

# Artificial Intelligence (AI) for Investments

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## **Lesson 3: Making investment decisions**



# Introduction

In this lesson we will cover the following topics:

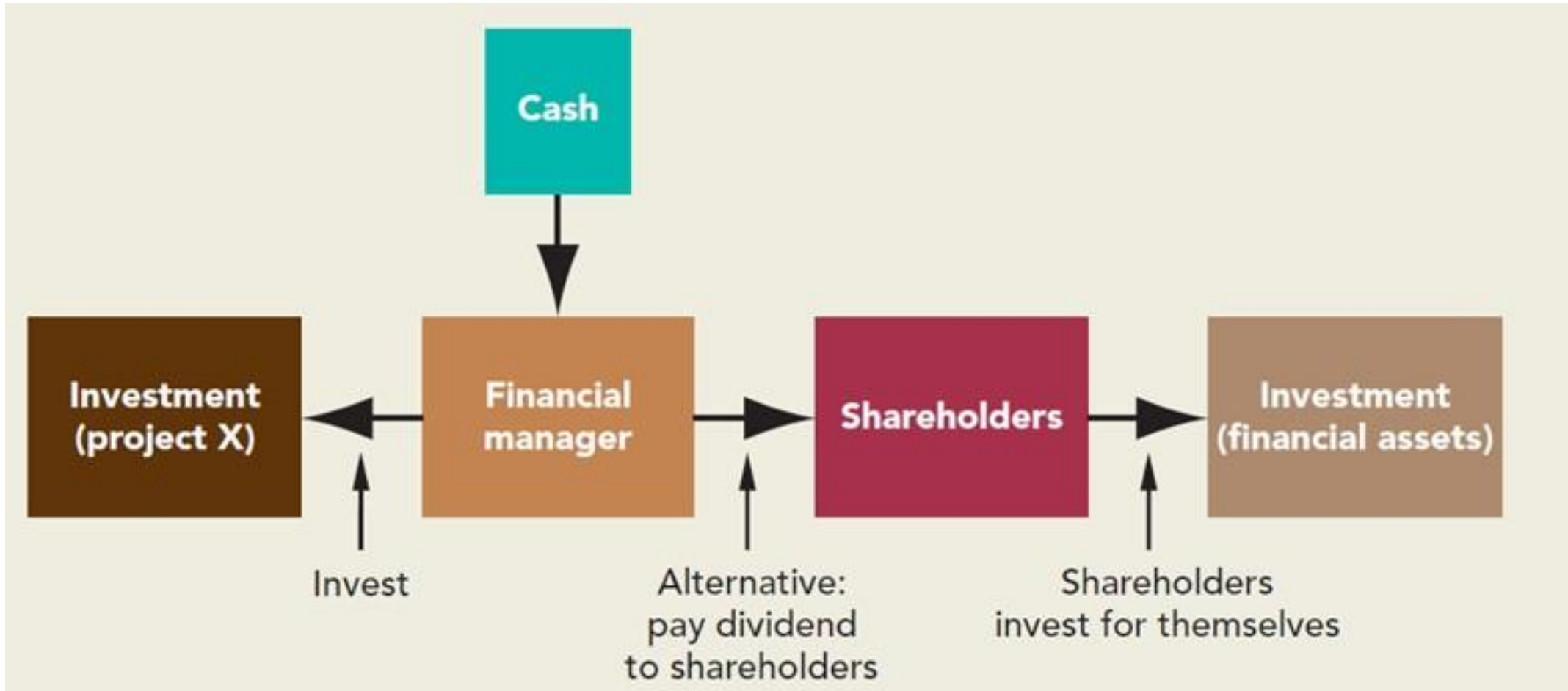
- Review of NPV basics
- Alternatives to NPV rule – Payback period method
- Alternatives to NPV rule – Internal rate of return (IRR) method
- Pitfalls of IRR
- Capital investments with limited resources
- Summary and concluding remarks



