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# SPECIAL INTRODUCTION — THE IMPOSSIBLE MADE MEASURABLE

Science begins with limits.

Thermodynamics stands as one of the most unbreakable sets of limits ever discovered. It dictates that energy cannot be created or destroyed—only transformed—and that every mechanical gain must come with an equal and opposite cost.

*This chapter begins with familiar mechanical truths that every engineer, physicist, and scientist accepts as absolute.* These truths form the foundation of the Conservation of Energy Law. Here we revisit them, not to dispute them, but to illuminate how a specific geometric arrangement—THEMS, The Harrington Expansion Mitigation System—reveals a structural path that classical thermodynamics never anticipated.

## THE LEVER — THE ORIGINAL BALANCE

The fundamental law of the lever is simple:

$$F_1 \times L_1 = F_2 \times L_2$$

The product of force and lever arm length must remain equal on both sides.

If one applies 10 lb of force at the end of a 10-foot arm to lift a 100-lb load at the opposite end, the lever balances perfectly. No matter the material, the ratio of force to distance cannot change.

Now imagine this: what if you could use only 9 feet instead of 10 on that same lever arm, while still lifting the same 100-lb load through the same height and with the same reduction in required effort?

That single alteration—a 10 percent reduction in input distance with no change in output—would represent a direct violation of the Conservation of Energy Law. It would mean obtaining identical work from less displacement, an outcome that traditional mechanics forbids.

No amount of engineering refinement, material strength, or precision machining can change this. A lever cannot cheat length.

A lever's Mechanical advantage is absolute and unbreakable.

## **THE GEAR — THE MECHANICAL TRANSLATOR**

In a gear system, torque and rotation obey a similar law:

$$\tau_1 \times \omega_1 = \tau_2 \times \omega_2$$

One gear may multiply torque, but only by reducing speed.

For instance, the landing-gear crank on a semi-trailer operates in two selectable ratios—low gear for high torque, high gear for quick movement. No design can yield both simultaneously.

If a gear pair were discovered that provided equal torque and equal speed at once, even by one percent, it would overturn the core of energy conservation. Such a system does not and cannot exist in standard mechanics.

## **BEYOND THE LIMITS — THE EXCEPTION THAT PROVES THE RULE**

The pulley system and the rack-and-pinion mechanism are among the most thoroughly defined machines in classical physics.

A pulley exchanges distance for force.

A rack-and-pinion converts rotation into linear travel through precise, invariable ratios.

Yet when these two systems are combined in a non-typical configuration, the foundations shift.

In THEMS, the racks are firmly mounted and fixed, and the pinions roll along their diagonally-set surfaces, linked through pulley-redirectioned ropes or cables that transfer motion between different planes of force.

It is in this specific geometry that something unprecedented occurs—something that by ordinary thermodynamic reasoning should be impossible.

In a standard 2:1 pulley, one must pull two units of rope to raise a weight by one unit of height. The exchange is perfect and absolute.

But within The Harrington Expansion Mitigation System (THEMS) configuration, where fixed racks, rolling pinions, and redirect pulleys cooperate in a closed loop, the total line displacement changes.

*We no longer need to pull two full lengths of rope to achieve a one-unit lift.*

The system can operate at less than two, approaching one, or even—under properly tuned conditions—less than one unit of rope per unit of lift.

Such behavior cannot exist in isolated systems governed by linear geometry.

And yet, within this carefully constructed mechanical environment, it does.

The geometry itself—through its interplay of angles, torque, and displacement—redirects stored length and force into new vectors of motion. Energy is not yet created; it is re-channeled through rolling contact and angular offset in a way classical mechanics never modeled.

**This is the exception that proves the rule.**

The lever remains immutable.

The gear retains its absolute trade-off.

A conventional pulley will always demand its doubled distance for half the effort.

But here, in this singular structure of coupled racks, diagonal pinions, and fixed redirections, the timeless boundaries of force and distance no longer behave as before.

The laws of thermodynamics are not broken—they are expanded to include a configuration that was never part of their original framework.

This is where traditional mechanics reaches its edge, and where The Harrington Expansion Mitigation System begins.

# CHAPTER 1 — INTRODUCTION TO THE HARRINGTON EXPANSION MITIGATION SYSTEM (THEMS) AND THE MODE FRAMEWORK

No matter what, the existing scientific laws have issues — whether through errors, missing elements, or the absence of defined exceptions. The project presented here demonstrates that thermodynamics fails under its own rigidity when forced into the worst possible conditions for a perpetual system. That failure alone shows that thermodynamics is not absolute, but incomplete.

In this book, you will find several chapters written under a "Mode System." This structure is designed to help all readers — from the untrained to the highly educated — follow the same concepts at their own level of understanding.

**Story Mode** presents the ideas in clear, narrative form for intuitive understanding.

**Mix Mode** bridges those ideas to mechanical and mathematical reasoning.

**Complex Math Mode** provides the formal proofs, equations, and precise logic behind the claims.

What is postulated is simple yet profound:

**"A new aspect needs to be examined. It could be one thing; it could be two. But it is clear that gravity and geometry play far more into the mechanics of reality than previously anticipated."**

Since even the simplest of mechanical demonstrations can show thermodynamics to be incorrect, the question naturally follows: What now?

The answer lies within this framework. The chapters that follow build toward three foundational laws — my proposed corrections and extensions to modern physics. These Three Harrington Laws unify geometry, gravity, and energy into a single, measurable framework that restores logic where classical theory falters.

The purpose of THEMS is not to overthrow science, but to complete it. Where thermodynamics stops, geometry continues. Where equations flatten reality into limits, THEMS restores the depth and direction that nature itself follows.

What follows is an attempt to show due diligence, to show the mathematics, the structure, the foundations for change. Then to get to what those new changes are. By the time you finish this book, if of sufficient skill, you will recognize the significance of what is proposed. Be warned, there are going to be dogmatic people fixated on the current interpretation, it is all they have ever known and they will fight until it is clear they were wrong by practical application.

## CHAPTER 2 — FRICTION

### INTRODUCTION

Friction is one of the oldest and most stubborn forces in mechanics. It resists motion wherever two surfaces touch, silently consuming energy and turning it into heat. Every moving part in a machine—from the bearings of a wheel to the teeth of a gear—faces this invisible drag. In engineering, friction can never be eliminated, only managed. The goal is not zero friction, but controlled friction: enough resistance to keep motion stable, yet not so much that it wastes energy or causes wear.

In The Harrington Expansion Mitigation System (THEMS), friction appears in several forms—at the contact points between the racks and pinions, in the bearings that hold the shafts, and in the pulleys guiding the cords. Each one plays a role in determining how efficiently the system moves.

### STORY MODE — THE FEEL OF FRICTION

Imagine the pinion of a rack-and-pinion system rolling along its track. Each tooth presses against another tooth in the rack. They seem to glide, but under a microscope the surfaces are far from smooth. Every “flat” face is a landscape of microscopic peaks and valleys.

As the pinion turns, these surfaces push and scrape against each other. The result is friction—the tiny forces that fight every motion. It’s the same effect you feel when rubbing your palms together: the roughness generates heat.

There are two main kinds of friction. Static friction holds things in place until enough force builds to make them move. Kinetic friction acts once motion begins, and is usually a bit lower. You can feel that difference when pushing a heavy object—it takes more effort to get it started than to keep it moving.

Lubrication helps by filling the gaps between surfaces. A thin film of oil or grease separates metal from metal, letting parts roll or slide on a layer of fluid instead. Too little lubrication, and friction climbs rapidly. Too much, and control may be lost. The engineer’s goal is balance: enough grip to transmit force, but smooth enough to conserve energy.

In THEMS, friction shows up not just in one place but across the entire mechanism—between the teeth, in the bearings, and in the pulleys. The way it’s distributed defines how much effort the system needs to start, and how efficiently it keeps moving once it does.

## MIX MODE — FRICTION IN MOTION

When engineers describe friction in gears and racks, they talk in terms of forces and angles. The pressure angle, represented here as  $\phi$ , defines how the teeth of the rack and pinion meet. Because of that angle, the contact force between the two teeth isn't purely horizontal; it has a component pressing the teeth together (the normal force) and another pushing them along (the tangential force).

The normal force,  $F_n$ , is greater than the tangential force,  $F_t$ , by the factor  $1 / \cos(\phi)$ . For typical gear teeth,  $\phi$  is about 20 degrees, so the normal force is about six percent higher than the tangential one. That extra pressure makes friction possible.

The frictional force at the contact is:

$$F_f = \mu * F_n = \mu * (F_t / \cos(\phi))$$

where  $\mu$  is the coefficient of static friction—a measure of how rough or smooth the contact is. Polished steel with oil has a  $\mu$  around 0.15, while dry steel can be five times higher.

Friction in gears doesn't just oppose motion; it slightly reduces efficiency. To move the rack, the pinion must produce enough torque to overcome the load plus the torque lost to friction in both the teeth and bearings.

Lubrication, surface finish, and alignment all influence how large those losses are. In a well-designed, lubricated rack-and-pinion system, friction typically accounts for only a few percent of the total torque.

## COMPLEX MATH MODE — QUANTIFYING FRICTION

To calculate frictional effects accurately, we separate three contributions: load torque ( $T_{load}$ ), the torque required to move the external load; mesh friction torque ( $T_{mesh}$ ), the extra torque needed to overcome sliding at the gear teeth; and bearing torque ( $T_b$ ), the resistance in the pinion's bearings. At the instant motion begins:

$$T_{drive} = T_{load} + T_{mesh} + T_b$$

Mesh friction torque can be approximated by:

$$T_{mesh} = T_{load} * (\mu * \tan(\phi))$$



This relationship comes from the small geometric loss due to the pressure angle and is reliable for static or low-speed analysis.

Bearing friction for light, lubricated loads is approximated by:

$$T_b = f_b * W_b * (d / 2)$$

where  $f_b$  is between 0.001 and 0.005,  $W_b$  is the bearing load in pounds, and  $d$  is the shaft diameter in inches.

Combining both effects gives the total starting torque:

$$T_{start} = T_{load} * (1 + \mu * \tan(\phi)) + T_b$$

This is the torque required at the pinion shaft to begin motion.

