

Hello Everyone

Course Code : CSE201

Course Title : Data Structure

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Quick Sort

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Introduction to Sort

- ❑ Sorting is one of the most basic functions applied to data.
- ❑ Sorting is a technique that is implemented to arrange the data in a specific order.
- ❑ It means arranging the data in a particular fashion, which can be increasing or decreasing.
- ❑ Sorting is required to ensure that the data which we use is in a particular order so that we can easily retrieve the required piece of information from the pile of data.
- ❑ If the data is unkempt and unsorted, when we want a particular piece of information, then we will have to search it one by one every time to retrieve the data.

What is Quick Sort?

- Quick sort is a highly efficient sorting algorithm and is based on partitioning of array of data into smaller arrays.
- A large array is partitioned into two arrays one of which holds values smaller than the specified value, say pivot, based on which the partition is made and another array holds values greater than the pivot value.
- Quicksort partitions an array and then calls itself recursively twice to sort the two resulting subarrays.

Algorithm Explain

Step 1 – Choose the highest index value has pivot

Step 2 – Take two variables to point left and right of the list excluding pivot

Step 3 – left points to the low index

Step 4 – right points to the high

Step 5 – while value at left is less than pivot move right

Step 6 – while value at right is greater than pivot move left

Step 7 – if both step 5 and step 6 does not match swap left and right

Step 8 – if $\text{left} \geq \text{right}$, the point where they met is new pivot

Example of Quick Sort

If primary array is :

| | | | |
|---|---|---|---|
| 3 | 2 | 5 | 4 |
|---|---|---|---|

Sorting By Ascending Order :

| | | | |
|---|---|---|---|
| 2 | 3 | 4 | 5 |
|---|---|---|---|

Sorting By descending Order :

| | | | |
|---|---|---|---|
| 5 | 4 | 3 | 2 |
|---|---|---|---|

Example Explain

Step 1:

pivot=3, right=4

pivot < right, right shift



Step 2:

pivot=3, right=5

pivot < right, right shift



Step 3:

pivot=3, right=2

pivot > right, swap(pivot, right)



Example Explain

Step 4:

pivot=3, left=2

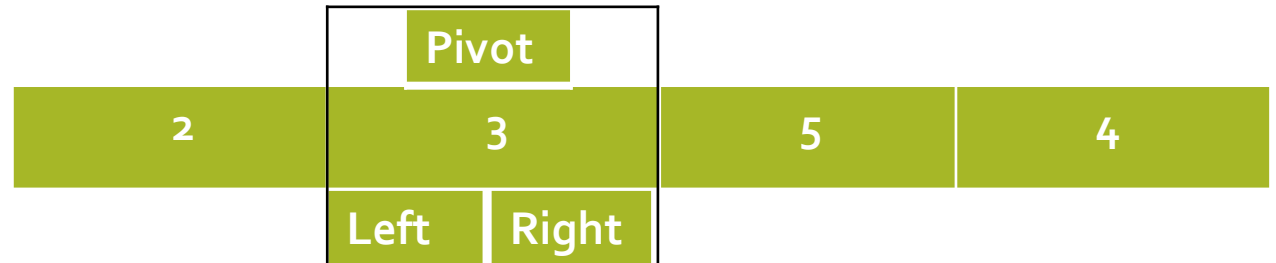
pivot > left, left shift



Step 5:

pivot=left=right=3

So 3 is sorted



Step 6:

pivot=left=right=2

So 2 is fixed



Example Explain

Step 7:

pivot=5, right=4

pivot > right, swap(pivot, right)



Step 8:

pivot=5, left=4

pivot > left, left shift



Step 9:

pivot=left=right=5

So 5 is sorted

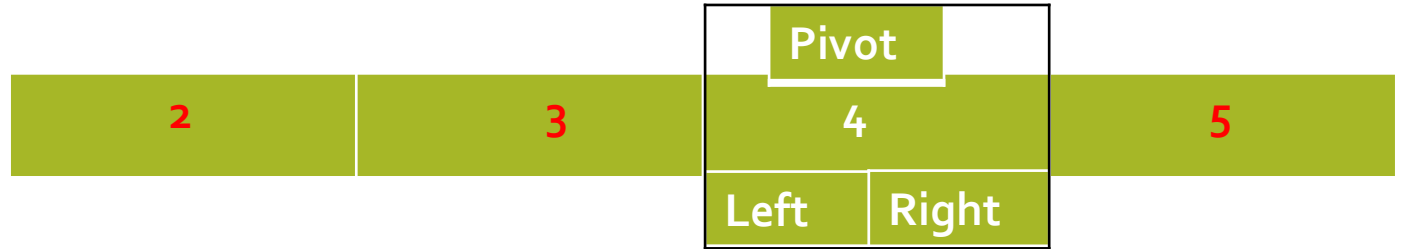


Example Explain

Step 10:

pivot=left=right=4

So 4 is sorted



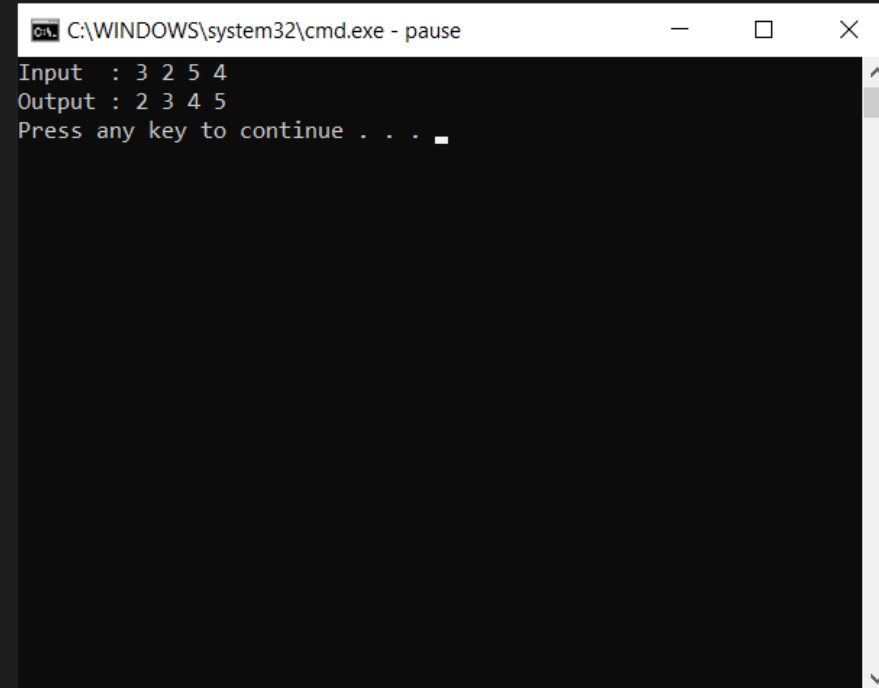
Step 11:

Array is sorted



Pseudo Code

```
86
87 int partition (int arr[], int low, int high){
88     int i,j,pivot;
89
90     pivot = arr[high];    // pivot
91     i = (low - 1);  // Index of smaller element
92
93     for (j = low; j <= high- 1; j++){
94         if (arr[j] <= pivot)
95         {
96             i++;    // increment index of smaller element
97             swap(arr[i], arr[j]);
98         }
99     }
100     swap(arr[i + 1], arr[high]);
101
102     return (i + 1);
103 }
104
105 void quickSort(int arr[], int low, int high)
106 {
107     int pi;
108     if (low < high)
109     {
110         pi = partition(arr, low, high);
111         quickSort(arr, low, pi - 1);
112         quickSort(arr, pi + 1, high);
113     }
114 }
115
116 int main()
117 {
```



```
C:\WINDOWS\system32\cmd.exe - pause
Input  : 3 2 5 4
Output : 2 3 4 5
Press any key to continue . . .
```

Complexity

Best case :

- The best-case occurs the algorithm is conducted in such a way that always the median element is selected as the pivot and thus reduces the complexity.
- The following time is taken for the best case.

$$T(n)=2T(n/2)+n;$$

- The solution of the above recurrence is $O(n \log n)$.
- It can be solved using Master Theorem.
- So the best case of this algorithm is $n \log n$ where n is the size the array.

Complexity

Worst Case :

- The proposed algorithm gives a better running time than a classical quick sort algorithm.
- In this case, we go for a manual sort where we compare two elements normally.
- There might be a situation where a worst-case partitioning will be required.
- Thus, the time taken for the proposed algorithm is:

$$T(n)=T(8n/10)+T(2n/10)+cn$$

- The total time taken becomes $O(n\log n)$.

Advantages of Quick Sort

- ✓ It is in-place since it uses only a small auxiliary stack.
- ✓ It requires only $n (\log n)$ time to **sort** n items.
- ✓ It has an extremely short inner loop.
- ✓ This algorithm has been subjected to a thorough mathematical analysis, a very precise statement can be made about performance issues.

Disadvantages of Quick Sort

- ✓ It is recursive. Especially, if recursion is not available, the implementation is extremely complicated.
- ✓ It requires quadratic (i.e., n^2) time in the worst-case.
- ✓ It is fragile, i.e. a simple mistake in the implementation can go unnoticed and cause it to perform badly.

Conclusion

- ❖ **Quicksort** turns out to be the fastest **sorting** algorithm in practice.
- ❖ It has a time complexity of $\Theta(n \log(n))$ on the average.
- ❖ However, in the (very rare) worst case **quicksort** is as slow as Bubblesort, namely in $\Theta(n^2)$.

Thank You