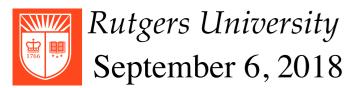
# CS 314 Principles of Programming Languages

Lecture 2: Syntax Analysis (Scanning)

Prof. Zheng Zhang



#### Announcement

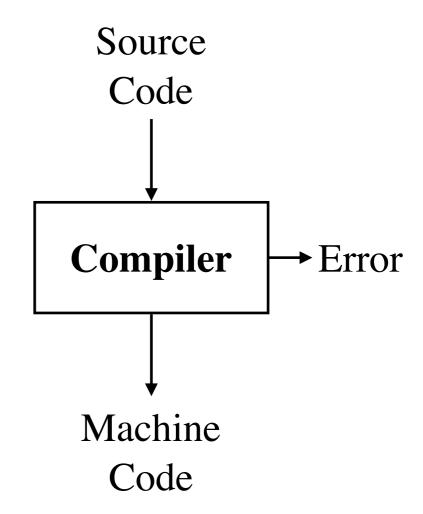
- First recitation starts this coming Wednesday
- Homework 1 will be released after lecture 3.
- **My office hour:**Thursday 2pm 3pm at CoRE 315
- TA office hours will be announced soon.

### **Last Class**

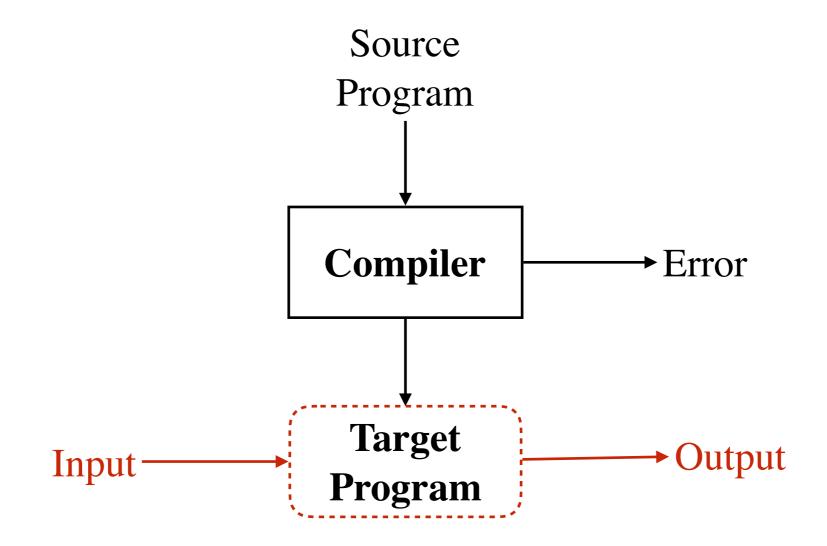
- Overview of compilation
- Syntax and semantics
- Formal language definition
- A rule-based rewriting system
- Introduction to regular expression

### Compiler

- Recognize legal (and illegal) programs
- Generate correct code
- Manage storage of all variables and code
- Need format for object (or assembly) code

