

# Classical Physics

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## ❖ Lecture 1 (1/21)

### 1.1 Introduction

Maxwell-Boltzmann statistics is used to find the energy distribution of molecules in an Ideal Gas. Since quantization of energy due to translational motion is very less and the number of molecules  $N$  is very large, it is reasonable to consider a continuous distribution instead of discrete where energy of each molecule is added up.

### 1.2 Main:

To get the distribution, we must first find the number of molecules that have the energy in the range  $E$  and  $E+dE$  (I'm using  $E$  instead of the symbol  $\epsilon$  used as I don't know what it is, tell me if you do.)

$$n(E)d(E)$$

And to find this, we must know that number of states that have energy between  $E$  and  $E+dE$

$$g(E)d(E)$$

We'll use momentum to do so,

$$p = \sqrt{2mE} = \sqrt{(p_x)^2 + (p_y)^2 + (p_z)^2}$$

Consider a momentum space with axes  $p_x, p_y, p_z$

The number of states with the momentum between  $p$  and  $p+dp$  is equivalent to volume of a sphericla shell of radius  $p$  and thickness  $dp$ . Since the formula for volume is  $4\pi p^2 dp$  (derivative of volume of sphere),

$$g(p)dp = Bp^2 dp$$

Where  $B$  is a constant, and since each momentum magnitude corresponds to a single energy state,

$$g(E)dE = Bp^2 dp$$

since  $p^2 = 2mE$  and  $dp = \frac{mdE}{\sqrt{2mE}}$

$$g(E)dE = 2m^{3/2}B\sqrt{E}dE$$

## References

[1] Herbert Goldstein *Classical Mechanics*.