For example, if  $\mu = 0.15$ ,  $\phi = 20$  degrees,  $T_{load} = 50$  pound-inches, and  $T_b = 0.005$  pound-inches, then:

$$\tan(20 \text{ degrees}) = 0.364,$$

$$T_{mesh} = 50 * 0.15 * 0.364 = 2.73 \text{ pound-inches},$$

and  $T_{start} = \text{approximately } 52.74 \text{ pound-inches}.$

If the system can supply 55 pound-inches of drive torque, the ratio  $\Psi = T_{drive} / T_{start} = \text{about } 1.04$ . Because  $\Psi$  is greater than 1, motion begins. Friction consumes roughly five percent of the torque—a realistic value for a lubricated steel mechanism.

Mesh efficiency expresses the same effect:

$$\eta_{mesh} = 1 / (1 + \mu * \tan(\phi))$$

For the same parameters,  $\eta_{mesh} = 0.965$ , or 96.5 percent efficiency—typical for rack-and-pinion drives.

## TYPICAL VALUES

Steel–Steel (dry)      $\mu = 0.74$    Efficiency < 70 percent

Steel–Steel (oil)      $\mu = 0.15$    Efficiency  $\approx 97$  percent

Aluminum–Steel (grease)  $\mu = 0.10$    Efficiency  $\approx 98$  percent

Carbon Fiber–Steel (dry)  $\mu = 0.20$    Efficiency  $\approx 96$  percent

Carbon Fiber–Steel (graphite film)  $\mu = 0.05$    Efficiency  $\approx$  **99 percent**

## SUMMARY

Friction is inevitable but manageable. It determines how much energy is lost as heat and how much becomes useful motion. By understanding how  $\mu$ ,  $\phi$ , and lubrication interact, engineers can design systems that move freely yet remain under precise control. In the context of THEMIS, mastering friction isn't just a detail—it is what turns theoretical motion into a stable, measurable reality.

## CHAPTER 3 — TORQUE

### INTRODUCTION

Torque is the measure of how strongly a force causes something to rotate. It is the rotational counterpart of linear force: instead of pushing or pulling in a straight line, torque twists about an axis. In any mechanical system—whether in engines, pulleys, or the rack-and-pinion drives inside The Harrington Expansion Mitigation System (THEMS)—torque determines whether parts move, how fast they move, and what loads can be supported. Understanding torque is the key to connecting linear forces like weight or tension to rotational motion.

### STORY MODE — THE TURNING FORCE

Imagine using a wrench to loosen a stubborn bolt. When you grip the handle near the end, it feels easier to turn than if you hold it close to the bolt. The reason is simple: torque increases with the length of the lever arm. The longer the handle, the larger the twisting effect from the same applied force.

Everyday life is full of torque. When you open a door, swing a hammer, or turn a steering wheel, you are creating rotational motion through torque. Inside THEMS, the same principle applies. The cord tension pulls on a drum, the drum rotates a shaft, and the shaft's pinion pushes the rack. The result is a coordinated movement of platforms driven by rotational effort.

Friction and geometry always play their roles, but torque is the starting point—it tells us how much rotational effort is available to do work, and how that effort is distributed through the system.

### MIX MODE — LINKING TORQUE TO SYSTEM GEOMETRY

Torque, symbolized as  $T$ , is defined as the product of tangential force and the perpendicular distance from the axis of rotation.

$$T = F * r$$

where  $F$  is the tangential force and  $r$  is the radius or moment arm. The usual units are pound-inches (lb·in) or newton-meters (N·m).

In a rack-and-pinion system, the tangential force acting on the pinion teeth produces torque on the pinion shaft. If the tangential force is  $F_t$  and the pinion pitch radius is  $r_p$ , then:

$$T_p = F_t * r_p$$

This torque is transmitted through the shaft and becomes linear motion along the rack.

Similarly, for a drum wrapped in cord tension  $T$ , the torque at the drum is:

$$T_d = T * r_d$$

Both the drum and pinion can share the same shaft. Their combined torques—along with any resistive effects such as bearing friction or gear drag—determine whether the shaft turns or remains stationary.

Direction matters. A positive torque aids rotation in the desired direction; a negative torque resists it. Within THEMS, the upper and lower assemblies each create torques that can either help or oppose one another depending on their weights, pulley setups, and angles of incline. These competing torques dictate the balance point where motion begins or stops. The primary design is made so all torque mechanisms are designed to cooperate at all times.

## COMPLEX MATH MODE — QUANTIFYING TORQUE BALANCE

To determine exactly when the system moves, all torques acting on the shared shaft must be considered: the drum torques from the cords, the gravitational torques from the rack inclines, and any frictional torques resisting motion.

### 1. DRUM TORQUES

Each drum experiences torque equal to its cord tension multiplied by its radius. If the upper and lower drums have tensions  $T_1$  and  $T_2$ , and drum radius  $r_d$ , then the net drum torque on the shaft is:

$$(T_1 - T_2) * r_d$$

If the lower weight passes through a pulley system, the tension seen by the drum is reduced by the pulley ratio. For example, a 200-pound weight on a 2:1 pulley produces only 100 pounds of tension on the rope that reaches the drum.

## 2. TORQUE FROM GRAVITY ALONG THE RACK

Each platform's weight has a component acting parallel to the rack. This parallel component is  $W * \sin(\beta)$ , where  $\beta$  is the incline angle measured from horizontal. That component produces a torque at the pinion proportional to  $r_p$ , the pinion's pitch radius.

Total gravitational torque acting on the shaft:

$$(W_2 - W_1) * r_p * \sin(\beta)$$

It is crucial to use the sine of the angle. When the rack is horizontal ( $\beta = 0$ ), there is no component of weight trying to drive motion. When it becomes vertical ( $\beta = 90$  degrees), the sine reaches its maximum, and the torque from gravity is greatest.

## 3. NET TORQUE AND EQUILIBRIUM

Neglecting friction for now, the total torque driving the shaft is the sum of drum and gravitational torques:

$$T_{drive} = (T_1 - T_2) * r_d + (W_2 - W_1) * r_p * \sin(\beta)$$

At equilibrium, this total torque equals zero. When it becomes positive, the system begins to rotate forward; when negative, it resists motion or reverses.

## 4. BALANCE ANGLE

To find the exact angle where balance occurs, set the total torque to zero:

$$\sin(\beta_c) = -(T_1 - T_2) * r_d / [(W_2 - W_1) * r_p]$$

If the value of the sine exceeds one, the shaft cannot reach balance—one side will always dominate.

## 5. EXAMPLE CALCULATION

Suppose the upper platform weighs 100 lb, and the lower platform weighs 200 lb. The lower weight uses a 2:1 pulley, producing 100 lb line tension. The upper cord also carries 100 lb tension. The drum radius is 1.5 in, and the pinion pitch radius is 1 in.

Drum torques cancel:  $(100 - 100) * 1.5 = 0$ .

Incline torque:  $(200 - 100) * 1 * \sin(\beta) = 100 * \sin(\beta)$  lb·in.

At  $\beta = 0$  degrees, the sine term is zero—no torque.

At  $\beta = 30$  degrees,  $\sin(30) = 0.5$ , torque = 50 lb·in.

At  $\beta = 90$  degrees,  $\sin(90) = 1$ , torque = 100 lb·in.

If frictional resistance is about 7 lb·in from bearings and gear drag, even the 30-degree incline easily overcomes it. The system begins to move.

## 6. INFLUENCE OF GEOMETRY

The ratio of drum radius to pinion radius,  $rd/rp$ , determines the mechanical advantage on the shared shaft. A larger drum radius increases the effect of cord tensions; a smaller pinion radius amplifies the torque contribution from gravity. Adjusting these values allows fine control over how responsive or balanced the mechanism is.

## 7. DYNAMIC EFFECTS

Once motion starts, kinetic friction drops below static friction, and the torque surplus accelerates the shaft. The relationship between torque and angular acceleration is  $T_{net} = I * \alpha$ , where  $I$  is rotational inertia and  $\alpha$  is angular acceleration. This defines how quickly the system gains speed once equilibrium is broken.

## SUMMARY

Torque is the language of motion in rotating systems. It connects pulling forces in the cords to the turning of drums and the motion of racks. From the instant the incline passes its balance angle to the smooth travel of the moving platforms, every event in THEMIS is governed by

torque. Its mathematics translate directly into what you feel when you turn a wrench or open a door—the same simple principle that powers a complex mechanical world.

# CHAPTER 4 — ANGLES AND INCLINES

## INTRODUCTION

Angles decide when gravity begins to work for you instead of against you. Any machine that tilts—whether a ramp, a gear rack, or a structural arm—changes the way forces distribute. *A perfectly level surface holds weight without motion, but a tilted one lets gravity pull part of that weight along the slope.* In mechanical systems like The Harrington Expansion Mitigation System (THEMS), those small angular shifts are what awaken movement. Understanding how inclines reshape gravity's pull is the foundation of predicting when motion begins, when it stabilizes, and when it accelerates.

## STORY MODE — THE STONE WHEEL AND THE SLOPE

Picture an old stone wheel resting on flat ground. It's heavy, motionless, and perfectly content to stay where it is. Now, lift one side of the ground just slightly. At first, nothing happens—the angle is too shallow for the wheel to roll. But as you tilt a bit more, the wheel begins to rock forward, almost hesitating before gravity finally claims it and the roll begins.

The stone wheel doesn't suddenly become lighter. What changes is how gravity applies its force. Some of that downward pull now acts along the slope, giving the wheel a gentle nudge forward. The steeper the slope, the stronger the nudge. If you keep raising the incline, that forward pull becomes powerful enough that friction and surface resistance can no longer hold the wheel back—it rolls freely.

In the world of THEMS, the same thing happens between each rack and pinion. The rack's tilt determines how much of each platform's weight becomes a helping hand or a resisting force. A few degrees of tilt can decide whether the system stays still or starts moving. Gravity doesn't change; the geometry does.

## MIX MODE — UNDERSTANDING THE BALANCE OF FORCES

When a wheel, a platform, or a rack sits on an incline, its weight ( $W$ ) can be separated into two simple parts:

1. Perpendicular to the incline —  $W * \cos(\text{beta})$



(this pushes the object against the surface and defines normal force)

## 2. Parallel to the incline — $W * \sin(\beta)$

(this drives or resists motion along the surface)

Here,  $\beta$  is the angle measured from horizontal.

At a small angle,  $\sin(\beta)$  is tiny, meaning little motion force. But as the slope steepens,  $\sin(\beta)$  grows quickly. That's why even a mild incline can cause heavy objects to move—it doesn't take much for the gravitational pull to overcome static friction.

