2024 KHBM Winter School OHBM Korea Chapter Program

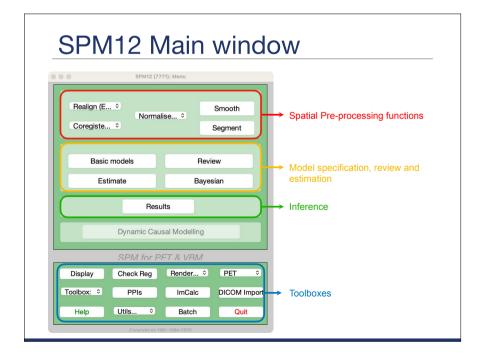
Statistical Parametric Mapping (SPM) for Voxel-Based Morphometry & PET analysis

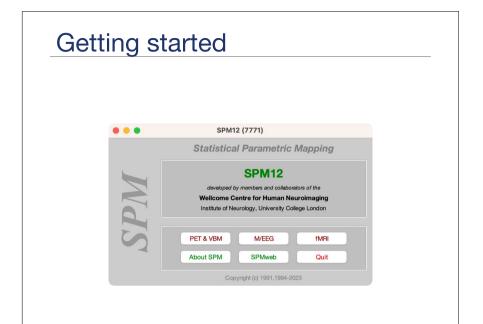
Practices

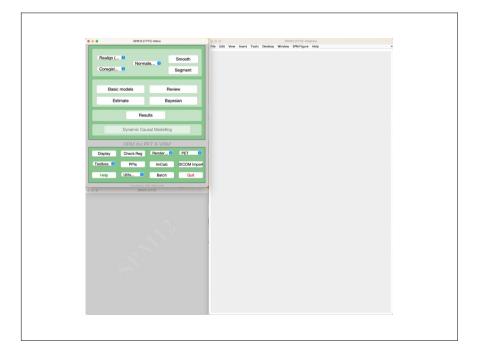
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Department of Psychiatry CHA Bundang Medical Center CHA University School of Medicine









Overview

Spatial preprocessing

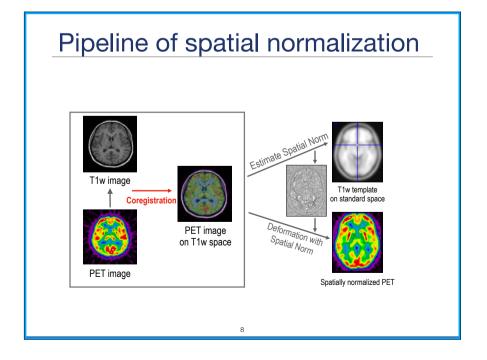
- 1. Coregister
- 2. Segmentation
- 3. Normalize
- 4. Count normalization
- 5. Smoothing

Statistical analysis & Inference

- 6. Basic model
- 7. Parameter estimation
- 8. Inference

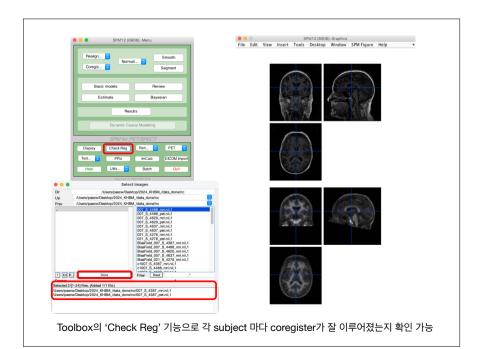
Part I: Spatial Preprocessing

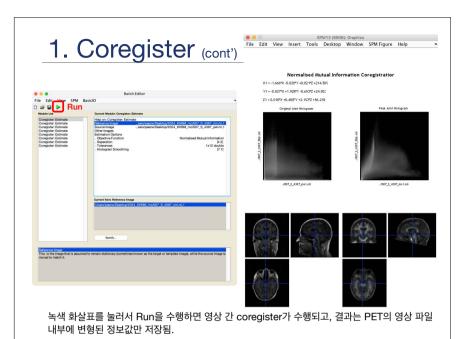
Statistical Parametric Mapping of PET Intensity Normalization Spatial Smoothing Spatial Smoothing Spatial Smoothing P < 0.05

