Exercises:

```
exercise1.m:
% APPM3021 Lab 4 Exercise 1 % Tyson Cross 1239448
clc; clear all;
format loose
rng('shuffle');
N = 5;
syms f a;

f(a) = 1/3*a.^4 + 2*a.^3 - 5*sin(2*a) + exp(-a/2) - 12;
x = sort(unifrnd(0,5,N,1));
 = double(f(x));
[co, T] = NewtonInterpSimple(x,y);
% Display results
fprintf('% 8s % 8s \n','X','Y')
fprintf('_______
                                     \n\n')
for i=1:length(x)
 fprintf(' % 8.2f % 8.2f\n',x(i),y(i))
% Polynomial output
fprintf('\nP(x) =
for i=1:length(co)
    fprintf('%.3f',co(i));
    if i ~=1
         for j=1:i-1
             fprintf('(x-%.2f)',x(j));
         end
    end
    if i~=length(co)
         fprintf(' + ')
    else
         fprintf('\n')
    end
end
```

When exercise1.m is run in the workspace, the following output is displayed to the command window:

exercise 2.m:

```
% APPM3021 Lab 4 Exercise 2
% Tyson Cross 1239448
clc; clear all;
format loose
rng('shuffle');
N = 20;
syms f a;
f(a) = 1/3*a.^4 + 2*a.^3 - 5*sin(2*a) + exp(-a/2) - 12;
x = sort(unifrnd(0,5,N,1));
y = double(f(x));
xq = sort(unifrnd(0,5,round(N/2),1));
yq = NewtonInterp(x,y,xq);
% Display results
|% 8s % 8s \n','X','Y','XQ','YQ')
for i=1:length(x)
   if i <= length(xq)</pre>
       fprintf(' % 8.2f % 8.2f | % 7.2f % 8.2f \n',x(i),y(i),xq(i),yq(i))
```

When exercise2.m is run in the workspace, the following output is displayed to the command window:

	Х	Х У	XQ	YQ	
0.27 -13.68 0.26 -13.60 0.50 -15.15 1.06 -12.87 0.57 -15.38 1.17 -11.21 0.61 -15.46 1.61 -0.48 1.00 -13.65 1.63 0.19 1.12 -12.02 2.27 25.36 2.20 22.05 2.40 31.76 2.44 34.21 3.87 174.52 2.82 57.11 3.87 174.52 3.28 95.87 3.90 179.45 3.28 95.91 3.90 179.45 3.51 122.07 3.74 152.71 3.76 155.98 3.80 163.20 4.30 258.46 4.51 308.02 4.59 327.12 4.70 357.70	0.50 0.57 0.61 1.00 1.12 2.20 2.44 2.82 3.28 3.38 3.51 3.74 3.76 3.80 4.51 4.59	0.50 -15.15 0.57 -15.38 0.61 -15.46 1.00 -13.65 1.12 -12.02 2.20 22.05 2.44 34.21 2.82 57.11 3.28 95.87 3.28 95.91 3.38 106.29 3.51 122.07 3.74 152.71 3.76 155.98 3.80 163.20 4.30 258.46 4.51 308.02 4.59 327.12	1.06 1.17 1.61 1.63 2.27 2.40 3.87 3.87	-12.87 -11.21 -0.48 0.19 25.36 31.76 174.52 174.52	

```
exercise3.m:
```

```
% APPM3021 Lab 4 Exercise 3
% Tyson Cross 1239448
clc; clear all;
format loose
rng('shuffle');
%% Calculations
N = 20;
syms f a;
f = @(a) 1/3*a.^4 + 2*a.^3 - 5*sin(2*a) + exp(-a/2) - 12;
x = sort(unifrnd(0,5,N,1));
y = double(f(x));
xq = sort(unifrnd(0,5,round(N/2),1));
yq = NewtonInterp(x,y,xq);
|% 8s % 8s \n','X','Y','XQ','YQ')
for i=1:length(x)
    if i <= length(xq)</pre>
         fprintf(' % 8.2f % 8.2f
                                         % 7.2f % 8.2f \n', x(i), y(i), xq(i), yq(i))
     else
         fprintf(' % 8.2f % 8.2f
                                         n',x(i),y(i)
     end
end
%% Display setting and output setup
scr = get(groot, 'ScreenSize');
phi = (1 + sqrt(5))/2;
ratio = phi/3;
                                                                            % screen resolution
offset = [ scr(3)/4 scr(4)/4];
fig1 = figure('Position',...
                                                                            % draw figure
          [offset(1) offset(2) scr(3)*ratio scr(4)*ratio]);
set(fig1,'numbertitle','off',...
    'name','Exercise 3',...
    'Color','white');
fontName='Helvetica';
                                                                            % Give figure useful title
set(0,'defaultAxesFontName', fontName);
set(0,'defaultTextFontName', fontName);
                                                                            % Make fonts pretty
set(groot,'FixedWidthFontName', 'ElroNet Monospace')
% Draw plots
pl = plot(x,y,...
'Color',[0.9 0.18 0.18 .6],...
'LineStyle','-',...
 'LineWidth',1);
hold on
p2 = plot(xq,yq,...

'Color',[0.18 0.9 0.18 .6],...

'LineStyle',':',...

'LineWidth',2,...
     'MarkerSize',6,.
 'Marker','o');
'Marker','o');
```

```
hold on
```