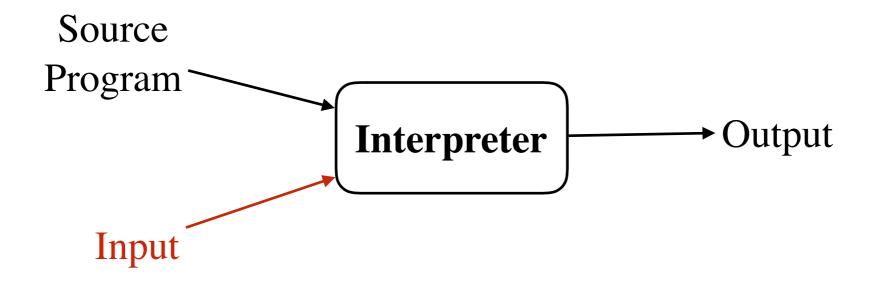


Big step up from assembler to higher level notations



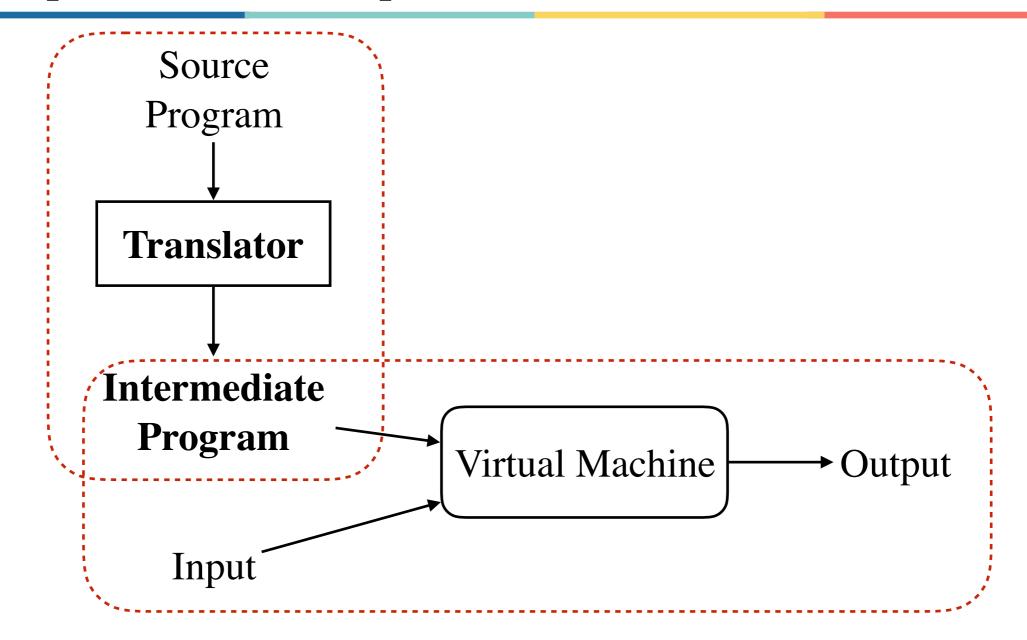
### **Pure Compilation**

- Mainly refers to translation
- Take a program in source language, output a program in target language (usually machine code)



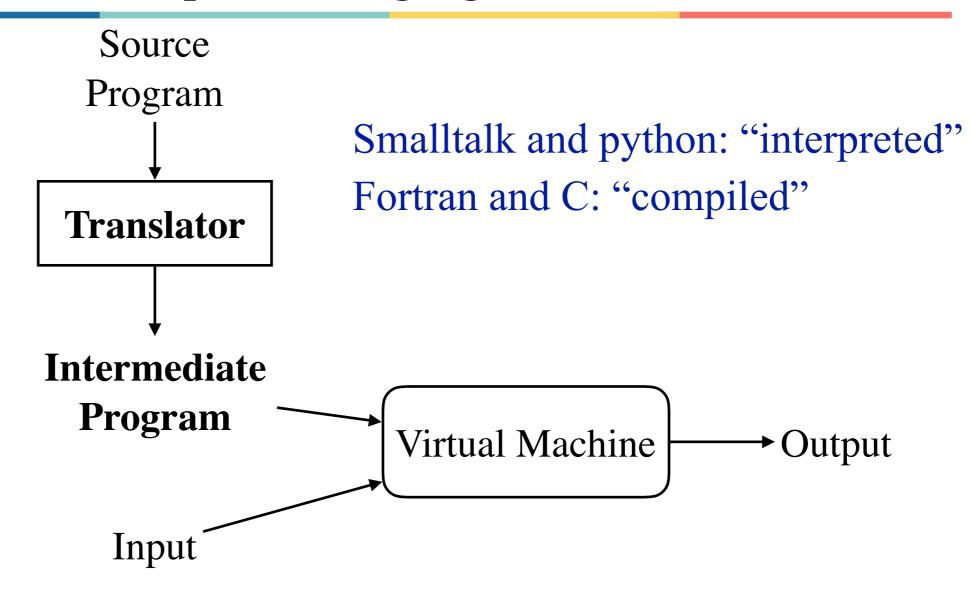
## Interpretation

- Interpreter stays around for the execution of the program
- Interpreter is the locus of control during execution



- Most language implementations include a mixture of both compilation and interpretation.
- Common case is compilation or simple pre-processing, followed by interpretation.

