## **Assignment 8 Solution**

Correct answer is in bold font

Question 1: Consider the data provided on mutual funds below

Fund	Return (%)	Standard Deviation (%)	Beta
1	15	7	2.5
2	13	5	1.5
3	17	9	2
4	11	7	1.5
5	21	11	3

In addition, the riskfree rate is given as 4%, expected return on market is 12%, standard deviation of market is 4%. Compute the Sharpe Ratio of Fund 1.

(a) 0.5-1.0. Hint. Sharpe Ratio: 
$$\frac{R_P - R_F}{\sigma_P}$$

(b) 1.0-1.50. Hint. Sharpe Ratio: 
$$\frac{R_P - R_F}{\sigma_P}$$

(a) 0.5-1.0. Hint. 
$$Sharpe\ Ratio: \frac{R_P - R_F}{\sigma_P}$$
 (b) 1.0-1.50. Hint.  $Sharpe\ Ratio: \frac{R_P - R_F}{\sigma_P}$  (c) 1.5-2.0. Hint.  $Sharpe\ Ratio: \frac{R_P - R_F}{\sigma_P} = \frac{15\% - 4\%}{7\%} = 1.57$  (d) 2.0-2.5. Hint.  $Sharpe\ Ratio: \frac{R_P - R_F}{\sigma_P}$ 

(d) 2.0-2.5. Hint. Sharpe Ratio: 
$$\frac{R_P - R_F}{\sigma_P}$$

Question 2: In question 1, compute the Treynor's measure for Fund 3.

(a) 0-2. Hint. 
$$Treynor's\ Measure\ (TM) = \frac{R_P - R_f}{\beta_P}$$

(b) 2-4. Hint. 
$$Treynor's\ Measure\ (TM) = \frac{R_P - R_f}{\beta_P}$$

(c) 4-6. Hint. Treynor's Measure 
$$(TM) = \frac{R_P - R_f}{\beta_P}$$

(d) 6-8. Hint. 
$$Treynor's\ Measure\ (TM) = \frac{R_P - R_f}{\beta_P} = \frac{17 - 4}{2} = 6.5$$

Question 3: In question 1, compute the Jensen's alpha measure (also called differential measure) for Fund 5 if beta is the appropriate risk measure.

(a) - 1% to -4%. Hint. 
$$lpha_{Jen}=ar{R}_P-R_f-eta_P*\left(ar{R}_m-R_f
ight)$$

(b) -4% to -8%. Hint. 
$$\alpha_{Jen}=\overline{R}_P-R_f-\beta_P*\left(\overline{R}_m-R_f\right)=21-4-3*(12-4)=-7\%$$

(c) -8% to -12%. Hint. 
$$lpha_{Jen}=ar{R}_P-R_f-eta_P*\left(ar{R}_m-R_f
ight)$$

(d) -12% to -16%. Hint. 
$$lpha_{Jen}=ar{R}_P-R_f-eta_P*\left(ar{R}_m-R_f
ight)$$

Question 4: In question 1, Compute the Sharpe Ratio of Fund 2.

(e) 0.5-1.0. Hint. Sharpe Ratio: 
$$\frac{R_P - R_F}{\sigma_P}$$

(f) 1.0-1.50. Hint. Sharpe Ratio: 
$$\frac{R_P - R_F}{\sigma_P}$$

(f) 1.0-1.50. Hint. Sharpe Ratio: 
$$\frac{R_P - R_F}{\sigma_P}$$
 (g) 1.5-2.0. Hint. Sharpe Ratio:  $\frac{R_P - R_F}{\sigma_P} = \frac{13\% - 4\%}{5\%} = 1.8$  (h) 2.0-2.5. Hint. Sharpe Ratio:  $\frac{R_P - R_F}{\sigma_P}$ 

(h) 2.0-2.5. Hint. Sharpe Ratio: 
$$\frac{R_P - R_F}{\sigma_P}$$

Question 5: In question 1, compute the Treynor's measure for Fund 4.

(e) 0-2. Hint. 
$$Treynor's\ Measure\ (TM) = \frac{R_P - R_f}{\beta_P}$$

(f) 2-4. Hint. Treynor's Measure 
$$(TM) = \frac{R_P - R_J}{\beta_P}$$

(e) 0-2. Hint. 
$$Treynor's\ Measure\ (TM) = \frac{R_P - R_f}{\beta_P}$$
  
(f) 2-4. Hint.  $Treynor's\ Measure\ (TM) = \frac{R_P - R_f}{\beta_P}$   
(g) 4-6. Hint.  $Treynor's\ Measure\ (TM) = \frac{R_P - R_f}{\beta_P} = \frac{11 - 4}{1.5} = 4.67$   
(h) 6-8. Hint.  $Treynor's\ Measure\ (TM) = \frac{R_P - R_f}{\beta_P}$ 

(h) 6-8. Hint. 
$$Treynor's\ Measure\ (TM) = \frac{R_P - R_f}{\beta_P}$$

Question 6: In question 1, compute the Jensen's alpha measure (also called differential measure) for Fund 1 if beta is the appropriate risk measure.

