- 1. Write a program to perform the following operations:
- a) Insert an element into a binary search tree.
- b) Delete an element from a binary search tree.
- c) Search for a key element in a binary search tree.

```
import java.util.Scanner;
class BinarySearchTree {
class Node {
  int key;
  Node left, right;
  public Node(int item) {
   key = item;
   left = right = null;}}
 Node root;
 BinarySearchTree() {
  root = null;}
void insert(int key) {
  root = insertKey(root, key);}
 int search(int key){
  root = searchkey(root,key);
  if (root == null){
   return 0; }
  else{
   return 1; }}
 Node searchkey(Node root,int key) {
    // Base Cases: root is null or key is present at
    // root
    if (root == null | | root.key == key)
      return root;
    // Key is greater than root's key
    if (root.key < key)
      return searchkey(root.right, key);
    // Key is smaller than root's key
```

```
return searchkey(root.left, key);}
 // Insert key in the tree
 Node insertKey(Node root, int key) {
  // Return a new node if the tree is empty
  if (root == null) {
   root = new Node(key);
   return root; }
  // Traverse to the right place and insert the node
  if (key < root.key)
   root.left = insertKey(root.left, key);
  else if (key > root.key)
   root.right = insertKey(root.right, key);
  return root; }
 void inorder() {
  inorderRec(root); }
 // Inorder Traversal
 void inorderRec(Node root) {
  if (root != null) {
   inorderRec(root.left);
   System.out.print(root.key + " -> ");
   inorderRec(root.right); }}
void deleteKey(int key) {
  root = deleteRec(root, key); }
 Node deleteRec(Node root, int key) {
  // Return if the tree is empty
  if (root == null)
   return root;
// Find the node to be deleted
  if (key < root.key)
   root.left = deleteRec(root.left, key);
  else if (key > root.key)
   root.right = deleteRec(root.right, key);
```

```
else {
  // If the node is with only one child or no child
  if (root.left == null)
   return root.right;
  else if (root.right == null)
   return root.left;
  // If the node has two children
  // Place the inorder successor in position of the node to be deleted
  root.key = minValue(root.right);
  // Delete the inorder successor
  root.right = deleteRec(root.right, root.key); }
 return root;}
// Find the inorder successor
int minValue(Node root) {
 int minv = root.key;
 while (root.left != null) {
  minv = root.left.key;
  root = root.left;}
 return minv; }
public static void main(String[] args) {
 Scanner sc=new Scanner(System.in);
 BinarySearchTree tree = new BinarySearchTree();
 int n=8;
 int p,search_ele;
 int ins_ele,del_ele;
 int arr[]=new int[n];
 System.out.println("Enter the elements:");
 for(int i=0;i<n;i++){
  arr[i]=sc.nextInt();}
 //creating the tree
 for(int i=0;i<n;i++){
  tree.insert(arr[i]); }
```

```
System.out.print("Inorder traversal: ");
tree.inorder();
System.out.println("Enter the element for insertion");
ins_ele=sc.nextInt();
tree.insert(ins_ele);
System.out.println("After insertion");
tree.inorder();
System.out.println("Enter the element for deletion");
del_ele=sc.nextInt();
System.out.println("After deleting");
tree.deleteKey(del_ele);
System.out.print("Inorder traversal: ");
tree.inorder();
System.out.println("Enter the element for search");
search_ele=sc.nextInt();
p=tree.search(search_ele);
if (p == 1){
 System.out.println("Search Element found")
else{
 System.out.println("Search Element Not found");}}}
```

```
Enter the elements:

2

4

1

5

6

7

8

3

Inorder traversal: 1 -> 2 -> 3 -> 4 -> 5 -> 6 -> 7 -> 8 -> Enter the element for insertion

9

After insertion

1 -> 2 -> 3 -> 4 -> 5 -> 6 -> 7 -> 8 -> Enter the element for deletion

4

After deleting
Inorder traversal: 1 -> 2 -> 3 -> 5 -> 6 -> 7 -> 8 -> 9 -> Enter the element for search
```