### Compiled V.S. Interpreted Languages



- We generally say that:
  - A language is "interpreted" if the initial translator is "simple", or "compiled" if the initial translator is "complicated"
- Very subjective, but a language is still "compiled" if the translator has thorough analysis and non-trivial transformation.

# Syntax and Semantics of Programming Languages

### **Syntax:**

Describes what a legal program looks like

### **Semantics:**

Describes what a correct (legal) program means

# Syntax of Programming Languages

The syntax of programming languages is often defined in two layers: *tokens* and *sentences*.

• tokens - legal combination of characters in the language

Question: How to spell a token (word)?

Answer: Regular expressions

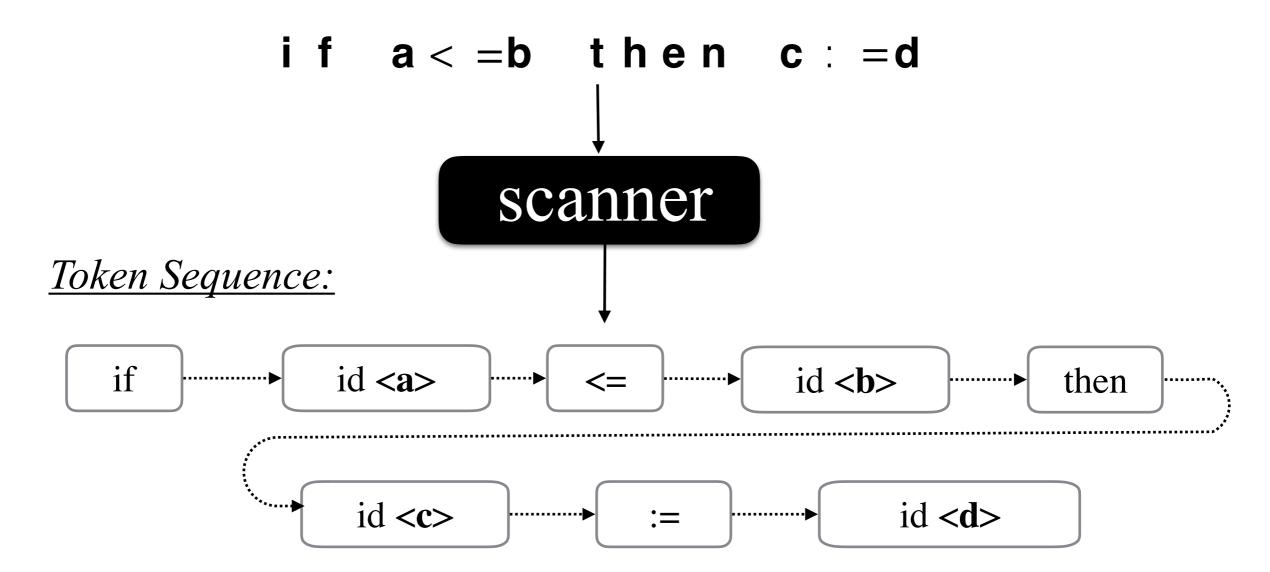
• sentences - legal combinations of tokens in the language

Question: How to build correct sentences with tokens?

Answer: (Context - free) grammars (CFG)

