

$$q = -KA\Delta T = -KL \frac{dT}{dx}$$

$$(5V \times 0.8A)$$

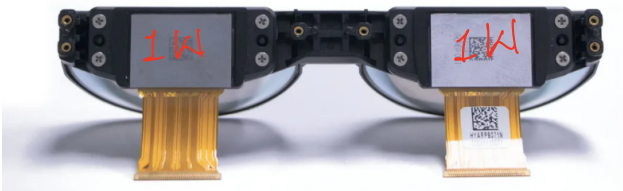
Of the 4W provided, precisely 2W is lost as heat

$$2W = -KA\Delta T$$

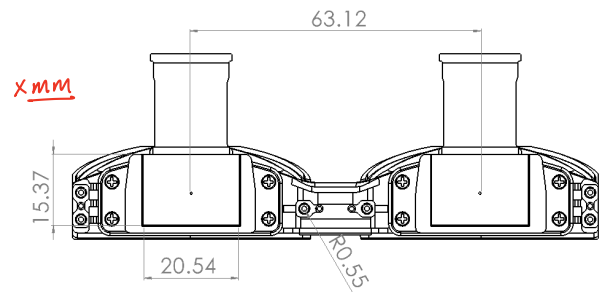
$$K_a = 237 \text{ W/mK}$$

$$K_c = 400 \text{ W/mK}$$

approx 1W per surface



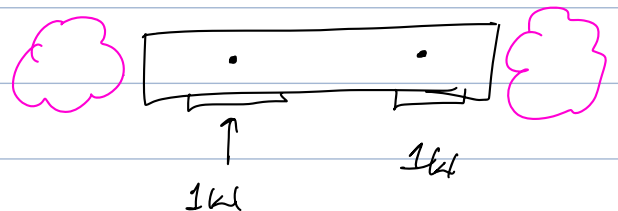
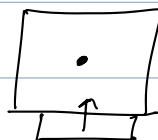
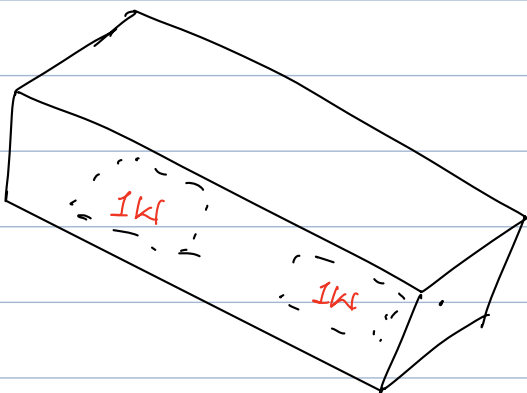
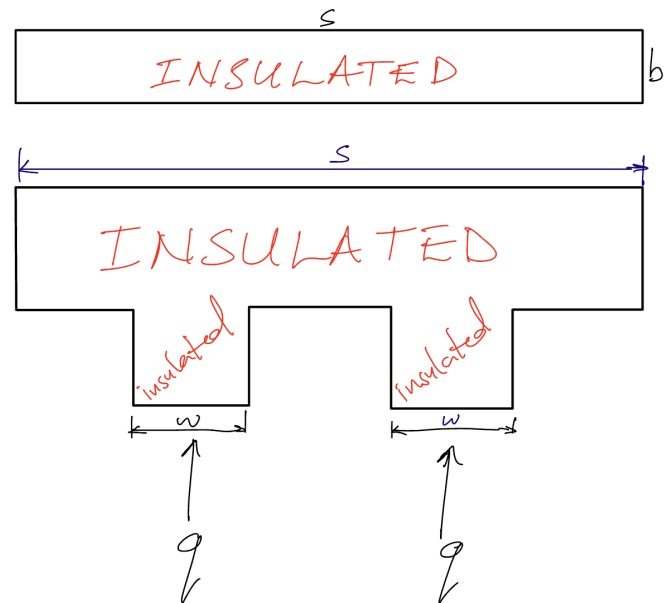
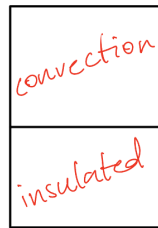
A is the cross-sectional area of the surface