# Review of NPV basics

- Consider yourself in a position of a CFO where you are analyzing \$1 million investment in a new venture called project P
- That the current market value of your firm is \$10 million, which includes \$1 million cash that you plan to invest in project P
- You find the NPV of this project by discounting the cash flows, adding them up to compute their PV, and subtracting the initial investment of \$1 million
- It is easy to understand if  $PV > 1$  this project has a positive NPV

# Review of NPV basics





# Review of NPV basics

- NPV rule recognizes that a dollar today is worth more than a dollar tomorrow
- Any decision rule that is affected by managers' tastes, choice of accounting method, profitability of existing business, or that of other projects will lead to an inefficient decision
- $NPV(A+B) = NPV(A) + NPV(B)$
- Book incomes are not necessarily the same as cash flows
- Profitability measures such as book rate of returns, heavily depend on the classification of various items as capital investment and their rate of depreciation

# Alternatives to NPV rule – Payback period method

- A project's payback period is simply found by estimating the years it takes for the project cash flows to meet the initial investment
- A washing machine is costing \$800. You spend \$300 a year on washing your clothes. As a thumb rule, if this machine is purchased, it will recover its expenses in 3 years
- The payback rule states that a project should be accepted if its payback period is less than some cut-off period
- Consider a simple example here

Project	C0	C1	C2	C3	Payback Period (years)	NPV at 10%
A	-2,000	500	500	5,000	3	+2,624
B	-2,000	500	1,800	0	2	-58
C	-2,000	1,800	500	0	2	+50

# Alternatives to NPV rule – Discounted Payback period method

- An improved version of payback period is to employ discounted cash flows
- This discounted payback rule examines that how many years it takes for the discounted cash flows to recover the initial investment, i.e., become NPV positive
- Let us examine our previous example, with the help of discounted cash flows

Project	C0	C1	C2	C3	Discounted Payback Period (years)	NPV at 10%
A	-2,000	$\frac{500}{1.1} = 455$	$\frac{500}{1.1^2} = 413$	$\frac{5,000}{1.1^3} = 3757$	3	+2,624
B	-2,000	$\frac{500}{1.1} = 455$	$\frac{1,800}{1.1^2} = 1488$	-	-	-58
C	-2,000	$\frac{1,800}{1.1} = 1636$	$\frac{500}{1.1^2} = 413$	-	2	+50



# Alternatives to NPV rule – Internal rate of return (IRR) method

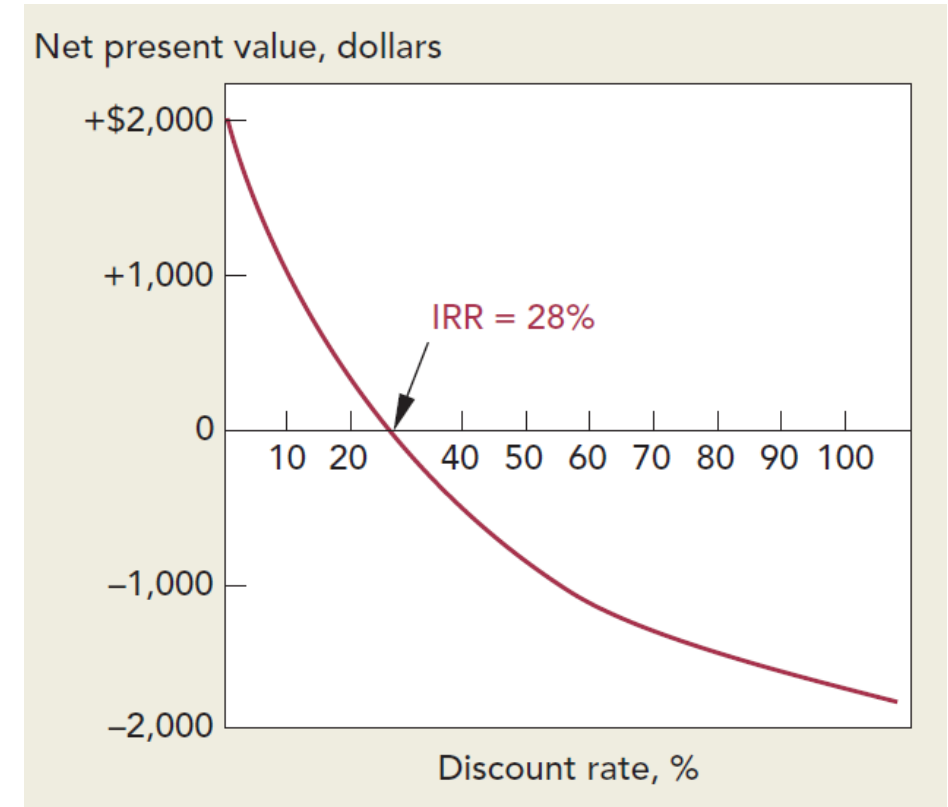
- IRR rule comes from the simple return measure
- Project return =  $\frac{\text{Profit}}{\text{Investment}} = \frac{\text{Payoff}}{\text{Investment}} - 1$ ; or  $-\text{Investment} + \frac{\text{Payoff}}{1+\text{Project Return}} = 0$
- IRR is the return or discount rate at which NPV=0
- $$\text{NPV} = C_0 + \frac{C_1}{(1+\text{IRR})} + \frac{C_2}{(1+\text{IRR})^2} + \dots + \frac{C_T}{(1+\text{IRR})^T} = 0$$