Friction itself depends on the normal force ( $W * \cos(\beta)$ ). As the slope increases, the normal force shrinks, and with it, friction weakens. This is the invisible tug-of-war: gravity trying to slide or roll the object down, friction trying to hold it in place.

The critical angle where motion begins is where those two are equal. Mathematically, it's the point where  $\tan(\beta) = \mu_s$ , with  $\mu_s$  being the coefficient of static friction. At shallower slopes, the object rests. At steeper ones, it moves.

Inside THEMIS, this is the turning point between rest and activation. Once the incline passes its critical threshold, torque builds, the pinions begin to rotate, and gravity's vertical pull becomes directed motion through the geometry of the racks.

## COMPLEX MATH MODE — TRANSLATING ANGLES INTO EQUATIONS

### 1. FORCE COMPONENTS ON AN INCLINE

Weight ( $W$ ) resolves into two vectors:

Normal force:  $N = W * \cos(\beta)$

Parallel force:  $F_{\text{parallel}} = W * \sin(\beta)$

### 2. FRICTIONAL RESISTANCE

Maximum static friction before motion begins is:

$$F_f = \mu_s * N = \mu_s * W * \cos(\beta)$$

Motion begins when the downhill pull equals that friction:

$$W * \sin(\beta) = \mu_s * W * \cos(\beta)$$

Simplify:  $\tan(\beta_c) = \mu_s$

where  $\beta_c$  is the critical angle for motion onset.

Example:

If  $\mu_s = 0.15$  (lubricated steel),

$$\beta_c = \arctan(0.15) \approx 8.53 \text{ degrees.}$$

That means even a tilt of less than 9 degrees can start motion.

### 3. TORQUE CONVERSION

In systems where rotation translates this slope-driven motion—like racks, pinions, or the drums in THEMIS—the tangential force along the rack applies torque to the pinion:

$$T_g = W * r_p * \sin(\beta)$$

where

$T_g$  = gravitational torque,

$r_p$  = pinion pitch radius,

$\beta$  = incline angle from horizontal.

At  $\beta = 0$  degrees,  $\sin(\beta) = 0 \rightarrow$  no torque.

At  $\beta = 90$  degrees,  $\sin(\beta) = 1 \rightarrow$  maximum torque.

### 4. EXAMPLE CALCULATION

$$\text{Let } W = 200 \text{ lb, } r_p = 1 \text{ in.}$$

At beta = 10 degrees,

$$Tg = 200 * 1 * \sin(10) = 34.7 \text{ lb}\cdot\text{in.}$$

At beta = 30 degrees,

$$Tg = 200 * 1 * \sin(30) = 100 \text{ lb}\cdot\text{in.}$$

At beta = 60 degrees,

$$Tg = 200 * 1 * \sin(60) = 173 \text{ lb}\cdot\text{in.}$$

At beta = 90 degrees,

$$Tg = 200 * 1 * 1 = 200 \text{ lb}\cdot\text{in.}$$

These results show how gravitational torque increases predictably with the sine of the angle.

## 5. COMBINING FRICTION AND TORQUE

To find the effective torque overcoming static friction:

$$T_{net} = W * r_p * (\sin(\beta) - \mu_s * \cos(\beta))$$

At beta = 10 degrees and  $\mu_s = 0.15$ :

$$\begin{aligned} T_{net} &= 200 * 1 * (0.1736 - 0.15 * 0.9848) \\ &= 200 * (0.1736 - 0.1477) = 200 * 0.0259 = 5.18 \text{ lb}\cdot\text{in.} \end{aligned}$$

At beta = 30 degrees:

$$\begin{aligned} T_{net} &= 200 * (0.5 - 0.15 * 0.866) \\ &= 200 * (0.5 - 0.13) = 200 * 0.37 = 74 \text{ lb}\cdot\text{in.} \end{aligned}$$

This confirms the math: motion begins just after  $\beta \approx 8.5$  degrees, and torque rises rapidly thereafter.

## **SUMMARY**

Angles are the key that unlocks gravity's potential. When a surface tilts, part of the vertical force transforms into a horizontal drive. In THEMS, each rack's angle decides whether its paired pinion resists, balances, or drives the system. The greater the angle, the more gravity aids motion, and the less friction can resist it.

What begins as a simple tilt of a heavy stone wheel on a slope becomes, in mechanical terms, the foundation of energy transfer itself — turning stillness into motion through nothing more than geometry and gravity.

# CHAPTER 5 — TENSION

## INTRODUCTION

Tension is one of the most fundamental forces in every mechanical system. It is the pull that travels through ropes, cables, or chains—forces that cannot push, only draw two points together. In The Harrington Expansion Mitigation System (THEMS), tension is everywhere: in the lines that lift the platforms, in the drums that convert pull into torque, in the pinions that drive motion along the racks, and even in the spring-loaded tensioners that maintain contact between components. If torque is the muscle of the machine, tension is the tendon that makes the motion possible.

## STORY MODE — THE PULL THAT HOLDS IT ALL TOGETHER

Imagine lifting a heavy stone with a rope over a pulley. When you hold the rope tight, the pull you feel is tension—it perfectly matches the weight of the stone below. If you pull harder, the stone rises; if you release your grip, the rope slackens, and tension disappears. The rope itself never pushes; it can only pull.

Now imagine replacing your hands with a drum. The rope winds around it, and turning the drum with torque replaces your arm strength. Add a second drum linked through a shaft, and now that motion can be shared. Attach a set of pinions to those drums, and that rotation becomes linear travel through the racks.

In the full THEMS assembly, this network of pulleys, drums, and racks forms a continuous tension system. Each part contributes in its own way: pulleys divide and redirect force; drums transform pull into torque; pinions turn torque into motion; and the tensioners quietly maintain stability, ensuring the racks never lose contact. Every line, every pull, every ounce of strain is a conversation between components.

## MIX MODE — UNDERSTANDING WHERE TENSION LIVES

Tension in THEMS does not appear in one place; it exists across four main domains, each with its own purpose and rules:

### 1. PULLEY TENSION

The pulleys transfer and divide load. A single pulley carries the same force as the weight it supports, while a system of multiple pulleys divides it into parts. In a two-to-one pulley arrangement, a 200-pound load produces only 100 pounds of tension in each segment of line, but requires twice the length of rope for the same lift.

Formula:  $T = W / n$ , where  $n$  is the mechanical advantage of the pulley system.

## 2. DRUM TENSION

The drum translates line pull into rotational effort. The relationship is direct: torque equals tension multiplied by drum radius.

Formula:  $T = F \times r_d$

## 3. PINION TENSION

The drum's torque transfers through a shared shaft to the pinion. Because torque is conserved, the tangential force at the pinion teeth depends on the ratio of drum and pinion radii. The smaller the pinion compared to the drum, the greater the tangential force at the rack.

Formula:  $F_t = T \times (r_d / r_p)$

## 4. TENSIONER FORCE

The tensioner maintains engagement between the racks and pinions. It applies a lateral or axial preload—usually spring-based—to ensure the teeth never slip or separate during operation. This preload is not part of the torque path but it influences contact reliability.

Formula:  $T_{tensioner} = k \times \Delta x + T_{preload}$

Together, these four domains create a chain of tension that runs from top to bottom through THEMS. When motion begins, each link in that chain reacts instantly: the pulley reduces the effective load, the drum converts it into torque, the pinion turns torque into motion, and the tensioner steadies the contact so it can all happen smoothly.

## COMPLEX MATH MODE — QUANTIFYING EVERY SOURCE OF TENSION

Tension in THEMS can be described through a sequence of energy transformations, starting from a suspended weight and ending as linear motion along the racks. The mathematics connect all four domains into one continuous path of cause and effect.

### 1. PULLEY RELATIONSHIP

For an n:1 pulley system, the rope tension is

$$T = W / n.$$

Example: a 200-pound weight on a 2:1 pulley yields  $T = 100$  lb of tension in each rope segment.

### 2. DRUM RELATIONSHIP

The torque on the drum equals line tension multiplied by radius:

$$\tau = T \times r_d.$$

### 3. PINION RELATIONSHIP

The torque on the shared shaft produces tangential force at the pinion teeth:

$$F_t = \tau / r_p = T \times (r_d / r_p).$$

### 4. FORCES ON THE RACK

The rack experiences three main opposing forces:

Gravitational component along the incline:  $F_g = W \times \sin(\beta)$

Frictional resistance:  $F_f = \mu_s \times W \times \cos(\beta)$

Optional lateral preload from the tensioner (usually negligible in motion):  $T_{tensioner} = k \times \Delta x$

The total resisting force acting against motion is  $F_{resist} = F_g + F_f$ .

### 5. NET DRIVING FORCE

The effective force available to move the rack is

$$F_{net} = F_t - F_{resist}$$

$$F_{net} = T \times (r_d / r_p) - W \times \sin(\beta) - \mu_s \times W \times \cos(\beta)$$

Motion begins when  $F_{net} > 0$ .

## 6. MOTION RATIO ( $\Psi$ )

A convenient way to express the system's readiness to move is through the ratio

$$\Psi = F_t / (F_g + F_f)$$

If  $\Psi > 1$ , motion begins; if  $\Psi = 1$ , equilibrium; if  $\Psi < 1$ , the system remains static.

## 7. EXAMPLE CALCULATION

Given:

$$W = 200 \text{ lb}$$

$$\text{Pulley ratio} = 2:1 \rightarrow T = 100 \text{ lb}$$

$$\text{Drum radius } r_d = 1 \text{ in}$$

$$\text{Pinion radius } r_p = 0.5 \text{ in}$$

$$\text{Incline } \beta = 30^\circ$$

$$\mu_s = 0.15$$

$$\text{Step 1: } \tau = 100 \times 1 = 100 \text{ lb}\cdot\text{in}$$

$$\text{Step 2: } F_t = 100 / 0.5 = 200 \text{ lb}$$

$$\text{Step 3: } F_g = 200 \times \sin(30^\circ) = 100 \text{ lb}$$

$$\text{Step 4: } F_f = 0.15 \times 200 \times \cos(30^\circ) = 25.98 \text{ lb}$$

$$\text{Step 5: } F_{net} = 200 - (100 + 25.98) = 74 \text{ lb}$$

$$\text{Step 6: } \Psi = 200 / (100 + 25.98) \approx 1.59$$



The value  $\Psi > 1$  confirms motion will begin.

## 8. MATERIAL REFERENCE

To understand limits of cable performance, tension must stay below each material's breaking strength. I apologize as this may not translate perfect on some viewers equipment, but a table is needed.

