

1- Assume that, today, a wafer containing 120 processor dies costs 10000\$. The yield decreases by 10% each year while the wafer cost also decreases by 20% at each year. Then, what will be the cost of a single chip manufacturing after 4 years? Assume today there is a yield of 80%.

$$\text{yield} = \frac{\text{No of good chips per wafer}}{\text{Total number of chips}} \times 100\%$$

after four years yield will be

$$80(1-0,1)^4 = 52,48\%$$

after four years a wafer containing 120 processor dies cost will be

$$10000(1-0,2)^4 = 4096\$$$

then,

$$52,48\% = \frac{\text{No of good chips per wafer}}{120} \times 100\%$$

62,97 chips costs 4096\$

then 1 chip,

$$\text{No of good chips per wafer} = \frac{52,48 \cdot 120}{100} = 62,97$$

$$\text{price} = \frac{4096}{62,97} = \underline{\underline{65,04\$}}$$

2- A compiler designer wants to compare the performance of two different compilers he designed. The compilers generating MIPS code from a C program. He compiles the same C program using two compilers.

a- According to tables below, find which compiler is better and how many times better than the other?

	R-Type ($\times 10^6$)	I-Type ($\times 10^6$)	J-Type ($\times 10^6$)
Compiler A	50	10	2
Compiler B	80	5	1
Required Cycles	2	4	3

$$\text{CPU Clock Cycles}_A = (50 \cdot 2 + 10 \cdot 4 + 2 \cdot 3) \cdot 10^6 = 146 \cdot 10^6$$

$$\frac{183 \cdot 10^6}{146 \cdot 10^6} = 1,25$$

$$\text{CPU Clock Cycles}_B = (80 \cdot 2 + 5 \cdot 4 + 1 \cdot 3) \cdot 10^6 = 183 \cdot 10^6$$

Compiler A 1,25 times better than Compiler B

b- What must be the clock speed of the processors so that the program compiled with better compiler executes in 100ms?

$$\text{Execution Time} = \frac{\text{Instruction Count}}{\text{Clock Rate}} = \frac{146 \cdot 10^6}{\text{Clock Rate}} = 0,1$$

$$\text{Clock Rate} = 146 \cdot 10^7 \text{ Hz} = 1460 \text{ MHz}$$