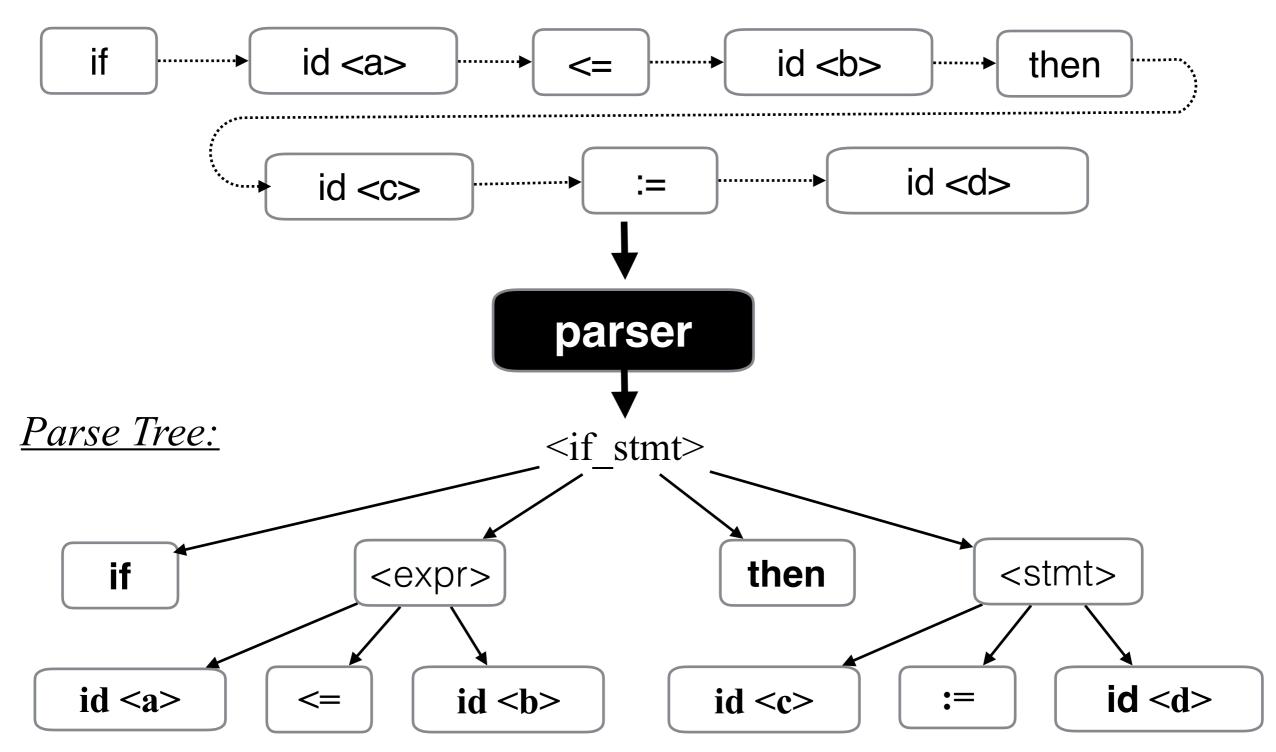
## Lexical Analysis (Scott 2.1, 2.2)

## **Character Sequence:**



# Syntax Analysis (Scott, Chapter 2.3)

## **Token Sequence:**



## **Tokens (Scott 2.1, 2.2)**

# **Tokens** (Analogous to *Words of Language*)

- Smallest "atomic" units of further syntax analysis
- Used to build all the other constructs
- Example, in **C**:

<u>Keywords</u>: **for if goto volatile**...

```
= * / - < > == <= >= <> ( ) [ ] ; := . , ...
```

<u>Number:</u> (Example: 3.14 28 ...)

<u>Identifier:</u> (Example: b square addEntry ...)

## Formalisms for Lexical and Syntactic Analysis

### Two issues in Formal Languages:

- <u>Language Specification</u> → formalism to describe what a valid program (word/sentence) looks like.
- <u>Language Recognition</u> → formalism to describe a machine and an algorithm that can verify that a program is valid or not.

# Formalisms for Lexical and Syntactic Analysis

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We use regular expression to specify tokens (words)

A syntax (notation) to specify regular languages.

RE p

Language L(p)

A syntax (notation) to specify regular languages.

REp

Language L(p)

 $r \mid s$ 

 $L(r) \cup L(s)$ 

Either r or s is a regular expression, i.e. **0**|**11** 

A syntax (notation) to specify regular languages.

REp

Language L(p)

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rs

 $\{RS \mid R \in L(r), S \in L(s)\}$ 

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**/**+

 $L(r) \cup L(rr) \cup L(rrr) \cup ...$ 

A syntax (notation) to specify regular languages.