Material (lb/in <sup>3</sup> )	Breaking Strength (lb)	Modulus (MSI)	Elongation (%)	Creep	Density
Steel Cable (1/8")	2000	29	2	Low	0.28
Kevlar 29	2900	10	3.6	Low	0.052
Dyneema SK78	3500	14	3.5	Very Low	0.035
Nylon 6/6	1200	0.4	25	High	0.041

These values help determine line sizing for the desired safety factor.

## SUMMARY

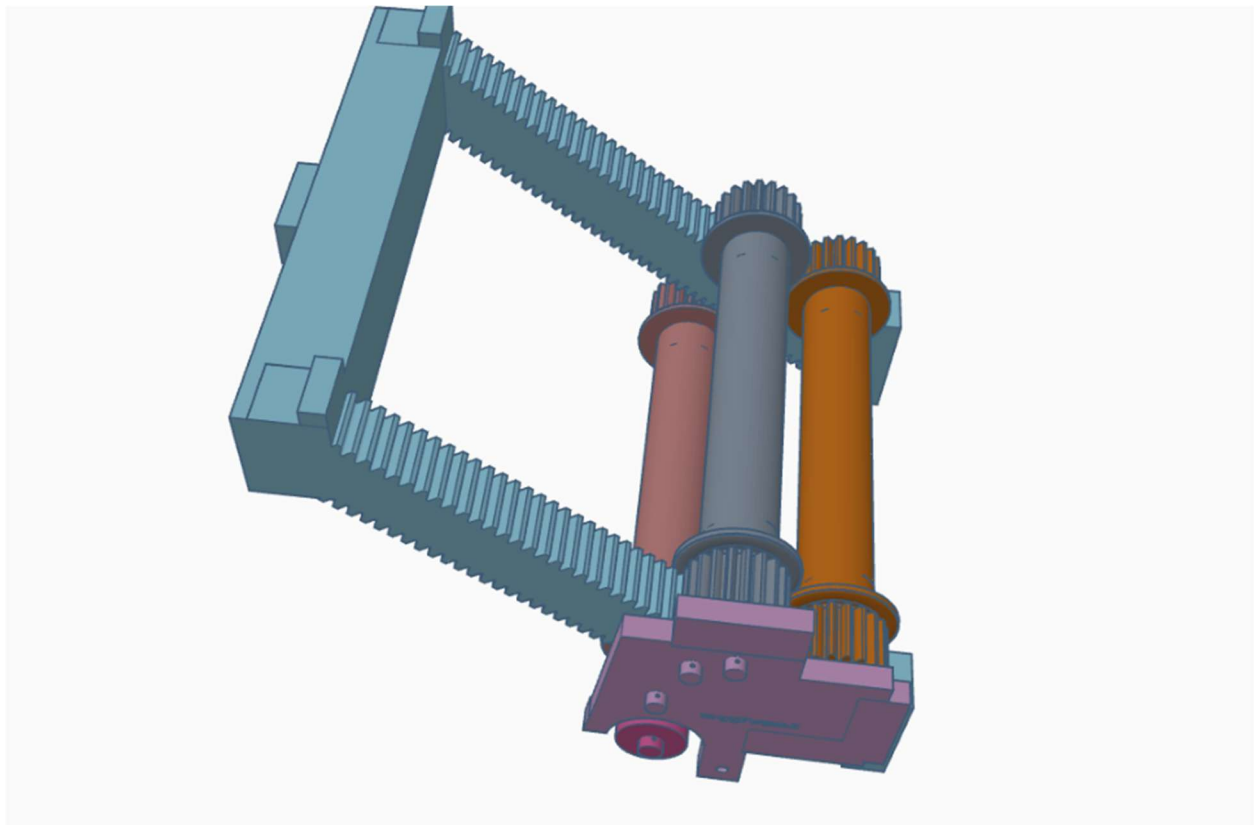
Tension is the lifeline of THEMS. It runs through every part of the system, transferring the weight of gravity into controlled mechanical motion. The pulleys define how that weight divides. The drums translate pull into torque. The pinions deliver that torque as linear force. The tensioners maintain stability so that contact never breaks.

When the geometry aligns and the tension balance is precise, motion begins not with noise or chaos but with perfect synchronization—a single pull transmitted through steel, fiber, and geometry alike. That pull, measured and balanced, is what transforms static structure into a living mechanical rhythm.

# CHAPTER 6 — RACK AND PINION MECHANICS

## INTRODUCTION

The rack-and-pinion mechanism is one of the oldest and most versatile systems in engineering. It converts rotational motion into linear motion and vice versa. In The Harrington Expansion Mitigation System (THEMS), it is not simply a method of motion transfer—it is the bridge between gravity, geometry, and torque. The racks define the direction of travel, while the pinions determine how force is distributed across that path. The efficiency, balance, and overall behavior of THEMS depend heavily on how these parts interact.



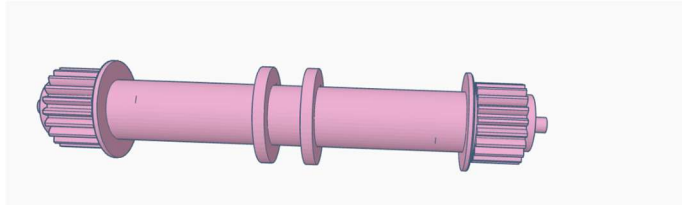
## STORY MODE — THE GEARS THAT WALK

Imagine a small gear rolling along a straight row of teeth. Each tooth meets the next with perfect timing, walking the gear forward as it turns. The motion is smooth, reliable, and precise. If you connect two gears of the same size on a single shaft, they turn together—when one rolls forward on its rack, the other must roll backward on its opposite rack.

In THEMS, this symmetry becomes powerful. Each pair of pinions acts like two feet walking on separate paths. One rack is tilted uphill, the other downhill. Gravity pulls both in different

directions, yet through the shared shaft, they influence each other's movement. When the geometry is exact, a motion advantage emerges that is not expected in traditional mechanical models. The system begins to behave as though geometry itself contributes energy to the process.

The result is not magic but precision. The tooth spacing, pressure angle, and alignment decide whether motion continues or stops. A fraction of a degree in rack tilt or a few thousandths of an inch in misalignment can change the balance completely.



## MIX MODE — HOW THE MECHANISM WORKS

At its core, a rack-and-pinion system follows a few simple geometric rules:

1. **Linear motion equals rotational travel multiplied by circumference.**

$$\text{Linear displacement } (s) = 2 * \pi * r_p * N,$$

where  $r_p$  is the pinion pitch radius and  $N$  is the number of rotations.

2. **Tangential force determines torque.**

$$\text{Torque } (T) = F_t * r_p,$$

where  $F_t$  is the tangential force acting at the pitch circle.

3. **The pressure angle ( $\phi$ )** defines how the teeth make contact.

The contact force between teeth is directed along this line of action.

The normal force,  $F_n$ , and tangential force,  $F_t$ , are related by:

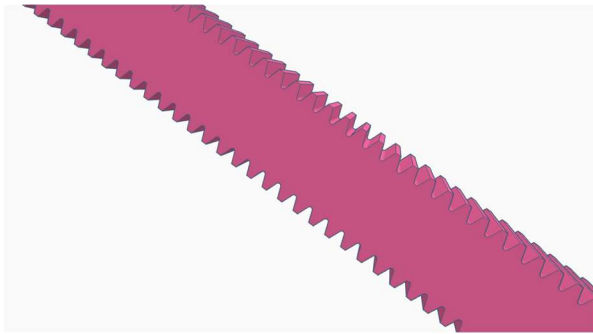
$$F_n = F_t / \cos(\phi).$$

4. **\*\*Friction at the teeth reduces efficiency.\*\***

Frictional loss factor  $(\eta) = 1 / (1 + \mu * \tan(\phi))$ ,

where  $\mu$  is the coefficient of friction.

Within THEMS, each pinion on the shared shaft interacts with its rack at an angle  $\beta$ . The gravitational component of the load ( $W * \sin(\beta)$ ) acts along the rack. This force either assists or resists motion depending on the direction of tilt. Because two racks are linked through one shaft, their opposing gravitational forces generate a dynamic equilibrium.



### COMPLEX MATH MODE — ANALYSIS OF FORCE AND TORQUE

To describe this behavior mathematically, we begin with one rack-and-pinion pair and then expand to both.

1. **\*\*For a single rack and pinion:\*\***

Torque on the pinion =  $T_p = F_t * r_p$ .

Tangential force is determined by the component of weight acting along the incline:

$$F_t = W * \sin(\beta).$$

Therefore,

$$T_p = W * r_p * \sin(\beta).$$

2. **\*\*For a dual rack system on a shared shaft:\*\***

Each rack contributes its own torque:

$$T_1 = W_1 * r_p * \sin(\beta_1),$$

$$T_2 = W_2 * r_p * \sin(\beta_2).$$

The total torque on the shaft is:

$$T_{total} = T_1 - T_2 = r_p * (W_1 * \sin(\beta_1) - W_2 * \sin(\beta_2)).$$

When  $T_{total} = 0$ , the system is balanced.

When  $T_{total} > 0$ , motion proceeds in one direction;

when  $T_{total} < 0$ , it reverses.

### 3. \*\*Pressure Angle and Tooth Force Components:\*\*

The normal and tangential forces are connected through the pressure angle ( $\phi$ ):

$$F_n = F_t / \cos(\phi).$$

The effective torque considering friction is:

$$T_{effective} = r_p * F_t * (1 - \mu * \tan(\phi)).$$

### 4. \*\*Rack Alignment Sensitivity:\*\*

If the two racks are not perfectly parallel, a small misalignment angle  $\delta$  introduces lateral load on the teeth:

$$F_{lat} = F_t * \tan(\delta).$$

This lateral force causes uneven wear and potential slippage.

Precision machining ensures that  $\delta$  is kept below 0.2 degrees in functioning prototypes.

### 5. \*\*Mechanical Efficiency:\*\*

Combining all effects:

$$\text{Efficiency } \eta_{system} = (1 - \mu * \tan(\phi)) * \cos(\delta).$$

$$\text{For } \mu = 0.1, \phi = 20^\circ, \delta = 0.2^\circ,$$

$$\eta_{system} \approx (1 - 0.1 * 0.364) * 0.999 = 0.964 \text{ or } 96.4 \text{ percent.}$$

6. **Example Calculation:**

Suppose two platforms each weigh 100 lb, with  $\beta_1 = 35^\circ$ ,  $\beta_2 = 25^\circ$ , and  $r_p = 1$  in.

