CHAIN: Week of June 17

• Goals:

- o Identify factors (and their solutions) which can reduce quality of a signal
- Research how power can be optimized by utilizing signal processing techniques
- Read on wavelets
- o Predicting plot of signal in frequency domain given plot in time domain

What I learned:

Purpose

- An adaptive FIR filter which uses the Parks McClellan algorithm to calculate coefficients
- Parks McClellan algorithm provides an optimal set of initial filter coefficients
 - Filter starts with near-ideal response, reducing the time and iterations needed for adaptation
 - Algorithm tries to achieve the best possible approximation to a desired frequency response in terms of minimizing the maximum error (the Chebyshev criterion)
 - Having a near-ideal response can be computationally intensive
 - Passband/stopband characteristics
- Adaptive filters are used to identify and cancel out noise from signals
 - o LMS

Scope

- Digitizedcomplex.py can handle complex signals
 - Complex coefficients, input signals, and output signals
 - Decomposing signals into real and imaginary can reveal:
 - Phase information
 - Signal symmetry and asymmetry
 - Frequency content
 - Noise characteristics
- Digitized takes binary coefficients
- Parks McClellan algorithm
- Adaptive filtering
- DumbFilter.py uses basic arithmetic, digitizes coefficients
 - Threshold calculated dynamically by minimizing intra-class variance

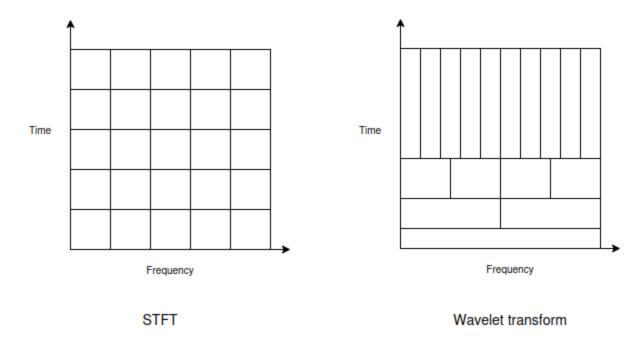
Spectral Analysis

- Purpose: represent a function by a sum of weighted sinusoidal functions called spectral components
- A spectrum can often be a revealing description of the function
- Spectral leakage
 - Causes: discontinuities in the original, non-integer number of periods
 - Soln.: Window function
 - Reduces the amplitude of the discontinuities at the boundaries of each finite sequence acquired by the digitizer
- Signal extraction problem
 - Soln.: spectral filtering

Wavelet Transform

- Fourier transform only works for stationary signals
 - Non-stationary signal: signal where there is change in the properties of signal
 - Q: In context of data collected by CHAIN, which of the properties are susceptible to change?
 - To me, "signal" is still very abstract term, like what makes up the signals we collect, what are we trying to look for in these signals?
 - Can tell the frequency but not at which time it occurred
 - Solution? Short-time Fourier transform (STFT)
 - Divide the signal into windows and perform Fourier transform on these windows
 - A narrow window size will have good time resolution but result in bad frequency resolution
 - A wider window size will have good frequency resolution but result in bad time resolution
 - Wavelets often given better signal representation using multiresolution analysis
 - Issues with frequency time resolution
- Wavelet transform allows us to analyze signals in different frequencies with different resolutions
 - Wavelets have time-widths adapted to their frequencies
- Wavelets can represent variety of signals, require few coefficients

Time and frequency resolutions of STFT and wavelet transform are illustrated in the figure below:



How Can Wavelet Transform be Utilized to Reduce Power Consumption in an FPGA?

- Efficient signal representation
- Multi-resolution analysis
- Data compression
- Efficient hardware implementation
- Dynamic power management
- Targeted processing
- Reduced precision arithmetic

Drawbacks of Wavelet Transform

- Sacrifice frequency resolution in exchange for time localization
- Non-orthogonal basis
 - Work with frames
 - Generalization of Parseval's identity
 - Relaxes orthogonality requirement
 - May encode redundant information
 - Gram-Schmidt process can reduce redundancy
- Susceptible to boundary effects

$$|A||f||^2 \leq \sum_{i=1}^{\infty} |\langle f, g_n
angle|^2 \leq B||f||^2$$

- Goals:
 - Research wavelet theory
 - o Power optimization implementations of FIR filters in Verilog
- What I learned:

Goals:

- Applications of wavelet transforms to CHAIN data
- Learn what features of a signal we are trying to down-convert
- O What is our current digital down conversion architecture?
- Discrete wavelet transform architectures
- O What information are we trying to extract from the signal data?
- Performance requirements
- ODSP repository? What are we currently using?
- O Must down-sampling be statistical? Is it necessary?
 - What processes are involved in down-sampling?

What I learned:

- Tomographic inversion
- "Local" information, theory behind locality

What Kind of Data Does MODIS collect?

- Primarily non-stationary data
 - o Temporal variability
 - Spatial variability
 - Dynamic processes
 - Tomographic inversions

- Goals:
 - o Cocotb
 - Cross verification
 - Implementing DumbFilter.py in Verilog
 - Design flow in Verilog
- What I learned:
 - Design steps in Verilog

Design Flow in Verilog

- 1.think about a design you want to implement, e.g. an adder
- 2.implement the design in VHDL/Verilog
- 3.implement a testbench in VHDL/Verilog
- 4.use the testbench for simulating your design (from step 2)
- 5. if this works and the simulation is successful, try to synthesize the design
- 6.do all the other stuff, like map, place and route
- 7.build a .bit file
- 8.use your JTAG to program your FPGA

- Goals:
 - o Cocotb implementation
 - o Look more into Elyas' summer 2023 project
- What I learned:

Resources

- https://dsp.stackexchange.com/questions/79586/advantage-of-stft-over-wavelet-transform
- https://onlinelibrary.wiley.com/doi/10.1002/cta.3822
- https://link.springer.com/article/10.1007/s10470-023-02227-y
- https://www.slideshare.net/slideshow/introduction-to-wavelet-transform-with-applications-to-dsp/37136588
- https://kth.divaportal.org/smash/get/diva2:212488/FULLTEXT01.pdf