# 2. Write a program for implementing the following sorting methods: a) Merge sort b) Heap sort c) Quick sort

```
MERGE SORT:
import java.util.*;
public class MergeSort{
  public void merge(int arr[],int p,int q,int r){
    int n1=q-p+1;
    int n2=r-q;
    int left[]=new int[n1];
    int right[]=new int[n2];
    for(int i=0;i<n1;i++){
       left[i]=arr[p+i];}
    for(int i=0;i<n2;i++){
       right[i]=arr[q+i+1];}
    int i=0;
    int j=0;
    int k=p;
    while(i<n1 && j<n2){
       if(left[i]<=right[j]){</pre>
         arr[k]=left[i];
         i++;
         k++; }
       else{
         arr[k]=right[j];
         j++;
         k++;}}
    while(i<n1){
       arr[k]=left[i];
       i++;
       k++; }
    while(j<n2){
       arr[k]=right[j];
       j++;
```

```
k++;} }
public void mergesort(int arr[],int left,int right){
  if(left<right){</pre>
    int mid=(left+right)/2;
    mergesort(arr,left,mid);
    mergesort(arr, mid+1, right);
    merge(arr,left,mid,right);} }
public static void main(String[] args) {
  Scanner sc=new Scanner(System.in);
  System.out.println("Enter size of array");
  int arr_size=sc.nextInt();
  int arr[]=new int[arr_size];
  System.out.println("Enter array elements");
  for(int i=0;i<arr_size;i++){</pre>
    arr[i]=sc.nextInt();}
  MergeSort ms=new MergeSort();
  System.out.println("Before sorting the array is "+Arrays.toString(arr));
  ms.mergesort(arr, 0, arr_size-1);
  System.out.println("After sorting array is"+Arrays.toString(arr));}}
```

## **OUTPUT:**

```
Enter size of array

Enter array elements

3

6

1

2

4

Before sorting the array is [3, 6, 1, 2, 4]

After sorting array is[1, 2, 3, 4, 6]
```

#### **HEAP SORT**

```
import java.util.*;
public class HeapSort{
  public void sort(int arr[]){
```

```
int n=arr.length;
    for(int i=n/2-1;i>=0;i--){
      heapify(arr,n,i);}
    for(int i=n-1;i>=0;i--){
      int temp=arr[i];
      arr[i]=arr[0];
      arr[0]=temp;
      heapify(arr,i,0);}}
  public void heapify(int arr[],int n,int i){
    int largest=i;
    int left=2*i+1;
    int right=2*i+2;
    if(left<n && arr[left]>arr[largest]){
      largest=left; }
    if(right<n && arr[right]>arr[largest]){
      largest=right;}
    if(largest!=i){
      int temp=arr[i];
      arr[i]=arr[largest];
      arr[largest]=temp;
      heapify(arr, n, largest);}}
  public static void main(String[] args) {
    int arr[]={5,1,2,6,4};
    HeapSort hp=new HeapSort();
    System.out.println("Before Sorting the array is "+Arrays.toString(arr));
    hp.sort(arr);
    System.out.println("After sorting the array is "+Arrays.toString(arr));}}
OUTPUT:
```

```
Before Sorting the array is [5, 1, 2, 6, 4]
After sorting the array is [1, 2, 4, 5, 6]
```

```
QUICK SORT:
```

```
import java.util.*;
public class QuickSort{
  public int partition(int arr[],int low,int high){
    int pivot=arr[high];
    int i=low-1;
    for(int j=low;j<high;j++){</pre>
       if(arr[j]<pivot){</pre>
         i++;
         int temp=arr[i];
         arr[i]=arr[j];
         arr[j]=temp;}}
    int temp=arr[i+1];
    arr[i+1]=arr[high];
    arr[high]=temp;
    return i+1;}
  public void quicksort(int arr[],int low,int high){
    if(low<high){
       int pi=partition(arr, low, high);
       quicksort(arr, low, pi-1);
       quicksort(arr, pi+1, high);}}
  public static void main(String[] args) {
    int arr[]={4,3,7,1,2};
    int arr_size=arr.length;
    QuickSort qs=new QuickSort();
    System.out.println("Before sorting the array is"+Arrays.toString(arr));
    qs.quicksort(arr, 0, arr_size-1);
    System.out.println("After sorting the array is"+Arrays.toString(arr));}}
OUTPUT:
```

```
Before sorting the array is[4, 3, 7, 1, 2]
After sorting the array is[1, 2, 3, 4, 7]
```