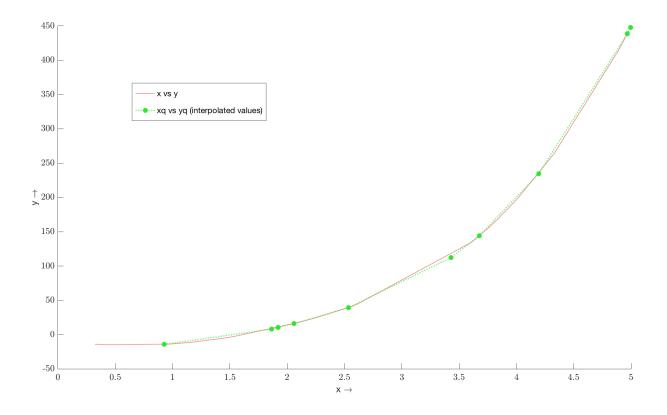
```
% Axes and labels
ax1 = gca;;
box(ax1,'off');
set(ax1,'FontSize',14,...
    'YMinorTick','off',...
    'XMinorTick','off',...
    'TickLabelInterpreter','latex');
hold on
ylabel('y \rightarrow',...
    'FontName',fontName,...
    'FontSize',14);%,...
xlabel('x \rightarrow',...
    'FontName',fontName,...
    'FontSize',14);
% Legend
legend1 = legend({'x vs y','xq vs yq (interpolated values)'},...
    'Location','best',...
    'Position',[0.19 0.7 0.2 0.09],...
    'Box','on');
hold on
% Adjust figure
pos = get(ax1, 'Position');
pos(1) = 0.08;
pos(3) = pos(3)*1.1;
set(ax1, 'Position', pos)
hold off
```

When exercise3.m is run in the workspace, the following output is displayed to the command window:

Х	Y	XQ	YQ	
0.32 0.45 0.98 1.17 1.47 1.52 1.54 2.09 2.16 2.27 2.59 3.61 3.76 3.78 3.84 4.01 4.33 4.89 4.98	-14.08 -14.93 -13.83 -11.21 -4.67 -3.19 -2.69 17.42 20.41 25.28 42.49 134.71 135.13 155.86 160.16 169.43 197.57 264.10 414.80 442.58	0.93 1.86 1.92 2.06 2.54 3.43 3.68 4.19 4.97 5.00	-14.34 8.10 10.30 16.01 39.39 112.15 144.17 234.66 438.84 447.89	

When exercise3.m is run in the workspace, the following figure is generated:

Figure 1. Exercise 3



```
exercise_extra.m:
% APPM3021 Lab 4 Exercise 3 % Tyson Cross 1239448
clc; clear all;
format loose
rng('shuffle');
%% Calculations
N = 20;
syms f a poly b;

f = @(a)1/3*a.^4 + 2*a.^3 - 5*sin(2*a) + exp(-a/2) - 12;
x = sort(unifrnd(0,5,N,1));
y = double(f(x));
xq = sort(unifrnd(0,5,round(N/2),1));
poly = NewtonInterpPoly(x,y,xq);  %
                                             % create a symbolic function of the polynomial % evaluate the polynomial at the requested values
yq = poly(xq);
% Display results
fprintf('% 8s % 8s
                           |% 8s % 8s \n','X','Y','XQ','YQ')
_____\n\n')
fprintf('
for i=1:length(x)
     if i <= length(xq)</pre>
          fprintf(' % 8.2f % 8.2f
                                          % 7.2f % 8.2f \n',x(i),y(i),xq(i),yq(i))
     else
          fprintf(' % 8.2f % 8.2f
                                         n',x(i),y(i)
     end
end
%% Display setting and output setup
scr = get(groot, 'ScreenSize');

phi = (1 + sqrt(5))/2;

ratio = phi/3;

offset = [ scr(3)/4 scr(4)/4];
                                                                           % screen resolution
fig1 = figure('Position'
                                                                           % draw figure
          [offset(1) offset(2) scr(3)*ratio scr(4)*ratio]);
% Give figure useful title
                                                                           % Make fonts pretty
% Axes and labels
ax1 = gca;
box(ax1,'off');
set(ax1,'FontSize',14,...
```

```
'YMinorTick','off',...
'XMinorTick','offf',...
'TickLabelInterpreter','latex');
hold on
ylabel('y \rightarrow',...
'FontName',fontName,...
'FontSize',14);%,...
xlabel('x \rightarrow',...
'FontName',fontName,...
'FontSize',14);

Draw plots
pl = plot(x,y,...
'Color',[0.18 0.18 0.9 .6],...
'LineStyle',':',...
'LineWidth',2,...
'MarkerSize',6,...
'MarkerSize',6,...
'Marker','+');
hold on

f1 = fplot(ax1, poly,[min(x) max(x)],...
'Color',[0.18 0.9 0.18 .5],...
'LineStyle','-',...
'LineWidth',1);
hold on

Legend
poly_name = strcat('Polynomial P_{',num2str(length(x)-1),'} (x)');
legend1 = legend({'x vs y',poly_name,},...
'Position','best',...
'Position','best',...
'Position','o');
hold on

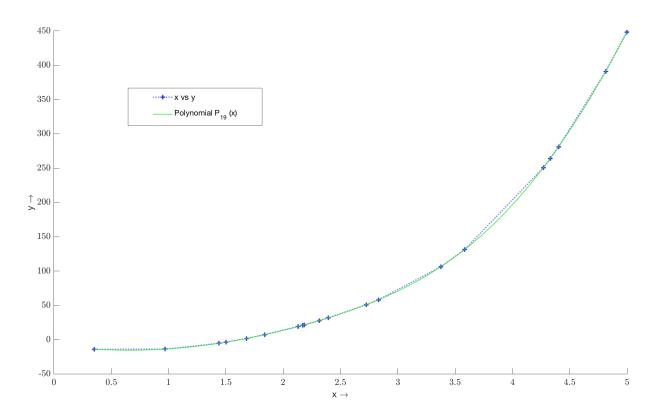
Adjust figure
pos = get(ax1, 'Position');
pos(1) = 0.08;
pos(3) = pos(3)*1.1;
set(ax1, 'Position', pos)
hold off
```

When exercise_extra.m is run in the workspace, the following output is displayed to the command window:

Х	Y	XQ	YQ
0.35 0.97 1.44 1.50 1.68 1.84 2.13 2.17 2.31 2.40 2.73 2.83 3.38 3.58 4.27 4.33 4.40 4.81 5.00	-14.31 -13.93 -5.44 -3.71 1.64 7.23 19.03 20.89 21.51 27.67 31.74 50.86 58.05 106.31 131.40 250.90 264.06 281.19 391.21 448.33	0.23 0.93 1.19 1.45 1.75 2.17 2.79 3.00 3.42 4.89	-13.32 -14.29 -10.87 -5.26 4.16 20.73 54.95 70.27 111.29 413.22

When exercise_extra.m is run in the workspace, the following figure is generated:

Figure 2. Extra Exercise



Question 1. 1)

% APPM3021 Lab 4 Question 1_1

% Tyson Cross 1239448

clc; clear all; format loose rng('shuffle');

```
R = [1101.0;911.3;636.0;451.1;233.5];
T = [25.113;30.131;40.120;50.128;60.136];
[co, Table] = NewtonInterpSimple(R,T);
for i=1:length(R)
 fprintf(' \( \bar{\chi} \) 8.2f \( \chi \) 8.2f\\n',R(i),T(i))
end
disp('')
disp('Table of divided difference')
disp(T)
disp(' ')
disp('Newton''s polynomial coefficients:')
disp(co)
% Polynomial output fprintf('\n%dth order polynomial P(x) = ',numel(R))
for i=1:length(co)
    fprintf('%.3f',co(i));
    if i ~=1
         for j=1:i-1
             fprintf('(x-%.2f)',R(j));
         end
    end
    if i~=length(co)
         fprintf(' +
    else
         fprintf(' \ ' \ ')
    end
end
When question1_1.m is run in the workspace, the following output is displayed to the command window:
             T(°C)
  R(ohm)
              25.11
  1101.00
              30.13
   911.30
   636.00
451.10
              40.12
50.13
   233.50
              60.14
Table of divided difference
   25.1130
   30.1310
   40.1200
   50.1280
   60.1360
```

Questions:

25.1130

```
Question 1.2)
% APPM3021 Lab 4 Question 1_2
% Tyson Cross 1239448

clc; clear all;
format loose
rng('shuffle');
R = [1101.0;911.3;636.0;451.1;233.5];
```

Newton's polynomial coefficents:

-0.0265

0.0000

-0.0000

-0.0000

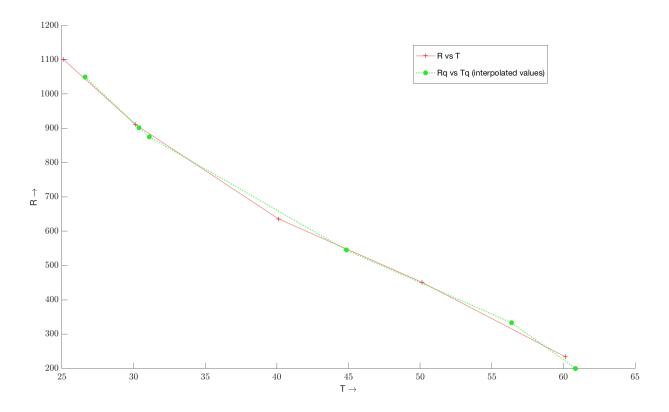
```
T = [25.113;30.131;40.120;50.128;60.136];
Rq = [1050.1;901.56;875.11;545.27;333.1;200];
[co, Table] = NewtonInterpSimple(R,T);
Tq = NewtonInterp(R,T,Rq);
% Display results
fprintf('% 8s % 8s
                             |% 8s % 8s \n','R(ohm)','Temp(°C)','Rq','Tq')
fprintf('
 for i=1:length(T)
      if i <= length(Rq)</pre>
           fprintf(' % 8.2f % 8.2f
                                             % 8.2f % 8.2f \n',R(i),T(i),Rq(i),Tq(i))
      else
           fprintf(' % 8.2f % 8.2f
                                             \n',T(i),T(i))
      end
end
%% Display setting and output setup
scr = get(groot, 'ScreenSize');
                                                                                   % screen resolution
phi = (1 + sqrt(5))/2;
ratio = phi/3;
offset = [scr(3)/4scr(4)/4];
fig1 = figure('Position
                                                                                   % draw figure
           [offset(1) offset(2) scr(3)*ratio scr(4)*ratio]);
% Give figure useful title
set(0,'defaultAxesFontName', fontName);
set(0,'defaultTextFontName', fontName);
set(groot,'FixedWidthFontName', 'ElroNet Monospace')
                                                                                   % Make fonts pretty
% Draw plots
p1 = plot(T,R,...
    'DisplayName','R vs T',...
    'Color',[0.9 0.18 0.18 .6],...
'LineStyle','-',...
'LineWidth',1,...
    'MarkerSize',6,...
'MarkerFaceColor',[0.18 0.9 0.18],...
'Marker' '+');
      'Marker','+');
hold on
noid on p2 = plot(Tq,Rq,...
'DisplayName','Rq vs Tq (interpolated values)',...
'Color',[0.18 0.9 0.18 .6],...
'LineStyle',':',...
'LineWidth',2,...
'MarkerSize',6,...
  'MarkerFaceColor',[0.18 0.9 0.18],...
'Marker','o');
hold on
% Axes and labels
ax1 = gca;;
ax1 = gca;;
box(ax1,'off');
set(ax1,'FontSize',14,...
   'YMinorTick','off',...
   'XMinorTick','off',...
      'TickLabelInterpreter', 'latex');
hold on
ylabel('R \rightarrow',...
'FontName',fontName,...
'FontSize',14);%,...
xlabel('T \rightarrow',...
'FontName',fontName,...
'FontSize',14);
% Legend
legend1 = legend(ax1,'show');
hold on
% Adjust figure
pos = get(ax1, 'Position');
pos(1) = 0.08;

pos(3) = pos(3)*1.1;
set(ax1,
             'Position', pos)
hold off
```

When question 1_2.m is run in the workspace, the following output is displayed to the command window:

R(ohm) Temp(°C)		Rq	Tq	
1101.00 911.30 636.00 451.10 233.50	25.11 30.13 40.12 50.13 60.14	1050.10 901.56 875.11 545.27 333.10	26.62 30.39 31.10 44.84 56.37	

Figure 3. Question 1. 2)



