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## Q.2

```
In [1]: # Importing Libraries
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
```

```
In [2]: df = pd.read_excel(r'C:\Users\Dell\Desktop\ML_Module_Exam\Data\data_final.xlsx')
df
```

```
Out[2]:
```

	observation	feature	price
0	0.44	0.68	511.14
1	0.99	0.23	717.10
2	0.84	0.29	607.91
3	0.28	0.45	270.40
4	0.07	0.83	289.88
...	...	...	...
95	0.99	0.13	636.22
96	0.28	0.46	272.12
97	0.87	0.36	696.65
98	0.23	0.87	434.53
99	0.77	0.36	593.86

100 rows × 3 columns

### Data Understanding

```
In [3]: df.shape
```

```
Out[3]: (100, 3)
```

```
In [4]: df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 100 entries, 0 to 99
Data columns (total 3 columns):
#   Column      Non-Null Count  Dtype
---  -
0   observation  100 non-null    float64
1   feature      100 non-null    float64
2   price        100 non-null    float64
dtypes: float64(3)
memory usage: 2.5 KB
```

```
In [5]: df.describe()
```

```
Out[5]:
```

	observation	feature	price
count	100.000000	100.000000	100.000000
mean	0.550300	0.501700	554.214600
std	0.293841	0.307124	347.312796
min	0.010000	0.000000	42.080000
25%	0.300000	0.230000	278.172500
50%	0.570000	0.485000	514.285000
75%	0.822500	0.760000	751.752500
max	1.000000	0.990000	1563.820000

```
In [6]: df.head()
```

```
Out[6]:
```

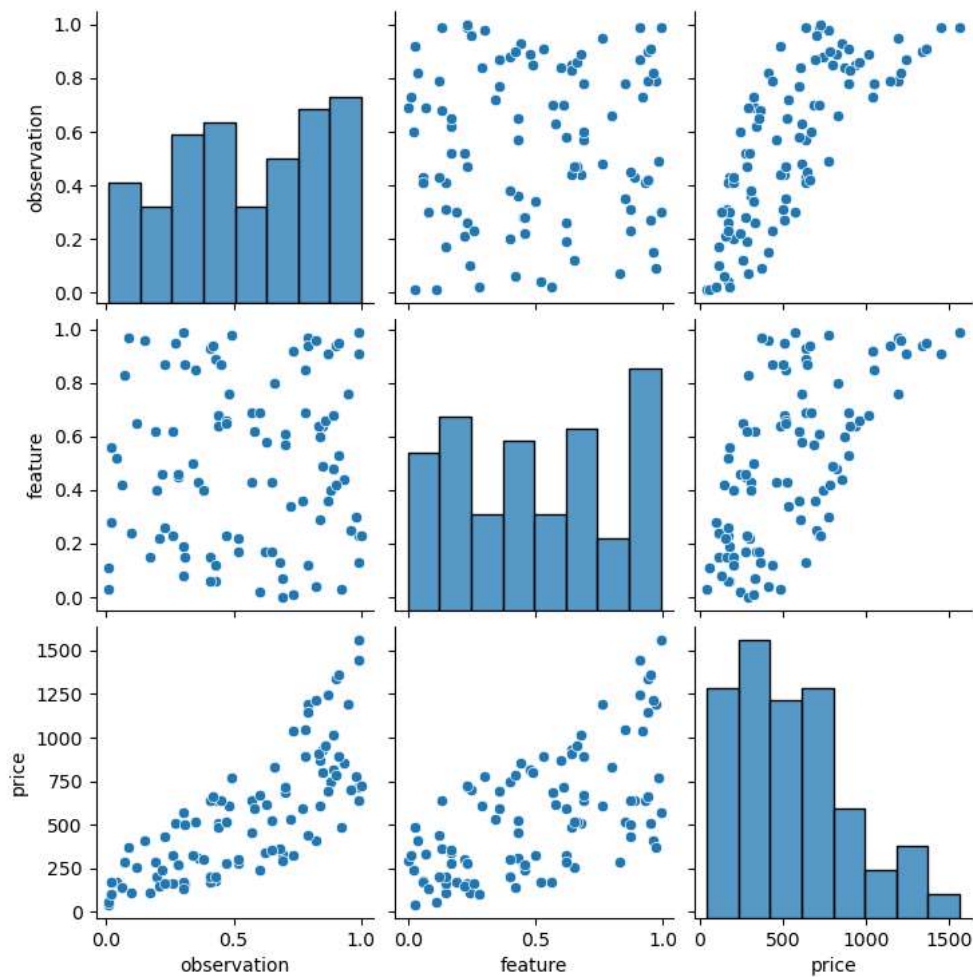
	observation	feature	price
0	0.44	0.68	511.14
1	0.99	0.23	717.10
2	0.84	0.29	607.91
3	0.28	0.45	270.40
4	0.07	0.83	289.88

```
In [7]: df.isnull().sum()
```

```
Out[7]: observation    0
feature              0
price               0
dtype: int64
```

```
In [8]: sns.pairplot(df)
```

```
Out[8]: <seaborn.axisgrid.PairGrid at 0x1cb47678400>
```



```
In [9]: df.corr()
```

```
Out[9]:
```