- 3. Write a program to perform the following operations:
- a) Insert an element into a Min & Max heap
- b) Delete an element from a Min &Max heap
- c) Search for a key element in a Min & Max heap

## **MIN-HEAP**

```
import java.util.*;
public class MinHeap{
  ArrayList<Integer> heap;
  public MinHeap(){
    heap=new ArrayList<>();}
  public int parent(int i){
    return (i-1)/2;}
  public int getleftchild(int i){
    return 2*i+1;}
  public int getrightchild(int i){
    return 2*i+2;}
  public void insert(int value){
    heap.add(value);
    int current=heap.size()-1;
    while(current>0 && heap.get(current)<heap.get(parent(current))){
      swap(current,parent(current));
      current=parent(current);}}
  public void delete(){
    if (heap.isEmpty()){
      System.out.println("heap is empty");}
    int min=heap.get(0);
    heap.set(0,heap.get(heap.size()-1));
    heap.remove(heap.size()-1);
    heapify_down(0);}
  public void heapify_down(int i){
    int smallest=i;
```

```
int left=getleftchild(i);
  int right=getrightchild(i);
  if(left<heap.size() && heap.get(left)<heap.get(smallest)){
    smallest=left;}
  if(right<heap.size() && heap.get(right)<heap.get(smallest)){
    smallest=right;}
  if(smallest!=i){
    swap(i,smallest);
    heapify_down(smallest);}}
public boolean search(int value){
  return heap.contains(value);}
public void swap(int i,int j){
  int temp=heap.get(i);
  heap.set(i,heap.get(j));
  heap.set(j, temp);}
public void printheap(){
  System.out.println(heap);}
public static void main(String[] args) {
  MinHeap heap=new MinHeap();
  heap.insert(3);
  heap.insert(5);
  heap.insert(1);
  heap.insert(2);
  heap.insert(4);
  System.out.println("After insertion the heap is ");
  heap.printheap();
  heap.delete();
  System.out.println("After deletion the heap is ");
  heap.printheap();
  System.out.println("element found: "+heap.search(4));}}
```

```
After insertion the heap is
[1, 2, 3, 5, 4]
After deletion the heap is
[2, 4, 3, 5]
element found : true
```

#### **MAX-HEAP**

```
import java.util.*;
public class MaxHeap{
  ArrayList<Integer> heap;
  public MaxHeap(){
    heap=new ArrayList<>();}
  public int parent(int i){return (i-1)/2;}
  public int leftchild(int i){return 2*i+1;}
  public int rightchild(int i){return 2*i+2;}
  public void insert(int value){
    heap.add(value);
    int current=heap.size()-1;
    while(current>0 && heap.get(current)>heap.get(parent(current))){
      swap(current,parent(current));
      current=parent(current);} }
  public void delete(){
    if(heap.isEmpty()){
      System.out.println("Heap is empty");}
    int max=heap.get(0);
    heap.set(0,heap.get(heap.size()-1));
    heap.remove(heap.size()-1);
    heapify_down(0);}
  public boolean search(int value){
    return heap.contains(value);}
  public void heapify_down(int i){
    int largest=i;
```

```
int left=leftchild(i);
  int right=rightchild(i);
  if(left<heap.size() && heap.get(left)>heap.get(largest)){
    largest=left;}
  if(right<heap.size() && heap.get(right)>heap.get(largest)){
    largest=right;}
  if(largest!=i){
    swap(i,largest);
    heapify_down(largest); }}
public void swap(int i,int j){
  int temp=heap.get(i);
  heap.set(i, heap.get(j));
  heap.set(j, temp);}
public void printheap(){
  System.out.println(heap);}
public static void main(String[] args) {
  MaxHeap heap=new MaxHeap();
  heap.insert(4);
  heap.insert(10);
  heap.insert(3);
  heap.insert(1);
  heap.insert(5);
  System.out.println("After insertion the heap is");
  heap.printheap();
  heap.delete();
  System.out.println("After deletion the heap is");
  heap.printheap();
  System.out.println("Element found: "+heap.search(5)); }}
```

```
After insertion the heap is
[10, 5, 3, 1, 4]
After deletion the heap is
[5, 4, 3, 1]
Element found: true
```

