



Accretion in binary systems

Ilia Kosenkov, 2017-12-01 @ Tuorla











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 - \circ Mass ejection in the form of stellar wind \rightarrow wind accretion
- Parameters of a binary can evolve with time (e.g. angular momentum loss)





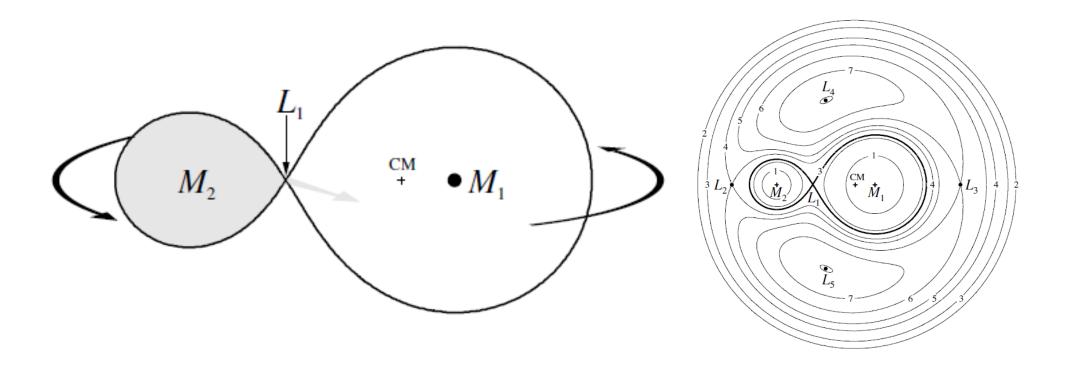
Roche geometry

Kepler's law
$$4\pi^2a^3=GMP^2$$
 $q=\frac{M_2}{M_1}$ $m=\frac{M}{M_\odot}$, and $|\omega|=\left[\frac{GM}{a^3}\right]^{\frac{1}{2}}\frac{\partial \mathbf{v}}{\partial t}+(\mathbf{v}\cdot\nabla)\mathbf{v}=$ $=-\nabla\Phi_{\mathrm{R}}-2\omega\times\mathbf{v}-\frac{1}{\rho}\nabla P$ M_2 M_1 $\Phi_{\mathrm{R}}(r)=-\frac{GM_1}{|\mathbf{r}-\mathbf{r}_1|}-\frac{GM_2}{|\mathbf{r}-\mathbf{r}_2|}-\frac{1}{2}(\omega\times\mathbf{r})^2$





Roche geometry











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Average density of lobe-filling star $ar{
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Average density of lobe-filling star $ar
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m hr}^{-2}~{
m g}~{
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And period-radius relation for a lower part main sequece star $R_2 \approxeq 7.9 imes 10^9 P_{
m hr} {
m ~cm}$









Mass loss leads to changes in q. Assuming all matter from donnor goes to accretor

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$$-\dot{M}_2({
m inst})=\dot{M}_0\exp\left[rac{R_*-R_2}{H_*}
ight]pprox 10^{-8}M_\odot~{
m yr}^{-1}$$
 for a lower main sequece stars









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$$v_{\parallel} \lesssim c_{
m s} pprox 10~{
m km}~{
m s}^{-1}$$
 for a $10^5~{
m K}$ envelope temperature









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$$L_{
m disc}=rac{GM_1\dot{M}}{2R_*}=rac{1}{2}L_{
m acc}$$





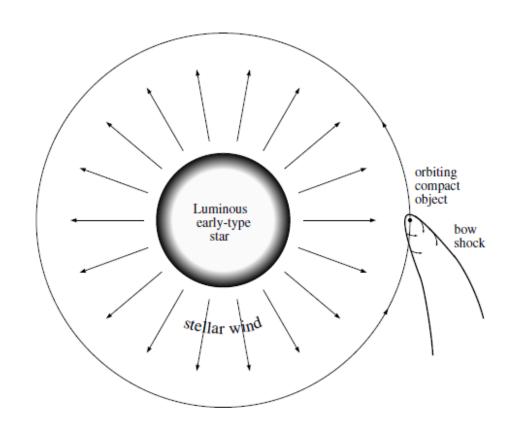
$$v_{
m w} pprox \left(rac{2GM_{
m E}}{R_{
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ight)^{1/2}$$

For a $10^{-5}~M_{\odot}~
m yr^{-1}$ mass loss rate $v_{
m w}pprox
m few imes 10^3~
m km~s^{-1}$

The wind sweeps at angle

$$eta pprox an^{-1}(v_{
m n}/v_{
m w})$$

and relative speed $v_{
m rel} pprox (v_{
m n}^2 + w_{
m w}^2)^{1/2}$







Fraction of mass captured by accretor is

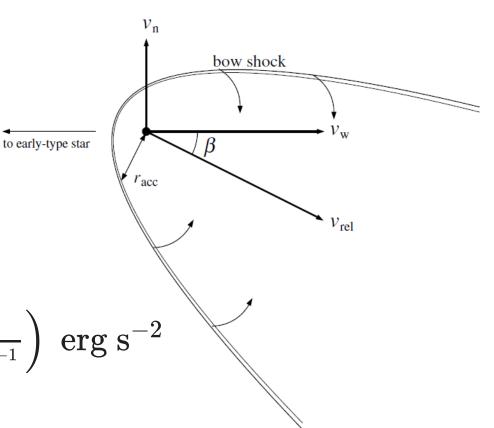
$$rac{\dot{M}}{-\dot{M}_{
m w}}pproxrac{1}{4}igg(rac{M_{
m n}}{M_{
m E}}igg)^2igg(rac{R_{
m E}}{a}igg)^2$$

in a cylindrical region of $rpprox 2GM_{
m n}/v_{
m rel}^2$

which gives luminosity of the order of

$$L_{
m acc}pprox 10^{37} \left(rac{\dot{M}}{-10^{-4}\dot{M}_{
m w}}
ight) \left(rac{-\dot{M}_{
m w}}{10^{-5}M_{\odot}~{
m yr}^{-1}}
ight) {
m \ erg \ s}^{-2}$$

which is mainly emitted in X-rays







Accretion in close binaries: other ways to form a disc?





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The circularization radius is
$$rac{R_{
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The uncerainty in λ makes it hard to estimate whether the circulaization radius is large enough for a disk to form.









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- Irradiation by the luminocity resulting from accretion can further boost the process and make it self-sustainable. Can possibly stimulate wind loss.
- In supersoft binaries (accretor is WD) accretion process can be boosted by a factor of ~40 by steady nuclear burning at the surface.





Thank you!