$C_0$	$C_1$	$C_2$
-4000	+2000	+4000

- $$\text{NPV} = -4000 + \frac{2000}{1+\text{IRR}} + \frac{4000}{(1+\text{IRR})^2} = 0$$
 ; solving for this, we get IRR= 28.08%

# Alternatives to NPV rule – Internal rate of return (IRR) method

- If the opportunity cost of capital is less than the 28.08% IRR, then the project has a positive NPV
- If opportunity cost of capital is greater than the IRR, the project has a negative NPV
- Please note that IRR is a profitability measure and depends solely on the timing of the project cash flows
- The opportunity cost of capital is the standard of profitability to judge the worth (or NPV) of the project



# Pitfalls of IRR

- Pitfall 1: Problem of Lending vs borrowing
- Consider the project cash flows from projects A and B as shown here

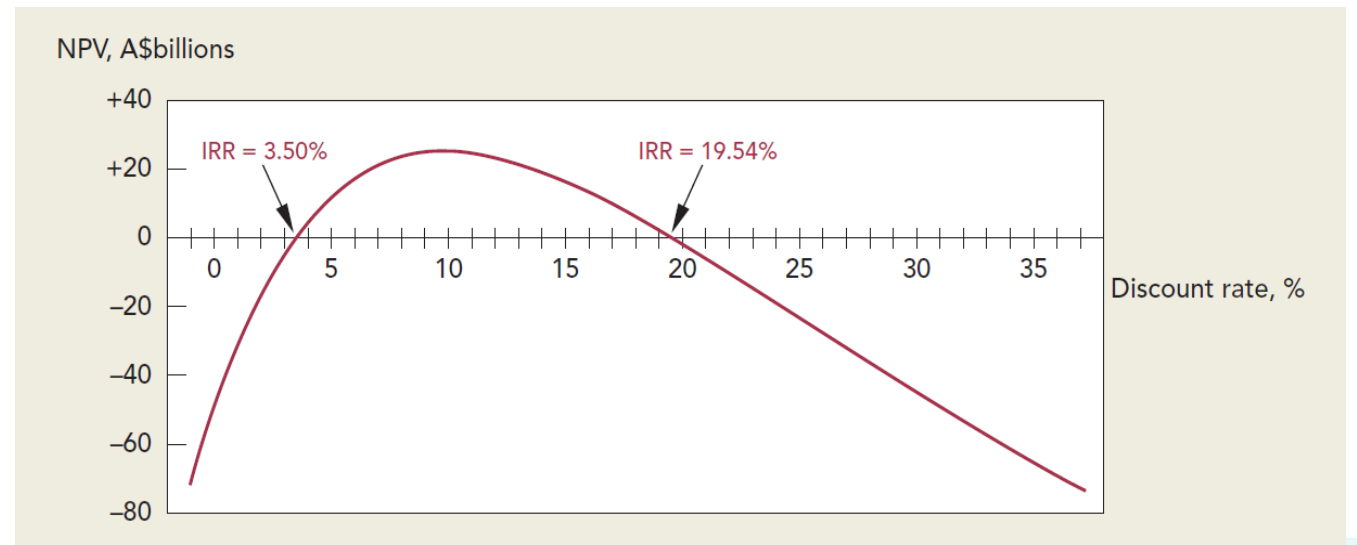
Projects	$C_0$	$C_1$	IRR	NPV at 10%
A	-1000	+1500	50%	+364
B	1000	-1500	50%	-364

