Hypothesis test for Olympics Data Set

```
library(broom)
library(infer)
library(knitr)
library(tidyverse)
## -- Attaching packages
                                                              -- tidyverse 1.3.1 --
## v ggplot2 3.3.5
                      v purrr
                                 0.3.4
## v tibble 3.1.5
                      v dplyr
                                 1.0.7
## v tidyr
           1.1.3
                       v stringr 1.4.0
## v readr
            2.0.2
                      v forcats 0.5.1
## -- Conflicts ----- tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()
                    masks stats::lag()
library(cowplot)
library(digest)
library(palmerpenguins)
library(testthat)
##
## Attaching package: 'testthat'
## The following object is masked from 'package:dplyr':
##
##
      matches
## The following object is masked from 'package:purrr':
##
##
       is_null
## The following objects are masked from 'package:readr':
##
##
       edition_get, local_edition
## The following object is masked from 'package:tidyr':
##
##
       matches
library(tidyverse)
library(infer)
options(repr.matrix.max.rows = 6)
Importing the data:
olympics <- read.csv("olympics.csv")</pre>
Removing NA values from the 'age' column, and wrangling the data for the medal column.
age_threshold <- 25
olympics_clean <- olympics |>
```

```
##
     over_under medal
## 1
          under
## 2
          under
                     0
## 3
          under
                     0
## 4
           over
## 5
          under
                     0
## 6
                     0
          under
```

Calculating the observed proportion:

```
## # A tibble: 2 x 4
## over_under sum count prop
## <chr> <dbl> <int> <dbl> <int> <dbl>
## 1 over 21112 130508 0.162
## 2 under 17939 131134 0.137
```

First, we'll define H0 and HA: H_0 : the proportion of athletes under 25 that win a medal is equal to the proportion of athletes 25 and older that win a medal. H_A : the proportion of athletes under 25 that win a medal is greater to the proportion of athletes 25 and older that win a medal.

Let's compute the observed test statistic:

```
delta_star <- diff(olympics_prop$prop)
round(delta_star, 5)</pre>
```

```
## [1] -0.02497
```

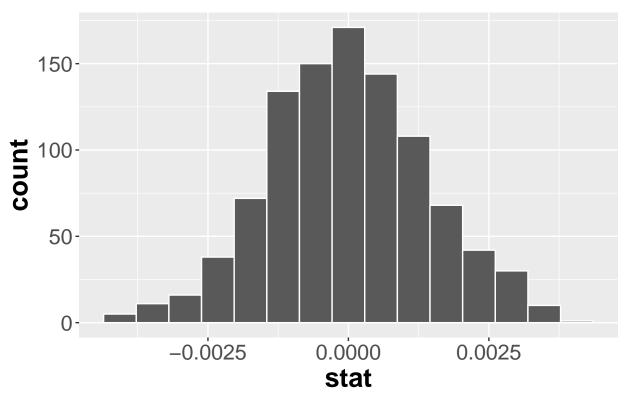
Now let's use simulation to create the null distribution sample:

```
## Response: medal (factor)
## Explanatory: over_under (factor)
## Null Hypothesis: independence
## # A tibble: 6 x 2
## replicate
                 stat
##
        <int>
                <dbl>
## 1
          1 -0.00141
## 2
          2 0.000302
## 3
          3 -0.000584
## 4
          4 0.00137
          5 -0.000217
## 5
          6 -0.00139
## 6
```

Let's visualize the null distribution now:

```
options(repr.plot.width = 10, repr.plot.height = 10)
h0_dist <- null_distribution_olympics %>%
    visualize() +
    theme(text = element_text(size=20)) +
    theme(
        text = element_text(size = 20),
        plot.title = element_text(face = "bold"),
        axis.title = element_text(face = "bold"),
        legend.title = element_text(face = "bold"),
)
h0_dist
```

Simulation-Based Null Distribution



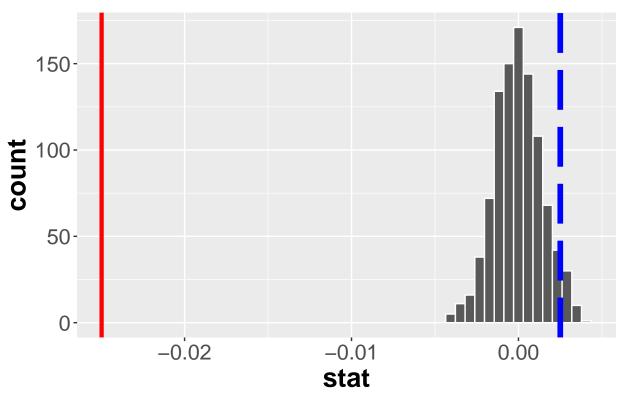
Check where the observed statistic falls:

```
alpha_threshold <- quantile(null_distribution_olympics$stat, 0.95)

h0_dist <- h0_dist + geom_vline(
    xintercept = alpha_threshold,
    color = "blue", lty = 5, size = 2) +
    geom_vline(xintercept = delta_star, color = "red", size = 1.5)

h0_dist</pre>
```

Simulation-Based Null Distribution



Let's calculate our p-value:

```
null_distribution_olympics %>%
  get_pvalue(obs_stat = delta_star, direction = "greater")

## # A tibble: 1 x 1

## p_value

## <dbl>
## 1 1
```