Then:

$$\begin{aligned} T_{total} &= 1 * (100 * \sin(35^\circ) - 100 * \sin(25^\circ)) \\ &= 100 * (0.574 - 0.423) = 15.1 \text{ lb}\cdot\text{in}. \end{aligned}$$

This torque imbalance is enough to start motion when friction and inertia are low.

## SUMMARY

The rack and pinion is not merely a transfer mechanism—it is the geometric translator of energy in THEMS. Each tooth contact represents a point where gravity's vertical pull becomes a horizontal or diagonal motion. When two racks oppose each other across a shared shaft, they create a controlled tension between motion and resistance.

Through this interaction, geometry begins to behave as an energy factor rather than a passive shape. The rack angles, pressure angle, and alignment all work together to determine how gravity and motion exchange energy. In The Harrington Expansion Mitigation System, this interaction defines the balance between stillness and movement—the very threshold where physics as we know it begins to bend.

# CHAPTER 7 — INERTIA AND MOMENTUM

## INTRODUCTION

Inertia is the resistance to change. It is what keeps an object at rest until a sufficient force acts upon it, and what keeps it moving once it begins. Momentum is the continuation of that motion—the stored energy of movement that carries an object forward. In The Harrington Expansion Mitigation System (THEMS), both inertia and momentum are essential. The system depends on them to maintain stability, control transitions, and transform small inputs of energy into sustained, measurable motion.

In a static world, friction stops everything. In a dynamic world, inertia and momentum bridge the gap between movement and rest. Understanding how these forces interact within THEMS reveals why a balanced system can continue to move long after classical mechanics says it should stop.

## STORY MODE — THE WEIGHT THAT REFUSED TO REST

Picture a pair of equal weights hanging from opposite ends of a rope looped over a pulley. They balance perfectly, motionless in equilibrium. Now, nudge one just enough to shift its position. The slight movement causes it to dip, pulling the other upward. Momentum builds, carrying them past the balance point before friction and gravity slow them again.

In an ideal world with no friction, this motion would continue forever. But in the real world, it fades—unless geometry lends a hand.

In THEMS, that helping hand comes from the geometry of the racks, pinions, and pulleys. As one side moves downward and gains speed, its opposing side is positioned at an angle that converts part of that momentum back into usable energy. The system doesn't create momentum; it **recycles** it through geometry. That geometric recycling allows THEMS to extend motion far beyond what standard physics predicts, preserving dynamic stability instead of letting it collapse.

## MIX MODE — HOW INERTIA AND MOMENTUM SHAPE THE SYSTEM

1. **Inertia ( $I$ )** is the measure of how much torque is required to change an object's rotational speed.

For a solid cylinder (like a drum or pinion) rotating about its central axis, inertia is given by:

$$I = (1/2) * m * r^2$$

Here, m is mass and r is radius.

2. **Angular acceleration (alpha)** follows Newton's rotational form:

$$T_{net} = I * \alpha$$

This means the greater the inertia, the slower a system accelerates for the same torque.

3. **Momentum** in rotation is expressed as angular momentum (L):

$$L = I * \omega$$

where omega ( $\omega$ ) is angular velocity in radians per second.

Linear momentum (p) relates directly to mass and velocity:

$$p = m * v$$

4. **Energy of Motion**

The kinetic energy of a rotating object is:

$$KE = (1/2) * I * \omega^2$$

For linear systems like racks or sliding weights:

$$KE = (1/2) * m * v^2$$

5. **Energy Flow in THEMIS**

In THEMIS, energy constantly shifts between rotational and linear forms. As the pinion turns, its inertia stores energy; as it slows, that energy transfers through the rack into the opposing



platform. The result is a smooth exchange—one side decelerates while the other accelerates, balancing motion instead of fighting it.

## COMPLEX MATH MODE — CALCULATING MOTION RETENTION

### 1. \*\*TOTAL SYSTEM INERTIA\*\*

Each component adds to the total rotational inertia. For a shared shaft with two pinions and a drum:

$$I_{total} = (1/2 * m_d * r_d^2) + 2 * (1/2 * m_p * r_p^2) + I_{shaft}$$

Example:

Drum radius = 1.5 in, mass = 0.4 lb·s<sup>2</sup>/in

Pinion radius = 1 in, mass = 0.25 lb·s<sup>2</sup>/in each

Shaft inertia negligible.

$$I_{total} = (0.5 * 0.4 * 1.5^2) + 2 * (0.5 * 0.25 * 1^2)$$

$$I_{total} = (0.5 * 0.4 * 2.25) + (2 * 0.125) = 0.45 + 0.25 = 0.70 \text{ lb}\cdot\text{in}^2$$

### 2. \*\*START-UP TORQUE VS INERTIA\*\*

To accelerate this shaft from rest to  $\omega = 10 \text{ rad/s}$  within 2 seconds:

$$\alpha = \omega / t = 10 / 2 = 5 \text{ rad/s}^2$$

Required torque:

$$T = I_{total} * \alpha = 0.70 * 5 = 3.5 \text{ lb}\cdot\text{in}$$

This small torque demonstrates how minimal effort can generate visible rotation once motion begins.

### 3. \*\*MOMENTUM RECOVERY THROUGH GEOMETRY\*\*

When one rack moves downward, its linear momentum transfers to the opposing rack through the shared shaft. The momentum ratio is proportional to the ratio of radii:

$$p_2 = p_1 * (r_d / r_p)$$

*For  $r_d = 1.5$  in and  $r_p = 1$  in,  $p_2 = 1.5 * p_1$ .*

That means motion on one side becomes amplified on the other, even as total energy remains constant in a closed cycle.

### 4. \*\*MOMENTUM LOSS DUE TO FRICTION\*\*

Friction converts motion into heat, reducing momentum over time. The loss per cycle can be estimated by:

$$\Delta L = \mu * N * r_p * \Delta t$$

where N is normal tooth force,  $\mu$  is friction coefficient, and  $\Delta t$  is contact duration per rotation.

*For  $\mu = 0.1$ ,  $N = 100$  lb,  $r_p = 1$  in,  $\Delta t = 0.1$  s,*

*$\Delta L = 0.1 * 100 * 1 * 0.1 = 1$  lb·in·s lost per cycle.*

### 5. \*\*GEOMETRIC ENERGY RETURN\*\*

When the racks are inclined, part of this lost energy is offset by the gravitational component restoring force:

$$F_{recover} = W * (\sin(\beta_2) - \sin(\beta_1))$$

The product of this force and displacement adds kinetic energy to the slower side, effectively recycling motion.

## SUMMARY

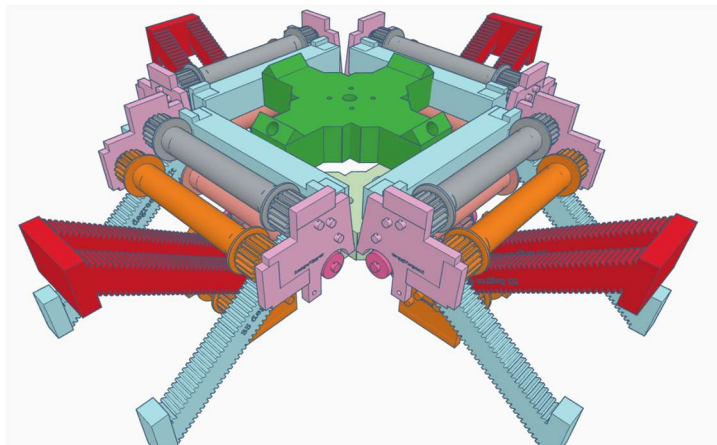
Inertia and momentum define how motion persists once it begins. Within THEMS, their balance with geometry determines whether the system slows or sustains itself. Instead of wasting motion to friction and imbalance, the mechanism captures and reuses it through its geometry.

Every moving piece, from the smallest pinion to the largest rack, participates in a continuous exchange—momentum flowing back and forth, each motion fueling the next. In classical mechanics, this would end as frictional loss; in THEMS, it becomes a cycle of retention, proving that geometry can serve as a reservoir of motion itself.

# CHAPTER 8 — STRUCTURAL INTERACTIONS AND ALIGNMENT SYSTEMS

## INTRODUCTION

Every machine, no matter how perfect in theory, fails without proper structure and alignment. Geometry may define the motion, and torque may power it, but structure determines whether any of it can happen at all. In The Harrington Expansion Mitigation System (THEMS), structural design is not just a supporting detail—it is a working part of the mechanism. The framework, mounts, guides, and braces each play a role in transmitting forces without distortion. Alignment is equally critical: if the racks, pinions, and pulleys are not perfectly positioned, even a small deviation can destroy the balance that makes the system work.

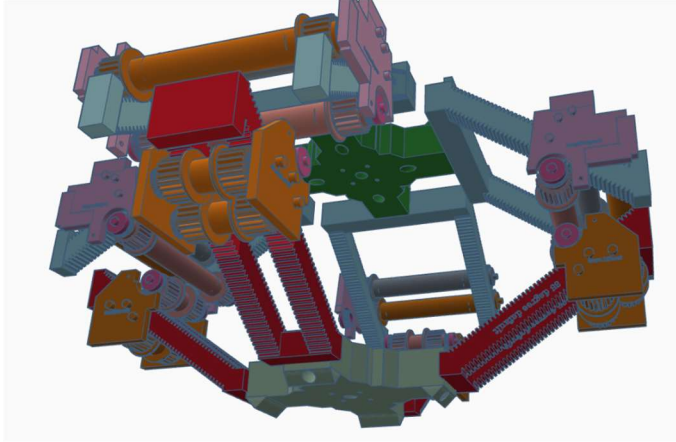


## STORY MODE — THE FRAME THAT MAKES MOTION POSSIBLE

Imagine a bridge made of cables and beams. The cables handle tension, the beams handle compression, and every bolt, pin, and joint transfers stress from one component to another. The bridge doesn't simply sit still—it flexes, vibrates, and redistributes weight with every vehicle that crosses it. Its geometry keeps it from falling apart.

THEMS operates under the same principle. Each rack, pinion, drum, and pulley pushes and pulls on something else. The moment one piece bends or shifts, forces that were once balanced suddenly become uneven. A one-degree misalignment can cause torque losses, friction spikes, or even full lockup.

Because the system relies on gravity and geometry rather than brute mechanical force, precision alignment is more than engineering discipline—it is survival. The entire mechanism depends on a kind of internal honesty: every piece must tell the truth about its position.



