

FSM in Programming

A trial to polish programming logic

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Possible programming scenario

Simulation of daily games

Sometimes(or in some courses) we would simulate different kinds of games including **complex judgement of conditions**, which can cause weird bugs if the **logic behind** is not clearly constructed.....



Figure 1: The action of players are judged by the color of certain cards or the dice.

Simulation of daily games

Then you may get this:

```
if(//some condition) {  
    //some implementation  
    if(//some condition) {  
        //some implementation  
    } else {  
        //some implementation  
        if(//some condition) {  
            //some implementation  
            if(//some condition) //some implementation  
        }  
    } else if (//some condition){  
        //some implementation  
    } else {  
        //some implementation  
    }  
}
```

which can be annoying when debugging though you know there is some
unconsidered cases.

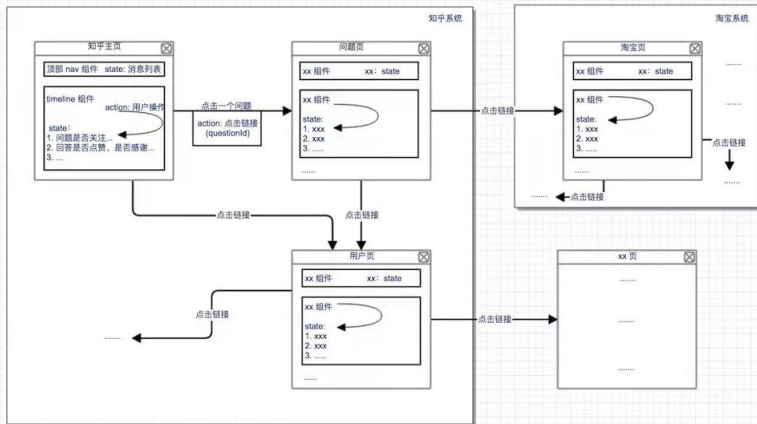


Figure 2: an example of fsm used in web design

Introduction to FSM

FSM-Finite State Machine

Finite State Machine (FSM) is a method to describe desired behaviour of a sequential event^[1]. It's always at a certain state in a finite set of states. It's

A regular FSM consists of:

- Set of states
- Set of inputs and set of outputs
- Initial State
- Set of transitions
- Set of actions

State Diagram

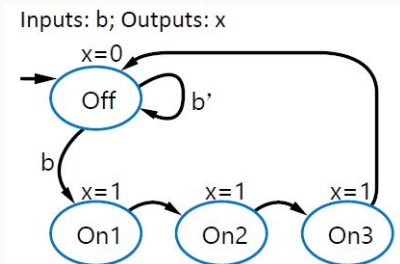
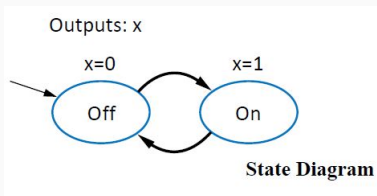


Figure 3: FSM can be represented graphically, known as **state diagram**

Example: House Tour

Here's a simple example of a room tour.

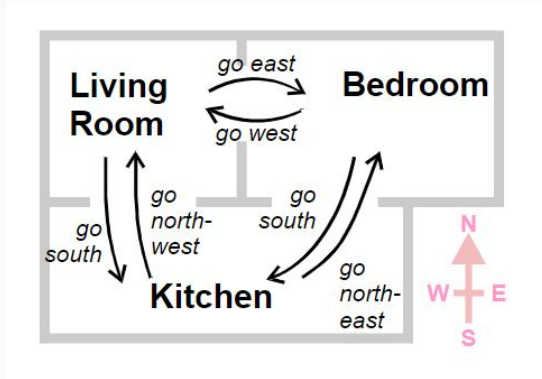


Figure 4: The intuitive diagram of a house.

from: <https://www.programmingbasics.org/en/beginner/fsm.html>

Example: House Tour

First denote the rooms from 1 to 3.

