

DATS 6202  
Machine Learning I  
Dr. Amir Jafari

*Group 10 Final Report on  
Maryland Property Data*

by  
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**Introduction:** The project aspired to approximate the consideration of residential properties in Montgomery County, Maryland. To this extent, an appropriate exploratory data analysis (EDA), feature selection, and modeling were created to properly approximate these residential considerations. Lastly, two extra sections were devised: use cases and limitations; to properly interpret the practicality and handicaps of the modeling results. The work was done solely by me with some assistance from outside sources that are cited. The reason behind choosing this topic was to challenge the conception behind the article *Getting Ahead of the Market: How Big Data Is Transforming Real Estate* by McKinsey & Company where non-traditional features were shown to explain roughly 60% of the variation in the predictive power (App. 1) Therefore, my goal is to attempt to answer this question: Can we successfully approximate consideration prices of residential properties from Montgomery County, Maryland **only using traditional features?**

**Description of the dataset:** The public data was gathered from the Maryland State Department of Assessments and Taxation (SDAT) and contains roughly 2.4 million properties in the state of Maryland, and was last updated on January 7, 2023. The dataset also contains 134 features describing each property parcel (64 numeric - 70 categorical) The subset of the dataset we are interested in, 'Land usage' residential and 'County' Montgomery County, contains roughly 145,000 residential properties (App. 2)

**Description of the machine learning network and training algorithm or other algorithms that you used:** I developed a Statsmodels OLS regression model, Scikit-Learn's Random Forest regression models with different 'max\_depths', a "homemade" multilayer perceptron regression model with different amounts of neurons in the hidden layer, and a Scikit-Learn multilayer perceptron regression model with also different hidden layer sizes.

**Theoretical description experimental setup:** I am going to use the data from the best features from the EDA and Feature Selection process to pass them through Scikit-Learn's 'train\_test\_split' function, and pre-process them using Scikit-Learn's 'QuantileTransformation' function to properly fit the models (App. 3 & 4) I will train the machine learning algorithm on the 'X\_train' and 'Y\_train' variables, to then produce predictions and a  $R^2$  score from 'X\_test' and 'Y\_test', respectively. Then, I will judge the performance of each machine learning model from the  $R^2$  score, mean squared error along with a 95% confidence interval and using the loss\_curve method.

**Actual description experimental setup:** The linear regression model from statsmodels yielded an  $R^2$  score of 0.836, and as for the Random Forest regression model with "max\_depth" 2 had 0.6712, 3 had 0.7734, 4 had 0.8161, 6 had 0.8476, and 10 had 0.8503 (App. 5) These scores were compared with the neural networks models as "benchmarks". As for the "homemade" multilayer perceptron the different  $R^2$  scores were: 2 neurons hidden layer 0.8377, 3 neurons hidden layer 0.8482, 6 neurons hidden layer 0.8495, 10 neurons hidden layer 0.8504, and 100 neurons hidden layer 0.8469 (App. 6) The "homemade" neural network appears to outperform the linear regression with just 2 neurons and the Random Forest regressor with its best model: 10 neurons. As for Scikit-Learn's multilayer perceptron the results were: 2 neurons hidden layer 0.8447, 3 neurons hidden layer 0.8502, 6 neurons hidden layer 0.8504, 10 neurons hidden layer 0.8506, and 100 neurons hidden layer 0.8430 (App. 7) Once again, the model outperformed both

benchmarks and the “homemade” neural network with 10 neurons, which makes it the best model to approximate consideration prices.

**Results:** From the various models that were implemented, I was able to successfully capture 85% of the variance in the prices of consideration, or a 0.85  $R^2$  score, by using Scikit-Learn’s multilayer perceptron regression model with a structure of 2-100-1. Additionally, the mean squared error with 95% confidence interval for this model was of  $0.15 \pm 0.01$ , and the error of the post-processed model with 95% confidence interval was of approximately  $16,000\$ \pm 4,000\$$  (App. 8)

### **Summary and conclusions:**

- From the EDA: Distributions were highly-right skewed. On average consideration is higher when residences are close to Washington D.C.
- From the Feature Selection: Best model would include all variables, but to avoid collinearity only “Land value” and “Land improvements” should be used.
- From the Modeling: Scikit-learn MLPRegressor can predict approximately 85% of the variance in consideration.

### **Limitations:**

- Lots of redundant Id’s, geographical and boolean features.
- Lack of traditional features (e.g. amount of bedrooms, historical values)
- Lack of reproducibility (e.g. the analysis will work for Maryland however it will not work for Massachusetts)
- The definition of consideration: the value expected by the owner of a property.

