

Social mimicry and small networks

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Part 1: Social Mimicry

We are trying to model the following behavior:

A type of behavior which is involuntary

Families were invited to a lab to eat together

Each family member was wearing a aaaa that tracked bites.

A bite consists simply in the action of taking food to your mouth

We are interested in two questions

1. Do we observe social mimicry?
2. If there is any, can we write down a model of social mimicry?

- ▶ For the first question, right now we are using a permutation test.
- ▶ But first, let's take a look at the structure of the data

A DIAGRAM GOES HERE

Formal description

Mathematically, we can describe the data as follows:

- ▶ For each individual i we observe a vector $T_i \equiv \{t_1^i, t_2^i, \dots\}$ with i 's bites timestamps. You can think of this as a poisson process.
- ▶ Let n_i denote the size of T_i .
- ▶ Also, define the function $R : T_i \times T_j \mapsto T_j$ as that which returns the left most close bite of j to i , i.e. the immediate bite of j before i took a particular bite:

$$R(t_i^n, T_j) = \begin{cases} \text{Undefined,} & \text{if } (\forall t_j^n \in T_j) \exists t_i^m \in T_i \text{ s.th. } t_i^m \in (t_j^n, t_i^n) \\ \arg \max_{\{t_j^n: t_j^n \in T_j, t_j^n \leq t_i^n\}} t_i^n - t_j^n, & \text{otherwise.} \end{cases}$$

- ▶ A possible statistic is to take the average time gap between i and j 's bite, formally

$$S_{ij} = \frac{1}{n_i} \sum$$

- ▶ At the dyadic level, we observe two vectors of timestamps (when the bites occurred per individual)



Part 2: Small Network

- ▶ Observe small teams performing several tasks in a lab,
- ▶ Team members are surveyed before and after each task.
- ▶ From their responses, collective intelligence indicators were built.
- ▶ Also, they were asked about their perceptions of the social networks: leadership, advice, etc. Call this social cognition.

We are interested in the following question

- ▶ How important is, if important at all, social cognition in group performance?
- ▶ **Our problem:** Teams studied here (and everywhere) are usually very small, ranging 4 to 5 members.
- ▶ Our current approach: We defined an statistic that measures some sort of correlation:

$$S_T \equiv \frac{2}{n(n-1)} \sum_{\{(i,j):(i,j) \in T, i < j\}} H(i,j)^2$$

Where $H(i,j)$ is the hamming distance between i and j 's perceived social structures.