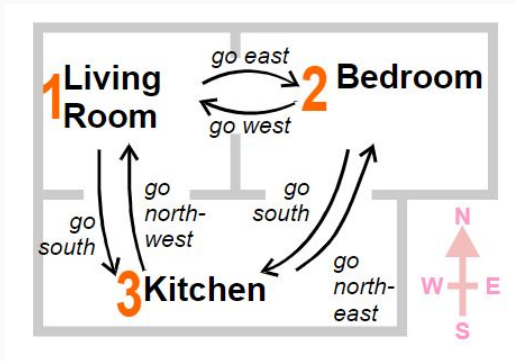


Figure 5: The intuitive diagram of a house.

from: <https://www.programmingbasics.org/en/beginner/fsm.html>

Change it into code

```
// omit other macro definitions
// balabala
switch (location) {
    case LIVIN_GROOM :
        printf("You are in the living room!\n");
        break;
    case BEDROOM:
        printf("You are in the bedroom!\n");
        break;
    case KITCHEN:
        printf("You are in the kitchen!\n");
        break;
    default:
        printf("You are in a invalid location!\n");
}
// balabala
```

Change it into code

```
// balabala
case LIVING_ROOM :
    printf("You are in the living room!\n");
    int action = getAction();
    switch (action) {
        case GO_EAST :
            location = BEDROOM;
            break;
        case GO_SOUTH :
            location = KITCHEN;
            break;
        default:
            printf("Your action is invalid!\n");
    }
    break;
// balabala
```

Example: Digital Lock

Start with designing a lock with four buttons that can recognize the built-in password.

The door is unlocked ($u = 1$) only when the buttons are pressed in the following sequence: start, red, blue, green, red, (represented by input signal: s, r, g, b).

The input signal a equals 1 when some color button is pressed.

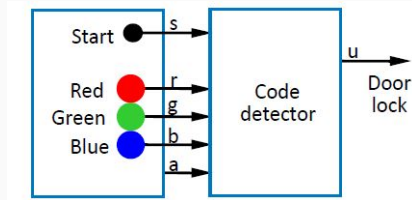


Figure 6: The schematic diagram of a digital lock.

Example: Digital Lock

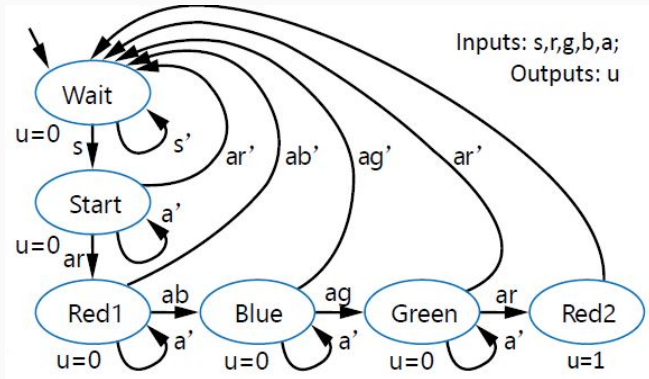


Figure 7: The state diagram of a digital lock.

Can you trick this FSM to open the door, without knowing the code?

Common State Transition Property

Basic Knowledge about Boolean Algebra

- Variables, like a , b , c , x , y , etc. Representing 0 or 1.
- Logic operators: AND(\cdot), OR($+$), NOT($'$).
- Operator Precedence: Parenthesis() $>$ NOT $>$ AND $>$ OR.