- 4. Write a program to perform the following operations:
- a) Insert an element into a AVL tree.
- b) Delete an element from a AVL search tree.
- c) Search for a key element in a AVL search tree.

```
class Node {
  int key;
  Node left, right;
  int height;
  Node(int k) {
    key = k;
    left = null;
    right = null;
    height = 1;}}
class AVLtree {
  // A utility function to get the height of the tree
  static int height(Node N) {
    if (N == null)
       return 0;
    return N.height; }
  // A utility function to right rotate subtree rooted with y
  static Node rightRotate(Node y) {
    Node x = y.left;
    Node T2 = x.right;
    // Perform rotation
    x.right = y;
    y.left = T2;
    // Update heights
    y.height = Math.max(height(y.left), height(y.right)) + 1;
    x.height = Math.max(height(x.left), height(x.right)) + 1;
    // Return new root
    return x;}
```

```
// A utility function to left rotate subtree rooted with x
static Node leftRotate(Node x) {
  Node y = x.right;
  Node T2 = y.left;
  // Perform rotation
  y.left = x;
  x.right = T2;
  // Update heights
  x.height = Math.max(height(x.left), height(x.right)) + 1;
  y.height = Math.max(height(y.left), height(y.right)) + 1;
  // Return new root
  return y; }
// Get balance factor of node N
static int getBalance(Node N) {
  if (N == null)
    return 0;
  return height(N.left) - height(N.right);}
// A utility function to balance the node and perform the appropriate rotations
static Node balance(Node node) {
  // Get the balance factor
  int balance = getBalance(node);
  // If this node becomes unbalanced, then there are 4 cases
  // Left Left Case
  if (balance > 1 && getBalance(node.left) >= 0)
    return rightRotate(node);
  // Left Right Case
  if (balance > 1 && getBalance(node.left) < 0) {
    node.left = leftRotate(node.left);
    return rightRotate(node);}
  // Right Right Case
  if (balance < -1 && getBalance(node.right) <= 0)
    return leftRotate(node);
```

```
// Right Left Case
  if (balance < -1 && getBalance(node.right) > 0) {
    node.right = rightRotate(node.right);
    return leftRotate(node);}
  // Return the node (unchanged if balanced)
  return node;}
// Recursive function to insert a key in the subtree rooted with node
static Node insert(Node node, int key) {
  // Perform the normal BST insertion
  if (node == null)
    return new Node(key);
  if (key < node.key)
    node.left = insert(node.left, key);
  else if (key > node.key)
    node.right = insert(node.right, key);
  else // Equal keys are not allowed in BST
    return node;
  // Update height of this ancestor node
  node.height = 1 + Math.max(height(node.left), height(node.right));
  // Balance the node
  return balance(node); }
// Recursive function to delete a node with a given key from the subtree rooted with a given node
static Node deleteNode(Node root, int key) {
  // Perform standard BST deletion
  if (root == null)
    return root;
  // If the key to be deleted is smaller than the root's key, it lies in the left subtree
  if (key < root.key)
    root.left = deleteNode(root.left, key);
  // If the key to be deleted is greater than the root's key, it lies in the right subtree
  else if (key > root.key)
    root.right = deleteNode(root.right, key);
```

```
// If key is the same as root's key, this is the node to be deleted
  else {
    // Node with only one child or no child
    if ((root.left == null) | | (root.right == null)) {
      Node temp = (root.left != null) ? root.left : root.right;
      // No child case
      if (temp == null) {
         temp = root;
         root = null;
      } else // One child case
         root = temp;
    } else {
      // Node with two children: Get the inorder successor (smallest in the right subtree)
      Node temp = minValueNode(root.right);
      // Copy the inorder successor's data to this node
      root.key = temp.key;
      // Delete the inorder successor
      root.right = deleteNode(root.right, temp.key);} }
  // If the tree had only one node then return
  if (root == null)
    return root;
  // Update height of the current node
  root.height = Math.max(height(root.left), height(root.right)) + 1;
  // Balance the node
  return balance(root);}
// A utility function to find the node with minimum key value in the subtree rooted at a given node
static Node minValueNode(Node node) {
  Node current = node;
  // Loop to find the leftmost leaf
  while (current.left != null)
    current = current.left;
```

```
return current; }
 // A function to search for a key in the AVL tree
 static Node search(Node root, int key) {
   // Base case: root is null or key is present at root
    if (root == null | | root.key == key)
      return root;
    // Key is greater than root's key
    if (key > root.key)
      return search(root.right, key);
    // Key is smaller than root's key
    return search(root.left, key);}
 // A utility function to print preorder traversal of the tree
 static void preOrder(Node root) {
    if (root != null) {
      System.out.print(root.key + " ");
      preOrder(root.left);
      preOrder(root.right);
    }
 }
 // Driver code
 public static void main(String[] args) {
    Node root = null;
   // Constructing the tree
    root = insert(root, 10);
    root = insert(root, 20);
    root = insert(root, 30);
    root = insert(root, 40);
    root = insert(root, 50);
    root = insert(root, 25);
    System.out.println("Preorder traversal before deletion: ");
    preOrder(root);
// Deleting node 40
```

```
root = deleteNode(root, 40);
    System.out.println("\nPreorder traversal after deletion: ");
    preOrder(root);
    // Searching for node 25
    Node result = search(root, 25);
    if (result != null) {
        System.out.println("\nNode 25 found in the tree.");
    } else {
        System.out.println("\nNode 25 not found in the tree.");}}}
```

```
Preorder traversal before deletion:
30 20 10 25 40 50
Preorder traversal after deletion:
30 20 10 25 50
Node 25 found in the tree.
```