	observation	feature	price
observation	1.000000	0.041766	0.764315
feature	0.041766	1.000000	0.627476
price	0.764315	0.627476	1.000000

```
In [10]: # Dataset has Two independent Variable and One dependent variable
```

```
In [11]: x = df.drop('price', axis=1)
x
```

```
Out[11]:
```

	observation	feature
0	0.44	0.68
1	0.99	0.23
2	0.84	0.29
3	0.28	0.45
4	0.07	0.83
...	...	...
95	0.99	0.13
96	0.28	0.46
97	0.87	0.36
98	0.23	0.87
99	0.77	0.36

100 rows × 2 columns

```
In [12]: y = df.price
y
```

```
Out[12]:
```

0	511.14
1	717.10
2	607.91
3	270.40
4	289.88
...	...
95	636.22
96	272.12
97	696.65
98	434.53
99	593.86

Name: price, Length: 100, dtype: float64

```
In [13]: x.shape, y.shape
```

```
Out[13]: ((100, 2), (100,))
```

```
In [14]: # Train and Test Data
```

```
In [15]: from sklearn.model_selection import train_test_split
```

```
In [16]: x_train, x_test, y_train, y_test = train_test_split(x, y, train_size=0.8, random_state=42)
```

```
In [17]: x_train.shape, x_test.shape, y_train.shape, y_test.shape
```

```
Out[17]: ((80, 2), (20, 2), (80,), (20,))
```

```
In [ ]:
```

As number of independent feature are more than one so we will go with Multiple Linear Regression Model

## Multiple Linear Regression Model

```
In [18]: from sklearn.linear_model import LinearRegression
model = LinearRegression()
model.fit(x_train, y_train)
```

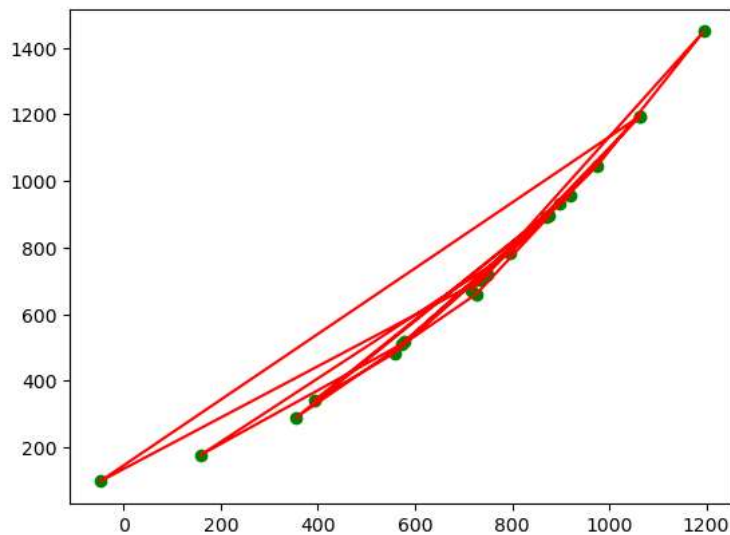
```
Out[18]: LinearRegression()
```

```
In [19]: y_pred = model.predict(x_test)
y_pred
```

```
Out[19]: array([ 749.76896963,  735.98936824, -48.85992817, 1062.20644707,
 716.69328274, 1194.90581714,  975.78229373,  796.22763539,
 157.64413694,  573.18572683,  897.84604006,  392.4709254 ,
 557.34034613,  876.99318895,  726.73794801,  354.96783965,
 919.53346956,  579.16989129,  870.75451763, 1063.1120833 ])
```

In [20]: *# Now we will plot scatter plot*

```
plt.scatter(y_pred, y_test, color = 'green')
plt.plot(y_pred, y_test, color = 'red')
plt.show()
```



In [21]: `model.predict([[0.40, 0.65]])`

C:\Users\Dell\anaconda3\lib\site-packages\sklearn\base.py:450: UserWarning: X does not have valid feature names, but LinearRegression was fitted with feature names  
warnings.warn(