Question 2

```
% APPM3021 Lab 4 Question 2
% Tyson Cross 1239448
clc; clear all;
format loose
rng('shuffle');
N = [5, 10, 20, 30];
M = 101;
syms f a;
f(a) = 1/(1+25*a^2);
xq = linspace(-5,5,M)';
max_diff = zeros(1,numel(N));
for i=1:numel(N)
      x{:,i} = linspace(-5,5,N(i))';
y{:,i} = double(f(x(i)));
yq{:,i} = NewtonInterp(x{:,i},y{:,i},xq);
end
for i=1:numel(N)
   k=1;
       for j=1:numel(x{:,i})-1
    while k<numel(xq) && xq(k)>=x{:,i}(j) && xq(k)<=x{:,i}(j+1)
        current_diff = abs(max(abs(y{:,i}(j)))-max(abs(yq{:,i}(k))));
        if current_diff > max_diff(i);
            max_diff(i) = current_diff;
                     end
                    k=k+1;
             end
      end
end
disp('')
% Display results
fprintf('Max Differences \n')
fprintf('
                                           _\n\n')
for i=1:length(max_diff)
                                Max difference = %.3f \n\n',N(i),max_diff(i))
fprintf('n = %2d
%% Display setting and output setup
scr = get(groot,'ScreenSize');
phi = (1 + sqrt(5))/2;
ratio = phi/3;
                                                                                                         % screen resolution
```

```
offset = [ scr(3)/4 scr(4)/4];
fig1 = figure('Position
                                                                                  % draw figure
           [offset(1) offset(2) scr(3)*ratio scr(4)*ratio]);
% Give figure useful title
set(0,'defaultAxesFontName', fontName);
set(0,'defaultTextFontName', fontName);
                                                                                 % Make fonts pretty
set(groot, 'FixedWidthFontName', 'ElroNet Monospace')
% Draw plots
linS = {'--',':','-.'};
for i=1:numel(N)
     num_ax = strcat('ax',num2str(i));
num_leg = strcat('legend',num2str(i));
     variable.(num_ax) = subplot(2,2,i);
     f1 = fplot(variable.(num_ax), f,[min(x\{:,i\}) max(x\{:,i\})],...
 'Color',[0.18 0.9 0.18 .5],...
'LineStyle','-',...
'LineWidth',1);
     hold on
     pl = plot(variable.(num_ax),x{:,i},y{:,i},...
           'Color',[0.9 0.18 0.18 .5],...
           'Linestyle','-',...
'LineWidth',1.5,...
'MarkerSize',6,...
'MarkerFaceColor',[0.18 0.9 0.18],...
           'Marker', 'x');
     p2 = plot(variable.(num_ax),xq,yq{:,i},...
            DisplayName
           'DisplayName','yq',...
'Color',[0.18 0.18 0.9 .5],.
           'Linestyle',linS{mod(i,numel(linS))+1},...
'LineWidth',1.5);
     hold on
     % Axes and labels
     % Axes and labels
box(variable.(num_ax),'off');
set(variable.(num_ax),'FontSize',14,...
    'YMinorTick','off',...
    'XMinorTick','off',...
    'XTick',x{:,1},...
    'YLim',[min(yq{:,i}) ceil(max(yq{:,i}))],...
    'TicklabelInterpreter', 'later','...
           'TickLabelInterpreter', 'latex');
     hold on
     ylabel('y \rightarrow'
           'FontName', fontName, ...
'FontSize', 14); %, ...
     xlabel('x \rightarrow',...
     'FontName', fontName,...
'FontSize',14);
title(strcat('N=',num2str(N(i))),...
           'FontName', fontName,...
'FontSize',14);
     % Legend
     variable.(num_leg) = legend('show');
     set(variable.(num_leg),...
    'Location','best',...
    'Box','off');
     hold on
     switch i
           case 1
                set(variable.(num_leg),
                      Position',[0.260797293759768 0.609026492988499 0.105212355212355 0.0818895035093611]);
           case 2
               set(variable.(num leg),
                      'Position',[0.752591052429539 0.767796055549154 0.184362934362934 0.0818895035093611]);
           case 3
               set(variable.(num_leg)
                      'Position',[0.248249031211505 0.255092594135115 0.105212355212355 0.0818895035093609]);
           case 4
                set(variable.(num_leg)
                      'Position',[0.689555191267665 0.248910213918732 0.105212355212355 0.081889503509361]);
```

When question2.m is run in the workspace, the following output is displayed to the command window:

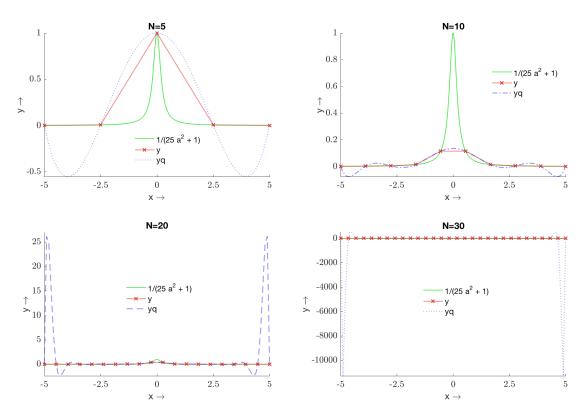
Max Differences

```
n = 5 Max difference = 0.994
n = 10 Max difference = 0.097
```

```
n = 20 Max difference = 26.141
n = 30 Max difference = 11269.111
```