## 5. Write a program to implement all the functions of a dictionary using hashing.

```
import java.util.*;
public class Hashing{
  public int get_hash_key(int key,int tables_size){
    int hash_key=key%tables_size;
    return hash_key; }
  public void insert(Dictionary<Integer,Integer> dict,int value,int tables_size){
    int hash_key=get_hash_key(value, tables_size);
    int f=0;
    while(f==0){
      if(dict.get(hash_key)==0){
        dict.put(hash_key,value);
        f=1;}
      else{
        hash_key=(hash_key+1)%tables_size;}}}
  public int search(Dictionary<Integer,Integer> dict,int value,int tables_size){
    int hash_key=get_hash_key(value, tables_size);
    int f=0;
    while(f==0){
      if(dict.get(hash_key)==value){
        System.out.print("ELement found at ");
        f=1;
        return hash_key;}
      else{
        hash_key=(hash_key+1)%tables_size;}}
    System.out.println("Element not found");
    return -1;}
  public void delete(Dictionary<Integer,Integer> dict,int value,int tables_size){
    int hash_key=get_hash_key(value, tables_size);
    int f=0;
    while(f==0){
      if(dict.get(hash_key)==value){
```

```
dict.put(hash_key,0);
      f=1;}
    else{
       hash_key=(hash_key+1)%tables_size;}}}
public static void main(String[] args) {
  Dictionary<Integer,Integer> dict=new Hashtable<>();
  int tables_size=10;
  for(int i=0;i<tables_size;i++){</pre>
    dict.put(i,0); }
  Hashing h=new Hashing();
  h.insert(dict,55, tables_size);
  h.insert(dict, 63, tables_size);
  h.insert(dict, 75, tables_size);
  h.insert(dict, 32, tables_size);
  h.insert(dict, 16, tables_size);
  System.err.println(dict);
  int index=h.search(dict, 32, tables_size);
  if(index!=-1){
    System.err.println(index); }
  h.delete(dict, 16, tables_size);
  System.out.println(dict); }}
```

```
{9=0, 8=0, 7=16, 6=75, 5=55, 4=0, 3=63, 2=32, 1=0, 0=0}
ELement found at 2
{9=0, 8=0, 7=0, 6=75, 5=55, 4=0, 3=63, 2=32, 1=0, 0=0}
```