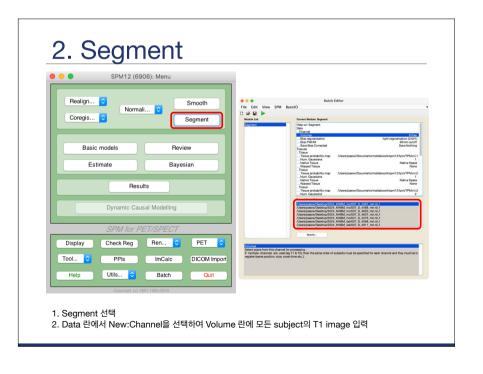


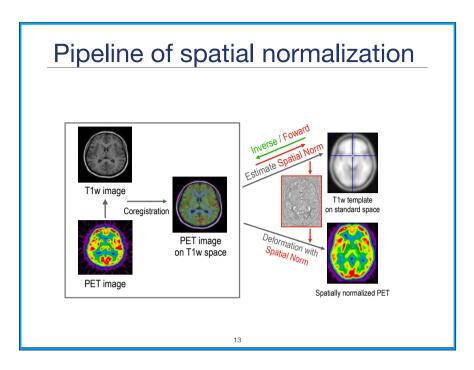
1. Coregister Realign... 🗘 Segment Coregister (Est & Res) Basic models Review Dynamic Causal Modelling Check Reg Ren... PET Display DICOM Impor ImCalc Utils... Batch

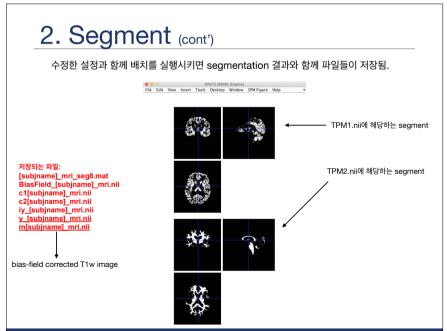
- 1. Coregister Estimate 을 선택하고 2. subject마다 module을 만들어 T1w을 reference에, PET을 source 에 입력.
- 3. 하나의 모듈마다 하나의 subject 내용이 들어가야 하며, 동일한 subject의 두 영상을 선택했는지 확인해야 함.



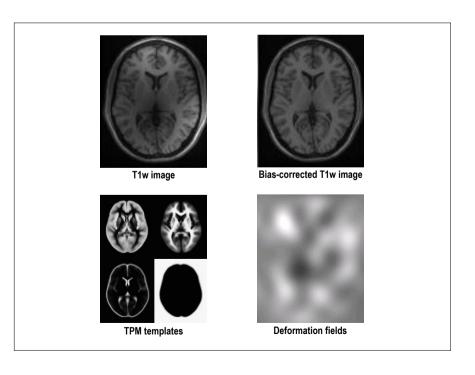


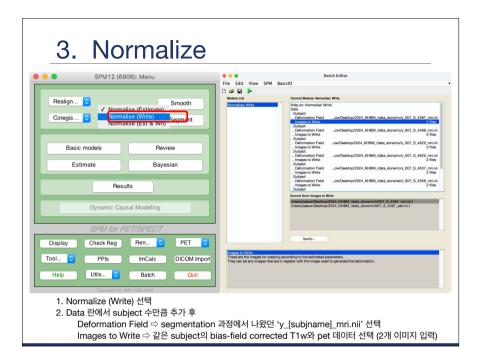


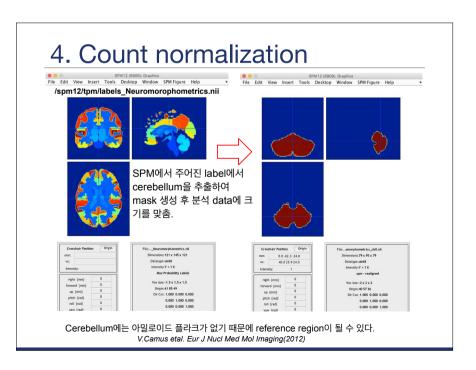


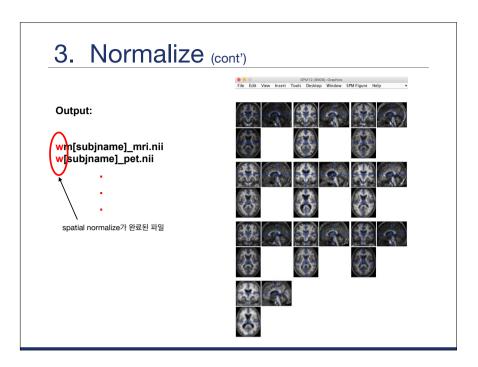


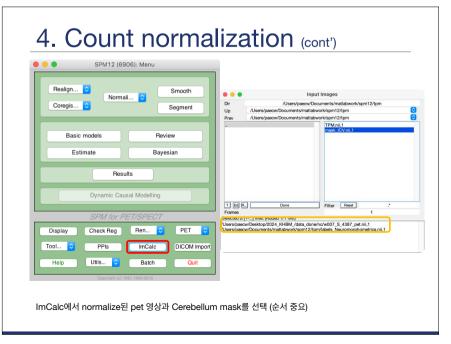
2. Segment (cont') Set late Very 5th Back Very 5th Back Segment (cont') Set late Very 5th Back Very 5th Back Segment (cont') Set late Very 5th Back Segment (cont') Segment (cont