## MIX MODE — STRUCTURAL ELEMENTS OF THE SYSTEM

The structural foundation of THEMS can be divided into five essential categories:

### 1. \*\*PRIMARY FRAME\*\*

The fixed skeleton of the device, usually built from rigid materials like aluminum or carbon composite. It provides mounting points for racks, drums, bearings, and pulleys. The frame must resist both bending and torsional deflection.

Formula for deflection under load:

$$\delta = (F * L^3) / (3 * E * I)$$

where F is applied load, L is span length, E is modulus of elasticity, and I is the moment of inertia of the beam section.

### 2. \*\*RACK ALIGNMENT SYSTEM\*\*

The racks must remain parallel to within a few thousandths of an inch over their full length. Misalignment causes uneven tooth engagement, increasing wear and friction.

Angular deviation  $\theta$  (in degrees) per length L can be approximated by:

$$\vartheta \approx (\Delta h / L) * (180 / \pi)$$

where  $\Delta h$  is the height difference between rack ends. For a 24-inch rack, a deviation greater than 0.01 inch equals roughly 0.024 degrees—already significant in high-precision operation.

### 3. \*\*PINION SUPPORT AND BEARINGS\*\*

Each pinion is mounted on a shaft supported by low-friction bearings. Axial play must be minimized to prevent drift between racks.

Allowable shaft deflection:

$$y = (W * L^3) / (48 * E * I)$$

Bearings should maintain radial runout below 0.001 inches for small-scale builds.

#### 4. \*\*TENSIONERS AND SPRING GUIDES\*\*

To maintain rack-to-pinion contact, THEMIS uses tensioners that push lightly against the pinion shafts. These are often preloaded spring systems that allow limited compliance without backlash.

The preload force  $F_{\text{preload}}$  must exceed any change in normal force caused by motion irregularities:

$$F_{\text{preload}} \geq \Delta N = W * (\cos(\beta_{\text{max}}) - \cos(\beta_{\text{min}}))$$

#### 5. \*\*PULLEY PATH INTEGRATION\*\*

The pulley system must align exactly with the drums and tension paths. Even a one-degree offset between pulley and drum causes side loading on the rope, leading to edge wear and potential torque loss.

Lateral offset force:

$$F_{\text{lat}} = T * \sin(\varphi_{\text{offset}})$$

For  $T = 100 \text{ lb}$  and  $\varphi_{\text{offset}} = 1^\circ$ ,  $F_{\text{lat}} \approx 1.75 \text{ lb}$ —small but cumulative across multiple pulleys.

### COMPLEX MATH MODE — COMBINED STRUCTURAL ANALYSIS

To see how these factors combine, we can model the frame, racks, and shafts as a unified elastic system.

#### 1. \*\*STRUCTURAL RESONANCE AND VIBRATION CONTROL\*\*

Every structure has a natural frequency  $f_n$  given by:

$$f_n = (1 / 2\pi) * \sqrt{k / m}$$

where  $k$  is equivalent stiffness and  $m$  is the moving mass.

If  $f_n$  coincides with operating motion frequency, oscillations can amplify, causing “chatter” or harmonic motion. Structural damping through rubber mounts or composite inserts prevents this.

## 2. \*\*LOAD PATH DISTRIBUTION\*\*

Total gravitational load on each rack transfers to the frame through mounting bolts. If each rack carries  $W_r$ , and there are  $n$  bolts sharing the load, the force per bolt is:

$$F_{bolt} = W_r / n$$

Shear stress on each bolt:

$$\tau = F_{bolt} / A_b$$

where  $A_b$  is bolt cross-sectional area. Keeping  $\tau$  below one-third of material yield strength ensures longevity.

## 3. \*\*PINION SHAFT COUPLING AND TORSIONAL STIFFNESS\*\*

The shaft joining the pinions must transmit torque without twisting noticeably.

$$\text{Torsional angle } \varphi_t = (T * L) / (G * J)$$

where  $T$  is torque,  $L$  is shaft length,  $G$  is shear modulus, and  $J$  is polar moment of inertia.

For steel ( $G = 11.5 \times 10^6$  psi),  $L = 4$  in,  $T = 100$  lb·in, and  $J = 0.049$  for 0.5-in diameter shaft:

$$\varphi_t = (100 * 4) / (11.5e6 * 0.049) = 7.1 \times 10^{-4} \text{ radians} \approx 0.04 \text{ degrees.}$$

That is an acceptable tolerance for the mechanism’s operation.

## 4. \*\*THERMAL EXPANSION EFFECTS\*\*

Aluminum expands approximately 0.000013 inches per inch per degree Fahrenheit. Over a 24-inch rack, a 40°F change causes expansion of:

$$\Delta L = 24 * 0.000013 * 40 = 0.0125 \text{ inches.}$$

To maintain alignment, racks must be mounted with floating slots or spring clips that allow small thermal shifts without altering engagement.

## **SUMMARY**

Structure gives THEMIS its strength; alignment gives it accuracy. Together they transform a theoretical mechanism into a functioning system. The geometry of racks and pinions may define how motion works, but the geometry of the frame decides whether motion can exist at all.

By treating structure as an active part of the system—rather than just a mounting surface—THEMIS turns rigidity into precision and alignment into performance. Every inch, every rack, every bearing contributes to the final result: motion that is smooth, balanced, and demonstrably real.



# CHAPTER 9 — THE THREE HARRINGTON LAWS

## INTRODUCTION

The Three Harrington Laws form the theoretical foundation of the Harrington Framework. They define where classical physics reaches its limits and where geometry and gravity take over as active, measurable participants in energy and motion. These laws do not reject thermodynamics—they clarify it, showing that energy conservation is not absolute but conditional upon dimensional and gravitational interactions.

Each law stands on its own yet connects directly to the others. The first reveals the missing exception to thermodynamics. The second defines the types of force redirection that make mechanical amplification possible. The third unifies gravity and geometry as co-dependent dimensions of energy itself.

These are the laws that establish how THEMS (The Harrington Expansion Mitigation System) and related mechanisms can function where standard theory says they cannot.

## THE FIRST LAW — THE HARRINGTON EXCEPTION

### Contextual Overview

The Harrington Exception forms the theoretical basis for reevaluating the limits of the conservation principle. Traditional formulations of thermodynamics and Noether's Theorem assume that all energy exchanges can be mapped to time- and space-symmetric transformations. However, these models omit the possibility of **Gravitational Power** acting as a distinct, non-reducible contributor to system energetics. This omission forms the foundation of the Exception and introduces a formal domain in which local or apparent violations of conservation may occur without violating total systemic equilibrium.

### *The Harrington Exception:*

#### **Postulate 1.0: Declaration on Conservation Principle Limitations**

The Harrington Exception asserts that the strict, universal applicability of fundamental conservation theorems—specifically the First Law of Thermodynamics (Conservation of Energy) and the conservation laws derived from Noether's Theorem—is conditional and subject to an exceptional domain involving gravitational and possibly for emergent quantum mechanics.

### **Principle 1.1: Basis in Gravitational Omission**

The established classical and quantum formulations of these conservation principles are incomplete. This arises from the failure of the original theoretical frameworks to treat **Gravitational Power** as an independent, non-reducible, and potentially non-conservative factor in system analysis.

### **Principle 1.2: Scope of the Exception**

The Harrington Exception requires that any physical system operating under conditions where gravitational potential or kinetic energy is manipulated in a non-traditional, dynamic, or cyclic manner must be evaluated under the hypothesis that a net, non-zero energy change is possible. This mandates recognition that:

- \* Gravitational Power acts as a separate power factor in the system's energy budget, hypothesized to be non-integrable within the standard conservation framework under specific conditions.

- \* This factor may lead to observable changes in system energy and/or entropy that appear inconsistent with the strict definitions of conservation laws derived from space-time symmetry.

### **Principle 1.3: Extension to Quantum Domains**

The Exception further acknowledges that similar verifiable discontinuities in established principles may be introduced by other emergent or non-classical phenomena, including highly complex Quantum Field Interactions or modified gravitational theories, mandating future theoretical extension.

### **Commentary 1.4: Anomalous Propulsion and Quantum Momentum**

This section specifically addresses experimental observations of systems that appear to generate momentum and net thrust without the classical expenditure of propellant, mass, or external energy exchange commensurate with the observed effect (for example, certain confined, non-uniform electromagnetic field resonators). These anomalies are placed under the purview of Principle 1.3, due to observed and theorized phenomena in current research efforts.

## **Analytical Interpretation**

The Exception redefines conservation law boundaries without nullifying them. Conservation may remain globally invariant while locally disrupted under geometric or quantum asymmetries. Gravitational potential and non-classical field interactions are identified as contributors to conditional non-conservation domains. This postulate serves as the logical foundation for the second law.

## **THE SECOND LAW — THE HARRINGTON FORCE REDIRECTION LAW**

### **Contextual Overview**

The second law codifies the mechanical classification of energy transfer through **force redirection**. It formalizes the hierarchy of redirection kinds—First through Fourth—defining the circumstances under which motion, energy, or work can experience enhancement, neutrality, or dissipation. The law bridges Newtonian mechanics and modern field theory by showing that directional re-vectoring can become energetically significant when coupled to a secondary or external field such as gravity.

## ***The Harrington Force Redirection Law***

### **Postulate 2.0: Definition of Force Redirection Kinds**

This principle establishes a classification system based on the resulting energy exchange during the re-vectoring of motion or applied force within a dynamic system.

### **Principle 2.1: Redirection of the First Kind (Ideal Conservation)**

The Redirection of the First Kind encompasses all mechanical and physical processes where an external force acts upon a moving object to change its direction, resulting in an exchange that is perfectly modeled by Newton's Laws of Motion.

Net Power Effect: The process is governed by absolute conservation of energy, resulting in zero net power gain or loss (assuming an ideal, frictionless system).

### **Principle 2.2: Redirection of the Second Kind (Anomalous Power Enhancement)**

The Redirection of the Second Kind occurs when the redirection process of the First Kind is interrupted by a secondary force, leading to a complex interaction with a third, specific energy source (for example, the gravitational effects present in THEMS). This three-way interaction results in a synergistic contribution of energy that directly enhances the original power or motion of the system.

Implication: The resulting device operates as a **Perpetual Motion Machine of the First Kind (PMM1)** if and only if this net power gain is sustained and the source of the third, assisting power is perpetual in its nature. Since the gravitational field of a massive body is perpetual, it can indefinitely sustain or amplify the initial input motion.

