# Comparisons

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### Introduction

The next step in our R journey is to look at how to do comparison of groups. We have already seen one example using the t.test function. Here we will go into a bit more depth. This will be a relatively short tutorial, since performing the tests is straightforward. The hard part will be wrangling the data which we have already covered.

#### Setup

First let's load the libraries we will need.

```
library(dplyr)
```

```
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
## filter, lag
## The following objects are masked from 'package:base':
##
## intersect, setdiff, setequal, union
library(ggplot2)
```

We will use the diabetes data again. Let's load it up.

```
my_data <- read.csv("/home/andrew/Desktop/path/Diabetes_Full.csv")
head(my_data)</pre>
```

```
Random.Blood.Glucose.mg.dL Random.Blood.Glucose.Binary
## 1
                             151
                                                           Low
## 2
                              75
                                                           Low
## 3
                             141
                                                           Low
## 4
                             206
                                                          High
## 5
                             135
                                                           Low
## 6
                                                           Low
     Random.Blood.Glucose.Ordinal Age Sex BMI
                                                  BP Total.Cholesterol
                                                                           LDL HDL TCH
##
                                          2 32.1 101
                            Medium
## 1
                                    59
                                                                    157
                                                                         93.2
                                                                                38
                                                                                     4
## 2
                               Low
                                    48
                                          1 21.6 87
                                                                    183 103.2
                                                                                70
                                                                                     3
## 3
                               Low
                                    72
                                          2 30.5 93
                                                                    156 93.6
                                                                                41
                                                                                     4
## 4
                              High
                                    24
                                          1 25.3 84
                                                                    198 131.4
                                                                                40
                                                                                     5
## 5
                               Low
                                    50
                                          1 23.0 101
                                                                    192 125.4
                                                                                52
                                                                                     4
## 6
                                    23
                                          1 22.6 89
                                                                         64.8
                                                                                61
                                                                                     2
                               Low
                                                                    139
##
        LTG Fasting.Glucose
```

```
## 1 4.8598 87

## 2 3.8918 69

## 3 4.6728 85

## 4 4.8903 89

## 5 4.2905 80

## 6 4.1897 68
```

Let's do the data cleanup to get our factors setup.

```
my_data$Random.Blood.Glucose.Binary <- factor(
   my_data$Random.Blood.Glucose.Binary, levels=c("Low", "High")
   )

my_data$Random.Blood.Glucose.Ordinal <- factor(
   my_data$Random.Blood.Glucose.Ordinal, levels=c("Low", "Medium", "High")
   )

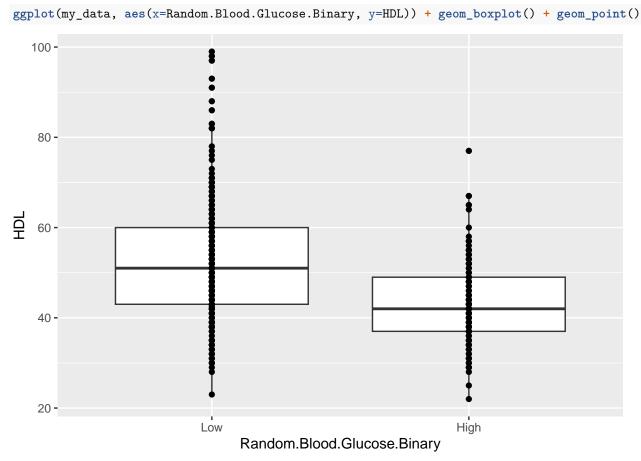
my_data$Sex <- as.character(my_data$Sex)

my_data <- mutate(my_data, Sex=recode(Sex, "1"="male", "2"="female"))

my_data$Sex <- factor(my_data$Sex)</pre>
```

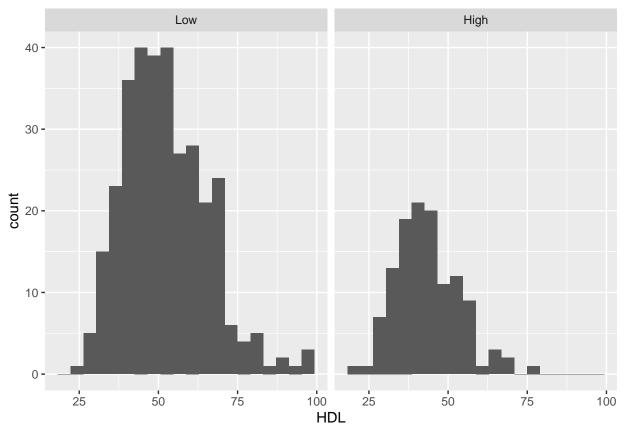
## Two group comparison

Let's suppose we want to divide our data into low/hi glucose groups and see if there are any statistical differences. Let's consider HDL first and do an exploratory plot.