### RE p

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$$r \mid s$$

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$$\{RS \mid R \in L(r), S \in L(s)\}$$

$$L(r) \cup L(rr) \cup L(rrr) \cup ...$$

$$r^* (r^* = r^+ \mid \epsilon)$$

$$\{\epsilon\} \cup L(r) \cup L(rr) \cup ...$$

Any number of r's concatenated.

A syntax (notation) to specify regular languages.

### RE p

### Language L(p)

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$$r^* (r^* = r^+ \mid \epsilon)$$

$$\{\epsilon\} \cup L(r) \cup L(rr) \cup ...$$

Any number of r's concatenated.

(s)

L(s)

a

**{a**}

F

{**c**}

A RE can simply be a letter from the alphabet  $\Sigma$  or an empty string  $\epsilon$ 

RE

Language

a|bc

{a, bc}

(b|c)a

{ba, ca}

aε

**{a}** 

a\*|b

ab\*

ab\*|c<sup>+</sup>

 $(a|b)^*$ 

RE

Language

a|bc

{a, bc}

(b|c)a

{ba, ca}

aε

**{a}** 

a\*|b

 $\{\epsilon, a, aa, aaa, aaaa, ...\} \cup \{b\}$ 

ab\*

ab\*|c<sup>+</sup>

 $(a|b)^*$ 

RE

Language

a|bc

{a, bc}

(b|c)a

{ba, ca}

aε

**{a}** 

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ab\*

{a, ab, abb, abbb, abbb, ...}

ab\*|c<sup>+</sup>

 $(a|b)^*$ 

RE Language a|bc {a, bc}  $(\mathbf{b}|\mathbf{c})\mathbf{a}$ {ba, ca} **{a}** a €  $\{\epsilon, a, aa, aaa, aaaa, ...\} \cup \{b\}$ a\*|b ab\*  $\{a, ab, abb, abbb, abbb, \ldots\}$ 

 $ab*|c^+$  {a, ab, abb, abbb, abbb, ...}  $\cup$  {c,cc,ccc,...}

 $(a|b)^*$ 

RE Language a|bc {a, bc} {ba, ca}  $(\mathbf{b}|\mathbf{c})\mathbf{a}$ **{a}** a €  $\{\epsilon, a, aa, aaa, aaaa, ...\} \cup \{b\}$ a\*|bab\*  $\{a, ab, abb, abbb, abbb, \ldots\}$ ab\*|c<sup>+</sup>  $\{a, ab, abb, abbb, abbb, \ldots\} \cup \{c, cc, ccc, \ldots\}$  $(\mathbf{a}|\mathbf{b})^*$  $\{\epsilon, a, b, aa, ab, ba, bb, aaa, aab, \ldots\}$ (0|1)\*0

RE	Language Concatenation has		
a bc	{a, bc} → Concatenation has higher precedence over alternation  .		
(b c)a	{ba, ca} over alternation  .		
a €	{a}		
a* b	{ε, a, aa, aaa, aaaa,}∪{b}		
ab*	{a, ab, abb, abbb, abbbb,}		
ab* c+	$\{a,ab,abb,abbb,abbb,\ldots\} \cup \{c,cc,ccc,\ldots\}$		
(a b)*	$\{\epsilon, a, b, aa, ab, ba, bb, aaa, aab, \ldots\}$		
(0 1)*0	binary numbers ending in 0		

# Regular Expressions for Programming Languages

Let *letter* stand for A | B | C | . . . | Z Let *digit* stand for 0 | 1 | 2 | . . . | 9

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integer constant: digit+

identifier: letter(letter | digit)\*

real constant: digit\*.digit+

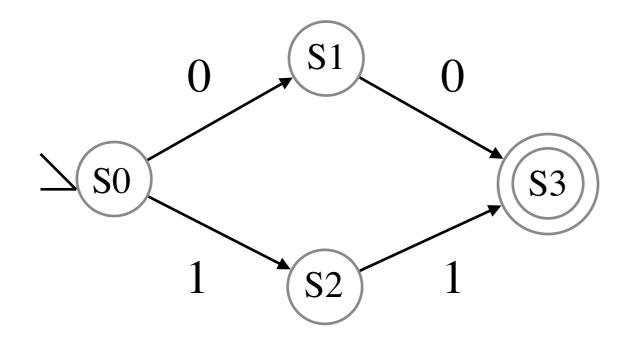
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We use finite state automata to recognize regular language