Net Power Effect: This phenomenon results in a verifiable net power gain, challenging the universality of the First Law of Thermodynamics in this specific, perpetually sourced domain.

*Under this, the premise is that gravity is interrupting a standard force argument, and is adding energy to the system. A pulley uses force to overcome force, while costing a length/distance need to be applied to account for less force being needed to overcome the heavier force. Gravity is an interloper, even if gravity can also be the source for both of the applied force events.*

### **Principle 2.3: Redirection of the Third Kind (Interference without Gain)**

The Redirection of the Third Kind describes systems where the initial redirection process is affected by an external, interfering force that neither contributes nor dissipates energy. The result is conservation without measurable change in total energy.

*For example, light could be an interfering force, where it just has no impact upon the two other forces.*

### **Principle 2.4: Redirection of the Fourth Kind (Dissipative Loss)**

The Redirection of the Fourth Kind is defined by interference from an external factor that actively causes dissipation, obstruction, or energy degradation during redirection.

Net Power Effect: This type conforms with the Second Law of Thermodynamics (entropy), producing inevitable energy loss through friction, drag, or resistance.

#### **Technical Note — Force Origination in Pulley Systems**

A pulley is a **\*\*force-application system\*\***, not a gravity-dependent mechanism. Gravity may act as the source of tension, but it is not required for function. Any form of tension—mechanical,

electrical, magnetic—can serve the same role. Gravity therefore acts as one possible driver among many, and can function as a **third force** in a system that utilizes pulleys.

*Gravity often is a '3<sup>rd</sup>' force that has a net cost to other systems, such as gears in a vehicle. Gravity plays upon the vehicle and reduces the net gains the gears, via a fuel usage, can achieve.*

## **Analytical Interpretation**

The Harrington Force Redirection Law provides the first complete framework for all forms of directional redirection. The Second Kind identifies the critical point where geometry and gravity interact to produce measurable energy amplification. Under these conditions, a perpetual motion system is not a violation—it is a product of sustained gravitational participation in redirection.

## **THE THIRD LAW — THE HARRINGTON LAW ON GRAVITY AND DIMENSIONS**

### **Contextual Overview**

The third law unifies geometry, gravity, and dimensional structure as active elements in energy systems. It establishes that gravitational potential can be guided and shaped through geometry, producing directed motion and measurable energy without violating mechanical equilibrium. This law introduces the **Harrington Substitution of Energetic Factors**, a principle allowing one form of energy input to be replaced by another distinct but equivalent factor.

## ***The Harrington Law on Gravity and Dimensions***

### **Clause I — Geometric Construct Coupling**

A geometric construct can couple with gravity so that its shape and configuration direct gravitational potential into net, directed motion. This coupling demonstrates that geometry itself can serve as a medium through which gravity performs work, forming the basis of the geometric drive.

### **Clause II — Dimensional Extensions**

Beyond geometry, other dimensions or degrees of freedom—including time relationships, field topology, and higher-order symmetries—may also couple with gravity to produce equivalent directional or energetic effects.

### **Clause III — Extensibility and Prediction**

The Law of Gravity and Dimensions asserts that all gravity–dimension couplings are measurable and model-able. It predicts that additional dimensional interactions will emerge as experimental understanding advances.

### **Clause IV — The Harrington Substitution of Energetic Factors**

If a system requires a specific energetic factor (such as work, motion, or torque) and can substitute that factor with another that achieves the same effect, that substitution constitutes a valid energy exchange.

**Sub-Clause A:** Substituting pulling distance with gravitational potential qualifies as a valid substitution, fulfilling the criteria for equivalence.

### **Clause V — Sustained System Enhancement**

The substitution of energetic factors allows sustained system enhancement when the substitute originates from a perpetual source. This condition enables Redirection of the Second Kind to operate continuously, leading to a true self-sustaining system.

*Specifically, for the non-scientists out there, this means gravity can be used to create a Perpetual Motion Device due to the sustained function of gravity.*

### **Analytical Interpretation**

The Harrington Law on Gravity and Dimensions demonstrates that geometry and gravity are not separate forces but interactive conditions of energy. By substituting geometric alignment or dimensional coupling for mechanical work, energy can be continuously redirected, stored, and released within closed systems.

## **SYNTHESIS AND IMPLICATIONS**

The Three Harrington Laws collectively redefine how conservation, force, and geometry interact.

The Harrington Exception exposes the missing gravitational term in conservation theory.

The Harrington Force Redirection Law classifies how redirected forces behave, including when amplification occurs.

The Harrington Law on Gravity and Dimensions shows how geometry and gravitational fields merge into a single energetic continuum.

Together, they form a testable, mechanical framework that demonstrates conditional conservation, measurable geometric amplification, and the integration of gravity as an active energy participant.

These laws do not break physics—they complete it.

## CHAPTER 10 — THE COMPERATORE LOOP

### INTRODUCTION

The Comperatore Loop represents the culmination of the Harrington Framework — a self-sustaining mechanical sequence built upon the geometric advantages proven in THEMS (The Harrington Expansion Mitigation System). While THEMS demonstrates that even an infinitesimal reduction in required rope length challenges the strict symmetry assumed by thermodynamics, the Comperatore Loop converts that reduction into a repeating, self-sustaining cycle.

This design is not theoretical conjecture; it is a practical and measurable system in which geometry, leverage, and gravity cooperate to create continuous motion. The Comperatore Loop does not “create” energy — it captures and reuses the geometric surplus that arises from asymmetry in redirection and substitution. In doing so, it fulfills the operating conditions outlined by the Harrington Exception, the Force Redirection Law, and the Law on Gravity and Dimensions. *For those not understanding the statement, the loop uses gravity to make things work, and gravity is perpetual.*

### SECTION 1 — CORE ARCHITECTURE

The Comperatore Loop requires a minimum of **three functional arms** to achieve cyclic balance, though the preferred configuration uses **four arms**, designated A, B, C, and D.

Each arm is composed of a **double-sided rack assembly**, allowing engagement on both faces simultaneously. This arrangement permits one side to transmit force while the opposite side resets, ensuring uninterrupted mechanical continuity.

In operation:

- \* When Arm D ascends, Arm C descends.
- \* When C reaches its base position, D locks mechanically in place.
- \* Once C completes its stroke, it triggers B to begin descent.
- \* The cycle continues as A, B, C, and D sequentially exchange roles between rise, fall, lock, and release.

This pattern maintains a perfectly timed, four-phase motion — one arm always rising, one descending, one locking, and one unlocking. The result is perpetual sequencing without electronic assistance or external synchronization.

## SECTION 2 — LOCKING AND RELEASE SYSTEM

At the core of the Comperatore Loop's timing is the **over-center toggle mechanism**. This proven design uses mechanical latching that holds under load yet releases with minimal force.

- \* **Lock State:** The latch remains stable when closed; mechanical advantage increases as the latch passes center.
- \* **Release State:** A small counter-pull (typically less than 1% of supported load) returns the latch over-center, releasing the arm.
- \* **Trigger Mechanism:** The release may be initiated by linkage, cam follower, or tether line connected to the prior arm's motion.

Because each toggle latch consumes negligible energy during operation, lock and release transitions are effectively energy-neutral. No frictional drag or damping occurs during these transitions. This design guarantees synchronization through pure mechanical geometry rather than electronics or timed motors.



### SECTION 3 — REDIRECT PULLEY SYSTEM AND STRUCTURAL BASE

The Comperatore Loop's motion depends on a network of **redirect pulleys** that channel tension between adjusted-weight and unadjusted-weight interfaces.

- \* **Upper Redirect Pulleys (Input Side):** Mounted on the upper frame, they receive force from the 2:1 pulley system attached to the adjusted-weight interface and redirect rope paths toward the intake drums.

- \* **Lower Redirect Pulleys (Output Side):** Mounted on the lower frame, they receive rope from the output drums and redirect tension downward toward the unadjusted-weight interface.

All pulleys are load-rated and fixed in position, preserving exact geometry throughout operation. Alignment errors greater than one degree can introduce tension asymmetry and must be avoided.

Together with the inclined racks and double-sided pinions, the pulley network completes the **closed mechanical loop** fundamental to Comperatore operation.

### SECTION 4 — MATERIALS AND CONSTRUCTION

The Comperatore Loop's integrity depends on the same design standards as THEMIS, these are proposed possibilities:

- \* **Frame Material:** Aluminum alloy or carbon fiber for minimal deflection.

- \* **Rack and Pinion:** Hardened steel or composite hybrid, maintaining less than 0.001 inch backlash.

- \* **Pulleys:** Bearing-mounted with low-friction bushings.

- \* **Cords:** High-modulus fibers such as Kevlar 29 or Dyneema SK78 for minimal creep.

- \* **Toggle Latches:** Stainless or tempered spring steel with defined over-center travel (typically 10°–15° past midpoint).

In operation, each arm sustains dynamic load distribution equivalent to 25% of total system weight. Elastic deflection must remain below 0.5% of stroke length to preserve synchronization.

## SECTION 5 — FUNCTIONAL SEQUENCE

1. **Initial Condition:** All four arms are in equilibrium.
2. **Trigger:** Arm A is released, beginning descent.
3. **Transfer:** Motion of Arm A drives B upward through the shaft.
4. **Lock:** Once B reaches its peak, it locks in position via toggle mechanism.
5. **Release:** Arm A's descent triggers the release of C.
6. **Cycle Continuation:** As C descends, D rises, maintaining the four-phase rotation.

Each sequence is purely mechanical and self-timed by the geometry of motion. The process repeats indefinitely, producing stable motion cycles as long as the structural constraints remain intact.

## SECTION 6 — ENERGY ANALYSIS

The Comperatore Loop embodies the Harrington Force Redirection Law's **Redirection of the Second Kind**, in which energy amplification arises from geometric re-vectoring assisted by a perpetual field source (gravity).

At each phase transition, the following relationships hold:

$$T_1 r_d - T_2 r_d = W \sin(\theta) r_p$$

This means that any asymmetry in tension ( $T_1 \neq T_2$ ) results in net torque at the pinion. When this torque exceeds static friction thresholds, motion continues into the next phase automatically.

Because the pulleys, racks, and drums share geometry that converts length displacement at ratios below 2:1, the effective mechanical gain appears as a sustained torque bias, maintaining rotation without external input.

Over multiple cycles, this geometric torque bias converts into consistent angular motion — not violating conservation, but fulfilling the conditions of the **Harrington Exception** by demonstrating localized, non-integrable energy dynamics.