- Both of these projects will give you the same IRR
- In project A, we are paying out \$1000 initially, and getting \$1500 later - Case of lending
- While in case of B, we are initially getting \$1000 and paying back \$1500 later- Case of borrowing
- When you lend money, you want a higher return and when you borrow money money you want a lower return

# Pitfalls of IRR

- Pitfall 2: Multiple rates of return
- Consider another project that involves an initial investment of \$3 Billion and then produce a cash flow \$1 Billion per year, for next nine years
- At the end of the project, the company will incur \$6.5 billion of cleanup costs

$C_0$	$C_1$	$C_2$	$C_3$	$C_4$
-3	1	1	1	1
$C_5$	$C_6$	$C_7$	$C_8$	$C_9$
1	1	1	1	1



# Pitfalls of IRR

- Pitfall 3: Mutually exclusive projects
- Firms often have to choose from mutually exclusive projects, since it may not be feasible to take all of them
- In the project cash flows shown here, it seems IRR and NPV are contradicting each other

Projects	$C_0$	$C_1$	IRR (%)	NPV at 10%
D	-10000	+20000	100	8182
E	20000	+35000	75	11818

- In such cases, IRR can still be salvaged by examining incremental cash flows as shown here

Projects	$C_0$	$C_1$	IRR (%)	NPV at 10%
E-D	-10000	+15000	50	3636

# IRR in Conclusion

- Many things can go wrong with IRR, but it is still a very useful benchmark
- To see its utility, have a look at the project cash flows, NPV, and IRR estimates for two projects X and Y as shown here (\$, thousands)

Projects	$C_0$	$C_1$	$C_2$	$C_3$	NPV at 8%	IRR (%)
X	-9.0	2.9	4.0	5.4	1.4	15.58
Y	-9000	2560	3540	4530	1.4	8.01

- Both of these projects offer the same positive NPV of \$1400
- As rational individuals you would select X over Y (Why?)
- The higher IRR associated with X (15.58%) reflects the low risk and efforts involved as compared with Y

# Capital investments with limited resources

- Capital is a scarce resource, thus it is not possible to select all the positive NPV projects
- Thus, firms would like to select those projects that offer highest NPV per dollar of investment
- Profitability index (PI) =  $\frac{\text{NPV}}{\text{Initial Investment}}$

Cash Flows (\$ Mn)					
Project	C0	C1	C2	NPV at 10%	PI
A	-10	+30	+5	21	2.1
B	-5	+5	+20	16	3.2
C	-5	+5	+15	12	2.4

# Capital investments with limited resources

- Let us add another project D, which needs \$40 Mn investment in second year

Project	C0	C1	C2	NPV at 10%	PI
A	-10	+30	+5	21	2.1
B	-5	+5	+20	16	3.2
C	-5	+5	+15	12	2.4
D	0	-40	+60	13	0.4

- The firm can only raise \$10 Mn in the second year: additional constraint of capital rationing
- The simple way of ranking projects as per PI may not work here
- This particular problem is rather simple, as A and D combined offer a higher NPV than B and C combined
- However, more complex problems are solved with linear programming (LP) techniques



# Summary and concluding remarks

- In addition to NPV, other rules are also employed to examine alternate investments
- These include book rate of return, payback period, and IRR method
- Book rate of return is simply computed as book income divided by book value of investment
- Payback method examines the project cash flows against a certain specific cut-off period
- Only those projects with payback period is less than cut-off period, are considered
- Lastly, IRR is the discount rate at which the firm NPV is zero
- As per the IRR rule, firms should accept those projects that have an IRR greater than opportunity cost of capital



**Thanks!**