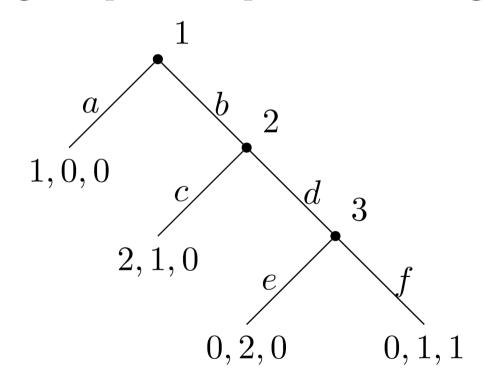
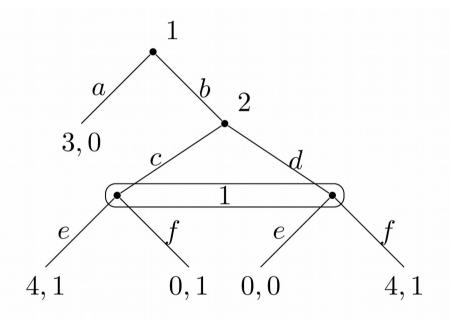
Find the pure-strategy subgame perfect equilibria of the game below:



Consider the following extensive form game:

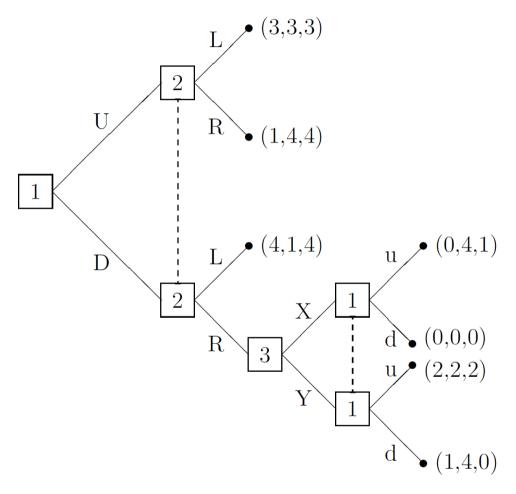


- (a) Find the corresponding strategic (i.e., normal form) game.
- (b) Find all pure-strategy Nash equilibria.
- (c) What is the outcome of iterated elimination of weakly dominated (pure) strategies?

Two players, A and B play the following game. First A must choose IN or OUT. If A chooses OUT the game ends, and the payoffs are A gets 2, and B gets 0. If A chooses IN then B observes this and must then choose in or out. If B chooses out the game ends, and the payoffs are B gets 2, and A gets 0. If A chooses IN and B chooses in then they play the following simultaneous move game:

$$\begin{array}{c|cc} & & B \\ & \text{left} & \text{right} \\ A & \text{up} & 3,1 & 0,-2 \\ & \text{down} & -1,2 & 1,3 \end{array}$$

- a)Draw the tree that represents this game.
- b) Find all the pure strategy SPE of the game.



- a) Find the equivalent strategic game of this extensive form game. Tip: https://www.youtube.com/watch?v=P7Dg5FRH0cc
- b) Find all the subgame perfect Nash equilibria of this extensive form game. (Please give equilibrium strategies as well as payoffs.)

Two farmers, Joe and Giles, graze their animals on a common land. They can choose to use the common resource lightly or heavily and the resulting strategic interaction may be described as a simultaneous-move game. The payoff matrix is the following:

$\begin{array}{c|c} \textbf{Giles} \\ & \text{light} & \text{heavy} \\ \\ \text{light} & 40,40 & 20,55 \end{array}$

 $\mathbf{Joe} \ \frac{\mathrm{light}}{\mathrm{heavy}}$

1. Find the Nash equilibrium of the game and show that it is an example of "Prisoners' Dilemma" games.

55, 20

30, 30

2. Suppose that the same game is repeated infinitely.

Is the {light, light} outcome a Nash equilibrium if both players play a Grim strategy and have a discount factor of 0.7?