### **Finite State Automata**



A Finite-State Automaton is a quadruple: < S, s, F, T >

- S is a set of states, e.g., {S0, S1, S2, S3}
- s is the start state, e.g., S0
- F is a set of final states, e.g., {S3}
- T is a set of labeled transitions, of the form
   (state, input) → state
   formally,

$$S \times \Sigma \longrightarrow S$$

# Regular Expressions for Programming Languages

Let *letter* stand for A  $\mid$  B  $\mid$  C  $\mid$  . . .  $\mid$  Z Let *digit* stand for 0  $\mid$  1  $\mid$  2  $\mid$  . . .  $\mid$  9

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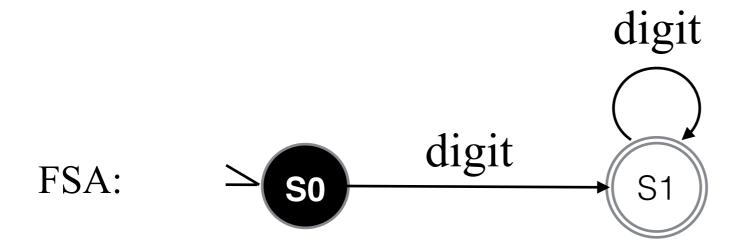
identifier: letter(letter | digit)\*

real constant: digit\*.digit+

## Example 1:

### **Integer Constant**

RE: digit<sup>+</sup>



### Example 2:

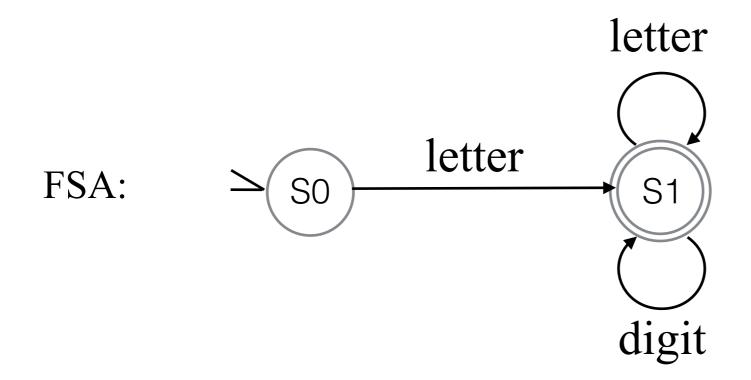
### **Identifier**

RE: letter(letter | digit)\*

### Example 2:

#### **Identifier**

RE: letter(letter | digit)\*



Example 3:

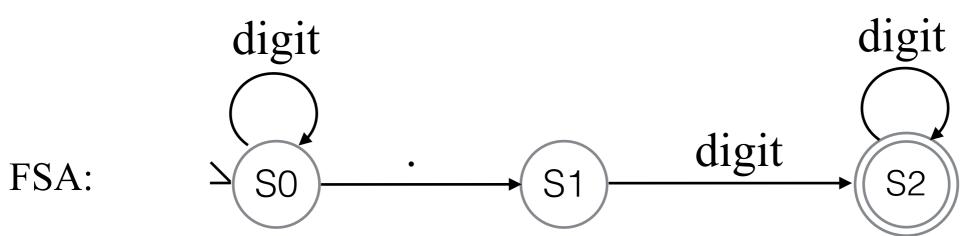
#### **Real constant**

RE: digit\*.digit<sup>+</sup>

### Example 3:

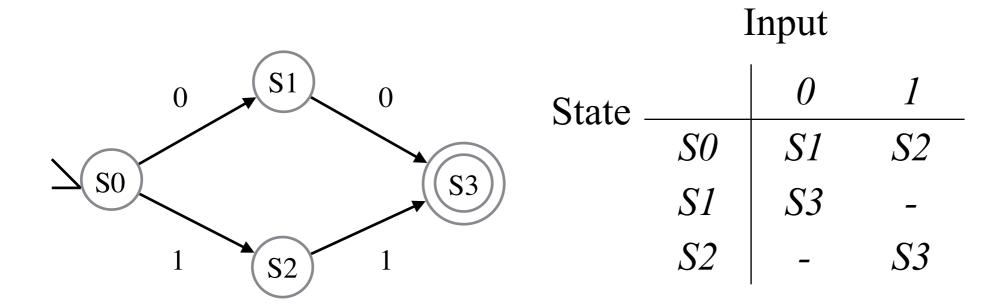
#### Real constant

RE: digit\*.digit<sup>+</sup>



### **Finite State Automata**

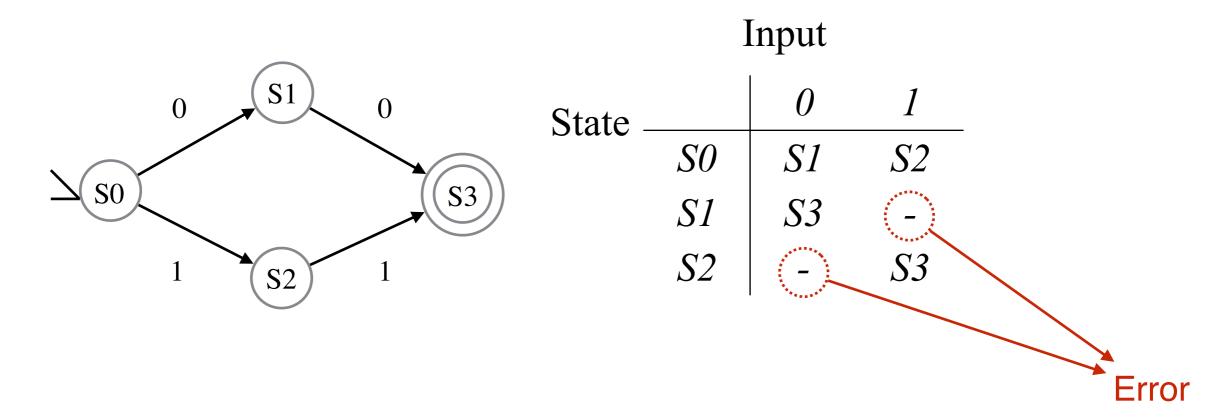
Transitions can be represented using a transition table:



An FSA *accepts* or *recognizes* an input string N **iff** there is some path from start state to a final state such that the labels on the path spell N.

#### **Finite State Automata**

Transitions can be represented using a transition table:



An FSA *accepts* or *recognizes* an input string N **iff** there is some path from start state to a final state such that the labels on the path spell N.

Lack of entry in the table (or no arc for a given character) indicates an *error*—*reject*.

# **Practical Recognizers**

- Recognizer should be a deterministic finite automaton (DFA)
- Read until the end of a token
- Report errors (error recovery)

## **Practical Recognizers**

"identifier" regular expression:  $letter \rightarrow (a \mid b \mid c \mid ... \mid z \mid A \mid B \mid C \mid ... \mid Z)$   $digit \rightarrow (0 \mid 1 \mid 2 \mid 3 \mid 4 \mid 5 \mid 6 \mid 7 \mid 8 \mid 9)$   $id \rightarrow letter (letter \mid digit)*$ 