### **References:**

#### 1. Motivation:

Asaftei, Gabriel Morgan, et al. “Getting Ahead of the Market: How Big Data Is Transforming Real Estate.” *McKinsey & Company*, McKinsey & Company, 8 Oct. 2018, <https://www.mckinsey.com/industries/real-estate/our-insights/getting-ahead-of-the-market-how-big-data-is-transforming-real-estate>.

#### 2. Dataset & S.M.A.R.T. Question:

<https://hub.arcgis.com/datasets/maryland::maryland-property-data-parcel-points/about>

#### 3. EDA & Models:

ChatGPT. (2023, April 14)

#### 4. Feature Selection:

Harrison, Matt. *Machine Learning Pocket Reference: Working with Structured Data in Python*. O'Reilly Media, Inc., 2019.

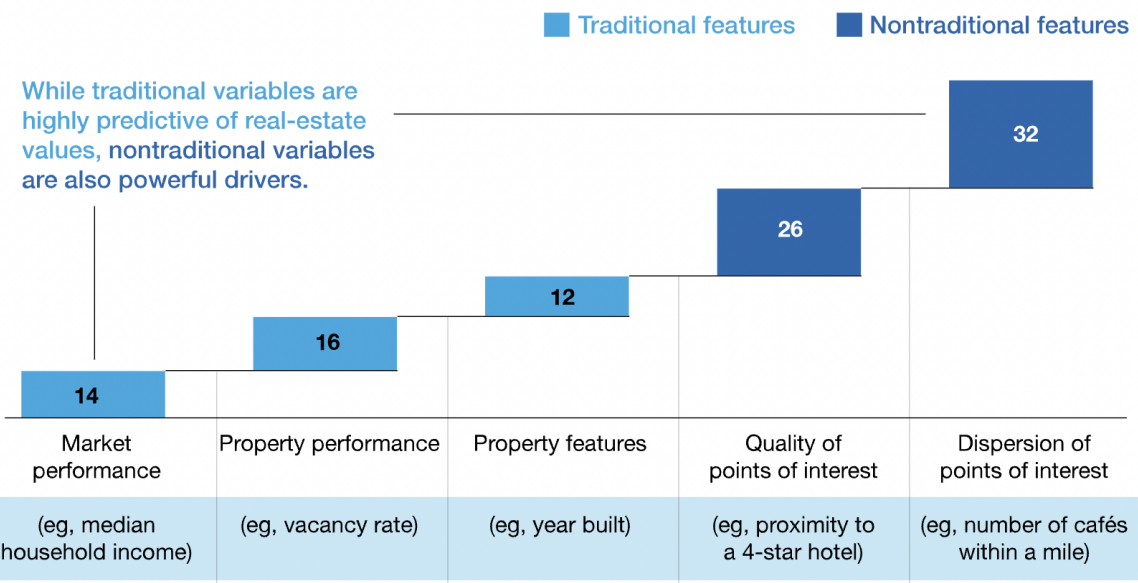
Appendix:

(App. 1)

Exhibit 1

Nearly 60 percent of predictive power can come from nontraditional variables.