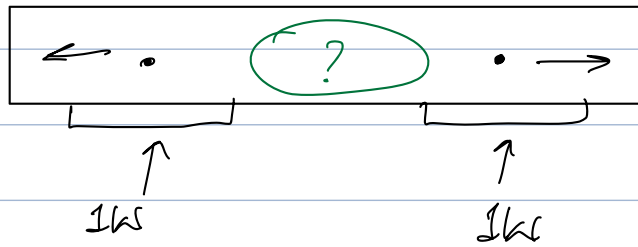
The optical module has a max operating temperature of 70°C
 $T_h = 70^\circ\text{C}$ $q = q''A$

$$q'' = -K \frac{dT}{dx} = -K \frac{\Delta T}{\Delta x}$$

$$q'' = -K \frac{(T_c - T_h)}{L}$$



25°C



25°C

$q = hA\Delta T = 1W?$ for one side only?
~~Analyse as 2D heat transfer?~~ ^{no}

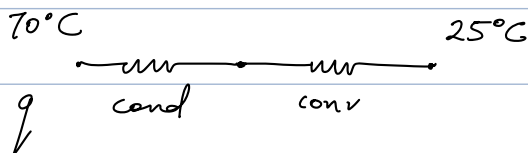
driver board straight up instead of folded over?
 Just find max space and use that. Active not an option
 ↓
 cooling

} enclosure design

$1 = hA(T_s - T_\infty)$

↳ from conduction? back to 2D?

