PPL232

Assignment 2

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General Instructions

Submit your answers to the theoretical questions in a pdf file called id1_id2.pdf and your code for programming questions inside the provided q2.l3, L31-ast.ts, q3.ts, q4.ts files in the correct places. ZIP those files together (including the pdf file, and only those files) into a file called id1_id2.zip. Make sure that your code abides by the Design By Contract methodology. Do not send assignment related questions by e-mail, use the forum instead.

You are provided with the templates *ex2.zip*.

Unpack the template files inside a folder. From the command line in that folder, invoke npm install, and work on the files in that directory. In order to run the tests, run npm test from the command line.

Important: do not add any extra libraries in the supplied template files, otherwise, we will fail to compile and you will receive a grade of zero. If you find that we forgot to import necessary libraries, let us know.

Question 1: Theoretical Questions [30 points]

- **Q1.1** Why are special forms required in programming languages? Why can't we simply define them as primitive operators? Give an example [4 points]
- Q1.2 Let us define the L0 language as L1 excluding the special form 'define'. Is there a program in L1 which cannot be transformed to an equivalent program in L0? Explain or give a contradictory example [4 points]
- **Q1.3** Let us define the L20 language as L2 excluding the special form 'define'. Is there a program in L2 which cannot be transformed to an equivalent program in L20? Explain or give a contradictory example [4 points]
- **Q1.4** In <u>practical session 5</u>, we deal with two representations of primitive operations: *PrimOp* and *Closure*. List an advantage for each of the two methods [2 points].

Q1.5 For the following high-order functions in L3, which gets a function and a list as parameters, indicate (and explain) whether the order of the procedure application on the list items should be sequential or can be applied in parallel:

- map
- reduce
- filter
- all (returns #t is the application of the given boolean function on each of the given list items returns #t)
- compose (compose a given procedure with a given list of procedures) [10 points]
- Q1.6 What is *lexical address*? Give an example which demonstrates this concept [2 points]

Q1.7 Let us define L31 as the L3 language with the addition of 'cond' special form (as described in <u>practical session 4</u>)

<u>Note</u>: The cond expression must include at least one cond-clause, and must include an else-clause (in contrast to the decription in practical session 4)

Complete the concrete and abstract syntax of L31:

```
<define> ::= ( define <var> <cexp> ) / DefExp(var:VarDecl,
val:CExp)
                               / VarRef(var:string)
<var> ::= <identifier>
<cexp> ::= <number>
                               / NumExp(val:number)
      | <boolean>
                               / BoolExp(val:boolean)
      | <string>
                               / StrExp(val:string)
      ( lambda ( <var>* ) <cexp>+ ) / ProcExp(args:VarDecl[],
                                / body:CExp[]))
      | ( if <cexp> <cexp> <cexp> ) / IfExp(test: CExp,
                                      then: CExp,
                                      alt: CExp)
      | ( let ( <binding>* ) <cexp>+ ) /
LetExp(bindings:Binding[],
                                        body:CExp[]))
      | ( quote <sexp> )
                                   / LitExp(val:SExp)
       ( <cexp> <cexp>* )
                              / AppExp(operator:CExp,
                                           operands:CExp[]))
<binding> ::= ( <var> <cexp> ) / Binding(var:VarDecl,
                                           val:Cexp)
```

[4 points]

Answers should be submitted in file id1 id2.pdf

Question 2: Programing in L3 [35 points]

Q2.1- In this part you can also use the procedures: empty?, length.

a. Implement in L3 the following procedures:

take - gets a list and a number pos and returns a new list whose elements are the first pos elements of the list. If the list is shorter then pos- return the list.

take-map - gets a list, a function func and a number pos and returns a new list whose elements are the first pos elements mapped by func. If the list is shorter then pos-return the mapped list.

take-filter - gets a *list*, a predicate *pred* and a number *pos* and returns a new list whose elements are the first *pos* elements of the *list* that satisfy *pred*. If the number of elements satisfy the predicate is less then *pos*- return the filtered *list*.

Examples:

```
(take (list 1 2 3) 2) \rightarrow '(1 2) (take '() 2) \rightarrow '() (take-map (list 1 2 3) (lambda (x) (* x x)) 2) \rightarrow '(1 4) (take-map (list 1 2 3) (lambda (x) (* x x)) 4) \rightarrow '(1 4 9) (take-filter (list 1 2 3 4) (lambda (x) (> x 1)) 2) \rightarrow '(2 3) (take-filter (list 1 2 3) (lambda (x) (> x 3)) 2) \rightarrow '()
```

b. Implement in L3 the following procedures:

sub-size - gets a *list* and a number *size* and returns a new list of all the sublists of *list* of length *size*.

sub-size-map - gets a list, a function func and a number size and returns a new list of all the sublists of list of length size that all their elements are mapped by func.

In both procedures, you can assume that $size \le (length\ list)$. if the list is not empty you can assume $1 \le size$.

Examples:

```
(sub-size '() 0) \rightarrow '(())

(sub-size (list 1 2 3) 3) \rightarrow '((1 2 3))

(sub-size (list 1 2 3) 2) \rightarrow '((1 2) (2 3))

(sub-size (list 1 2 3) 1) \rightarrow '((1) (2) (3))

(sub-size-map '() (lambda (x) (+ x 1)) 0) \rightarrow '(())

(sub-size-map (list 1 2 3) (lambda (x) (+ x 1)) 3) \rightarrow '((2 3 4))

(sub-size-map (list 1 2 3) (lambda (x) (+ x 1)) 2) \rightarrow '((2 3) (3 4))

(sub-size-map (list 1 2 3) (lambda (x) (+ x 1)) 1) \rightarrow '((2) (3) (4))
```

Q2.2

We can represent a binary tree in L3 using a list as follows: the first element in every nesting level represents the root of the sub-tree.