# 6. Write a program for implementing Knuth-Morris-Pratt pattern matching algorithm.

```
public class KMP{
  public int[] generate_lps(char[] pat_arr){
    int n=pat_arr.length;
    int i=0;
    int j=1;
    int lps[]=new int[n];
    lps[0]=0;
    while(j<n){
      if(pat_arr[i]==pat_arr[j]){
         i++;
         lps[j]=i;
        j++;}
      else{
         if(i!=0){
           i=lps[i-1];}
         else{
           lps[j]=0;
           j++;}}}
  return lps;}
  public void pattern_match(String text,String pattern){
    int n=text.length();
    int m=pattern.length();
    char[] text_arr=text.toCharArray();
    char[] pat_arr=pattern.toCharArray();
    int i=0;
    int j=0;
    int f=0;
    int[] lps=generate_lps(pat_arr);
    while(i<n){
      if(text_arr[i]==pat_arr[j]){
         i++;
```

```
j++;}
    if(j==m){}
      System.out.println("pattern found at"+(i-j));
      f=1;
      j=lps[j-1];}
    else if(i<n && text_arr[i]!=pat_arr[j]){</pre>
      if(j!=0){
        j=lps[j-1];}
      else{
         i++;}}}
  if(f==0){
    System.out.println("Pattern not found");}}
public static void main(String[] args) {
  KMP kmp=new KMP();
  String Text="AAABAAABCCCCCDDEF";
  String pattern="AABC";
  kmp.pattern_match(Text, pattern);}}
```

pattern found at5

## 7. Write a program for implementing Brute Force pattern matching algorithm.

```
public class BruteForce{
  public void patternmatch(String text,String pattern){
    int n=text.length();
    int m=pattern.length();
    char[] text_arr=text.toCharArray();
    char[] pat_arr=pattern.toCharArray();
    int f=0;
    for(int i=0;i< n-m;i++){
      int j=0;
      while(j<m && text_arr[i+j]==pat_arr[j]){</pre>
        j++;
        if(j==m){
           System.out.println("Pattern found at"+(i));
           f=1;}}}
    if(f==0){
      System.out.println("Pattern not found");}}
  public static void main(String[] args) {
    BruteForce bf=new BruteForce();
    String text="AABAAACBAAB";
    String pattern="BAA";
    bf.patternmatch(text, pattern);}}
```

## **Output:**

Pattern found at2 Pattern found at7

## 8. Write a program for implementing Boyer pattern matching algorithm

```
import java.util.Arrays;
class BoyerMoore {
  // Method to create the bad character heuristic table
  public int[] preprocessBadCharacterTable(char[] pat) {
    int[] badCharTable = new int[256]; // Assuming ASCII characters (256)
    Arrays.fill(badCharTable, -1); // Initialize all values to -1
    // Fill the actual values in the bad character table
    for (int i = 0; i < pat.length; i++) {
      badCharTable[pat[i]] = i; // Store the last occurrence of each character in the pattern}
    return badCharTable;}
  public void searchPattern(String txt, String pat) {
    char[] textArr = txt.toCharArray();
    char[] patArr = pat.toCharArray();
    int n1 = textArr.length;
    int n2 = patArr.length;
    int[] badCharTable = preprocessBadCharacterTable(patArr); // Create bad character table
    int shift = 0; // Shift of the pattern with respect to the text
    // Pattern matching loop
    while (shift <= (n1 - n2)) {
      int j = n2 - 1;
      // Traverse the pattern from right to left
      while (j \ge 0 \&\& patArr[j] == textArr[shift + j]) {
        j--;}
      // If the pattern is found
      if (j < 0) {
         System.out.println("Pattern found at index " + shift);
         // Shift the pattern to align with the next possible match in text
         shift += (shift + n2 < n1) ? n2 - badCharTable[textArr[shift + n2]] : 1;
       } else {
         // Calculate shift based on the bad character rule
         shift += Math.max(1, j - badCharTable[textArr[shift + j]]);}}}
```

```
public static void main(String[] args) {
   String txt = "AABAACAADAABAABA";
   String pat = "AABA";
   new BoyerMoore().searchPattern(txt, pat);}}
```

```
Pattern found at index 0
Pattern found at index 9
Pattern found at index 12
```