The absent-minded driver. Alice está sentada tarde da noite em um restaurante planejando sua viagem de meia-noite para casa. A fim de chegar em casa, ela tem que tomar a estrada e virar na segunda saída. Virando na primeira saída a leva a uma área desastrosa, com muitos assaltos e acidentes (payoff de 0). Virando na segunda saída ela terá a mais alta recompensa, pois chega em casa (payoff de 4). Se ela continuar para além da segunda saída, ela não pode voltar atrás, encontrando no final da estrada um motel onde ela pode passar a noite (payoff de 1). Alice é altamente distraída e é ciente deste fato. Em um cruzamento, ela não pode dizer se é o primeiro ou o segundo, ou seja, ela não se lembra de quantos cruzamentos já passaram.

- a. Desenhe a árvore deste jogo na forma extensiva.
- **b.** Qual é equilíbrio de estratégias puras deste jogo?
- c. Qual o perfil de estratégias comportamentais que lhe dá o maior payoff esperado?
- d. Suponha que Alice é casada com Bob e este é um marido muito amoroso, preocupado e medroso. Neste novo cenário, Bob pode tomar duas decisões: esperar por Alice em casa ou ir até o motel procurar por ela. Desenhe a árvore deste jogo na forma extensiva.

For the Battle of the sexes game, what is the set of feasible payoffs if it is infinitely repeated? What is the highest feasible symmetric payoff? Let $\delta = \frac{9}{10}$ and find a deterministic strategy profile for the repeated game with payoffs $(\frac{3}{2}, \frac{3}{2})$.

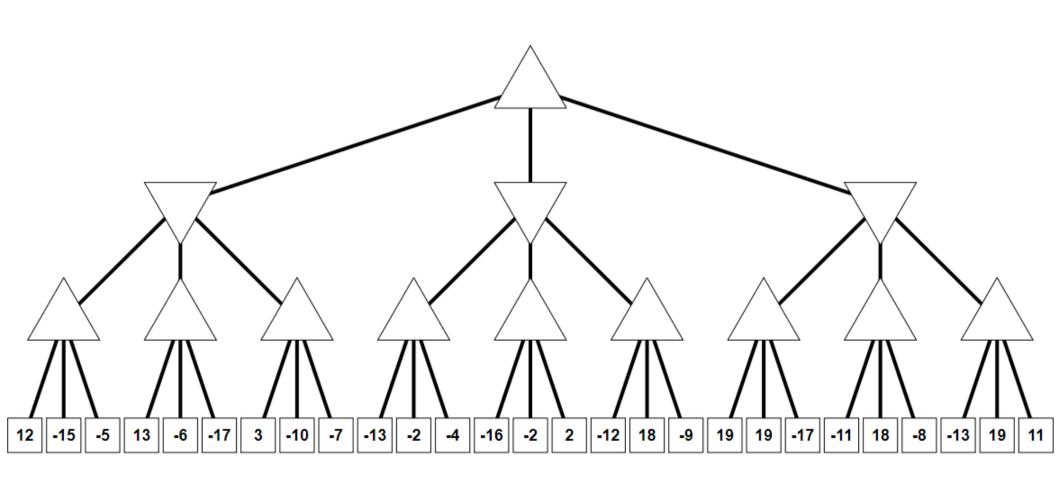
	Bach	Stravinsky
Bach	2, 1	0,0
Strv	0,0	1, 2

Consider the following stage game:

$1\backslash 2$	L	C	R
Т	1,-1	2,1	1,0
M	3,4	0,1	-3,2
В	4,-5	-1,3	1,1

- a. Find the unique pure strategy Nash equilibrium.
- b. Write down a trigger strategy where the outcome of the game is (M, L).
- c. Find a lower bound on δ_i that is sufficient to insure that player i will not deviate from his trigger strategy given that the other player uses his trigger strategy.

Solve the game bellow using the alpha-beta pruning procedure.



Solve the following game using the Lemke-howson algorithm

$p1 \backslash p2$	4	5	6
1	1,2	3,1	0,0
2	0,1	0,3	2,1
3	2,0	1,0	1,3