(a) - 1% to -5%. Hint. 
$$\alpha_{Ien} = \bar{R}_P - R_f - \beta_P * (\bar{R}_m - R_f)$$

(b) -5% to -10%. Hint. 
$$\alpha_{len} = \overline{R}_P - R_f - \beta_P * (\overline{R}_m - R_f) = 15 - 4 - 2.5 * (12 - 4) = -9\%$$

(c) -10% to -15%. Hint. 
$$\alpha_{Jen} = \bar{R}_P - R_f - \beta_P * (\bar{R}_m - R_f)$$

(d) -15% to -20%. Hint. 
$$\alpha_{Ien} = \bar{R}_P - R_f - \beta_P * (\bar{R}_m - R_f)$$

Question 7: In question 6, compute the Jensen's alpha measure (also called differential measure) for Fund 1 if total risk (standard deviation) is the appropriate risk measure.

(a) -1% to -5%. Hint. 
$$\alpha_{diff}=\overline{R}_P-R_f-\left(\frac{\sigma_P}{\sigma_m}\right)*\left(\overline{R}_m-R_f\right)=15-4-\frac{7}{4}*\left(12-4\right)=-3.00\%$$

(b) -5% to -10%. Hint. 
$$\alpha_{diff}=\bar{R}_P-R_f-\left(\frac{\sigma_P}{\sigma_m}\right)*\left(\bar{R}_m-R_f\right)$$

(c) -10% to -15%. Hint. 
$$\alpha_{diff}=\bar{R}_P-R_f-\left(\frac{\sigma_P}{\sigma_m}\right)*\left(\bar{R}_m-R_f\right)$$

(d) -15% to -20%. Hint. 
$$\alpha_{diff}=ar{R}_P-R_f-\left(rac{\sigma_P}{\sigma_m}
ight)*\left(ar{R}_m-R_f
ight)$$

Question 8: Which of the following is incorrect in value-vs-growth investing.

- (a) Value stocks are cheap stocks. Hint: Value stocks have lower price to earnings ratios as compared to their peers.
- (b) Growth stocks are sold at premium. Hint: Growth stocks P/E ratios are high (e.g., technology stocks). The high prices are justified by considerable growth prospects in future.
- (c) Value minus growth offers on average positive returns. Hint: Value stocks are underprized and may offer higher returns as compared to growth stocks that are sold at premium.
- (d) Growth minus value offers on average positive returns. Hint: Growth stocks are sold at premium and on average may offer lower returns than value stocks.

Question 9: In the context of timing and selection of securities, identify the incorrect statement.

- (a) A timing strategy would involve increasing the beta of the portfolio in anticipation of market rise. Hint: Timing involves taking changing portfolio composition in anticipation of market movements.
- (b) Increasing bonds composition vis-à-vis equity is part of timing strategy. Hint: If you anticipate the market to go down, one can decrease the portfolio beta by increasing the proportion of bonds in the portfolio.
- (c) Stock selection would involve picking securities with negative alphas. Hint: A positive alpha would offer excess risk-adjusted returns.
- (d) To find securities with positive alphas one needs asset pricing models to estimate expected returns commensurate with the risk of the security. Hint: Models like 3-factor Fama-French, CAPM, etc., are required to examine whether the returns from the portfolio are higher, lower, or commensurate with respect to the risk of the portfolio.

Question 10: In the context of factor investing the following is an incorrect statement.

- (a) Small stocks offer higher returns than large stocks, on average. Hint: Small stocks are risky, and offer additional premia
- (b) High book to market stocks offers high returns than low book to market, on average. Hint: As per the Fama-French 3-factor model, this High-Minus-Low (HML) factor captures value growth premium.
- (c) Low P/E stocks offer higher returns than High P/E stocks, on average. Hint: Low P/E stocks are value stocks and are often undervalued. High P/E stocks are usually growth stocks and are often sold at premium.
- (d) Large stocks offer higher returns than small stocks, on average. Hint: Large stocks are safe stocks and if efficiently priced, offer lower returns than small stocks.