Out[21]: `array([519.25718884])`

#### Result with error calculation and Performance of Model

In [22]: `from sklearn import metrics`

##### Mean Absolute error

In [23]: `round(metrics.mean_absolute_error(y_test, y_pred),2)`

Out[23]: 68.25

##### Mean Squared Error

In [24]: `round(metrics.mean_squared_error(y_test, y_pred) ,2)`

Out[24]: 7901.48

##### Median Absolute Error

In [25]: `round(metrics.median_absolute_error(y_test, y_pred),2)`

Out[25]: 56.08

##### Explained Variance Score

In [26]: `round(metrics.explained_variance_score(y_test, y_pred),2)`

Out[26]: 0.94

#### OLS Summary Report

```
In [27]: import statsmodels.api as sm
constant = sm.add_constant(x_train)
op = sm.OLS(y_train, constant).fit()
op.summary()
```

Out[27]: OLS Regression Results

Dep. Variable:	price	R-squared:	0.935
Model:	OLS	Adj. R-squared:	0.933
Method:	Least Squares	F-statistic:	553.4
Date:	Mon, 23 Jan 2023	Prob (F-statistic):	2.04e-46
Time:	17:38:06	Log-Likelihood:	-468.52
No. Observations:	80	AIC:	943.0
Df Residuals:	77	BIC:	950.2
Df Model:	2		
Covariance Type:	nonrobust		

	coef	std err	t	P> t	[0.025	0.975]
const	-249.7765	24.830	-10.059	0.000	-299.219	-200.334
observation	855.8957	33.498	25.550	0.000	789.192	922.600
feature	656.4236	31.261	20.998	0.000	594.174	718.673

Omnibus:	33.673	Durbin-Watson:	1.755
Prob(Omnibus):	0.000	Jarque-Bera (JB):	60.429
Skew:	1.656	Prob(JB):	7.55e-14
Kurtosis:	5.675	Cond. No.	5.16

Notes:  
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
In [28]: # From above report we can see that R-squared value is 0.935 .
```

```
In [29]: # Now we will build model using Polynomial Regression
```

### Polynomial Regression Model Building

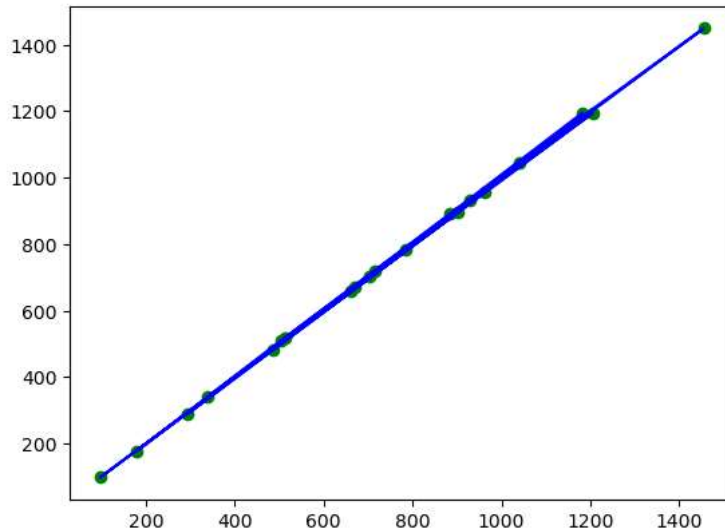
```
In [30]: from sklearn.preprocessing import PolynomialFeatures
model = PolynomialFeatures(degree=3)
x_poly = model.fit_transform(x_train)
lg = LinearRegression()
lg.fit(x_poly, y_train)
```

Out[30]: LinearRegression()

```
In [31]: y_pred1 = lg.predict(model.fit_transform(x_test))
y_pred1
```

Out[31]: array([ 716.52240373, 704.37562725, 97.24650833, 1204.76400021,  
669.68357104, 1455.2008966 , 1040.15954211, 785.86534227,  
178.57434028, 504.97788554, 929.36965021, 339.75359125,  
486.26458087, 902.35416128, 659.78240988, 294.35425077,  
962.79883875, 512.84840805, 884.0971578 , 1181.89303059])

```
In [32]: # We will see it on scatter plot
plt.scatter(y_pred1, y_test, color = 'green')
plt.plot(y_pred1, y_test, color='blue')
plt.show()
```



```
In [33]: metrics.r2_score(y_test, y_pred1)
```

```
Out[33]: 0.9997458144373799
```

```
In [ ]:
```

## Conclusion

Here i have build two different models . One using Multiple Regression and Second using Polynomial Regression. From this two model i can conclude that Polynomial Regression model is more accurate tahn Multiple linear regression model

```
In [ ]:
```