand range) result(matrixA)
       integer :: N ,M, rand_range
      real*4, dimension(N,M) :: matrixA
       call random number(matrixA)
       matrixA = rand range * matrixA
   end function fill no matrix
 @brief function perfrom matrix multiplication through a loop method
 @param[in] matrixA = real*4, dimension(N,M), real random matrix
 @param[in] matrixB = real*4, dimension(N,M), real random matrix
  @return a matrixC = real*4, dimension(N,M), matrixA*matrixB
Assume A is 1hs matrix, B rhs second, C is the result matrix
first index "i" runs slower in c ij
   function matrix multiplication(matrixA, matrixB) result(matrixC)
       integer :: ii, jj, kk
       logical :: check
       real*4, dimension(:,:) :: matrixA, matrixB
      real*4, dimension(size(matrixA,2),size(matrixB,1)) :: matrixC
```



#### **Theory**

- The Hermitian adjoint matrix, A, over a field C of complex numbers, is its complex-conjugate transpose matrix.
- The adjoint matrix A denoted as  $A^{\dagger}$ , where:  $A^{\dagger} = A^{T*}$
- \* is denoted as comjugate
- Trace given matrix A  $n \times n$ , is defined:  $Tr(A) = \sum_{i=1}^{n} a_{ii}$
- The following properties hold:
- $Tr^*(A) = Tr(A^{\dagger})$
- $Det(A^{\dagger}) = detA^{*}$

#### Results

 The result shows us the dimension, trace and the adjoint of the matrix generated.



#### **Code development**

- A module matrices is written, and inside it derived type data type, called cmatrix.
- After data type, we perform interfaces for the initialization of the type, the adjoint matrix and the trace computation.
- After that, we create functions to:
- computes the trace.
- initializes complex matrix randomly.
- initializes complex matrix type given the 2d array.
- Then we create subroutines to prints matrix on terminal and writes matrix to file.

```
type cmatrix
     integer, dimension(2)
                                                           ! dimension of the matrix
     complex*16, dimension(:,:), allocatable :: element
     complex*16
 end type cmatrix
 interface operator(.Adj.)
     module procedure cmatrix_adjoint
end interface
interface operator(.Trace.)
     module procedure cmatrix_trace
 end interface
@brief computes the trace
@return trace = complex*16, trace of thecomplex matrix
 function cmatrix trace(cmat) result(trace)
     complex*16
                               :: trace
     type(cmatrix), intent(IN) :: cmat
     if(cmat%dim(1) == cmat%dim(2)) then ! iff the matrix is square
         do ii = 1, size(cmat%element,1), 1
             trace = trace + cmat%element(ii,ii)
         end do
         trace = 0
         trace = trace/trace
end function cmatrix trace
@brief initializes complex matrix randomly
@param[in] ncol = integer, number of columns of matrix
@param[in] range = real, range of numbers: 0<=x<=range</pre>
@return cmat = type(cmatrix), complex matrix
```





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## Thanks for the attention