Proportion of predictive power, % share



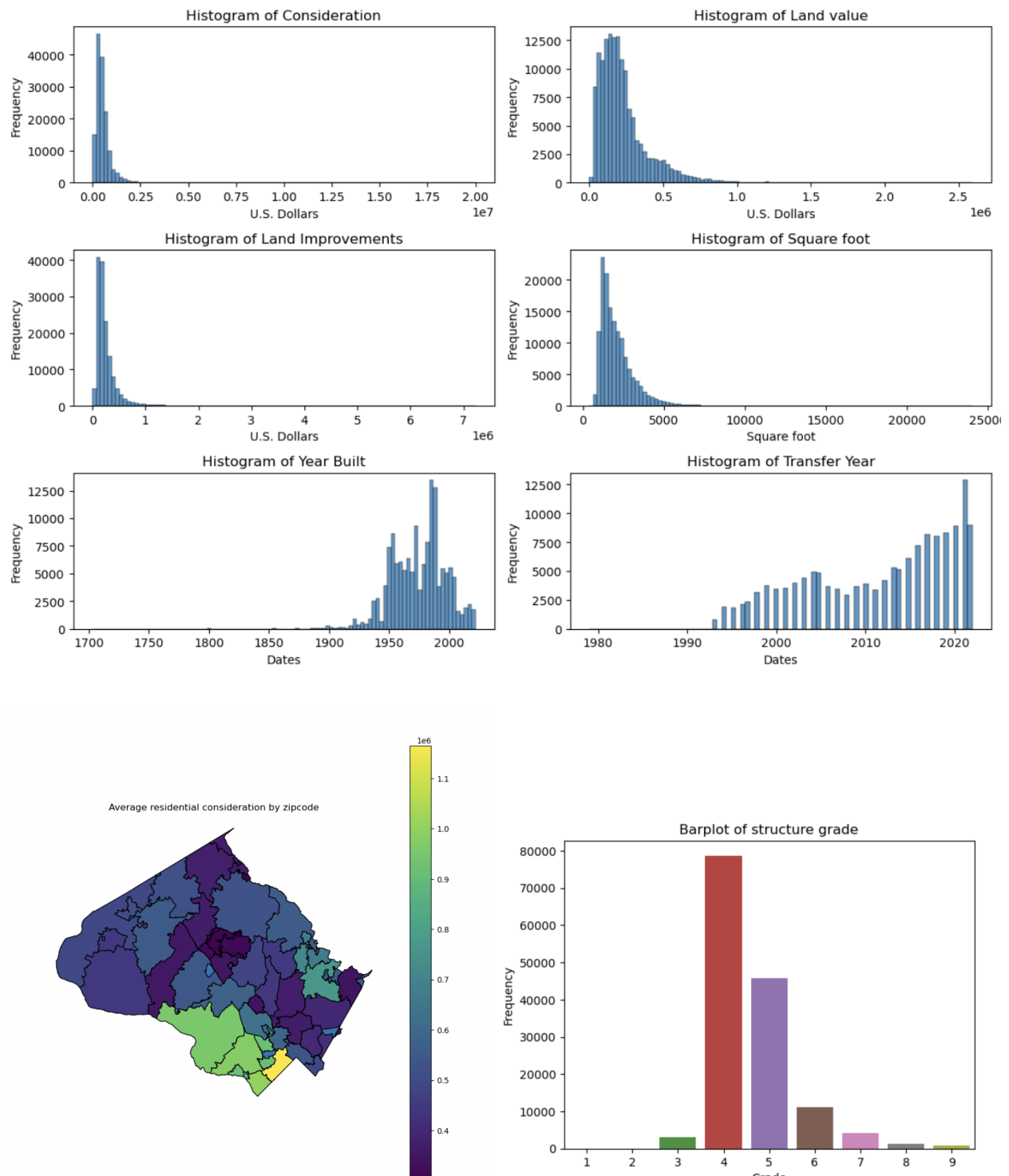
McKinsey&Company

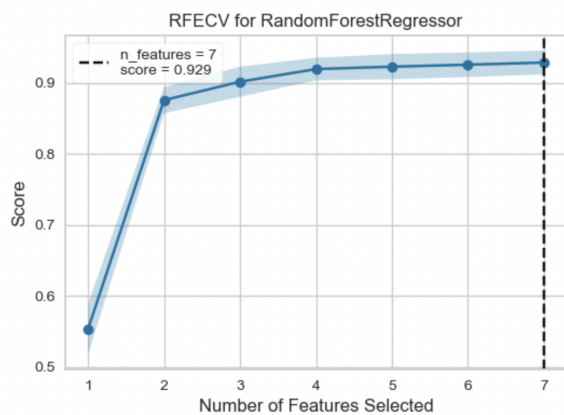
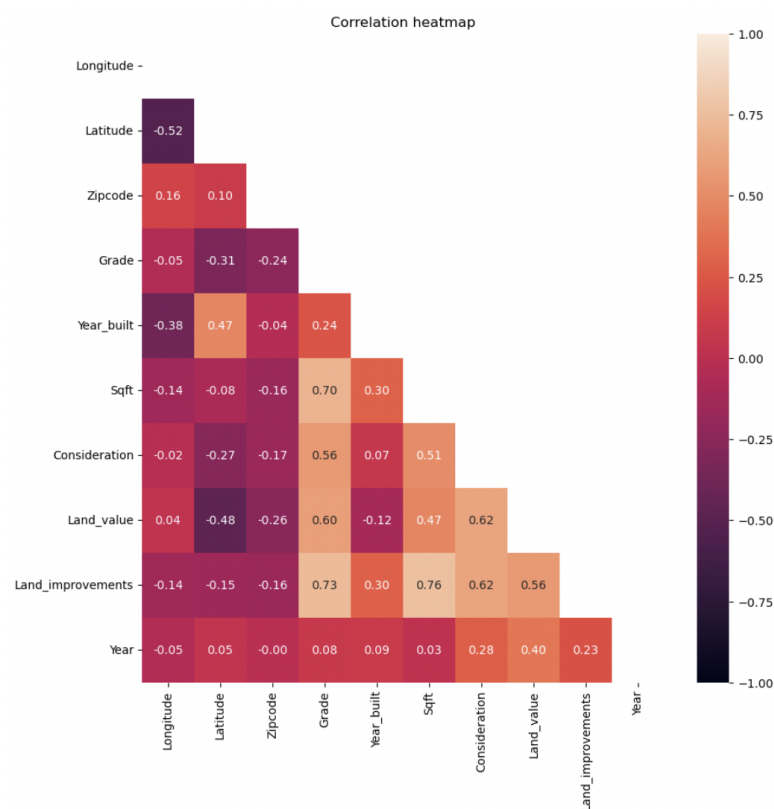
(App. 2)

