Edge Detection

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Picture of Felix vs Edges of Felix

Problem I: Low Contrast

Problem II: Low Contrast

Problem III: Noise

Definition

In Image Processing, an edge can be defined as a set of contiguous pixel positions where an abrupt change of intensity, gray- or color-values occur. Edges represent boundaries between objects and background. Sometimes, the edge-pixel-sequence may be broken due to insufficient intensity difference.(Malay K. Pakhira)

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Requirements

1. color values known
2. picture scale known
3. loaded as pixelmatrix

One dimensional approach

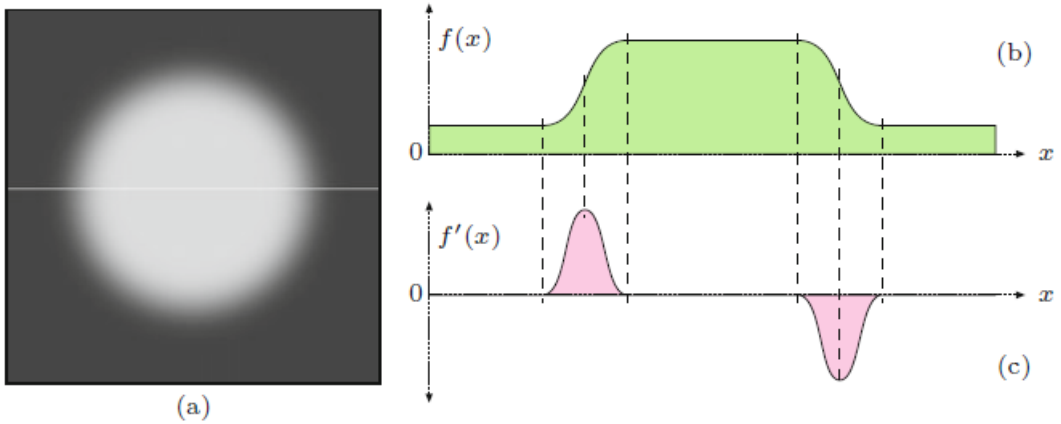


Figure: One dimensional image function and derivation

Only applyable with known, steady functions

Approximating discrete derivation

Problem: the image function is discrete, therefore we need to approximate the derivation

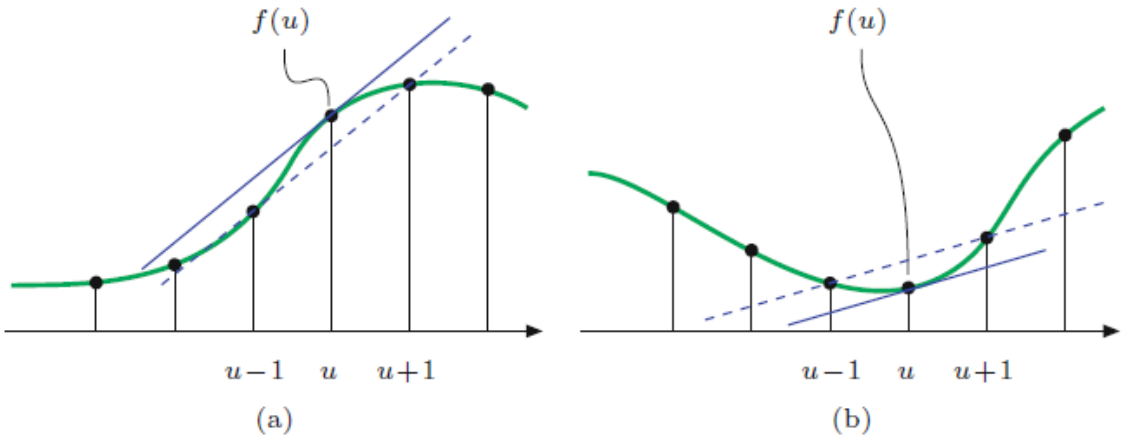


Figure: Approximation of the derivation for discrete imagefunctions

$$\frac{df}{dx}(u) \approx \frac{f(u+1) - f(u-1)}{(u+1) - (u-1)} = \frac{f(u+1) - f(u-1)}{2}$$

Two dimensional approach

If working with full images,we got two dimensions and therefore two partial derivations:

$$I_x = \frac{\partial I}{\partial x}(u,v), I_y = \frac{\partial I}{\partial y}(u,v)$$

