

Signature (1/2)

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Class: SS 21

Roll No: 10

Subject: SS LAB

DDP

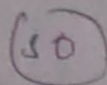
DDA

Remarks

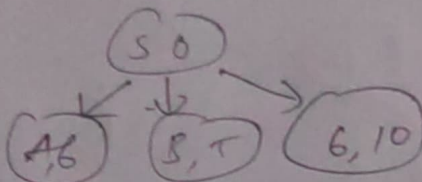
Sign

Q1]  
1.1]

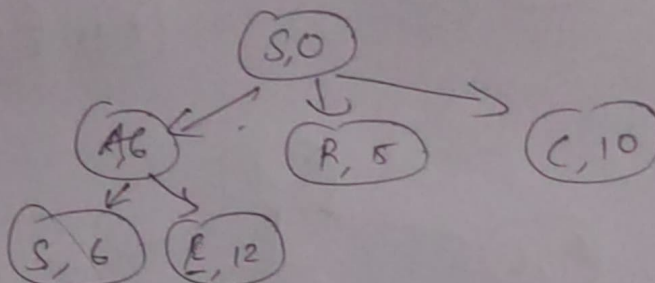
→ step 0:



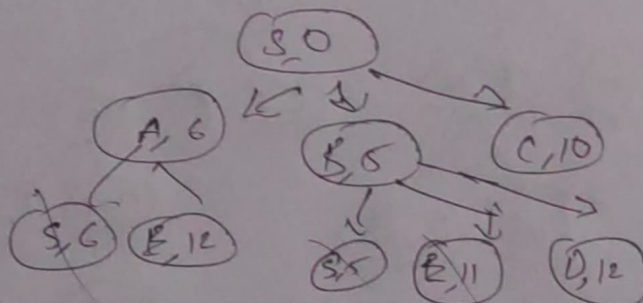
step 1:



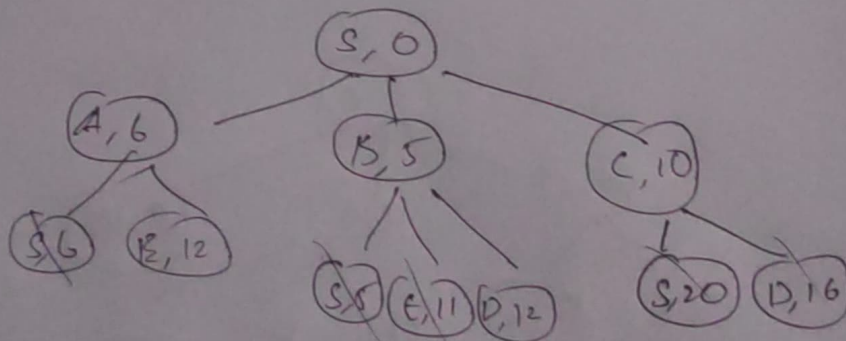
step 2:



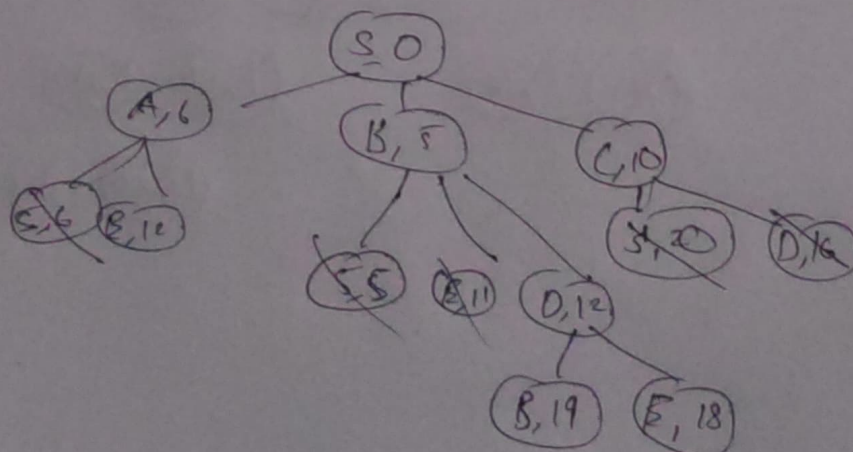
step 3:



