

# w241: Experiments and Causality

## Unit 2

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# Introduction

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- Comparing apples to apples.
- Potential Outcomes
- Measuring Effects of Online Ads

# Comparing Apples to Apples

# Comparing Apples to Apples

## Main topics this week

- Potential outcomes (FE 2.1)
- Average treatment effects (FE 2.2)
- Random sampling and expectations (FE 2.3)
- Random assignment and unbiased inference (FE 2.4–5)
- Biased results in observational data (FE 2.6)
- Measuring the effects of online advertising (Lewis and Reiley, 2014)

# Why experimentation?

- Experimentation delivers much more reliable causal inference than any observational method.
  - Allows us to compare two identical populations in which all that varies is treatment of interest
- Conducting experiments correctly isn't easy.
- Concept of "potential outcomes" shows us what can go right and wrong.

# Defining Potential Outcomes

**Potential Outcomes:** Theoretical concepts useful for thinking about what an experiment could show

- Example: Table 2.1
  - Could never be derived from real data
  - Assumes an impossible amount of information
- *In Practice:* Only treatment group observed in treatment, and only control group observed in control
- *In theory:* Can imagine a group in two counterfactual states, but can actually observe only one

# Potential Outcomes Notation

- $Y_i(1)$  = Outcome if you were to be in treatment
- $Y_i(0)$  = Outcome if you were to be in control
- $\tau_i = Y_i(1) - Y_i(0)$  = Treatment effect for individual  $i$
- In village  $i$  only: How many more budget percentage points would be devoted to water sanitation if you were in treatment versus control?
- Not directly observable, but useful to think about hypothetically



# No Causation Without Manipulation

- If you can't imagine a manipulation that answers your question, it may not have a causal answer.
- What would the same person do if in one treatment versus another?
- Intervention is required to generate needed data, but sometimes imagining an intervention is impossible.

# Fundamentally Unanswerable Questions

## Example

What is the effect on mortality rates of being born in Africa?

- What does this even mean for a particular person?
  - $Y_i(1)$  = outcome if person born in Africa?
  - $Y_i(0)$  = outcome if same person born in the United States?
- Born in African hospital?
- Lived entire life in Africa?
- Question not posed well -- *FUQ'd*

## Of Ideals and Experiments

- What is the ideal experiment?
- What is the implied manipulation?

# FE 2.2: Reading Guidelines

- $d_i$  = treatment "dosage"
- Box 2.1:
  - $D_i$  versus  $d_i$
  - Should remind you of statistics and random variables: a realization  $x_i$  of a random variable  $X_i$
- Equation 2.2
  - Uses multiplication to express conditionals
  - $Y_i(1)$  if in treatment -- this is where  $d_i = 1$  and  $(1 - d_i) = 0$
  - $Y_i(0)$  if in control -- this is where  $d_i = 0$  and  $(1 - d_i) = 1$

# Measuring the Effects of Advertising

# Measuring the Effects of Advertising

## Brand Image Advertising

- Difficult to measure the effects of brand image advertising
  - Advertisements that don't solicit direct response;
  - Rather, increase awareness of and positive association with a particular brand
- Consider observational methodology published in Harvard Business Review by founder and president of ComScore (Abraham, 2008)
  - Panel of one million people.
  - Compare buying behavior of people who did and did not see a given ad campaign.
  - Is treated population more likely to shop at the retailer than those not exposed to the ad?

## Potential Problem

- The two samples don't come from same population.

# Brand Image Advertising Case Study:

## E\*Trade

- Increases sales by over 200%, according to ComScore's analysis.
- Comparing people who did and did not see an E\*Trade ad on Google search results.
  - People who see the ad have searched keywords such as "online brokerage."
  - Could there be other differences between those who did and did not execute such searches, aside from seeing the ad?