## 9. Write a program for implementing Shortest path algorithm.

```
import java.util.*;
// Class to represent a graph
class GraphDij {
  private int vertices; // Number of vertices
  private LinkedList<Edge>[] adjacencyList; // Adjacency list to store edges
  // Constructor to initialize the graph
  public GraphDij(int vertices) {
    this.vertices = vertices;
    adjacencyList = new LinkedList[vertices];
    for (int i = 0; i < vertices; i++) {
      adjacencyList[i] = new LinkedList<>();} }
  // Class to represent an edge between two vertices
  static class Edge {
    int targetVertex;
    int weight;
    Edge(int targetVertex, int weight) {
      this.targetVertex = targetVertex;
      this.weight = weight;}}
  // Add an edge to the graph
  public void addEdge(int source, int destination, int weight) {
    adjacencyList[source].add(new Edge(destination, weight));
    adjacencyList[destination].add(new Edge(source, weight)); // For undirected graph
  // Dijkstra's algorithm for Single Source Shortest Path
  public void dijkstra(int source) {
    // Array to store the shortest distance from source to each vertex
    int[] distance = new int[vertices];
    // Set all distances to infinity (or a very large value)
    Arrays.fill(distance, Integer.MAX_VALUE);
    distance[source] = 0;
    // Priority queue to select the minimum distance vertex (min-heap)
    PriorityQueue<Edge>pq = new PriorityQueue<>(vertices, Comparator.comparingInt(edge ->
edge.weight));
```

```
// Add the source vertex to the priority queue with distance 0
  pq.add(new Edge(source, 0));
  // Boolean array to keep track of visited vertices
  boolean[] visited = new boolean[vertices];
  // While there are vertices to process
  while (!pq.isEmpty()) {
    // Extract the vertex with the smallest distance
    Edge currentEdge = pq.poll();
    int currentVertex = currentEdge.targetVertex;
    // Skip processing if the vertex has already been visited
    if (visited[currentVertex]) continue;
    // Mark the vertex as visited
    visited[currentVertex] = true;
    // Explore all the adjacent vertices of the current vertex
    for (Edge edge : adjacencyList[currentVertex]) {
      int neighbor = edge.targetVertex;
      int newDist = distance[currentVertex] + edge.weight;
      // If a shorter path to the neighbor is found, update its distance
      if (!visited[neighbor] && newDist < distance[neighbor]) {
         distance[neighbor] = newDist;
         pq.add(new Edge(neighbor, newDist));}}}
  // Print the shortest distances from the source to all other vertices
  printShortestDistances(distance, source);}
// Function to print the shortest distances from the source
private void printShortestDistances(int[] distance, int source) {
  System.out.println("Shortest distances from vertex " + source + ":");
  for (int i = 0; i < distance.length; i++) {
    System.out.println("To vertex " + i + " is " + distance[i]);}}
// Main function to test the Dijkstra algorithm
public static void main(String[] args) {
  GraphDij graph = new GraphDij(6);
  // Adding edges to the graph (undirected)
```

```
graph.addEdge(0, 1, 4);
graph.addEdge(0, 2, 3);
graph.addEdge(1, 2, 1);
graph.addEdge(1, 3, 2);
graph.addEdge(2, 3, 4);
graph.addEdge(2, 3, 4);
graph.addEdge(3, 4, 2);
graph.addEdge(4, 5, 6);
// Apply Dijkstra's algorithm from vertex 0
graph.dijkstra(0);}
```

```
Shortest distances from vertex 0:
To vertex 0 is 0
To vertex 1 is 4
To vertex 2 is 3
To vertex 3 is 6
To vertex 4 is 8
To vertex 5 is 14
```