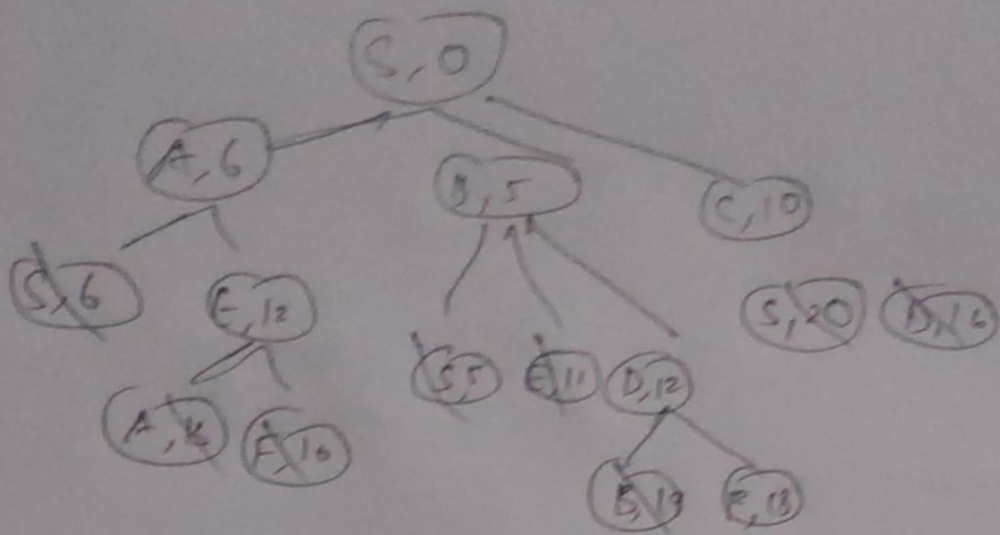
step 4:



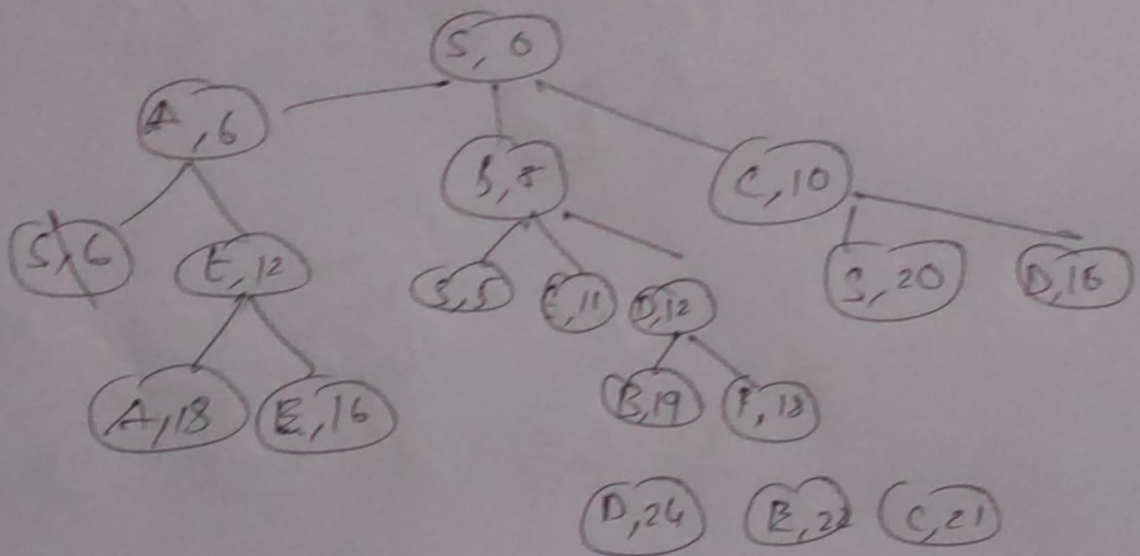
step 5:



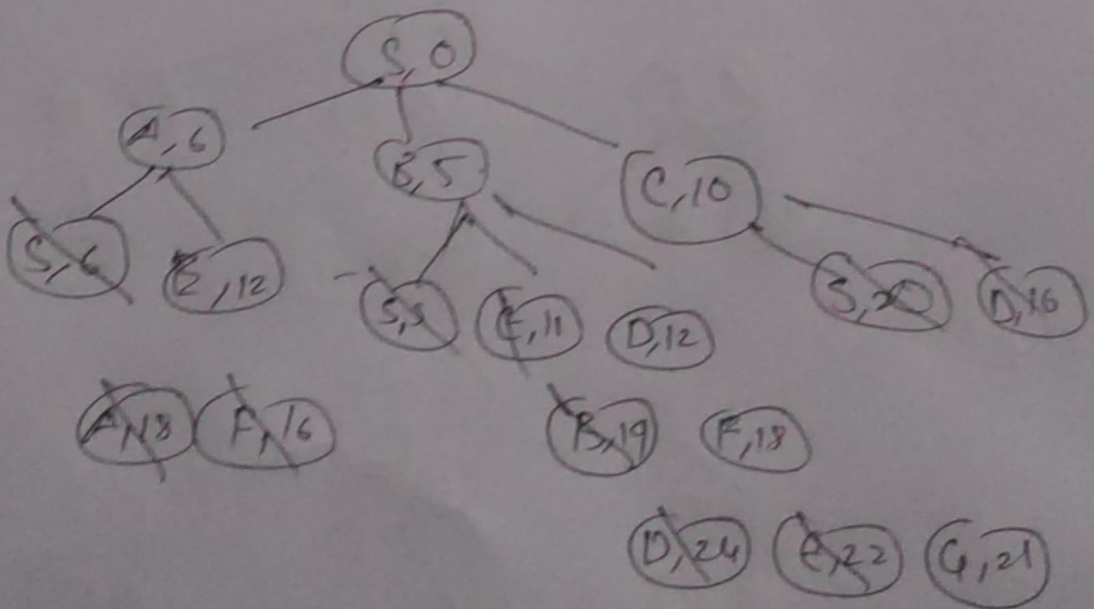
Step 6:



Step 7:



Step 8:

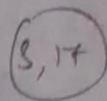




1.4]

→ Initialization: compute  $f$  score for  $S$  & put it in the open list

P-score  $S$ :  $f(S) = h(S) = 17$



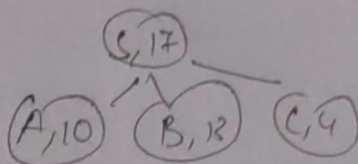
Step 1:

P-score of Successor

$$f(A) = h(A) = 10$$

$$f(B) = h(B) = 13$$

$$f(C) = h(C) = 4$$

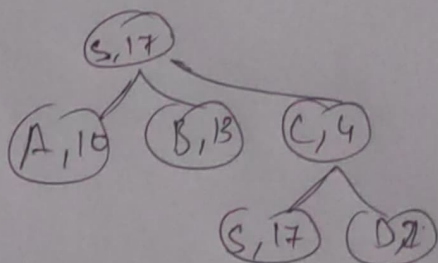


Step 2:

P-score of Successor

$$f(S) = h(S) = 17$$

$$f(D) = h(D) = 2$$



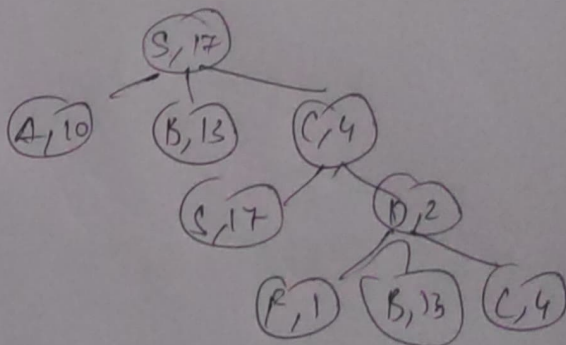
Step 3:

P-score of Successor

$$f(C) = h(C) = 4$$

$$f(B) = h(B) = 13$$

$$f(E) = h(E) = 1$$



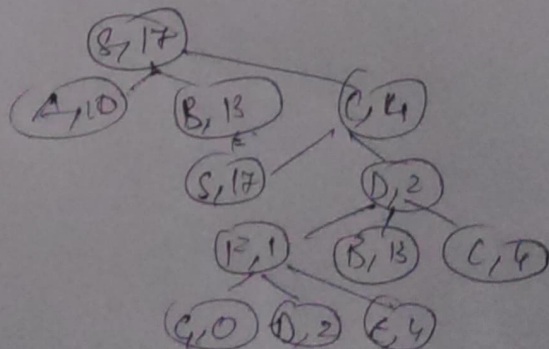
Step 4:

P-score of Successor

$$f(D) = h(D) = 2$$

$$f(E) = h(E) = 1$$

$$f(F) = h(F) = 0$$

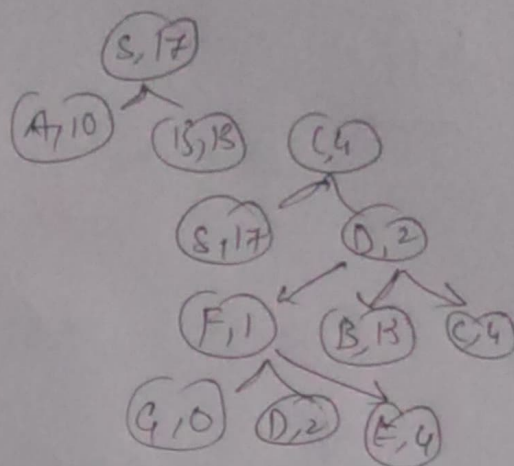


Step 5:

gm is :-

$S \rightarrow C \rightarrow D \rightarrow F \rightarrow G$  with

$$\text{Bot}^n \text{ wt: } 10 + 6 + 6 + 3 \\ = 25$$



Q 2)

a)

→ The lowest path cost  $g(n)$  can be the cost to reach the goal configural. in least steps.

In our case, we can reach the final configural in at least 4 moves. up, up, LEFT, LEFT. Since all moves are equally costly we compute  $g(n)$  as,

$$g(n) = 1 + 1 + 1 + 1$$

$$g(n) = 4$$

Consider the following 8 puzzle instance.

$$\begin{array}{|c|c|c|} \hline 8 & 7 & 6 \\ \hline 2 & 1 & 5 \\ \hline - & 3 & 4 \\ \hline \end{array}$$

Sol<sup>n</sup> can be represented as:

$$\begin{aligned} & \langle 8, 7, 6 \rangle \langle 2, 1, 5 \rangle \langle 3, 4, - \rangle \rightarrow \langle 8, 7, 6 \rangle \langle 2, 1, 5 \rangle \langle 3, -, 4 \rangle \rightarrow \\ & \langle 8, 7, 6 \rangle \langle 2, 1, 5 \rangle \langle 3, 4, - \rangle \rightarrow \langle 8, 7, 6 \rangle \langle 2, 1, - \rangle \langle 3, 4, 5 \rangle \rightarrow \\ & \langle 8, 7, - \rangle \langle 2, 1, 5 \rangle \langle 3, 4, 5 \rangle \rightarrow \langle 8, -, 7 \rangle \langle 2, 1, 6 \rangle \langle 3, 4, 5 \rangle \rightarrow \\ & \langle 1, 8, 7 \rangle \langle 2, 1, 6 \rangle \langle 3, 4, 5 \rangle \end{aligned}$$

Since all the moves are equally costly the cost would be.

$$g(n) = 6$$



c].  
→

8	7	6
2	1	5
3	4	-

Initial config.

Left /

8	7	6
2	1	5
3	-	4

↘

8	7	6
2	1	-
3	4	5

Left ↙

up ↓

right ↘

up ↓

left ↙

down ↓

8	7	6
2	1	5
-	3	4

8	7	6
2	-	5
3	1	4

8	7	6
2	1	5
3	4	-

8	7	6
2	-	1
3	4	5

8	7	6
8	-	1
3	4	5

8	7	6
2	1	5
3	4	-

left ↙

down ↓

8	-	7
2	1	6
3	4	5

8	7	6
2	1	-
3	4	5

left ↙

down ↓

right ↘

-	8	7
2	1	6
3	4	5

8	1	7
2	-	6
3	4	5

8	7	-
2	1	6
3	4	5

final config.

c)  
→

For  $i=1$ ,  $n = \text{initial state}$ .

$h_1(\text{initial}) = \text{misplaced tiles count except space}$

$$h_2(\text{initial}) = 4.$$

$n = \text{Goal state}$

$$h_1(\text{Goal}) = 0$$

For  $i=2$ ,  $n = \text{initial state}$ .

$h_1(\text{initial}) = \text{currently explored tiles count except space}$

$$h_2(\text{initial}) = 4.$$

$n = \text{Goal state}$

$$h_2(\text{Goal}) = 0.$$

For  $i=2$ ,  $n = \text{initial state}$ .

$h_2(\text{initial}) = \text{currently explored tiles count except space}$

$$h_2(\text{initial}) = 4$$

For  $n = \text{Goal state}$

$$h_2(\text{Goal}) = 8$$

For  $i=3$ ,  $n = \text{initial state}$

$h_3(\text{initial}) = \text{sum of manhattan dist between current \& current position of all tiles except space}$

$$h_3(\text{initial}) = 0 + 0 + 0 + 0 + 1 + 1 + 1 + 1$$

For  $n = \text{Goal state}$

$$h_3(\text{Goal}) = 0.$$