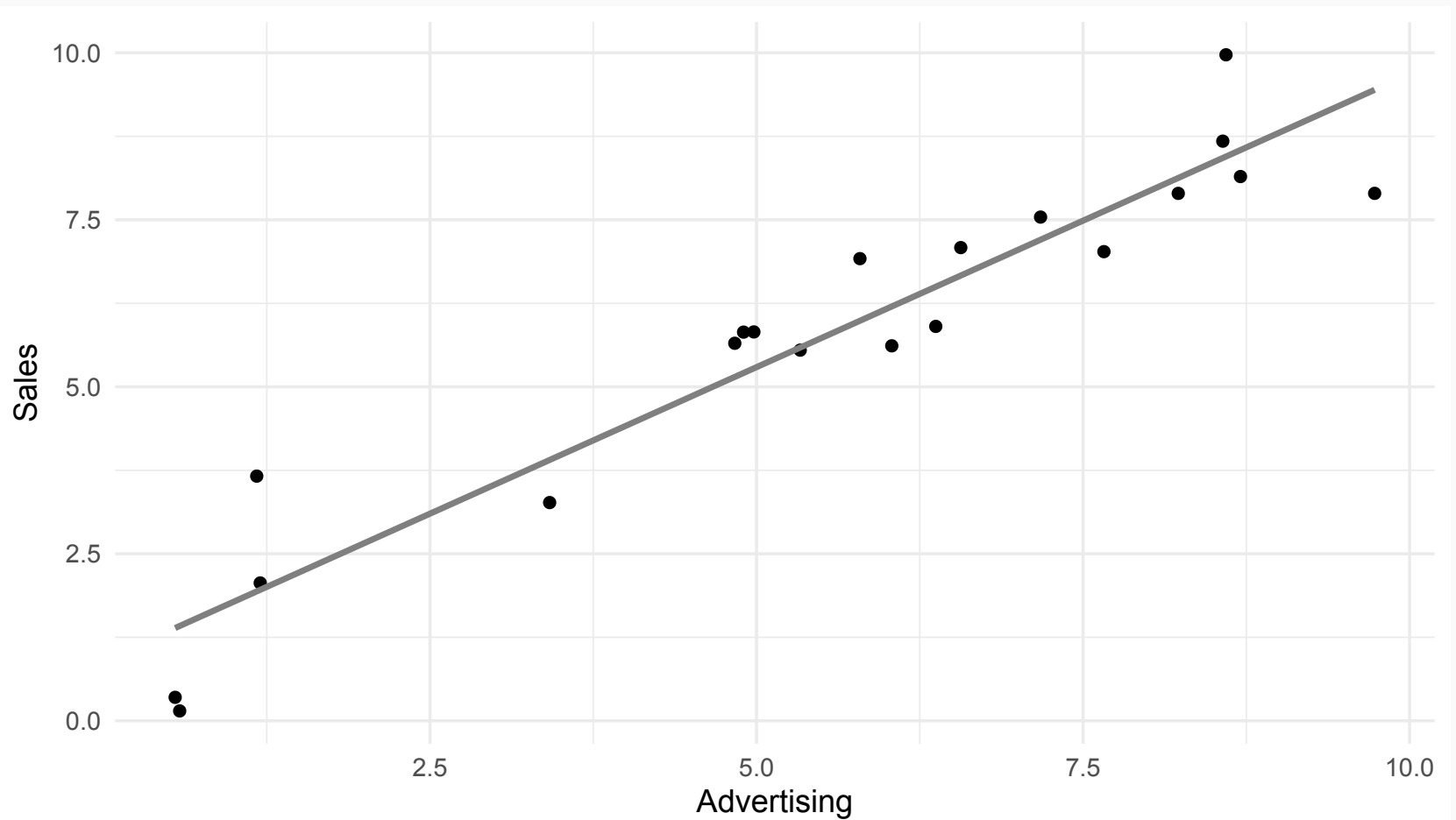
## Potential Problem

- Group who sees the ad already interested in online brokerage.
- Correlation not the same as causality.

# The Marketing Two-Step

- How is advertising effectiveness measured?
- Online ad firm shows ads only to people most likely to buy a company's product.
- Determining effect of the campaign:
  - Comparing behavior of those who saw ads with those who didn't is not apples-to-apples.
  - Choosing who gets the treatment often has a lot to do with the very outcome we're intending to measure.
- Beware of bias in measuring effects.