$$(a) \ x + 0 = x;$$

$$(a) \ x + x' = 1;$$

$$(a) \ x + x = x;$$

$$(a) \ x + 1 = 1;$$

$$(x')' = x;$$

$$(b) \ x \cdot 0 = 0;$$

$$(b) \ x \cdot x' = 0;$$

$$(b) \ x \cdot x = x;$$

$$(b) \ x \cdot 1 = x;$$

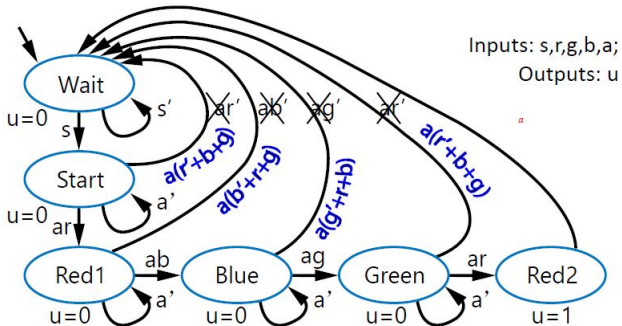
$$(a) \ (x + y)' = x'y'$$

$$(b) \ (xy)' = x' + y'$$

Figure 8: Basic Theorems of Boolean Algebra

This is relatively intuitive. Eg. $a b c' d' + a(b' + c + d) + a' = 1$

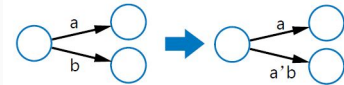
Improved Digital Lock



Refresh the conditions. Now it returns to "Wait" state if wrong button is pressed.

Common State Transition Property

- Among all transitions leaving a state, **only one condition** should be true.
- For any input combination, **one** condition must be true.
- All conditions must be considered when leaving a state. That is to say, their logic sum should be 1.



What if $ab=11$



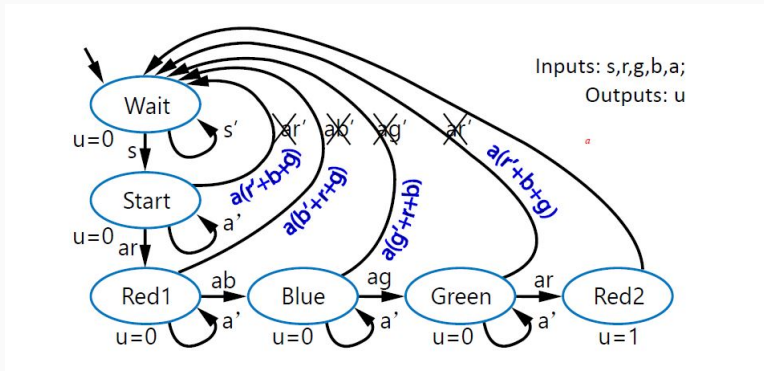
What if $ab=00$?



$$a = ab + ab'$$

Improved Digital Lock

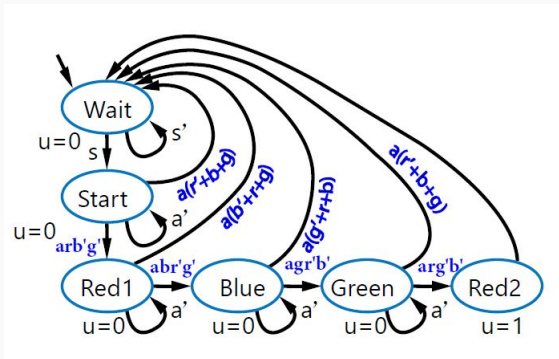
Now go back to the digital lock.



Do the transitions obey the required transition properties?

For example, $arbg = 1111$?

Another Improved Digital Lock



Now all the conditions leaving a state have a logic sum of 1.

Instance for FSM in programming

Hangman Game

Hangman is a classic word game in which you must guess the secret word one letter at a time. Guess **one letter** at a time to reveal the secret word. Each incorrect guess **adds another part** to the hangman.