It looks like there is a difference between groups. The data also looks normal based on the symmetry of inter-quartile ranges. This might be easier to see with histograms though.

```
ggplot(my_data, aes(x=HDL)) +
  geom_histogram(bins=20) +
  facet_grid(~Random.Blood.Glucose.Binary)
```



This looks a bit dubious with a lot of outlying values. At this point we could do a test of normality. Let's use the Shapiro-Wilk test on each group. We will use dplyr and pipes to do this.

The p-value for both groups is <0.05 suggesting the data is not normal.

Let's ignore this for a second and try a t-test though.

```
t.test(
  my_data[my_data$Random.Blood.Glucose.Binary == "Low", "HDL"],
  my_data[my_data$Random.Blood.Glucose.Binary == "High", "HDL"]
)
```

## Welch Two Sample t-test
##
## data: my\_data[my\_data\$Random.Blood.Glucose.Binary == "Low", "HDL"] and my\_data[my\_data\$Random.Blood

```
## t = 7.729, df = 288.53, p-value = 1.81e-13
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## 6.644705 11.185140
## sample estimates:
## mean of x mean of y
## 52.22897 43.31405
```

So our p-value is <0.001 which suggests a significant difference. But we do not think the data is normally distributed, so it would be more appropriate to use a non-parametric test. Let's try a Wilcoxon test.

```
wilcox.test(
  my_data[my_data$Random.Blood.Glucose.Binary == "Low", "HDL"],
  my_data[my_data$Random.Blood.Glucose.Binary == "High", "HDL"]
)
```

```
## Wilcoxon rank sum test with continuity correction
##
## data: my_data[my_data$Random.Blood.Glucose.Binary == "Low", "HDL"] and my_data[my_data$Random.Blood
## W = 27448, p-value = 2.006e-11
## alternative hypothesis: true location shift is not equal to 0
```

##

Our p-value is still <0.001 with the non-parametric, so there appears to be a significant difference. This is a fairly large dataset, so even with the loss of power using a non-parametric test we can still detect an effect.

Let's test some other columns for a difference. I'll do this manually and repeat a lot of code. There is a better way, but let's keep the example simple.

```
p_hdl <- wilcox.test(</pre>
  my_data[my_data$Random.Blood.Glucose.Binary == "Low", "HDL"],
  my_data[my_data$Random.Blood.Glucose.Binary == "High", "HDL"]
  )$p.value
p ldl <- wilcox.test(</pre>
  my_data[my_data$Random.Blood.Glucose.Binary == "Low", "LDL"],
  my_data[my_data$Random.Blood.Glucose.Binary == "High", "LDL"]
  )$p.value
p bmi <- wilcox.test(</pre>
  my_data[my_data$Random.Blood.Glucose.Binary == "Low", "BMI"],
  my_data[my_data$Random.Blood.Glucose.Binary == "High", "BMI"]
  )$p.value
p_tch <- wilcox.test(</pre>
  my_data[my_data$Random.Blood.Glucose.Binary == "Low", "TCH"],
  my_data[my_data$Random.Blood.Glucose.Binary == "High", "TCH"]
  )$p.value
my_pvals <- c(p_hdl, p_ldl, p_bmi, p_tch)</pre>
my_pvals
```

```
## [1] 2.006291e-11 2.177578e-03 1.380127e-24 3.313907e-15
```

All look significant. But wait, we just did multiple tests, so we should multiple test correct. We can use the p.adjust function for this. This function requires a vector of p-values as the a mandatory argument which is why I create the my\_pvals variable. Let's see what happens using the Bonferroni correction.

```
p.adjust(my_pvals, method="bonferroni")
```

```
## [1] 8.025165e-11 8.710310e-03 5.520509e-24 1.325563e-14
```

The p-values have increased but they are all less than <0.05. In fact only the value for LDL is >0.001.

We could try a different adjustment as well. Let's use the Benjamini & Hochberg correction.

p.adjust(my\_pvals, method="BH")

## [1] 2.675055e-11 2.177578e-03 5.520509e-24 6.627814e-15

The changes are less dramatic than using the Bonferroni corrections. This is typical as the BH correction controls a slightly different type of error and generally has more power for multiple testing.

This is not meant to advocate for any given correction, just to show how to perform them!