# Measuring Effects of Advertising on



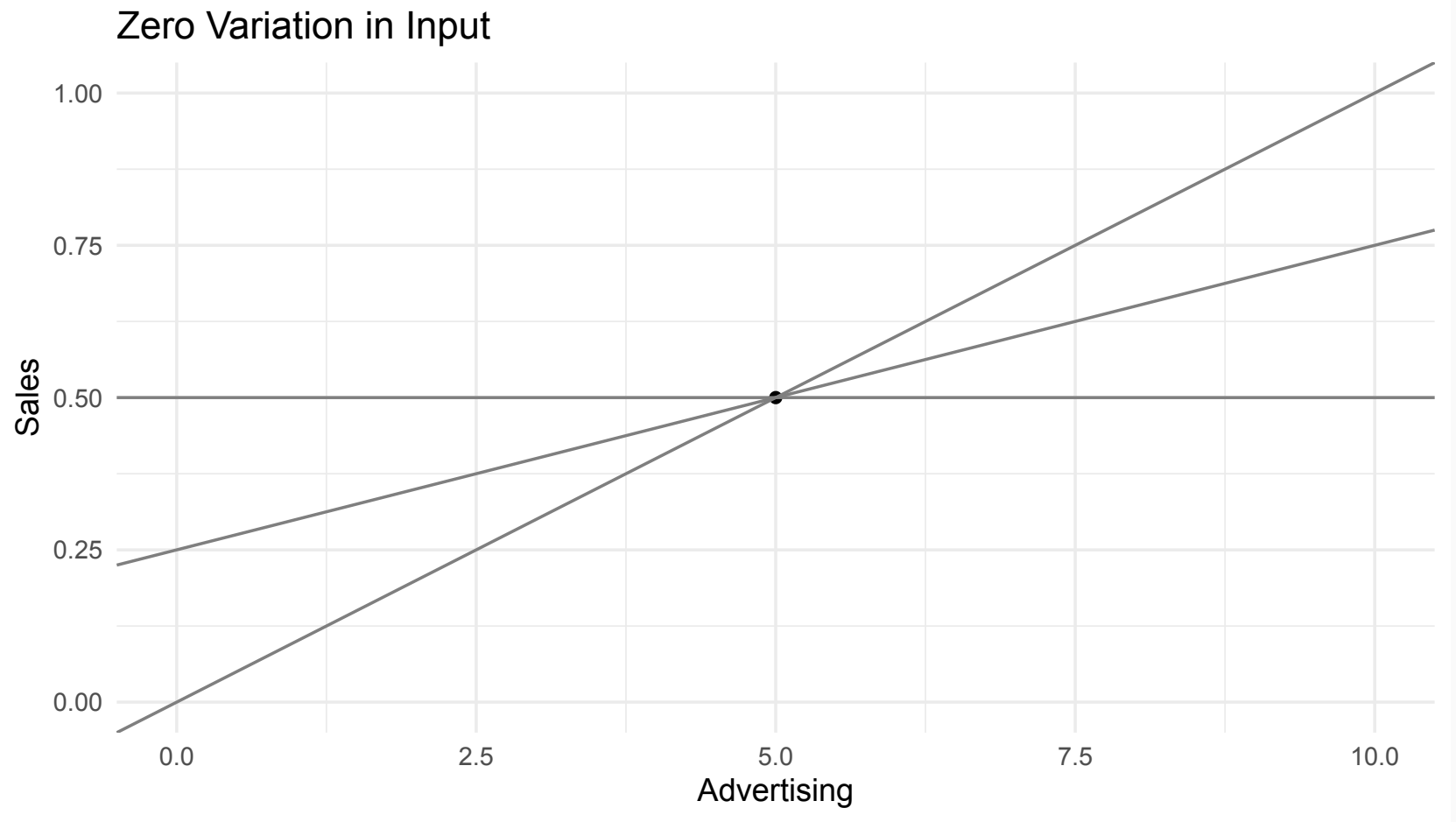


# Measuring Advertising on Sales

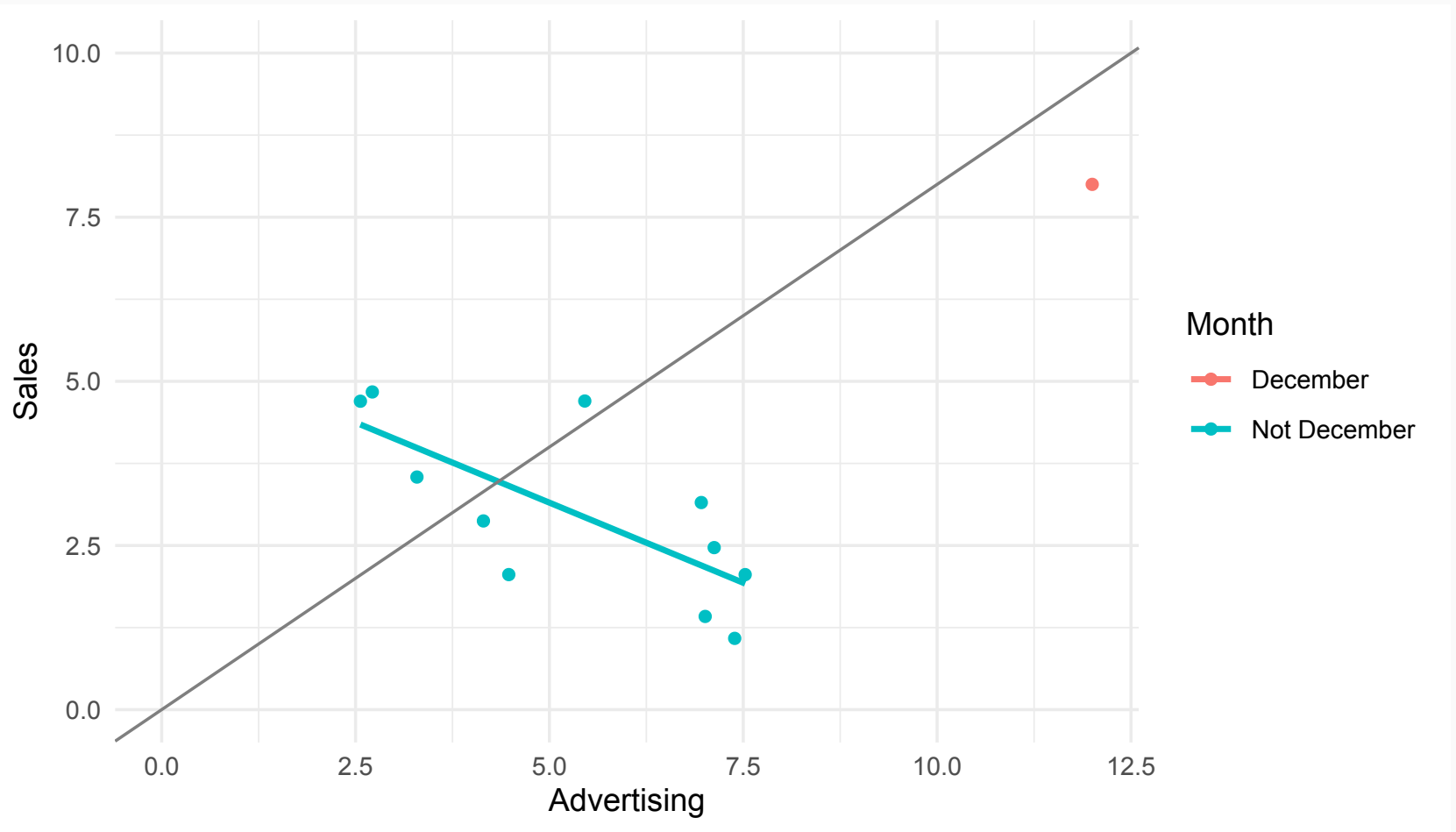
- Econometric regressions of aggregate sales versus advertising
- "*Endogeneity*" problem
  - Amount of advertising not randomly determined.
  - Sales and advertising both influence each other.
  - Potential for reverse causality.
- Need a situation where advertising varies independently of other factors that could cause sales

**Needs an Experiment!**

# No Variation in X



# Bad Variation In X



# Experimentation vs. Observational Data

- Regressing sales on advertising:
  - If advertising doesn't vary, regression doesn't convey much useful information.
  - Experiments generate variation.
- Advertising must vary somehow or slope of regression wouldn't be measurable.
  - More advertising in December
  - More likely to overestimate or underestimate effects of increased advertising in December?