Another approach



$q = \frac{\Delta T}{R_{tot}}$

$R_{tot} \leq \frac{\Delta T}{q}$

$\overset{up}{L} + \frac{1}{KA} \leq \frac{\Delta T}{q} \rightarrow 70 - 25$

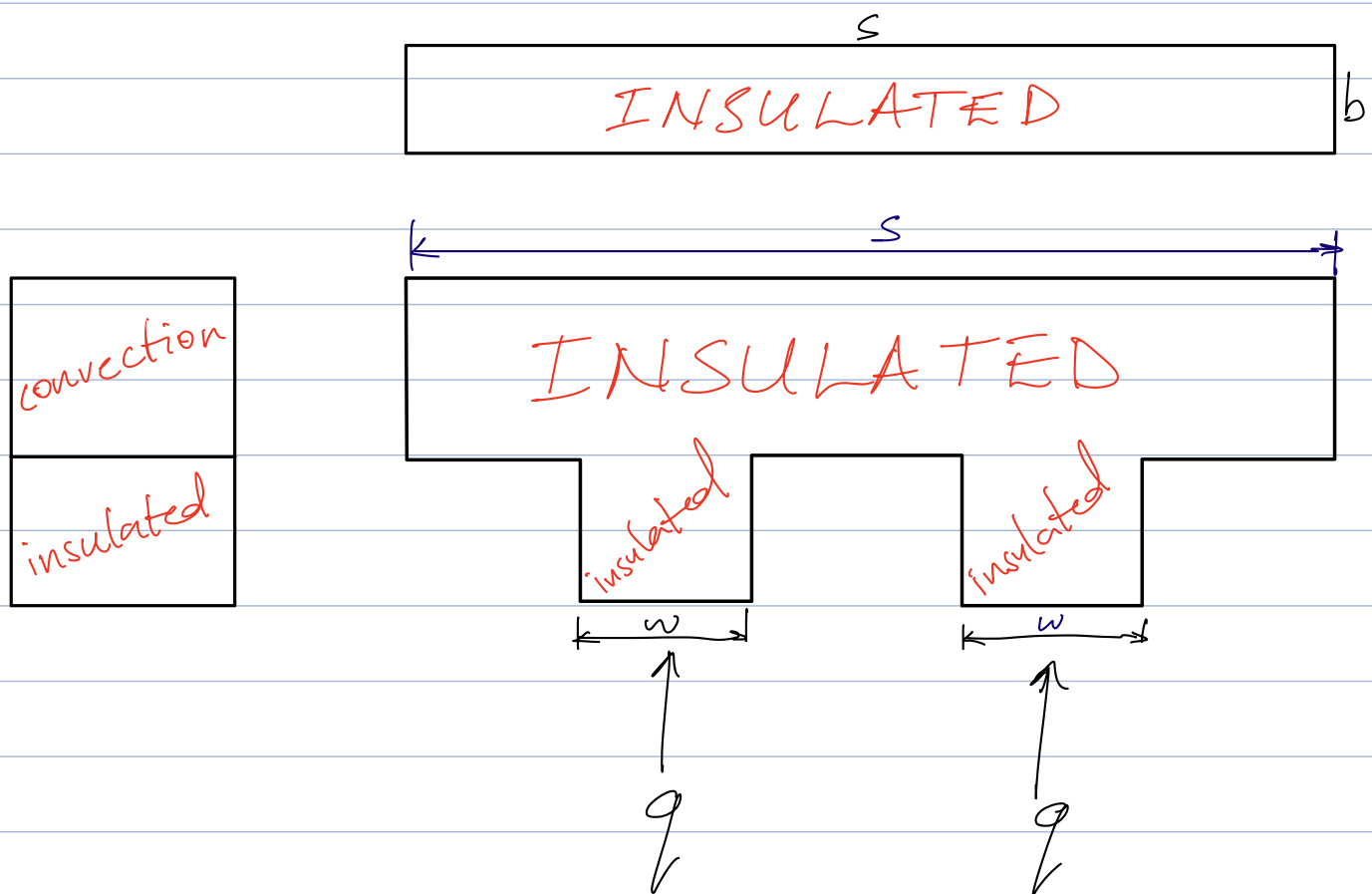
\swarrow alum \searrow on OM

\swarrow of conv \searrow face

$q \rightarrow 1W$

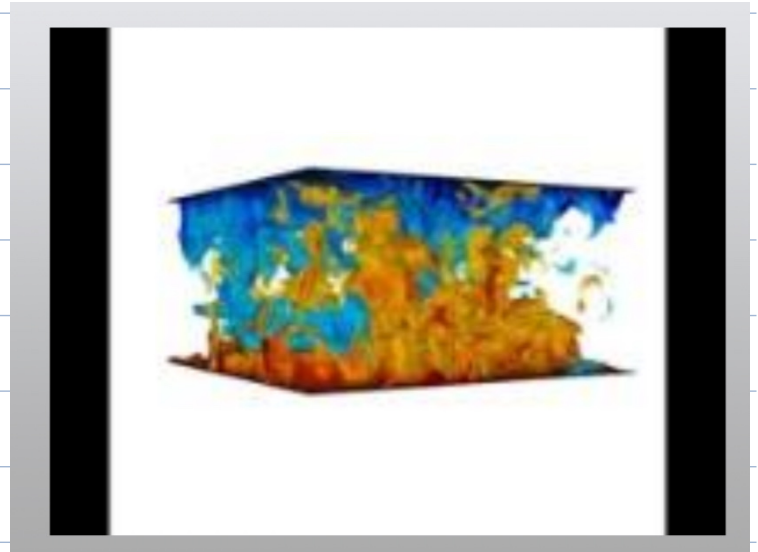
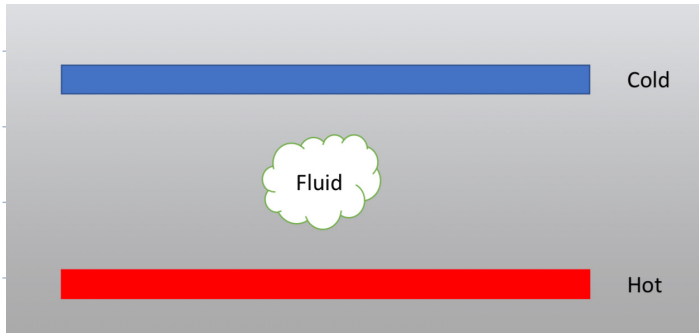
} if this holds (use A_{conv}) then

- get L should be known from design, use A_{conv} you got, simulate.



Design not viable.

Material Removal



Empirical correlations

Upper Surface of Hot Plate or Lower Surface of Cold Plate [19]:



$$\overline{Nu}_L = 0.54 Ra_L^{1/4} \quad (10^4 \lesssim Ra_L \lesssim 10^7, Pr \gtrsim 0.7) \quad (9.30)$$



$$\overline{Nu}_L = 0.15 Ra_L^{1/3} \quad (10^7 \lesssim Ra_L \lesssim 10^{11}, \text{all } Pr) \quad (9.31)$$

Lower Surface of Hot Plate or Upper Surface of Cold Plate [20]:



$$\overline{Nu}_L = 0.52 Ra_L^{1/5} \quad (10^4 \lesssim Ra_L \lesssim 10^9, Pr \gtrsim 0.7) \quad (9.32)$$

$$q = hA\Delta T$$