A leaf is represented by an atom (not a list/pair).

A missing child is represented as the empty list.

An empty tree is represented by an empty list.

For example:



Is represented as:

'(1 (#t 3 4) 2)

a. Implement in L3 the following procedures:

root- gets a list representing a tree and returns the value of the root.

left- gets a list representing a tree and returns the subtree of the left son, or an empty list if there is no left son.

right- gets a list representing a tree and returns the subtree of the right son, or an empty list if there is no right son.

In all 3 procedures above, you can assume the tree is valid and contains the requested nodes.

In the following two sections, to enforce the principle of encapsulation, your implementation of count-node and mirror-tree should only use the functions root, left and right when accessing the tree parameter.

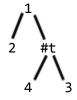
b. Implement in L3 the procedure count-node which given a list representing a tree and an atomic val, returns the number of nodes whose value is equal to val.

For example:

(count-node '(1 (#t 3 #t) 2) #t)
$$\rightarrow$$
 2 (count-node '(1 (#t 3 #t) 2) 4) \rightarrow 0

c. Implement in L3 the procedure mirror-tree which given a list representing a *tree*, returns the mirrored tree.

For example, the mirrored tree for the example above will be:



Is represented as:

'(1 2 (#t 4 3))

a. Implement in L3 the following procedures to support result, ok and error structures:
 make-ok - gets a *value* and returns an ok structure for the *value* of type result.
 make-error - gets an error *message* and returns an error structure for the *message* of type result.

```
ok? - type predicate for ok.
```

error? - type predicate for error.

result? - type predicate for result.

result->val - gets a *result* structure and returns the value it represents, or the error message for error. If the given result is not a result, return an error structure with the message "Error: not a result"

Examples:

```
(define ok (make-ok 1))
(ok? ok) → #t
(error? ok) → #f
(result? ok) → #t
(result->val ok) → 1

(define error (make-error "some error message"))
(error? error) → #t
(ok? error) → #f
(result? error) → #t
(result->val error) → "some error message"

(define not-ok 'ok)
(ok? not-ok) → #f
(error? not-ok) → #f
(result? not-ok) → #f
(result.>val (result.>val not-ok)) → "Error: not a result"
```

b. Implement in L3 the procedure bind which given a function *func* from a non-result to result, returns a new function which given a result, returns the activation of *func* on its value or an error structure accordingly. If the given result is not a result, return an error structure.

```
For example:
```

```
(define inc-result (bind (lambda (x) (make-ok (+ x 1)))))
(define ok (make-ok 1))
(result->val (inc-result ok)) → 2
(define error (make-error "some error message"))
(result->val (inc-result error)) → "some error message"
```

You may add auxiliary procedures to all questions.

The code (without comments) should be submitted in file src/q2.l3

Don't forget to write a contract for each of the above procedures.

- ; Signature:
- ; Type:
- ; Purpose:
- ; Pre-conditions:
- ; Tests:

Write the contracts in file id1 id2.pdf.

You can test your code with test/q2-tests.ts

Question 3: Syntactic Transformations [20 points]

- a. Implement the parser of L31, as defined in **Q1.7** above.
- b. Write the procedure *I31ToL3* which transforms a given L31 program to a L3 program.

The code should be submitted in files src/q3.ts, src/L31-ast.ts

You can test your code with test/q3-tests.ts

Question 4: Code translation [15 points]

Write the procedure *I2ToPython* which transforms a given L2 program to a Python program.

The procedure gets an L30 AST and returns a string of the equivalent Python program.

For example:

```
(+ 3 5) \Rightarrow (3 + 5)

(if (> x 3) 4 5) \Rightarrow (4 if (x > 3) else 5)

(lambda (x y) (* x y)) \Rightarrow (lambda x, y : (x * y))

((lambda (x y) (* x y)) 3 4) \Rightarrow (lambda x, y : (x * y)) (3,4)

(define pi 3.14) \Rightarrow pi = 3.14

(define f (lambda (x y) (* x y))) \Rightarrow f = (lambda x, y : (x * y))

(f 3 4) \Rightarrow f(3,4)
```

```
boolean? \Rightarrow (lambda x : (type(x) == bool))
(L3
(define b (> 3 4))
(define x 5)
(define f (lambda (y) (+ x y)))
(define g (lambda (y) (* x y)))
(if (not b) (f 3) (g 4))
(if (= a b) (f 3) (g 4))
(if (> a b) (f 3) (g 4))
((lambda (x) (* x x)) 7)
)
\Rightarrow
b = (3 > 4)
x = 5
f = (lambda y : (x + y))
g = (lambda y : (x * y))
(f(3) if (not b) else g(4))
(f(3) if (a == b) else g(4))
(f(3) if (a > b) else g(4))
(lambda x : (x * x))(7)
```

To make things simpler, you can assume that the body of the lambda expressions contains only <u>one</u> expression.

Note: The primitive operators of L2 are: +, -, *, /, <, >, =, number?, boolean?, eq?, and, or, not

The code should be submitted in file src/q4.ts You can test your code with test/q4-tests.ts