# Conclusions: Christmas Advertising

- Key question in measuring causal effects of X on Y: How does X vary?
- Omitted variable—Christmas—causes increased advertising and increased sales.
- Blindly running regression on observational data implicitly assumes advertising to be only variable responsible for increased sales.
- Effects of advertising overestimated due to omitted-variable bias.
- Using observational data; not comparing apples to apples.

# Review

## Three Examples

- We've discussed three examples of observational data providing inaccurate results.
- Aggregate time-series data
  - Advertising doesn't vary systematically over time.
  - **Reverse causality** problem: we only have draws from the joint distribution, not directions.
  - **Omitted-variable bias** problem: there are other variables that might confound relationships that naive regressions *estimate* exist.
- Individual cross-sectional data
  - **Selection bias** problem: type of people who see ads not the same population as those who don't.

Even in absence of ads, shopping behavior might be different.

# Online Ads and Offline Sales

# Rudimentary Understanding

- Advertising today = physics in the 1500s

■ "Do heavy bodies fall at faster rates than light ones?" - Galileo

- Manipulate mass while keeping shape and size constant.
- Used experimental method to prove objects fell at same rate despite different masses.
- Huge advance over observational data.



# Online-Advertising Field Experiment

- Lewis and Reiley, "Online Ads and Offline Sales," Quantitative Marketing and Economics, 2014.
- One of largest field experiments ever conducted.
- Read through Section III.B.

# Online-Advertising Field Experiment

## Positive Increase in Sales Due to Ads

	During Campaign
Control	R\$1.84
	(0.03)
Treatment	1.89
	(0.02)

## Design

- 1.2 million in treatment group
- 400,000 in control
- Two weeks

## Results

- Effect not statistically significant

# Online-Advertising Field Experiment

## Observational Comparison

- Treatment-group Members Exposed vs. Not Exposed to Ads

	<b>During Campaign</b>
Control	R\$1.84
	(0.03)
Treatment	1.89
	(0.02)
Shown Retailer's Ads	1.81
(64% of Treatment Group)	(0.02)
Not Shown Retailer's Ads	2.04
(36% of Treatment Group)	(0.03)

- Could conclude that advertising reduced sales by R\$0.23
- Not comparing apples to apples

# Nonexperimental Sales Differences

## Unrelated to Ad Exposure

	Before Campaign	During Campaign
Control	R\ \$1.95	R\ \$1.84
	(0.04)	(0.03)
Treatment	1.93	1.89
	(0.02)	(0.02)
Shown Retailer's Ads	1.81	1.81
(64% of Treatment Group)	(0.02)	(0.02)
Not Shown Retailer's Ads	2.15	2.04
(36% of Treatment Group)	(0.03)	(0.03)

- Those who browse enough to see ads also have lower baseline propensity to purchase from the retailer.
- Potential mistake solved with experiment.

# Experiments Eliminate Selection Bias

- To measure effect of X on Y, we compare Y among units with different values of X.

## Why do units have different values of X?

- With no experiment, inference difficult because units obtain different values of X for reasons related to Y.
  - Experiments generate variation in X independent of Y.
  - Populations should be identical in all ways other than the value of X.
- Random assignment generates apples-to-apples comparison.
- Always ask yourself how group divisions came to be.

# Example

## Does Playing Outside Improve Eyesight?

- Study conducted by Australian doctors
  - Kids who play outside are less likely to need glasses.
  - *Possible explanation:* More sunlight exposure causes better retinal development?
- **Better question:**
  - Why do kids choose to play outside or inside in the first place?
  - Maybe kids with worse eyesight don't like to play outside.
  - Need an experiment to establish causality.

# Abstracting from the Example

## Reading Assignment

- Read Sections 2.3–2.6.
- Bring any questions to this week's live session.

# Key Points to Remember

- Observational data can easily compare apples to oranges.
- *Selection bias*: Without a clean experiment, other factors can seem like treatment effects.
  - Those who select treatment often differ in other ways.
- In Lewis-Reiley advertising study, naive observational measurement has wrong sign and is three times larger than estimate given by experiment.
- Experimentation more reliably estimates causal effects than observation.
- Random assignment is gold standard.
- Measuring effect of  $X$  on  $Y$ .
- What are the potential outcomes for a given person?
- What is the ideal experiment?
- What causes the variation in  $X$ ?