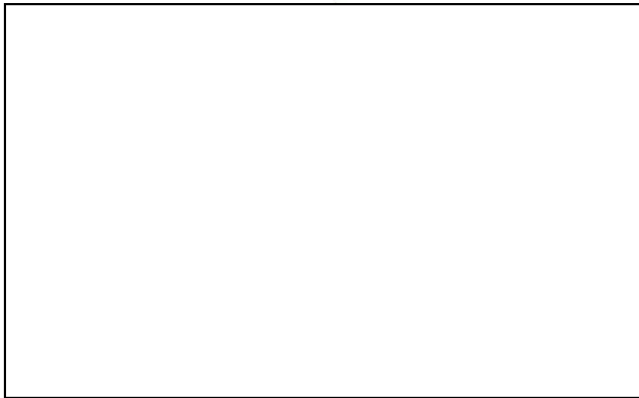


In our game, we suppose there hangman has **10** lives and the random word chosen is '**apple**'.

Hangman Game

BACKGROUND:

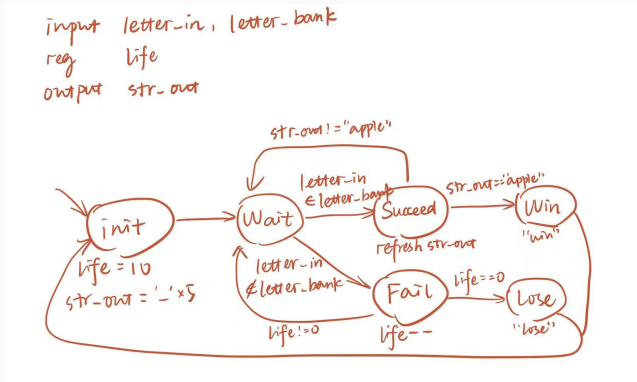
1. Random word chosen as 'apple'.
2. Print the letters covered by dashes: " _ _ _ _ _".
3. The letters are stored in letter-bank: {a p l e}.



Hangman Game

BACKGROUND:

1. Random word chosen as 'apple'.
2. Print the letters covered by dashes: " _ _ _ _ _".
3. The letters are stored in letter-bank: { a p l e }.



Hangman Game

Special items: (shown in item_out)

- * Uncover the left-most undiscovered letter.
- / Kill the hangman and end the game immediately.
- \$ Pay to add 5 to the hangman's life, but the total life cannot exceed 10.
- # Mark all undiscovered vowels with #, which can also be discovered later.

The improved version is shown by hand-drawn.

Monopoly

- At least two players.
- Action of players: rolling two dice, making decisions.
- Grids on the map have different features.

Monopoly



Monopoly

References

1. Zheng, Gang. "Finite State Machine." *VE270 Lecture Notes*, pp. 8-14. *UMJI Canvas*.
<https://www.umjicanvas.com/courses/2035/files/folder/LectureNotes>.
Accessed Nov.14, 2021.
2. Shi, Xiaotian. "RTL Design Worksheet". *RC Slides*, pp. 1-2. *UMJI Canvas*.
<https://www.umjicanvas.com/courses/2035/files/folder/RCSlides>.
Accessed Nov.14, 2021.

An Illustration of FSM

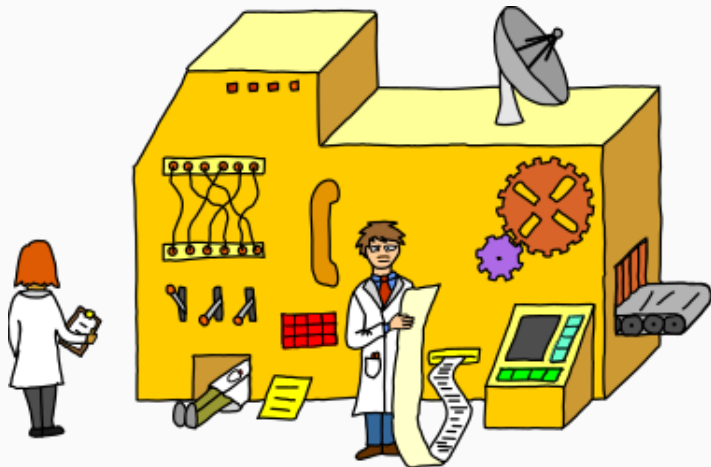


Figure 10: an illustration of FSM

We are more than honored to
discuss on this topic. (@ . . . @)