## 10. Write a program for implementing graph traversal DFS and BFS.

```
import java.util.*;
// Graph class for implementing BFS and DFS
class Graph {
  private int vertices; // Number of vertices
  private LinkedList<Integer>[] adjacencyList; // Adjacency List
  // Constructor to initialize the graph
  public Graph(int vertices) {
    this.vertices = vertices;
    adjacencyList = new LinkedList[vertices];
    for (int i = 0; i < vertices; i++) {
      adjacencyList[i] = new LinkedList<>();} }
  // Add edge to the graph
  public void addEdge(int v, int w) {
    adjacencyList[v].add(w); // Add w to v's adjacency list}
  // BFS algorithm
  public void bfs(int startVertex) {
    boolean[] visited = new boolean[vertices];
    LinkedList<Integer> queue = new LinkedList<>();
    visited[startVertex] = true;
    queue.add(startVertex);
    while (!queue.isEmpty()) {
      int vertex = queue.poll();
      System.out.print(vertex + " ");
      for (int neighbor : adjacencyList[vertex]) {
         if (!visited[neighbor]) {
           visited[neighbor] = true;
           queue.add(neighbor);}}}}
  // DFS algorithm using recursion
  public void dfs(int startVertex) {
    boolean[] visited = new boolean[vertices];
```

```
dfsUtil(startVertex, visited);}
// Utility function for DFS
private void dfsUtil(int vertex, boolean[] visited) {
  visited[vertex] = true;
  System.out.print(vertex + " ");
  for (int neighbor : adjacencyList[vertex]) {
    if (!visited[neighbor]) {
      dfsUtil(neighbor, visited);}}}
// Main function to test the BFS and DFS algorithms
public static void main(String[] args) {
  Graph graph = new Graph(6);
  // Adding edges to the graph
  graph.addEdge(0, 1);
  graph.addEdge(0, 2);
  graph.addEdge(1, 3);
  graph.addEdge(1, 4);
  graph.addEdge(2, 4);
  graph.addEdge(3, 5);
  graph.addEdge(4, 5);
  System.out.println("Breadth-First Search (starting from vertex 0):");
  graph.bfs(0);
  System.out.println("\nDepth-First Search (starting from vertex 0):");
  graph.dfs(0);}}
```

```
Breadth-First Search (starting from vertex 0):
0 1 2 3 4 5
Depth-First Search (starting from vertex 0):
0 1 3 5 4 2
```

## 11. Write a program for implementing geometric algorithms.

```
import java.util.*;
public class GeometricAlg{
  public static class Point{
    double x;
    double y;
    Point(double x,double y){
      this.x=x;
      this.y=y;}}
  public double calculate_distance(double A,double B,double C,double x,double y){
    return Math.abs(A*x+B*y+C)/Math.sqrt(A*A+B*B);}
  public void calculate_mean(String label,List<Double> Distances){
    if(Distances.isEmpty()){
      System.out.println("No point on the "+label); }
    else{
      double sum=0;
      for(double dist:Distances){
        sum+=dist;}
      double mean=sum/Distances.size();
      System.out.println("Mean of "+label+" is "+mean);}}
  public void classify_calculate_mean(double A,double B,double C,List<Point> points){
    List<Double> positive_dist=new ArrayList<>();
    List<Double> negative_dist=new ArrayList<>();
    for(Point point:points){
      double distance=calculate_distance(A, B, C, point.x, point.y);
      if(distance>0){
        System.out.println("Point("+point.x+","+point.y+") lies on positive side of the line at a
distance of "+distance);
        positive_dist.add(distance);}
      else if(distance<0){
        System.out.println("Point("+point.x+","+point.y+") lies on negative side of the line at a
distance of "+distance);
        negative_dist.add(distance);}
```

```
else{
      System.out.println("Point("+point.x+","+point.y+") lies on the line");
    }}
  calculate_mean("positive_side",positive_dist);
  calculate_mean("negative_side",negative_dist);}
public static void main(String[] args) {
  GeometricAlg ga=new GeometricAlg();
  double A=3;
  double B=2;
  double C=5;
  List<Point> points=List.of(
    new Point(3,-1),
    new Point(2,1),
    new Point(-2,-3),
    new Point(0,5),
    new Point(-3,4));
  ga.classify_calculate_mean(A,B,C,points); }}
```

```
Point(3.0,-1.0) lies on positive side of the line at a distance of 3.328201177351375

Point(2.0,1.0) lies on positive side of the line at a distance of 3.6055512754639896

Point(-2.0,-3.0) lies on positive side of the line at a distance of 1.9414506867883021

Point(0.0,5.0) lies on positive side of the line at a distance of 4.160251471689219

Point(-3.0,4.0) lies on positive side of the line at a distance of 1.1094003924504583

Mean of positive_side is 2.828971000748669

No point on the negative_side
```