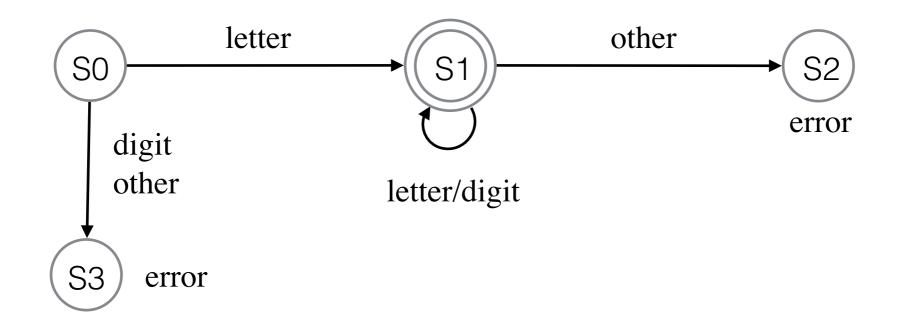
## **Practical Recognizers**

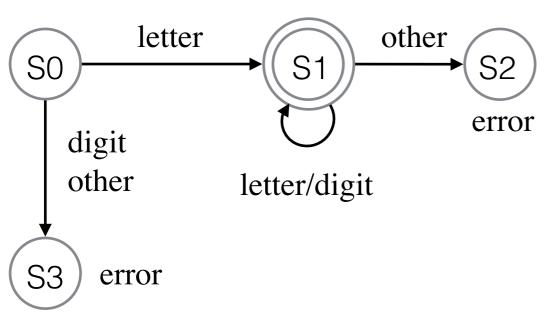
"identifier" regular expression:

*letter* → (a | b | c | ... | z | A | B | C | ... | Z)  

$$digit$$
 → (0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9)  
 $id$  → letter (letter | digit)\*

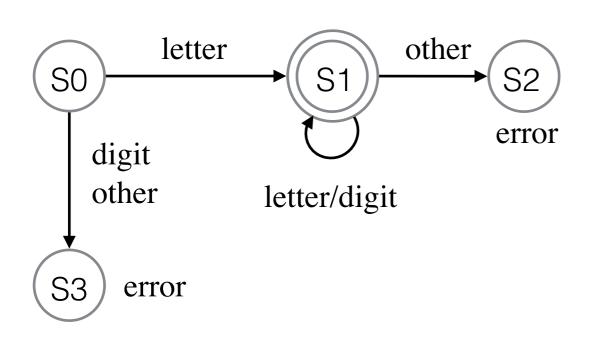
Recognizer for "identifier":





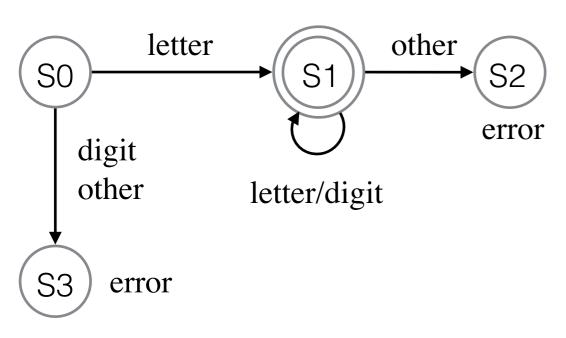
class	SO	S1	S2	S3
letter	S1	S1	_	_
digit	S3	S1		—
other	S3	S2		_

```
char \leftarrow next\_char();
state \leftarrow S0;
done \leftarrow false;
while( not done ) {
    class ← char_class[char];
    state ← next_state[class,state];
    switch(state) {
        case S1:
            /* building an id */
            token_value ← token_value + char;
            char \leftarrow next\_char();
            if (char == DELIMITER)
                done = true;
            break;
         case S2: /* error state */
         case S3: /* error state */
            token type = error;
            done = true;
            break;
return token_type;
```



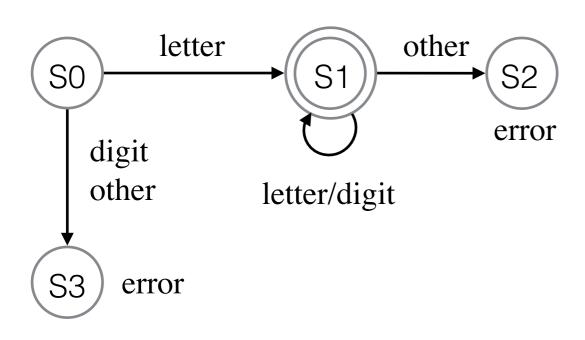
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# **Next Lecture**

## Things to do:

• Read Scott, Chapters 2.3 - 2.5