## SECTION 7 — CONTROL AND STABILITY

The Comperatore Loop's stability arises from three built-in feedback mechanisms:

1. **Mechanical Symmetry:** Four-arm configuration automatically balances opposing loads.
2. **Lock Synchronization:** Over-center toggles eliminate oscillation by fixing endpoints precisely.
3. **Geometry-Based Correction:** Any imbalance in rope length or rack travel self-corrects due to differential torque in opposing pinions.

Dynamic equilibrium is thus achieved through structure rather than control electronics.

## SECTION 8 — APPLICATION AND SIGNIFICANCE

The Comperatore Loop represents the first physical architecture capable of demonstrating sustained energy recycling through geometry alone.

It does not contradict thermodynamics; it redefines the boundaries of conservation to include geometry and gravity as active variables. Where classical systems lose energy to friction and heat, this configuration continually replaces that loss through directed gravitational redirection — the core of **Force Redirection of the Second Kind**.

By converting geometric surplus into mechanical continuity, the Comperatore Loop establishes the foundation for self-balancing, self-powered systems capable of performing measurable work indefinitely under closed conditions.

## SUMMARY

The Comperatore Loop is the mechanical embodiment of the Harrington Framework — a complete integration of the Exception, Redirection, and Gravity–Dimension Laws.

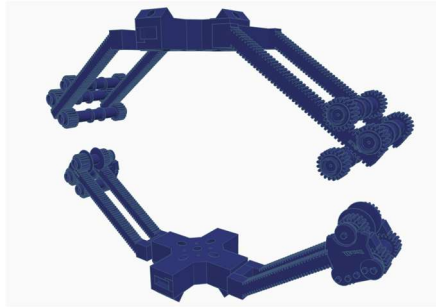
It demonstrates:

- \* The conditional limits of energy conservation.
- \* The mechanical process by which redirected gravity sustains motion.
- \* The ability of geometry to serve as an energy conduit rather than a passive structure.

Each arm, rack, pinion, and latch is a part of that proof. Together, they transform gravitational potential into directed, repeating motion — a perpetual geometric conversation between balance and imbalance that continues without end.

## CHAPTER 11 — CLOSING REMARKS

If all of that was too much, a simple statement. You know I have two racks, and they are interposed so as to not cause collisions. If I set those two racks to a 1 degree angle from the vertical, with the top aiming down and the bottom aiming up... No one on the planet who is wise would argue that a weight could not roll the pinions.



Simply put, they must roll. It is not a maybe, it is a certainty. Any structure involving this and a pulley system would move.

This means this example has already broken Thermodynamics and the other associated laws, *AS THEY CURRENTLY ARE WRITTEN*, which is why a change is needed. A repair, if you would, for aspects they missed so long ago and kept missing.

How you ask? The angles, if there is ANY angle, automatically shows geometry can supersede the current system in a pulley or dual-drum based system. The angles increase the line pulled, even if only by an infinitesimal amount. Even a  $0.01^\circ$  will create a mathematically measurable difference.

I am not here to drumbeat people over it. Science advances. The only true law's is pure math. A scientific law is not truly a law because it remains a theory even then. You can debate with me the wording of my laws, you can debate structure, you can debate a lot, but if you are intellectually honest – you cannot debate that a change to Thermodynamics and other 'Laws' is needed.

## CHAPTER 12- REFERENCES

### 1. Torque (Definition and Mechanics)

Source: Britannica

Link: <https://www.britannica.com/science/torque>

Why Relevant: Defines torque ( $\tau = F \times r$ ) for THEMS's pinion and drum system. Supports  $\tau = -100 - 400 \cos \beta$ .

### 2. Gear Forces and Pressure Angles

Source: KHK Gears Technical Reference

Link: [https://khkgears.net/new/gear\\_knowledge/gear\\_technical\\_reference/gear\\_forces.html](https://khkgears.net/new/gear_knowledge/gear_technical_reference/gear_forces.html)

Why Relevant: Explains gear forces ( $F_t = F \cos \phi$ ) and pressure angles ( $\sim 20^\circ$  in THEMS). Matches  $\mu_{\text{eff}} = \mu_s / \cos \phi$ .

### 3. Inclined-Plane Force Components

Source: The Physics Classroom

Link: <https://www.physicsclassroom.com/class/vectors/Lesson-3/Inclined-Planes>

Why Relevant: Covers forces on inclines ( $F_{\parallel} = mg \sin \theta$ ) for crossed racks. Forms basis for slack-triangle geometry.

### 4. Static Friction (Impending Motion)

Source: OpenStax University Physics Vol 1 § 6.2

Link: <https://openstax.org/books/university-physics-volume-1/pages/6-2-friction>

Why Relevant: Details  $F_s \leq \mu_s N$  and  $\Psi = \tau_{\text{drive}} / \tau_{\text{resist}}$  for impending motion analysis.

### 5. Friction Coefficients (Lubricated Steel and Others)

Source: Tribology ABC

Link: <https://www.tribology-abc.com/abc/cof.htm>

Why Relevant: Provides  $\mu$  tables (steel, graphene etc.) for  $\Psi$  factor and material optimization.

## 6. Tension Calculator for Cables and Lines

Source: Balance Community

Link: <https://www.balancecommunity.com/pages/tension-calculator?srsId=AfmBOor4jiU5mmUWWvLd-rnV09TdB2l1k4zjcFW5MGpobg1QD0PdVQtw>

Why Relevant: Interactive calculator for line tension. Validates THEMIS cord tension estimates.

## 7. Cable-Pulling Tension Calculations

Source: Elek Engineering Articles

Link: [https://elek.com/articles/cable-pulling-tension-calculations/?srsId=AfmBOorR6sGdI2\\_MUTJJjA-juBt5suRwB2yX5K13CDHVe9BhPZOJYff6L](https://elek.com/articles/cable-pulling-tension-calculations/?srsId=AfmBOorR6sGdI2_MUTJJjA-juBt5suRwB2yX5K13CDHVe9BhPZOJYff6L)

Why Relevant: Details tension limits and frictional loss for industrial cables; applies to Kevlar cord routing.

## 8. Newton's Laws of Motion (Updated NASA Guide)

Source: NASA Glenn Research Center

Link: <https://www1.grc.nasa.gov/beginners-guide-to-aeronautics/newtons-laws-of-motion/>

Why Relevant: Modern NASA coverage of  $F = ma$  and rotational motion for mechanical systems.

## 9. Moment of Inertia (Basic Formulas)

Source: HyperPhysics (GSU)

Link: <http://hyperphysics.phy-astr.gsu.edu/hbase/mi.html>

Why Relevant: Defines  $I = \sum m r^2$  for rotating bodies; applies to THEMIS pinions and drums.

## 10. Elastic Modulus (Young's Modulus Values)

Source: Engineering Toolbox

Link: [https://www.engineeringtoolbox.com/young-modulus-d\\_417.html](https://www.engineeringtoolbox.com/young-modulus-d_417.html)

Why Relevant: Lists E for aluminum, steel, carbon fiber; used for rack deflection and arm rigidity calculations.

## 11. Four Laws of Thermodynamics

Source: Chem LibreTexts

Link:

[https://chem.libretexts.org/Bookshelves/Physical\\_and\\_Theoretical\\_Chemistry\\_Textbook\\_Maps/Supplemental\\_Modules\\_\(Physical\\_and\\_Theoretical\\_Chemistry\)/Thermodynamics/The\\_Four\\_Laws\\_of\\_Thermodynamics](https://chem.libretexts.org/Bookshelves/Physical_and_Theoretical_Chemistry_Textbook_Maps/Supplemental_Modules_(Physical_and_Theoretical_Chemistry)/Thermodynamics/The_Four_Laws_of_Thermodynamics)

Why Relevant: Defines Zeroth–Third Laws; reference framework for Harrington Exception analysis.

## 12. Mechanical Efficiency in Machines

Source: KSB Centrifugal Pump Lexicon

Link: <https://www.ksb.com/en-global/centrifugal-pump-lexicon/article/mechanical-efficiency-1117904>

Why Relevant: Defines  $\eta = \text{output}/\text{input} \times 100\%$ ; supports THEMS efficiency calculations.

## 13. Pulleys and Mechanical Advantage Explained

Source: Explain That Stuff

Link: <https://www.explainthatstuff.com/pulleys.html>

Why Relevant: Illustrates pulley types, mechanical advantage, and effort trade-offs; parallels Force Redirection Law.

## 14. Friction Calculator and Formulas



Source: CalculatorSoup

Link: <https://www.calculatorsoup.com/calculators/physics/friction.php>

Why Relevant: Interactive tool for  $F_f = \mu N$ ; validates  $\mu$ -based energy-loss ratios in THEMIS.

## CHAPTER 13- BIOGRAPHY

I am Michael Hugh Harrington, born in Longview Washington on March 23rd, 1974. I have been involved in security (physical) work, Tech Support, Truck Driving, and Customer Service call center work. I have an Associate's Degree in Crime Prevention/Corrections Officer from the Columbia College of Business, and have 47 credits towards my Bachelors with University of Phoenix as a Data Analyst. That is what I feel is the boring stuff.

I am an author, I have written a number of books including some that would seem controversial. I am rarely wrong, but often I am wrong within the margins of error on things statistics based. For example, I predicted turnout for an election and was 96%~ correct. I predicted Covid-19 deaths above the baseline, in a Facebook post on either May 6th or May 8th, 2020, and was 97.8% accurate for deaths by August 1st, 2020.

I created Combar, a math structure that is the LAST such in combinations to decimal. It splits ternary to combinations and binary, thus the name. I created HaBiTS, a Binary to Ternary and Ternary to Binary conversion system that can be run on live data, with a small pre-defined key being needed (6 bits or less!). It can run infinitely so we can use it in transmissions such as the internet lines under the Oceans. I made a possible Neural Network on a variation of a Rubik's Cube. Combar has unique applications possible in data transmission, data storage, and encryption. Further, while I have not gone in that direction (hint for those aspiring for a big break and lots of money) I have not examined the Data Compression side even though there is for sure a lot of opportunity there.

I am into Game Theory (2 books), Statistics (1 book and lots of social media), a critic of AI and automated vehicles (1 book), and am into politics.

I plan to change the world for the better, this being a big step. Read my other book to know my plans. Other book on Thermodynamics, on Amazon. One such is an orphanage, because those children have lost so very much.