	Id	Longitude	Latitude	Address	Zipcode	Grade	Year_built	Sqft	Trade_date	Consideration	Land_value
588336	160100000033	-77.168495	39.207629	21411 WOODFIELD RD	20882.0	3.0	1936.0	1064.0	20190702.0	260000.0	231200.0
588338	160100000066	-77.166819	39.207889	8120 BRINK RD	20882.0	2.0	1923.0	864.0	20190815.0	100000.0	174700.0
588342	160100000113	-77.178153	39.198018	8615 LOHAVEN DR	20882.0	5.0	1840.0	2968.0	19931220.0	355000.0	120970.0
588343	160100000124	-77.141826	39.200285	6934 WARFIELD RD	20882.0	4.0	1978.0	1896.0	20180509.0	475000.0	244800.0
588349	160100000204	-77.122566	39.257719	24501 HIPSLEY MILL RD	20882.0	4.0	1913.0	2552.0	20170516.0	525000.0	201500.0
...	...	...	...	...	...	...	...	...	...	...	...
934877	161303841203	-77.070689	39.029270	10543 SAINT PAUL ST	20895.0	6.0	1893.0	2209.0	20200506.0	855000.0	498100.0
934879	161303841794	-77.078684	39.025855	10311 DETRICK AVE	20895.0	5.0	1951.0	1549.0	20200602.0	760000.0	508800.0
934883	161303842446	-77.071083	39.020108	10031 FREDERICK AVE	20895.0	7.0	2020.0	2674.0	20210419.0	1598500.0	486700.0
934967	161303856077	-77.034956	39.081966	13837 ALDERTON RD	20906.0	6.0	2021.0	2964.0	20220407.0	823480.0	169300.0
934975	161303856157	-77.036462	39.080937	13708 ALDERTON RD	20906.0	6.0	2021.0	2964.0	20220407.0	811066.0	160500.0

145133 rows x 11 columns

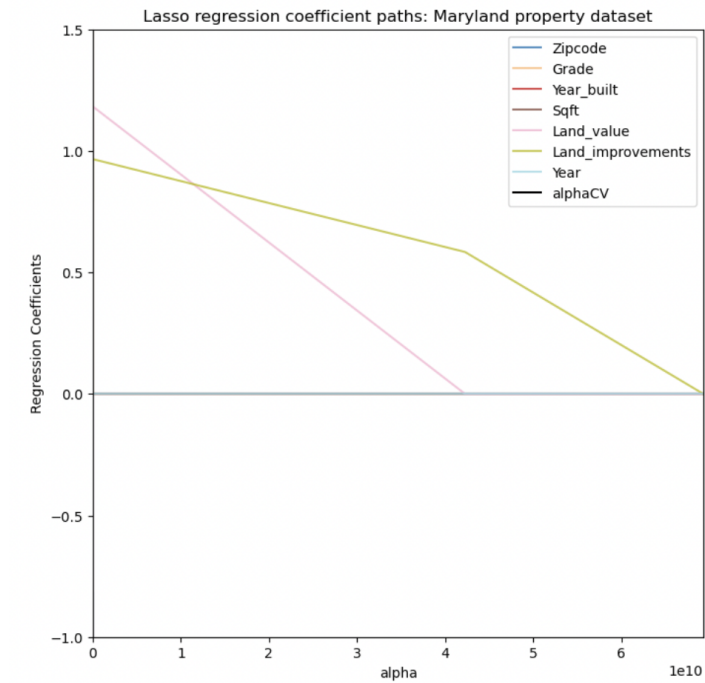
(App. 3)





```
top_features
✓ 0.0s
Index(['Land_improvements', 'Land_value', 'Grade', 'Year'], dtype='o')
```

```
top_features
✓ 0.0s
Index(['Land_improvements', 'Land_value'], dtype='object')
```