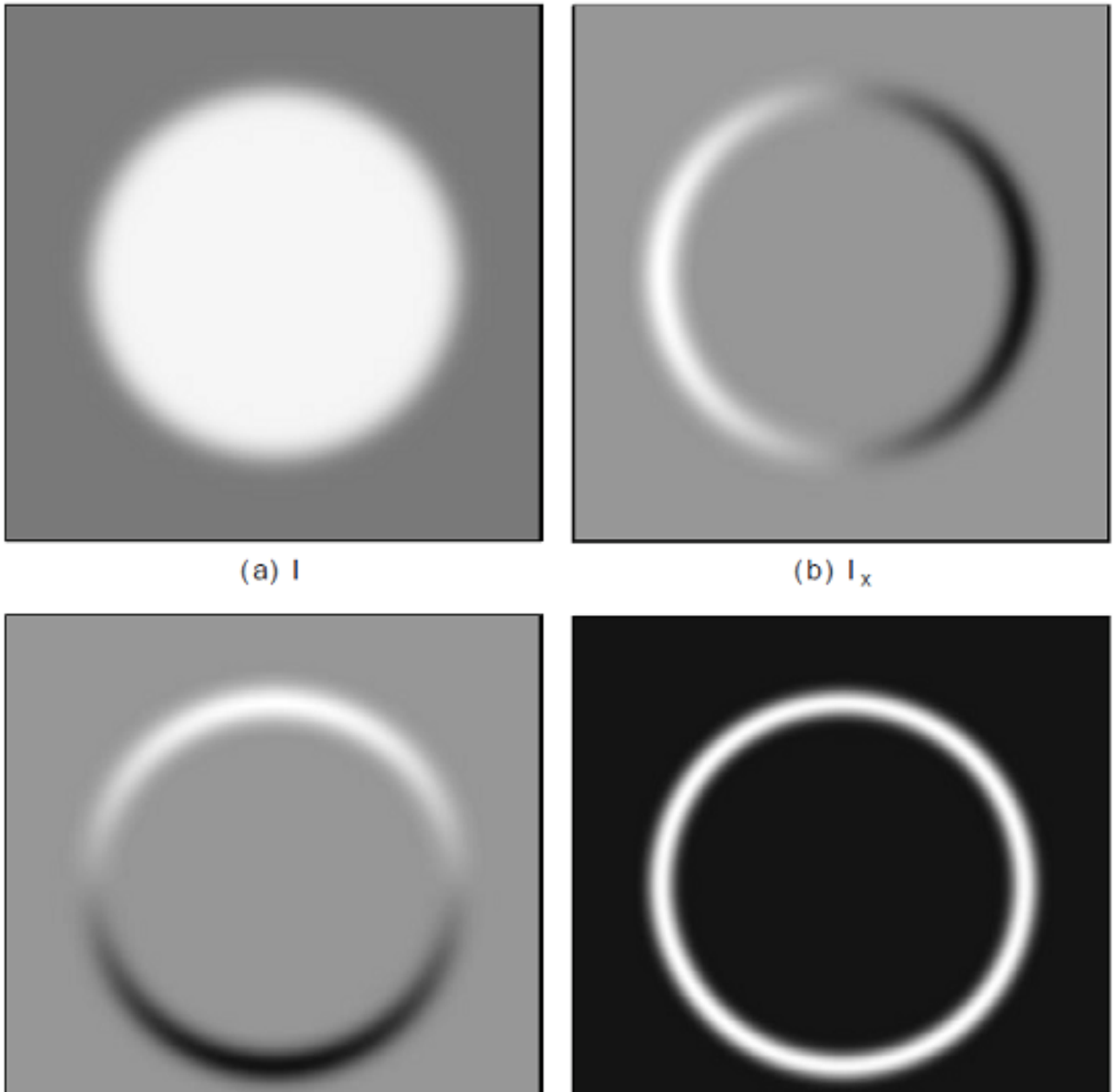
the **gradient** at the point *(u,v)* is

$$\nabla I(u,v) = \begin{pmatrix} I_x(u,v) \\ I_y(u,v) \end{pmatrix}$$

And the **magnitude** is

$$|\nabla I| = \sqrt{I_x^2 + I_y^2}$$

Example



(a) I

(b) I_x

Implementation with filters

Expressing the gradient as a *linear filter* is simple:

$$I_x = \begin{bmatrix} -0.5 & 0 & 0.5 \end{bmatrix} I_y = \begin{bmatrix} -0.5 \\ 0 \\ 0.5 \end{bmatrix}$$

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