When question2.m is run in the workspace, the following figure is generated:

Figure 4. Question 2



Weierstrass Approximation Theorem states that all continuous functions defined on a given interval can be continously uniformly well approximated by a polynomial function of a sufficiently high degree. However, Runge's phenomenon shows that for certain functions interpolated uniformlyover equidistance points, that there can be an oscillation in the interpolated approximation, towards the positive and negative ends of the interval, with an error that increases (towards infinity) as the degree of the polynomial increases. Each nth derivative of the Runge function increases in magnitude rapidly, increasing the size of the error as the degree of the approximation increases.

Question 3

```
% APPM3021 Lab 4 Question 3
% Tyson Cross 1239448
clc; clear all;
format loose
rng('shuffle');
N = [10, 20, 30];
M = 101;
syms f a;
f(a) = log(a);
xq = linspace(1,10,M)';
max_diff = zeros(1,numel(N));
for i=1:numel(N)
     x\{:,i\} = linspace(1,10,N(i))';

y\{:,i\} = double(f(x(i)));
      yq\{:,i\} = NewtonInterp(x\{:,i\},y\{:,i\},xq);
for i=1:numel(N)
     k=1;
     for j=1:numel(x{:,i})-1
   while k<numel(xq) && xq(k)>=x{:,i}(j) && xq(k)<=x{:,i}(j+1)
        current_diff = abs(max(abs(y{:,i}(j)))-max(abs(yq{:,i}(k))));
        if current_diff > max_diff(i);
                       max_diff(i) = current_diff;
                 end
                 k=k+1;
           end
     end
```

```
end
```

```
% Display results
fprintf('Max Differences \n')
fprintf('_____\n\n
                                _\n\n')
for i=1:length(max_diff)
fprintf('n = %2d
                        Max difference = %.3f \n\n',N(i),max_diff(i))
%% Display setting and output setup
scr = get(groot, 'ScreenSize');
phi = (1 + sqrt(5))/2;
                                                                                % screen resolution
ratio = phi/3;
offset = [ scr(3)/4 scr(4)/4];
fig1 = figure('Position',...
                                                                                % draw figure
          [offset(1) offset(2) scr(3)*ratio scr(4)*ratio]);
% Give figure useful title
set(0,'defaultAxesFontName', fontName);
set(0,'defaultTextFontName', fontName);
                                                                                % Make fonts pretty
set(groot,'FixedWidthFontName', 'ElroNet Monospace')
ax1 = gca;
% Draw plots linS = {'--',':','-.'};
for i=1:numel(N)
     num_ax = strcat('ax',num2str(i));
     num_leg = strcat('legend',num2str(i));
     variable.(num_ax) = subplot(2,2,i);
     p1 = plot(variable.(num_ax), x{:,i}, y{:,i}, ...
            _
DisplayName
           'Color',[0.9 0.18 0.18 0.35],...
           'Linestyle','-',...
'Linewidth',1.5,...
'MarkerSize',6,...
'MarkerFaceColor',[0.18 0.9 0.18],...
           'Marker','x');
     p2 = plot(variable.(num_ax),xq,yq{:,i},...
           'DisplayName', strcat('yq (interpolated values)'),...
'Color',[0.18 0.18 0.9 .5],...
'Linestyle',lins{mod(i,numel(lins))+1},...
'LineWidth',1.5);
     hold on
     % Axes and labels
     % Axes and labels
box(variable.(num_ax),'off');
set(variable.(num_ax),'FontSize',14,...
    'YMinorTick','off',...
    'XXTick',x{:,1},...
    'YLim',[min(y{:,i}) ceil(max(y{:,i}))],...
    'TickLabelInterpreter','latex');
           'TickLabelInterpreter', 'latex');
     hold on
     ylabel('y \rightarrow',...
           'FontName',fontName,...
'FontSize',14);%,...
     xlabel('x \rightarrow',..
          'FontName', fontName,...
'FontSize',14);
     title(strcat('N=',num2str(N(i))),...
    'FontName',fontName,...
    'FontSize',14);
     variable.(num_leg) = legend('show');
set(variable.(num_leg),...
            'Location','best',...
'Box','off');
     hold on
          switch i
          case 1
               case 2
               set(variable.(num_leg),...
'Position',[0.729670720212078 0.65930695498747 0.16457528957529 0.0533054315296785]);
           case 3
              set(variable.(num_leg),
                     'Position',[0.289329811121169 0.188560935793336 0.16457528957529 0.0533054315296784]);
            end
end
ax4 = subplot(2,2,4);
f1 = fplot(ax4, f,[min(x{:,i}) max(x{:,i})],...
     'DisplayName', 'ln(x)',...
```