Initial conditional number: 765411.58

Conditional number without regressor `Zipcode`: 759817.36  
Decrease in conditional number: 5594.22

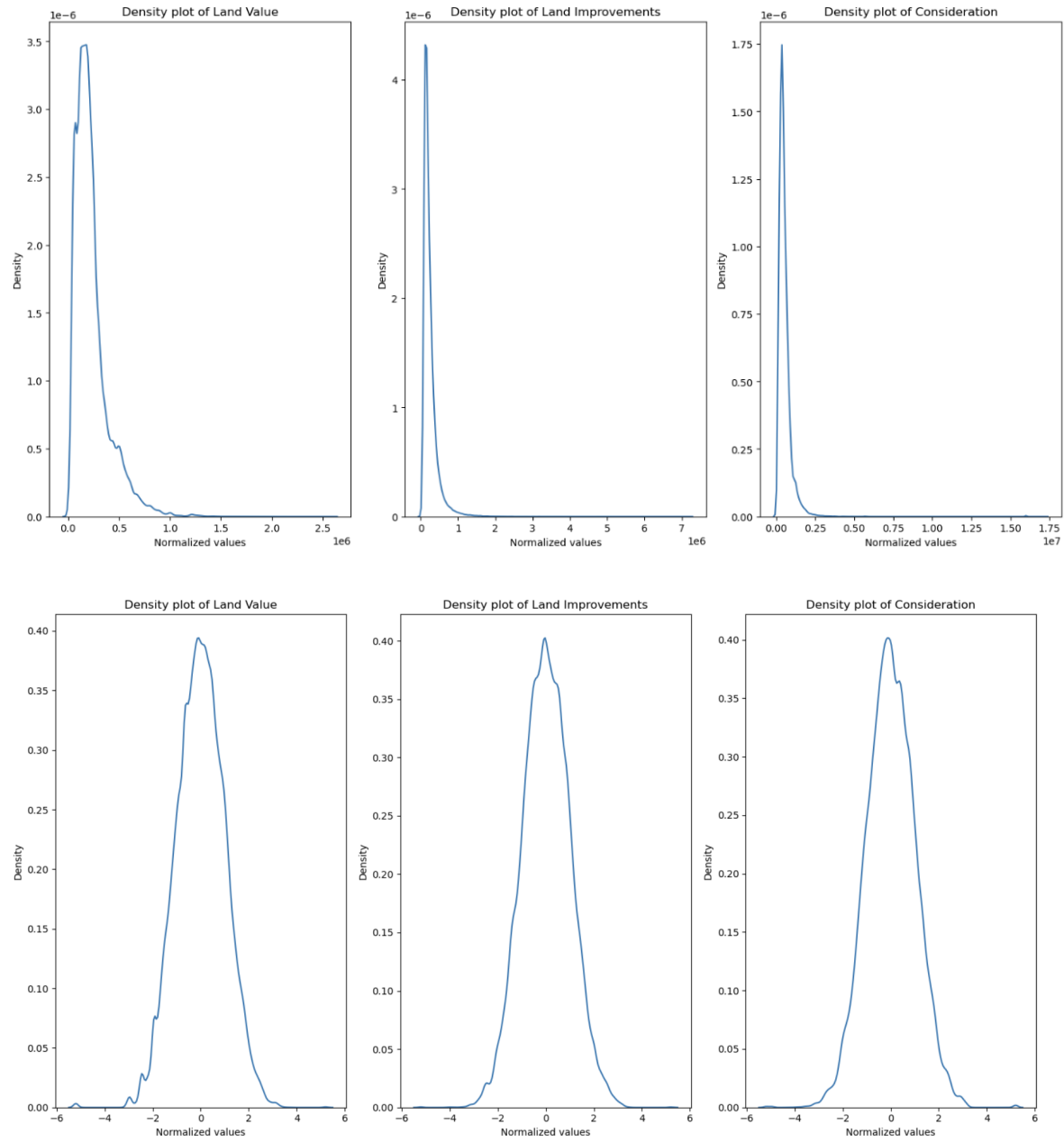
Conditional number without regressor `Grade`: 30342.73  
Decrease in conditional number: 729474.63