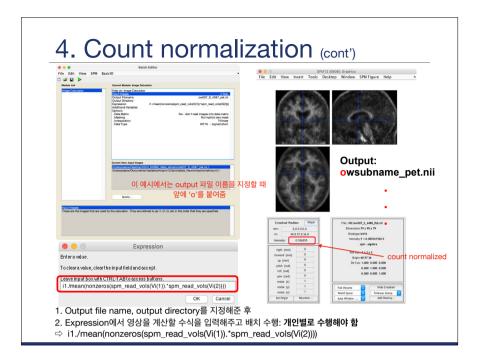




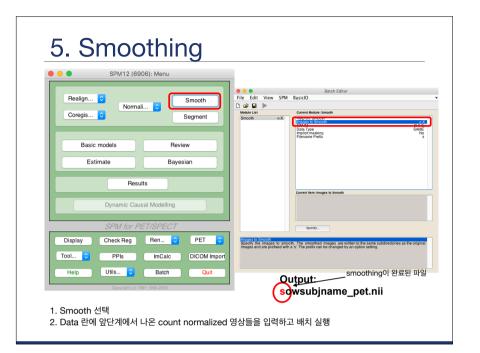


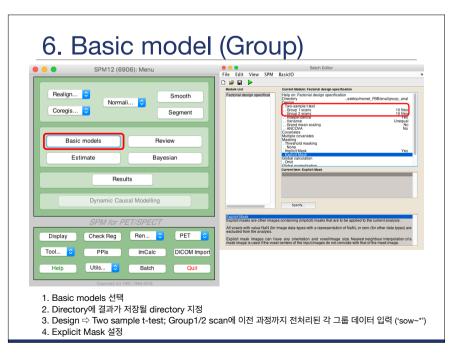


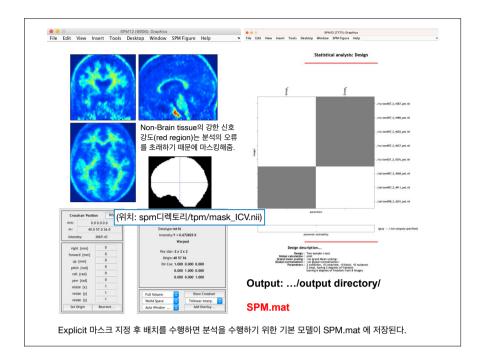


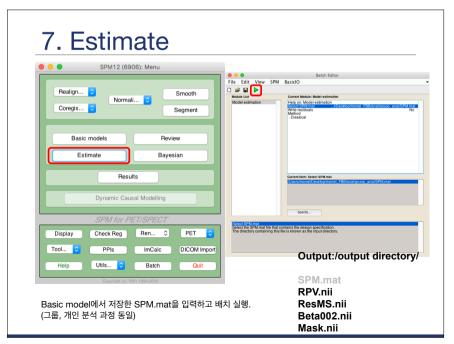


Part II: Statistical Analysis & Inference

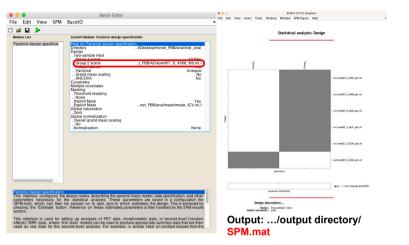






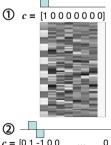


6. Basic model (Individual)

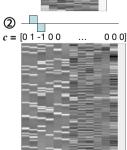


Basic model (Group)과 동일한 절차이나, Group 2 scan에 개인 PET file을 입력하면 된다.

Contrast



- A contrast selects a specific effect of interest
 - A contrast **c** is a vector of length **p**
 - $c \times \beta$ is a linear combination of regression coefficients β
- Null hypothesis : $H_0: c^T \beta = 0$



- ① $c = [1\ 0\ 0\ 0\ \dots]^T$ $c^T \beta = \mathbf{1} \times \beta_1 + \mathbf{0} \times \beta_2 + \mathbf{0} \times \beta_3 + \mathbf{0} \times \beta_4 + \dots$
- ② $c = [0 \ 1 \ -1 \ 0 \ ...]^T$ $c^T \beta = \mathbf{0} \times \beta_1 + \mathbf{1} \times \beta_2 + -\mathbf{1} \times \beta_3 + \mathbf{0} \times \beta_4 + \cdots$ $\Xi_B \beta_2 - \beta_3$