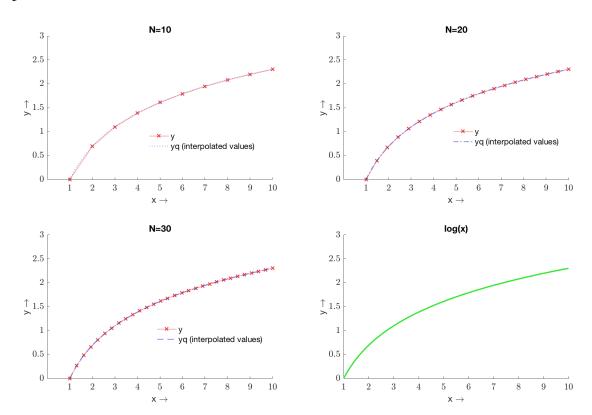
Max Differences

n = 10 Max difference = 0.688

n = 20 Max difference = 0.372

n = 30 Max difference = 0.239

Figure 5. Question 3



The interpolated approximating polynomial closely matches the function $\ln(x)$. Unlike the polynomial approximating the Runge function in Question 2, the magnitude of the derivative of the function $\ln(x)$ gets smaller with each nth derivative, so the error reduces as the degree of the polynomial increases.

Functions and Code:

NewtonInterpSimple.m:

NewtonInterp.m:

```
function yq = NewtonInterp(x,y,xq)
% NewtonInterp() performs Newton-Gregory divided difference interpolation,
 using the column vector values for x and y, and query point xq
% Output is a row vector containing the interpolated y values
    % x entries are the x values
    \$ y entries are value at f(x) \$ xq values are the queries for interpolation \$ yq values is the resulting interpolated y values
    [n \sim] = size(x); % m is the number of data points
      = zeros(n, n);
    T(:,1) = double(y)';
for j=2:n
         for i=1:(n-j+1)
              T(i,j) = (T(i+1,j-1) - T(i,j-1)) / (x(i+j-1) - x(i));
         end
    end
    co = T(1,:);
    yq = zeros(length(xq),1);
    for k=1:length(xq)
         mult = 1;
sum = 0;
         for i=1:length(co)
              if i==1
                  sum = co(i);
              else
                  mult = 1;
                  for j=1:i-1
                       \text{mult} = \text{mult} \cdot (xq(k) - x(j));
                   end
                  sum = sum + co(i) * mult;
              end
         end
         yq(k) = sum;
    end
 end
```

NewtonInterpPoly.m:

```
[n m] = size(x); % m is the number of data points
    T = zeros(n, n);
T(:,1) = double(y)';
for j=2:n
    for i=1:(n-j+1)
        T(i,j) = ( T(i+1,j-1) - T(i,j-1) ) / ( x(i+j-1) - x(i) );
end
         end
    end
    co = T(1,:);
     for i=1:length(co)
    if i ==1
    str = strcat('@(b)',num2str(co(i)));
    else
         str = strcat(str,num2str(co(i)));
         for j=1:i-1

str = strcat(str,'.*(b-',num2str(x(j)),')');
    end
    if i~=length(co)
    str = strcat(str,'+');
end
    end
    poly = str2func(str);
end
```