Conditional number without regressor `Year\_built`: 724.26  
Decrease in conditional number: 29618.47

Conditional number without regressor `Sqft`: 360.23  
Decrease in conditional number: 364.03

Conditional number without regressor `Year`: 3.29  
Decrease in conditional number: 356.94

(App. 4)





(App. 5)

OLS Regression Results						
=====						
Dep. Variable:	y	R-squared:	0.836			
Model:	OLS	Adj. R-squared:	0.836			
Method:	Least Squares	F-statistic:	2.959e+05			
Date:	Sun, 30 Apr 2023	Prob (F-statistic):	0.00			
Time:	16:56:46	Log-Likelihood:	-61575.			
No. Observations:	116106	AIC:	1.232e+05			
Df Residuals:	116103	BIC:	1.232e+05			
Df Model:	2					
Covariance Type:	nonrobust					
=====						
	coef	std err	t	P> t	[0.025	0.975]
-----						
const	0.0029	0.001	2.370	0.018	0.000	0.005
x1	0.5447	0.002	362.557	0.000	0.542	0.548
x2	0.4903	0.001	330.051	0.000	0.487	0.493
=====						
Omnibus:	40698.761	Durbin-Watson:	1.989			
Prob(Omnibus):	0.000	Jarque-Bera (JB):	7769026.670			
Skew:	-0.523	Prob(JB):	0.00			
Kurtosis:	43.060	Cond. No.	1.98			
=====						

Max_depth	2	3	4	6	<b>10</b>
R <sup>2</sup>	0.6712	0.7734	0.8161	0.8476	<b>0.8503</b>

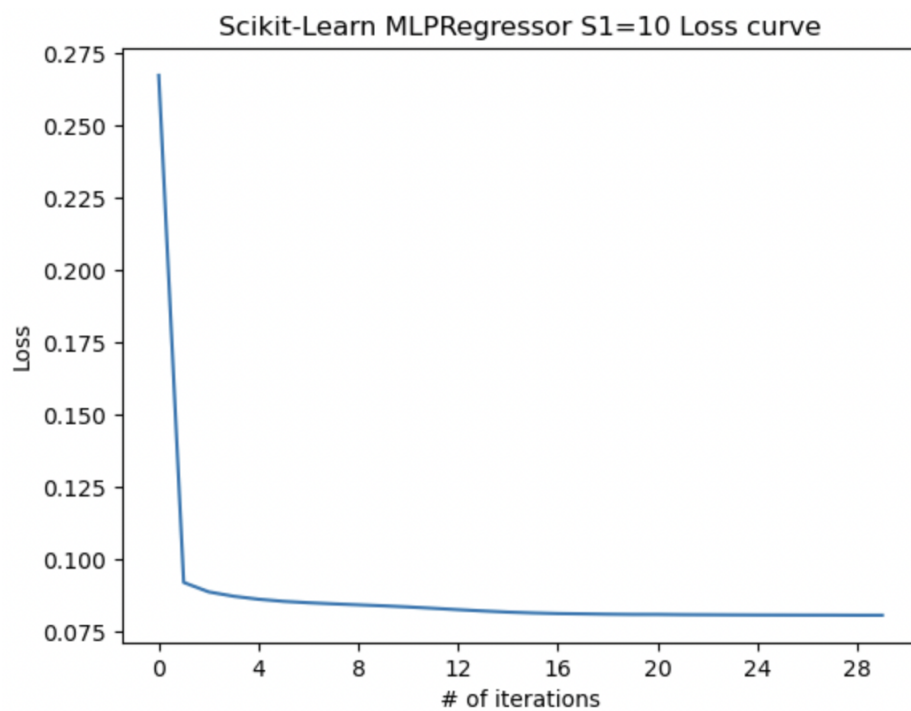
(App. 6)

# of Neurons	2	3	6	<b>10</b>	100
R <sup>2</sup>	0.8377	0.8482	0.8495	<b>0.8504</b>	0.8469

(App. 7)

# of Neurons	2	3	6	<b>10</b>	100
R <sup>2</sup>	0.8447	0.8502	0.8504	<b>0.8506</b>	0.8430

(App. 8)



```
Mean error_sq: 0.15  
Upper confidence: 0.16  
Lower confidence: 0.14
```

```
Mean error: 16379.23$  
Upper confidence: 20373.81$  
Lower confidence: 12384.65$
```