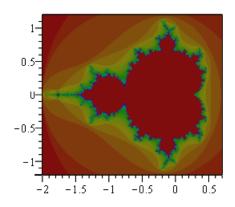
```
restart : with(plots) :

mandelbrot := \mathbf{proc}(x, y)
local c, z, m;
c := evalf(x + y * I);
z := c;
for m from 0 to 30 while abs(z) < 2 do
z := z^2 + c
od;
m
end:

plot3d(0, -2 ... 0.7, -1.2 ... 1.2, orientation = [-90, 0], grid = [250, 250], style = patchnogrid, scaling = constrained, color = mandelbrot);
```



```
julia := \mathbf{proc}(c, x, y)

\mathbf{local}\,z, m;

z := evalf(x + y * I);

\mathbf{for}\,m\,\mathbf{from}\,0\,\mathbf{to}\,30\,\mathbf{while}\,\mathrm{abs}(z) < 3\,\mathbf{do}

z := z^2 + c
```

```
od;

m

end:

J := \mathbf{proc}(d)

\mathbf{global}\ phonyvar;

phonyvar := d;

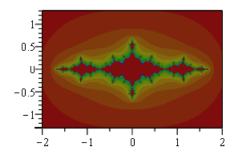
(x, y) \rightarrow julia(phonyvar, x, y)

end:

plot3d(0, -2 ... 2, -1.3 ... 1.3, style = patchnogrid,

orientation = [-90, 0], grid = [250, 250],

scaling = constrained, color = J(-1.25));
```



```
solve(z^3 - 1 = 0, z);

newton := proc(x, y)

local z, m;

z := evalf(x + y * I);

for m from 0 to 50 while abs(z^3 - 1) \ge 0.001 do

z := z - (z^3 - 1) / (3 * z^2)

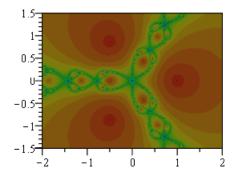
od;

m

end:
```

plot3d(0, -2...2, -1.5...1.5, orientation = [-90, 0], grid = [250, 250], style = patchnogrid, scaling = constrained,color = newton);

$$1, -\frac{1}{2} - \frac{1}{2} I\sqrt{3}, -\frac{1}{2} + \frac{1}{2} I\sqrt{3}$$



```
orbits := \mathbf{proc}(x, y, iter)
\mathbf{local}\,c, z, pts;
pts := NULL;
c := evalf(x + y * I);
z := c;
\mathbf{to}\,iter\,\mathbf{do}
\mathbf{if}\,abs(z) < 1e10\,\mathbf{then}
pts := pts, [\operatorname{Re}(z), \operatorname{Im}(z)]
\mathbf{fi};
z := z^2 + c
\mathbf{od};
[pts]
```

## end:

```
plot(orbits(-0.14222874119878, -0.64732701703906, 500), style=point, symbol=POINT, axes=framed, scaling=constrained); plot(orbits(-0.50977517291904, -0.60039090737700, 500), style=point, symbol=POINT, axes=framed, scaling=constrained); plot(orbits(-0.50977517291904, -0.60039090737700, 300), style=line, axes=framed, scaling=constrained);
```

